

Equazione iniziale : $y' = \frac{t}{t^2 + 1} y$

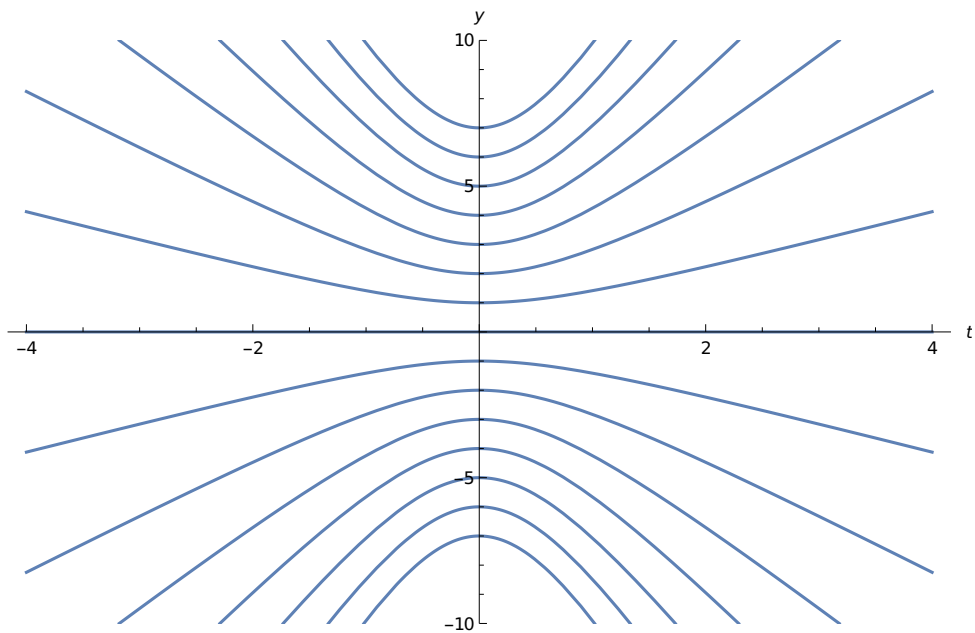
solution = DSolve[y'[t] == $\frac{t}{t^2 + 1} * y[t]$, y[t], t]

{ {y[t] → $\sqrt{1 + t^2} c_1$ } }

f[t_] = y[t] /. solution[[1]]

F[t_] = Table[f[t] /. c₁ → j, {j, -7, 7}]

Plot[F[t], {t, -4, 4}, AxesLabel → {t, y}, PlotRange → {-10, 10}]



Condizione data : $y(0) = 2$

cauchy = DSolve[{y'[t] == $\frac{t}{t^2 + 1} * y[t]$, y[0] == 2}, y[t], t]

{ {y[t] → $2 \sqrt{1 + t^2}$ } }

g[t_] = y[t] /. cauchy[[1]]

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Plot[g[t], {t, -4, 4}, AxesLabel → {t, y}, PlotRange → {-10, 10}]
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