
Prepared and Written By
RAZEEN AHMED

CSE-420
[COMPILER DESIGN]

HANDWRITTEN NOTE

Computer Science and Engineering
BRAC University

Github: github.com/razeen
LinkedIn: linkedin.com/in/razeenahmed

COMPONENTS OF COMPILER :-

Symbol Table :- If it is a table where variable which gets initialized is stored.

Scope - the variable last stored. $i = 5$ not
 $i++$ $i = 5$ work

LEXICAL ANALYSER :- Variables = identifiers.

transverses through the entire

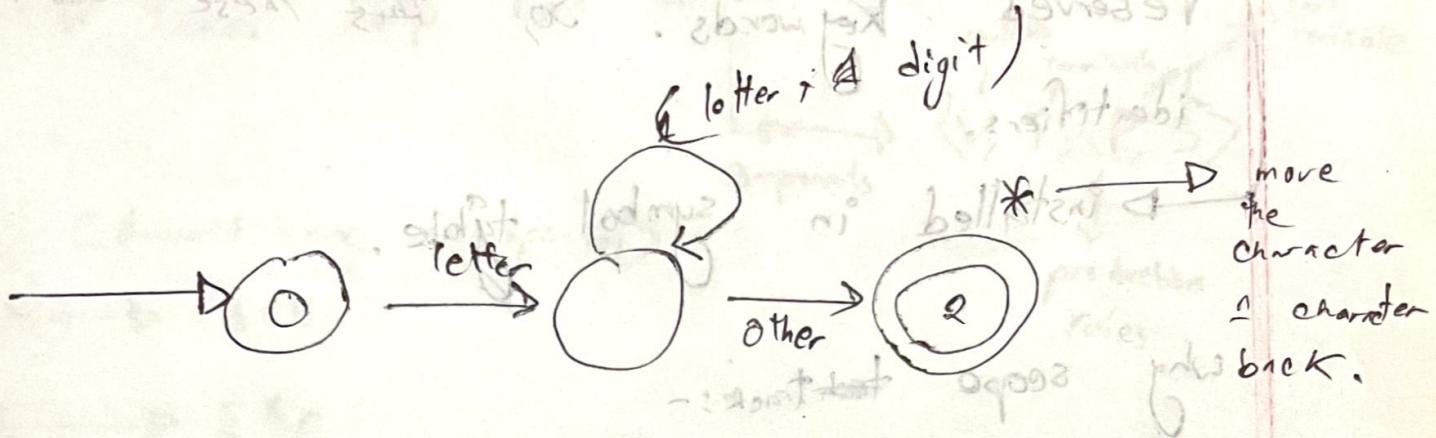
→ statements characters by characters unit until it finds a meaningful word.

→ task is to extract meaningful words.

→ It's need to know which set of characters are accepted.

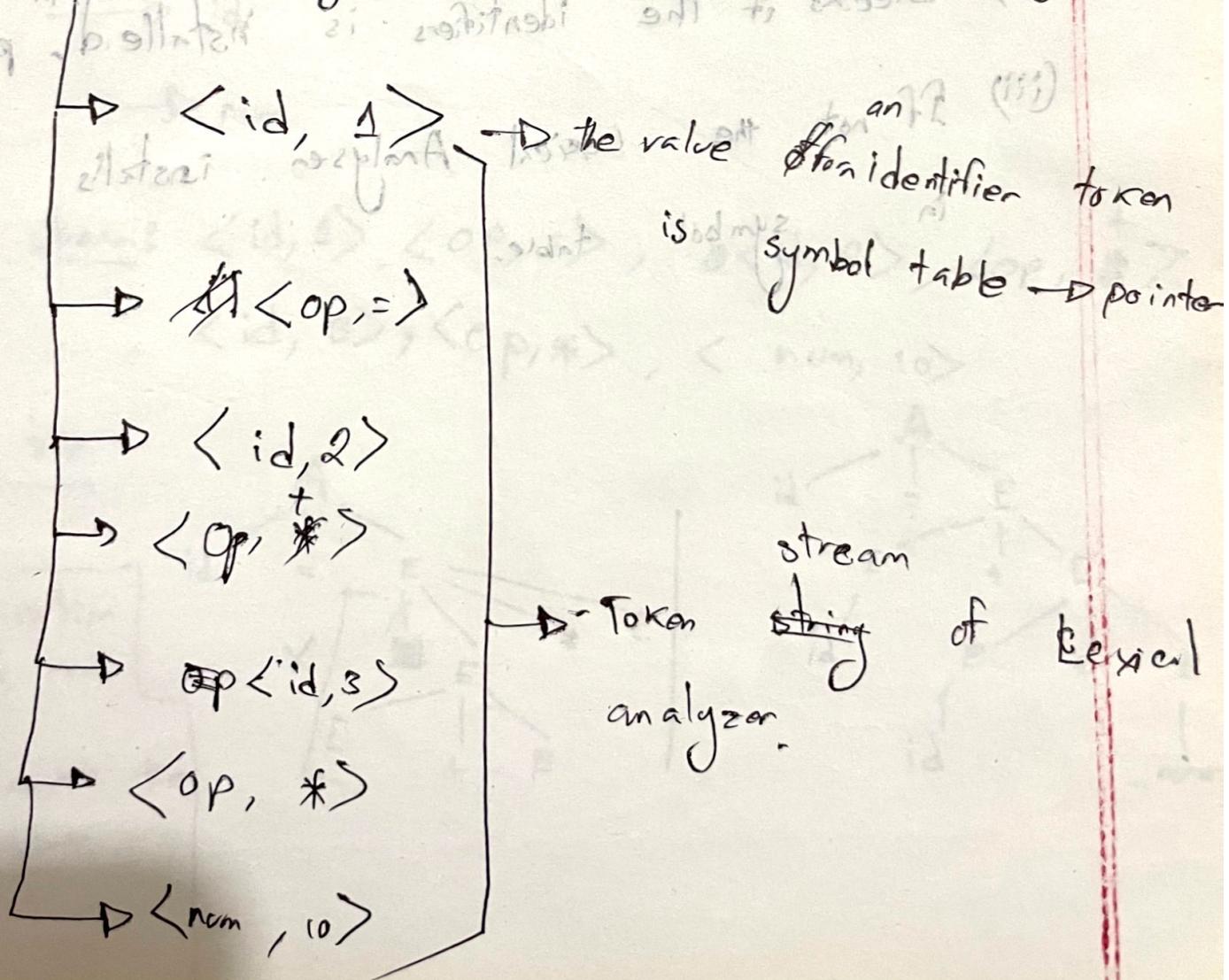
→ RE helps lexical analyzer to identify meaningful words.

• identifier have to start with a letter or letter.



TOKEN: < name, value >

↳ general format token in lexical analyzer



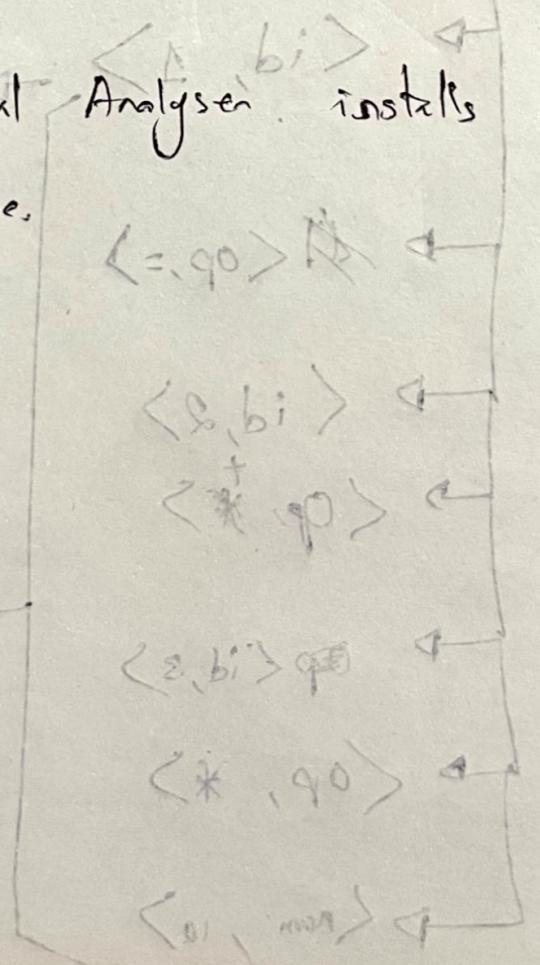
~~If, for, int, float, except, while~~ these all are reserved keywords. So, ~~these~~ these can't be identifiers.

→ installed in symbol table.

Why scope ~~tracks~~ :-

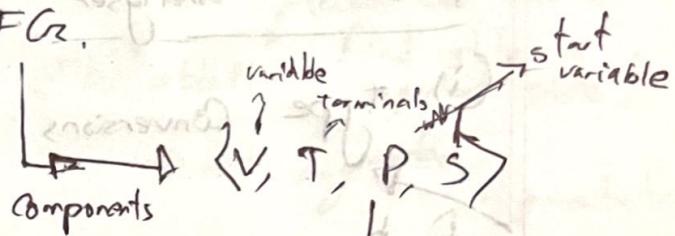
Features:-

- (i) Generates the token stream ~~in symbol table~~ in symbol table
- (ii) Checks if the identifiers is installed ~~in~~ previously.
- (iii) If not the lexical Analyser installs the identifiers ~~in symbol table~~ in symbol table.



Syntax Analyzer:-

→ Takes help from CFGs.



CFGs: C doesn't have any operators

$$1. A \rightarrow id = E$$

$$2. E \rightarrow E^* E$$

$$3. E \rightarrow E + E$$

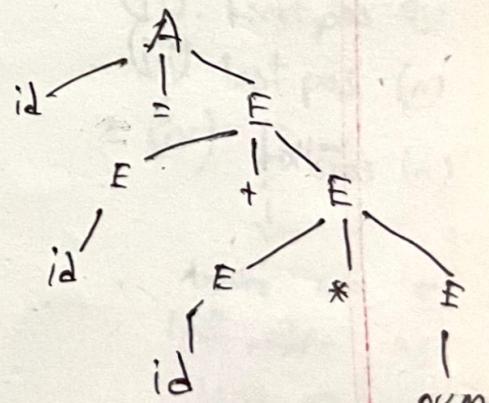
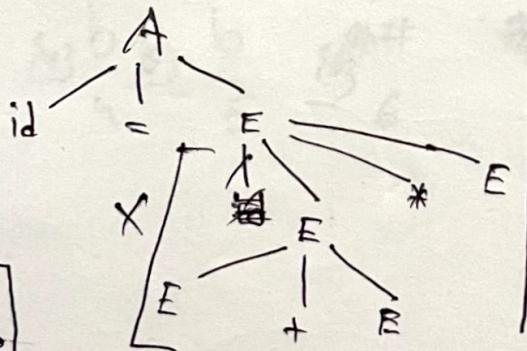
$$4. E \rightarrow id$$

$$5. E \rightarrow num$$

Token stream: $\langle id, 1 \rangle, \langle op, = \rangle, \langle id, 2 \rangle, \langle op, * \rangle, \langle id, 3 \rangle, \langle op, * \rangle, \langle num, 10 \rangle$

Parse tree:-

multiplication
should come
last
to make the
precedence
highest

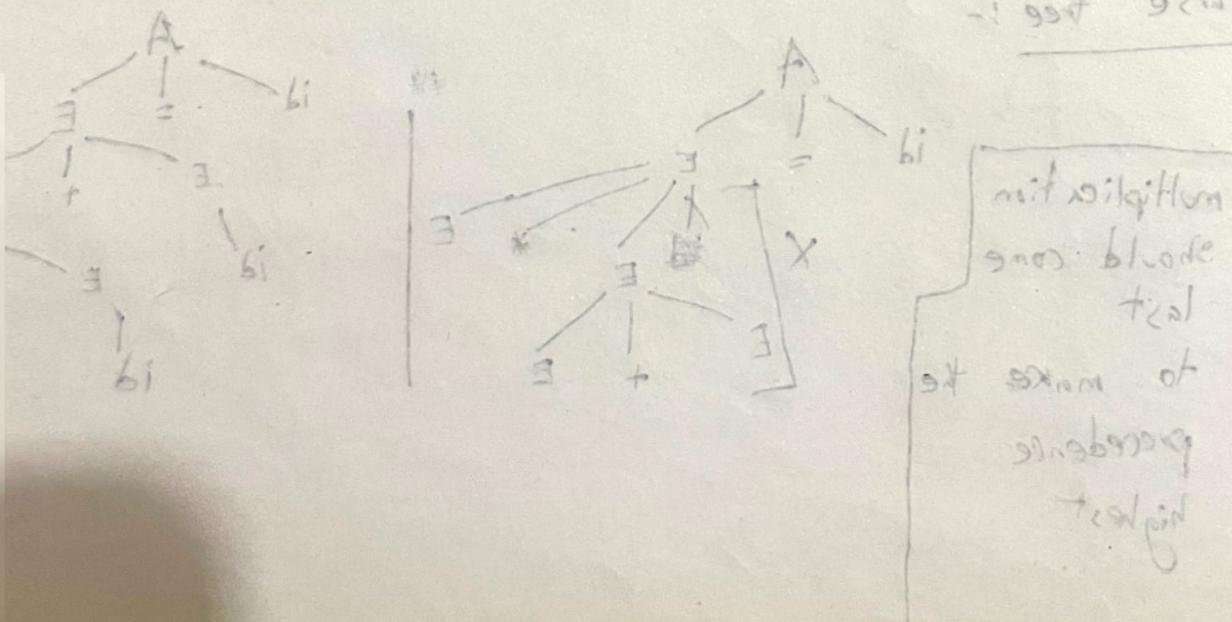
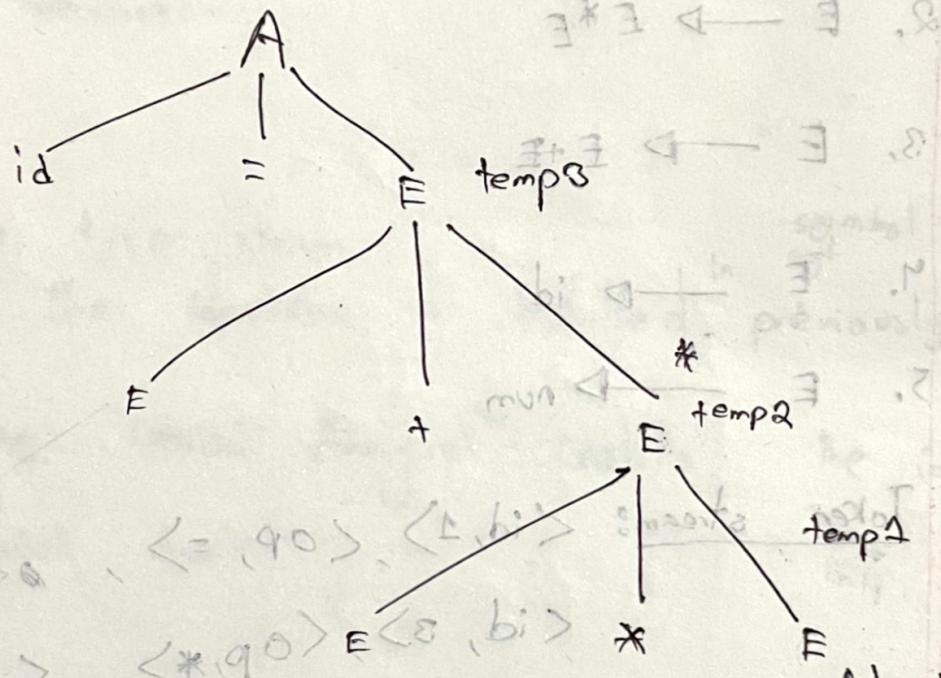


Semantic

Semantic analyser

- (i) Type Conversions
- (ii) Type checking

first executes the most bottom level of parse tree.



CONVERSION OF RE to DFA

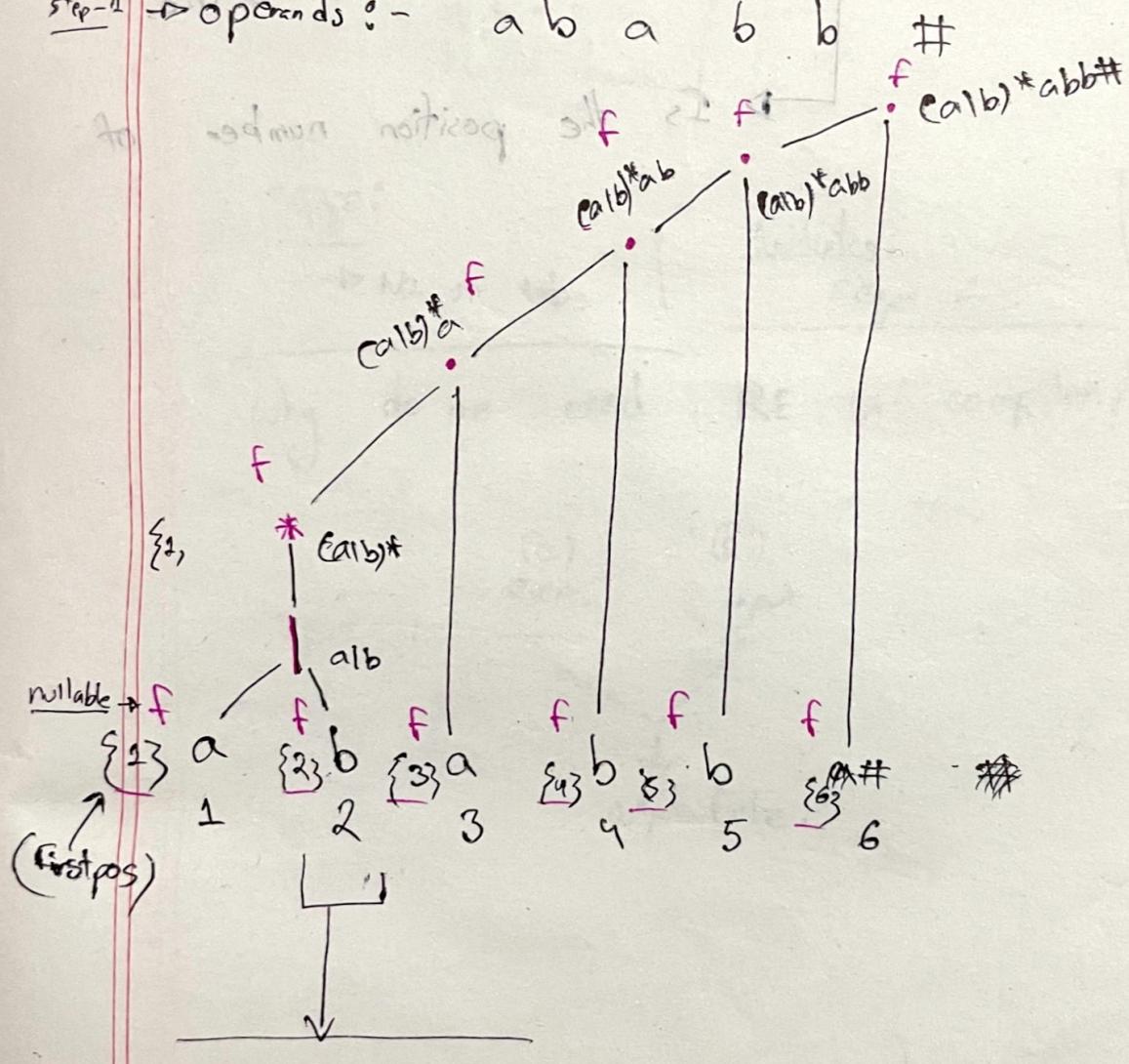
$(ab)^*abb$

$(ab)^*abb\#$

(S9)
we can make
final state a
important state)

SYNTAX TREE

Step 1 → Operands :- ab a b b



a ε a b b #
 1 2 3 4 5

→ $(a|\epsilon)^*abb\#$

2x Skip it + ... + ε

operator	precedence
+, *	star
.	cat (concatenation)
	or

) → not operation
(used for grouping purpose)

Annotate syntax tree

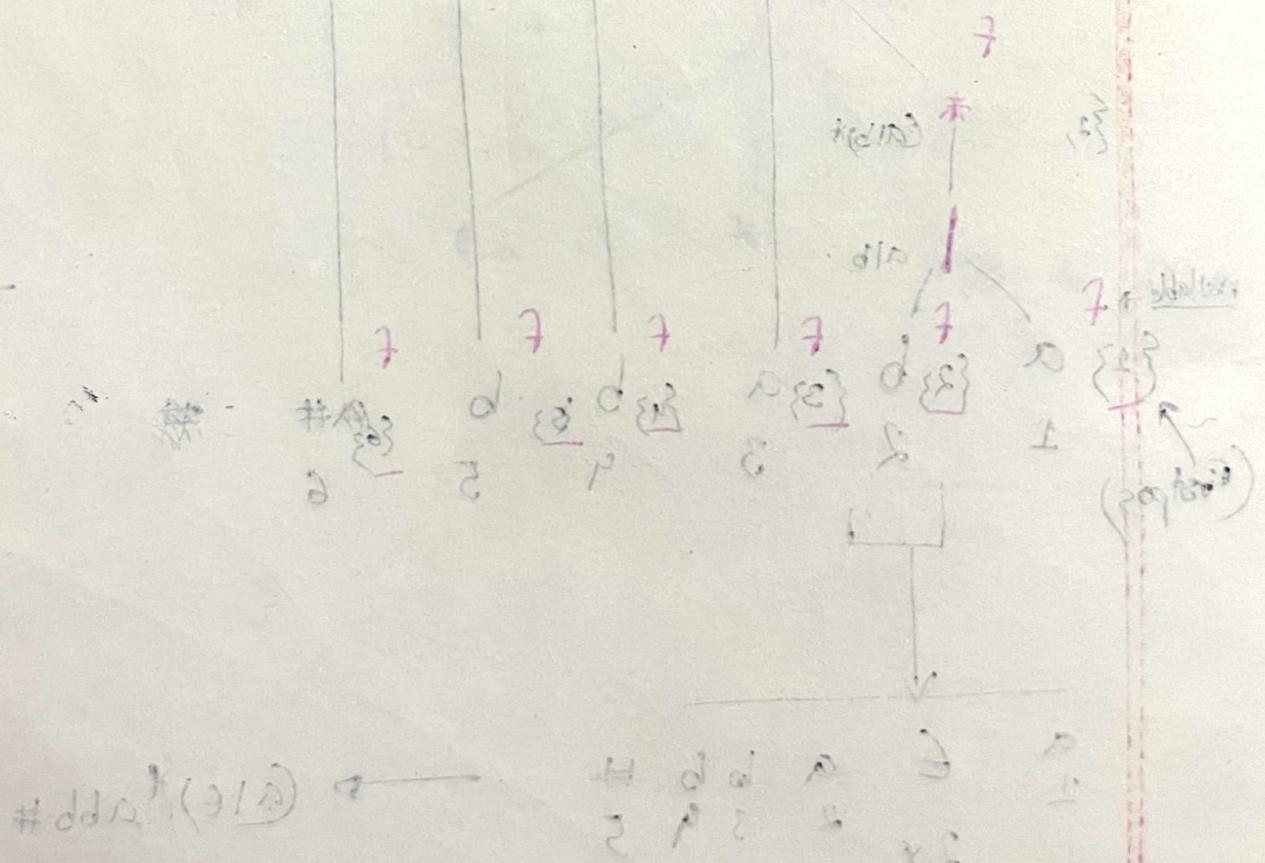
- (i) nullable (n) → no
- (ii) firstpos (n)
- (iii) lastpos (n)
- (iv) followpos (n)

takes non ε
leaf nodes as
leaf nodes.

Annotate syntax tree of $\lambda x. \text{if } E \text{ then } d \text{ else } d'$

- (i) nullable (n) → all the leaf node will be
if char :- (d/d')
 if E :-
 True
 else → false
 else → True
- (ii) firstpos (n)
- (iii) lastpos (n)

Is the position number of



12/01/23

PRACTICE SESSION (CONVERSION TO DFA)

$$a^+ (bc)? \mid b^*$$

Step-2 :-

$$\Sigma^+ = \Sigma^* - \epsilon$$

$r? = r/\epsilon$ | ? = comes once or doesn't come at all

$$(a^+ (bc)? \mid b^*) \# \text{ (augmentation)}$$

Step-2 :-
(Syntax tree)

$$T a^+ (bc)? \mid b^* \#$$

{1, 2, 3, 4, 5}

{1, 2, 3, 4, 5}

$$(a^+ (bc)? \mid b^*) \#$$

F

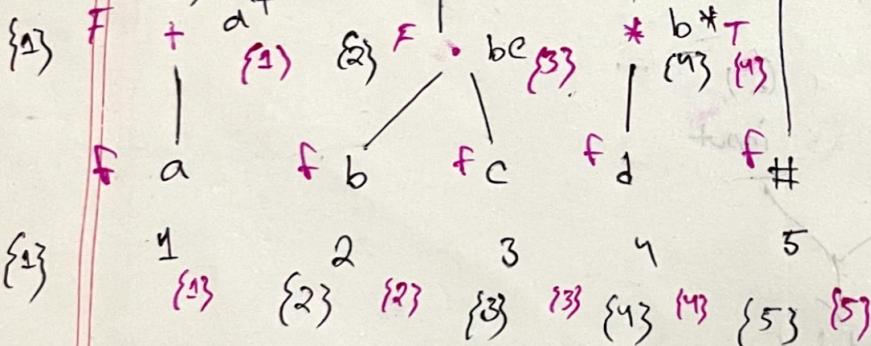
If first pos \rightarrow left
(for the unary operator F.P. will be its child's F.P.)

If the left + child is nullable

Right pos \rightarrow Right

(for the unary operator L.P. will be its child's L.P.)

[if the right child is nullable]



[follow pos will only be on the leaf nodes]

Symbols	Node (n)	Followpos (n)	at node
a	1	{4,5} {1,2,5}	
b	2	{9,5} 3	
c	3	5	star node
d b	4	4,5	*
#	5	Ø	

write followpos
below nodes

believe next char on
writing set in followpos

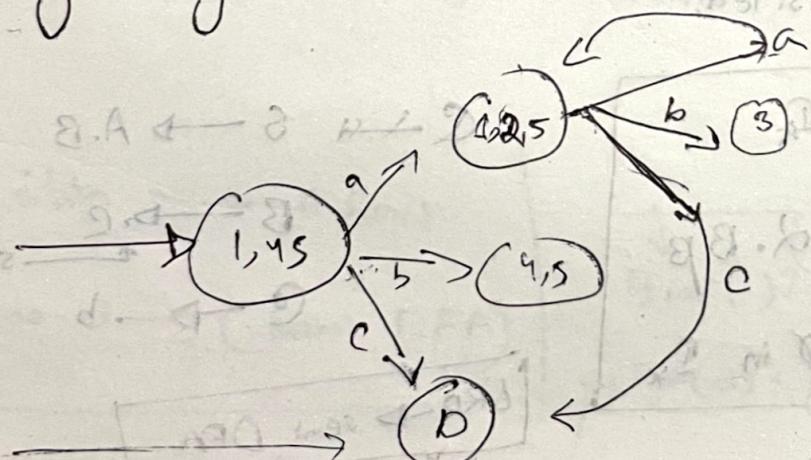
writing set in followpos
as 1st to last post

→ When there's two child

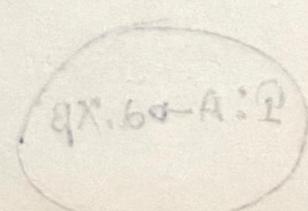
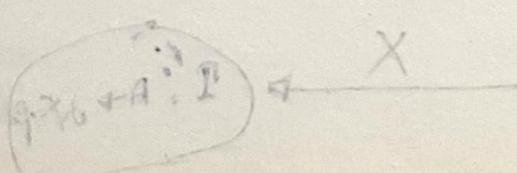
left child first pos is followed

by right child's ~~last~~ to last post

any string can start with 1,4,5



State can't start
with any other
for the string
with 'c'!



Left to Right scan

Simple Left Right (SLR) Parsing

14/10/23

$\alpha \beta \gamma$
↑ ↑ ↑
Strings of grammar symbols

LR Parsing Algorithm

Input $\rightarrow a_1 \dots a_2 \dots a_n \#$

[The input string ended.]

* Item [Dot: no one's been visited]

$A \rightarrow \cdot XYZ$
dot in the production body. So, it is an item

$A \rightarrow XYZ.$

[Dot at in the end reduced forms of the items.]

If specifies the symbol upto which we have visited.

CLOSURE(I_k) = I_k^0

1. I_k is in I_k^0

2. $I_k : A \rightarrow \alpha \cdot B \beta$

$B \rightarrow \cdot \gamma$ in I_k^0

$C \xrightarrow{A} S \rightarrow A \cdot B$

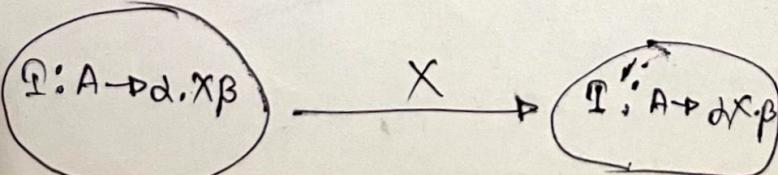
$B \rightarrow \cdot C$

$C \rightarrow \cdot b$

still needs to be visited

LRO \rightarrow semi DFA

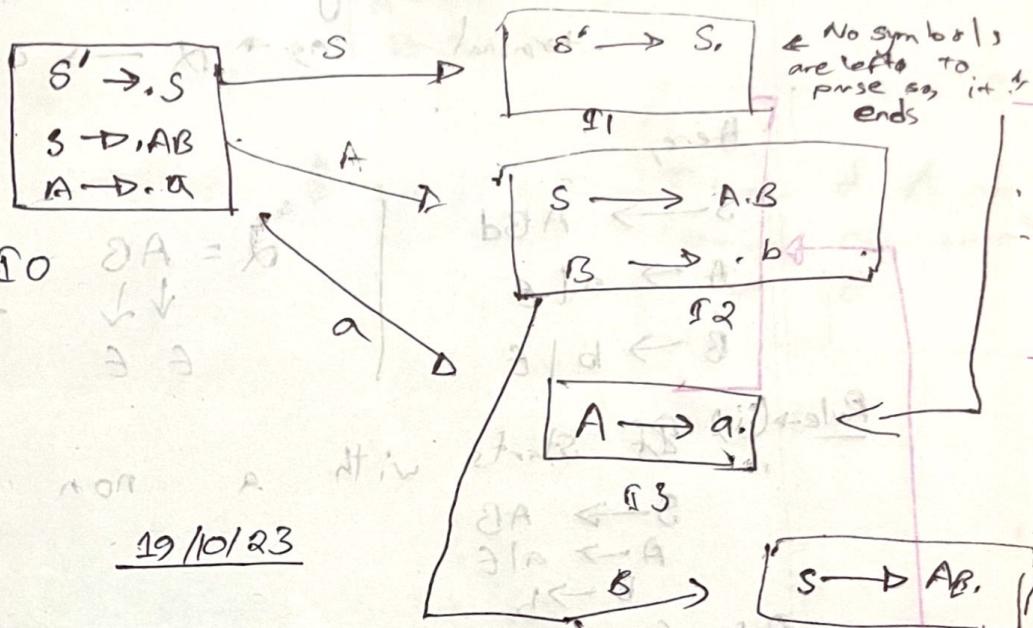
GOTO(I_k, X) = I_j^0



Step-1:

Augmentation, introduce a new start state

0. $S' \rightarrow S$
1. $S \rightarrow A.B$
2. $A \rightarrow a$
3. $B \rightarrow b$



SLR
PARSING - 2

19/10/23

Actions table

Only terminals as column

Go TO TABLE

Non terminal as column.

Functions (Applied in CFG)

↓
FIRST() → the first input combination string that can be generated from 2)

$$\text{First}(d) = \{a, b\}$$

If

6 states → 6 Rows

Slide-13 → (sem: DFA)

$$d = A B$$

$$\downarrow \quad \downarrow$$

$$a \quad b$$

$$S \rightarrow A B$$

$$A \rightarrow a E$$

$$B \rightarrow b$$

$$\frac{d}{S}.$$

$$S \rightarrow A B d$$

$$A \rightarrow a E$$

$$B \rightarrow b$$

$$d = A B d$$

First FIRST() :-

(i) If terminal begins with a terminal first will be &

terminal e.g. $\alpha \rightarrow cB$

Here,

$$\begin{array}{l} S \rightarrow ABd \\ A \rightarrow a | E \\ B \rightarrow b | E \end{array}$$

$$\alpha = AB$$

$\downarrow \downarrow$

E E

$$FIRST = \{a, b, E\}$$

Rule-(ii) If starts with a non-terminal

$$\begin{array}{l} S \rightarrow AB \\ A \rightarrow a | E \\ B \rightarrow b \end{array}$$

Rule-(iii) If All of the non-terminal gives E. the first will also include in the first.

e.g.

$$\begin{array}{l} 6A \leftarrow a \\ 31a \leftarrow A \\ \hline 63A = b \end{array}$$

$$\begin{array}{l} 6A \leftarrow a \\ 31a \leftarrow A \\ d \leftarrow a \end{array}$$

~~Sentential
form~~

form

→ each statement in the derivation process

'E' can never be
in FOLLOW()

e.g. $S \Rightarrow AB \Rightarrow Ab = ab$

FOLLOW():

$\text{Follow}(A) \rightarrow \text{Follow} \{ b \}$

$\left| \begin{array}{l} S \Rightarrow AB \\ A \Rightarrow a \\ B \Rightarrow b \end{array} \right.$

Rule(1):
 $\text{Follow}(S) \rightarrow \{ \$ \}$

• start symbol follow will be \$ sign |

- Q.
★ Follow of non terminal can never be E.

Rule(2):

$S \Rightarrow ABd$
 $A \Rightarrow a$
 $B \Rightarrow b$

$\text{Follow}(A) = \{ b \}$

$S \Rightarrow ABde$
 $A \Rightarrow a$
 $B \Rightarrow b$

$\text{Follow}(A) = \{ b, d \}$

$S \Rightarrow A \overline{B} de$
 $\overline{d} \overline{B}$

$\text{Follow } \text{Follow}(A) = \overline{B} \text{ first}()$
↓
 $\text{FIRST}(B)$

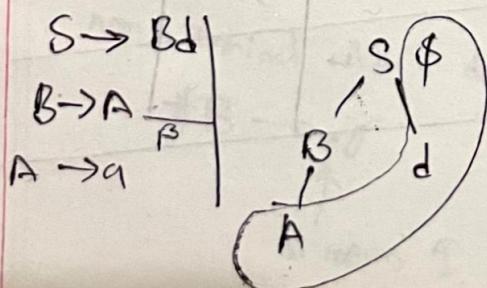
Rule(3):

$S \Rightarrow A \overline{B}$
 $A \Rightarrow a$

$\text{Follow}(A) = \{ \$ \}$

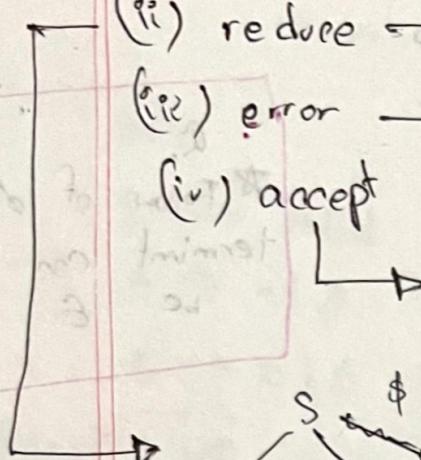
look at the head of the production rule
if B is E. then follow of any non terminal then

the follow of that head is
the one we need.



ACTION (TABLE)

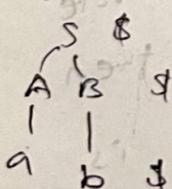
- (i) Shift \rightarrow only terminal transition, states, will be written $\{13, 15\}$
- (ii) reduce \rightarrow check if there is at the end state S $14, 15, 13$
- (iii) error \rightarrow
- (iv) accept



$S \xrightarrow{\$} \{d\} = (A)_{\text{VLS}}$
 $A \xrightarrow{a} \{b, d\} = (A)_{\text{VLS}}$
 $B \xrightarrow{b} \$$
 $\$$ is the next ahead symbol
 $\$$ is the state where the end is of

$0. S' \rightarrow S$
 $1. S \rightarrow AB$
 $2. A \rightarrow a$
 $3. B \rightarrow b$

	Action (terminals)				GOTO (non terminals)		
	a	b	\$	s	A	B	
0							
1				accept			
2							
3							
4							
5							



LR(1) Parser

26/10/23

- Two types of LR parsers :-
- Simple LR parser (SLR)
 - Complex LR parser (CLR/CR)

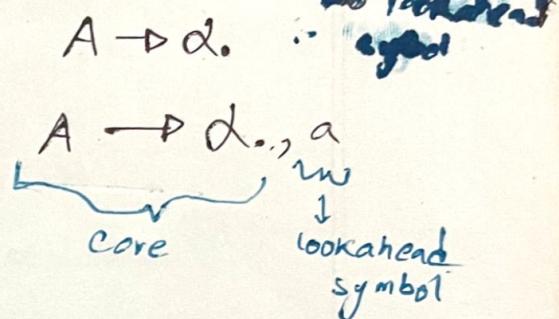
Why do we use LR parser instead of SLR parser?

→ SLR(1) uses LR(0) automation

LR(1) " LR(1) "

→ two functions:

- Closure function
- GOTO function



CLOSURE

Take an input item ' I ' and give us a state as an output

$$i_K \quad \text{CLOSURE}(I) = i_K$$

(K is an integer)

RULES

(i) I is in i_K

(ii) $I : A \rightarrow d. B\beta$

we need $\xrightarrow{\text{to add}}$ then $\xrightarrow{\text{non-terminal}}$
the production rule of the
non-terminal with a dot in front of the
production body

$$\#B \rightarrow .\gamma$$

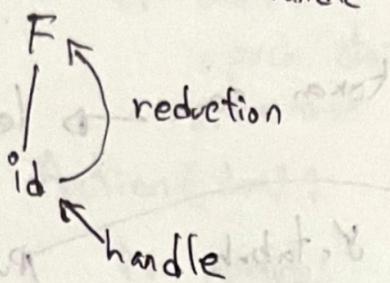
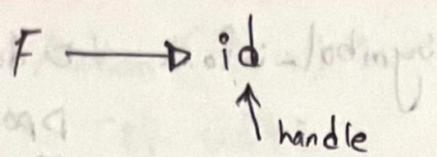
it means I haven't yet visited
any part of the right side of the production body.

e.g. →

$$S^* \Rightarrow S A a x$$

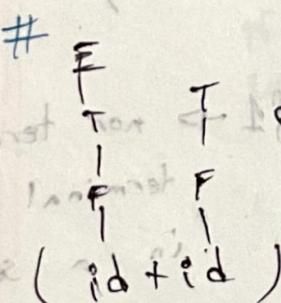
$$\Rightarrow d d B \beta a x$$

lookahead of
 $B = \text{FIRST}(\beta a)$

BOTTOM UP PARSING

$\rightarrow \nexists F$ we cannot find a handle within a portion which we have traversed then we have to

traverse to add more f. more input string.



In this situation two production rules matches and is working as a handle. So, which one should I choose?

$$\begin{aligned} s &\Rightarrow aBF & \leftarrow & \text{sentential form} \\ s &\Rightarrow abBF & \leftarrow & \text{sentential form} \\ s &\Rightarrow abbFe & \leftarrow & \text{sentential form} \\ a &\Rightarrow abbe \end{aligned}$$

Ans:- Always choose the longest sequence from the stack.

If such a situation arrives where I can't understand whether the parser will reduce the current handle to the appropriate or prod head or will it shift one/more input symbols

to look for a bigger match.

\rightarrow (Shift reduce conflict) can't decide

(shift the input symbol)

\rightarrow Shift reduce the input symbol

PROBLEM TO SOLVE FROM - (i) Shift-reduce conflict.
Bottom UP PARSING (ii) reduce-reduce conflict.

In Bottom UP PARSING we are doing right (rightmost derivation) in reverse order.

* Something is working as a handle & and there are multiple production rules to reduce, we can't choose which matches with the handle. (We can't decide on a single handle to reduce)

→ Reduce-reduce conflict.

The process of changing λ or A repeatedly eliminating handles is handle pruning.

bottom up is better
handle pruning

DEEREST DIRECT
DEFINITION:

REDUCTION RULE

$$E \leftarrow S \quad (i)$$

$$|uv_1\lambda| + |uv_2\lambda| = |uv_3\lambda| \leftarrow E \leftarrow E \quad (ii)$$

$$|uv_1\lambda| = |uv_1| \leftarrow P \leftarrow E \quad (iii)$$

$$|uv_1\lambda| * |uv_1T| = |uv_1T| \leftarrow \exists T \leftarrow \pi(v) \quad (iv)$$

$$|uv_1T| = |uv_1| \leftarrow \exists T \leftarrow \pi(v) \quad (v)$$

$$|uv_1T| \leftarrow |uv_1| \leftarrow \text{tip} \leftarrow \exists(v) \quad (vi)$$

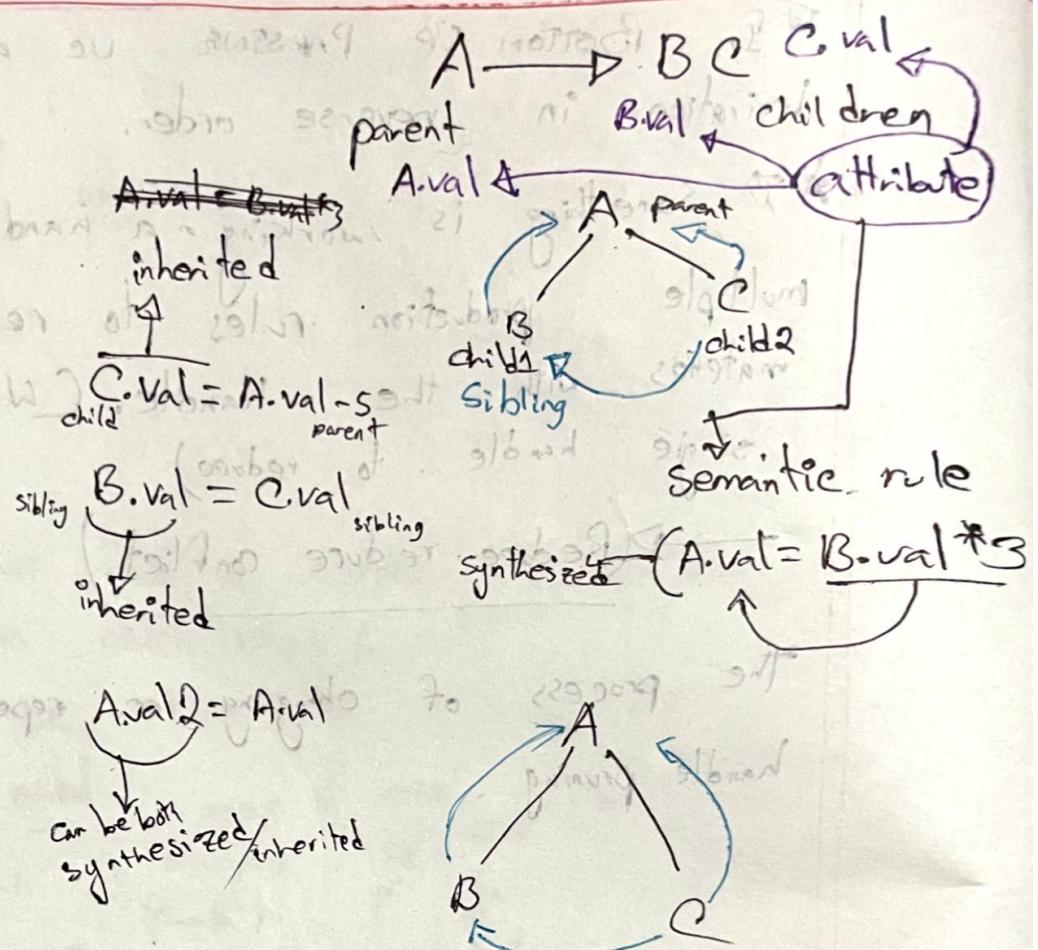
order is needed
if needed
and
and

SEMANTIC ANALYZER

(i) Type conversion

(ii) Type checking

when we get
a attribute from
a child is
synthesized.



SYNTAX DIRECTED DEFINITION :

PRODUCTION RULE

SEMANTIC RULE

- (i) $S \rightarrow E \longrightarrow S.\text{val} = E.\text{val}$
- (ii) $E \rightarrow E_1 + F \longrightarrow E.\text{val} = E_1.\text{val} + F.\text{val}$
- (iii) $E \rightarrow T \longrightarrow E.\text{val} = T.\text{val}$
- (iv) $T \rightarrow T_1 * F \longrightarrow T.\text{val} = T_1.\text{val} * F.\text{val}$
- (v) $T \rightarrow F \longrightarrow T.\text{val} = F.\text{val}$
- (vi) $F \rightarrow \text{digit} \longrightarrow F.\text{val} = \text{digit_literal}$

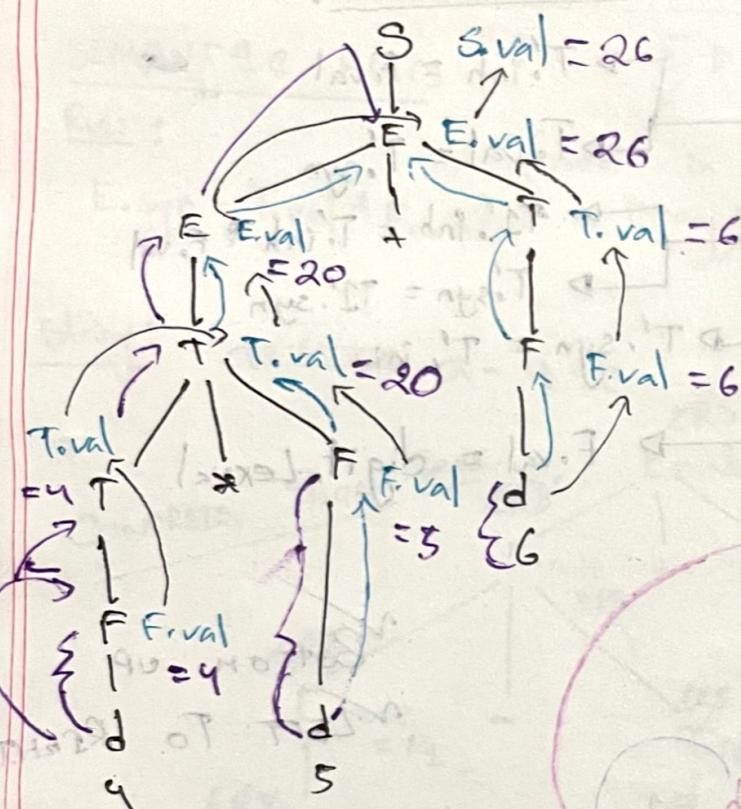
* When a value comes from siblings or parent it is inherited
* When a value comes from a child it is synthesized

"S Attributed SDD"

(Every attribute is synthesized) → come from child

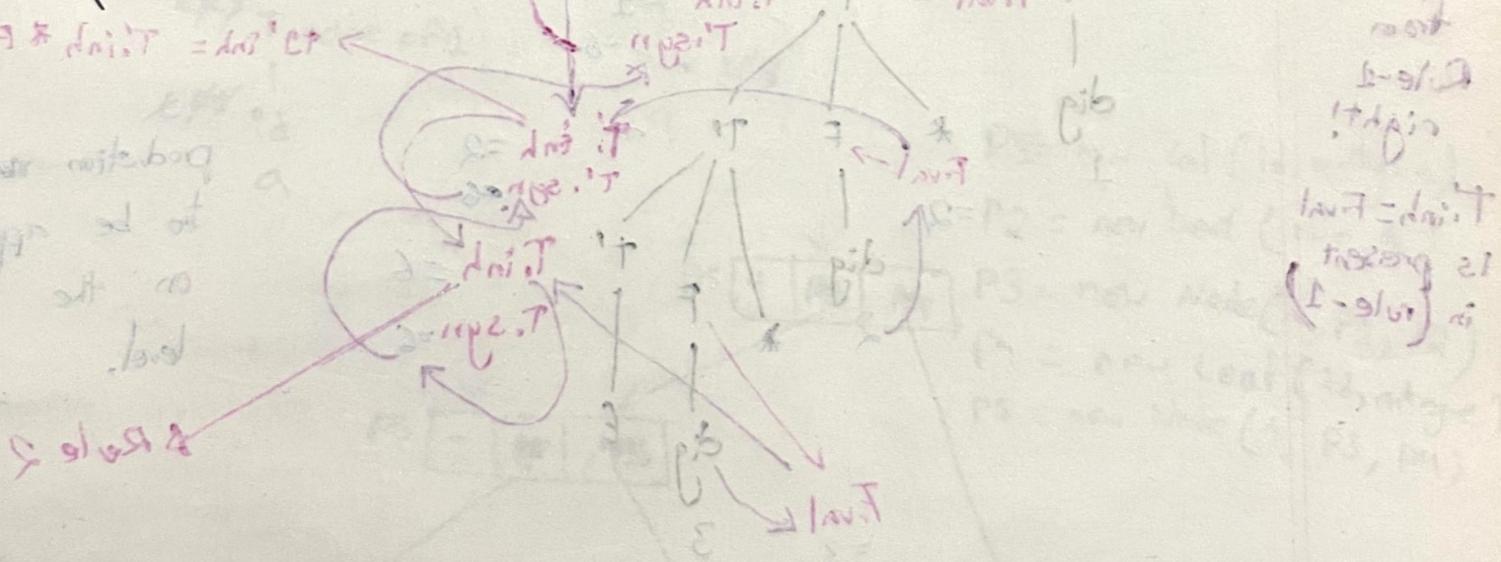
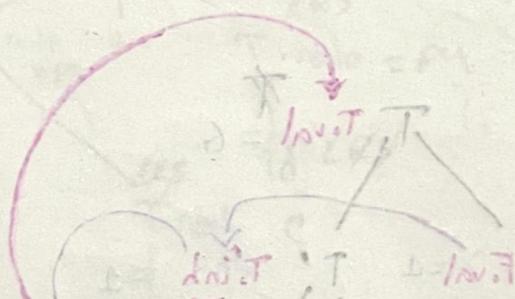
9*5+6

DRAW Take the "annotated parse tree"



"bottom up strategy"

==== FOR THE ARROWS
DEPENDENCY GRAPH.



L ATTRIBUTED 'SDD'

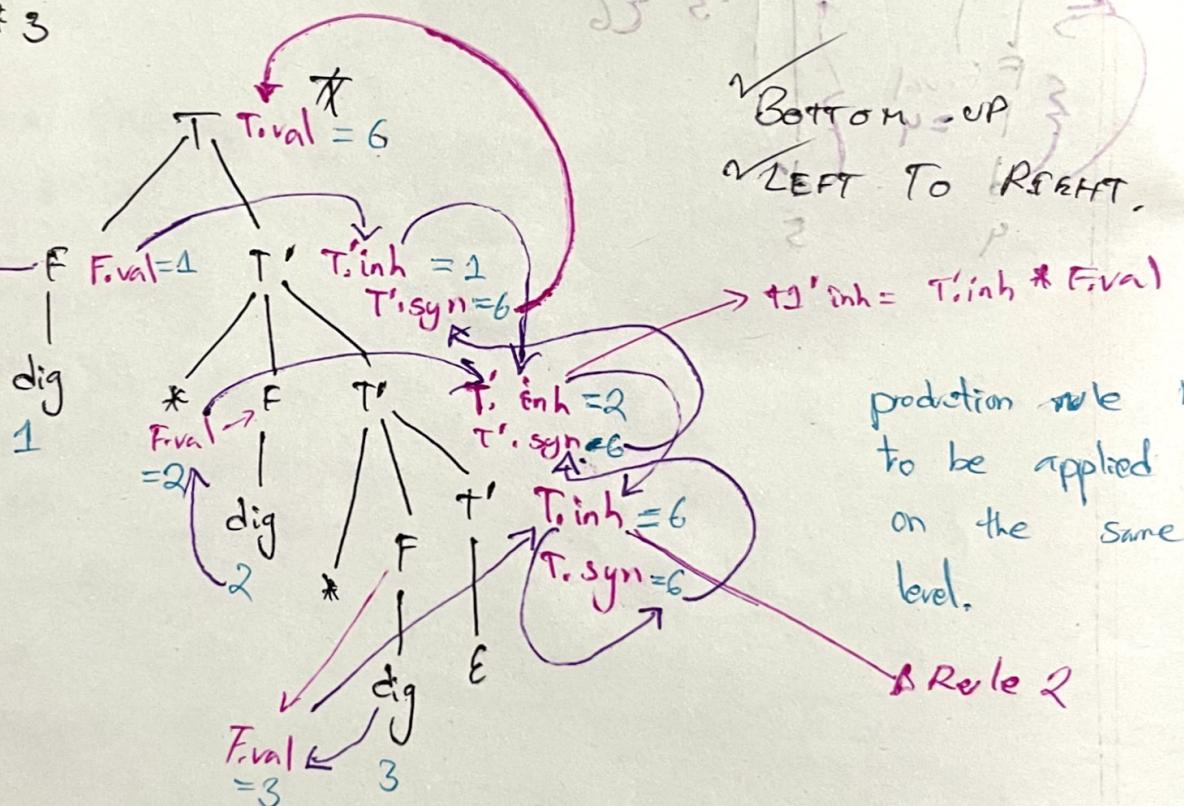
PRODUCTION RULE:

- (1) $T \rightarrow FT'$
 - (2) $T' \rightarrow *FT_1'$
 - (3) $T' \rightarrow \epsilon$
 - (4) $F \rightarrow \text{digit}$
- $\Rightarrow T'.inh = F.val$
 $\Rightarrow T.val = T'.syn$
 $\Rightarrow T_1'.inh = T'.inh * F.val$
 $\Rightarrow T'.syn = T_1'.syn$
 $\Rightarrow T'.syn = T'.inh$
 $\Rightarrow F.val = \text{digit}.Lexval$

$1 * 2 * 3$

why,
because
it came
from
Rule-1
right!

 $T'.inh = F.val$
is present
in Rule-1)



whenever we apply a rule then we have to apply
that rule everywhere

SYNTAX DIRECTED DEFINITION

VS

S-DT (Syntax Directed Translation)

They are always in curly braces.

SEMANTIC RULES

RULE:

$$E \cdot \text{syn} = T \cdot \text{val} * F \cdot \text{val}$$

(Used in theory)

SEMANTIC ACTIONS

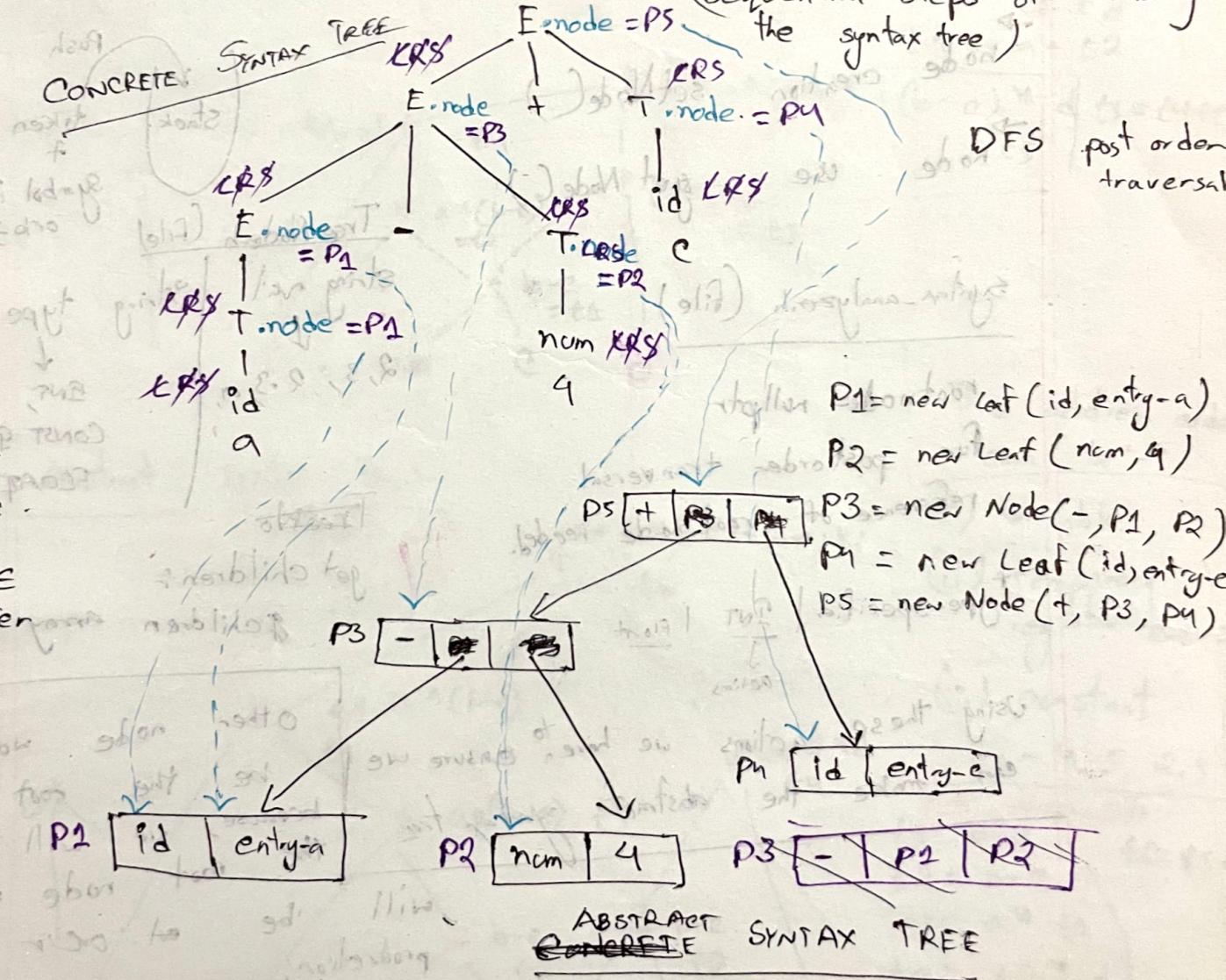
ACTION:

$$E \cdot \text{node} = \text{new Node}(*, T \cdot \text{node}, F \cdot \text{node})$$

(Used in program)

String:

a + e + e a - 4 + e



(i) Parse tree (concrete syntax tree)

(ii) Abstract Syntax Tree

(iii) Directed Acyclic Graph (DAG)

DAG :-

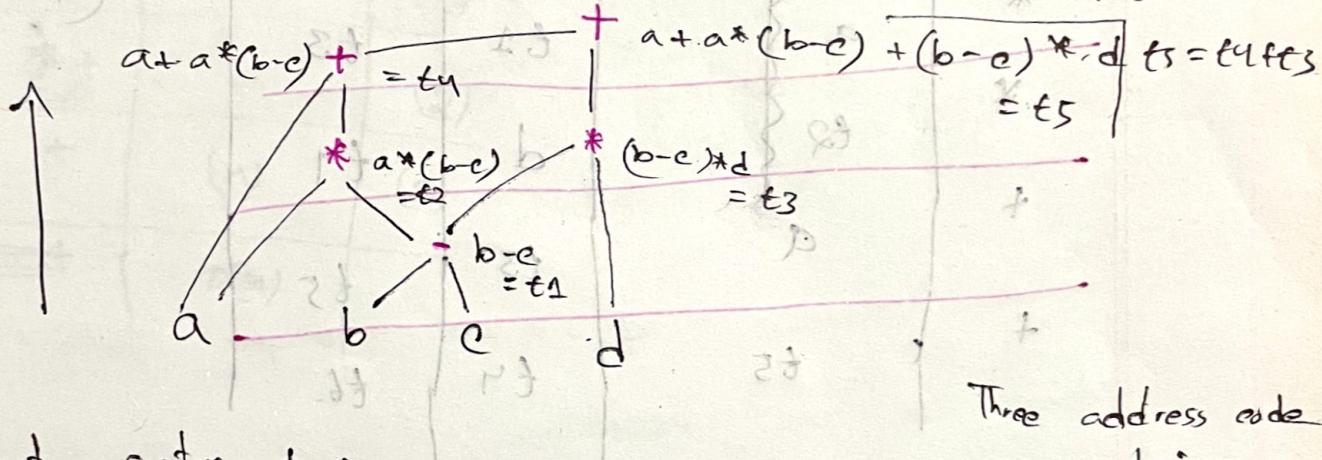
String :- $a + a^*(b-c) + (b-c)^*d$

Priority :-

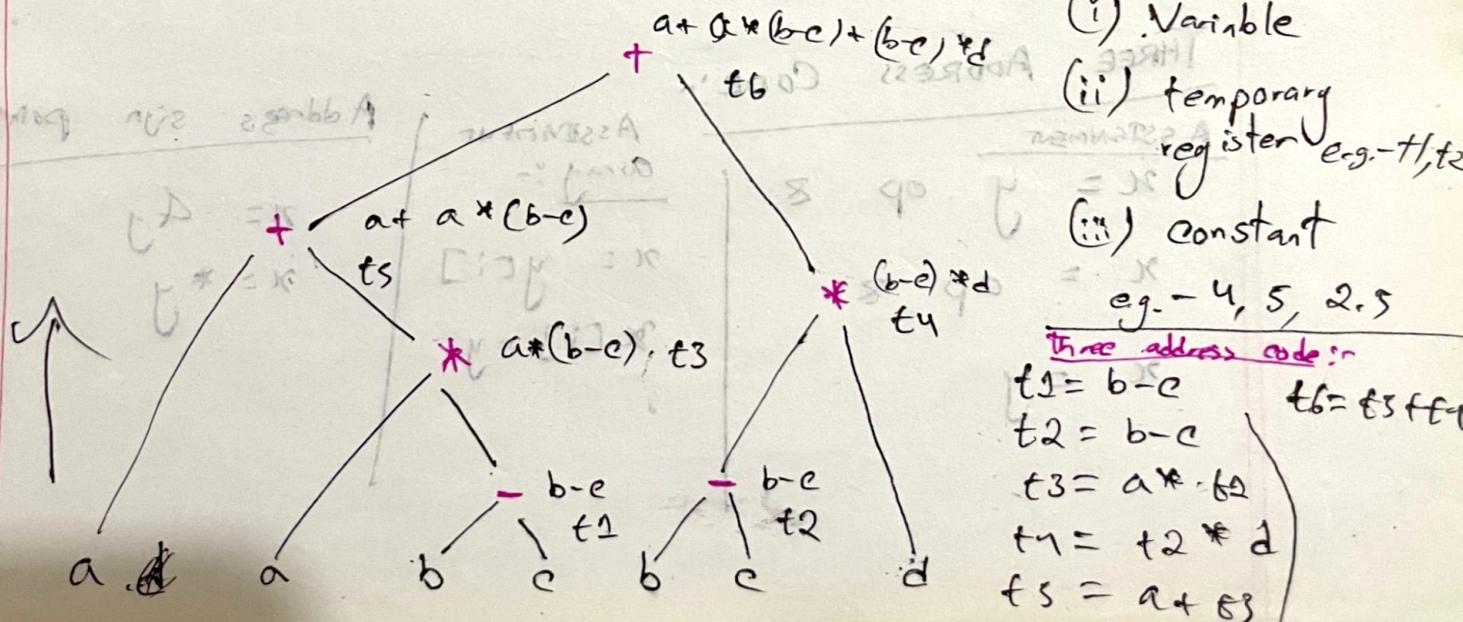
() (TSA)

*

+-



Abstract syntax tree :-



→ Three address code (are stored in some data structures)
 The data structures are:-

QUADRUPLES :-

OP	left	arg 1	right	arg 2	result
-	b		c	t1	
-	b		c	t2	
*	a		t2	t3	
*	t2		d	t4	
+	a		t3	t5	
+	t5		t4	t6	

From :- AAC

Abstract
syntax
tree

(AST)

THREE ADDRESS CODE :-

ASSIGNMENT

$$x = y \cdot op \cdot z$$

$$x = op \cdot z \cdot *$$

$$x_d = y$$

Assignment
array :-

$$x = y[i]$$

$$x[i] = y$$

Address sign pointer

$$x = 4y$$

$$x = *y$$



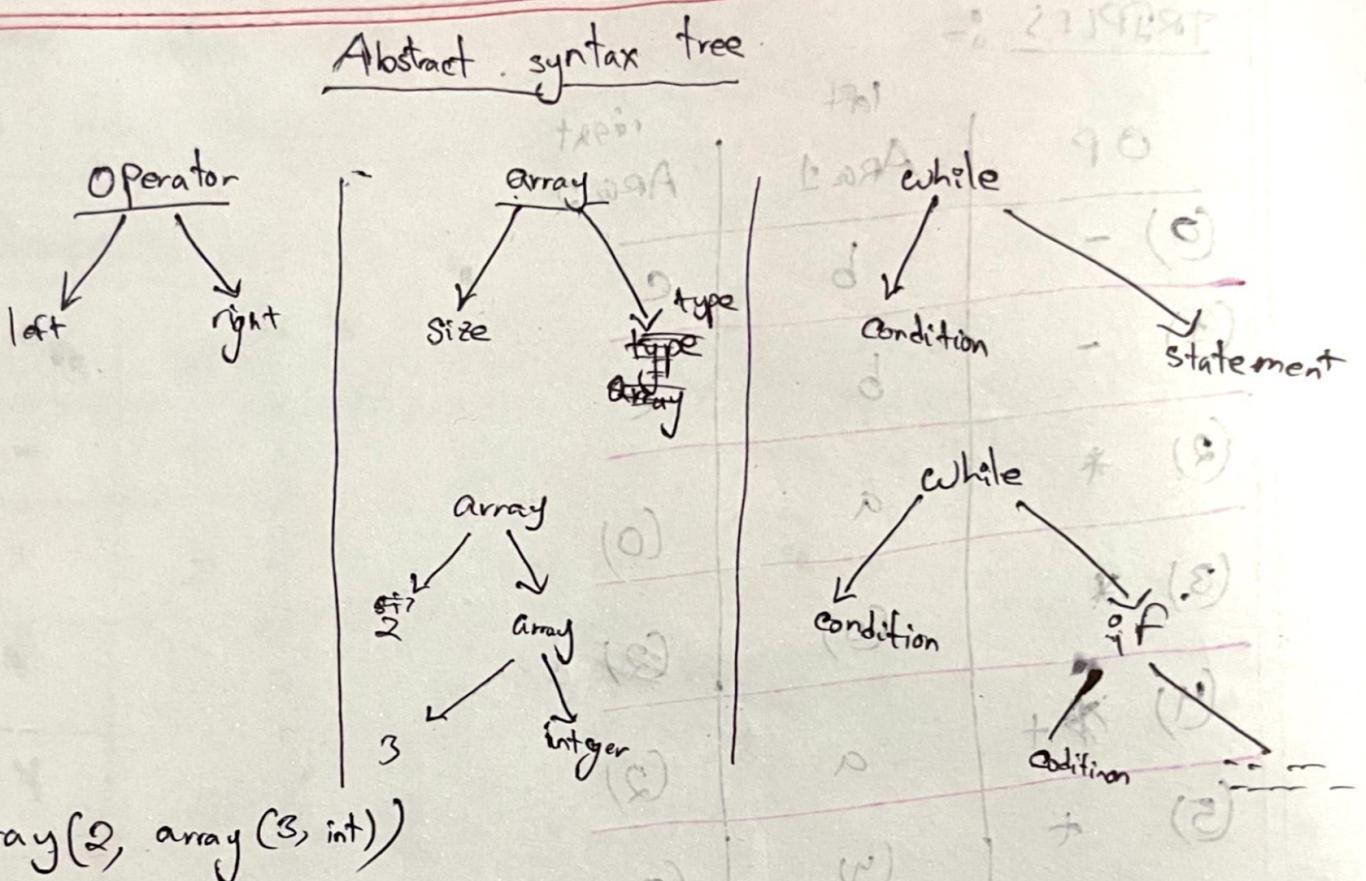
TRIPLES :-

soft x-type treated

OP	left	right
	ARG1	ARG2
(0) -	b	c
(1) -	b	c
(2) *	a	(0)
(3) *	(0)	(2) d
(4) *+	a	(2)
(5) +	(4)	(3)
(6) +-	(5)	

rotate 90





In
^ Type conversion we use graph that's why we
have to use recursion.

(Exercise - 6.3..1 Pg - 403) ^{Very} Imp. (most)

$$D \rightarrow T \text{ id} ; D \mid \epsilon$$

$$T \rightarrow B C \mid \text{record } \{ D \}$$

$$B \rightarrow \text{int} \mid \text{float}$$

$$C \rightarrow E \mid [\text{num}] C$$

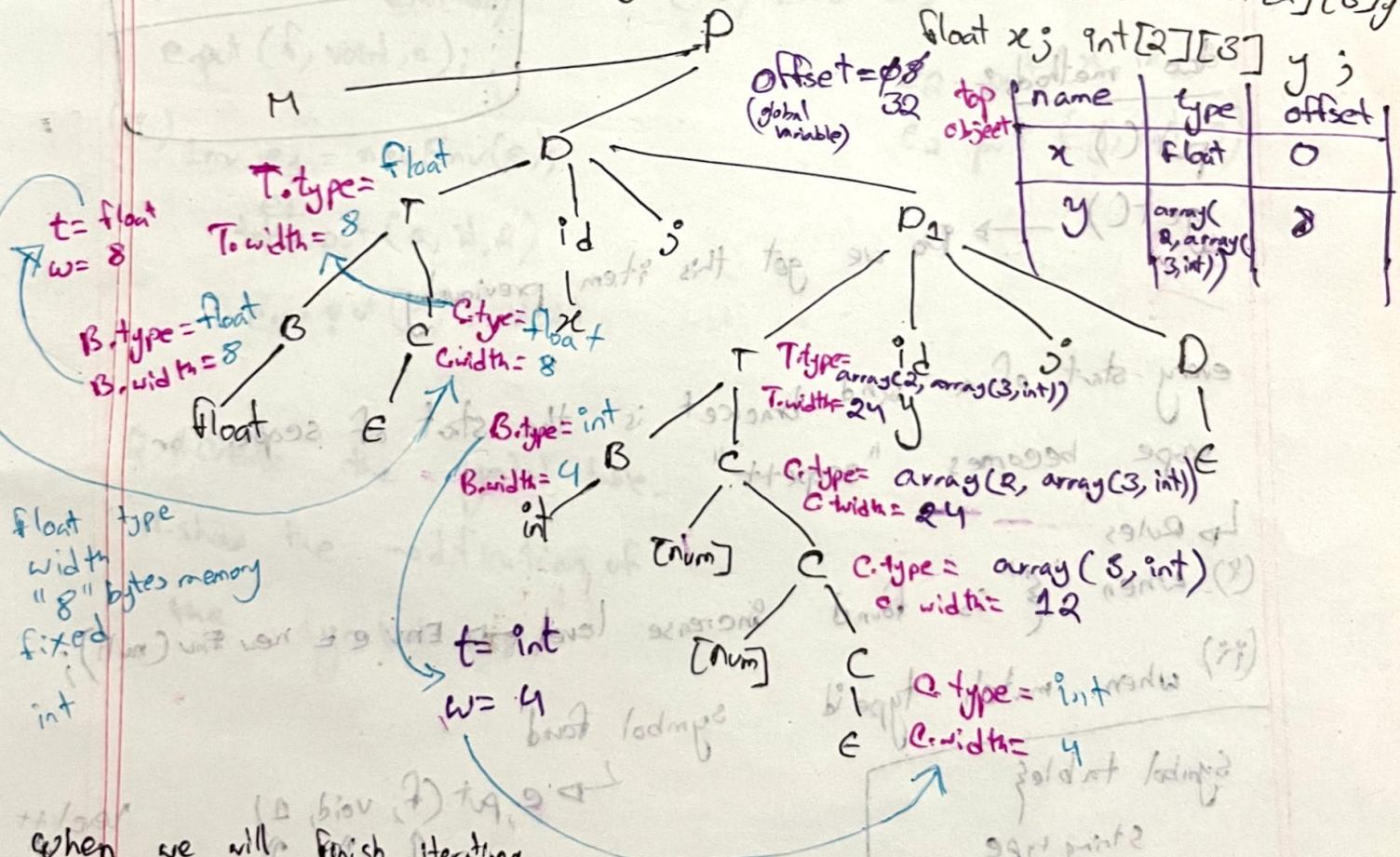
^{Book} Pg 396 (grammar)
(most)

(modify the grammar)

additional to T (Imp most)

Q: Determine the type and relative address of
mass the following declarations: float x; int [2][3] y;

12/07/23



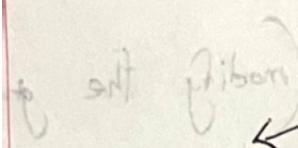
when we will finish iteration
a variable the if will execute

its STT

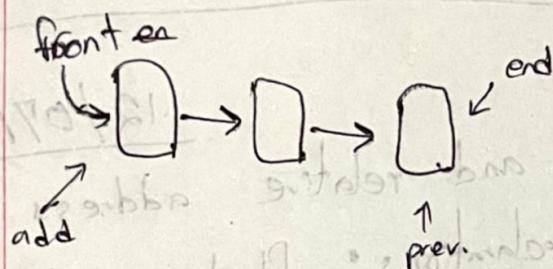
SYMBOL TABLE & SCOPING

Here we will construct the symbol table

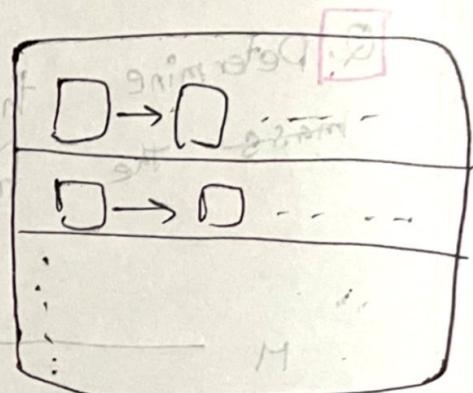
symbol table construction



List of hash tables



hashtable of lists



two methods:-
put() get()

Do we get this item previously

every start of a 2nd bracket is the start of scope or

scope becomes "separate"

Lp Rules

(i) When { is found increase level \rightarrow Env e = new Env(null);

(ii) when match type id

symbol found $N = W$

$\hookrightarrow e.put(f, void, 1)$ level++

String type level

Symbol table
String type
int level

When the scope will increase?
exactly

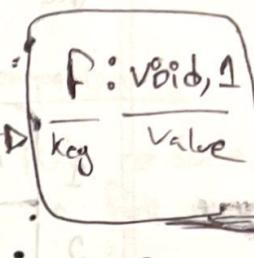
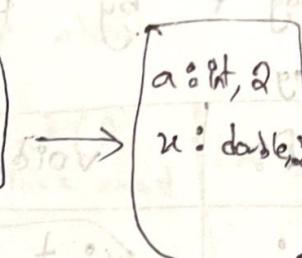
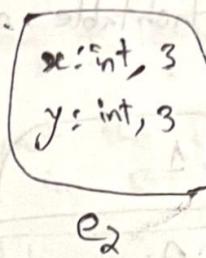
List of hash tables

```
void f (int a){  
    double x;  
    while (...) {  
        int x, y; a=5;  
    }  
}  
void g(){  
    f(3);  
}
```

(i) Env e = new Env(null)
e.put(f, void, 1);

(ii) Env e₁ = new Env(e);

e₁.put(a, int, 2)
e₁.put(x, double)



(iii) Env e₂ = new Env (e₁)

e₂.put(x, int, 3)

e₂.put(y, int, 3)

Q. #Create the symbol table.

#show the modification of
the symbol table.

Hashtable of Lists

Q. Draw the symbol table operations for the following declarations in the body f by Hashtable of lists approach.

Key	
1 f:	void, 1
2 a:	int, 2
3 b:	int, 2
4 x:	double, 2
5 y:	int, 3

```

    void f(int a, int b) {
        double x;
        while (...) {
            int x, y;
        }
    }

    void g() {
        f(3);
    }

```

1. scope entry → level ++

2. Variable declare → check type id and check the levels

3. Variable use → check if

4. scope exit

different level
if same type and
throws error?

LR(1) Parsing

LR(1) item = LR(0) item + look ahead.

Rules :-

$$(i) A \rightarrow d \cdot B \beta, \underline{cld}$$

1st case :-

$$A \rightarrow d \cdot B \beta, \underline{cld}$$

\uparrow
take the
first of B

$$B \rightarrow L, a$$

putting
in as the B first()
in B 's lookahead

2nd case :-

$$\boxed{E \rightarrow BB}$$

$$B \rightarrow cB | d$$

$$E \rightarrow \cdot B B$$

$$B \rightarrow \cdot cB | \cdot d, \underline{cld}$$

so,

4th case :-

$$E' \rightarrow \cdot E, \$$$

$$E \rightarrow \cdot BB, \$$$

$\$$ was the lookahead

$B = E$

what is the first() of B ?

$$\text{first}(B) = cld$$

what B ?
because after B , BB arrives

3rd case :-

$$A \rightarrow d \cdot B, \underline{cld}$$

$$B \rightarrow L, \underline{cld}$$

$B = E$

then look
ahead will simply
move down

Comparison :-

LR(0) : Put reduce
in full row

SLR(1) : Put reduce in
follow of P

CLRC(1)
LR(1) : Put reduce only
in lookahead

period (1) #

state	Action			Goto	
	c	d	\$	s	c
q0	s3	i4		1	2
q1			accept	q0	A (i)
q2	s5 s6	s8		5	B (i)
q3	s3	s4		7	C (i)
q4	r3	r3		q7	D (i)
q5			r1		E (i)
q6	s6	s8		9	F (i)
q7	r2	r2			G (i)
q8			r3		H (i)
q9			r2		I (i)

3 = E

3 = E

N = C (i) #

E, E, E

E, E, E