#### **Add Two Polynomials Using Arrays**

Input:  $A[] = \{5, 0, 10, 6\}$   $B[] = \{1, 2, 4\}$ 

Output:  $sum[] = \{6, 2, 14, 6\}$ 

The first input array represents  $"5 + 0x^1 + 10x^2 + 6x^3"$ 

The second array represents " $1 + 2x^1 + 4x^2$ "

And Output is  $6 + 2x^1 + 14x^2 + 6x^3$ 

## **Polynomial (Array Representation)**

# •Advantages of using an Array:

- Only good for non-sparse polynomials.
- Ease of storage and retrieval.

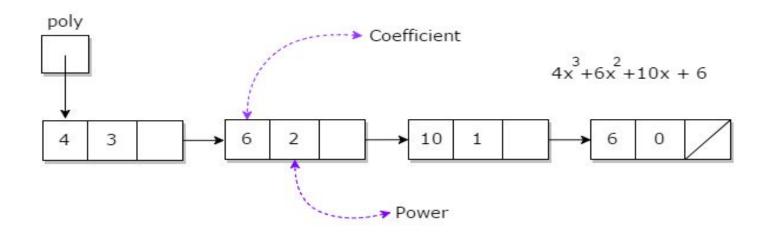
## •Disadvantages of using an Array:

- Have to allocate array size priorly.
- Huge array size required for sparse polynomials. Waste of space and runtime.

- A polynomial p(x) is the expression in variable x which is in the form  $(ax^n + bx^{n-1} + .... + jx + k)$ , where a, b, c ...., k fall in the category of real numbers and 'n' is non negative integer, which is called the degree of polynomial.
- An essential characteristic of the polynomial is that each term in the polynomial expression consists of two parts:
  - one is the coefficient
  - other is the exponent
- Example:
  - $10x^2 + 26x$ ,
    - here 10 and 26 are coefficients and 2, 1 is its exponential value.

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- Points to keep in Mind while working with Polynomials:
- The sign of each coefficient and exponent is stored within the coefficient and the exponent itself
- Additional terms having equal exponent is possible one
- The storage allocation for each term in the polynomial must be done in ascending and descending order of their exponent



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- Addition of polynomial
  - 1) Input: 1st number =  $5x^2 + 4x^1 + 2x^0$

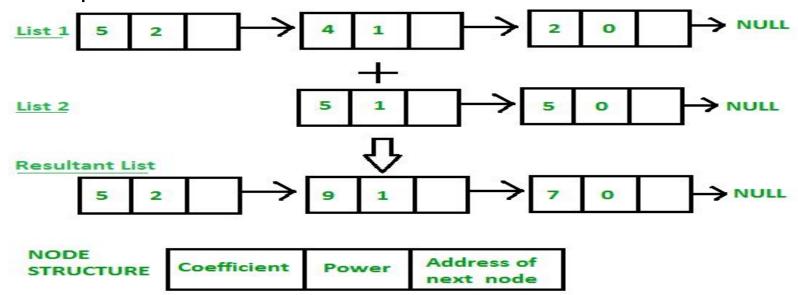
2nd number =  $5x^1 + 5x^0$ 

Output:  $5x^2-1x^1-3x^0$ 

2) Input: 1st number =  $5x^3 + 4x^2 + 2x^0$ 

2nd number =  $5x^1 - 5x^0$ 

Output:  $5x^3 + 4x^2 + 5x^1 - 3x^0$ 



Subtraction of polynomial

Input: 1st number =  $5x^2 + 4x^1 + 2x^0$ 

2nd number =  $5x^1 + 5x^0$ 

Output:  $5x^2 + 9x^1 + 7x^0$ 

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#### Multiplication of polynomial

**Input:** Poly1:  $3x^2 + 5x^1 + 6$ , Poly2:  $6x^1 + 8$ 

**Output:**  $18x^3 + 54x^2 + 76x^1 + 48$ 

