

Word Size register

Program A	Program C	Program D	Program E	Program F	Program G
Mov DX,25665 Mov AH,2 Int 33 Mov DL,DH Int 33 Stop <hr/> Program B Mov CH,3 Mov CL,32 Mov DL,'P' Cmp CX,800 Jne L1 Mov DL,'Q' L1: Mov AH,2 Int 33 STOP	Mov CL,240 Mov CH,100 Add CL,20 Mov DL,'n' Jnc L1 Mov DL,'c' L1: Mov AH,2 Int 33 Mov DL,CH Int 33 STOP	Mov AH,1 Int 33 Mov AH,0 Mov CX,0 Mov BL,100 L1: Add CX,AX Sub BL,1 Cmp BL,0 JG L1 Mov AH,2 Mov DL,CH Int 33 Mov DL,CL Int 33 STOP	Mov AH,1 Int 33 Mov DX,20000 Mov AH,0 L1: Sub DX,AX Cmp DX,AX JGE L1 Mov AH,2 Int 33 STOP	Mov AH,1 Int 33 Mov DX,20000 L1: Sub DL,AL Sbb DH,0 Cmp DH,0 JA L1 Cmp DL,AL JAE L1 Mov AH,2 Int 33 STOP	.model small .data a dw 25650,51 b db 48,49,36 .code Mov AX,@data Mov DS,AX Lea DX,a Mov AH,9 Int 21h Mov AH,76 Int 21h

Program A: outputs Ad. $DX=25665 \Rightarrow DH=DX \div 256=100$ and $DL=DX \bmod 256=65$.

Program B: outputs Q. $CH=3$ and $CL=32 \Rightarrow CX=256*CH+CL=800$.

Program C: outputs cd. When `Add CL,20` is replaced by `ADD CX,20` then output is ne. $240+20=260$. Hence $CL=4$ and carry is true.

$CX=100*256+240=25840$. After addition it is $25840+20=25860=101*256+4$

Program D: reads a letter and finds 100 times of its ASCII code. The result is in CX. The program prints the letters whose ascii codes are in CH and CL respectively. Input g output (<. Since $g=103$ hence answer 10300. $CH=10300 \div 256=40[() CL=10300 \bmod 256=60[<]$. Alternatively AX can be thought as $256*AH+AL$.

In Mov, Add, Sub, Cmp etc. instructions either both registers should be word size or byte size. e.g. `Add AX,BL` is not allowed. However it can be done as `Mov BH,0 Add AX,BX` or `Add AL,BL` and `Adc AH,0`.

Program E: reads a letter and finds $20000 \bmod$ (ascii code of input). Input F output 2.

Program F: Same. Here JA is used in place of JG. Similarly JB and JL and equivalent. They are used for unsigned comparison.

If $AL+BL \geq 256$ then carry flag is set. If $AL < BL$ then flag is set in Sub AL,BL

$SBB AH, \alpha \equiv AH=AH-\alpha-1$. If carry flag is set Otherwise $AH=AH-\alpha$.

$ADC AH, \alpha \equiv AH=AH+\alpha+1$. If carry flag is set Otherwise $AH=AH+\alpha$.

Program G: Outputs 2d3 01. When `Mov a,25665` is put before `Mov AH,9` then o/p Ad3 01. `Mov a,53` \rightarrow 5 3 01 `Mov b,53` \rightarrow 2d3 51 `Mov b,25665` \rightarrow error. When `Lea BX,b` and `Mov [BX], byte ptr 53` \rightarrow 2d3 51. word ptr 53 \rightarrow 2d3 5. wordptr 25665 \rightarrow 2d3 Ad. `Lea BX,a` byte ptr 53 \rightarrow 5d3 01 word ptr 53 \rightarrow 5 3 01.

1. Read a letter and find $(2000 \div \text{ascii code of input})$. Input x=2 output '(' Reason: ascii codes of '2' and '(' are 50 and 40 respectively. I/p F o/p (ascii 28)
2. Read 10 letters and print the letter whose ascii code is the average of their ascii codes. Input dZAdZAFdfZ output W (ASCII 87). Hint: sum 872.
3. Read two letters and find the product of their ascii codes. Let the answer is in CX. Print CH and CL. $kx \rightarrow 2($. Since $k=107$ $x=120$ Result is $12840=50*256+40$.

4. Read two letters. Let their ascii codes be x and y respectively. The program finds $x+(x+1)+(x+2)+\dots+y$. Input 3E output (ascii 4)t. $51+52+\dots+69=1140=256*4+116$.
5. Read two letters and store them in CH and CL respectively. Print the letter whose ascii code is $CX \bmod 120$. 2a \rightarrow 9. Since $50*256+97=12897 \bmod 120=57$.
6. In above question find the smallest factor of CX.
7. Write a program, which reads five digits and stores the value of the number in CX. e.g. if input is 12897 and CH and CL are printed then the output will be 2a.
8. Read two letters and store them in CH and CL respectively. Print the contents of CX (in base 10) in reverse order. For above example Input 2a output 79821. [Caution: $CX \div 10$ will be more than 256, hence a word size register may be required].