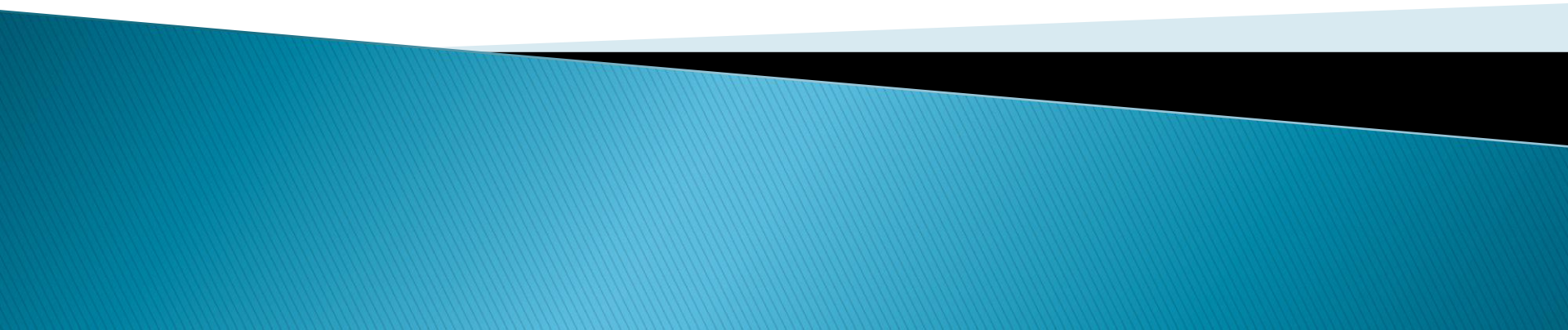


Neural Network Laboratory Work – 3

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Multi-Layer Perceptron

- ▶ A **multilayer perceptron** (MLP) is a class of feedforward **neural network** .
- ▶ MLP utilizes a supervised learning technique called **backpropagation** for training.
- ▶ Its multiple layers and non-linear activation separates **Multilayer perceptron** from a linear **perceptron**.
- ▶ It can distinguish data that is not linearly separable.

Multi Layer Perceptron Layers

- ▶ An **MLP** consists of at least three layers of nodes:
 - ▶ an input layer,
 - ▶ a hidden layer
 - ▶ an output layer.
- ▶ Except for the input nodes, each node is a **neuron** that uses a nonlinear activation function
- ▶ **Nonlinear activation function** – They allow the model to create complex mappings between the network's inputs and outputs

Adding Linear Transfer Function

- ▶ `def linear(x):`
 `return x`
- ▶ `def d_linear(x):`
 `return(x)`
- ▶ `class Layer:`
 `activationFunctions = {`
 `'tanh': (tanh, d_tanh),`
 `'sigmoid': (sigmoid, d_sigmoid),`
 `'relu': (relu, d_relu),`
 `'linear': (linear, d_linear)`
 `}`

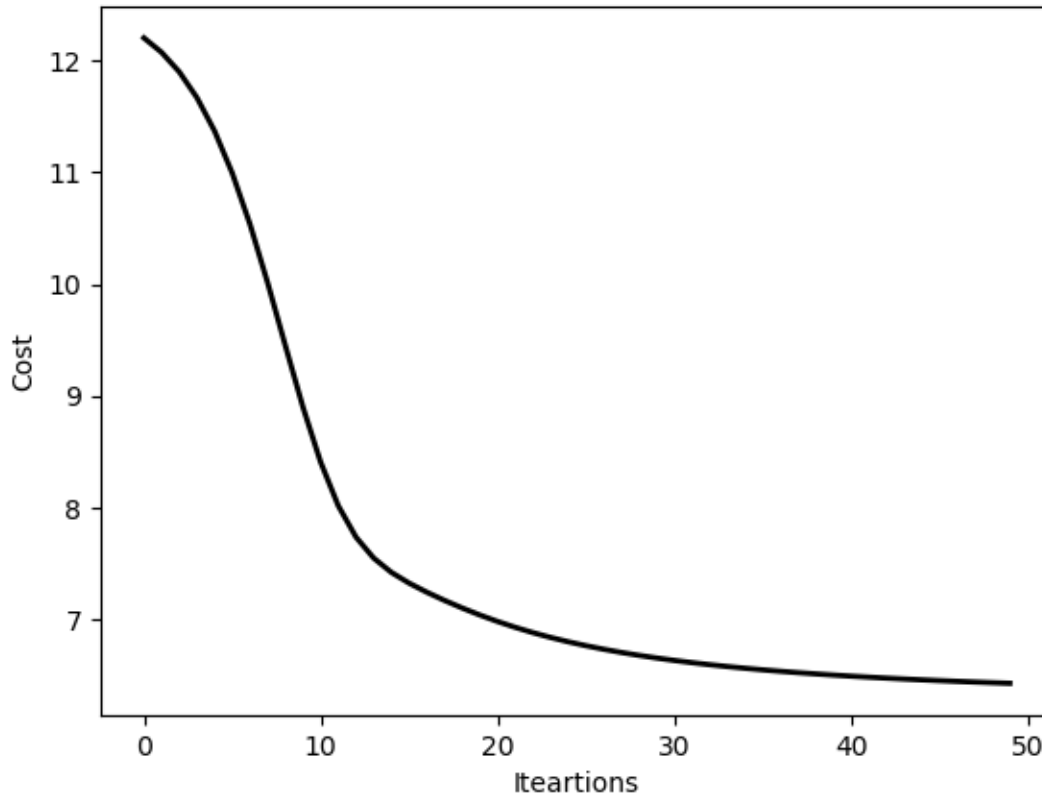
Linear Transfer & Sigmoid Function

- ▶ Learning Speed - 0.6
- ▶ Iteration / epoch - An **iteration** is a measure of the number of times all of the training vectors are used once to update the weights.
- ▶ Epochs defined in this experiment - 50
- ▶ Sigmoid Transfer Function - It was used between the hidden and output layers. For computing the variation in weight values between the hidden and output layers
- ▶ it exists between (0 to 1).
- ▶ Sigmoid Function - $1 / (1 + \exp(-x))$ (Scales the value from 0 to 1)

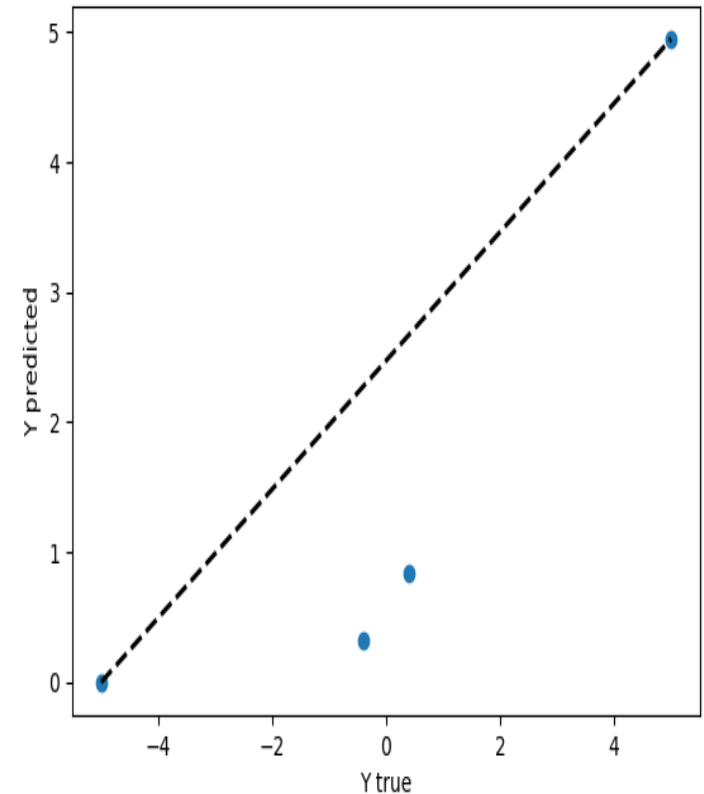
Linear Transfer VS Sigmoid

- ▶ Pearsons correlation: 0.880, p value 0.120
- ▶ MSE: 6.430
- ▶ RMSE: 2.536

Training



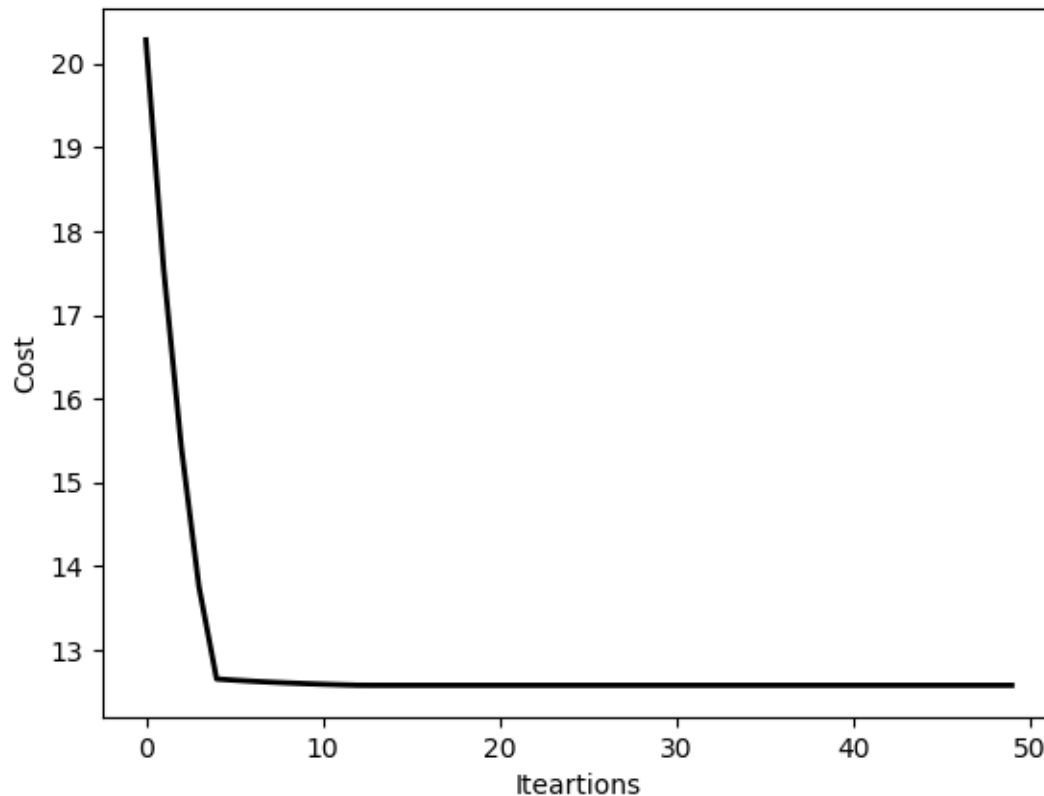
Scatter plot of prediction



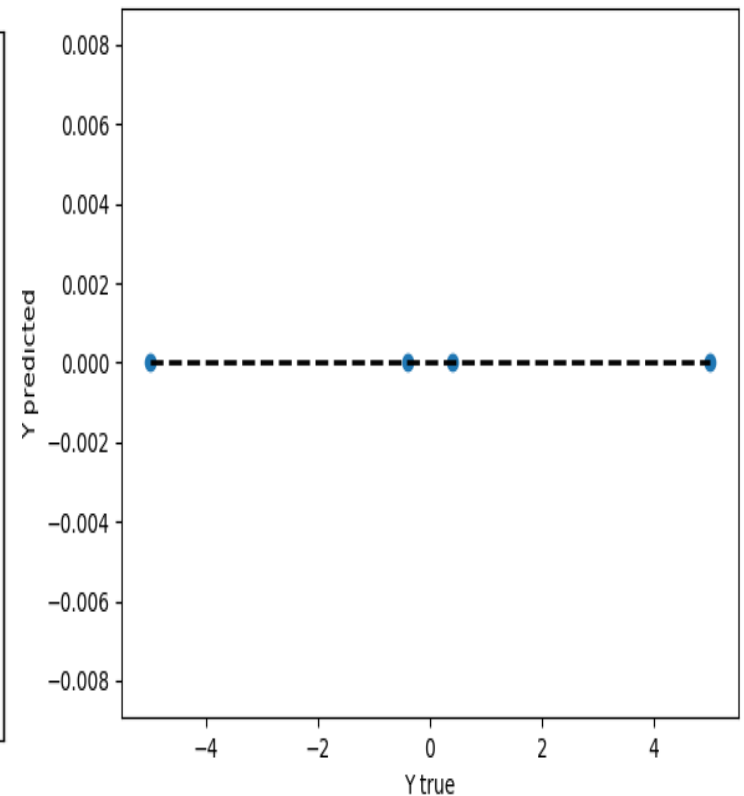
Sigmoid Transfer VS ReLu

- ▶ Pearsons correlation: nan, p value nan
- ▶ MSE: 12.580
- ▶ RMSE: 3.547

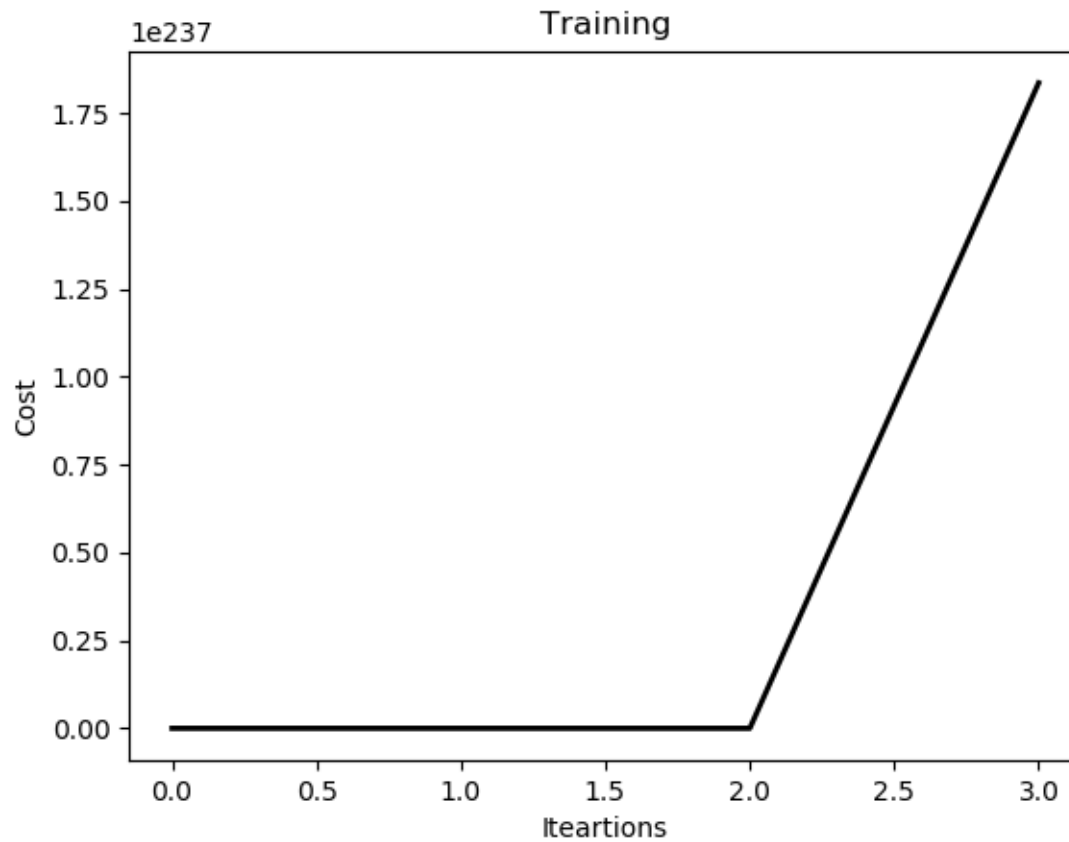
Training



Scatter plot of prediction



Linear Transfer Function



Task - 2 and 3

Selection of Neurons in Hidden Layer

- ▶ The number of hidden nodes should be less than twice the size of the nodes in the input layer.
- ▶ The number of hidden nodes should be $2/3$ the size of input nodes, plus the size of the output node.
- ▶ For this experiment, the input layer is 18. Then the hidden nodes should be less than ($\text{Input_Layer} < 36$)
- ▶ Number of hidden Nodes used = $\text{absolute_Value}(18 * 2/3 + 1) = 13$

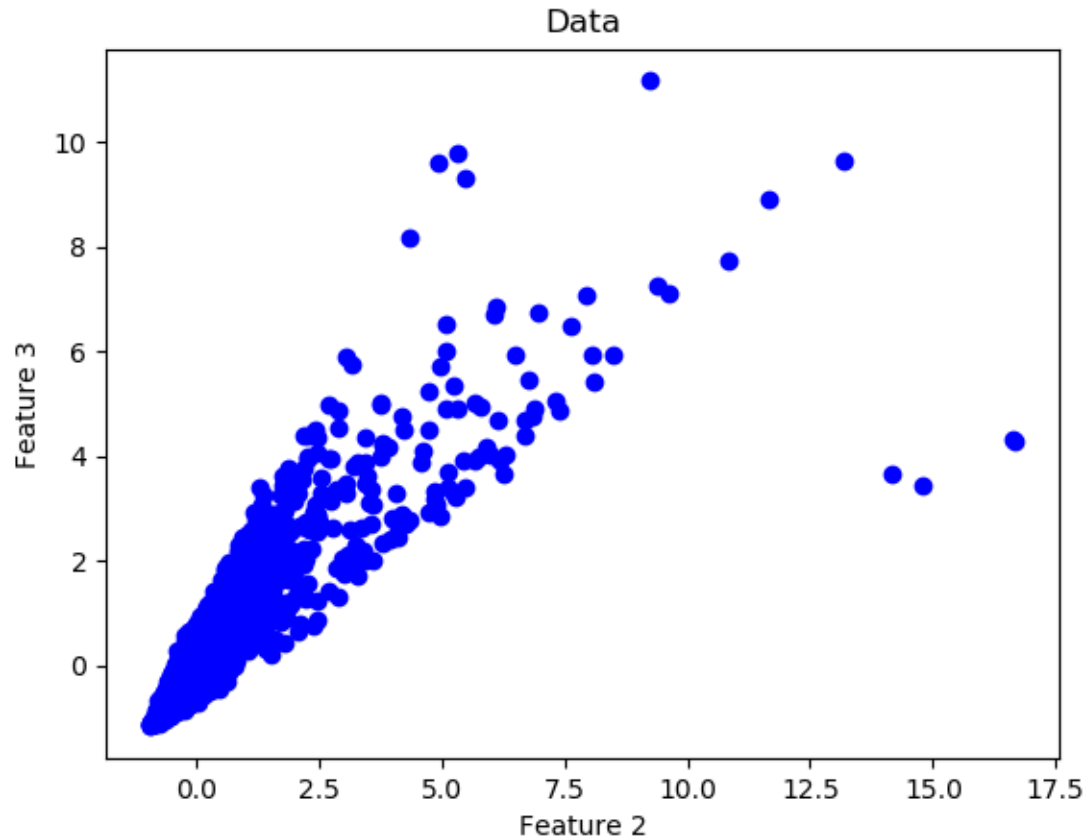
RMSE and MSE Calculation

- ▶ `def mse(y, a):`
 `return (y - a)**2`
- ▶ `def d_mse(y, a):`
 `return -2 * (y - a)`
- ▶ $MSE = \text{sum}((\text{actual_output} - \text{self.target})^2) / N$ (i.e, Actual Output - Target)
- ▶ $RMSE = \text{Sqrt}(\text{sum}(\text{Target} - \text{ActualOutput})^2) / N$
- ▶ **Root-mean-square error (RMSE)** is used to measure the differences between values predicted by a model and the values observed.
- ▶ The Pearson **correlation coefficient** can be used to summarize the strength of the linear relationship between two data samples.
- ▶ The Pearson's **correlation coefficient** is calculated as the covariance of the two variables divided by the product of the standard deviation of each data **sample**.

Parkinson – RMSE,MSE, Correlation

- ▶ Motor deterioration progression MSE: 1.452
- ▶ Motor deterioration progression RMSE: 1.205
- ▶ MSE for general deterioration progression : 1.379
- ▶ RMSE for general deterioration progression: 1.174
- ▶ **Pearsons correlation for motor deterioration progression : 0.274, p value 0.095**
(correlation = `pearsonr(x.ravel(), y2.ravel())`)
- ▶ **Pearsons correlation for general deterioration: 0.310, p value 0.112**(correlation = `pearsonr(x.ravel(), y1.ravel())`)
- ▶ Data: patients ill with Parkinson Disease
- ▶ Number of input patients: 5875
- ▶ Number of input features: 18

Scatter Plot for the Predicted Values



Thank you



Any Queries?