

Announcements for Thursday, 21NOV2024

- Week 12 Homework Assignments available on eLearning
 - Graded and Timed Quiz 11 – “Thermochemistry” due **Monday, 25NOV2024, at 6:00 PM (EST)**
- **Next Week: Changes in Designation of Class Days**
 - There **WILL** be recitations next week
 - Monday, 25NOV2024, is Monday Classes
 - Tuesday, 26NOV2024, is ***Thursday Classes***
 - Wednesday, 27NOV2024, is ***Friday Classes***
- Thanksgiving Break
 - Thursday, 28NOV2024 – Sunday, 01DEC2024
 - No classes for the entire university
- Students requiring **ODS accommodations** for Exam 3 and the Final Exam
 - Monday, 25NOV2024, is the deadline to submit requests for final exams and all remaining exams for the Fall semester

ANY GENERAL QUESTIONS? Feel free to see me after class!

4 Basic Gas Properties

- any gaseous sample can be completely described by giving values for

1. pressure (P)

- usually in atm, torr, or mmHg

2. volume (V)

- usually in L or mL

3. amount (n)

- usually in moles

4. temperature

- usually in °C but **must** be converted into Kelvin for calculations

★ these properties are interrelated

- changing one property affects the others

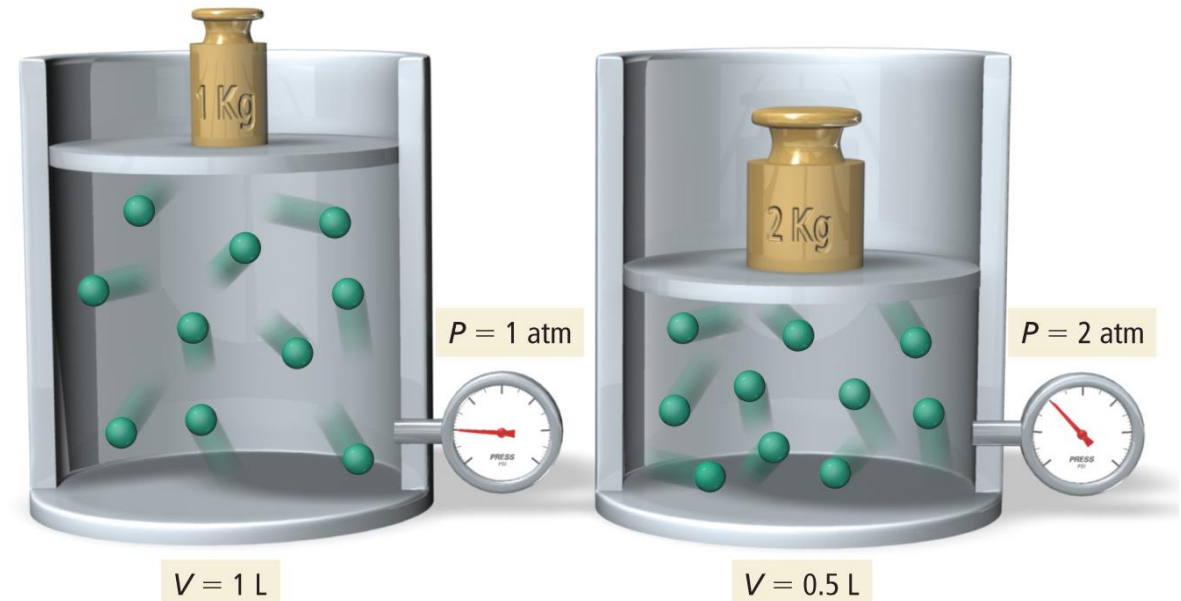
HOW are these properties mathematically related?

Gas Properties: Pressure vs. Volume

- at constant temperature and amount

$$P \propto \frac{1}{V} \text{ (Boyles's law)}$$

- decreased volume = shorter distances travelled by gas particles = more frequent collisions with walls = greater pressure



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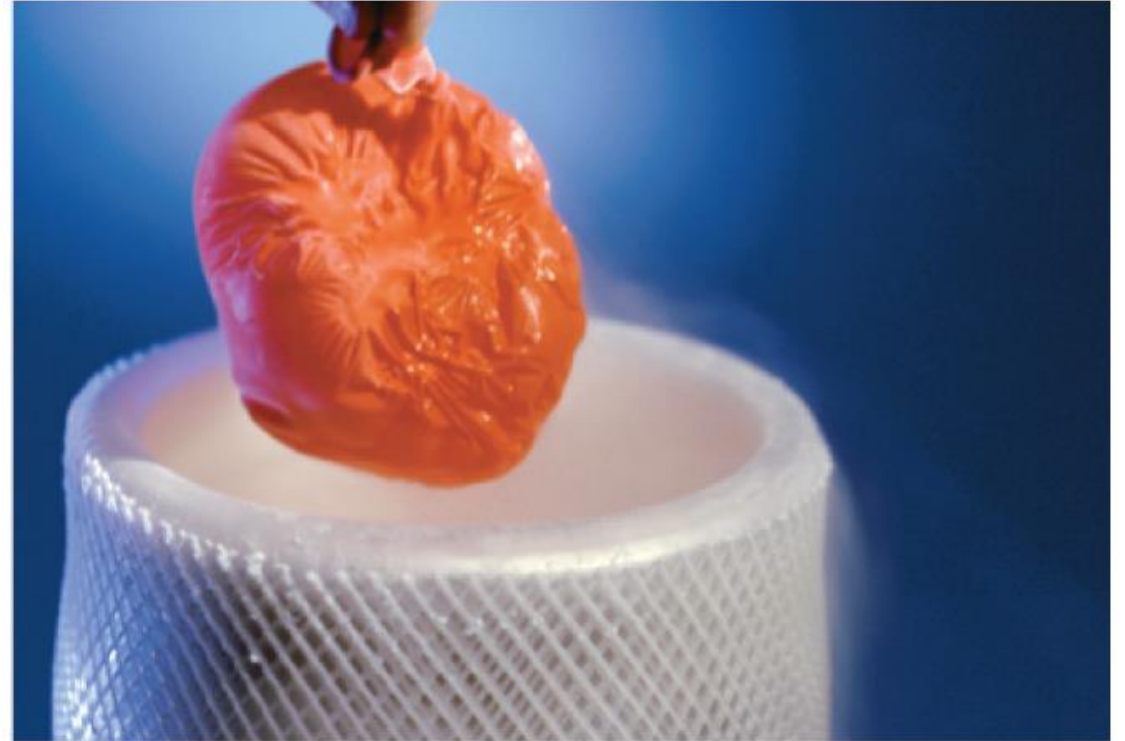
$$P_1V_1 = P_2V_2 \text{ (constant } T, n)$$

Gas Properties: Volume vs. Temperature

- at constant pressure and amount

$$V \propto T \text{ (Charles's law)}$$

- decreased temperature = slower particles = less frequent collisions with walls = lower pressure would result so volume must contract to keep pressure constant



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$$\frac{V_1}{T_1} = \frac{V_2}{T_2} \text{ (constant P, n)}$$

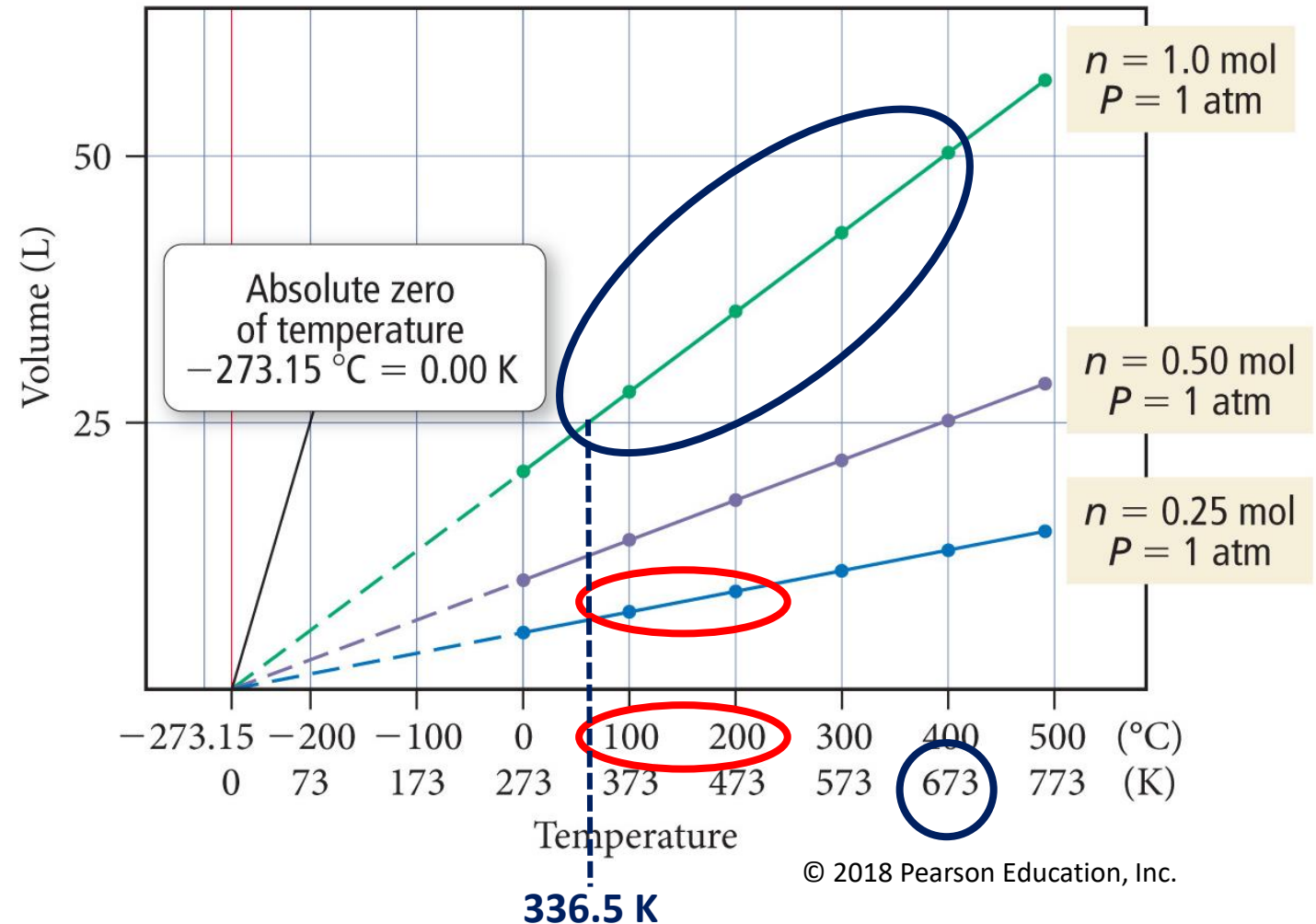
TEMPERATURE MUST BE IN KELVIN!! $K = ^\circ C + 273.15$

Why Kelvin?

V is *directly proportional* to T **only when temperature is in Kelvin**

Doubling T ($^{\circ}\text{C}$) does NOT double the volume

Doubling T (K) DOES double the volume



Gas Properties: Volume vs. Amount

- at constant pressure and temperature

$$V \propto n \text{ (Avogadro's law)}$$

- increased amount = more particles to occupy more space = greater volume

$$\frac{V_1}{n_1} = \frac{V_2}{n_2} \text{ (constant P, T)}$$



Gas Properties: Pressure vs. Temperature

- at constant volume and amount
 - $P \propto T$ (Amonton's law)
 - book refers to it as Gay-Lussac's law
- increased temperature = faster particles = more frequent collisions with walls = greater pressure

$$\frac{P_1}{T_1} = \frac{P_2}{T_2} \text{ (constant } V, n)$$

TEMPERATURE MUST BE IN KELVIN!! $K = ^\circ C + 273.15$



The Combined Gas Law

- not expressly covered in the book
- the simple gas laws can be combined into one

$$\frac{P_1 V_1}{n_1 T_1} = \frac{P_2 V_2}{n_2 T_2} \quad (T \text{ in Kelvin})$$

- when properties are constant for a given scenario, they cancel out of the equation to give one of the simpler gas laws

Try These On Your Own

- A deep-sea diver exhales a 15.0-mL bubble of air at a depth where the pressure is 12.0 atm and the temperature is 8.0 °C. What is the volume of the bubble at the surface, where the atmospheric pressure is 770 torr and the temperature is 20.0 °C?
- A sample of gas at 100 °C and 1.05 atm occupies a volume of 825 mL. To what temperature must the gas be brought so that it occupies a volume of 1.50 L at 0.985 atm?
- A 10.00-g sample of $\text{CH}_4(\text{g})$ initially at a pressure of 888 Torr and occupying a rigid container with a constant volume is heated from 62 °C to 458 °C. What mass of methane needs to be removed to maintain a constant pressure within the container?

The Ideal Gas Law

recall that $\frac{PV}{nT} = \text{constant}$

when a gas behaves **ideally** (?!?), this constant has a special name and value

- R = the ideal gas constant
 - really important constant; will be showing up in many equations

$$PV = nRT \text{ (the ideal gas law)}$$

where R =

- 0.08206 L·atm/mol·K
- 8.3145 J/mol·K
- other values possible based on units of V and P

The Ideal Gas Law (continued)

- used to calculate a gas property knowing the other three variables

What volume (in L) is occupied by 2.50 mol He(g) when it is at 298 K and 0.955 atm? Assume ideal behavior.

$$PV = nRT \Rightarrow V = \frac{nRT}{P}$$

$$V = \frac{(2.50 \text{ mol})\left(0.08206 \frac{\text{L}\cdot\text{atm}}{\text{mol}\cdot\text{K}}\right)(298 \text{ K})}{0.955 \text{ atm}} = \mathbf{64.0 \text{ L}}$$

- all the simpler gas laws are contained within $PV = nRT$
 - don't memorize them; derive them

Deriving Simple Gas Laws

A sample of an ideal gas is added to a **rigid** container at **10. °C** and exerts a pressure of **1.25 atm**. **What is the pressure** of the gas when its **temperature is raised** to **220. °C**?

“**rigid** container” = **constant volume (V)**

no mention of gas being added to or removed from container = **constant amount (n)**

$$PV = nRT$$

constants: V & n
variables: P & T

rearrange $PV = nRT$ getting **constants** on one side
and **variables** on the other

$$\frac{P}{T} = \boxed{\frac{nR}{V}} \longrightarrow \frac{P_1}{T_1} = \frac{P_2}{T_2} \longrightarrow P_2 = \frac{P_1 T_2}{T_1} = \frac{(1.25 \text{ atm})(220. + 273)\text{K}}{(10. + 273)\text{K}}$$

constant value

Amonton's law

= 2.18 atm

Ideal Behavior for Gases

1. aside from collisions, gas particles behave independently of one another
 - i.e., they don't exert forces over each other
 - this is most true at high temperatures
 2. the volume of a gas particles is small compared to the space between them
 - this is most true at low pressures (high container volumes)
- gases behave **most ideally** under low pressure and high temperature
 - when a gas acts ideally, its behavior closely follows the ideal gas law
 - gases behave *least ideally* under high pressure and low temperature

Try This

Dry ice is solid carbon dioxide. A 0.050-g sample of dry ice is placed in an evacuated 4.6-L vessel at 31 °C. Calculate the pressure (in torr) inside the vessel after all the dry ice has sublimed to CO₂(g). Assume ideal behavior.

1 atm = 760 torr. **4.7 torr**

sublimation: CO₂(s) → CO₂(g)

$$\text{moles CO}_2 (\mathbf{n}) = 0.050 \text{ g CO}_2 \times \frac{1 \text{ mole CO}_2}{44.01 \text{ g}} = 0.001136 \text{ mol}$$

$$\text{volume CO}_2 (\mathbf{V}) = 4.6 \text{ L}$$

$$\text{temperature CO}_2 (\mathbf{T}) = 31 + 273.15 = 304.15 \text{ K}$$

$$PV = nRT \longrightarrow P = \frac{nRT}{V}$$

$$= \frac{(0.001136 \text{ mol})(0.08206 \text{ L} \cdot \text{atm/mol} \cdot \text{K})(\mathbf{304.15 \text{ K}})}{4.6 \text{ L}}$$

$$= 0.006164 \text{ atm} \times \frac{760 \text{ torr}}{1 \text{ atm}} = \mathbf{4.7 \text{ torr}}$$

Try This On Your Own

8.0 g of $\text{CH}_4(\text{g})$ is added to a rigid container at $0\text{ }^\circ\text{C}$ and exerts a pressure of 650 torr. An amount of $\text{O}_3(\text{g})$ is added to the container, causing the pressure to increase to 2600 torr. What mass of $\text{O}_3(\text{g})$ was added?

Try These On Your Own

- A 10.0-L cylinder contains 55.0 g $\text{CO}_2(\text{g})$ at a temperature of 325 °C. What is the pressure (in atm) within the cylinder?
- What mass of $\text{NH}_3(\text{g})$ will exert the same pressure as 12 mg of $\text{H}_2\text{S}(\text{g})$ in the same container under the same conditions?
- How many gas particles are in a bedroom measuring 3.65 m × 3.05 m × 2.40 m at room temperature (25 °C) and standard atmospheric pressure (1.0 atm)?