

Announcements for Thursday, 19SEP2024

- Conflicts with Exam 1 on Tuesday, 01OCT2024, 7:45 – 9:05 PM
 - Due by **Friday, 20SEP2024, 11:59 PM (EDT)**
 - See Canvas Announcement from 16SEP2024 for more details
- Week 3 Homework Assignments available on Canvas/eLearning
 - Graded and Timed Quiz 3 – “Atoms” due **Monday, 23SEP2024, at 6:00 PM (EDT)**
 - **Readiness Assessment is re-opened; Final Deadline of Thursday, 19SEP2024, at 11:59 PM (EDT)**
 - *Metacognition* Digital Badge Assignment due **Friday, 20SEP2024, at 11:59 PM (EDT)**
- Teaching Intern (TI) Problem-Solving Sessions and Office Hours Begin This Week
 - Check “TIs’ schedule” page on Canvas for more information
- Any **TECHNICAL ISSUES** associated with eLearning (quizzes, practice assignments, etc.) must be reported to **eLearning Tech Support**
(<https://techsupport.elearning.rutgers.edu>)

ANY GENERAL QUESTIONS? Feel free to see me after class!

Try This On Your Own

What is the total energy of 2 dozen photons having a wavelength = 523.4 nm?

$$2 \text{ dozen photons} \times \frac{12 \text{ photons}}{1 \text{ dozen photons}} = 24 \text{ photons} \qquad \lambda = 523.4 \text{ nm} \times \frac{1 \text{ m}}{10^9 \text{ nm}} = 5.234 \times 10^{-7} \text{ m}$$

$$\text{Energy of a single photon} = h\nu = \frac{hc}{\lambda} = \frac{(6.626 \times 10^{-34} \text{ J} \cdot \text{s})(2.998 \times 10^8 \text{ m/s})}{(5.234 \times 10^{-7} \text{ m})} = 3.795 \times 10^{-19} \text{ J/photon}$$

$$\text{Energy of 24 photons: } 24 \text{ photons} \times \frac{3.795 \times 10^{-19} \text{ J}}{1 \text{ photon}} = 9.109 \times 10^{-18} \text{ J}$$

Try These On Your Own

- In 1.0 s, a certain lamp gives out 25 J of energy in the form of yellow light of wavelength 580. nm. How many photons of yellow light does the lamp generate in 1.0 s? **7.30×10^{19} photons**
- What is the wavelength (nm) of light that has an energy content of 487 kJ/mol photons? **246 nm**
- The photoelectric effect for mercury is observed when the energy of the photon is not less than 7.25×10^{-19} J.
 - What is the maximum wavelength of light (nm) that causes the photoelectric effect in mercury? **274 nm**
- The threshold energy of lithium metal is 4.65×10^{-19} J. Upon irradiation, an electron is ejected from the surface of lithium with a kinetic energy of 2.00×10^{-19} J. Calculate the energy of light used to irradiate the lithium metal. **6.65×10^{-19} J**

Try This On Your Own

The electron in the hydrogen atom undergoes a transition from $n = 4$ to $n = 2$. Determine the wavelength of the photon (nm) associated with this transition and determine if the photon is absorbed or released.

$$\Delta E = h\nu = \frac{hc}{\lambda} = -2.179 \times 10^{-18} \text{ J} \left(\frac{1}{n_f^2} - \frac{1}{n_i^2} \right) \quad n_{\text{final}} = 2 \quad n_{\text{initial}} = 4$$
$$\frac{hc}{\lambda} = -2.179 \times 10^{-18} \text{ J} \left(\frac{1}{2^2} - \frac{1}{4^2} \right) = -4.086 \times 10^{-19} \text{ J}$$

↖ photon released

$$\lambda = \frac{(6.626 \times 10^{-34} \text{ Js})(2.998 \times 10^8 \text{ m/s})}{4.086 \times 10^{-19} \text{ J}} = 4.862 \times 10^{-7} \text{ m}$$

$$\lambda = 4.862 \times 10^{-7} \text{ m} \times \frac{10^9 \text{ nm}}{1 \text{ m}} = 486.2 \text{ nm released}$$

Atomic Orbitals: Where Electrons Live

- it turns out there is more to the arrangement of electrons than just Bohr's principal energy levels (values of n)
- **atomic orbital** = a region of space around the atom's nucleus where there is a high probability of finding an electron
 - **atomic orbitals are actually mathematical constructs that result from treating electrons as waves**
- every atomic orbital in an atom is specified by a group of three numbers (called quantum numbers) that designate different properties of the orbitals such as energy, size, shape, and orientation in space
 - a fourth quantum number designates a particular electron in a particular orbital
- think of the first three quantum numbers as designating the address of every electron (like the town, the street, and the house number of each electron)
 - the town = the principal/main energy level
 - the street = a particular subshell of the main energy level
 - the house = a particular orbital of a subshell of a main energy level
- all electrons in an atom reside in a particular principal energy level, in a particular subshell, and in a particular orbital
 - only two electrons can reside in a given atomic orbital (more to come)

Quantum Numbers: What they are and what they tell us

- **principal quantum number (n)**

- possible values: positive whole numbers where $n = 1, 2, 3...$
- designates the principal energy level (the town)
 - it's the same as Bohr's energy levels
 - also tells you how many subshells compose the energy level
 - as the value of n increases, more subshells make up the energy level
- the higher the value of n
 - the further away from the nucleus the electrons are
 - the higher the energy of the electrons in the energy level

Quantum Numbers: What they are and what they tell us

- **angular momentum quantum number (ℓ)**

- possible values depend on first specifying a value of n
- ℓ = integer values and zero ranging from 0 to $n-1$

Value of l	Letter Designation
$l = 0$	s
$l = 1$	p
$l = 2$	d
$l = 3$	f

© 2018 Pearson Education, Inc.

- designates a specific subshell within a principal energy level (the street) and designates the shapes of the orbitals within the subshell
 - when $\ell = 0$, the subshell is called the s-subshell with an s-orbital (shapes to come)
 - when $\ell = 1$, the subshell is called the p-subshell with p-orbitals (shapes to come)
 - when $\ell = 2$, the subshell is called the d-subshell with d-orbitals (shapes to come)
 - when $\ell = 3$, the subshell is called the f-subshell with f-orbitals (shapes to come)
- all principal energy levels have an s-subshell
- p-subshells don't occur until the $n = 2$ principal energy level
- d-subshells don't occur until the $n = 3$ principal energy level
- f-subshells don't occur until the $n = 4$ principal energy level

Quantum Numbers: What they are and what they tell us

- **magnetic quantum number (m_ℓ)**

- possible values depends on first specifying a value of n **and** ℓ
 - possible values: positive and negative whole numbers (and zero) where m_ℓ ranges from $+\ell$ to 0 to $-\ell$
-
- designates a specific orientation in space of the atomic orbital (the house)
-
- the number of m_ℓ values for a specific value of ℓ gives the number of individual atomic orbitals composing the subshell
 - for $\ell = 0$, m_ℓ can only = 0. **one** m_ℓ value \rightarrow only **one orbital** makes up the s-subshell
 - for $\ell = 1$, $m_\ell = +1, 0$, and -1 . **three** m_ℓ values means **three different orbitals** make up the p-subshell
 - for $\ell = 2$, $m_\ell = +2, +1, 0, -1$, and -2 . **five** m_ℓ values means **five different orbitals** make up the d-subshell
 - for $\ell = 3$, $m_\ell = +3, +2, +1, 0, -1, -2$, and -3 . **seven** m_ℓ values means **seven different orbitals** make up the f-subshell

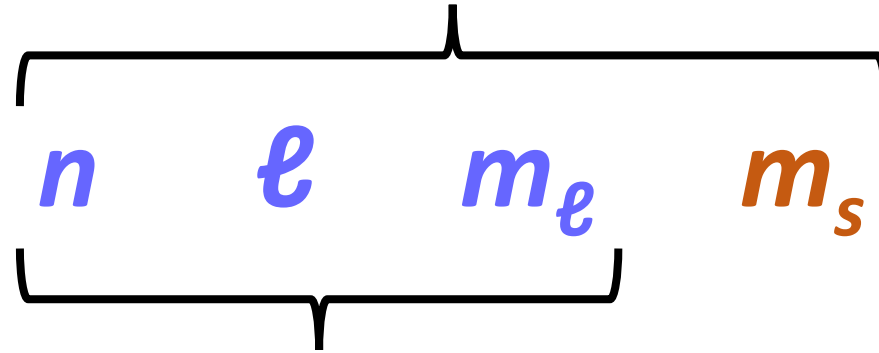
Quantum Numbers: What they are and what they tell us

- magnetic spin number (m_s)

- only two possible values: $m_s = \pm 1/2$
- designates the spins **of the electrons** in an orbital
 - spin up vs. spin down or clockwise vs. counter-clockwise
 - if two electrons are sharing the same atomic orbital, the electrons have the same values of n , ℓ , and m_ℓ
 - BUT the electrons MUST have different m_s values ($m_s = + 1/2$ or $m_s = - 1/2$)
 - we'll come back to this in Chapter 3

Atomic Orbitals and Quantum Numbers

designates a **particular electron**
in the **atomic orbital**



designates a particular
atomic orbital

To Sum Up Quantum Numbers n , ℓ , and m_ℓ

principal energy levels (n)



subshells (ℓ)

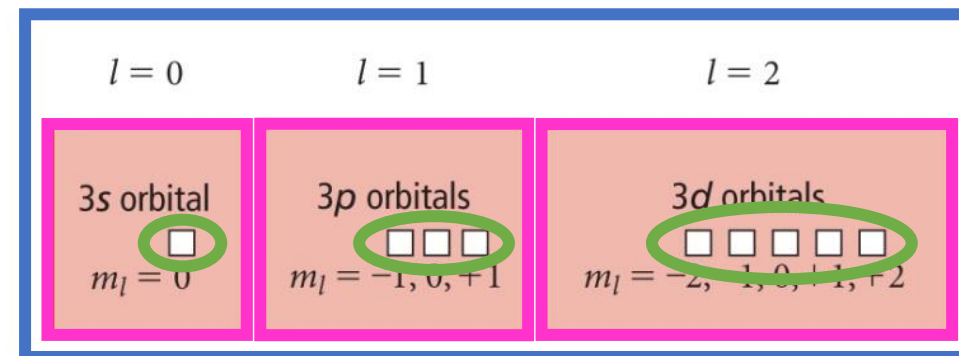


individual orbitals (m_ℓ)

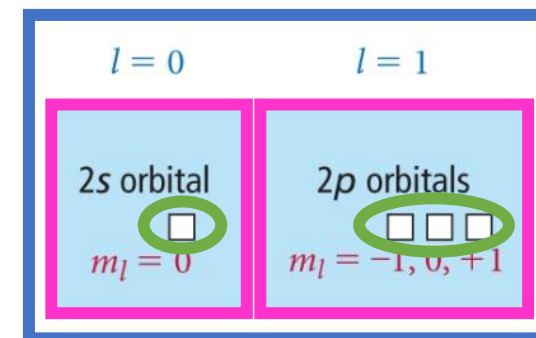
Principal level
(specified by n)

Sublevel
(specified by ℓ)

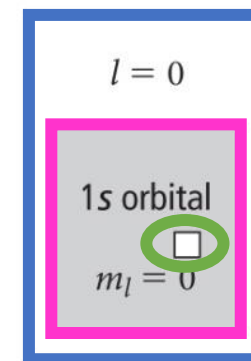
$n = 3$



$n = 2$



$n = 1$



Practical skills related to quantum numbers

- if given a set of quantum numbers, you should be able to identify the principal energy level, the sublevel, and the atomic orbital
 - for example, which orbital is designated by $n = 5$, $\ell = 3$, and $m_\ell = -2$

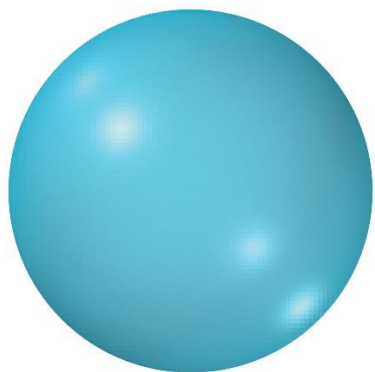
It's a 5f orbital

- you should be able to determine if a given set of quantum numbers is possible or not
 - for example is the following set possible? $n = 2$, $\ell = 2$, $m_\ell = 0$, and $m_s = +\frac{1}{2}$ why/why not?

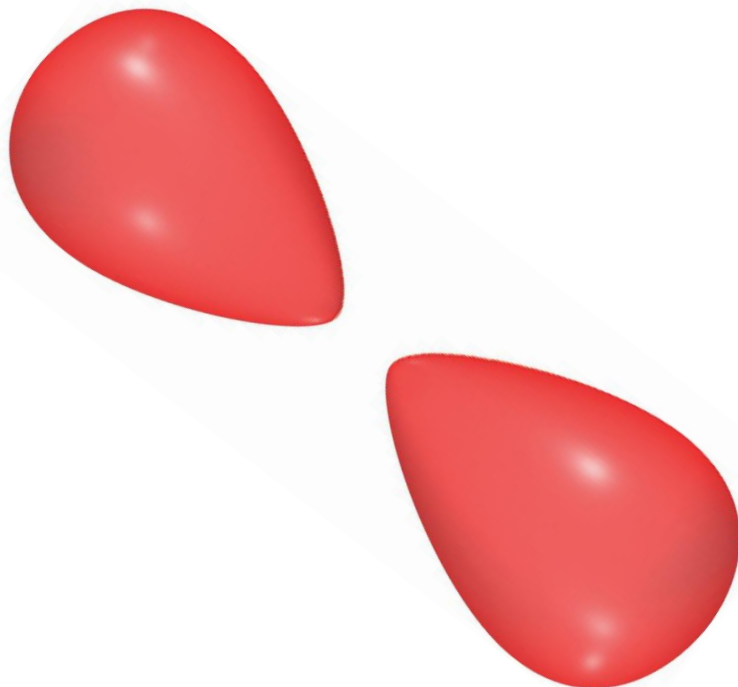
No, the ℓ value is not possible based on the value of n

For Next Lecture: Write down the all the possible n , ℓ , m_ℓ designations for the orbitals composing the **fourth principal energy level**. Answers given next lecture.

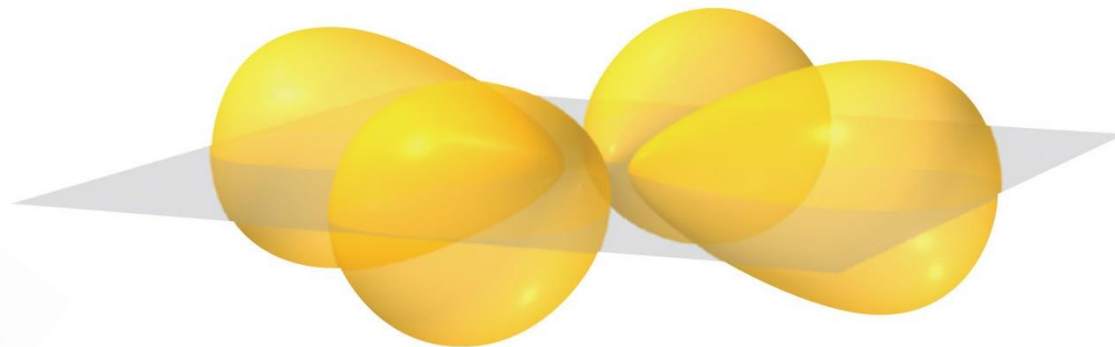
Shapes of Atomic Orbitals



© 2018 Pearson Education, Inc.



© 2018 Pearson Education, Inc.



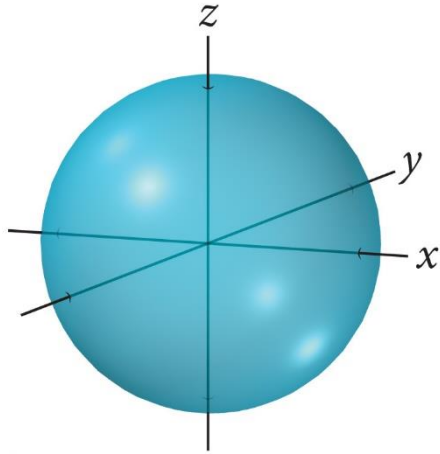
© 2018 Pearson Education, Inc.

Why are the shapes of atomic orbitals important?

- the shapes and orientations of orbitals around an atom will impact the **shapes of molecules**
 - shapes of molecules impact many important physical and chemical properties
- the shapes of the orbitals also impact the types of bonds the orbitals can make
 - sigma vs. pi bonds (Chapter 6)

s-orbitals and p-orbitals

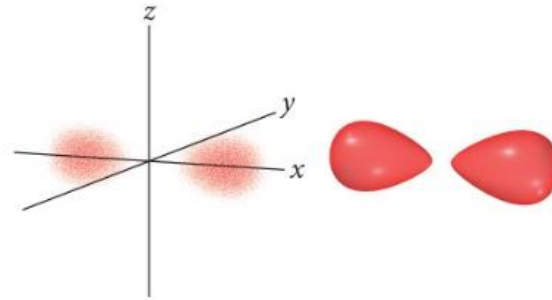
1s orbital surface



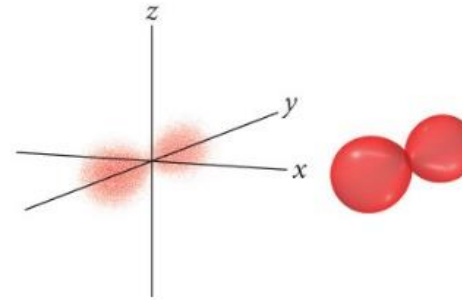
© 2018 Pearson Education, Inc.

- $\ell = 0, m_\ell = 0$
- only one 3-D orientation in space
- 2s, 3s, 4s orbitals... are larger and contain nodes

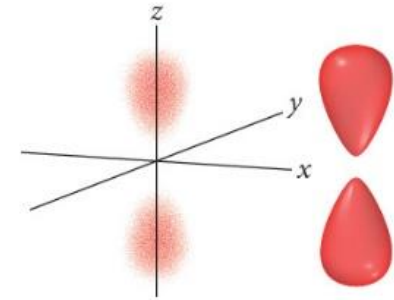
p_x orbital



p_y orbital



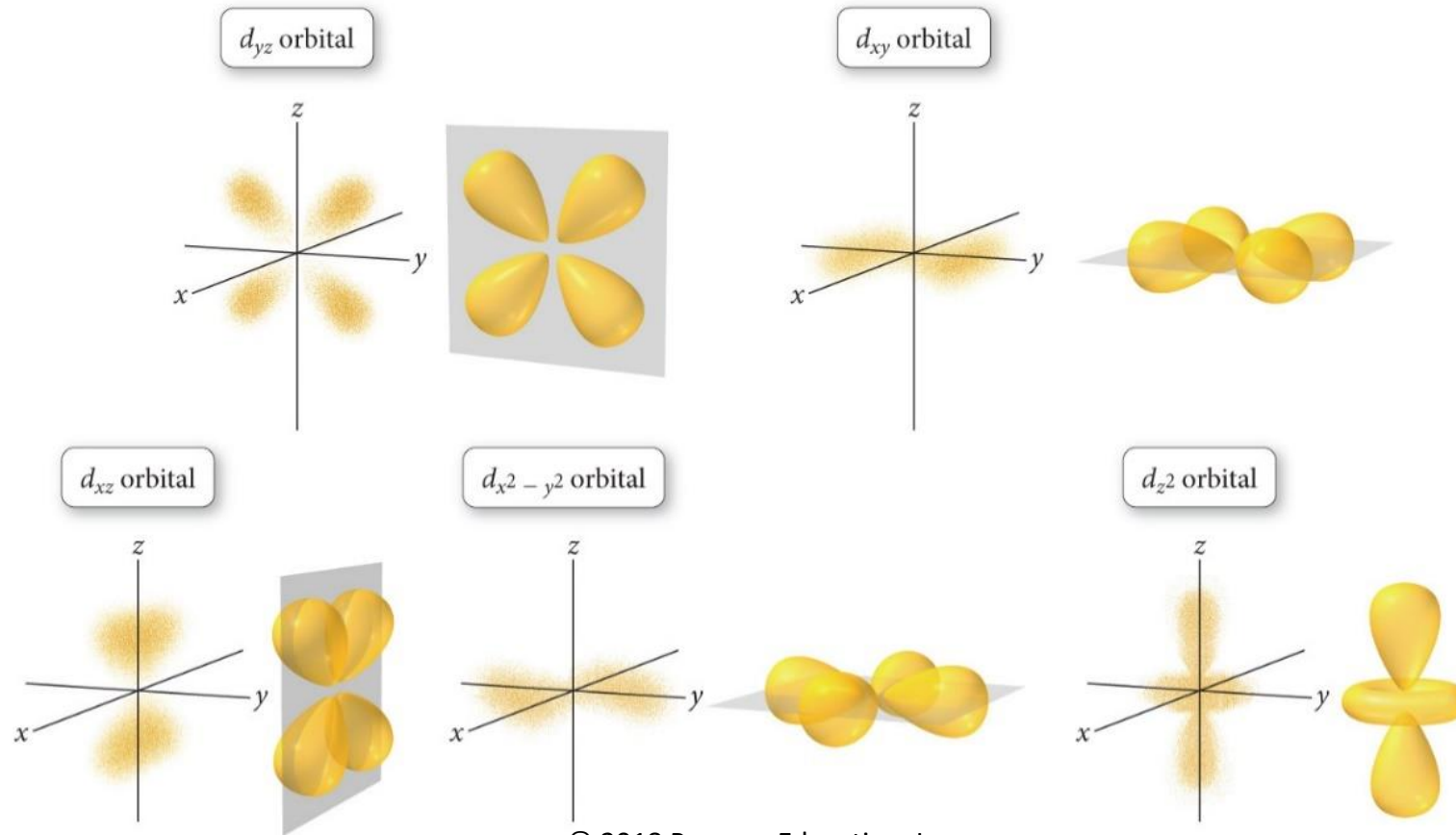
p_z orbital



© 2018 Pearson Education, Inc.

- $\ell = 1, m_\ell = +1, 0, -1$
- three orientations in space
- lobes align parallel to an x-, y- or z-axis
- two lobes = 1 orbital

d-orbitals

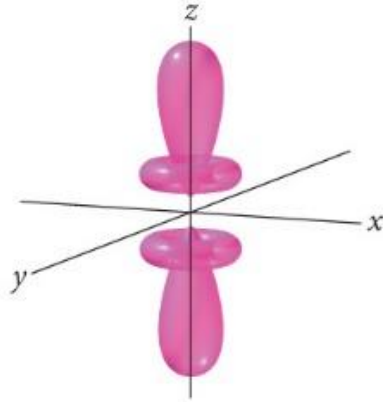


© 2018 Pearson Education, Inc.

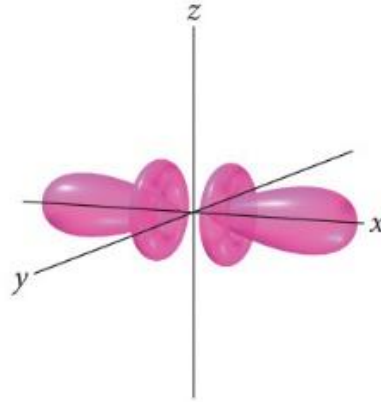
- $\ell = 2, m_\ell = +2, +1, 0, -1, -2$
- 5 orientations in space
- lobes oriented parallel along two different axes (planes)
- four lobes or two lobes + donut = 1 orbital
- don't memorize the names

f-orbitals

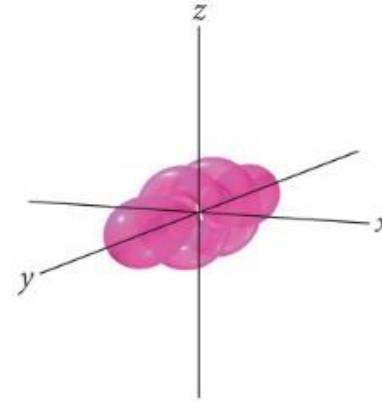
$$f_{z^3 - \frac{3}{5}zr^2} \text{ orbital}$$



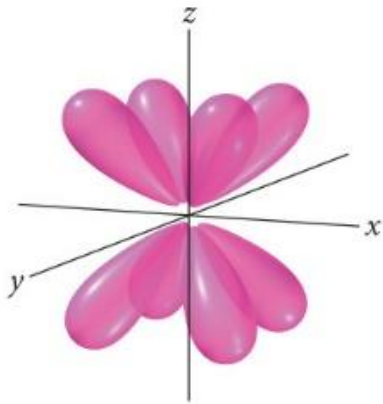
$$f_{x^3 - \frac{3}{5}xr^2} \text{ orbital}$$



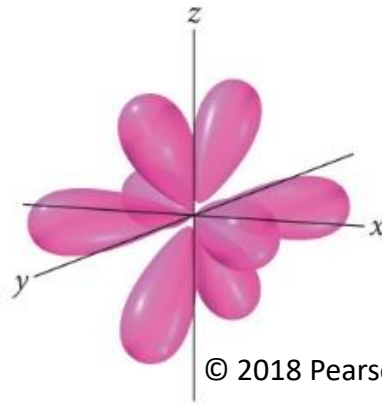
$$f_{y^3 - \frac{3}{5}yr^2} \text{ orbital}$$



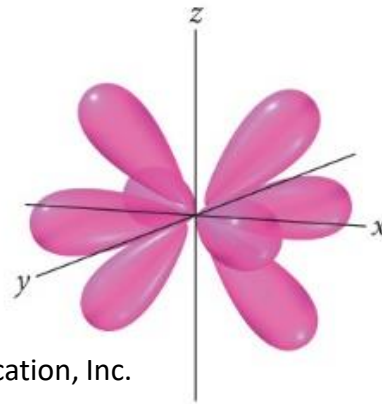
$$f_{xyz} \text{ orbital}$$



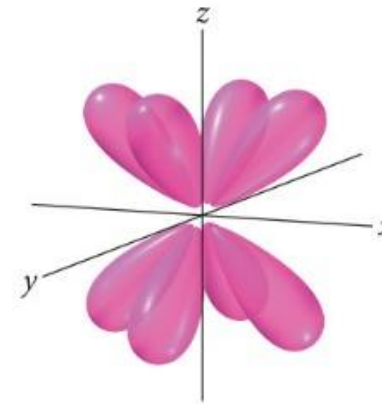
$$f_{y(x^2 - z^2)} \text{ orbital}$$



$$f_{x(z^2 - y^2)} \text{ orbital}$$



$$f_{z(x^2 - y^2)} \text{ orbital}$$



© 2018 Pearson Education, Inc.

- $\ell = 3, m_\ell = +3, +2, +1, 0, -1, -2, -3$
- 7 orientations in space

Orbital Arrangement Around the Nucleus

