Compute performance metrics for the given Y and Y_score without sklearn

```
In [1]: import numpy as np
import pandas as pd
from tqdm import tqdm
# other than these two you should not import any other packages
```

A. Compute performance metrics for the given data 5 a.csv

Note 1: in this data you can see number of positive points >> number of negatives points

Note 2: use pandas or numpy to read the data from 5 a.csv

Note 3: you need to derive the class labels from given score

$$y^{pred} = [0 ext{ if y_score} < 0.5 ext{ else } 1]$$

- 1. Compute Confusion Matrix
- 2. Compute F1 Score
- 3. Compute AUC Score, you need to compute different thresholds and for each threshold compute tpr,fpr and then us e numpy.trapz(tpr_array, fpr_array) https://stackoverflow.com/q/53603376/4084039 (https://stackoverflow.com/a/39678975/4084039 (https://stackoverflow.com/a/39678975/<a href="https://stackover
- 4. Compute Accuracy Score

```
In [2]: # write your code here
```

```
In [3]: df = pd.read_csv("5_a.csv") #reading the csv file using the pandas

df.head() # printing the first 10 rows of the csv file using pandas
```

Out[3]:

	у	proba
0	1.0	0.637387
1	1.0	0.635165
2	1.0	0.766586
3	1.0	0.724564
4	1.0	0.889199

Out[4]:

	У	proba	y_predict
0	1.0	0.637387	1
1	1.0	0.635165	1
2	1.0	0.766586	1
3	1.0	0.724564	1
4	1.0	0.889199	1

```
In [5]: #here i am counting the total no of positive class and negative class

P=0
N=0
for i in range(len(df.y_predict)):
    if df.iloc[i][0]==1:
        P=P+1
print(P)
for i in range(len(df.y_predict)):
    if df.iloc[i][0]==0:
        N=N+1
print(N)
```

confusion matrix

```
In [6]: def compute_TP_TN_FN_FP(y,y_predict):
                                                   #definig the function to compute confusion matrix
            TP=sum((y==1) & (y_predict==1))
            TN=sum((y==0) & (y predict==0))
            FN=sum((y==1) & (y predict==0))
            FP=sum((y==0) & (y predict==1))
            return TP, TN, FN, FP
In [7]: TP,TN,FP,FN=compute TP TN FN FP(df.y,df.y predict)
In [8]: #printing the TP TN FP FN values
        print('The valve of TP:',TP)
        print('the valve of TN:',TN)
        print('the valev of FP:',FP)
        print('the valve of FN:',FN)
        The valve of TP: 10000
        the valve of TN: 0
        the valev of FP: 0
        the valve of FN: 100
```

```
In [9]: #printing the confusion matrix
print("Confusion matrix:",'\n',[TP,FP],'\n',[FN,TN])

Confusion matrix:
  [10000, 0]
  [100, 0]
```

F1 Score

Accuracy score

```
In [13]: #Calculating the Accuracy score
    Accuracy=((TP+TN)/(TP+FN+TN+FP))
    print(Accuracy)
```

0.9900990099009901

0.8992941132435506

AUC Score & Threshold

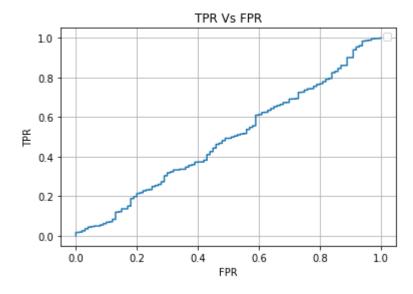
```
In [16]: def tpr(val,df):
                             #defing the function
             new = pd.DataFrame(columns=['y^'])
             TP=0
             FN=0
             FP=0
             TN=0
             new['y^']=np.where(df['proba']>=val,1,0)
             for k,l in zip(df['y'],new['y^']):
                 if(k==1 and l==1):
                      TP+=1
                 else:
                      if(k==1 and l==0):
                          FN+=1
                      else:
                          if(k==0 and l==1):
                              FP+=1
                          else:
                              if(k==0 and l==0):
                                  TN+=1
             true positive rate=TP/(TP+FN)
             false positive rate=FP/(FP+TN)
             return true positive rate, false positive rate
         TPR=[]
         FPR=[]
         for val in tqdm(B['proba']): #Calculating the TPR AND FPR Values
             A,B=tpr(val,df)
             TPR.append(A)
             FPR.append(B)
         TPR=np.array(TPR)
                               #making the values into the array
         FPR=np.array(FPR)
```

```
100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%| 100%|
```

```
In [20]: #ploting the graph between the TPR VS FPR
    plt.plot(FPR,TPR)
    plt.grid()
    plt.xlabel('FPR')
    plt.ylabel('TPR')
    plt.title('TPR Vs FPR')
    plt.legend()
```

No handles with labels found to put in legend.

Out[20]: <matplotlib.legend.Legend at 0x1f58cec73c8>



B. Compute performance metrics for the given data 5_b.csv

Note 1: in this data you can see number of positive points << number of negatives points

Note 2: use pandas or numpy to read the data from 5_b.csv

Note 3: you need to derive the class labels from given score

$$y^{pred} = [0 ext{ if y_score} < 0.5 ext{ else 1}]$$

- 1. Compute Confusion Matrix
- 2. Compute F1 Score
- 3. Compute AUC Score, you need to compute different thresholds and for each threshold compute tpr,fpr and then us e numpy.trapz(tpr_array, fpr_array) https://stackoverflow.com/q/53603376/4084039 (https://stackoverflow.com/a/39678975/4084039 (https://stackoverflow.com/a/39678975/4084039)
- 4. Compute Accuracy Score

```
In [22]: df=pd.read_csv('5_b.csv')
    df.head()
```

Out[22]:

	у	proba
0	0.0	0.281035
1	0.0	0.465152
2	0.0	0.352793
3	0.0	0.157818
4	0.0	0.276648

Out[23]:

	У	proba	y_predict
0	0.0	0.281035	0
1	0.0	0.465152	0
2	0.0	0.352793	0
3	0.0	0.157818	0
4	0.0	0.276648	0

```
In [24]: ##here i am counting the total no of positive class and negative class..

P=0
N=0
for i in range(len(df.y_predict)):
    if df.iloc[i][0]==1:
        P=P+1
print(P)
for i in range(len(df.y_predict)):
    if df.iloc[i][0]==0:
        N=N+1
print(N)
#
```

Confusion matrix

```
In [25]: def compute_TP_TN_FP(y,y_predict):
                                                   #definig the function to compute confusion matrix
             TP=sum((y==1) & (y_predict==1))
             TN=sum((y==0) & (y_predict==0))
             FN=sum((y==1) & (y_predict==0))
             FP=sum((y==0) & (y predict==1))
             return TP, TN, FN, FP
In [26]: TP,TN,FP,FN=compute TP TN FN FP(df.y,df.y predict)
In [27]: #printing the TP TN FP FN values
         print('The valve of TP:',TP)
         print('the valve of TN:',TN)
         print('the valev of FP:',FP)
         print('the valve of FN:',FN)
         The valve of TP: 55
         the valve of TN: 9761
         the valev of FP: 45
         the valve of FN: 239
```

```
In [28]: #printing the confusion matrix
print("Confusion matrix:",'\n',[TP,FP],'\n',[FN,TN])

Confusion matrix:
    [55, 45]
    [239, 9761]
```

F1 score

Accuracy score

```
In [32]: #Calculating the Accuracy score
    Accuracy=((TP+TN)/(TP+FN+TN+FP))
    print(Accuracy)
```

0.9718811881188119

AUC Score & Threshold

```
In [33]: B=df.sort_values(by='proba',ascending=False)
B.drop(['y','y_predict'],axis=1)
B.reset_index(inplace=True,drop=True)
A=np.zeros((2,2))
```

```
In [34]: def tpr(val,df):
                                      #defing the function
             new = pd.DataFrame(columns=['y^'])
             TP=0
             FN=0
             FP=0
             TN=0
             new['y^']=np.where(df['proba']>=val,1,0)
             for k,l in zip(df['y'],new['y^']):
                 if(k==1 and l==1):
                     TP+=1
                 else:
                     if(k==1 and l==0):
                         FN+=1
                     else:
                         if(k==0 and l==1):
                             FP+=1
                         else:
                             if(k==0 and l==0):
                                 TN+=1
             true positive rate=TP/(TP+FN)
             false positive rate=FP/(FP+TN)
             return true positive rate, false positive rate
         TPR=[]
         FPR=[]
         for val in tqdm(B['proba']):
                                        #calacuating the RTPR AND FPR values
             A,B=tpr(val,df)
             TPR.append(A)
             FPR.append(B)
         TPR=np.array(TPR)
         FPR=np.array(FPR)
         100%|
                                                                                             10100/10100 [02:01<00:00,
```

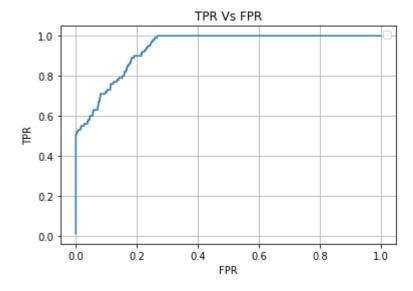
localhost:8888/nbconvert/html/Assignments/5 Performance metrics Instructions.ipynb?download=false

83.10it/s]

```
In [38]: #plotng the graph between the TPR AND FPR
    plt.plot(FPR,TPR)
    plt.grid()
    plt.xlabel('FPR')
    plt.ylabel('TPR')
    plt.title('TPR Vs FPR')
    plt.legend()
```

No handles with labels found to put in legend.

Out[38]: <matplotlib.legend.Legend at 0x1f58cfe14e0>



C. Compute the best threshold (similarly to ROC curve computation) of probability which gives lowest values of metric **A** for the given data **5_c.csv** you will be predicting label of a data points like this: $y^{pred} = [0 \text{ if y_score} < \text{threshold else 1}]$

 $A = 500 \times \text{number of false negative} + 100 \times \text{number of false positive}$

Note 1: in this data you can see number of negative points > number of positive points **Note 2:** use pandas or numpy to read the data from **5 c.csv**

```
In [39]: # write your code
```

```
In [40]: from tqdm import tqdm_notebook
         df_c=pd.read_csv('5_c.csv')
         df_c.head()
Out[40]:
                  prob
          0 0 0.458521
          1 0 0.505037
          2 0 0.418652
          3 0 0.412057
          4 0 0.375579
In [41]: df_c.shape
Out[41]: (2852, 2)
In [42]: S = df_c['y'].value_counts()
                                        #Actual Labels
         print("Occurence of P, ",S[1])
         print("Occurence of N, ",S[0])
         Occurence of P, 1047
         Occurence of N, 1805
```

4

Occupanca	of Prob,	0 830377
0.672003	=	0.039377
	3	
0.596618	3	
0.704297	2	
0.123316		
0.437359	2	
0.908067	2	
0.111976	2	
0.894187	2	
0.745530	2	
0.438637	2	
0.258501	2	
0.472074		
0.788193		
0.871710	2	
0.836304	2	
0.671970	2	
0.235492	2	
0.290497	2	
0.110897	2	
0.656920		
0.847020		
0.516616	2	
0.568532	2	
0.324517	2	
0.204013	2	
0.124856	2	
0.416823	2	
0.388835		
0.353034	2	
	• •	
0.239369	1	
0.326009	1	
0.633678	1	
0.837677	1	
0.039081	1	
0.350693	1	
0.845589	1	
0.584372	1	
0.181155	1	
0.560788	1	
0.816020	1	
0.213467	1	

```
0.418596
           1
0.418738
            1
0.154771
            1
0.380040
            1
0.421326
            1
0.941113
            1
0.196891
            1
0.406844
            1
0.561684
            1
0.202624
            1
0.771744
            1
0.476652
            1
0.318557
            1
0.315248
            1
0.355742
           1
0.214257
            1
0.190617
            1
0.332771
            1
Name: prob, Length: 2791, dtype: int64
```

```
In [44]: def partition(c,x):
        if x < c:
            return 0
        return 1
        pre = df_c['prob']
        f = lambda lst: partition(0.5,lst)
        p = pre.map(f)
        df_c['proba'] = p
        df_c.head(10)</pre>
```

Out[44]:

	у	prob	proba
0	0	0.458521	0
1	0	0.505037	1
2	0	0.418652	0
3	0	0.412057	0
4	0	0.375579	0
5	0	0.595387	1
6	0	0.370288	0
7	0	0.299273	0
8	0	0.297000	0
9	0	0.266479	0

```
In [45]: def para(df c):
             tp=0
             tn=0
             fp=0
             fn=0
             for i in range(df_c.shape[0]):
                 if df_c['y'][i]==df_c['prob'][i]:
                     if df_c['y'][i]==1:
                         tp += 1
                     else:
                         tn += 1
                 else:
                     if df_c['y'][i]==1:
                         fn += 1
                     else:
                          fp += 1
             return(tp,tn,fp,fn)
```

```
In [46]:

def metric(df_c,uni):
    s = df_c['y'].value_counts()
    a = []
    for el in tqdm_notebook(uni):
        dx = df_c.copy()
        pre = dx['prob']
        f = lambda lst: partition(el,lst)
        h = pre.map(f)
        dx['prob'] = h
        tp,tn,fp,fn=para(dx)
        a.append(500*fn+100*fp)

return uni[a.index(min(a))],min(a)
```

```
In [47]: | df c = df c.sort values(by='prob',ascending=False)
         print(df c.head(10))
         uni = list(df c.prob.unique())
         uni.sort(reverse=True)
         print("----")
         for i in range(5):
             print(uni[i],'\n')
         print(len(uni))
         df c = pd.read csv("5 c.csv")
                      prob proba
               У
         2634 1 0.957747
         2548 1 0.951437
         2447 1 0.948638
         2788 1 0.944094
                                1
         2456 1 0.941113
                                1
         2469 1 0.921611
                                1
         2599 1 0.918113
                                1
         2515 1 0.916364
                                1
         2294 1 0.913375
                                1
         2702 1 0.913280
                                1
         0.9577467989277196
         0.9514369163158778
         0.9486377939984604
         0.9440936134070964
         0.9411131844327256
         2791
In [48]: low,b=metric(df c,uni)
         print("Threshold and the value of the min metric are as follows resp.")
         print(low,'\n',b)
         Threshold and the value of the min metric are as follows resp.
         0.2300390278970873
          141000
```

D. Compute performance metrics(for regression) for the given data 5 d.csv

Note 2: use pandas or numpy to read the data from 5 d.csv

Note 1: 5_d.csv will having two columns Y and predicted_Y both are real valued features

- 1. Compute Mean Square Error
- 2. Compute MAPE: https://www.youtube.com/watch?v=ly6ztgIkUxk
- 3. Compute R^2 error: https://en.wikipedia.org/wiki/Coefficient_of_determination#Definitions

```
In [52]: df_d.head()
```

Out[52]:

	у	pred	Y_differ
0	101.0	100.0	1.0
1	120.0	100.0	20.0
2	131.0	113.0	18.0
3	164.0	125.0	39.0
4	154.0	152.0	2.0

Mean square error (mse)

```
In [53]: mse=0
    for i in range(len(df_d.Y_differ)):
        mse=mse+((df_d.Y_differ[i])**2)
        MSE=(mse/len(df_d.Y_differ))
        print(MSE)
```

177.16569974554707

R-Square

```
In [54]: sum=0
    for i in range(len(df_d.y)): #calculating the sum of "y"
        sum=sum+df_d.y[i]

avg=sum/(len(df_d.y)) #calculating the average of "y"
        print(sum, '\n', avg) #printing the sum and avg values respectively

10463560.0
    66.56208651399491

In [55]: df_d['y_yavg'] = df_d.apply(lambda row:(row.y)-(avg),axis=1)#computing (y-y_Avg)
```

```
In [56]: df_d.head()
```

Out[56]:

	У	pred	Y_differ	y_yavg
0	101.0	100.0	1.0	34.437913
1	120.0	100.0	20.0	53.437913
2	131.0	113.0	18.0	64.437913
3	164.0	125.0	39.0	97.437913
4	154.0	152.0	2.0	87.437913

638161080.035662

0.9563582786990964

MAPE

In []:

```
In [58]:
         Sum=0
          for i in range(len(df_d.y)): #calculating the sum of "y"
              Sum=Sum+df_d.y[i]
          S0E=0
          for i in range(len(df_d.Y_differ)):
              SOE=SOE+abs(df_d.Y_differ[i])#sum of sq (y-y_pred)
          MAPE=(SOE/(Sum))#MAPe
          print(SOE)
          print(MAPE)
         1351058.0
          0.1291202994009687
         df d.head()
In [59]:
Out[59]:
                y pred Y_differ
                                  y_yavg
          0 101.0 100.0
                            1.0 34.437913
          1 120.0 100.0
                           20.0 53.437913
          2 131.0 113.0
                           18.0 64.437913
          3 164.0 125.0
                           39.0 97.437913
          4 154.0 152.0
                            2.0 87.437913
In [60]:
         ##reference
          #https://www.youtube.com/watch?v=9PbrWiLC-4k
          #https://www.geeksforgeeks.org/python-mean-squared-error/
          #https://stats.stackexchange.com/questions/58391/mean-absolute-percentage-error-mape-in-scikit-learn
          #https://stackoverflow.com/questions/893657/how-do-i-calculate-r-squared-using-python-and-numpy
```