



Centre for Medical Image Computing

**SEGMENTATION PART II,
COMPUTATIONAL MODELLING
& IMAGING BIOMARKER
EXTRACTION**

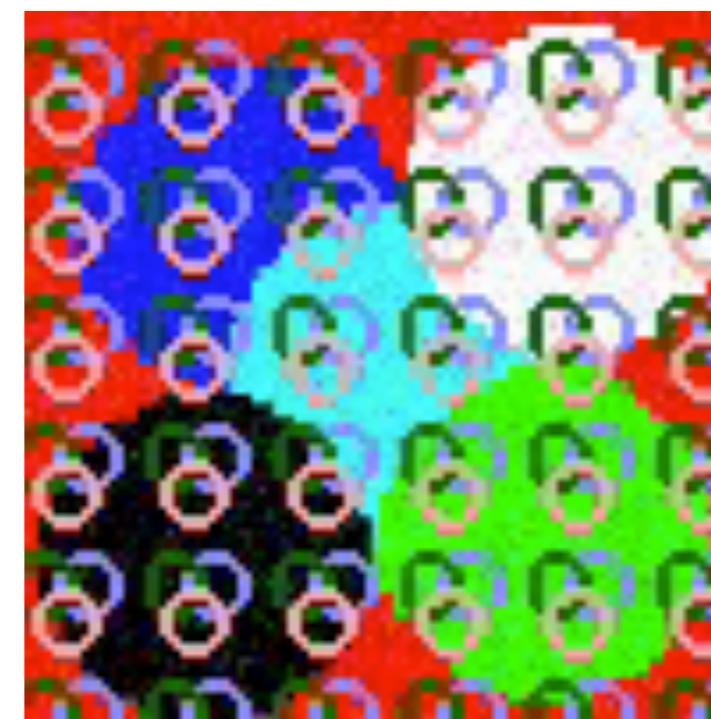
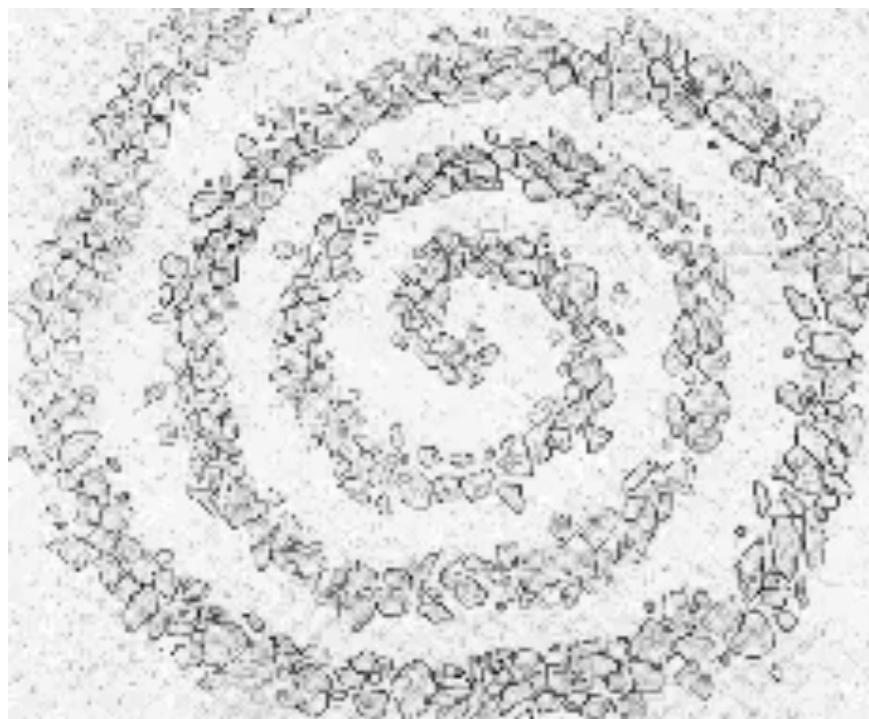
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- Segmentation II
 - Level Sets
 - Label Fusion
- Computational neuroanatomy/Biomarker extraction
 - Cross-sectional
 - Groupwise
 - VBM/TBM
 - CTE
 - Longitudinal
 - Atrophy (Volume/BSI)
 - DTI ROI analysis

LEVEL SETS

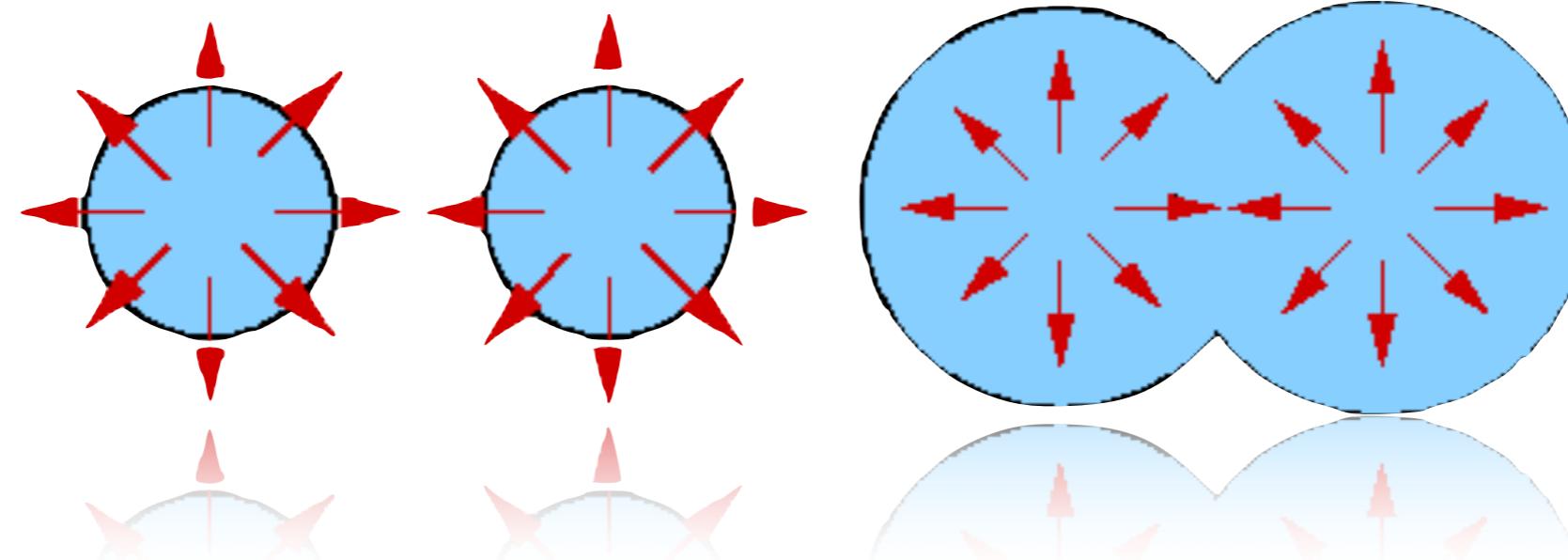
Level Set Method

- Contour evolution method
- Initially proposed by J. Sethian and S. Osher, 1988
- Problems with “snake-type” methods
 - Self-intersection
 - Changes in topology



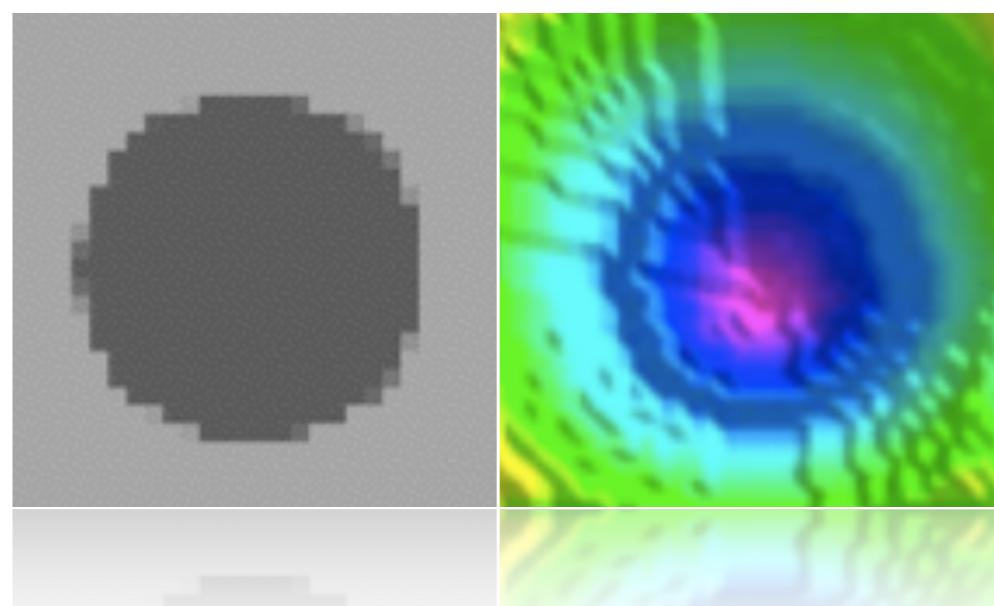
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Level Set Method

- Define problem in “1 dimension above” the dimensionality of the problem
 - 2D problem → 3D Level set formulation
 - 3D problem → 4D Level set formulation
- Define level set function $z=(x,y,t=0)$
 - Where the (x,y) plane contains the contour,
 - z = e.g. signed Euclidean distance transform value



Level Sets - Some Maths

- Represents the curve in the form of an implicit surface:

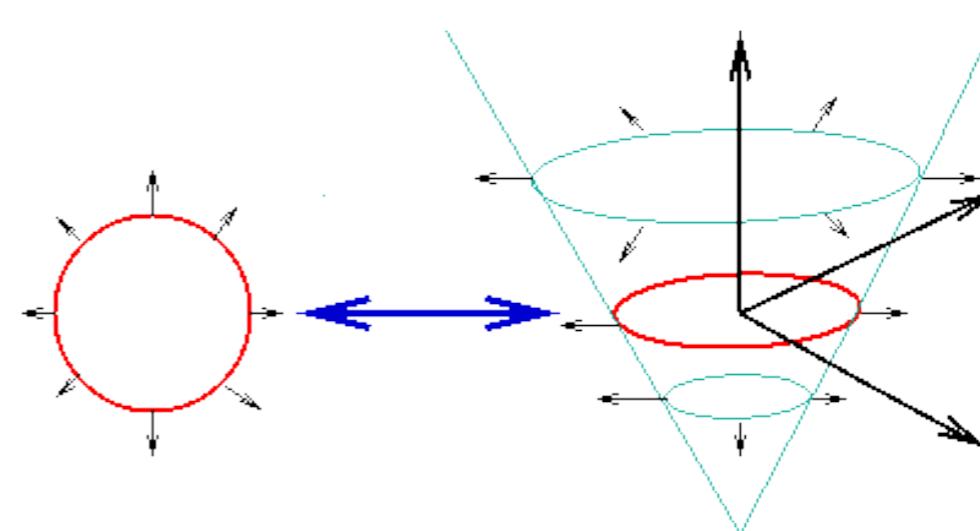
$$T(x, y) = t \qquad \phi(x, y, t)$$

- The initial contour gives the level set “starting conditions”

$$\Gamma(t) = \{(x, y) | T(x, y) = t\}$$

$$\Gamma(t) = \{(x, y) | \phi(x, y, t) = 0\}$$

$$z = r^2 = x^2 + y^2$$



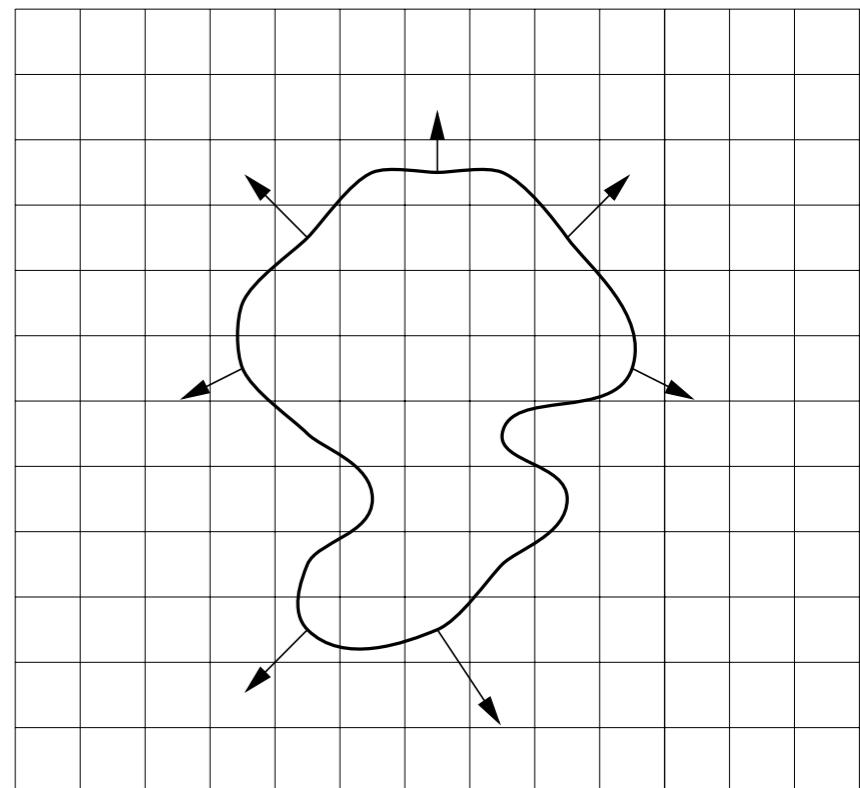
Boundary Value Formulation - Fast Marching Method

- Speed has to be positive $F>0$
- Front always move in one direction:
– “outwards” or “inwards”
- The position of the advancing front is computed by the arrival time $T(x,y)$ at each (x,y) position
- $distance=rate*time$

$$1 = F \frac{dT}{dx}.$$

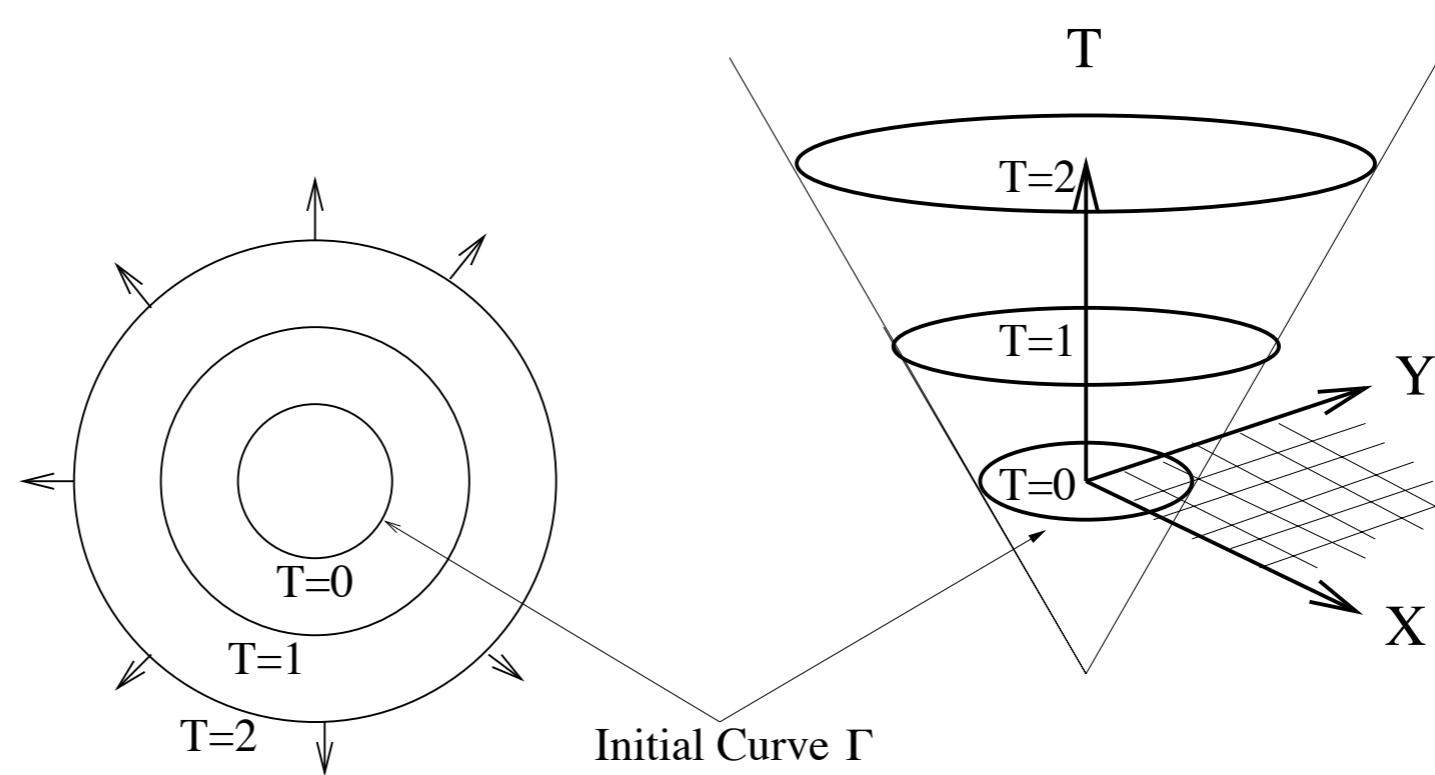
$$|\nabla T|F = 1, \quad T = 0 \text{ on } \Gamma,$$

- with ∇T orthogonal to the level set

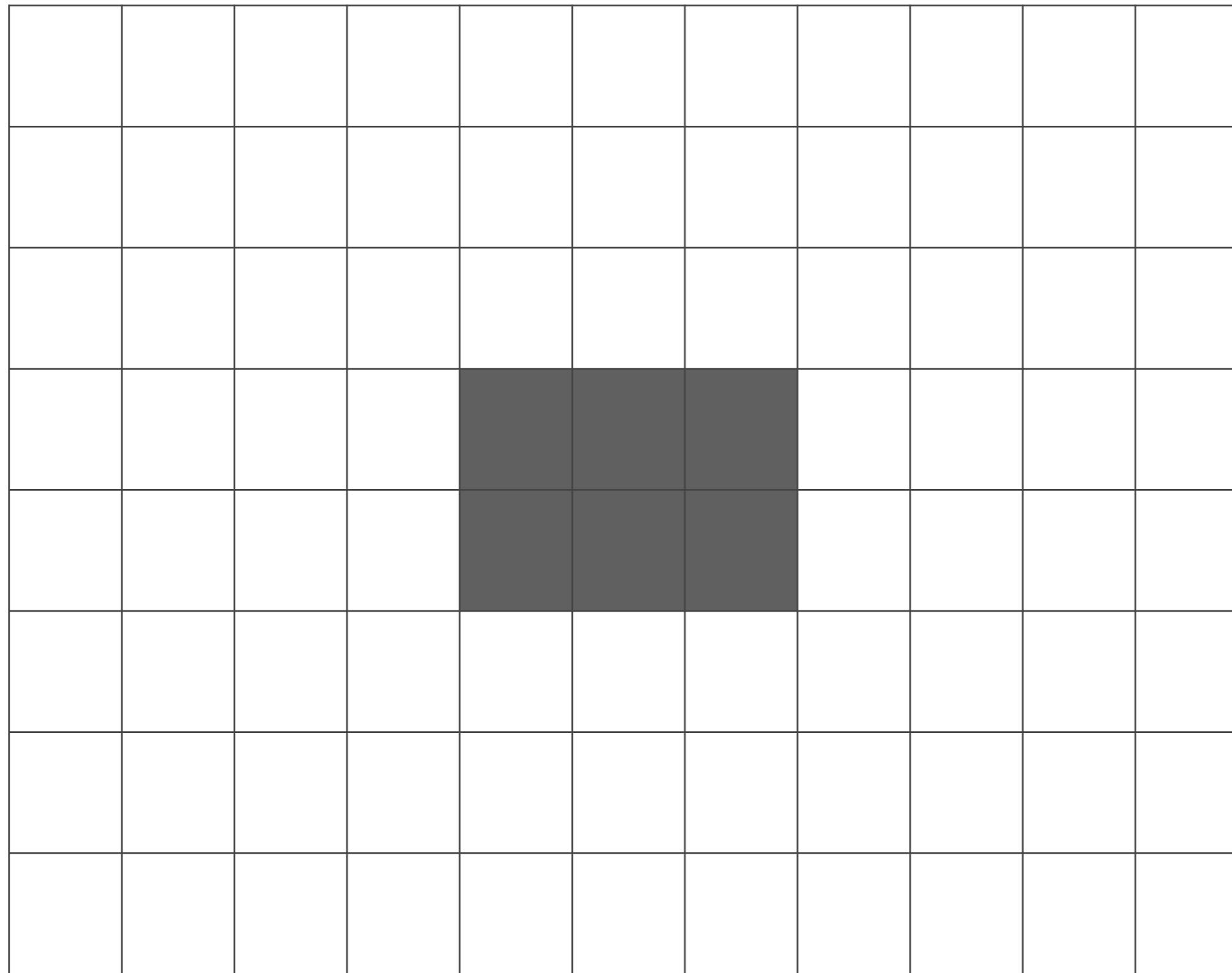


Boundary Value Formulation - Fast Marching Method

$$\left[\max(D_{ijk}^{-x}T, -D_{ijk}^{+x}T, 0)^2 + \max(D_{ijk}^{-y}T, -D_{ijk}^{+y}T, 0)^2 + \max(D_{ijk}^{-z}T, -D_{ijk}^{+z}T, 0)^2 \right]^{1/2} = \frac{1}{F_{ijk}}$$

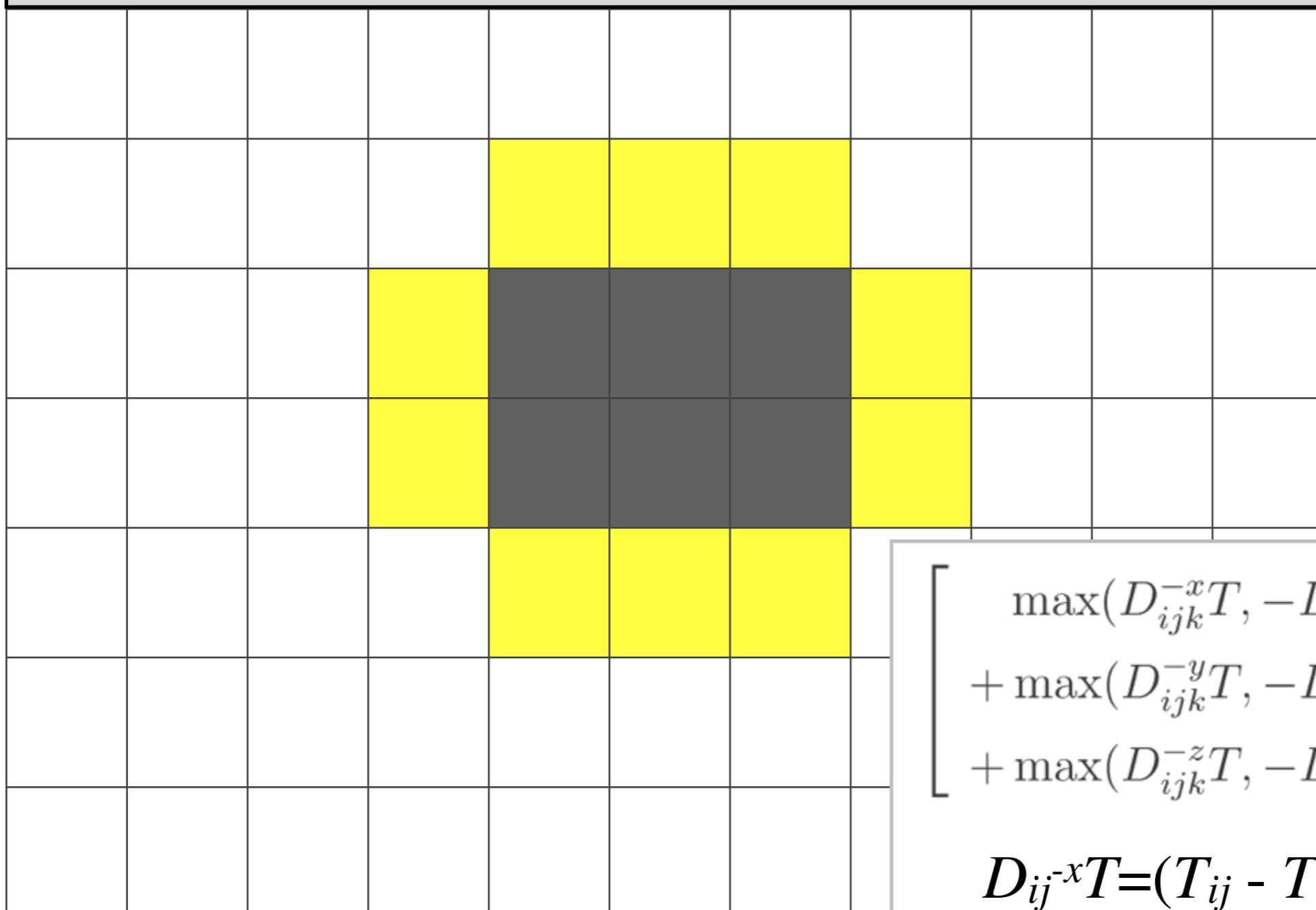


Fast Marching Method - implementation



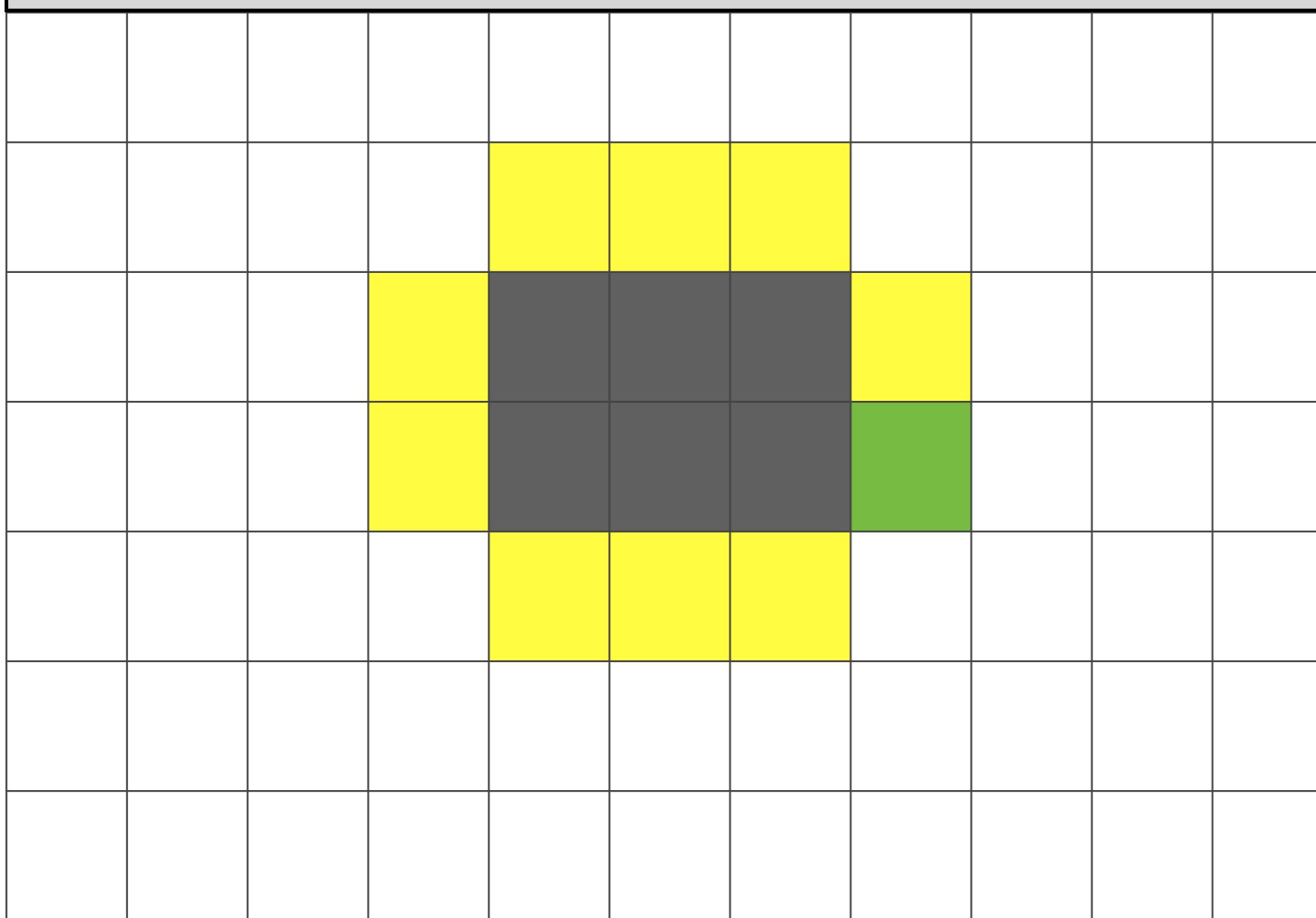
Fast Marching Method - implementation

Solve Eikonal equation for the yellow voxels



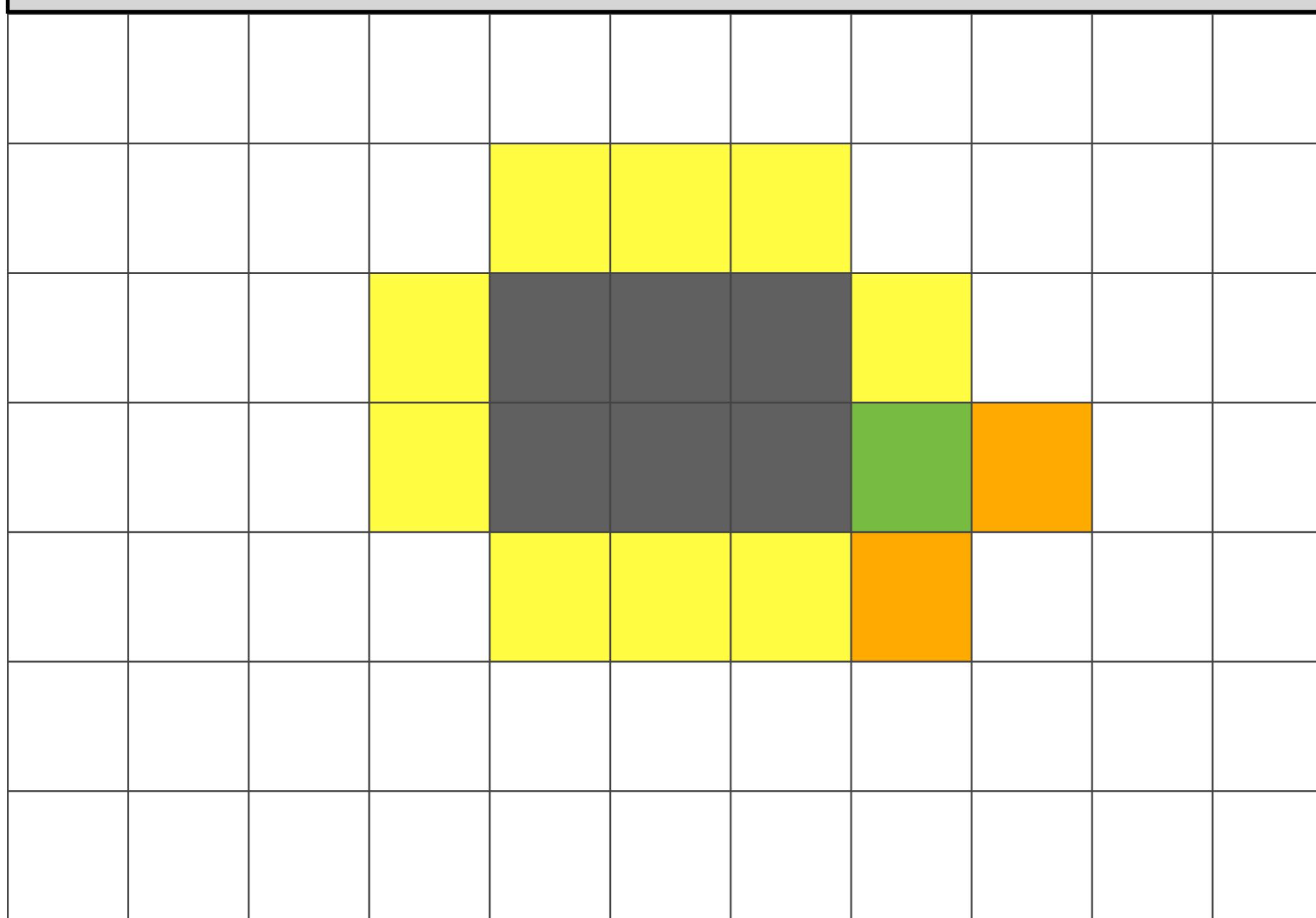
Fast Marching Method - implementation

When one voxel is calculated, add its neighbours to the cue and mark them as “NarrowBand”



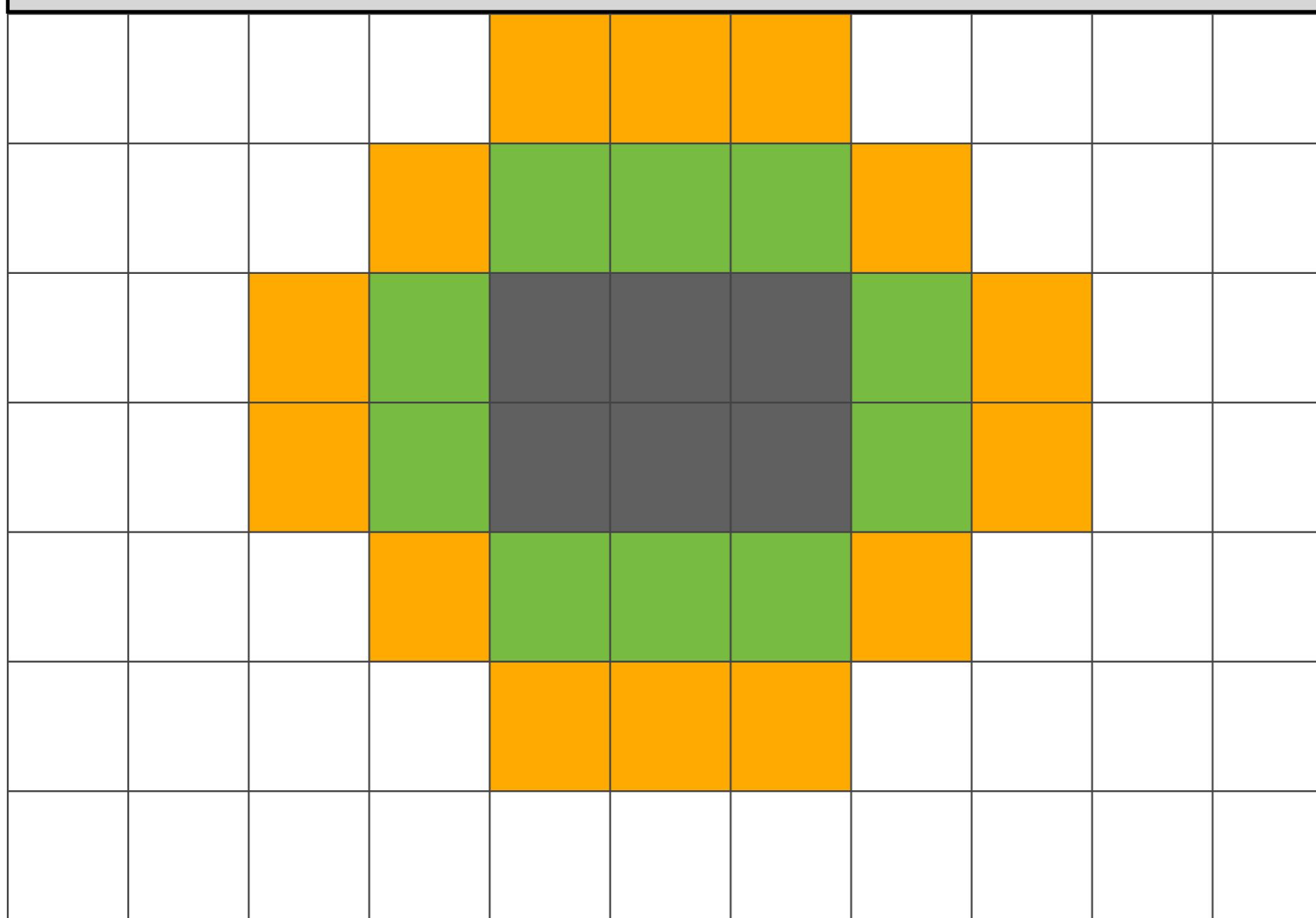
Fast Marching Method - implementation

Orange voxels are marked as “NarrowBand” and the green voxel is marked as “Solved”



Fast Marching Method - implementation

Solve all the yellow voxels and add all their neighbours to the
“NarrowBand” list



Fast Marching Method - implementation

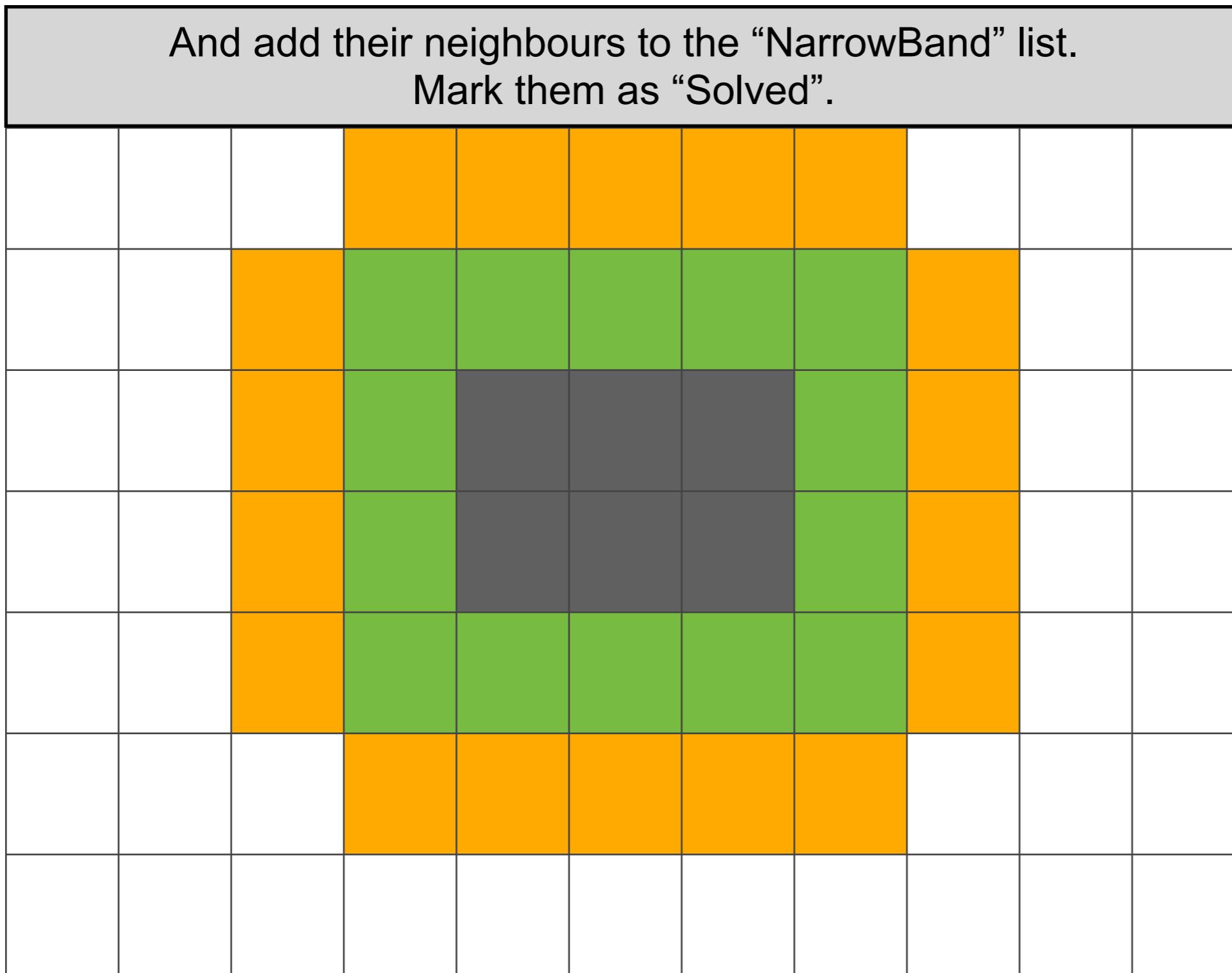
Solve the “NarrowBand” list.

Select the ones with the smaller T and mark them as “Alive”

Solve the “NarrowBand” list.
Select the ones with the smaller T and mark them as “Alive”

Fast Marching Method - implementation

And add their neighbours to the “NarrowBand” list.
Mark them as “Solved”.



Fast Marching Method - implementation

Keep on doing it until all are marked as solved



Fast Marching Method - Step by Step

- **Initialise Step**

Alive Points: Let A be the set of all grid points $\{i_A, j_A\}$ that represents the initial curve;

Narrow Band: Let NarrowBand be the set of all grid points neighbours of A .

- **Marching Forwards**

Begin Loop: Let (i_{min}, j_{min}) be the point in NarrowBand with the smallest value for T .

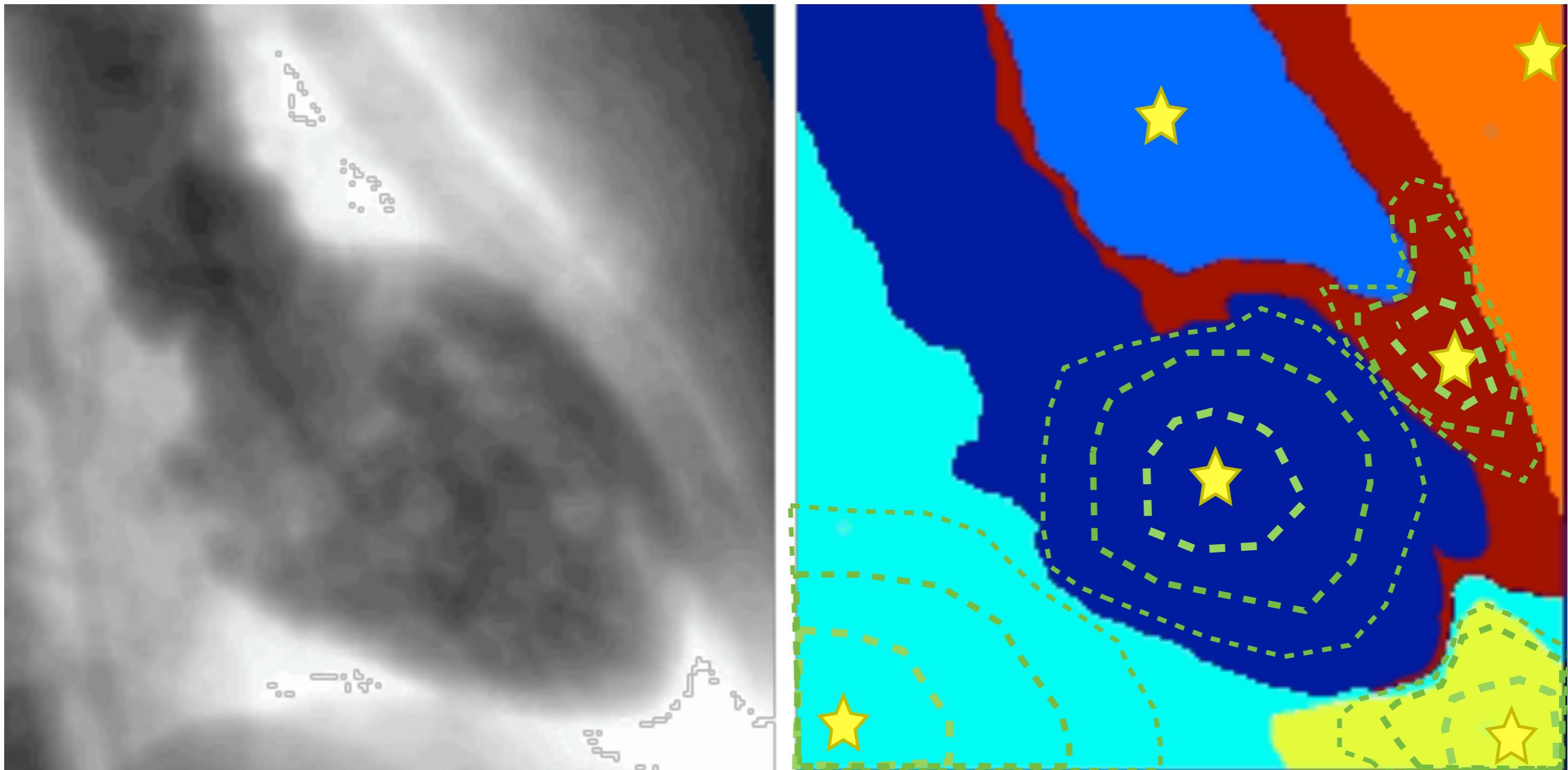
Add the point (i_{min}, j_{min}) to A (*mark it as “solved”*); remove it from NarrowBand .

Tag as neighbours any points $(i_{min}-1, j_{min}), (i_{min}+1, j_{min}), (i_{min}, j_{min}-1), (i_{min}, j_{min}+1)$ that are not yet solved and add them to the NarrowBand

Recompute the values of T at all neighbours according to discrete Eikonal equation, selecting the largest possible solution to the quadratic equation.

Return to top of Loop.

How to use it for segmentation



$$1 = F \frac{dT}{dx}.$$

Initial Value Formulation - Narrow Band

- Boundary Value Level Set Equation

$$\phi_t + F|\nabla \phi| = 0,$$

given $\phi(x, t = 0)$.

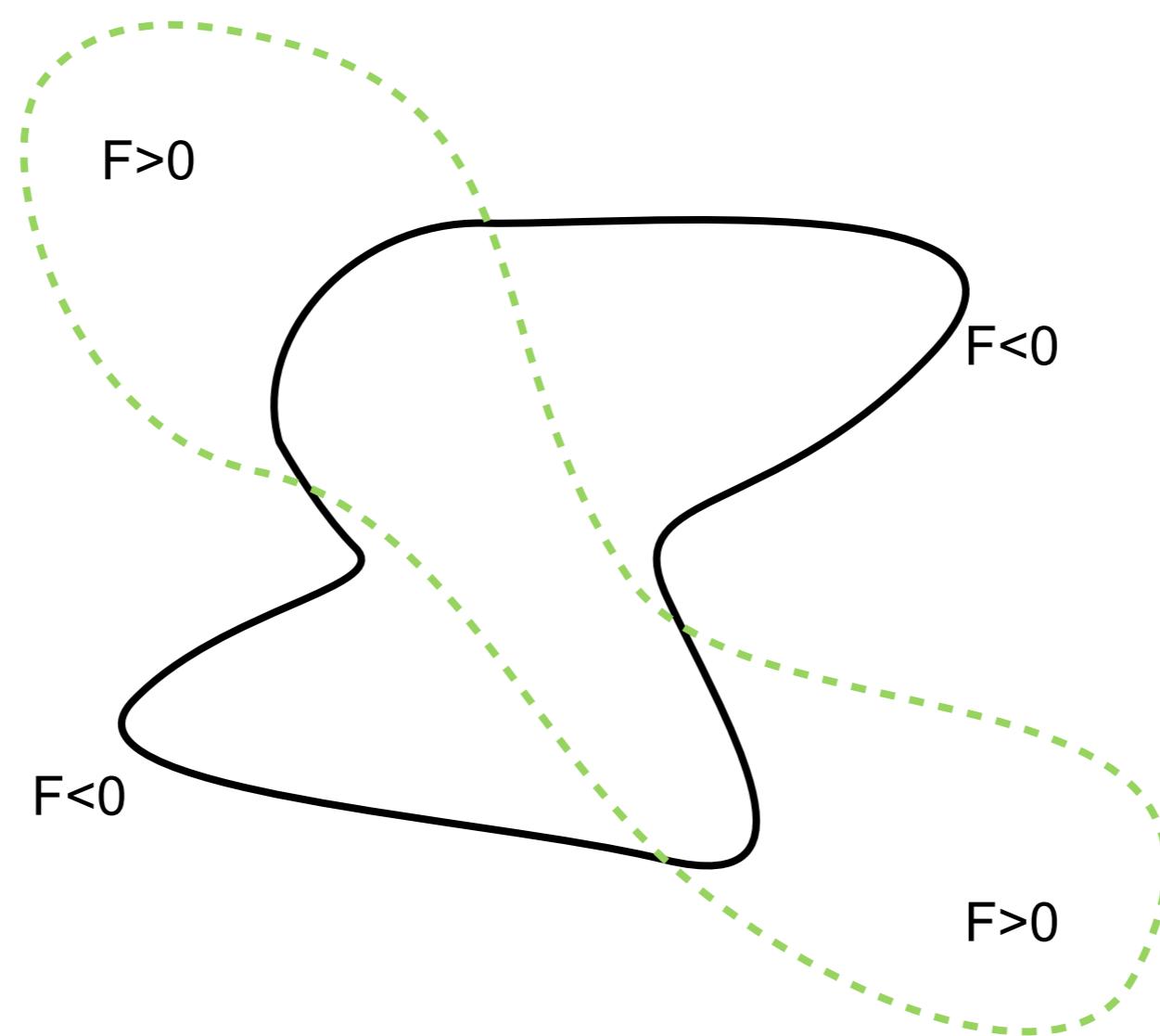
- The upwinded finite difference approximations for convection

$$\varphi_{ijk}^{n+1} = \varphi_{ijk}^n + \Delta t_1 (\max(F, 0) \nabla_{ijk}^+ + \min(F, 0) \nabla_{ijk}^-)$$

$$\begin{aligned} \nabla_{ijk}^+ &= [\max(D^{-x}\phi_{ijk}^n, 0)^2 + \min(D^{+x}\phi_{ijk}^n, 0)^2 + \\ &\quad \max(D^{-y}\phi_{ijk}^n, 0)^2 + \min(D^{+y}\phi_{ijk}^n, 0)^2 + \\ &\quad \max(D^{-z}\phi_{ijk}^n, 0)^2 + \min(D^{+z}\phi_{ijk}^n, 0)^2]^{1/2}, & \nabla_{ijk}^- &= [\min(D^{-x}\phi_{ijk}^n, 0)^2 + \max(D^{+x}\phi_{ijk}^n, 0)^2 + \\ &\quad \min(D^{-y}\phi_{ijk}^n, 0)^2 + \max(D^{+y}\phi_{ijk}^n, 0)^2 + \\ &\quad \min(D^{-z}\phi_{ijk}^n, 0)^2 + \max(D^{+z}\phi_{ijk}^n, 0)^2]^{1/2}. \end{aligned}$$

Initial Value Formulation - Narrow Band

First Level Set with different F values in different areas

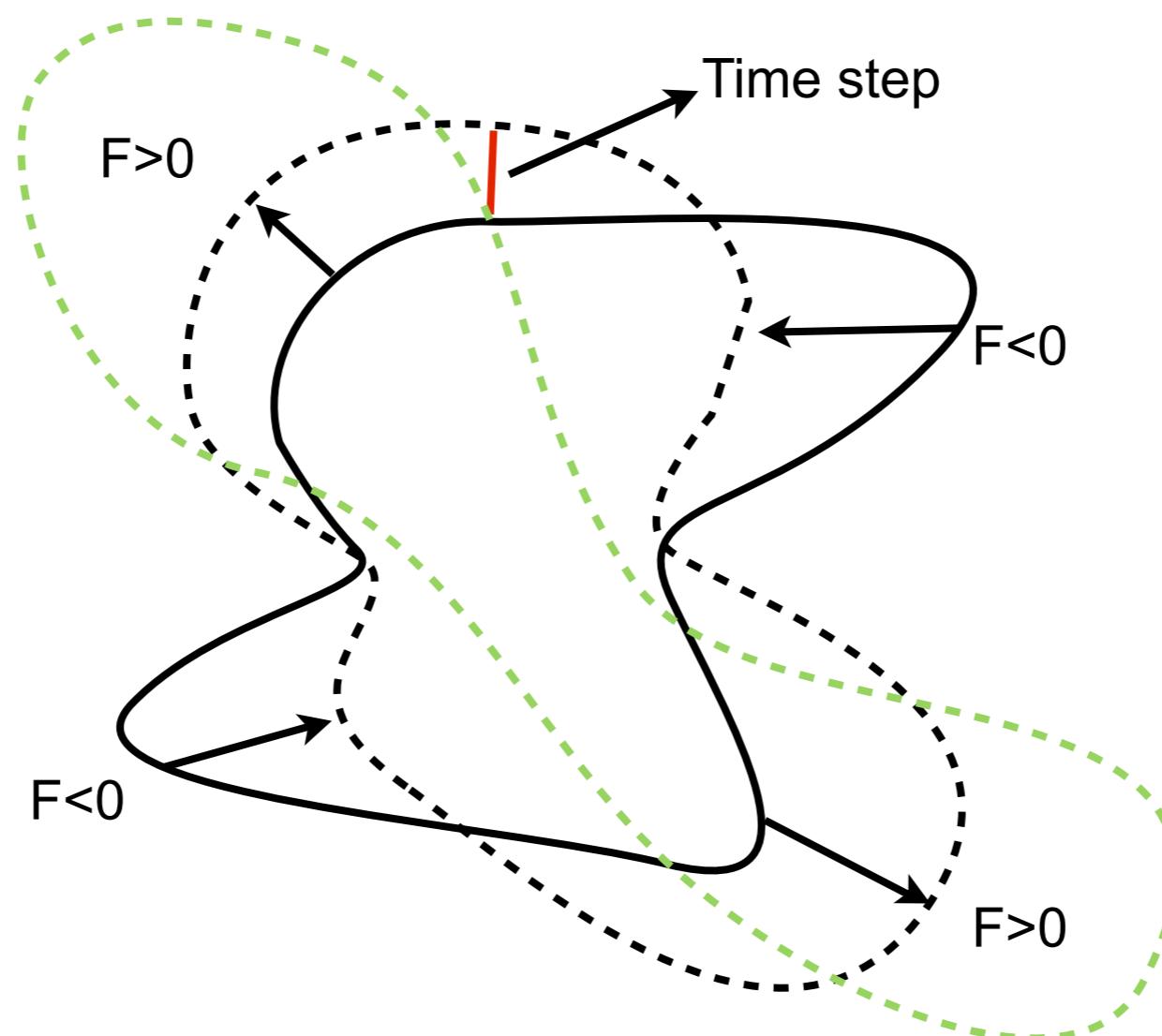


$$\phi_t + F|\nabla\phi| = 0,$$

given $\phi(x, t=0)$.

Initial Value Formulation - Narrow Band

The Level Set evolves a certain amount t

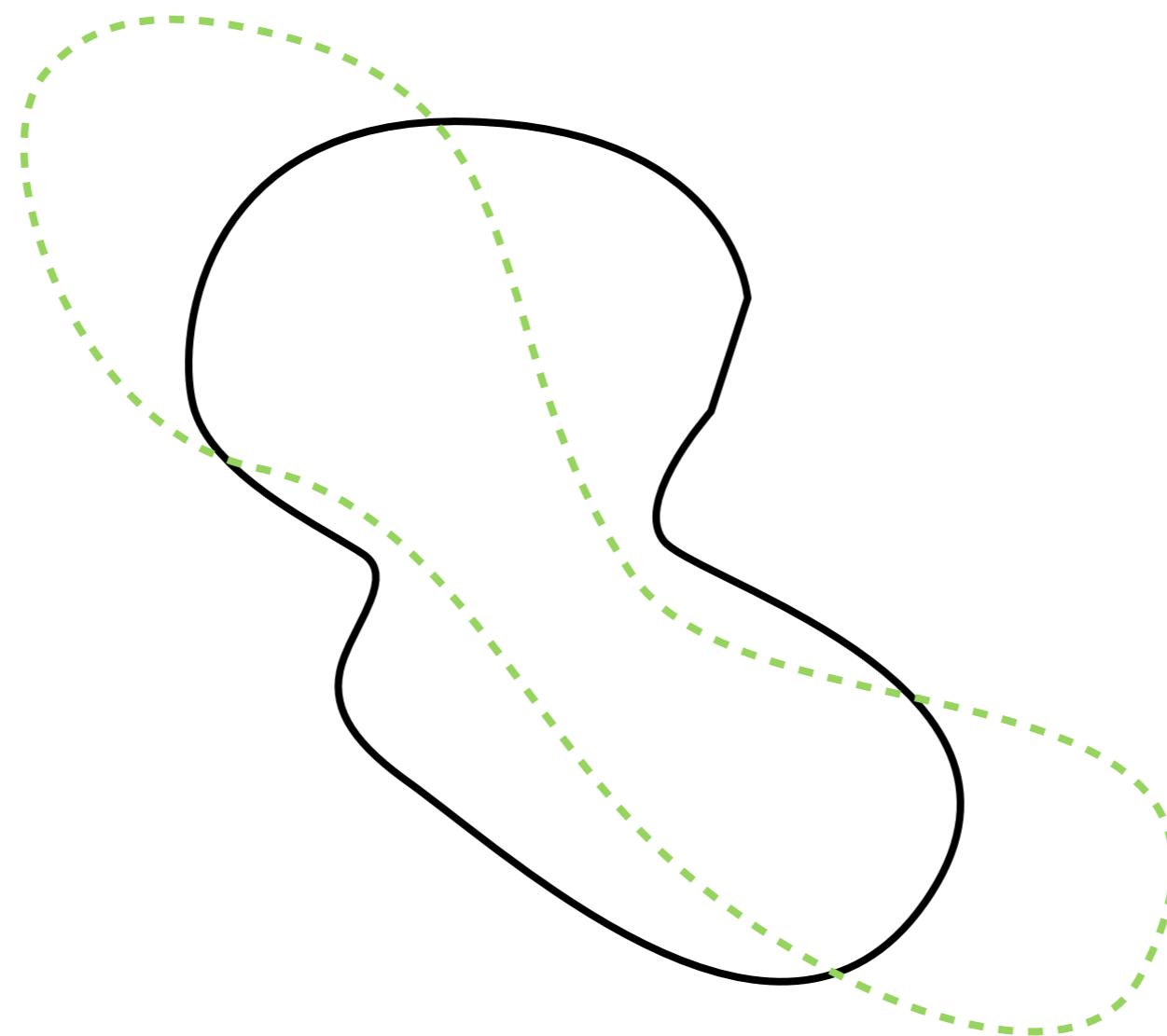


$$\phi_t + F|\nabla\phi| = 0,$$

given $\phi(x, t = 0)$.

Initial Value Formulation - Narrow Band

The evolved level set becomes the new zero level set

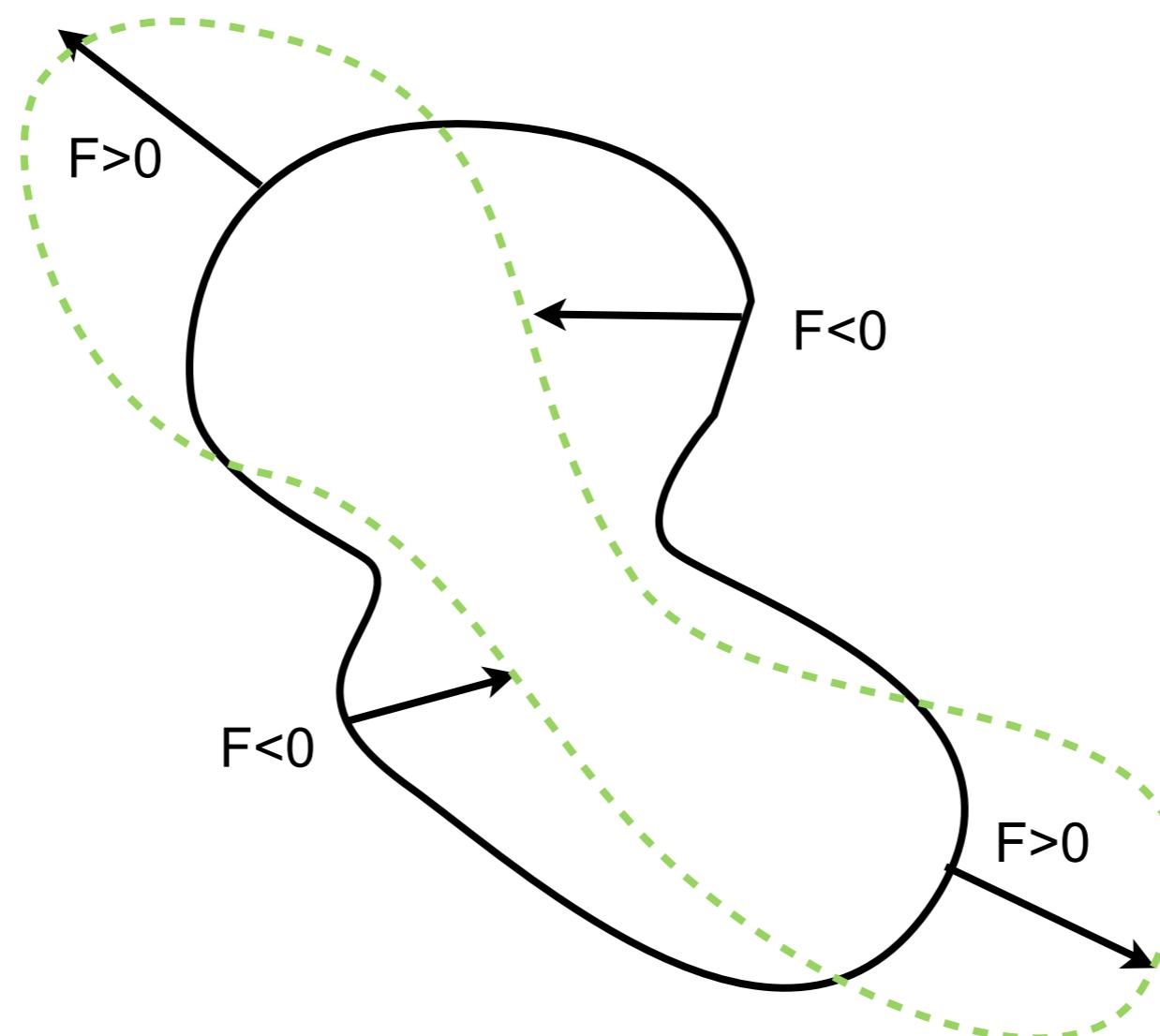


$$\phi_t + F|\nabla\phi| = 0,$$

given $\phi(x, t=0)$.

Initial Value Formulation - Narrow Band

The new level set evolves a geodesic time step t

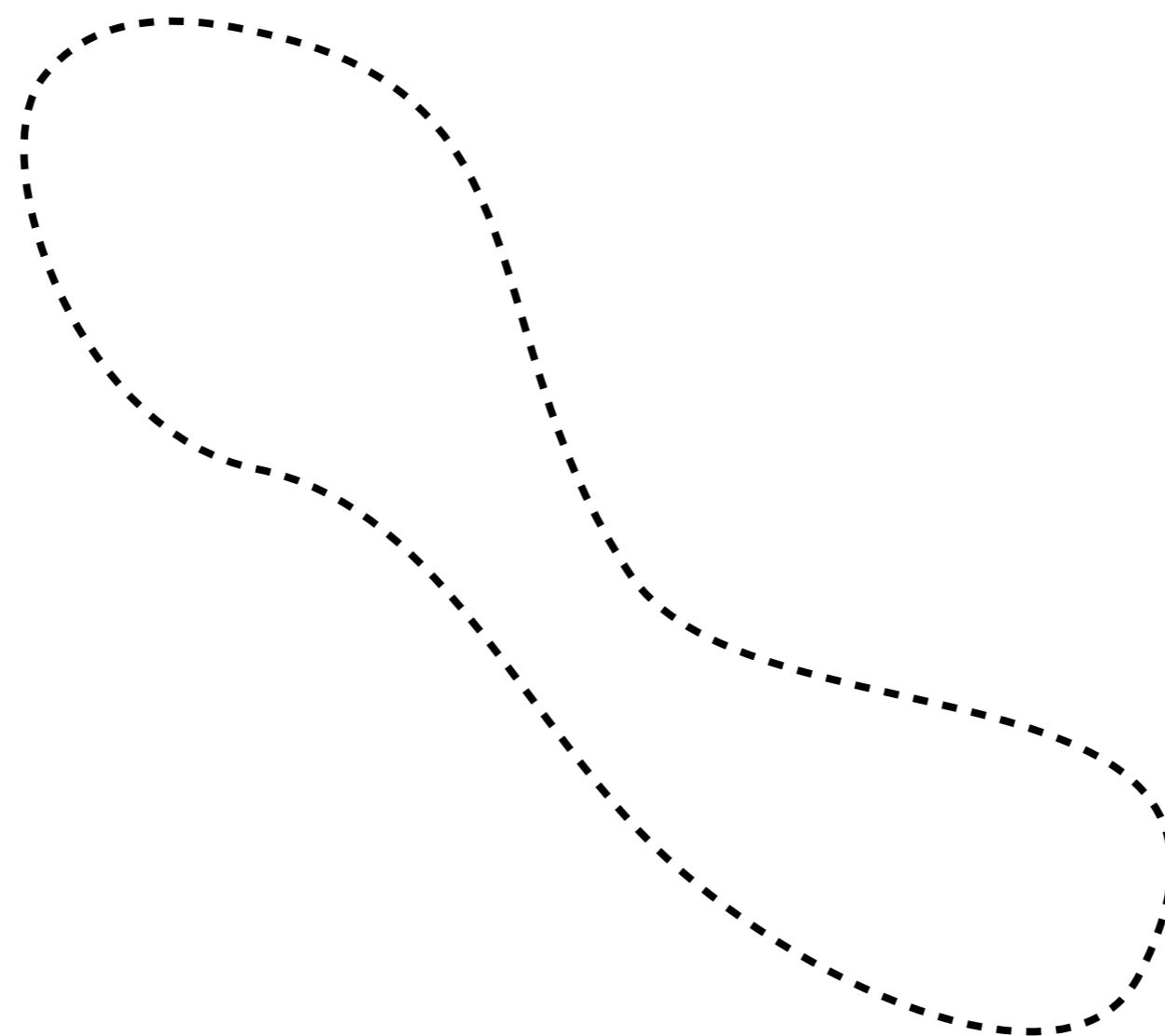


$$\phi_t + F|\nabla\phi| = 0,$$

given $\phi(x, t = 0)$.

Initial Value Formulation - Narrow Band

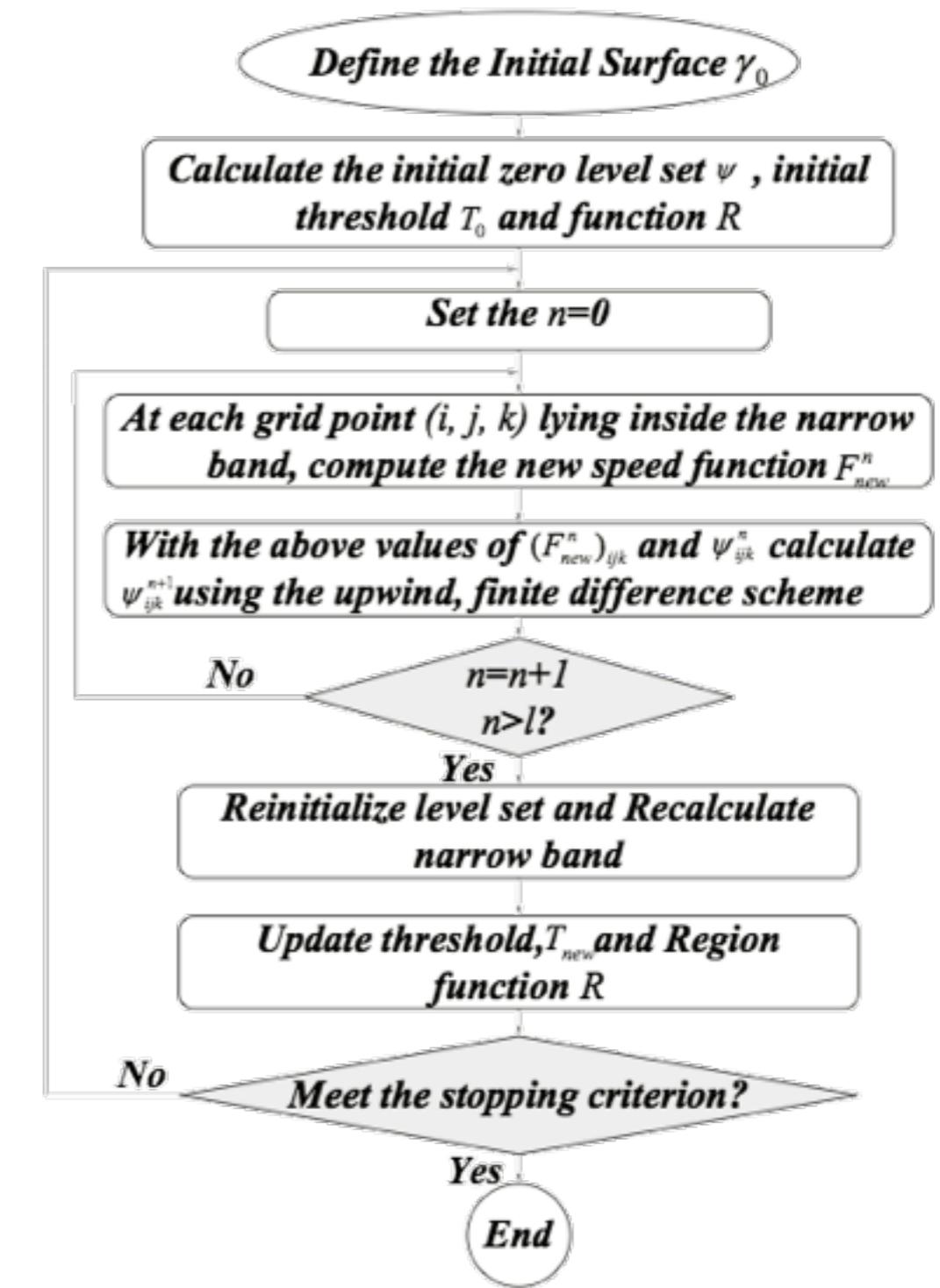
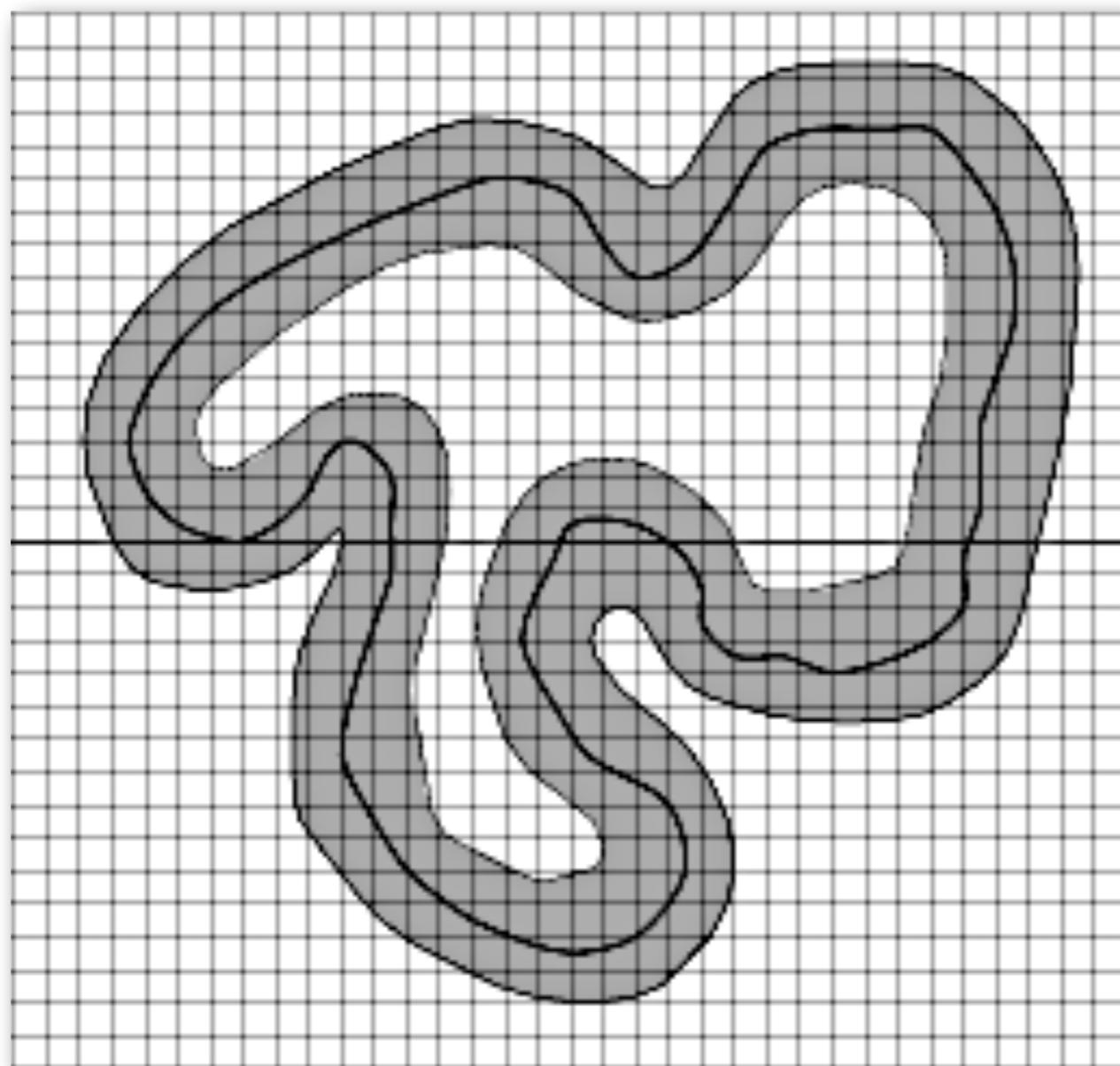
The evolved level set becomes the new zero level set



$$\phi_t + F|\nabla\phi| = 0,$$

given $\phi(x, t = 0)$.

Initial Value Formulation - Narrow Band



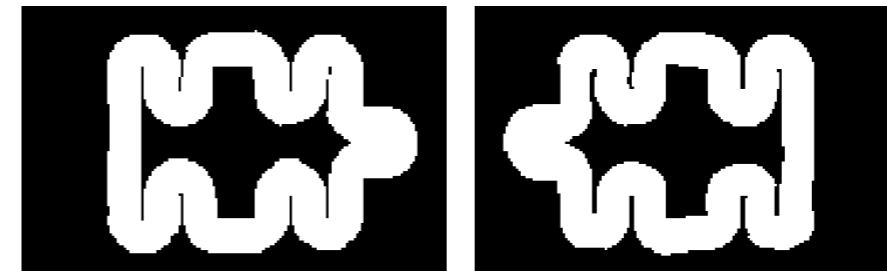
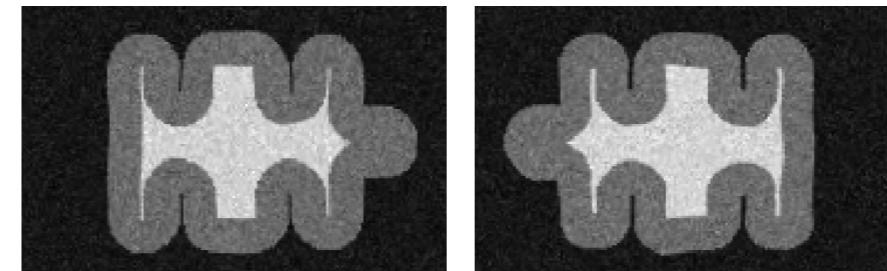
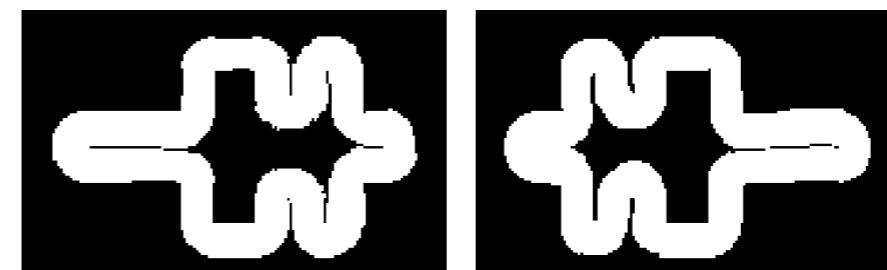
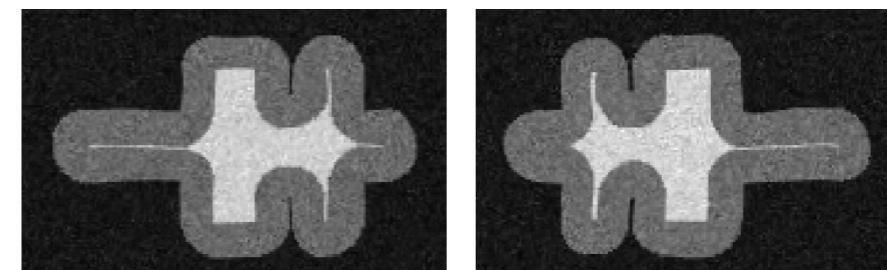
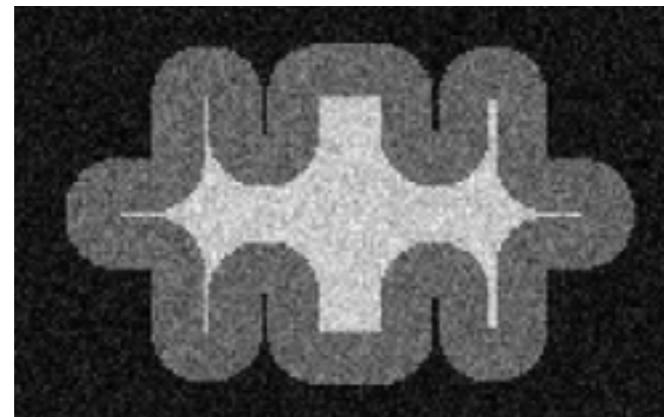
Recap

| BOUNDARY VALUE FORMULATION | INITIAL VALUE FORMULATION |
|--|--|
| $ \nabla T F = 1,$ | $\phi_t + \nabla\phi(x(t), t) \cdot x'(t) = 0$ |
| $\Gamma(t) = \{(x, y) T(x, y) = t\}$ | $\Gamma(t) = \{(x, y) \phi(x, y, t) = 0\}$ |
| F is static and positive | Spatially and time varying F |

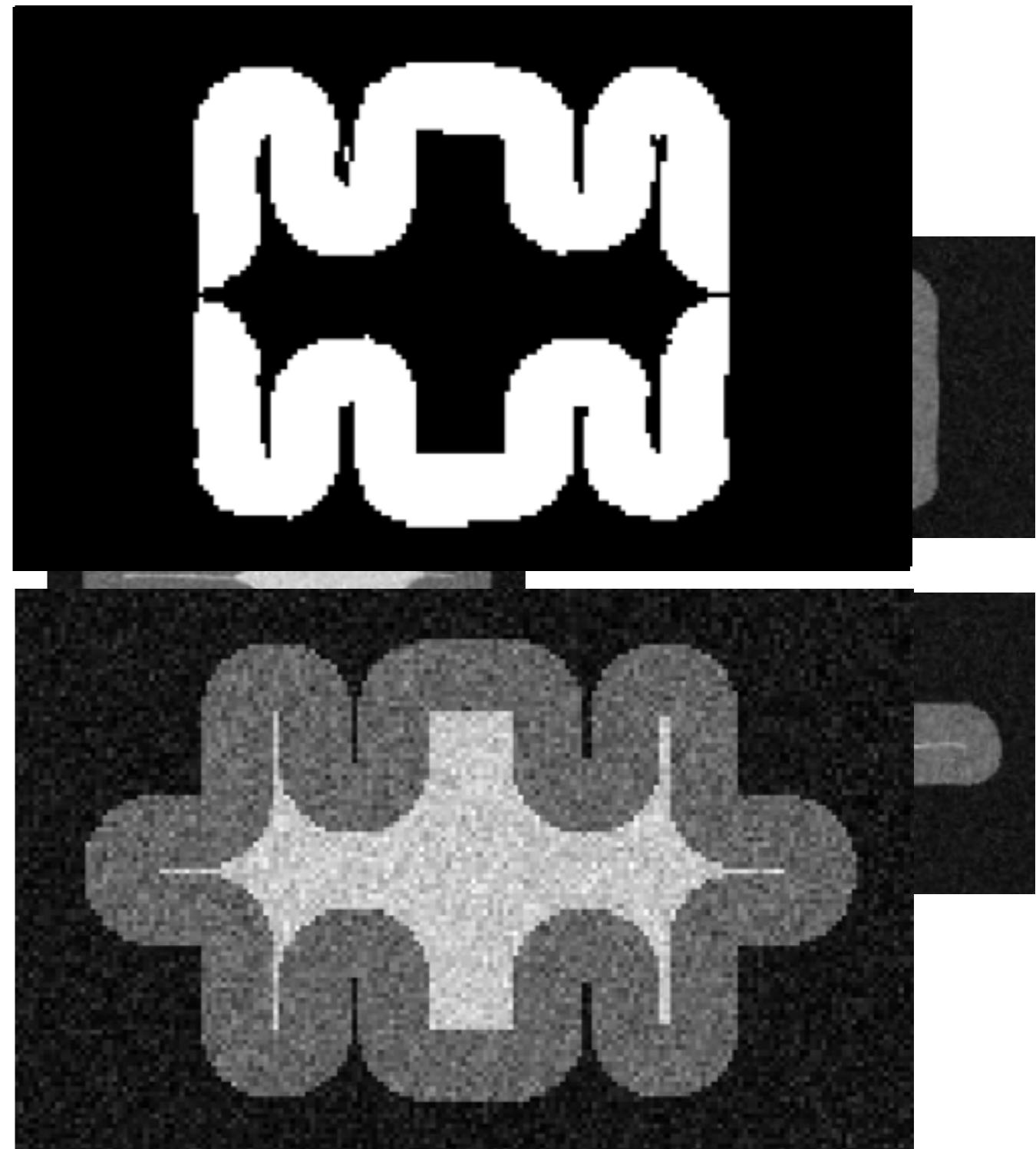
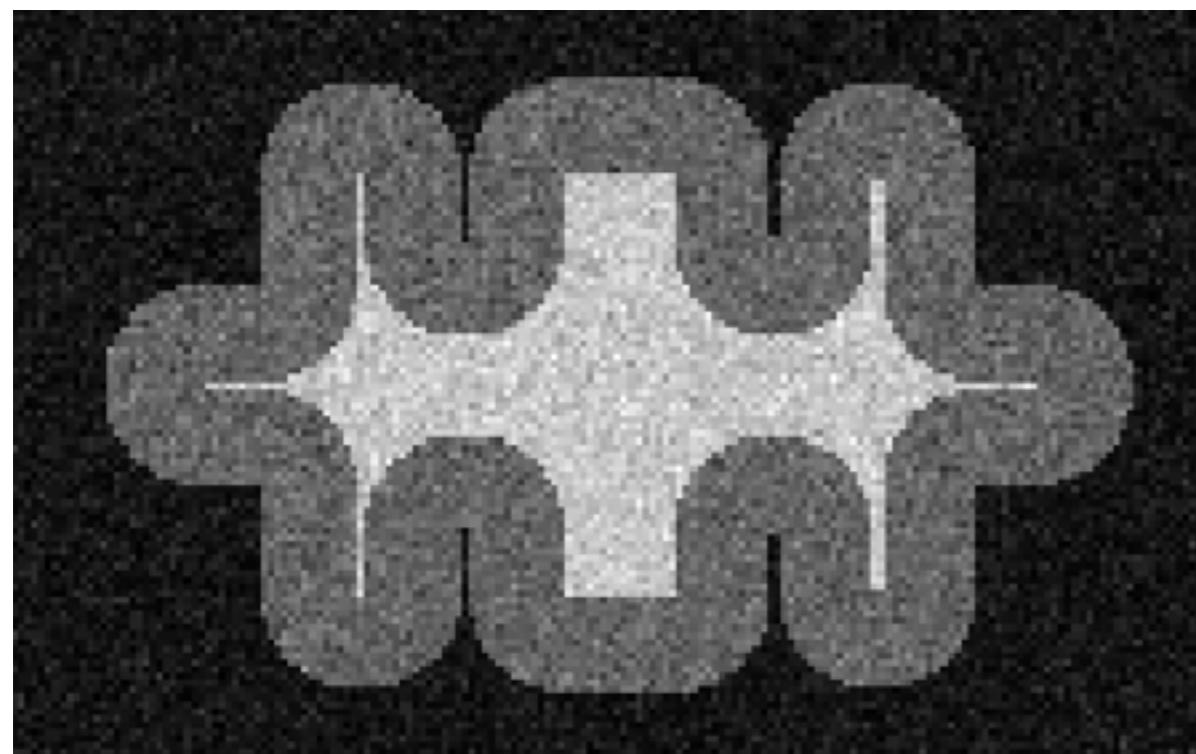
LABEL FUSION

Fusion and Ranking methods

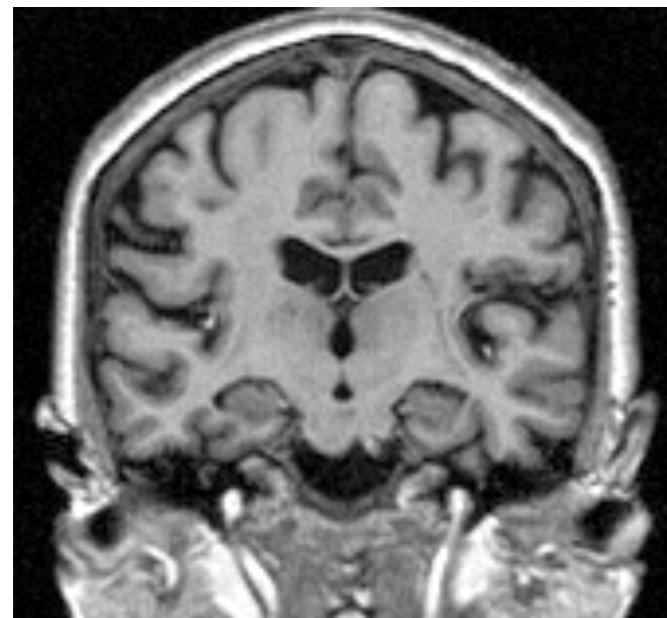
- Types of fusion:
 - Voting: Majority Voting, Weighted Voting, SIMPLE
 - Probabilistic: STAPLE, Spatial-STAPLE, STEPS



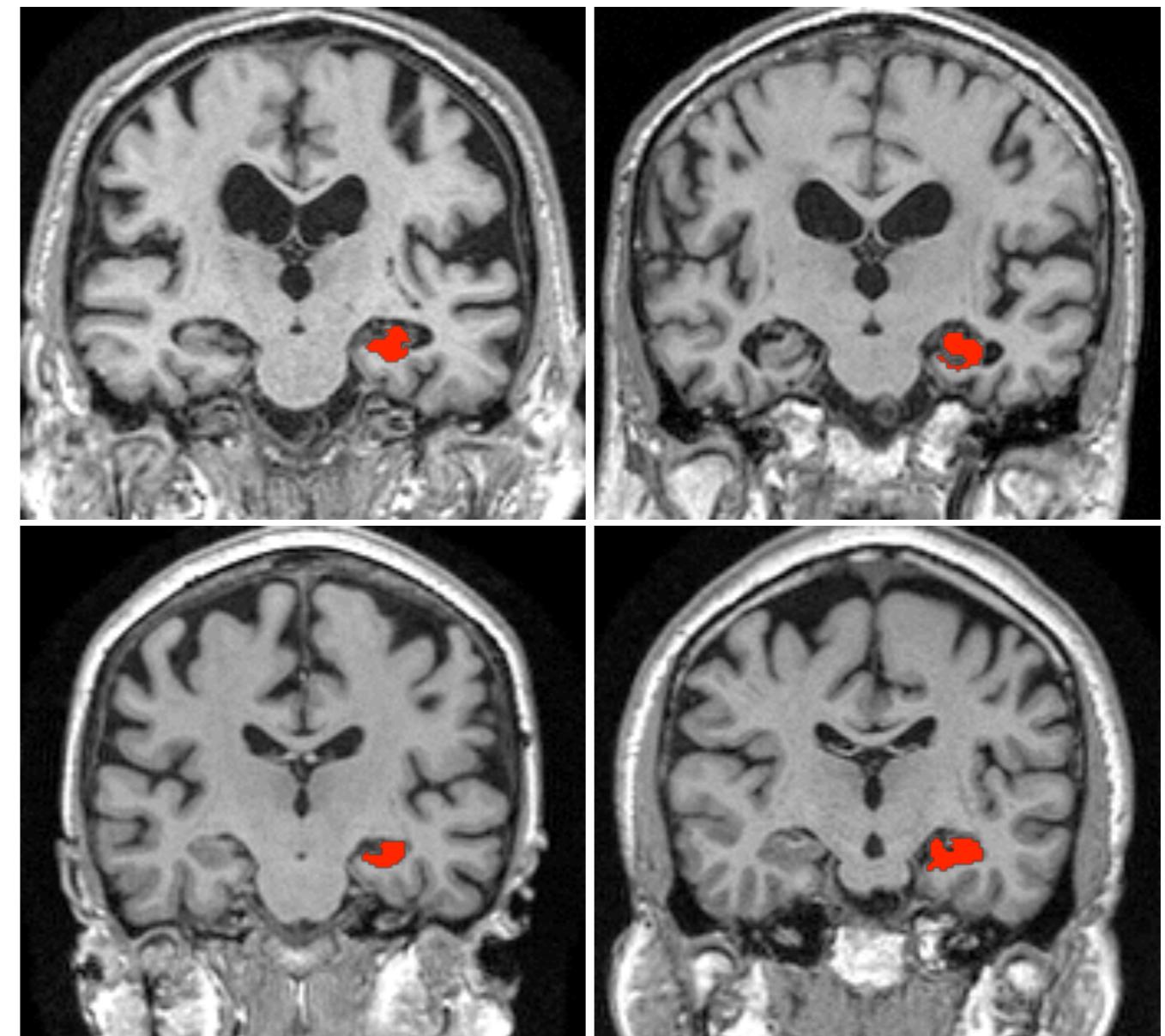
How does label fusion works



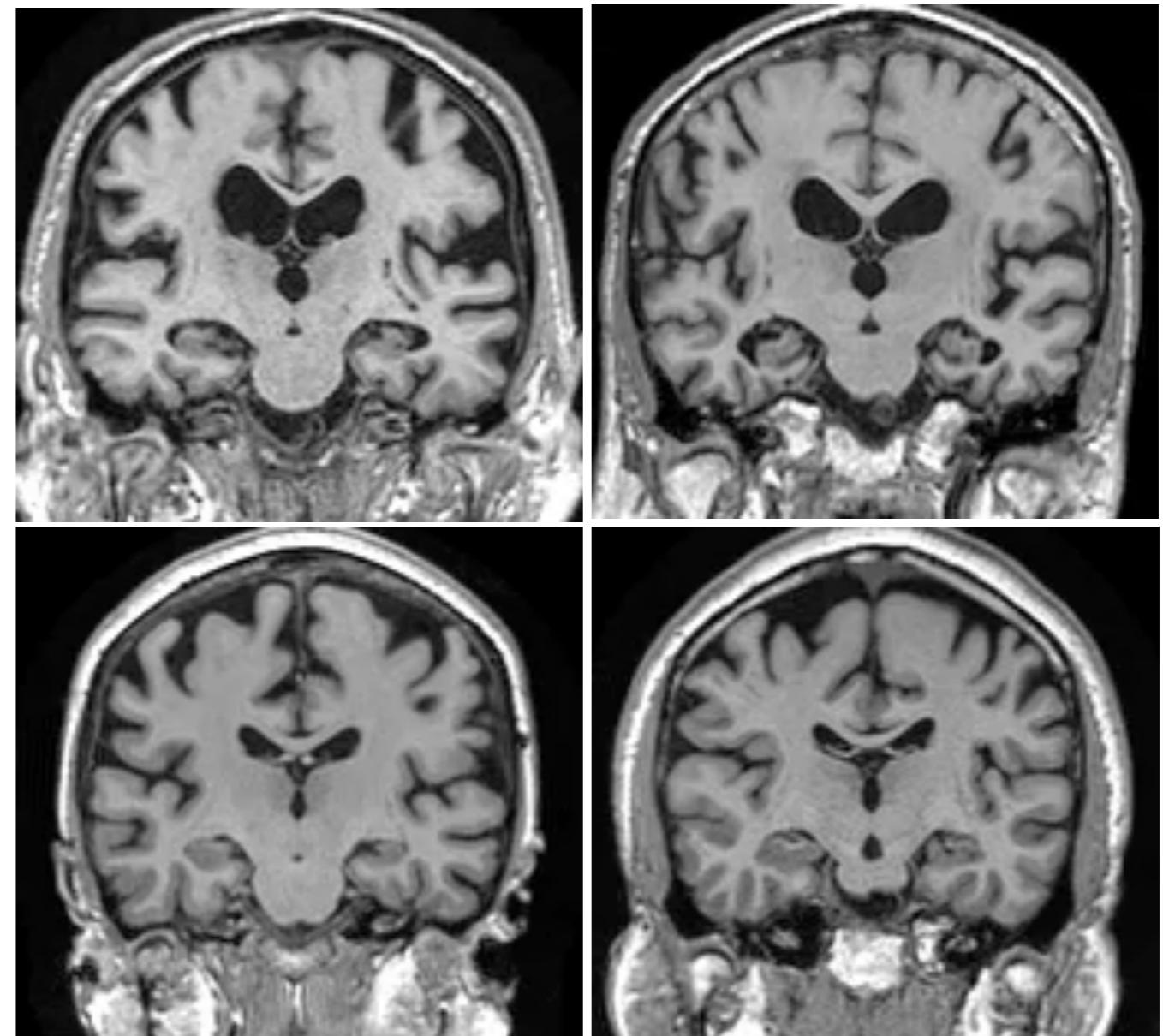
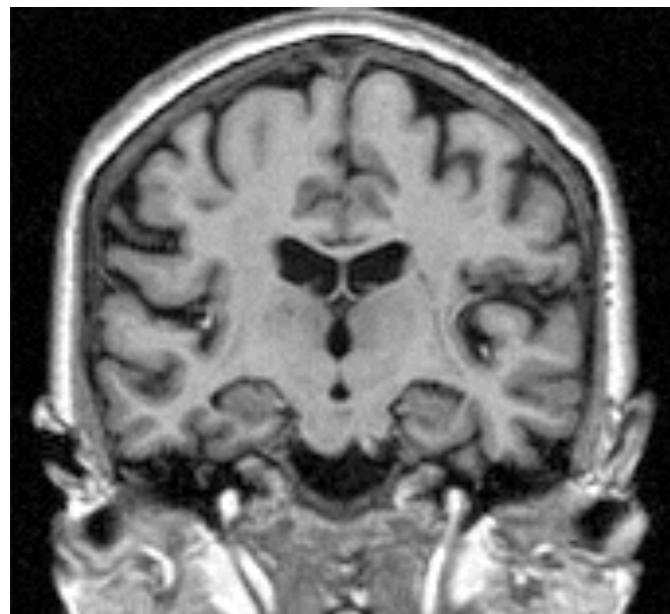
- Segmentation propagation
 - Example - Hippocampus segmentation



Unseen image

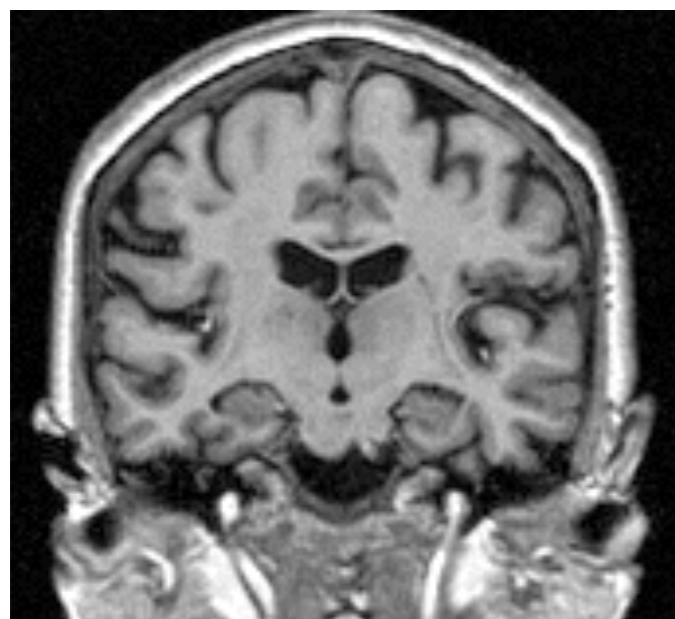


- Segmentation propagation
 - Example - Hippocampus segmentation

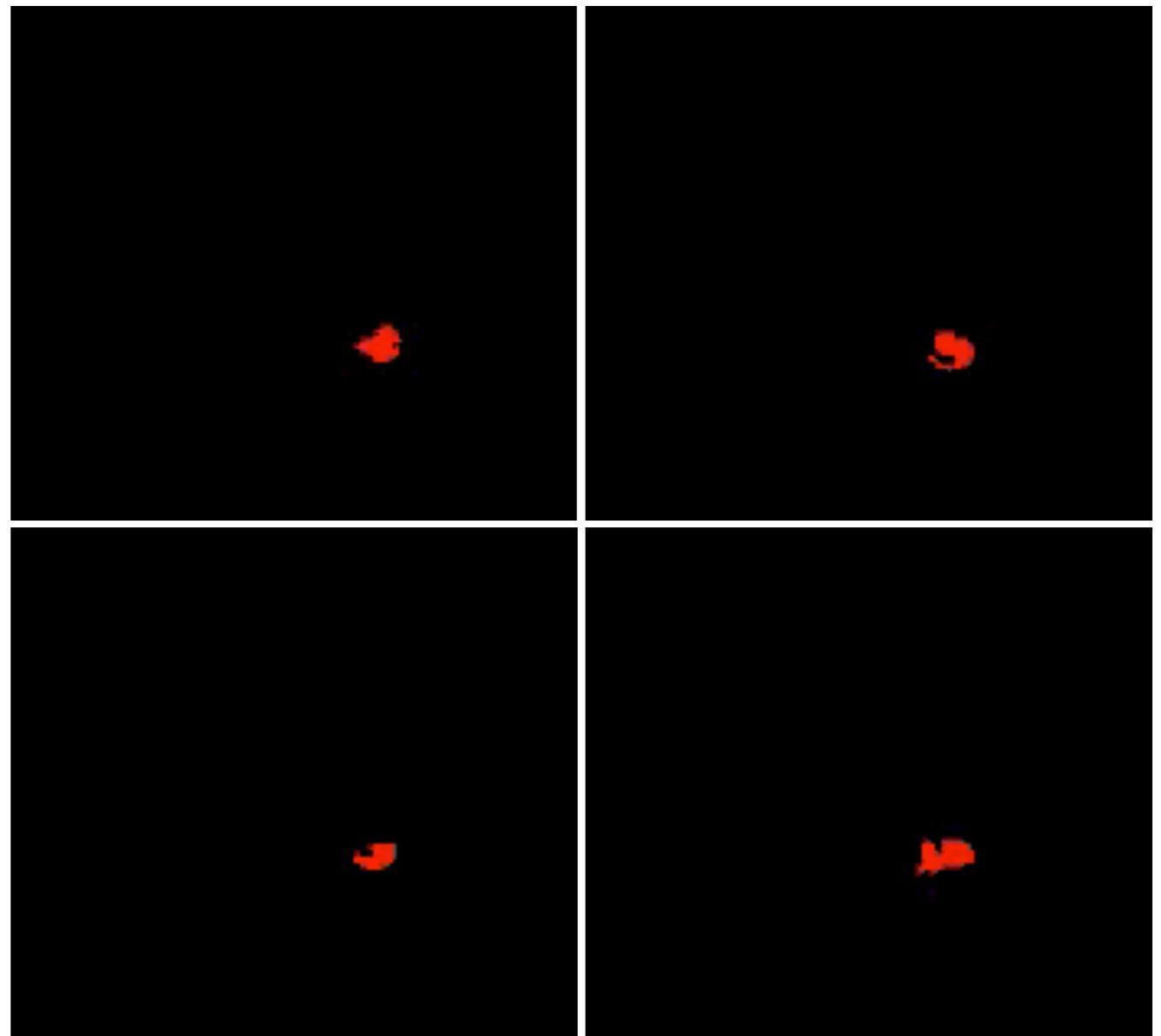


Unseen image

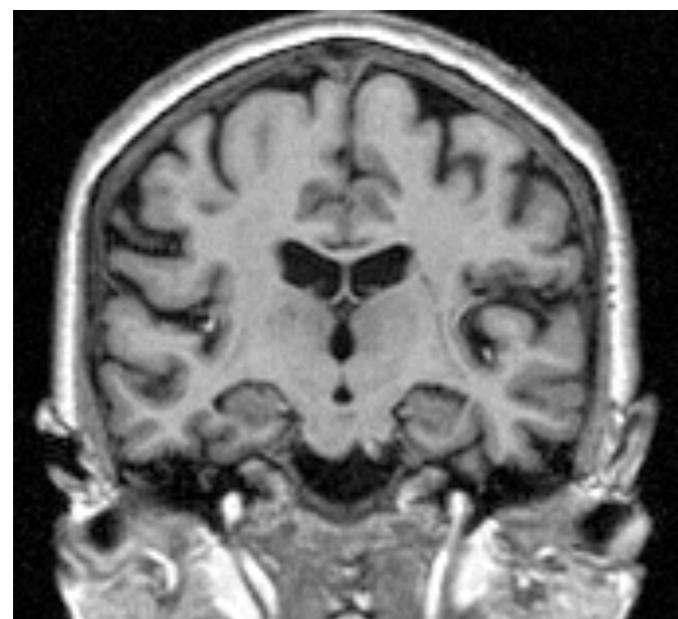
- Segmentation propagation
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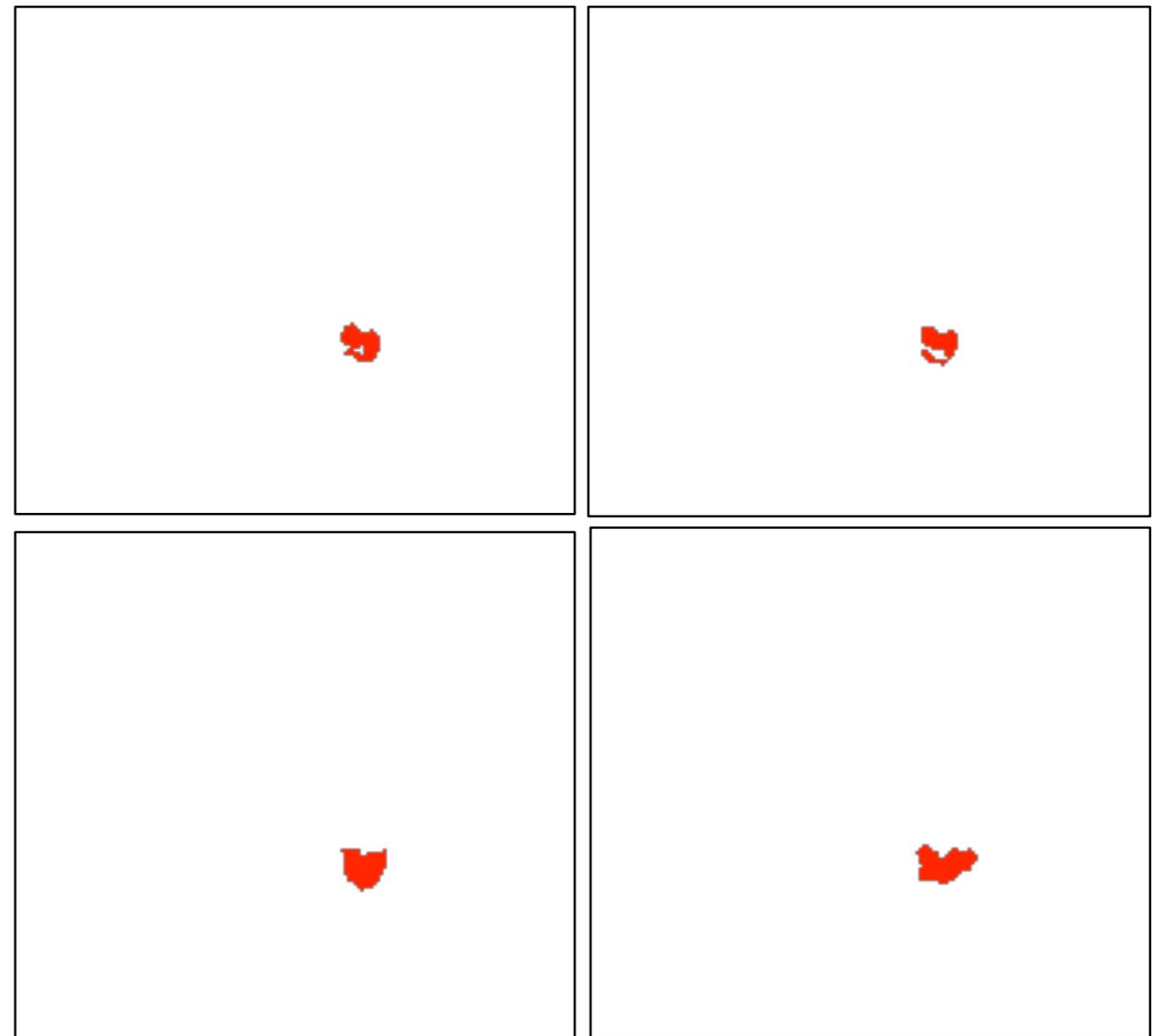
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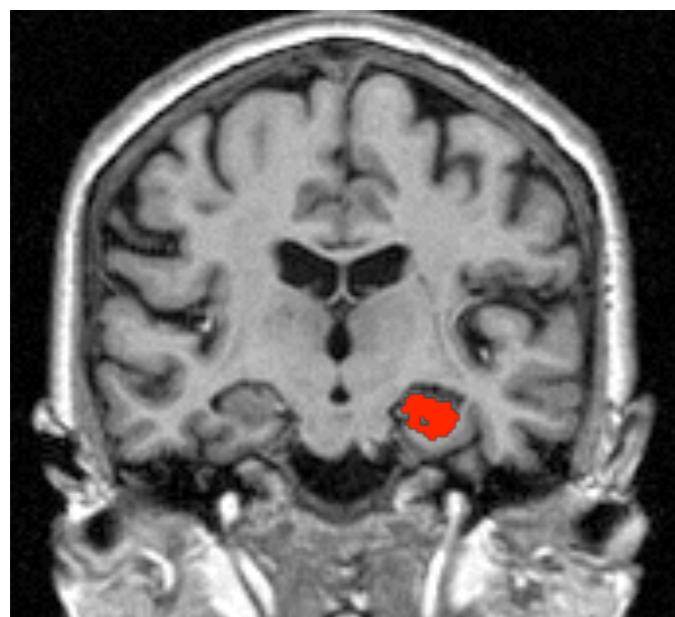
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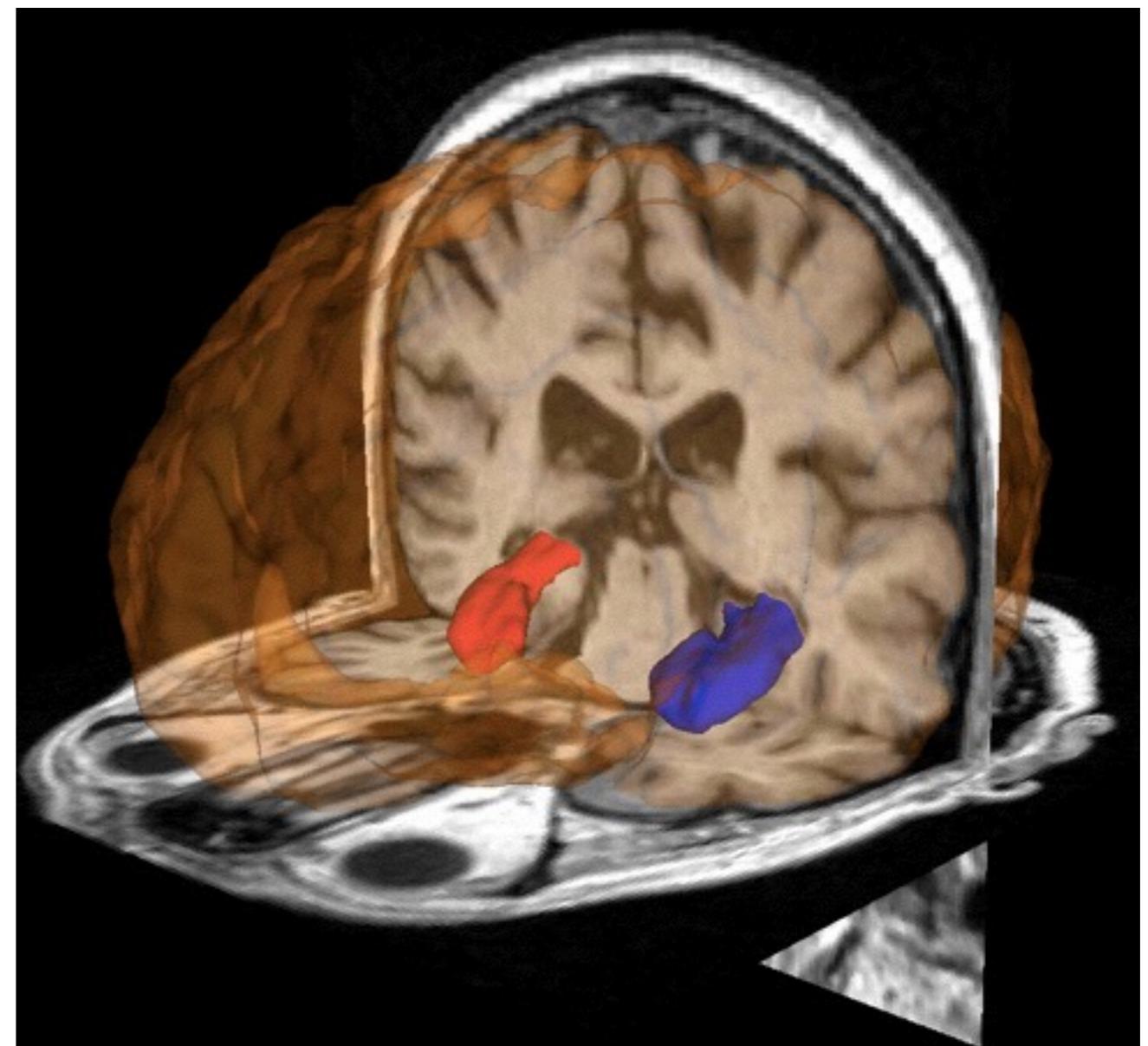
Unseen image



- Segmentation propagation
 - Example - Hippocampus segmentation



Unseen image



1. Manual segmentation
 - Fix: STAPLE, SIMPLE
2. Correlation between errors
 - Fix: Wang et al. 2013
3. Registration accuracy/Varying morphology
 - Fix: Weighted-Voting, STEPS, Non-local-STAPLE
4. Registration Uncertainty
 - Still unsolved

- Humans are not perfect at segmenting an object
- Variability introduced due to:
 - Inter-rater variability
 - Intra-rater variability
 - Stress/Focus of the human rater
 - Number of coffees per day ?!
- One has to model the accuracy of the human rater:
 - Global Sensitivity/Specificity: STAPLE
 - Local Sensitivity/Specificity: COLATE
 - Consensus Dice score: SIMPLE

The 1st problem - STAPLE

- We want to maximise the log likelihood of the complete data of this problem (D, T) given the set of parameters (p, q) representing the sensitivity and specificity of the rater
- By definition

$$(\hat{p}, \hat{q}) = \arg \max_{p,q} \ln f(D, T | p, q)$$

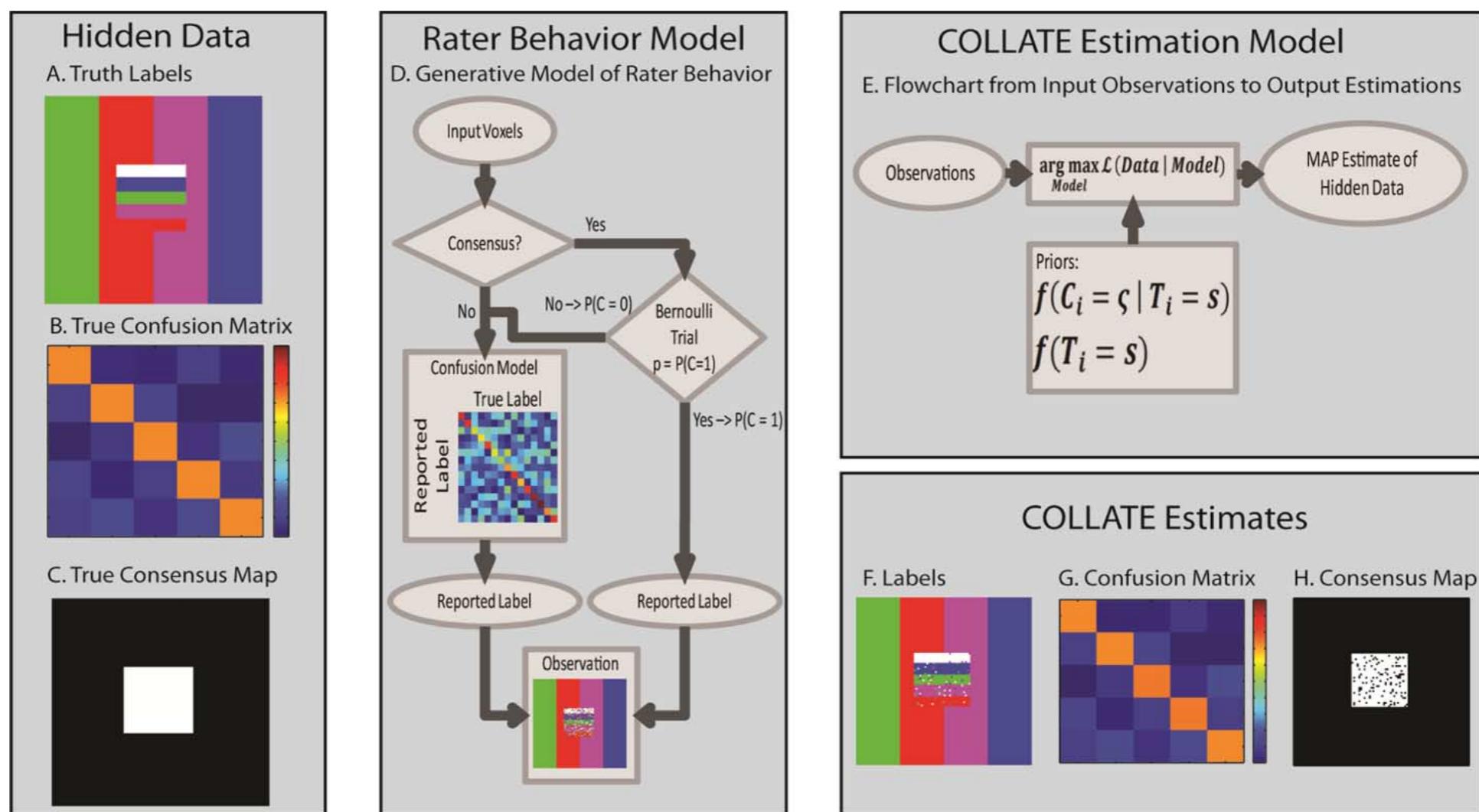
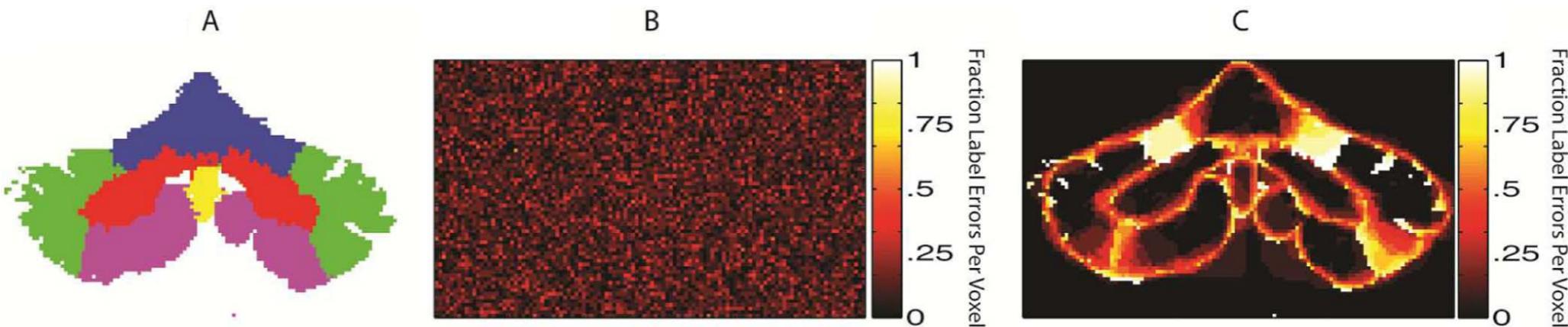
$$\boxed{p_j} = Pr(D_{ij} = 1 | T_i = 1)$$
$$\boxed{q_j} = Pr(D_{ij} = 0 | T_i = 0)$$

$$a_i^{(k-1)} \equiv f(T_i = 1) \prod_j f(D_{ij} | T_i = 1, p_j^{(k)}, q_j^{(k)})$$

$$b_i^{(k-1)} \equiv f(T_i = 0) \prod_j f(D_{ij} | T_i = 0, p_j^{(k)}, q_j^{(k)})$$

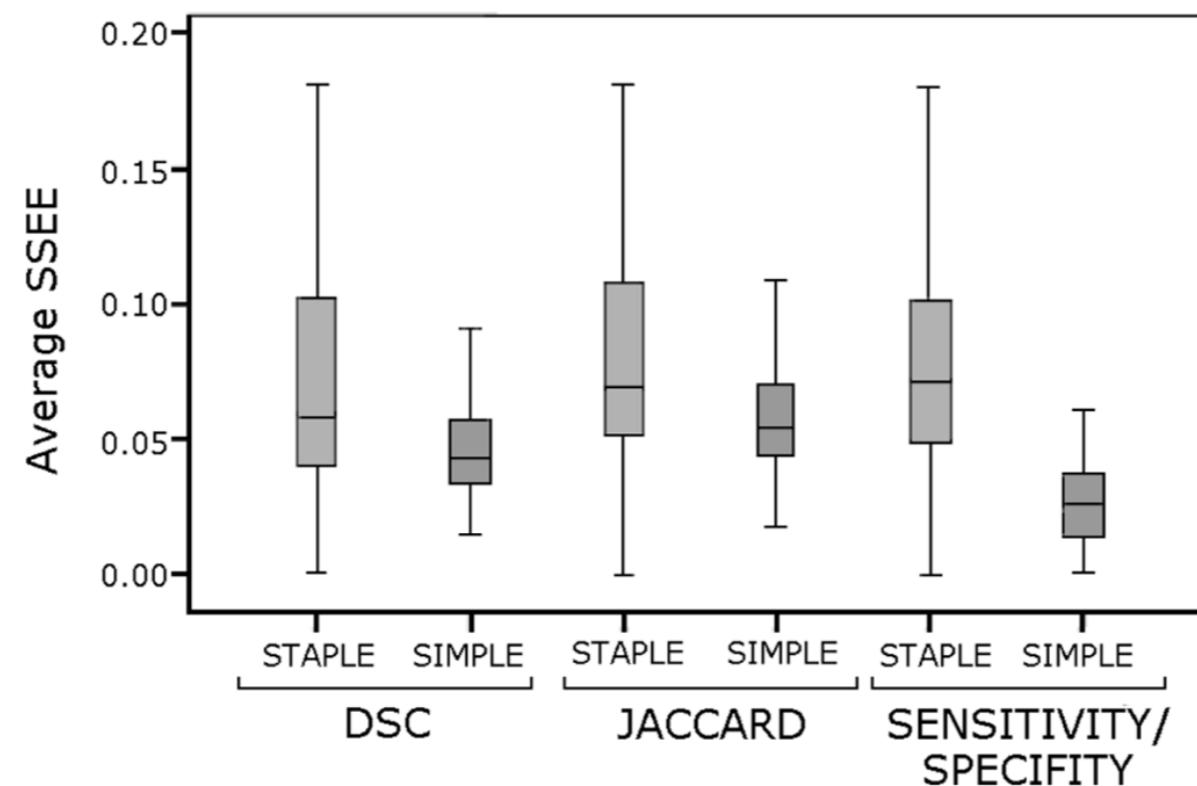
The 1st problem - COLLATE

- Local Sensitivity/Specificity: COLLATE (Asman et al.)
 - Extends the global p_j and q_j to voxels, i.e. p_{ji} , q_{ji}



The 1st problem - SIMPLE

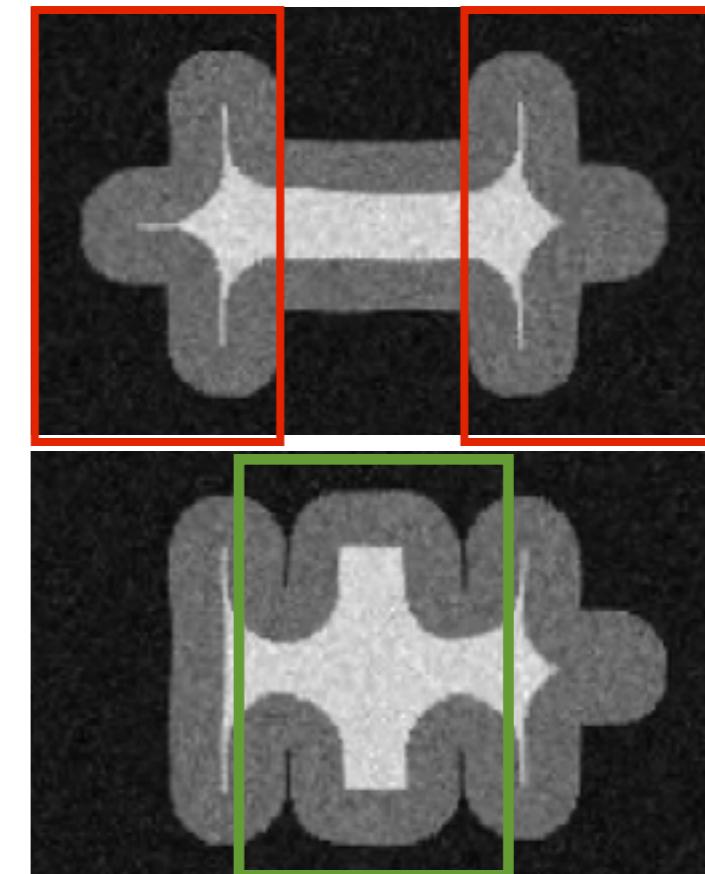
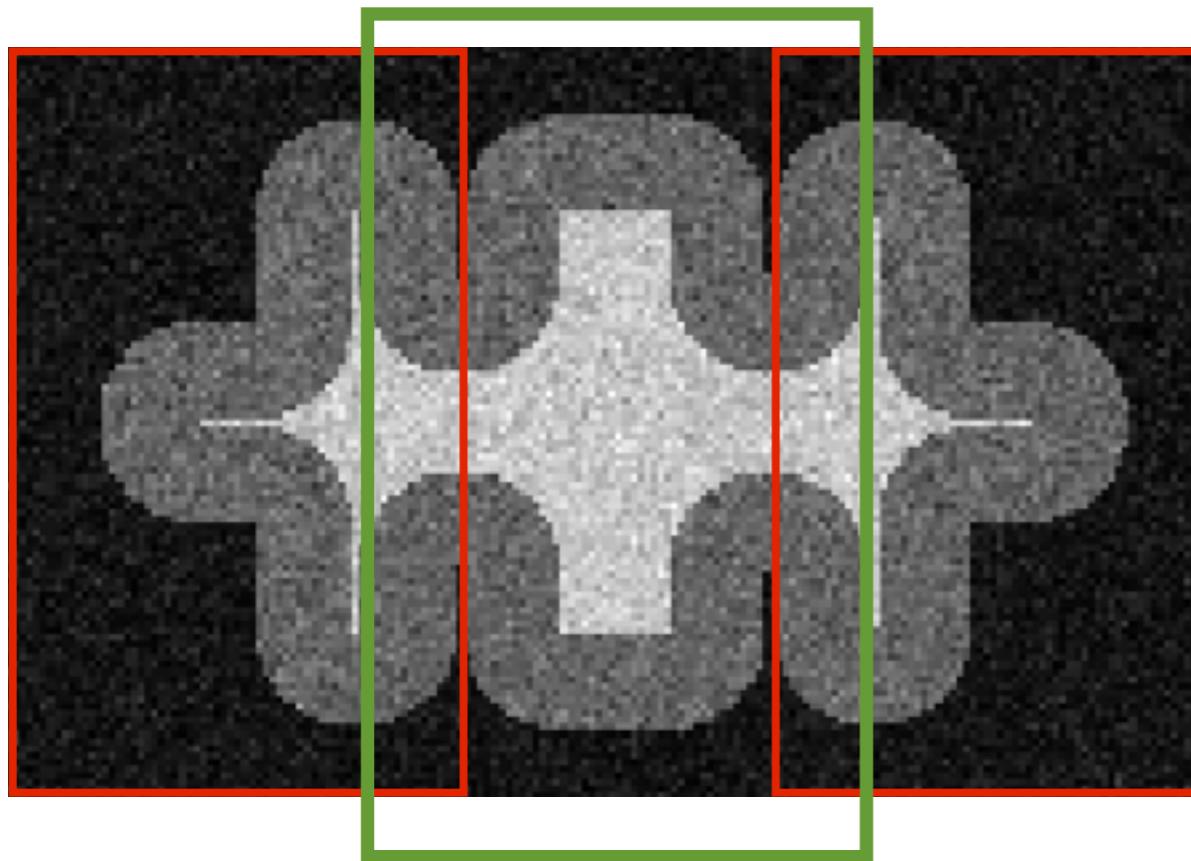
- Consensus Dice score: SIMPLE
 - Estimates the Dice score between the propagated segmentation and the current estimate of the consensus
 - Uses Dice as a weight to reestimate the consensus



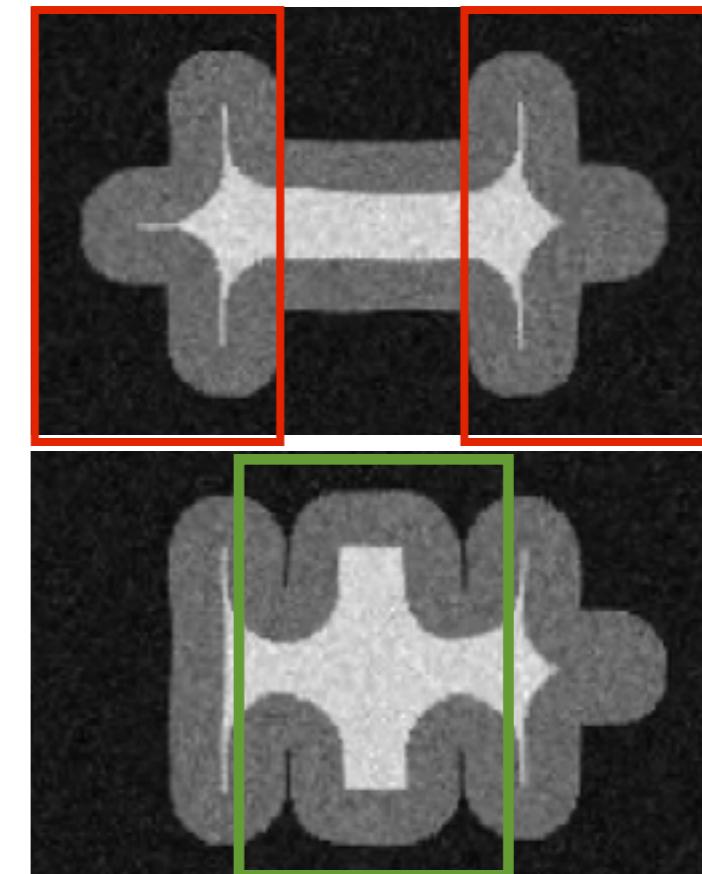
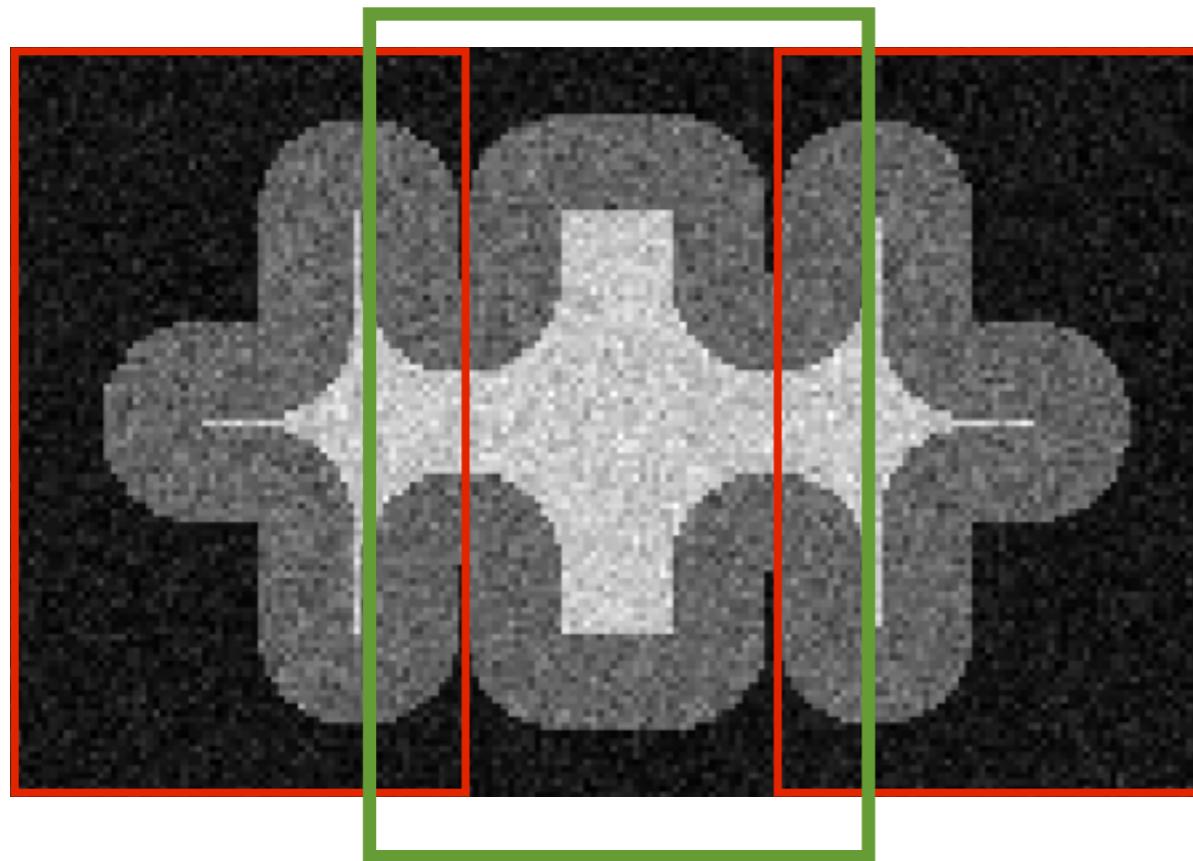
- Consensus Dice score
 - Wang et al. 2013
- If the errors between two raters are correlated, then they should have a lower weight in the final segmentation result:
 - i.e. if both raters produce the same segmentation locally
- They also find what areas are prone to error, and the use ADABOOST to correct for it

- If the images look similar after registration, then the registration worked fine
 - Weighted-Voting (Aljabar et al., Yushkevich et al.)
 - STEPS (Cardoso et al.)
 - Non-local-STAPLE (Asman et al.)
- One defines how similar the images are using an image similarity term
 - NCC (Aljabar et al.)
 - LNCC (Cardoso et al.)
 - L2 norm (Asman et al.)
 - Ranked similarity (Yushkevich et al.)

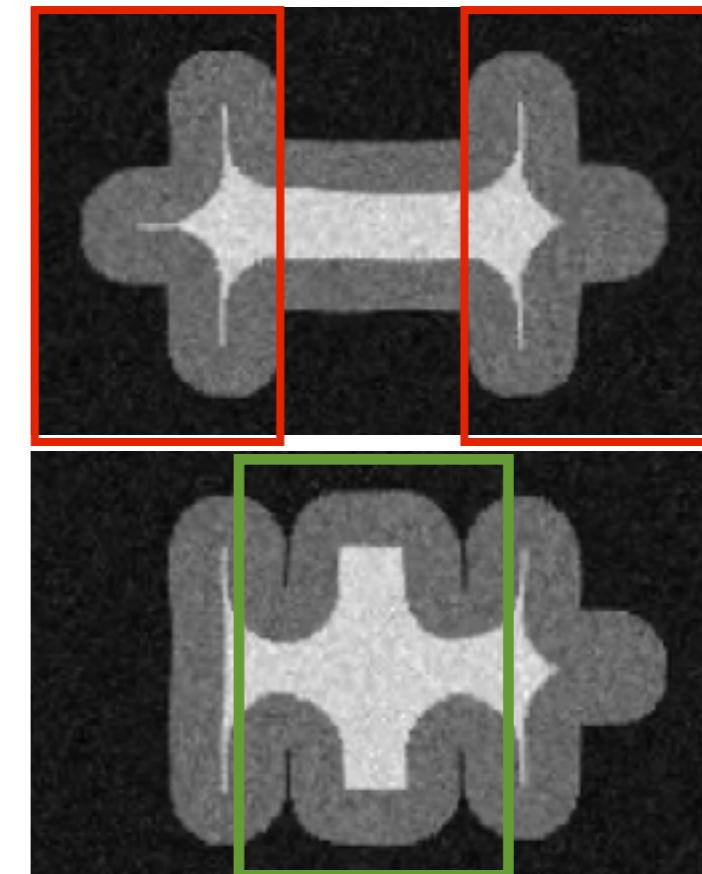
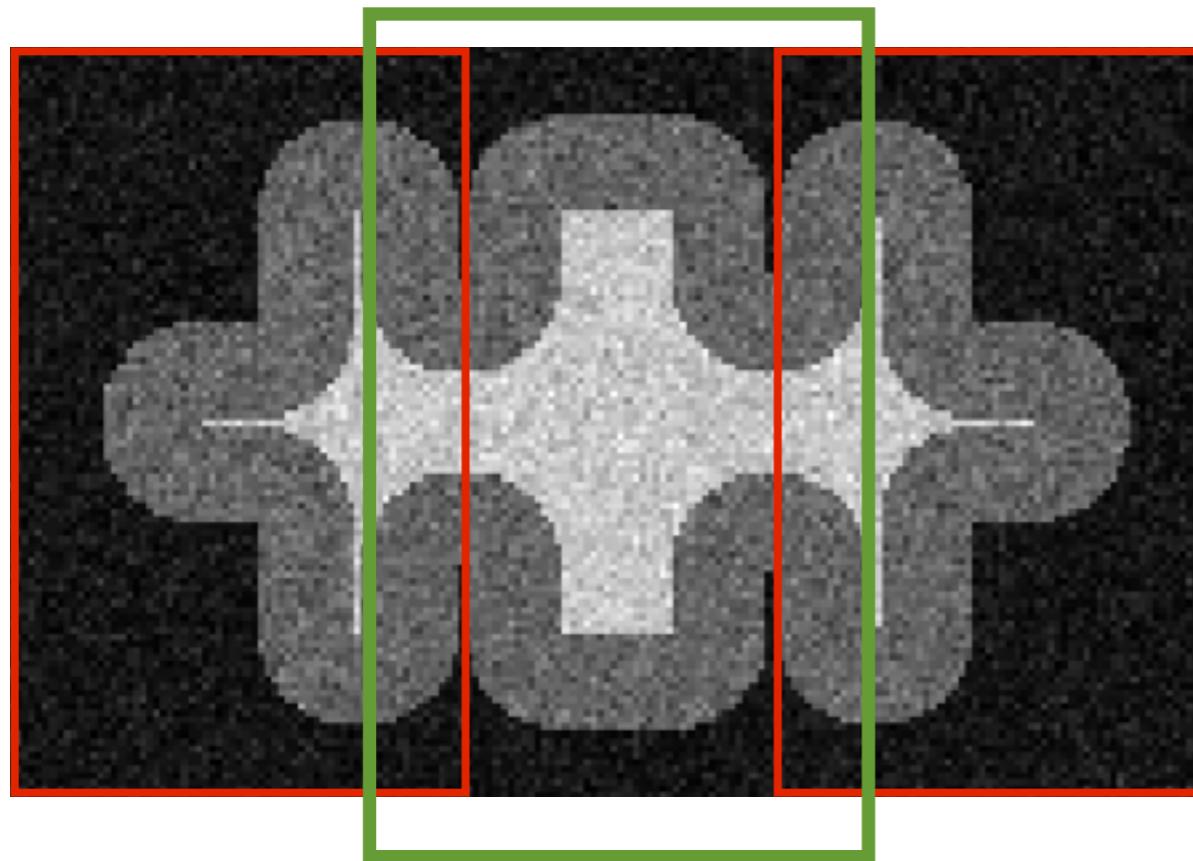
- Templates have different morphologies



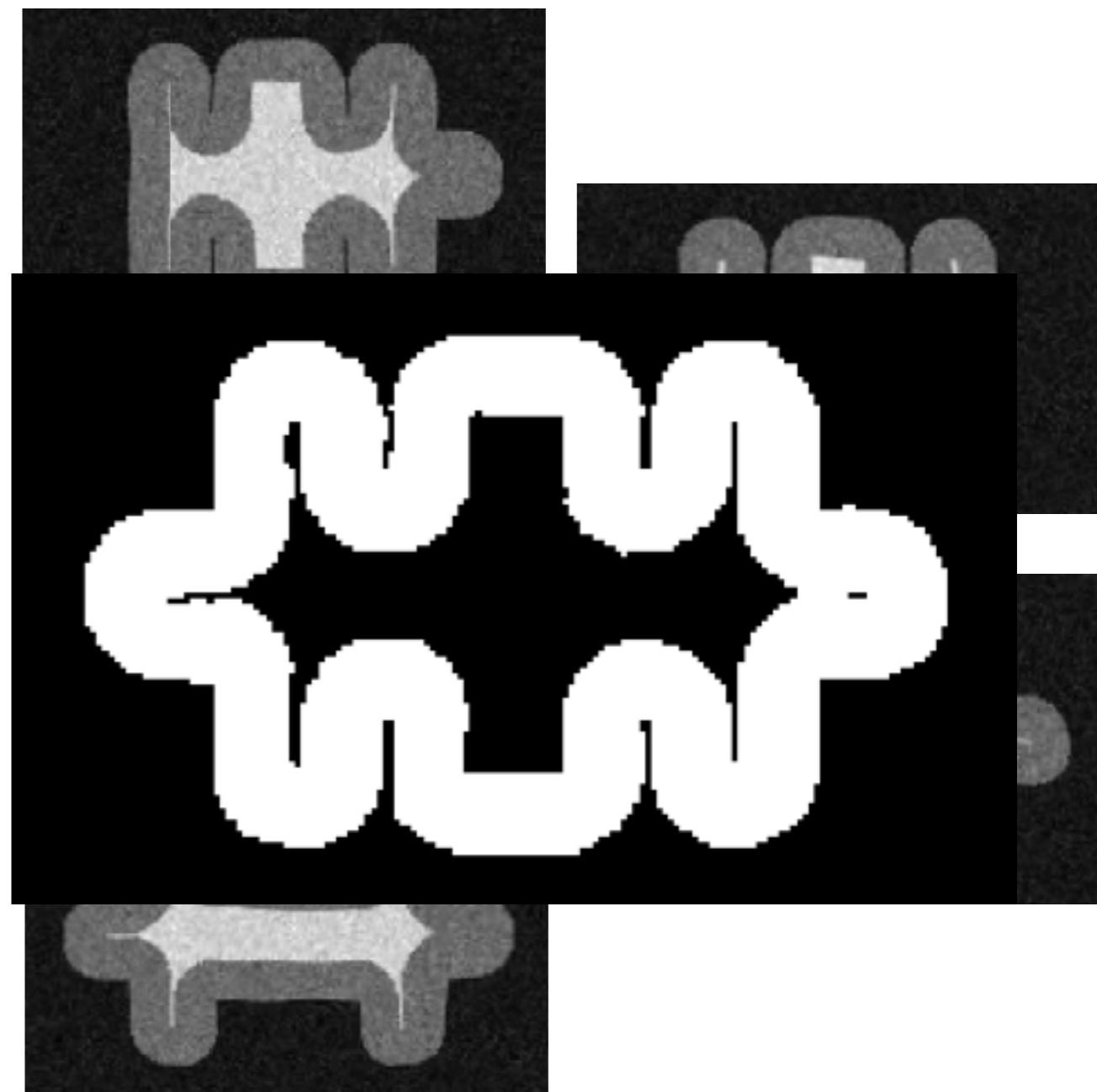
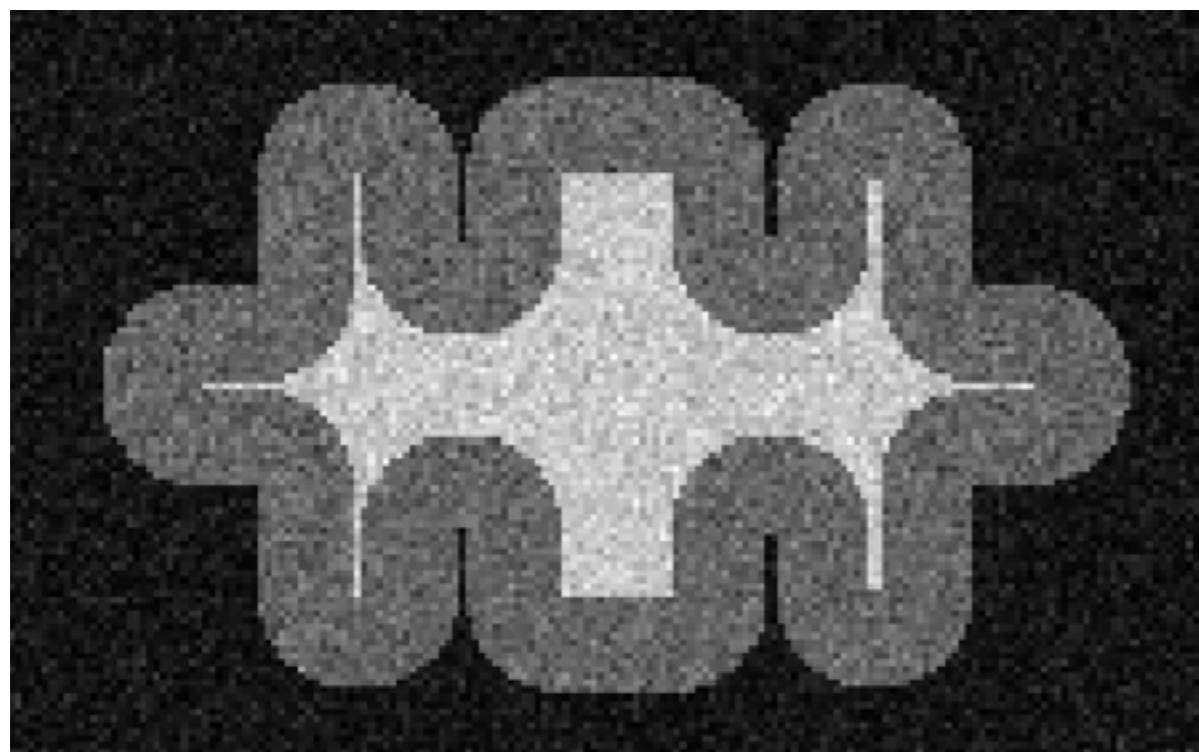
- Templates have different morphologies



- Templates have different morphologies



The 3rd problem - Registration accuracy/Morphology



The Weighted voting

- Weighted sum of labels

$$\mathcal{L}_i(\vec{v}) = \frac{\sum W_{ij}(\vec{v}) \mathcal{L}_{i;}(T_{ij}(\vec{v}))}{\sum W_{ij}(\vec{v})},$$

Weights are described as some global/local image similarity where $W_{ij}=1$ means the two mapped locations are similar, while $W_{ij}=0$ means the two locations are different.

The STEPS algorithm

- Compared to STAPLE, the only thing that changes is:

$$(\hat{p}, \hat{q}) = \arg \max_{p,q} \ln f(D, T | p, q)$$

$$p_j = Pr(D_{ij} = 1 | T_i = 1)$$

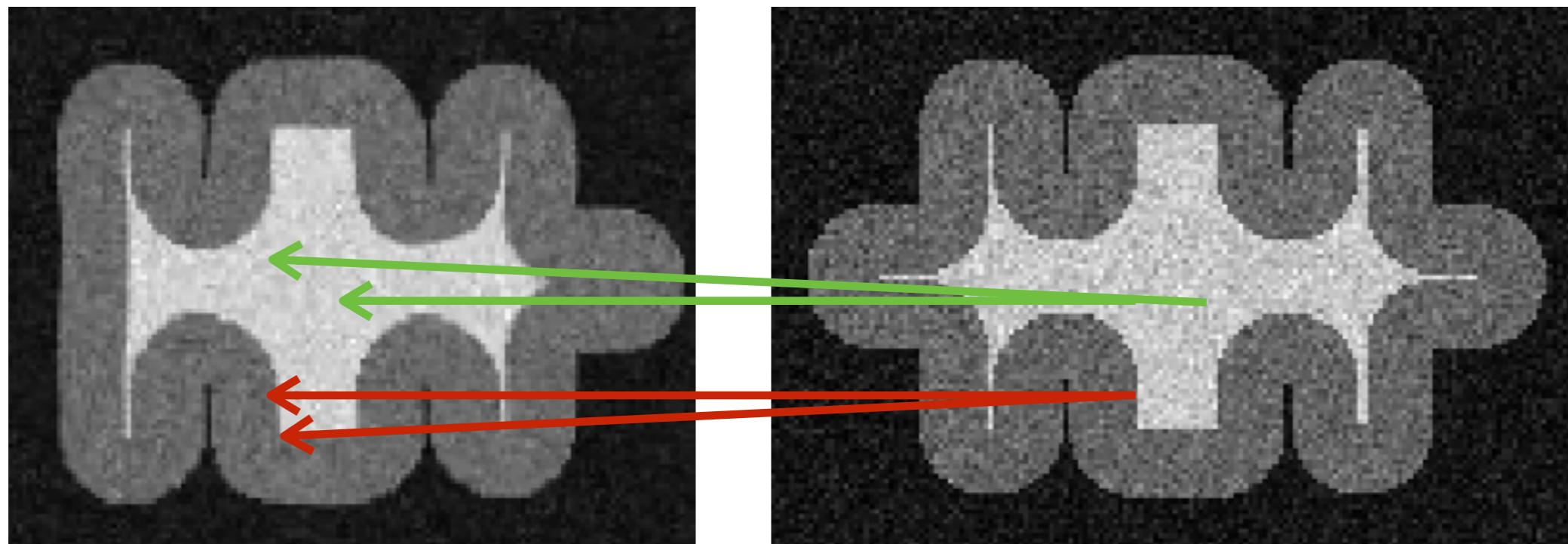
$$q_j = Pr(D_{ij} = 0 | T_i = 0)$$

$$a_i^{(k-1)} \equiv f(T_i = 1) \prod_{j \forall L_{ij}=1} f(D_{ij} | T_i = 1, p_j^{(k)}, q_j^{(k)})$$

$$b_i^{(k-1)} \equiv f(T_i = 0) \prod_{j \forall L_{ij}=1} f(D_{ij} | T_i = 0, p_j^{(k)}, q_j^{(k)})$$

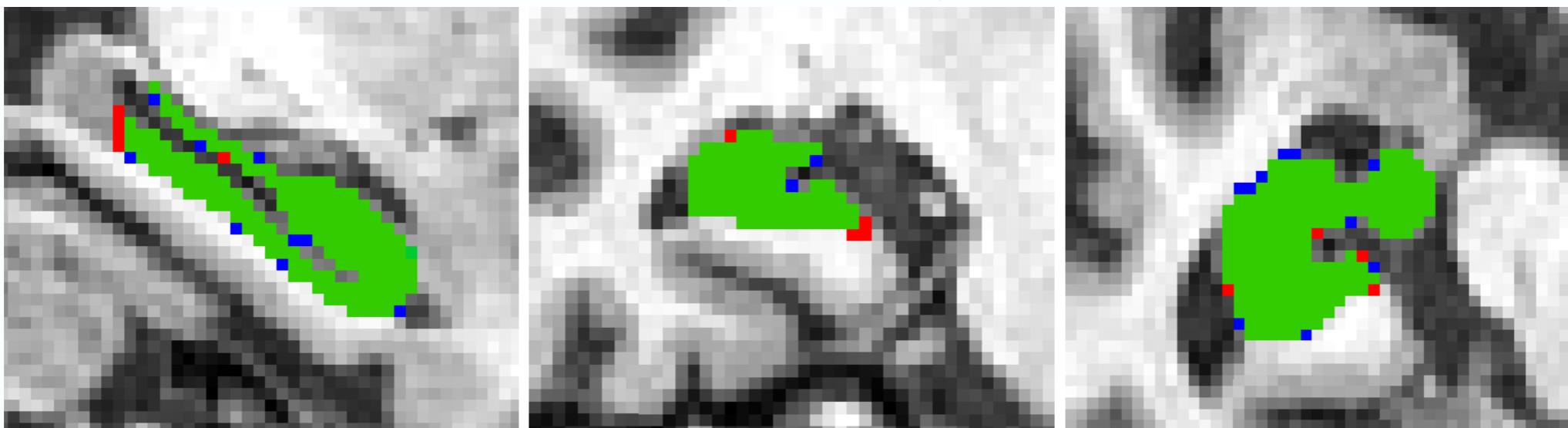
The 4th problem - Registration uncertainty

- Do images provide good enough matching?
- Is there a 1-to-1 correspondence?
- What happens in areas without contrast?

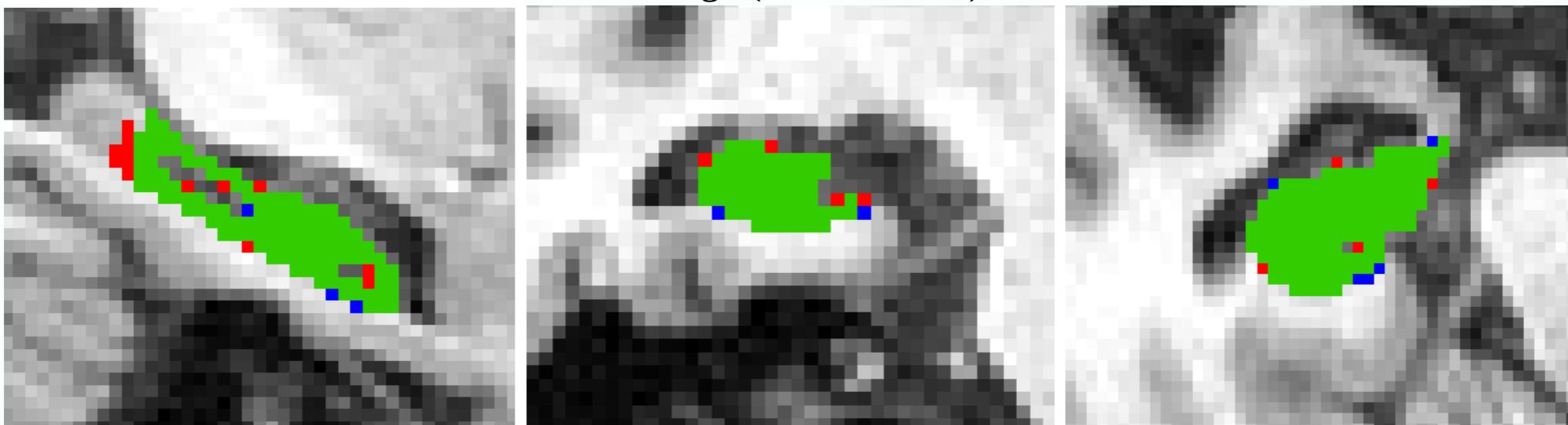


Hippocampal Segmentation in AD patients

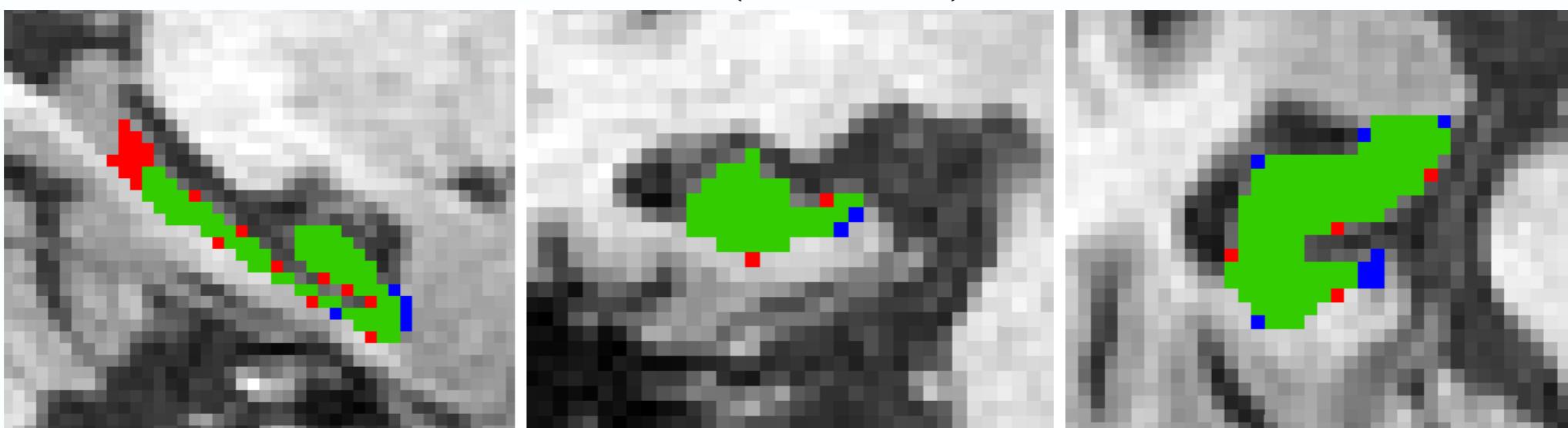
Best (Dice = 0.948)



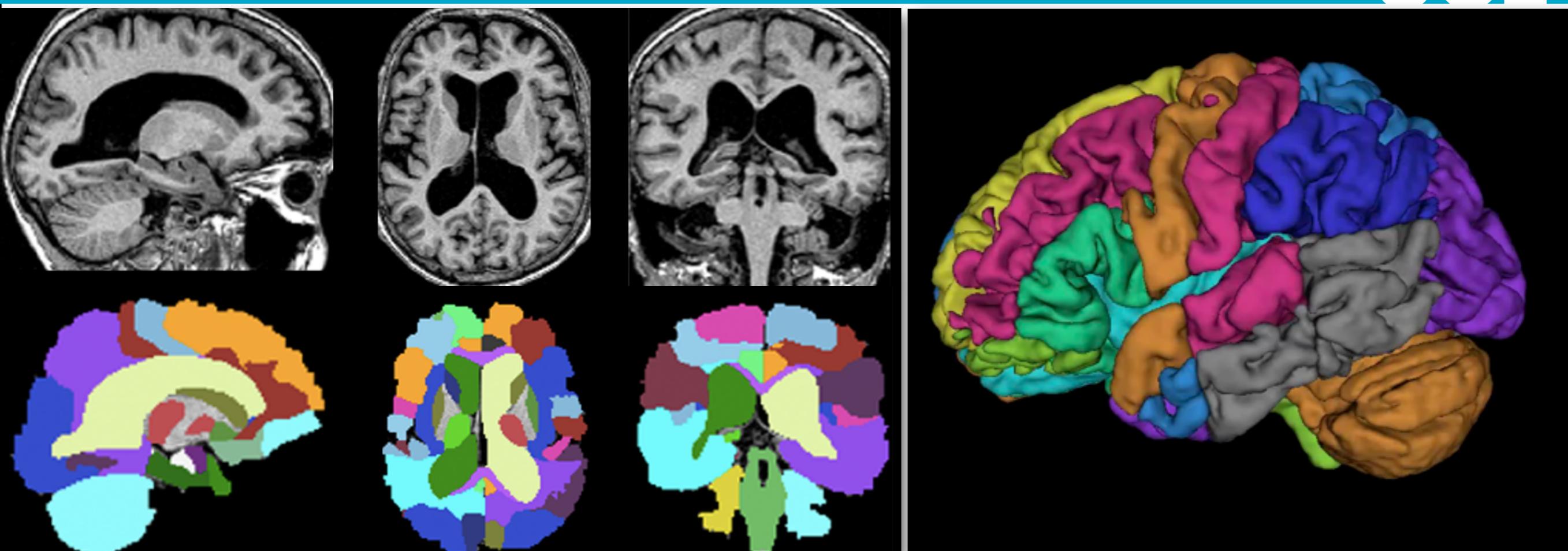
Average (Dice = 0.925)



Worst (Dice = 0.881)



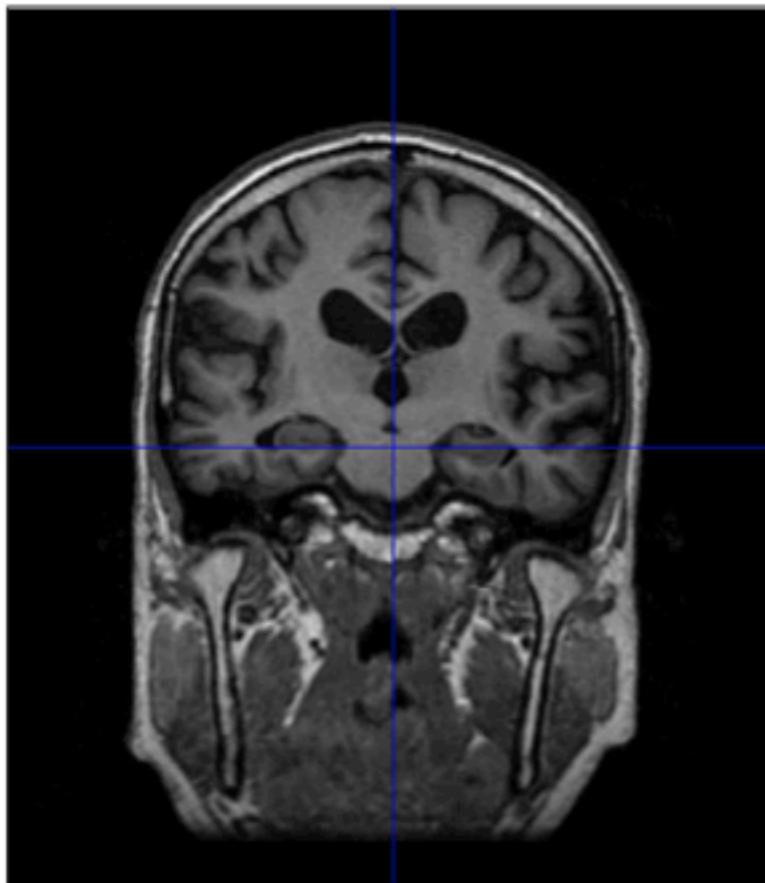
Multi Structure: Segmentation results



COMPUTATIONAL NEUROANATOMY & IMAGING BIOMARKER EXTRACTION

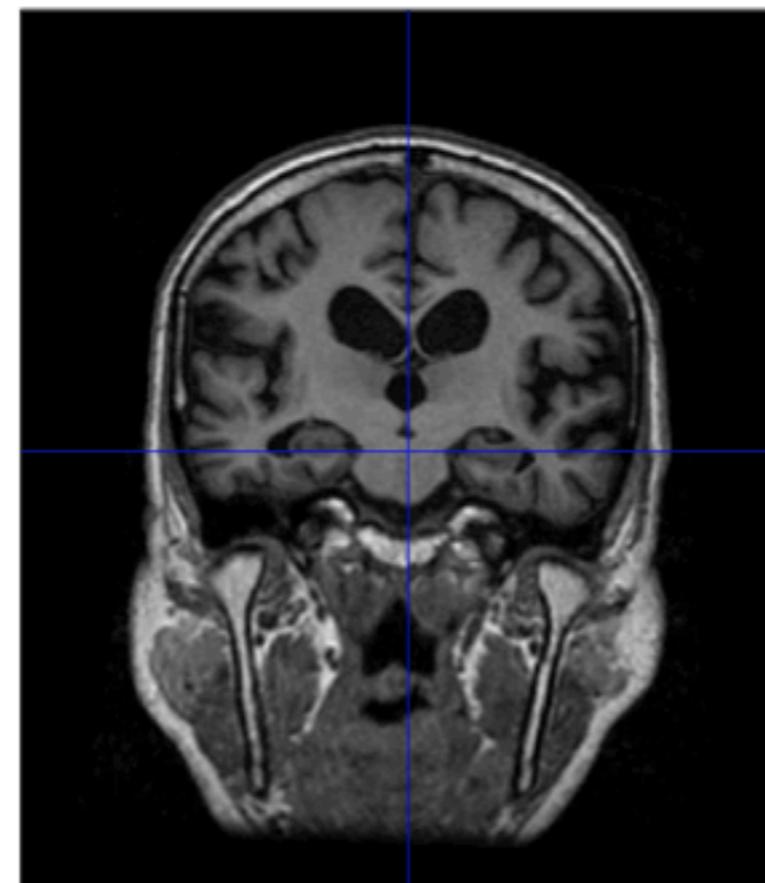
- Many interesting and clinically important questions might relate to the shape or local size of regions of the brain
- For example, whether (and where) local patterns of brain morphometry help to:
 - Distinguish schizophrenics from healthy controls
 - Understand plasticity, e.g. when learning new skills
 - Explain the changes seen in development and ageing
 - Differentiate degenerative disease from healthy ageing
 - Evaluate subjects on drug treatments versus placebo

Alzheimer's Disease example



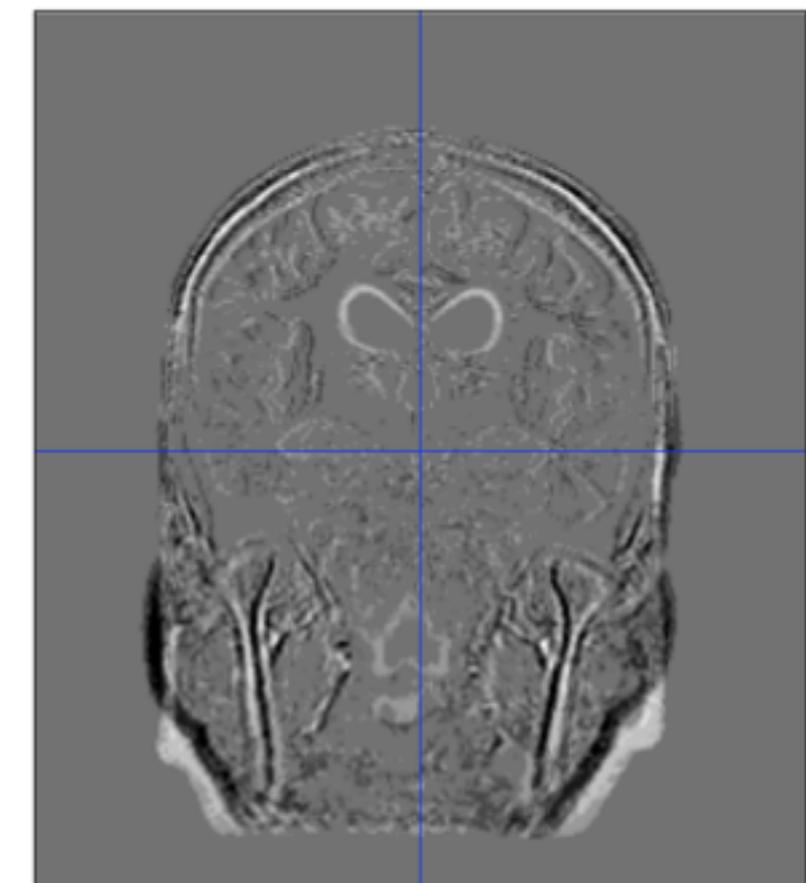
Baseline Image

Standard clinical MRI
1.5T T1 SPGR
1x1x1.5mm voxels



Repeat image

12 month follow-up
rigidly registered

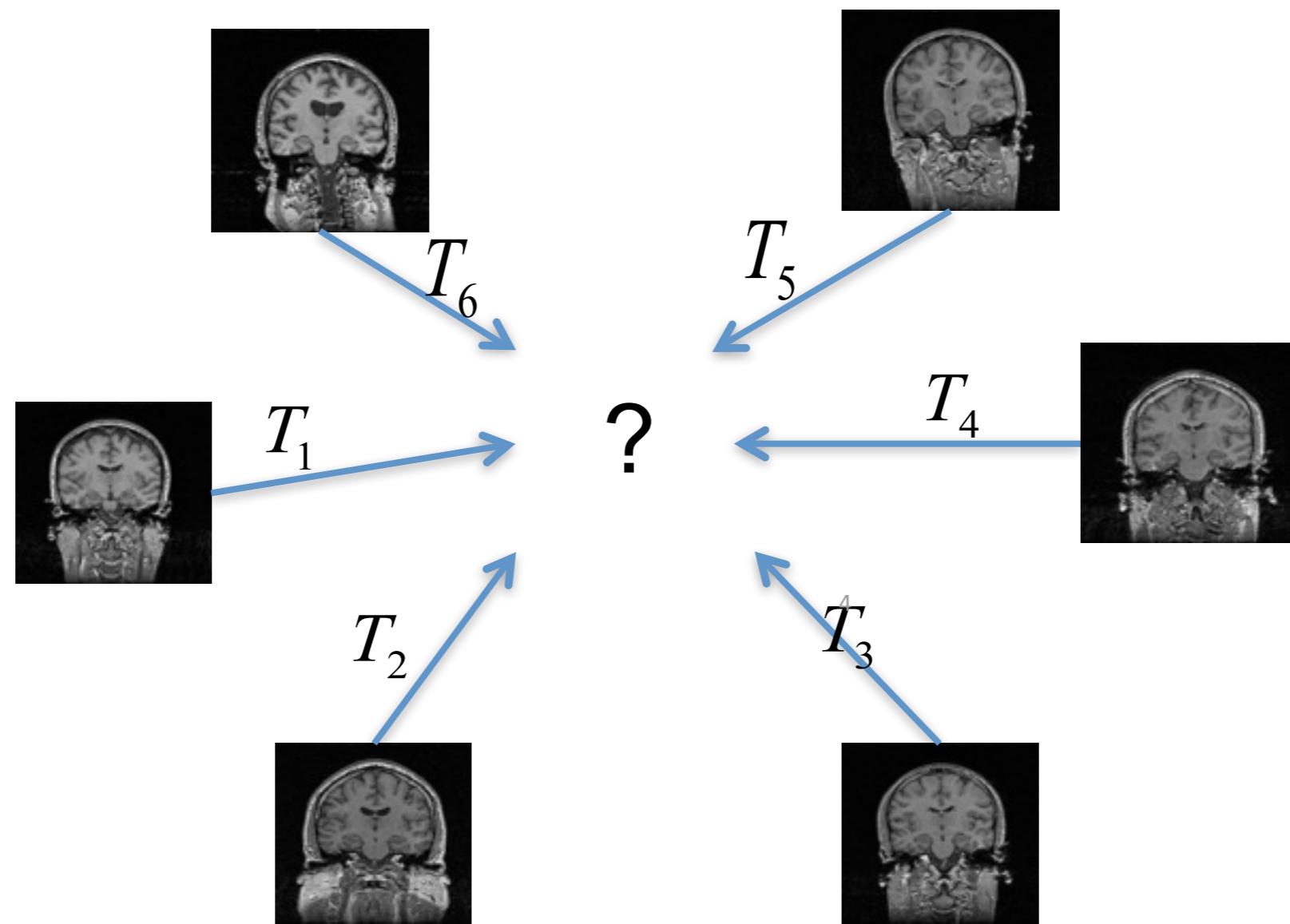


Subtraction image

GROUPWISE ALIGNMENT

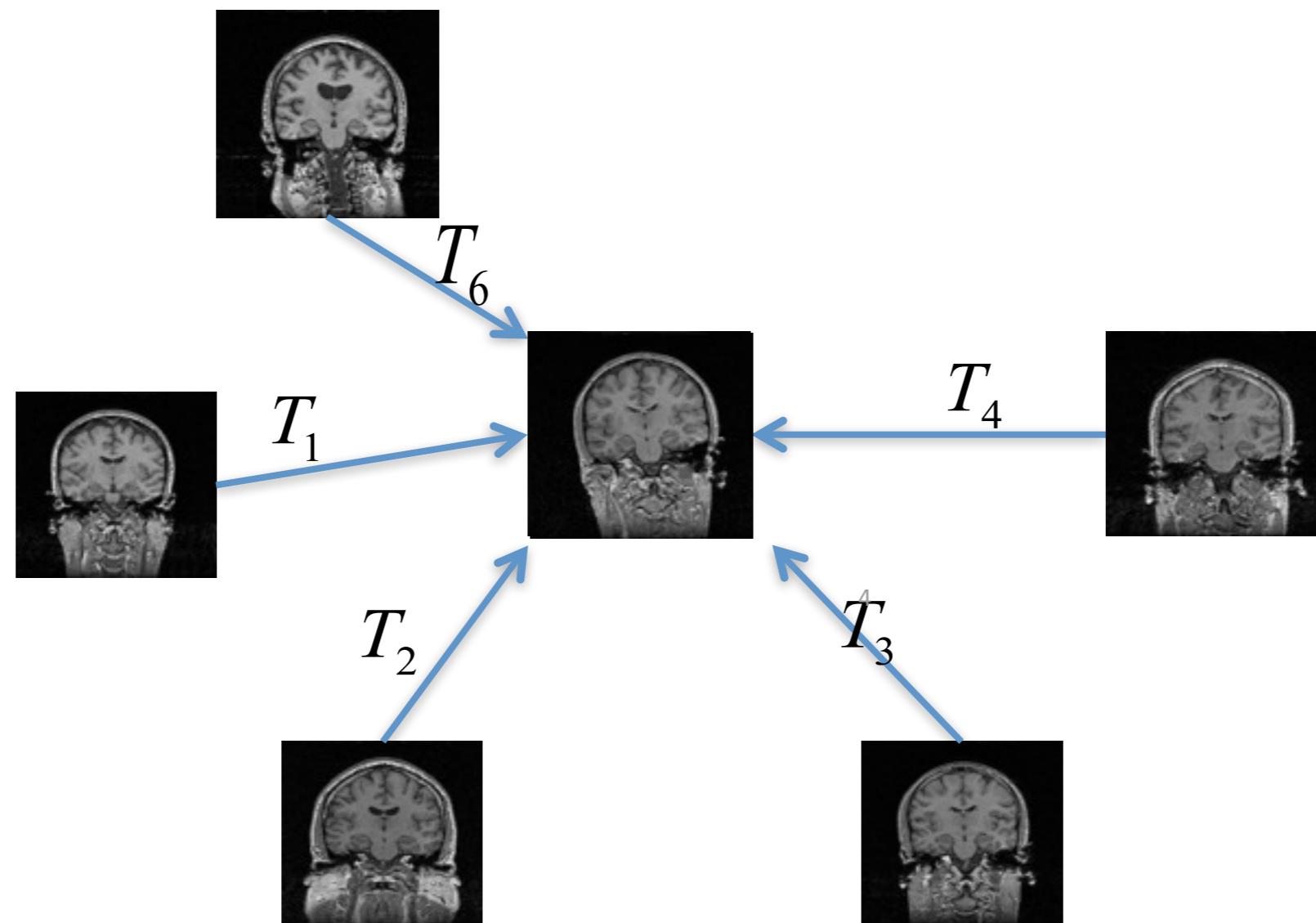
Groupwise (overall picture)

$$\max_{T_1, \dots, T_N} \sum_{n=1}^N IS\left(I_n(T_n(x)); \mu(x)\right)$$



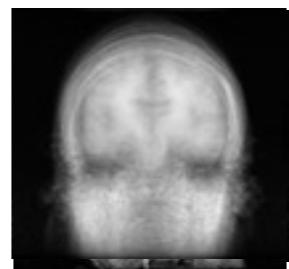
Groupwise (Iterative process)

- Rigid Alignment
 - Because it's rigid, it does not introduce bias in towards a specific morphology



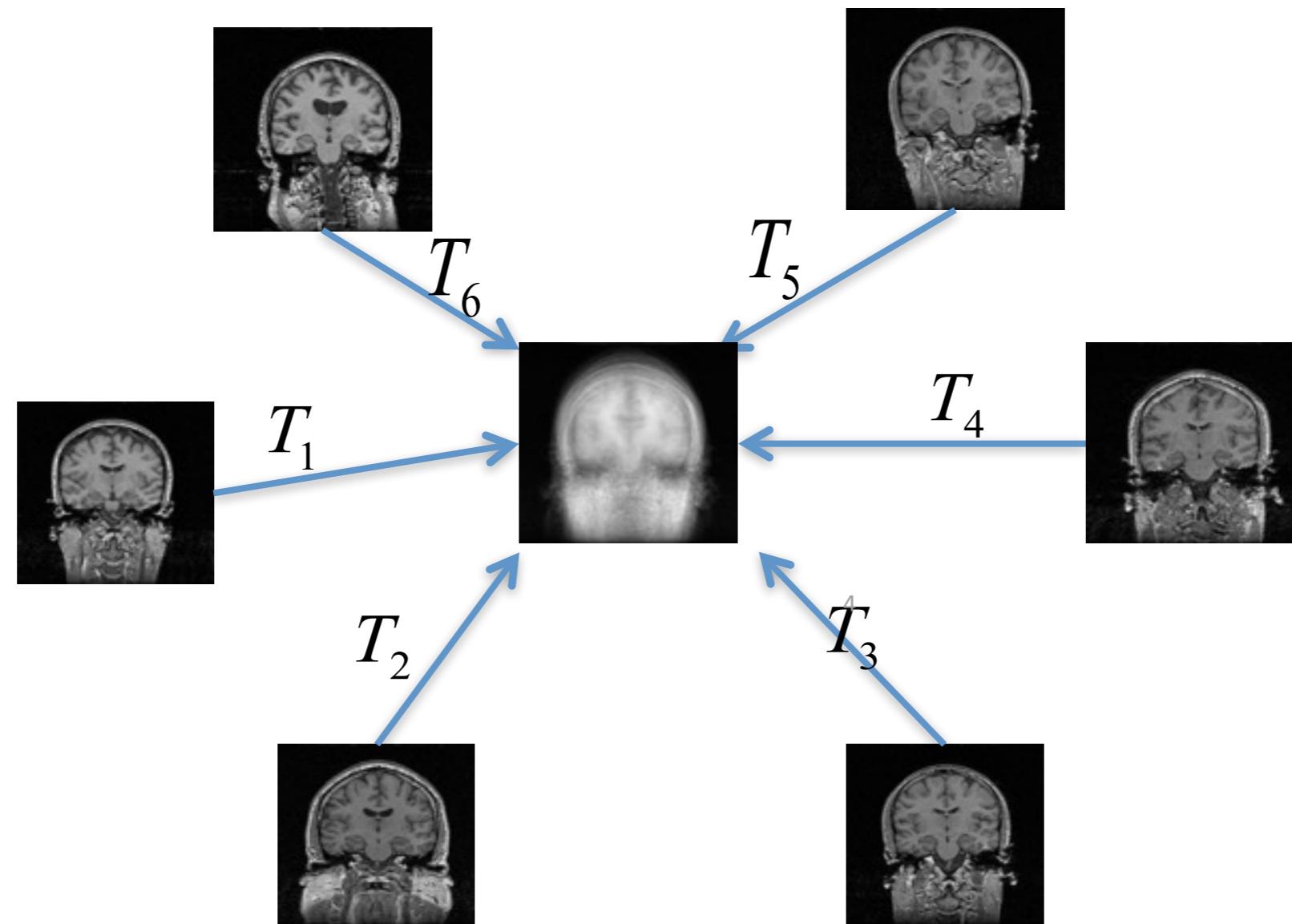
Groupwise (Iterative process)

- Congealing (averaging)



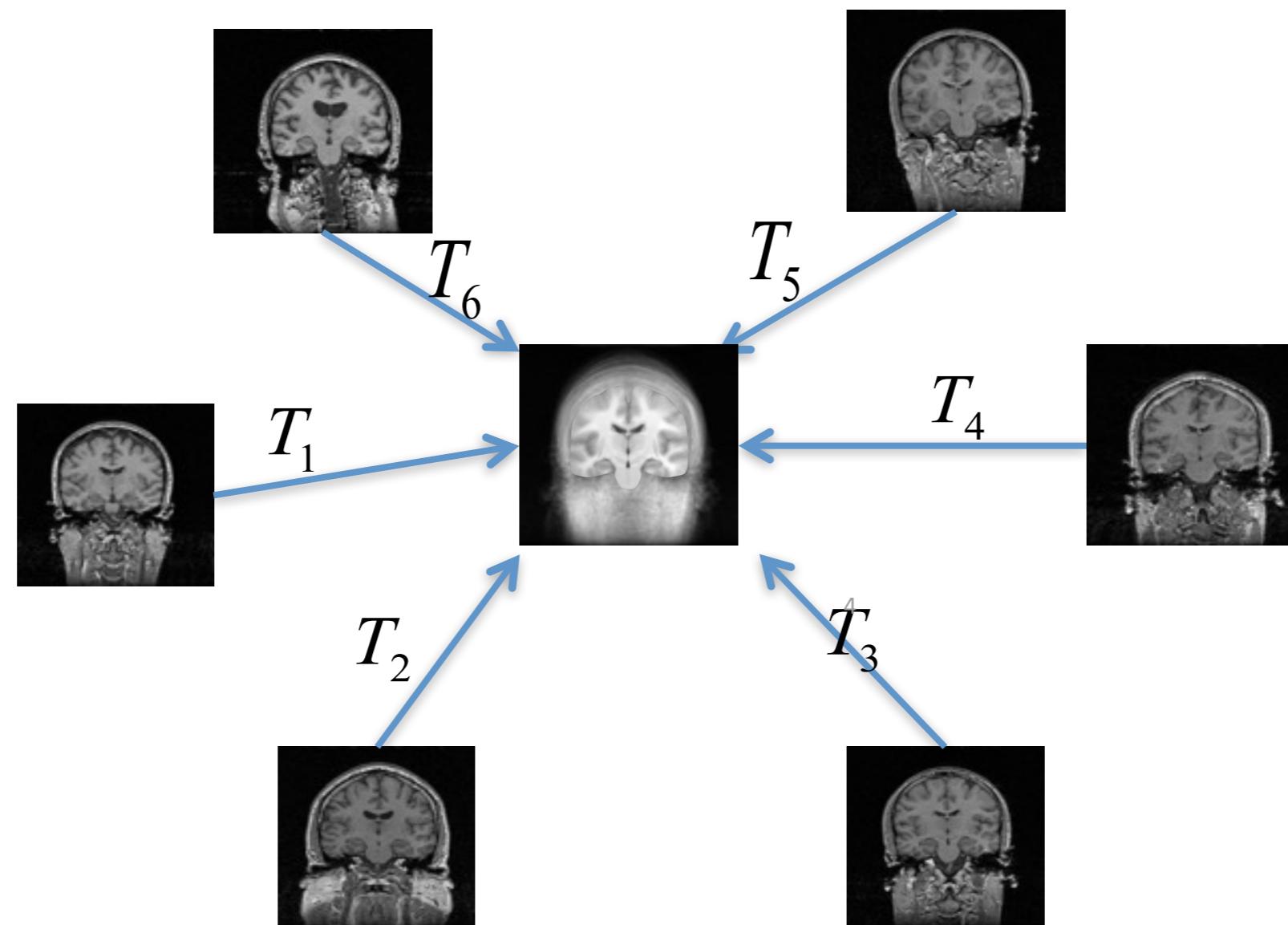
Groupwise (Iterative process)

- Affine Alignment + Congealing
 - Because it's now registered to an “average image”, it does not introduce bias in towards a specific morphology



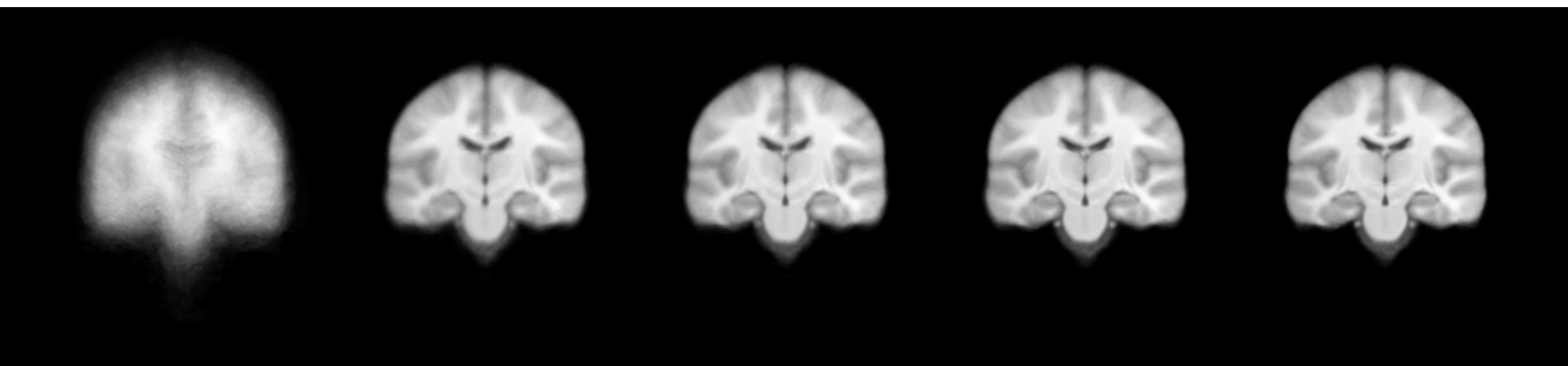
Groupwise (Iterative process)

- Non-Rigid Alignment + Congealing
 - The image become increasingly sharper
 - Sharper average \Rightarrow Better Registration \Rightarrow Sharper average



- Optimisation procedure:
 - Iterative (rigid, affine, affine, nrr, nrr, nrr, ...)
 - like most people do, but less optimal
 - Joint
 - like most people would like to do, but computationally/memory intensive
- Choice of mapping parameterisation
 - Small vs large-world deformations
 - See next registration lecture

$$\max_{T_1, \dots, T_N} \sum_{n=1}^N IS(I_n(T_n(x)); \mu(x))$$



No Reg

Affine

NRR it1

NRR it2

NRR it3

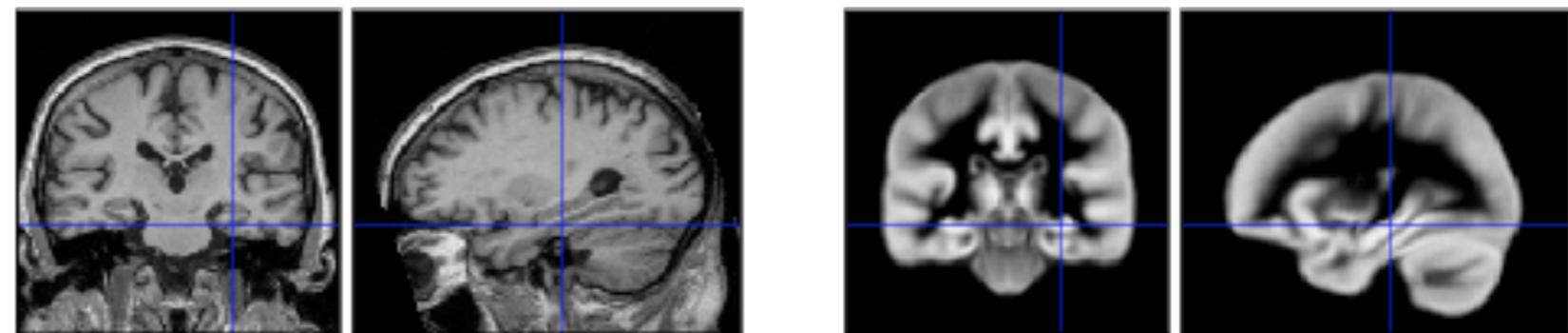
VBM

How can we exploit this idea?

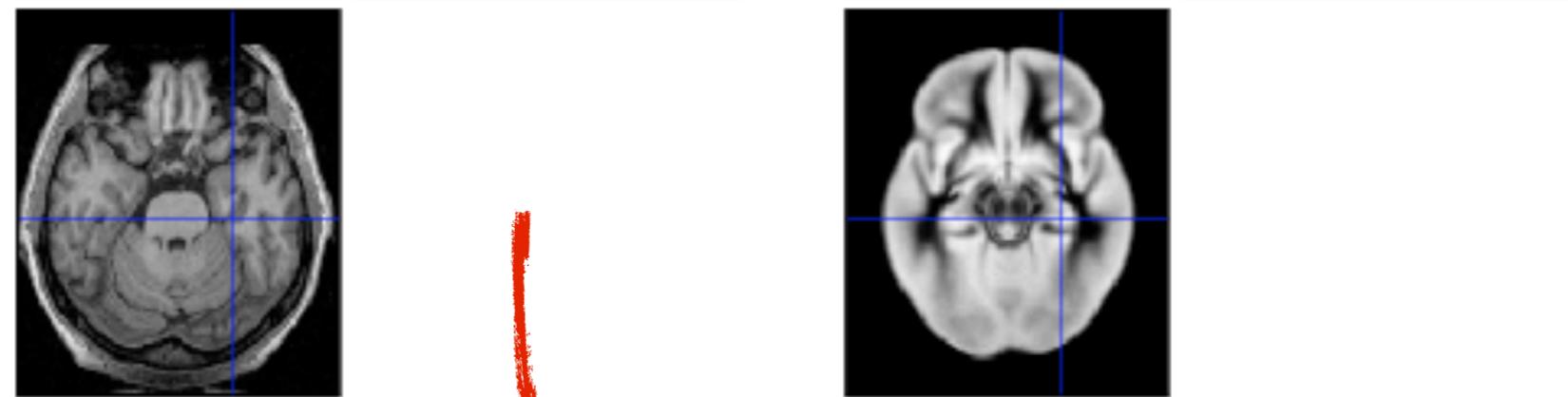
- Unified segmentation and spatial normalisation
 - ↓
- Optional modulation with Jacobian determinant
 - ↓
- Optional computation of tissue totals/globals
 - ↓
- Gaussian smoothing
 - ↓
- Voxel-wise statistical analysis

VBM in pictures

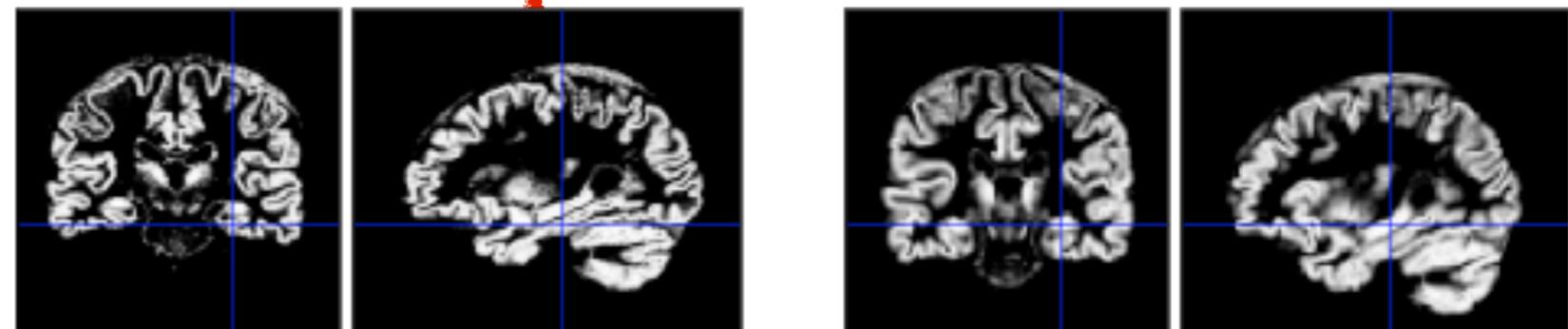
Segment



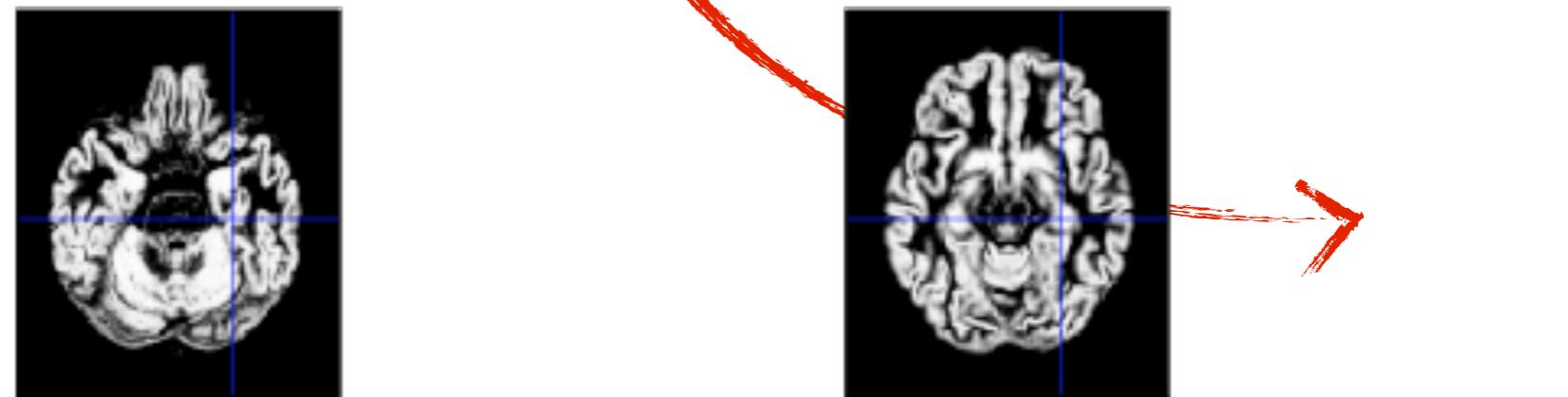
Normalise (GW)



Modulate (?)



Smooth



VBM in pictures

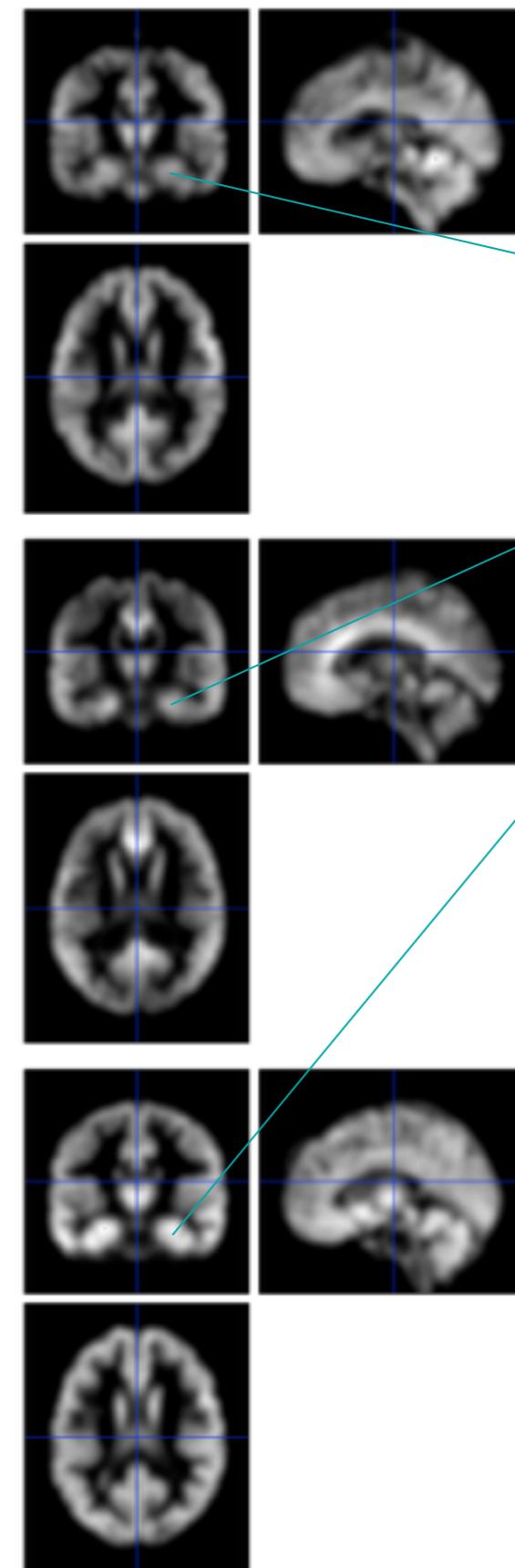
Segment

Normalise

Modulate (?)

Smooth

Voxel-wise statistics



$$\begin{bmatrix} a1xyz \\ a2xyz \\ \vdots \\ aNxyz \end{bmatrix}$$

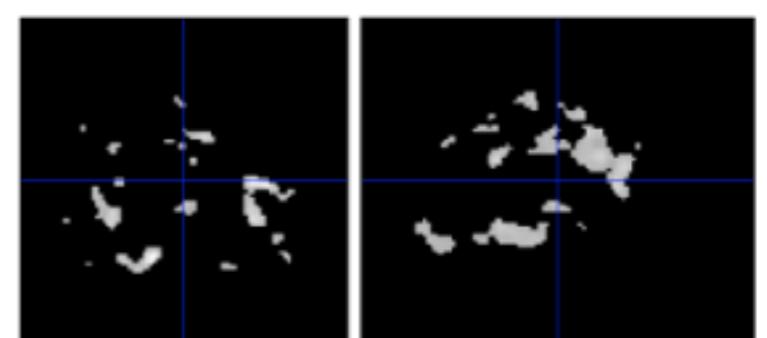
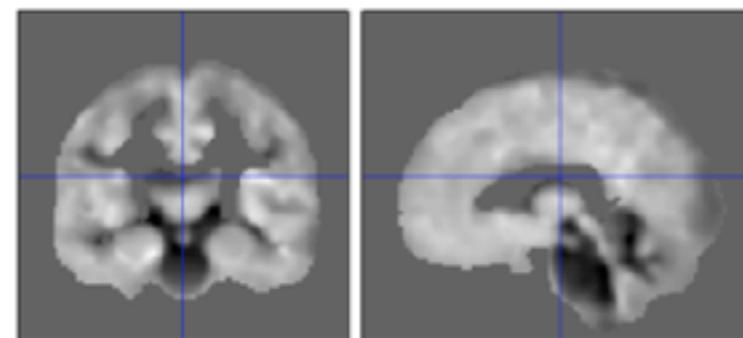
$$Y = X\beta_{xyz} + e_{xyz}$$

$$e_{xyz} \sim N(0, \sigma^2_{xyz} V)$$

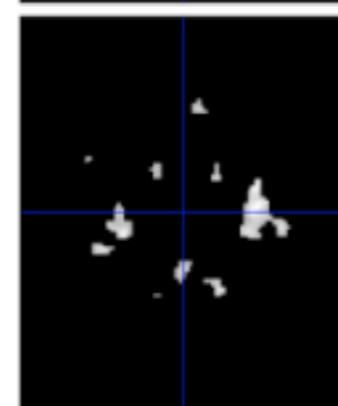
$$X = \begin{bmatrix} 1 & 0 \\ 1 & 0 \\ \vdots & \vdots \\ 0 & 1 \\ 0 & 1 \end{bmatrix}$$

VBM in pictures

Segment



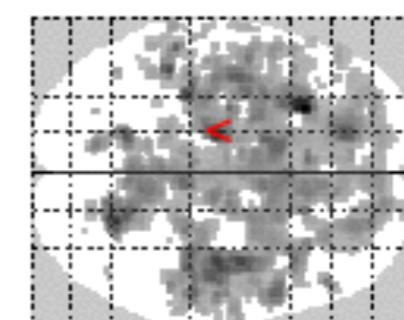
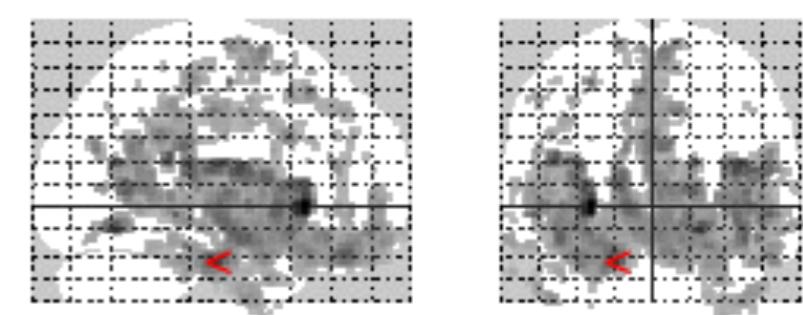
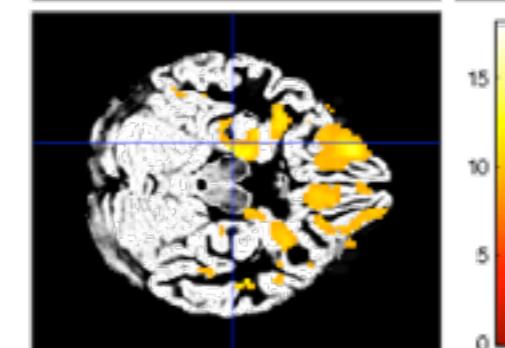
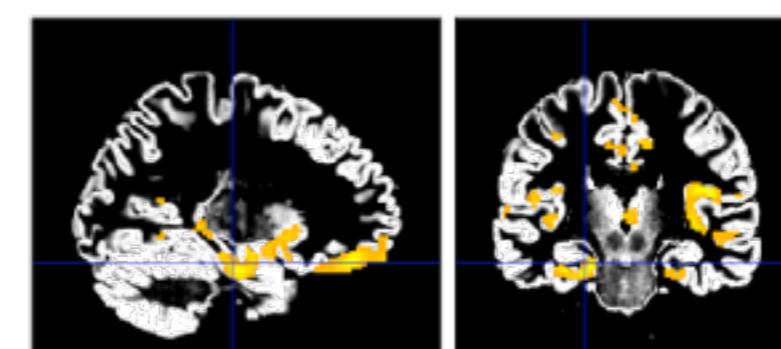
Normalise



Modulate (?)

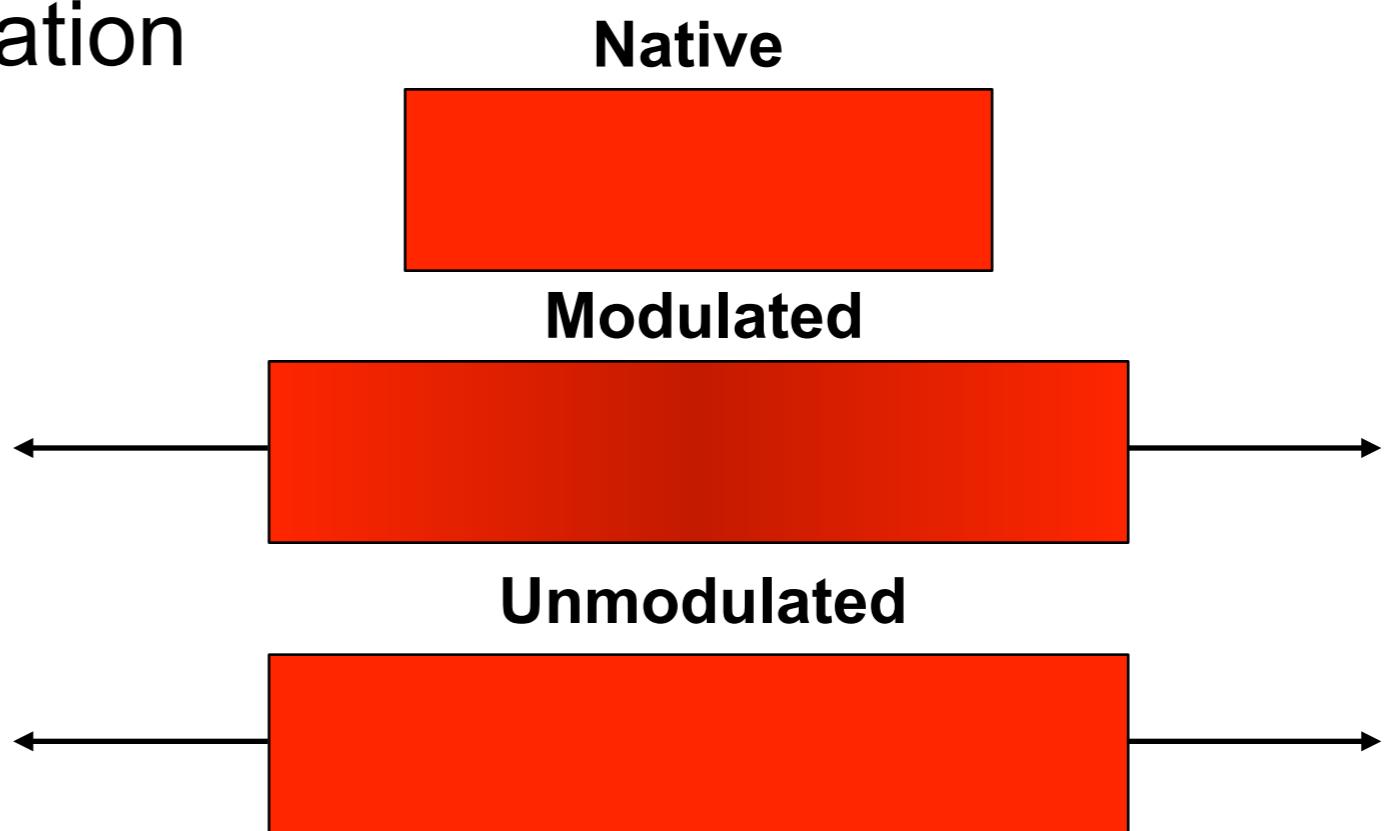
Smooth

Voxel-wise statistics



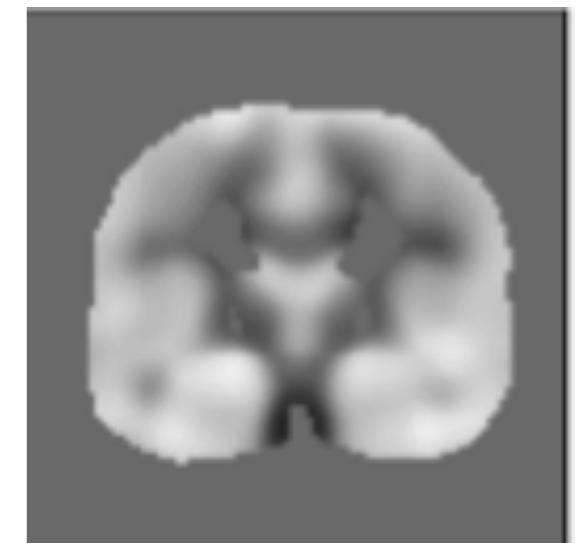
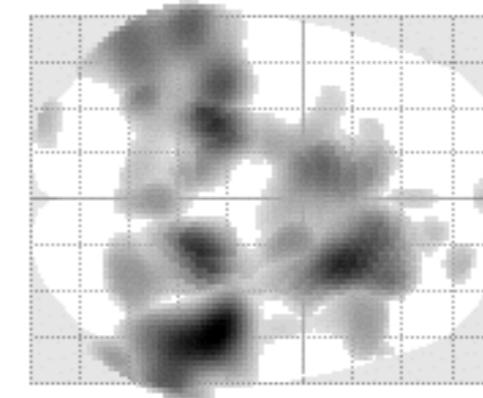
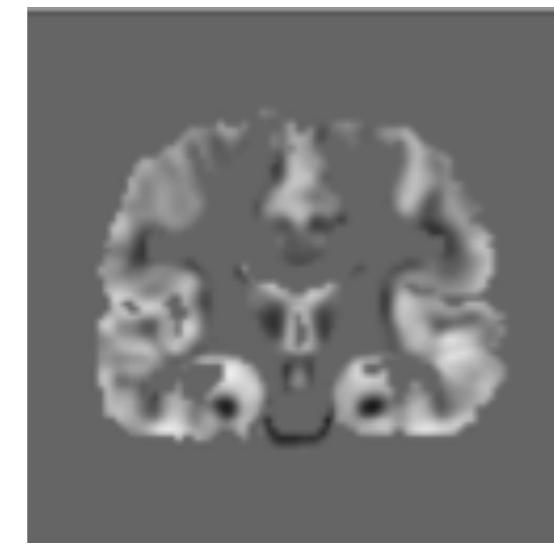
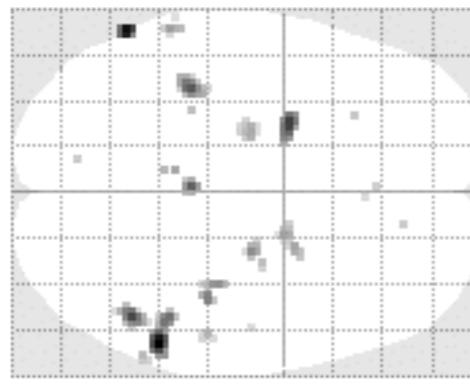
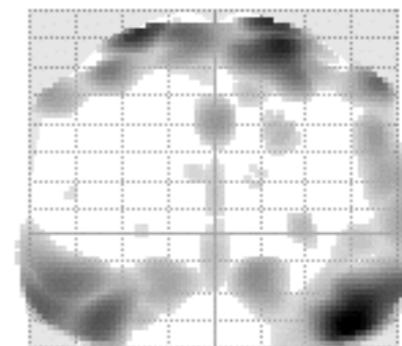
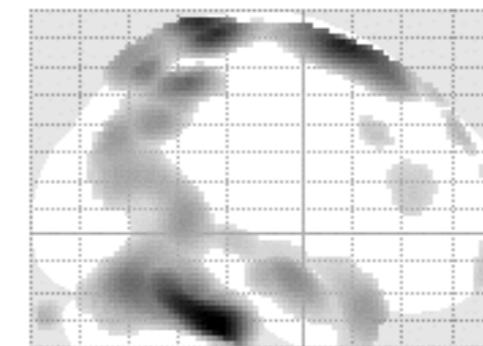
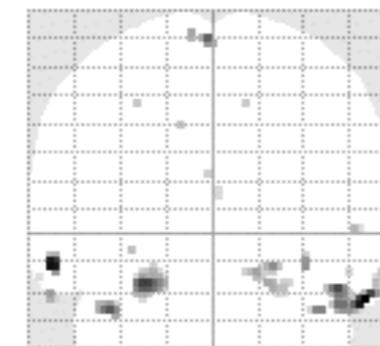
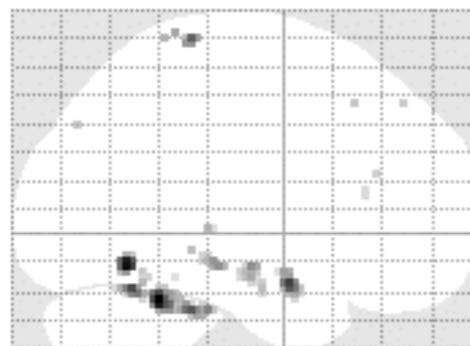
SPM{T₁₇}

- Whether to modulate
 - Yes: Preserves regional volume
 - No: Preserves concentrations
- Adjusting for total GM or Intracranial Volume
- How much to smooth
- Limitations of linear correlation
- Statistical validity



Problems: Smoothing

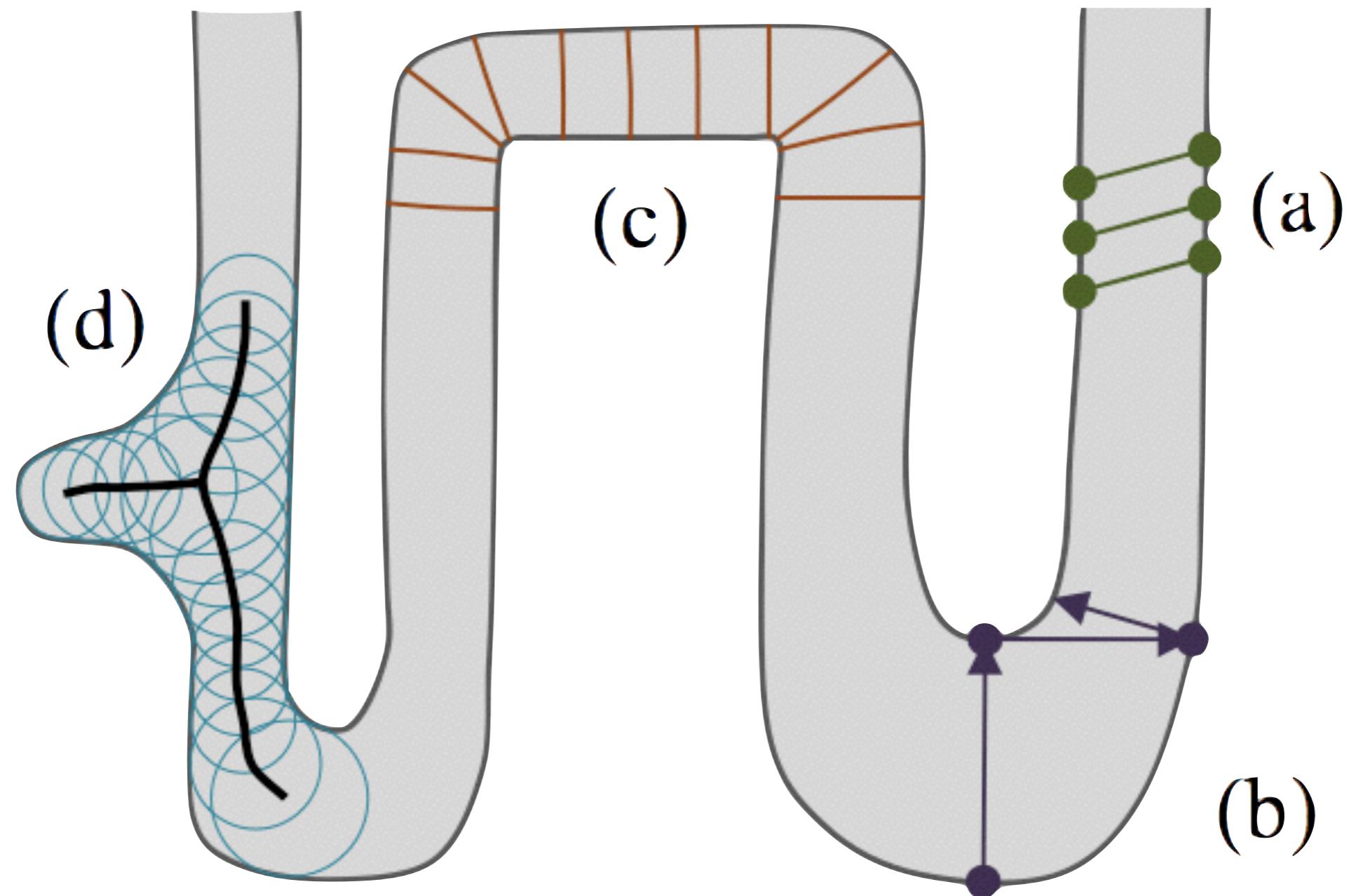
- Between 7 and 14mm is probably best
 - (lower is okay with better registration techniques)
- The results below show two fairly extreme choices, 5mm on the left, and 16mm, right



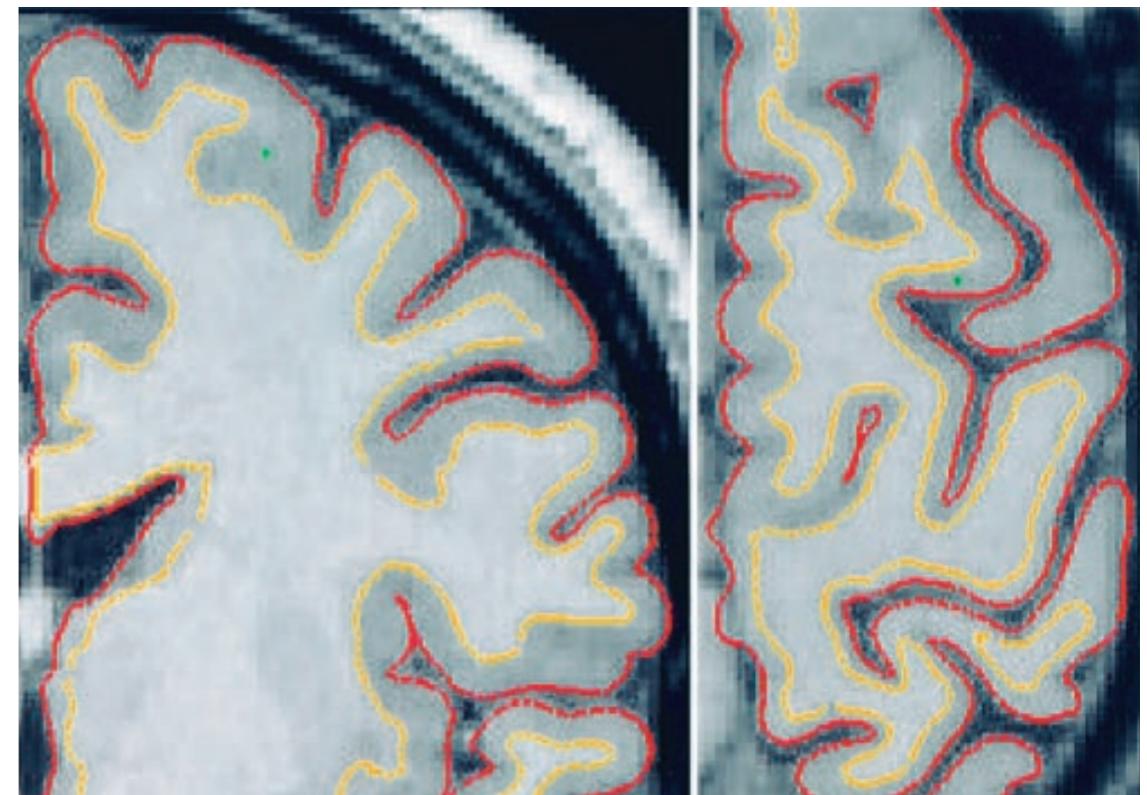
- TBM
 - “All modulation, no gray matter”
 - Jacobian determinant: Davatzikos et al. (1996) JCAT 20:88-97
- DBM
 - Cao and Worsley (1999) Ann Stat 27:925-942
 - Ashburner et al (1998) Hum Brain Mapp 6:348-357
- Other “variations” on TBM
 - Chung et al (2001) NeuroImage 14:595-606
- And also... other statistical analysis/correction strategies

CORTICAL THICKNESS

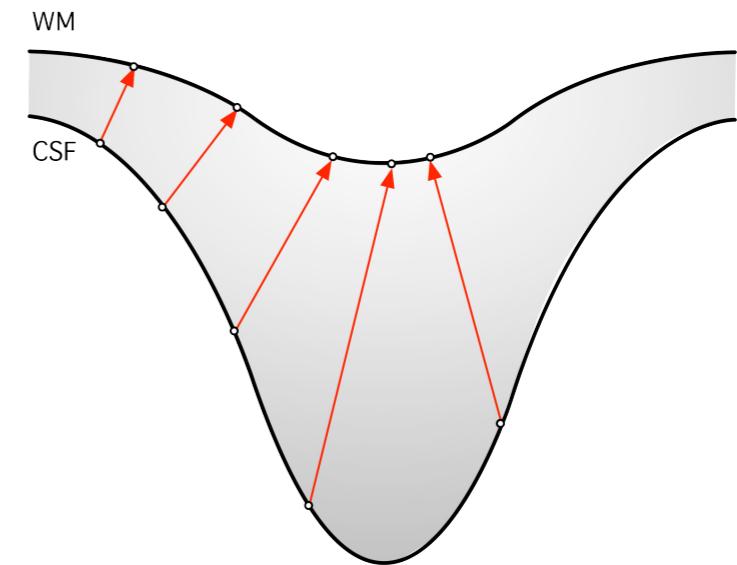
Cortical Thickness



- Most well known packages:
 - Freesurfer
 - Cruise
- Fits 2 surfaces to the cortex
- Types of surfaces
 - Coupled (example a)
 - Thickness is just a node distance
 - Independent (example a)
 - Thickness has to be approximated by casting a line perpendicular to the surface

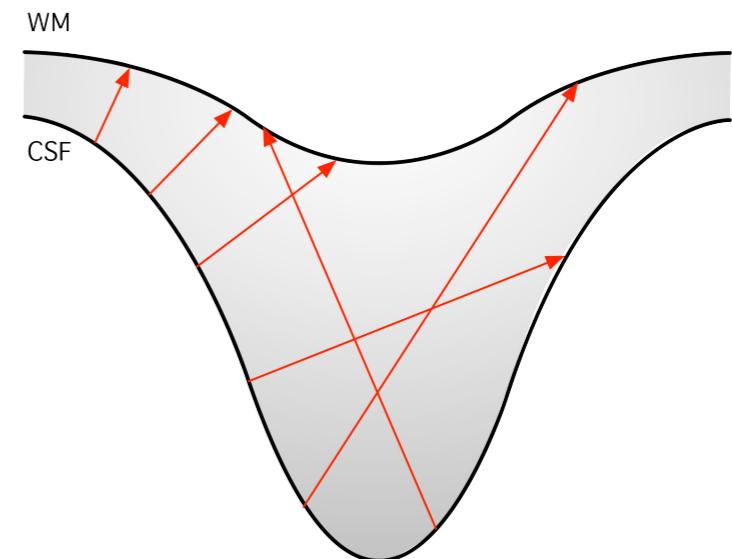
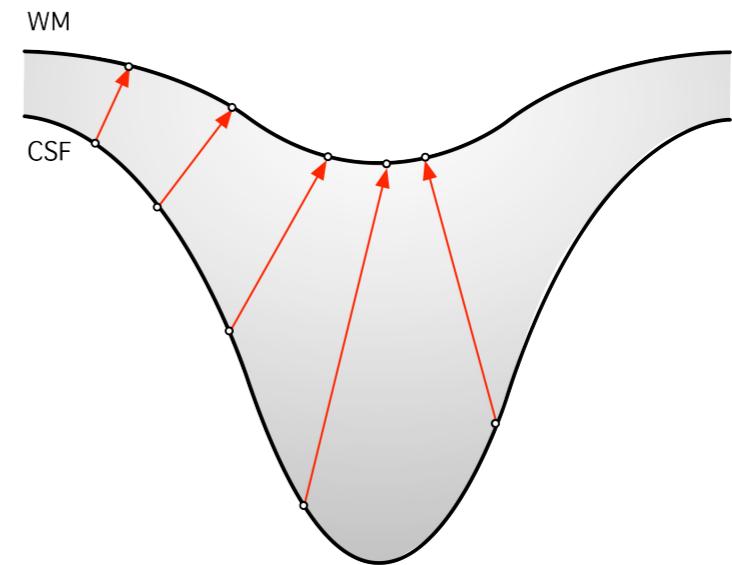


- Most well known packages:
 - Freesurfer
 - Cruise
- Fits 2 surfaces to the cortex
- Types of surfaces
 - Coupled (example a)
 - Thickness is just a distance between corresponding nodes



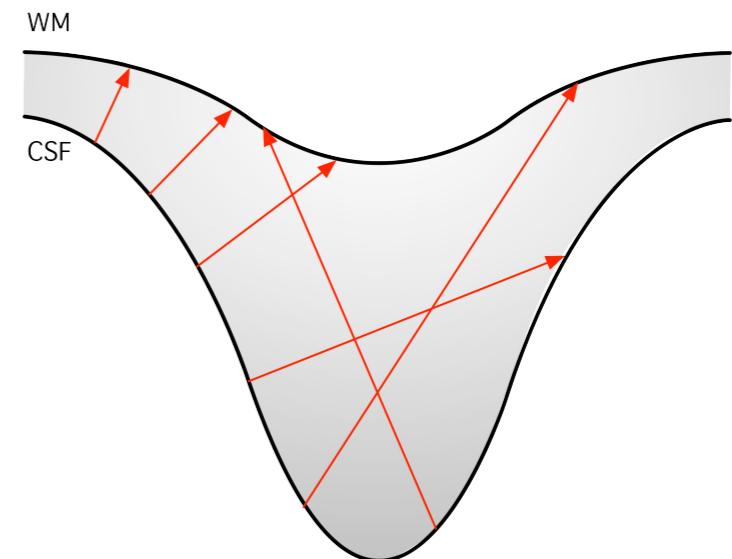
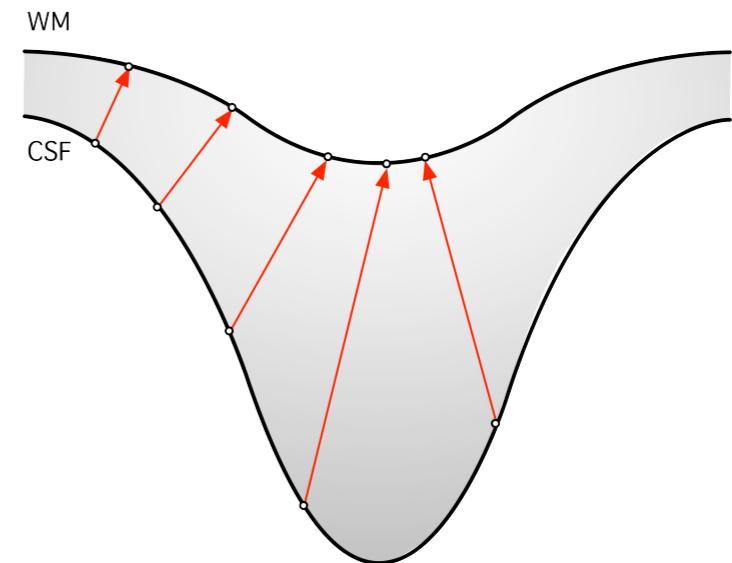
Surface Based CTE

- Most well known packages:
 - Freesurfer
 - Cruise
- Fits 2 surfaces to the cortex
- Types of surfaces
 - Coupled (example a)
 - Thickness is just a distance between corresponding nodes
 - Independent (example a)
 - Thickness has to be approximated by casting a line perpendicular to the surface



- Advantages
 - Curvature constrains
 - Sub-voxel precision
 - Inter-subject comparison

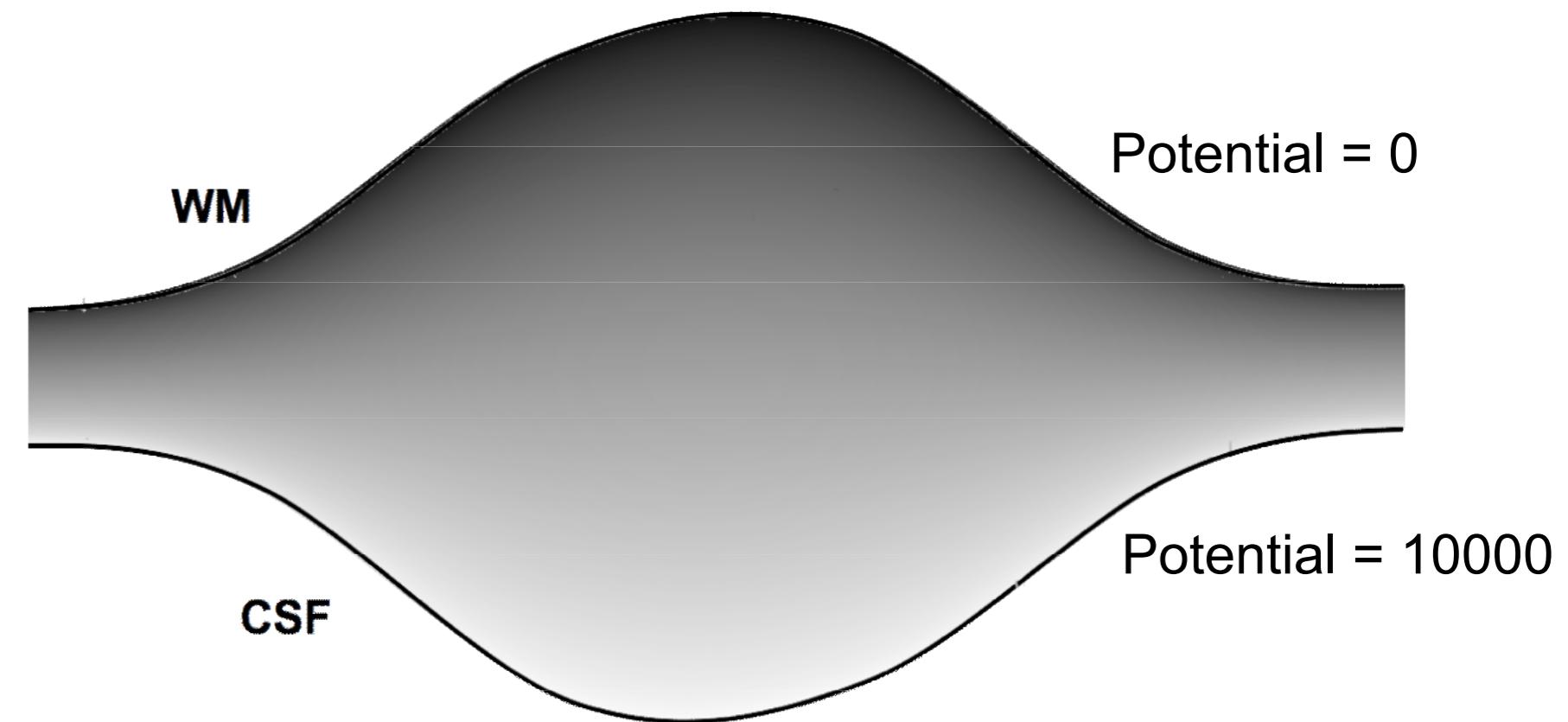
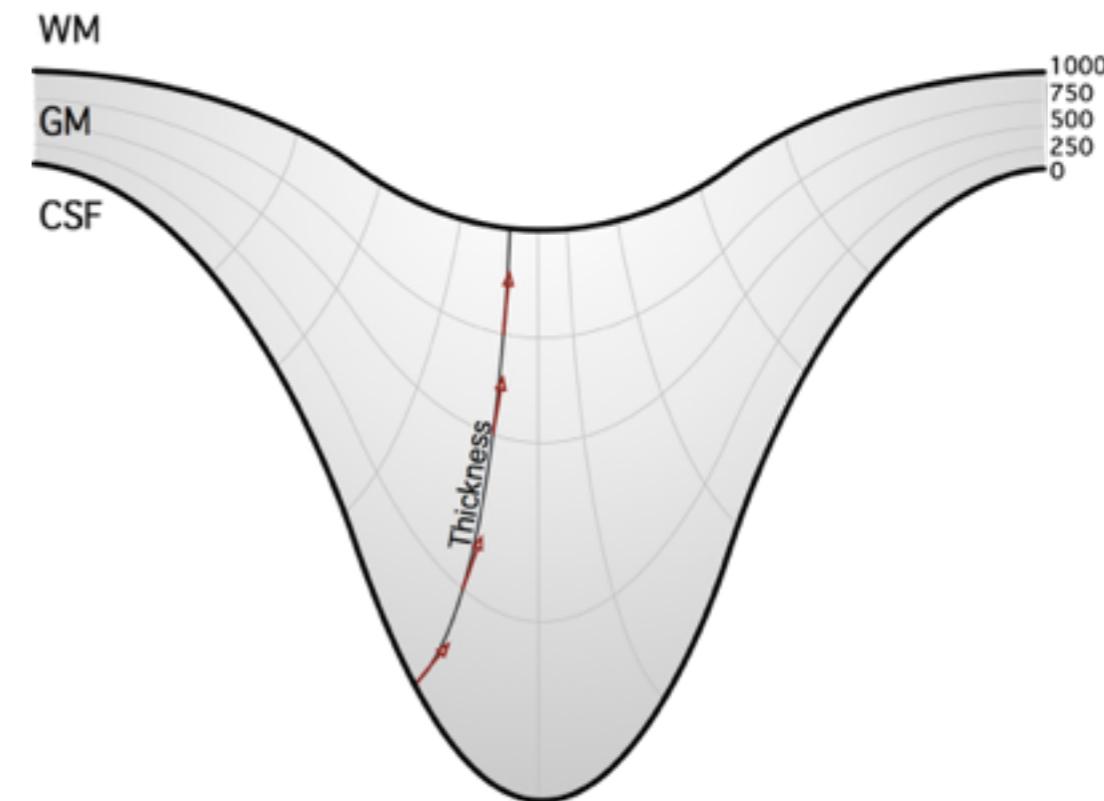
- Disadvantages
 - Curvature constrains
 - Optimisation
 - Time
 - Sliding in coupled curves
 - Approximated distance in independent curves



Voxel Based CTE (Laplace equation)

- Solves the Laplace equation between 2 regions (example c)
- Integrates the distance by following the perpendicular to the Laplace equation's isolines

$$\nabla^2 \phi = 0$$

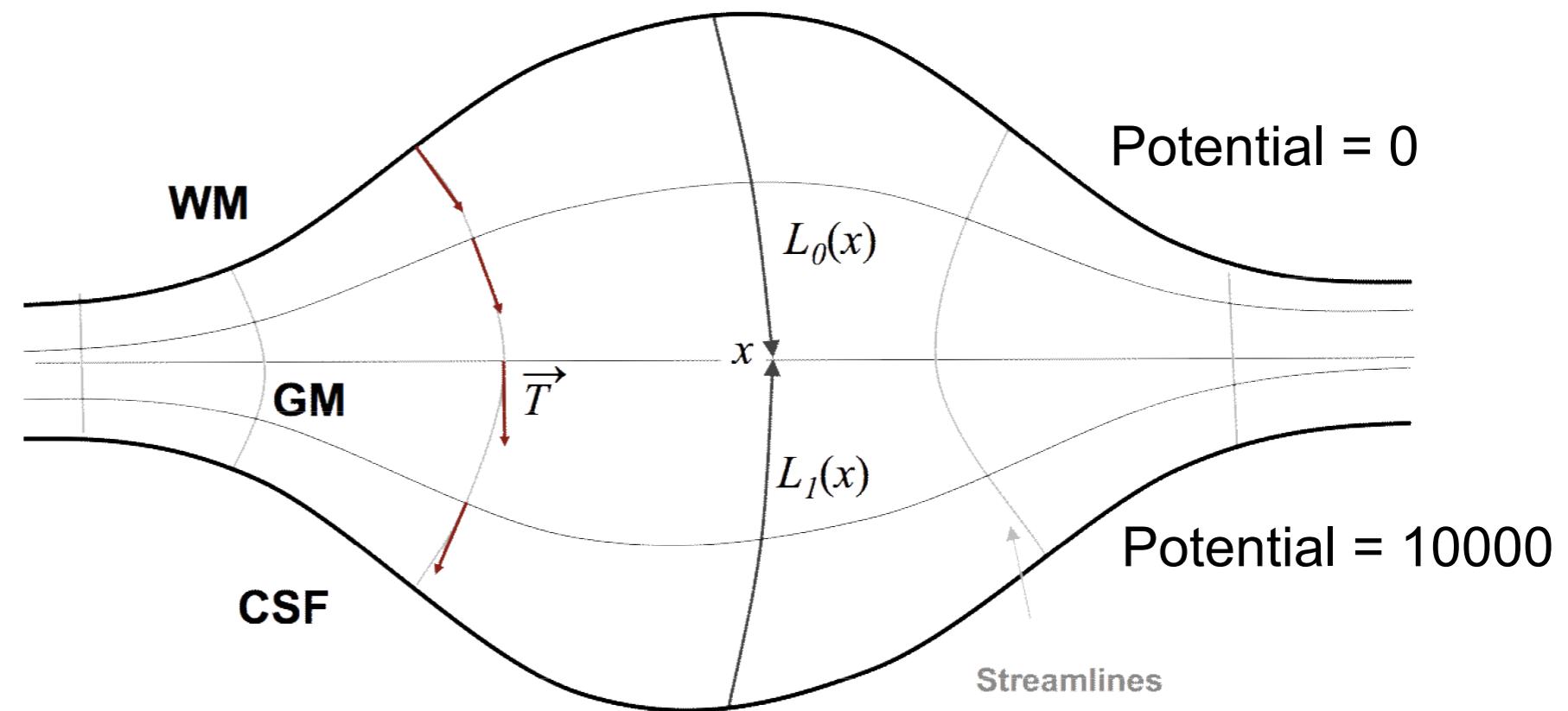


Voxel Based CTE (Laplace equation)

$$Thick = L0 + L1.$$

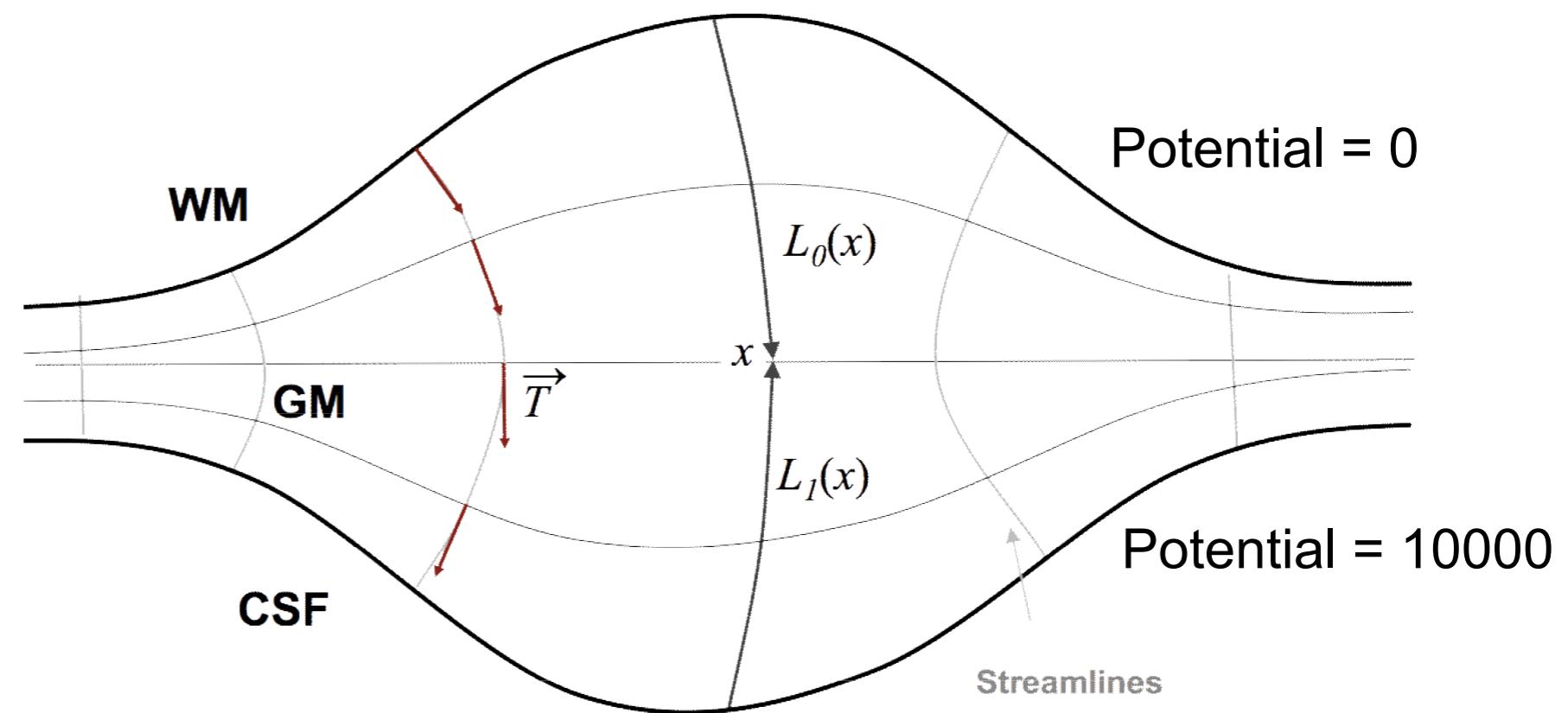
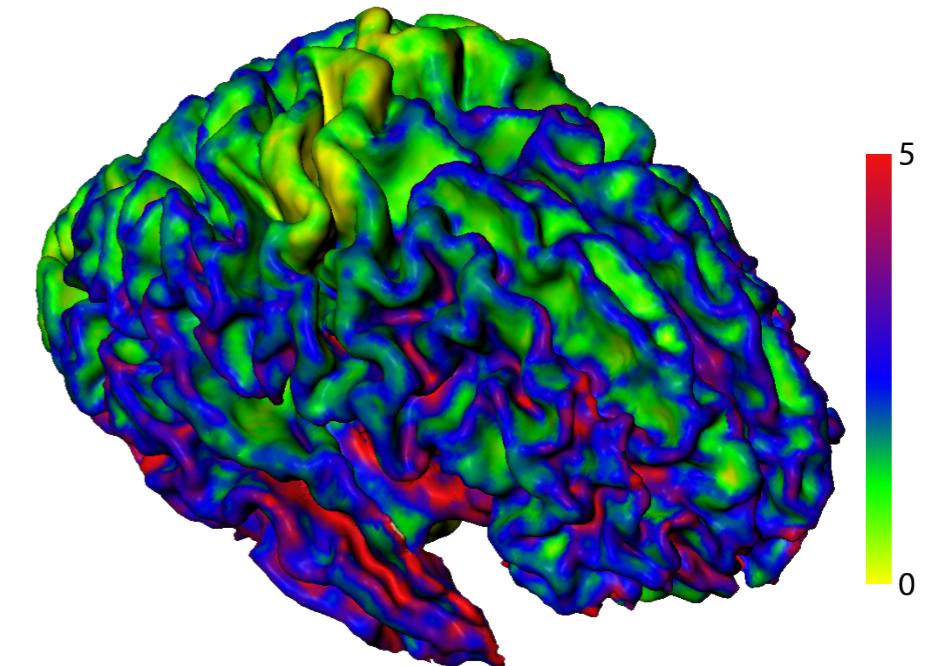
$$\nabla L \cdot T = f$$

$$L0_{(x,y,z)} = \frac{1}{(a_y a_z |T_x| + a_x a_z |T_y| + a_x a_y |T_z|)} [f_{(x,y,z)} a_x a_y a_z + \\ a_y a_z |T_x| * L0_{(x \mp a_x, y, z)} + a_x a_z |T_y| * L0_{(x, y \mp a_y, z)} + \\ a_x a_y |T_z| * L0_{(x, y, z \mp a_z)}]$$

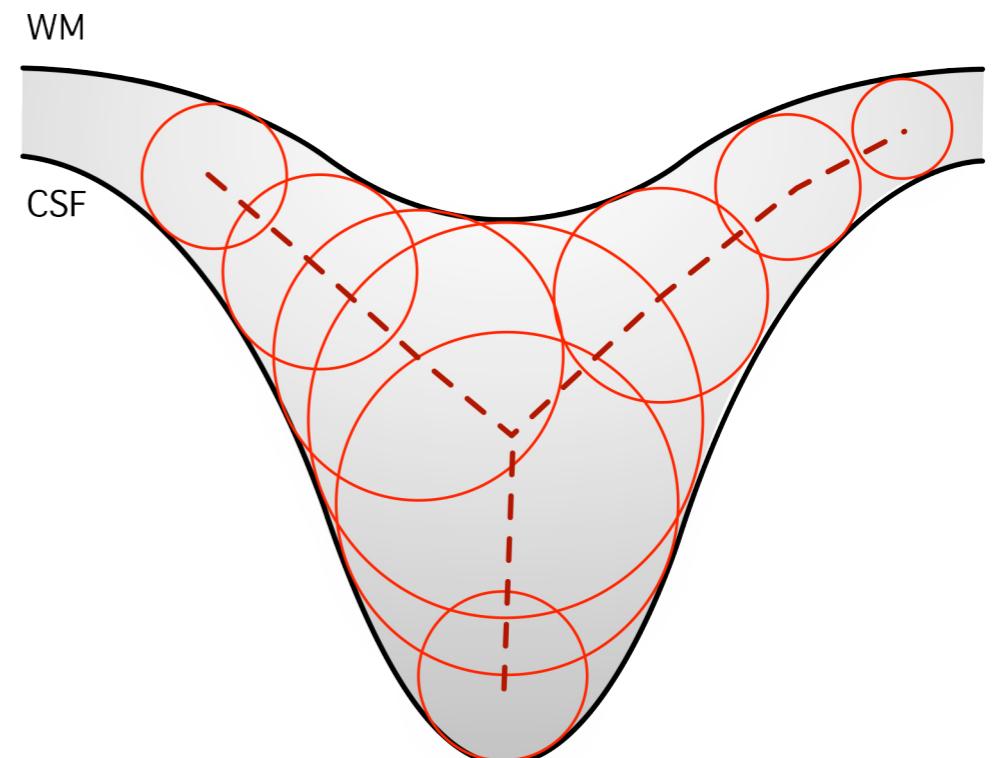


Voxel Based CTE (Laplace equation)

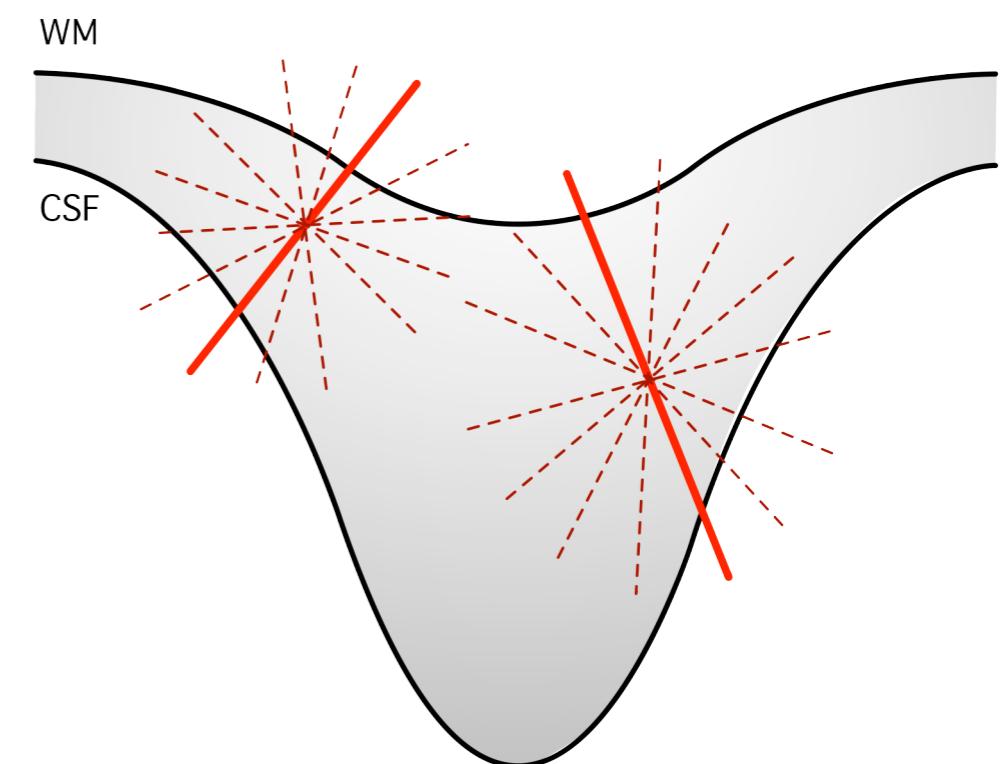
- Advantages
 - One-to-one correspondence
 - Well behaved
- Disadvantages
 - Does not implicitly take PV into account
 - Topology correctness



- Maximum Spheres (example d)
 - At each point in the cortex, find the largest size sphere that fits within the cortex
 - Advantages:
 - Deals relatively well with closed sulci
 - Disadvantages:
 - Binary images only
 - Branching effect

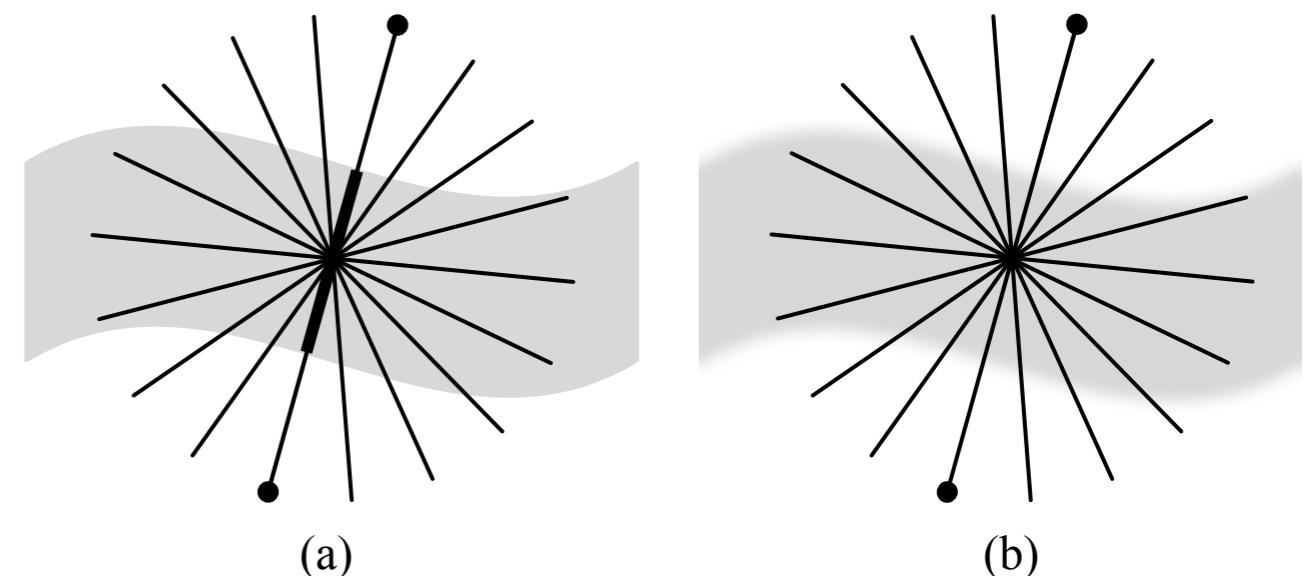


- Line Integral
 - At each point in the cortex, find the direction that minimises the integral of the GM segmentation
 - Advantages:
 - takes PV into account
 - Disadvantages:
 - Problems with sulci
 - Discretisation



- Line Integral
 - At each point in the cortex, find the direction that minimises the integral of the GM segmentation
 - Advantages:
 - takes PV into account
 - Disadvantages:
 - Problems with sulci
 - Discretisation

$$T(\vec{x}) := \min_{l \in L_{\vec{x}}} \int_l P(\vec{r}) dl,$$



ATROPHY ESTIMATION (VOLUME CHANGE)

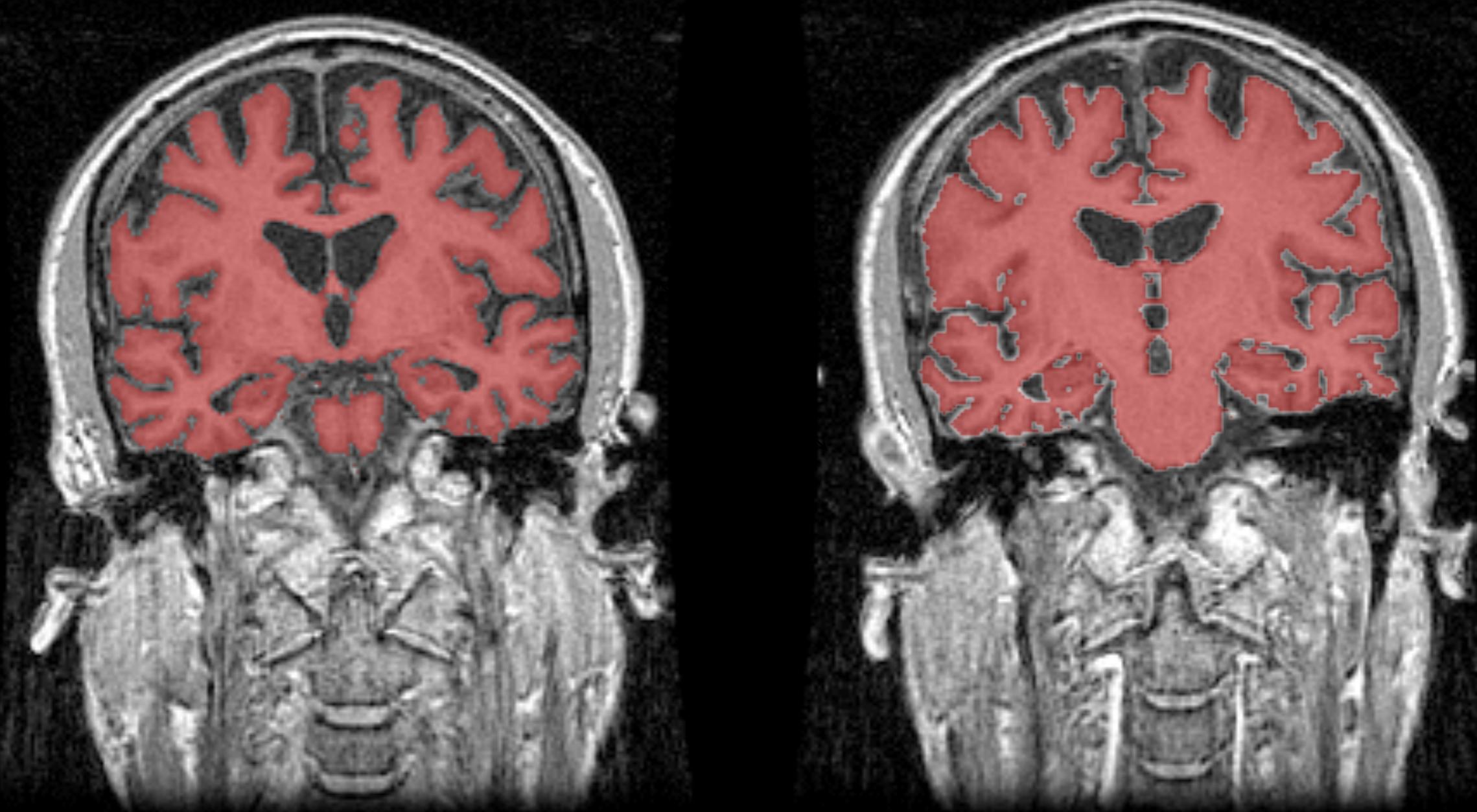
Extracting imaging biomarkers: measuring cerebral atrophy

Baseline image



registration

Follow-up image



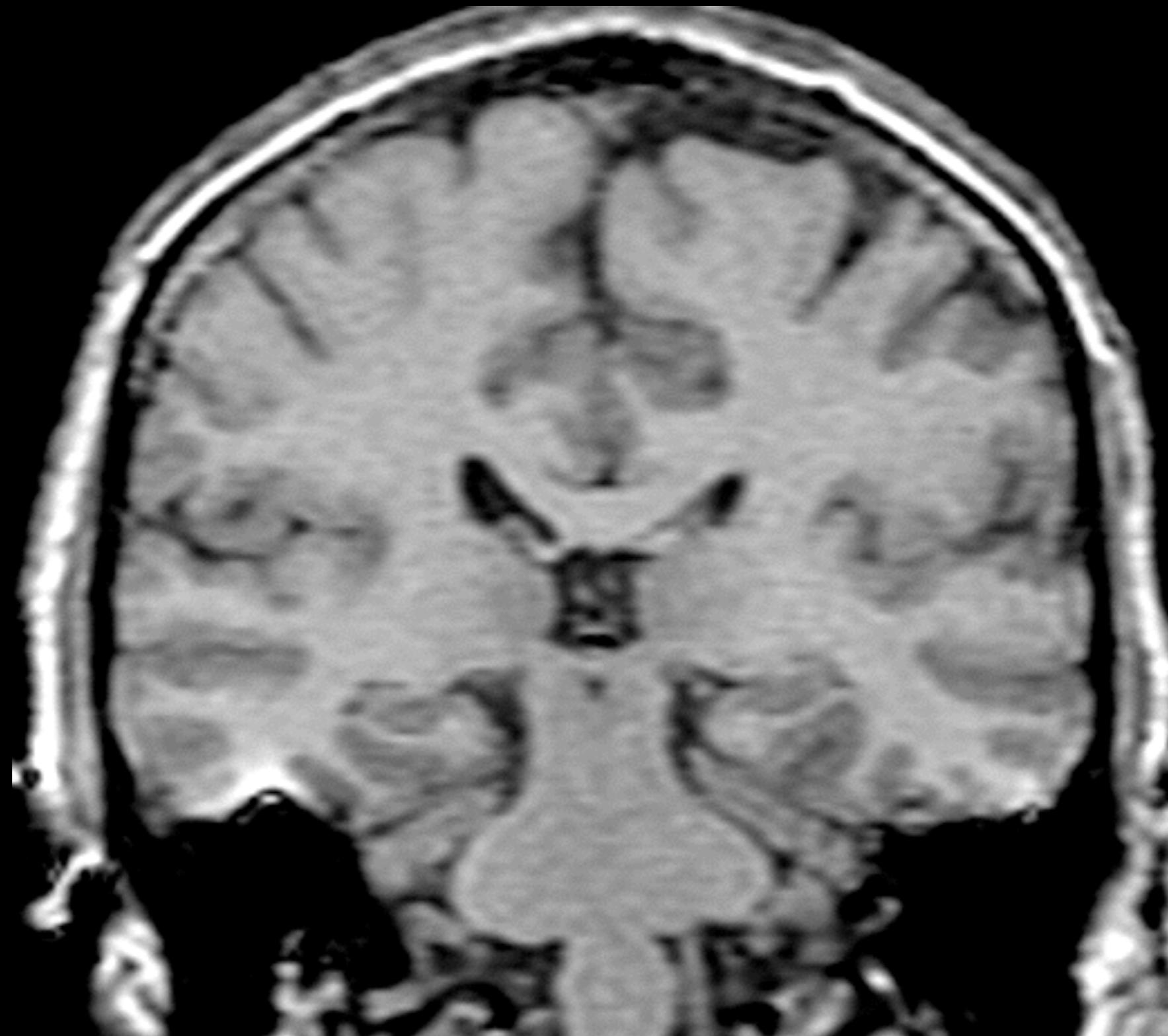
- Instrument/Scanner:
 - Geometric distortion.
 - Magnetic gradient non-linearity (grad warp artefact).
 - Magnetic gradient drift (scaling effect)
 - Intensity distortion/inhomogeneity.
 - Inhomogeneity in B0 or RF pulses,
 - non-uniform receiver sensitivity,
- Subject:
 - “Ghost effect”.
 - Motion/movement.
 - “Streaks effect”
 - Pulsatile flow in carotid arteries.

Once everything is corrected for... and QC...



MCI

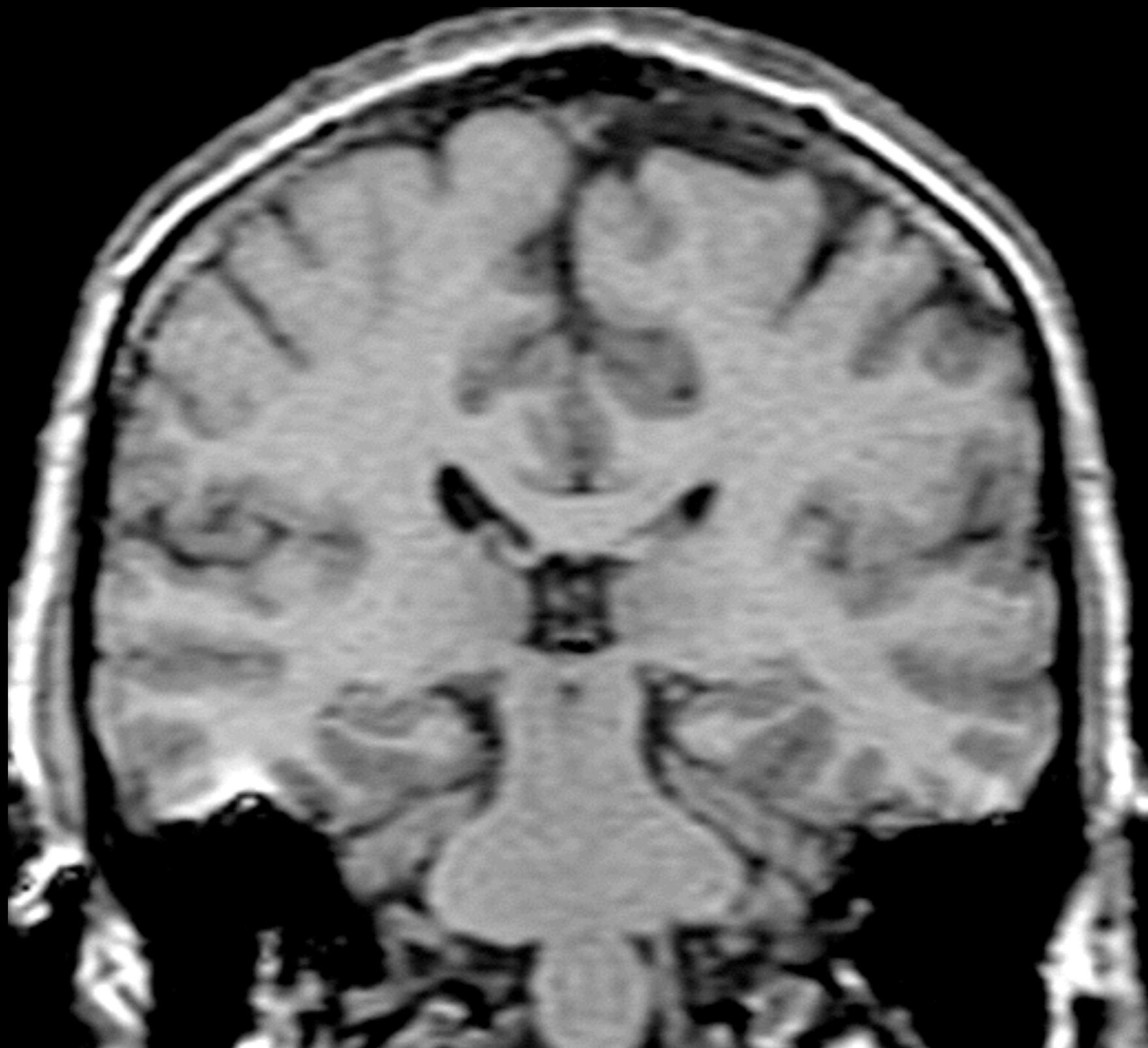
Scan 1



... Registered... and QC again...

MCI

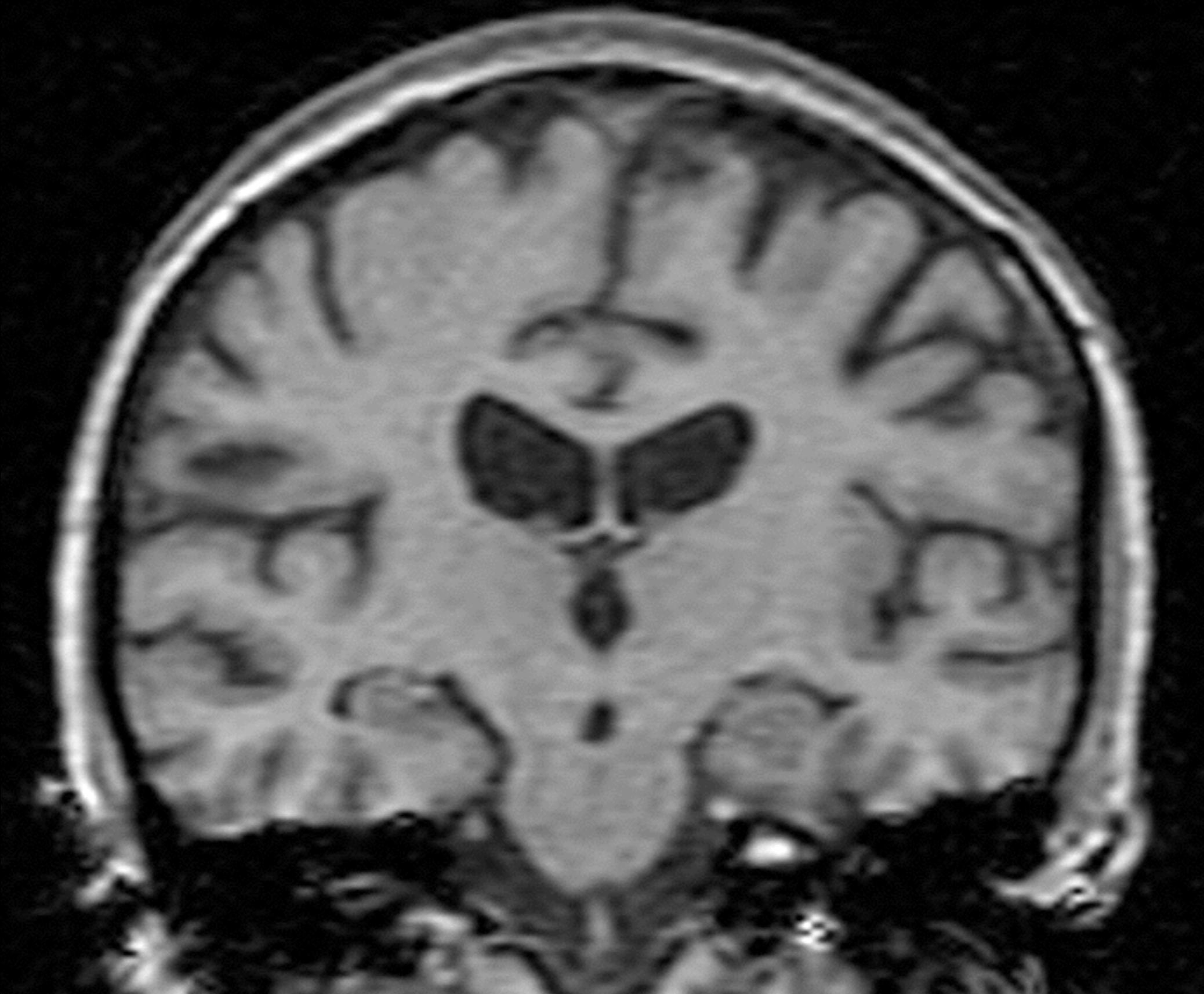
Scan 2



Again, once everything is corrected for... and QC... 

MCI-AD

Scan 1

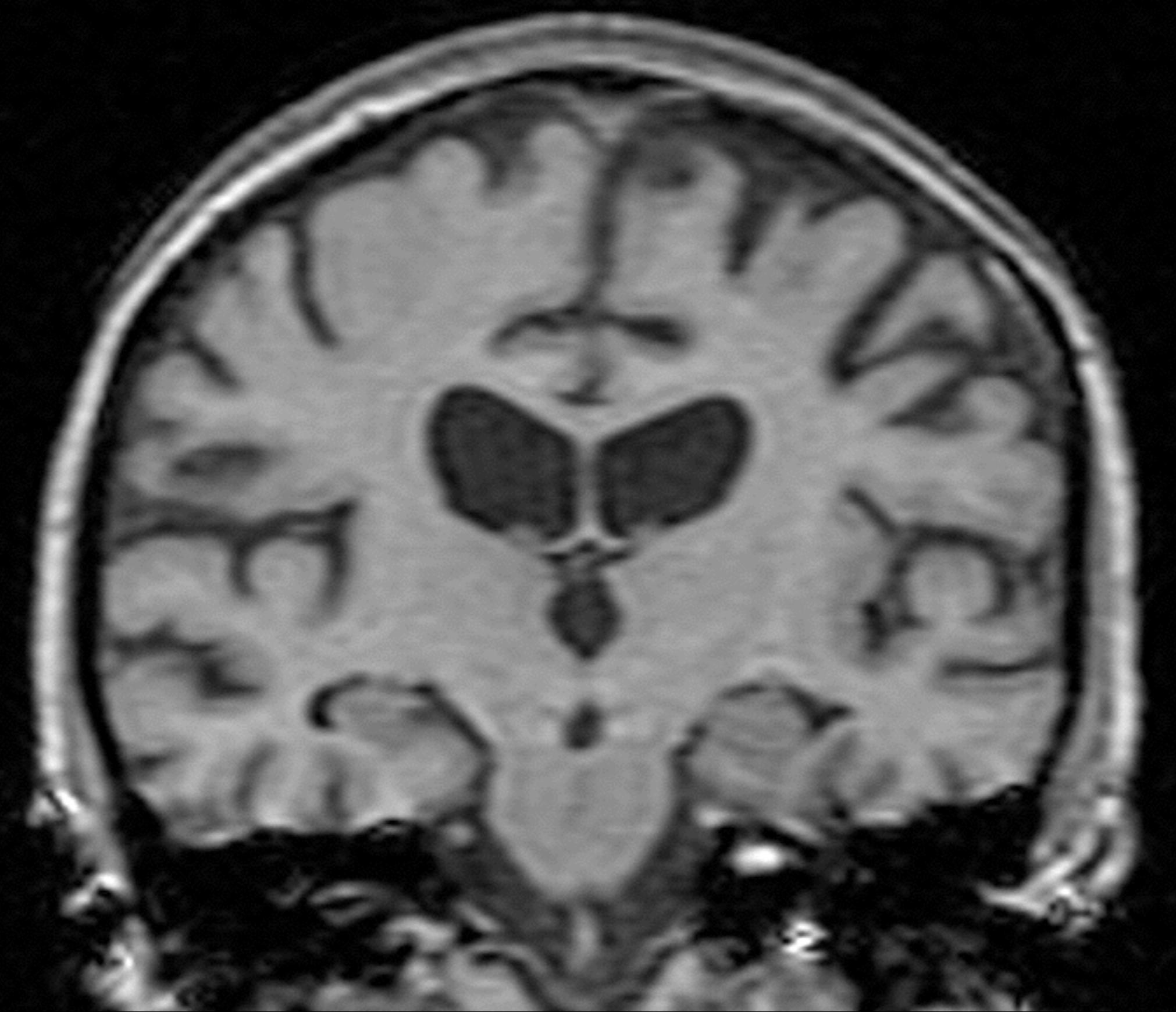


... Registered... and QC again...



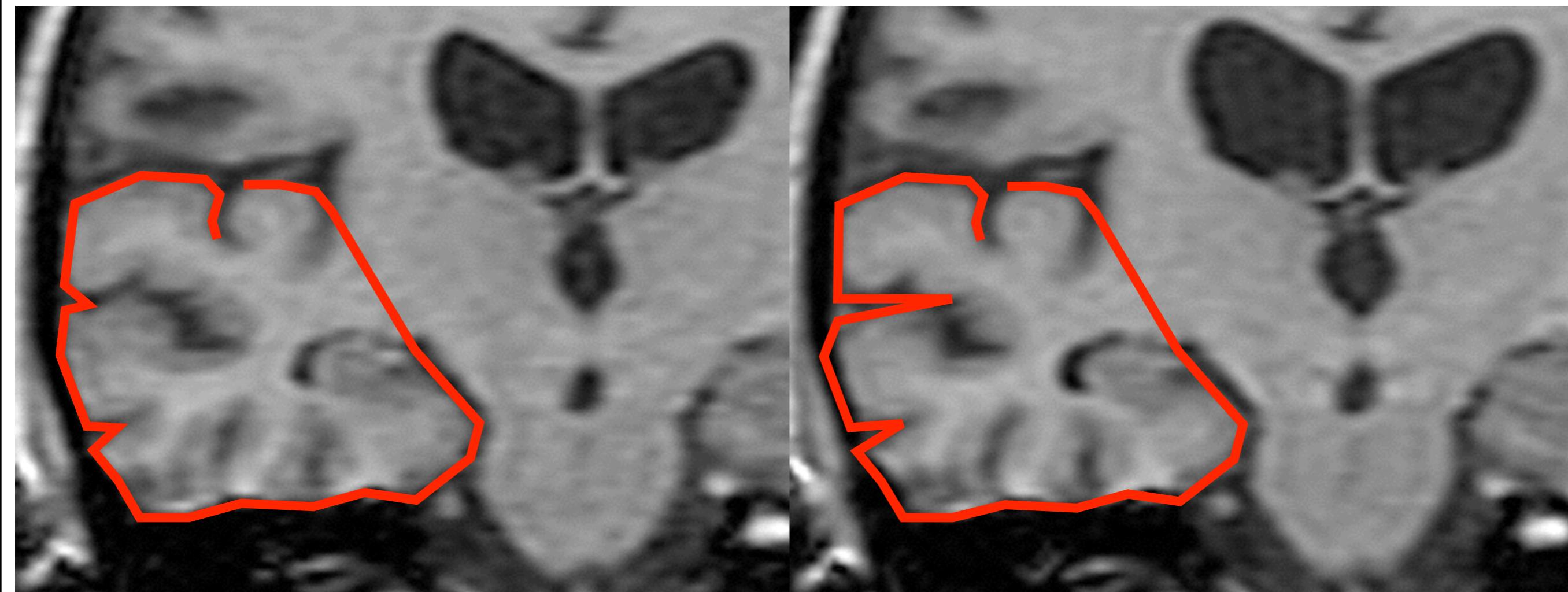
MCI-AD

Scan 2



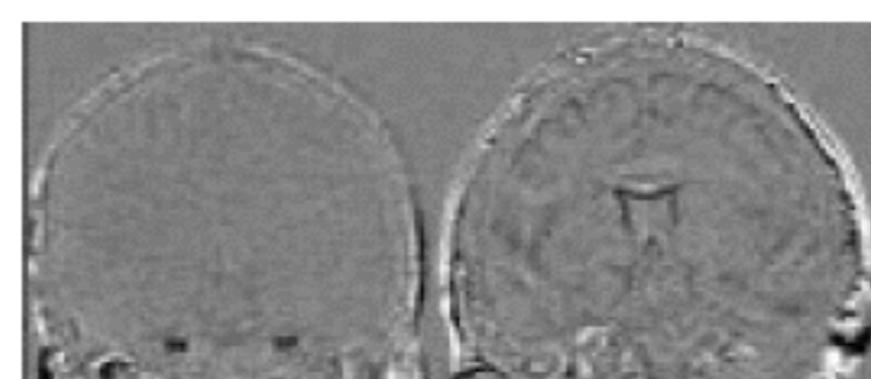
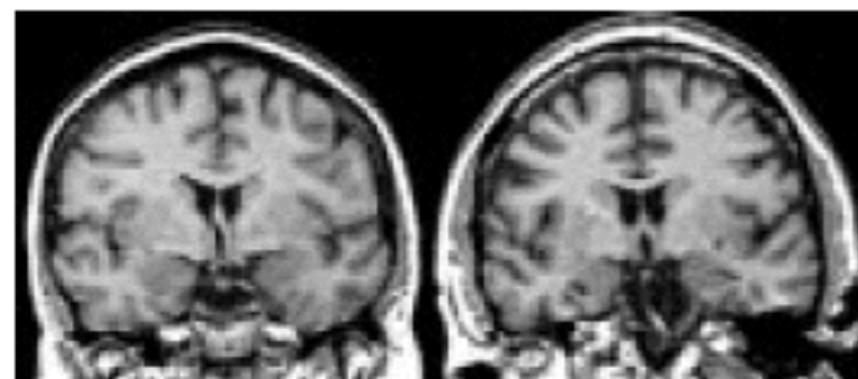
Direct Volume and why it can be problematic

- Still very much used by many groups
 - Simple, practical, easy
- However, volume difference methods depends directly on the manual/automated segmentations, which includes segmentation errors

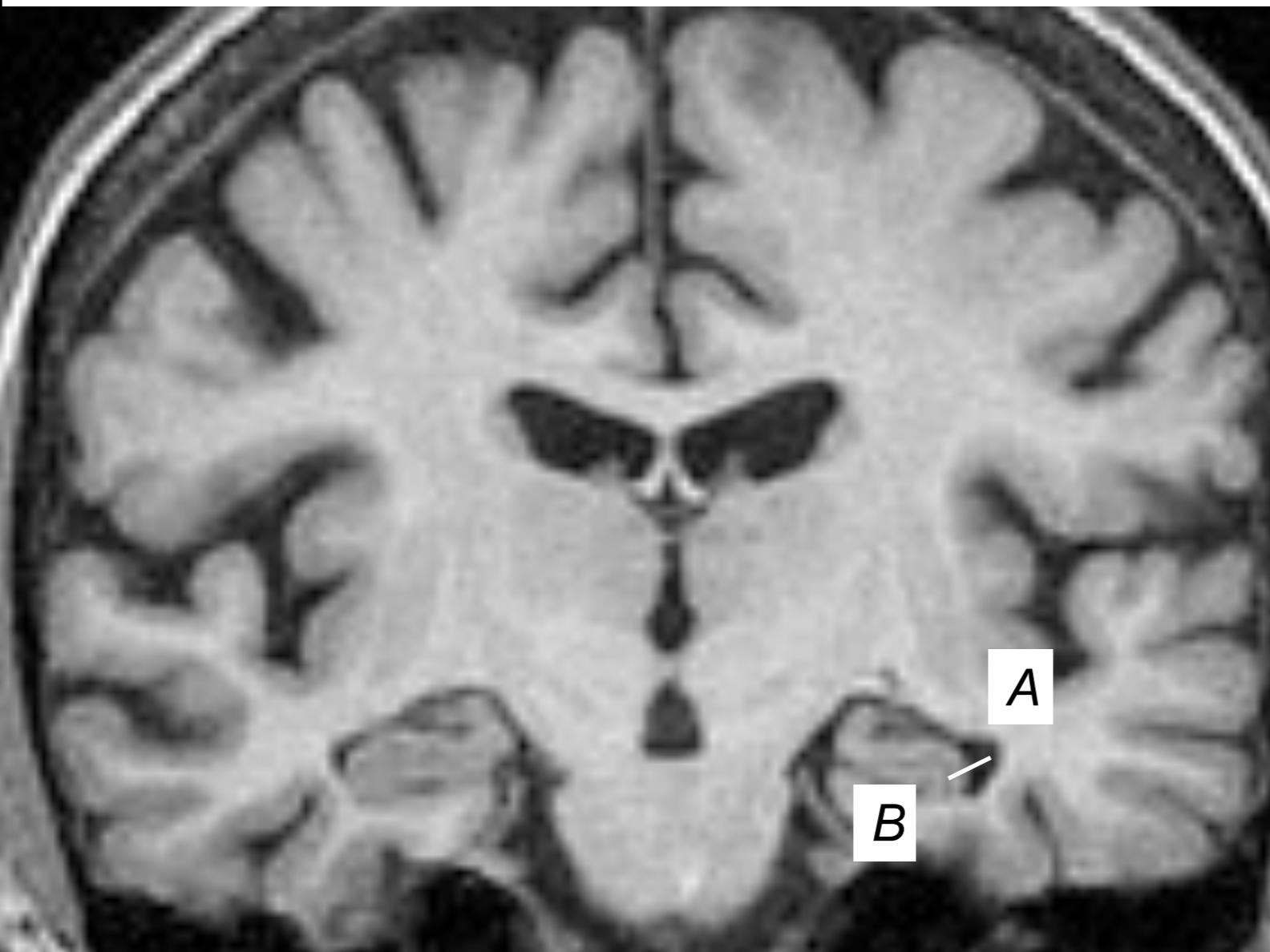


ATROPHY ESTIMATION - BSI

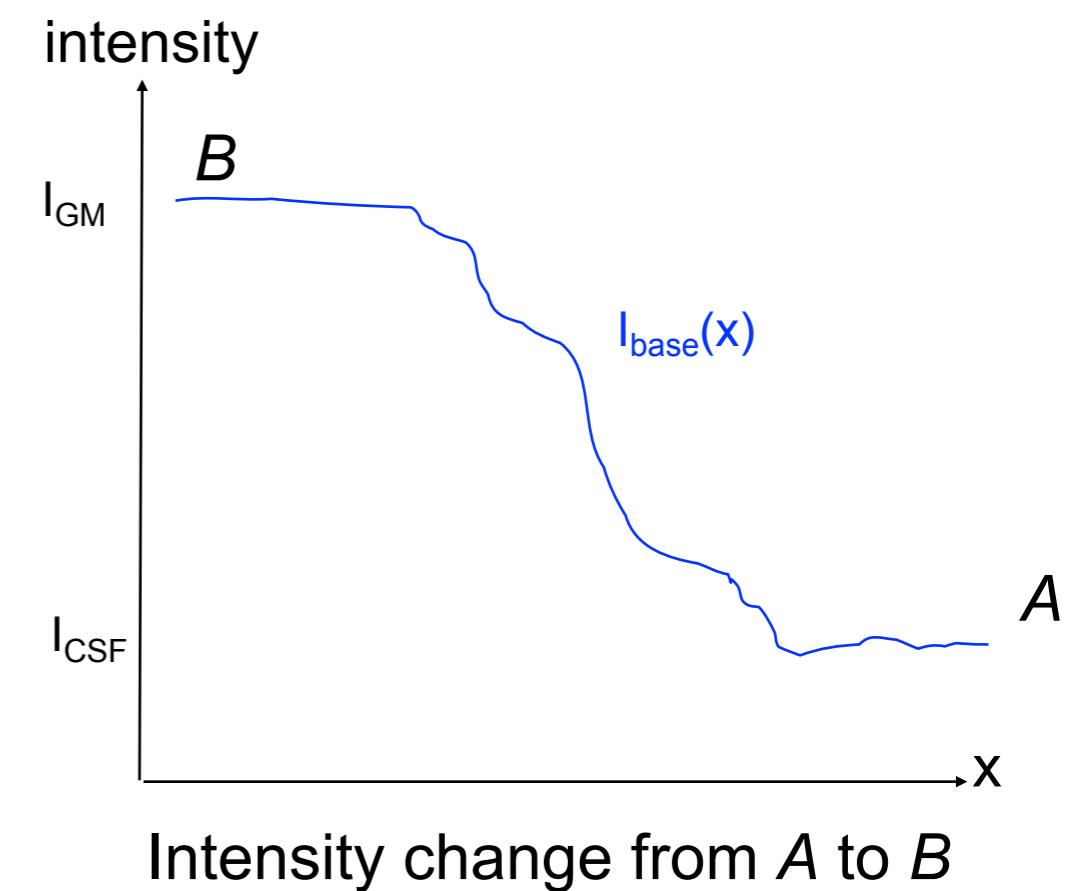
- BSI measures the brain volume change between two serial MR images.
- BSI currently being used as outcome measure in several phase 2 and 3 clinical trials.
- Based on the observation that a volume change is associated with a boundary shift.
 - Volume change \Rightarrow boundary shift \Rightarrow intensity change
- We can measure the change in volume by measuring the intensity change between baseline & repeat images
 - Volume change \Leftarrow boundary shift \Leftarrow intensity change



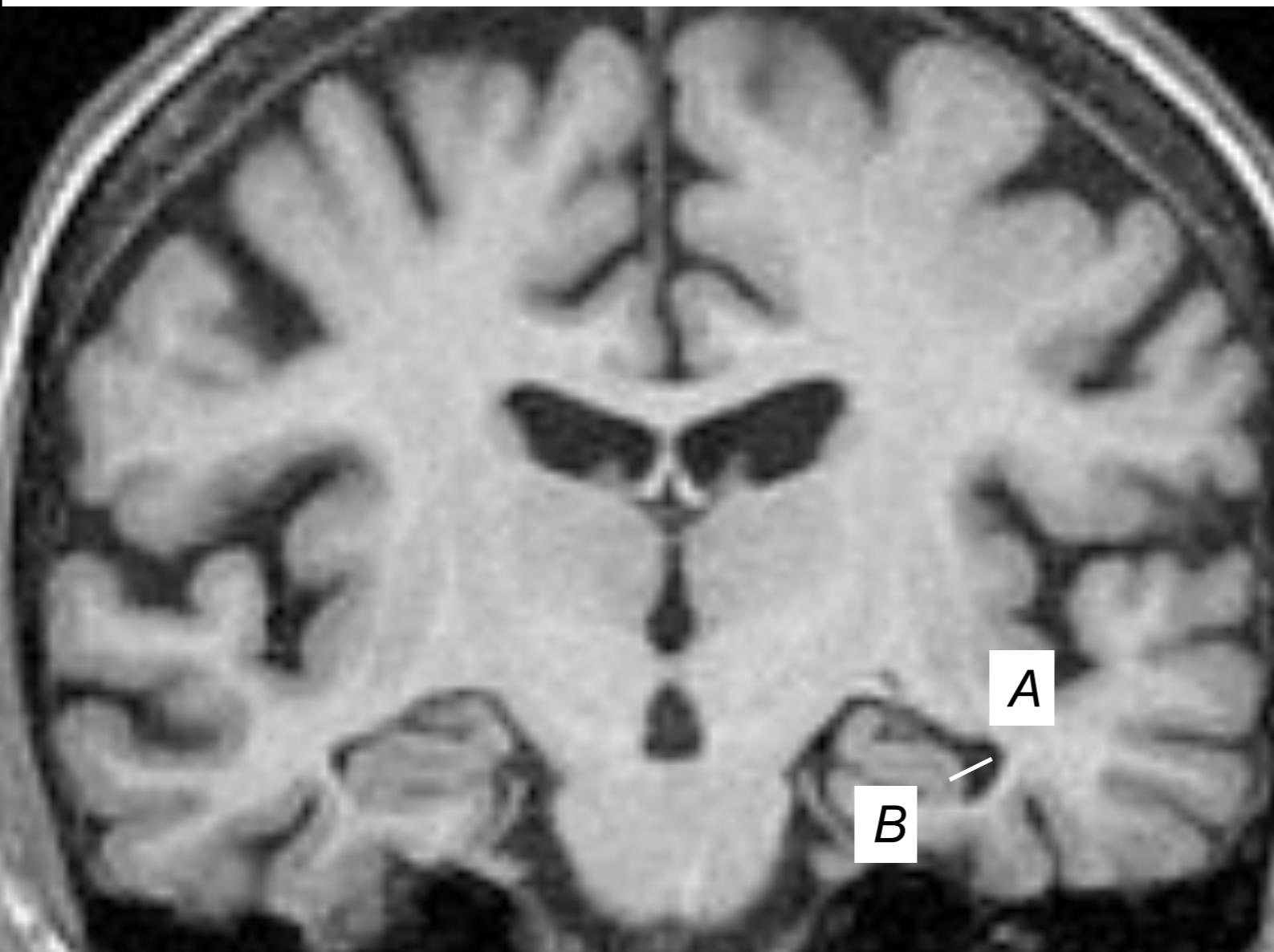
What is the BSI?



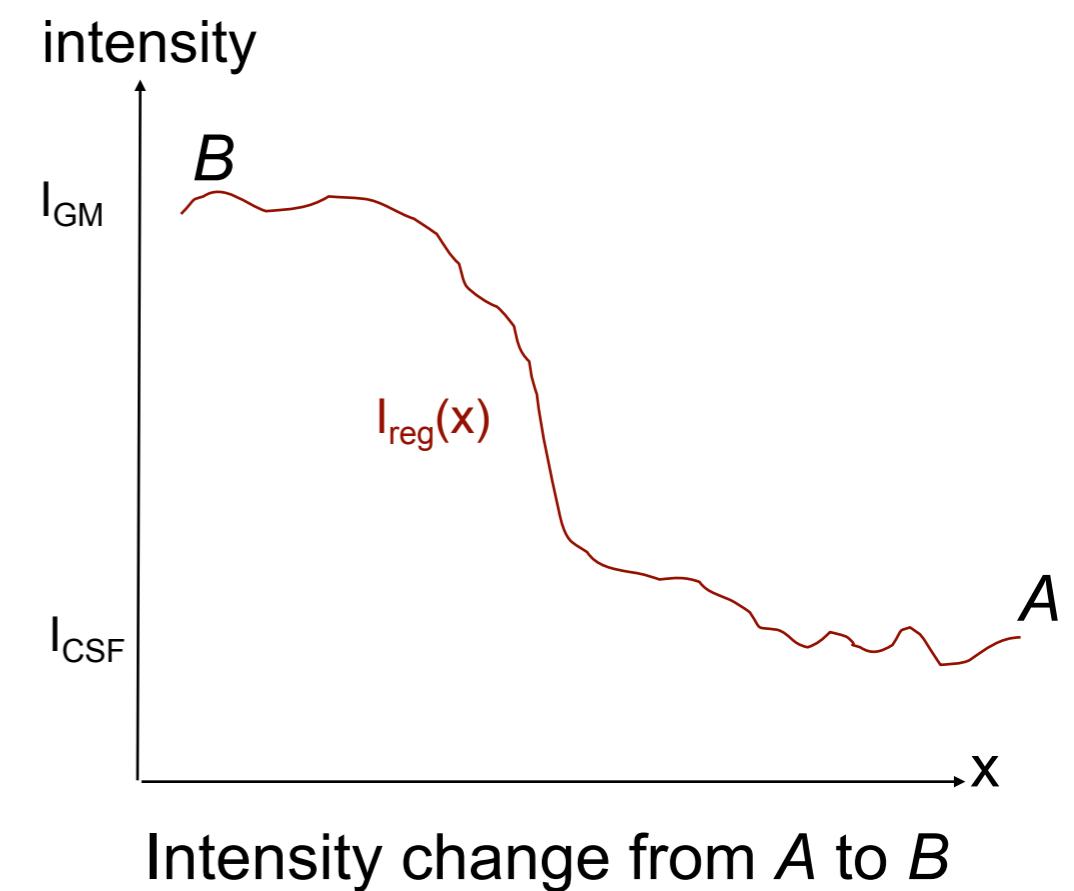
Baseline scan



What is the BSI?



Registered repeat scan



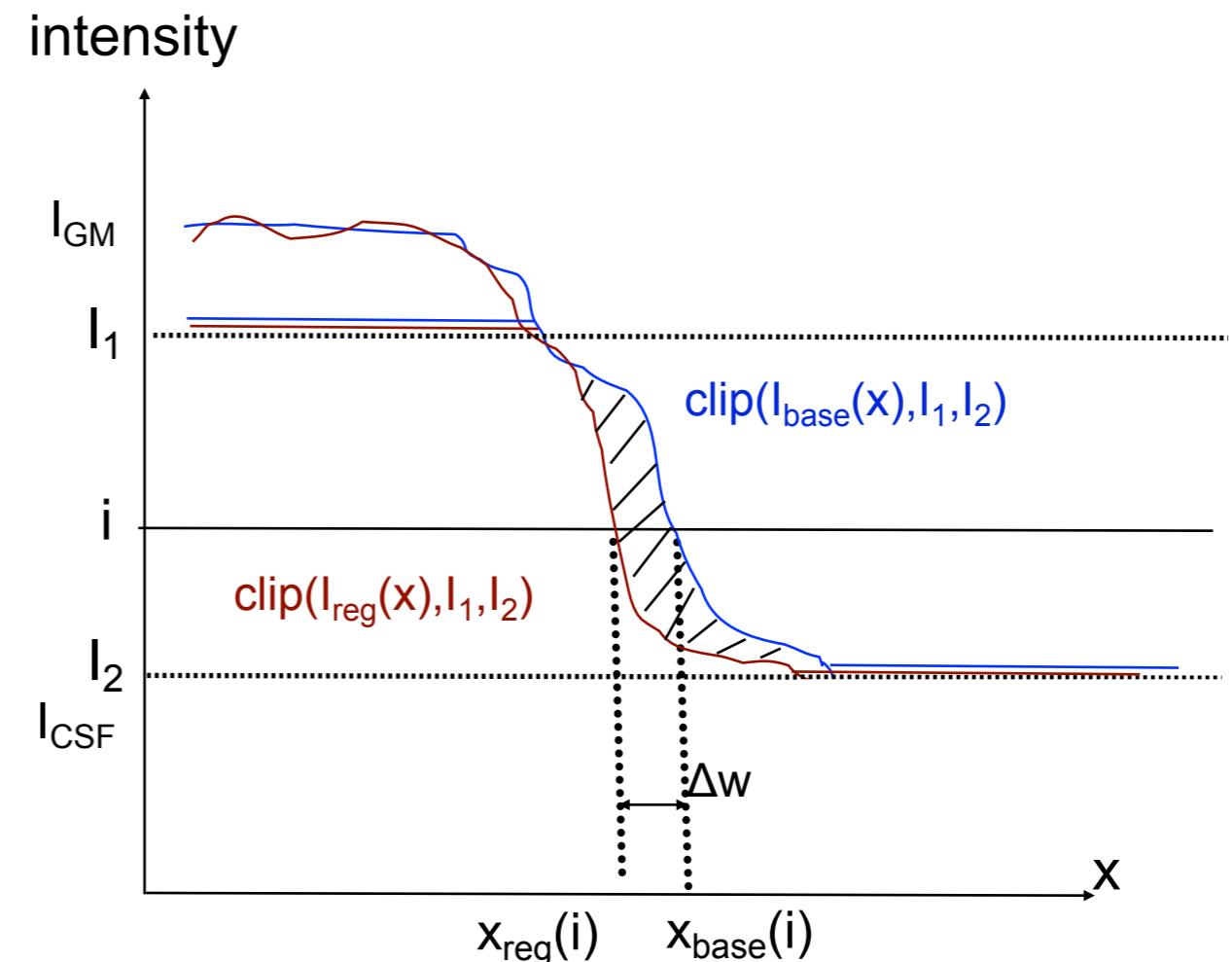
What is the BSI?

$$BSI = \frac{1}{I_1 - I_2} \int_{boundary} [clip(I_{base}(x), I_1, I_2) - clip(I_{reg}(x), I_1, I_2)]dx$$

where $I_{CSF} \leq I_2 \leq I_1 \leq I_{GM}$

$$clip(a, I_1, I_2) = \begin{cases} I_2 & a < I_2 \\ a & I_2 \leq a \leq I_1 \\ I_1 & a > I_1 \end{cases}$$

- The chosen window is quite often appropriate as BSI is a robust measure.
- Differential bias between baseline and follow-up can affect the measure.



- Intensity Normalisation:
 - Problem:
 - Images have to be intensity normalised.
 - Normally done through image segmentation.
 - Minor errors introduce normalisation problems, and thus, introduce large variations.
 - Solution:
 - Longitudinal segmentation algorithms can reduce these errors

- Bias Field correction:
 - Problem:
 - The two images have to be corrected for bias field.
 - Errors in this correction result in the existence of a differential bias between images.
 - Solution:
 - An extra differential bias field correction step is necessary to correct for residual bias.

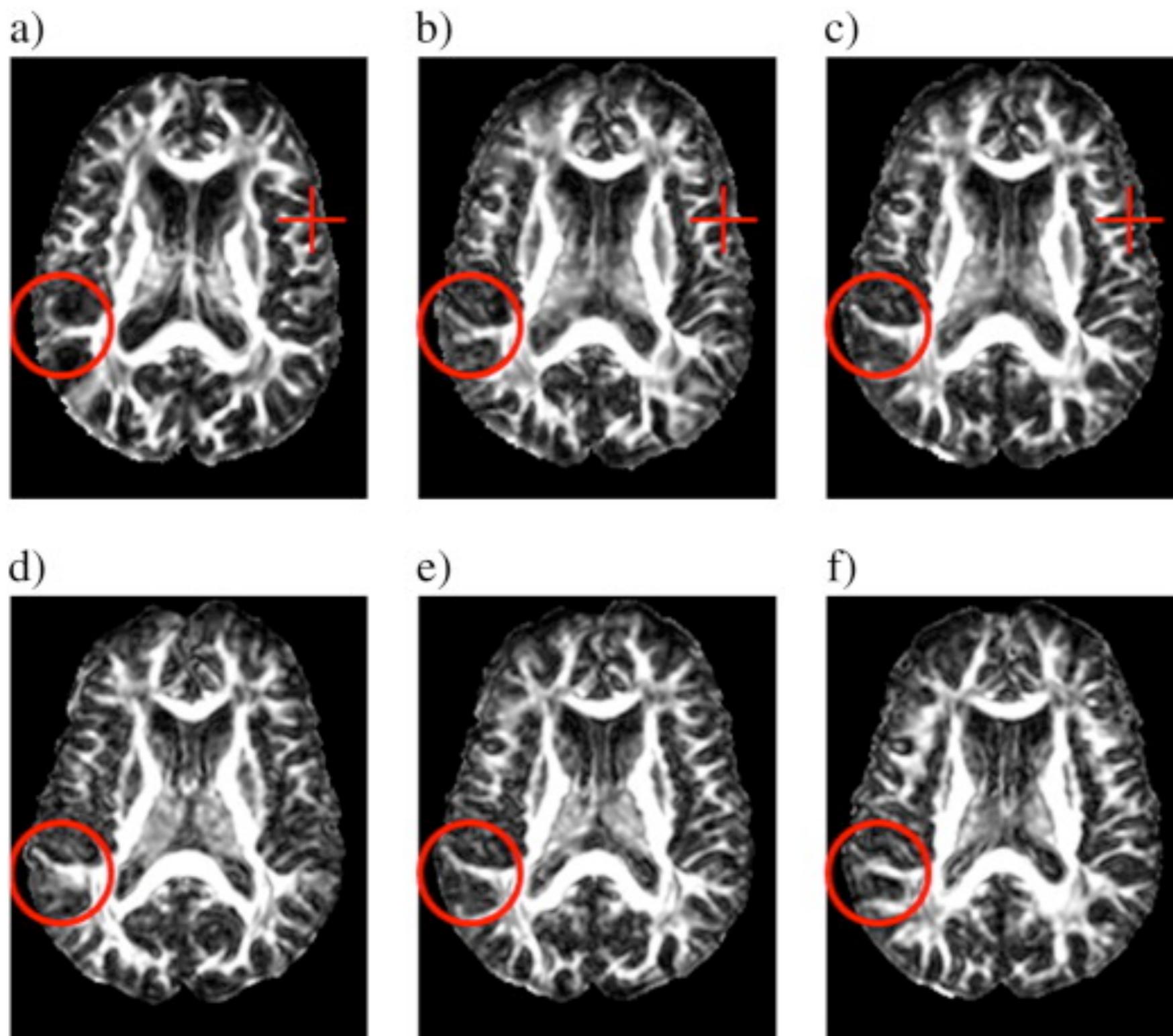
- Symmetry:
 - Problem:
 - The two time points need to be aligned with each other
 - If a specific direction (TP1-TP2, or TP2-TP1) is chosen for analysis, then a directional bias can be introduced.
 - Solution:
 - The alignment should be done to a mid point.
 - Both time point images should be resampled in the same manner.

DTI analysis

- WM damage has been reported in multiple pathologies using DTI
- Cross-sectional studies using DTI can show a decline in WM tract integrity
- Longitudinal DTI studies on fiber tract changes are still rare.
- Most studies use manually defined ROIs on WM tracts at each TP
- Registration of longitudinal DTI can provide a framework for measuring a common ROI across all time-points

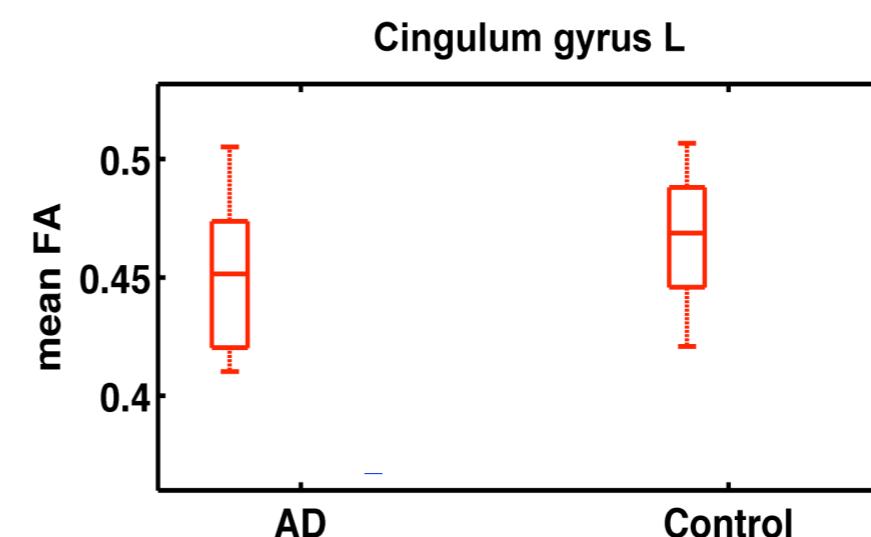
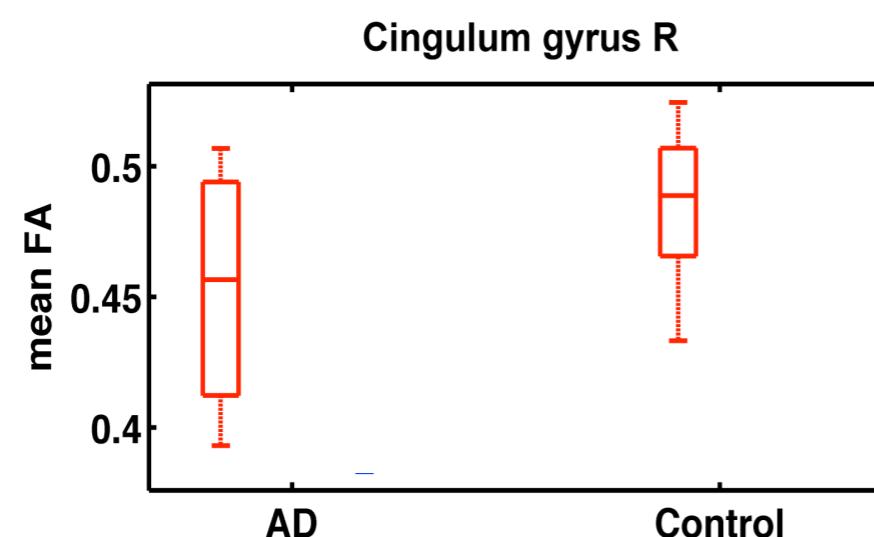
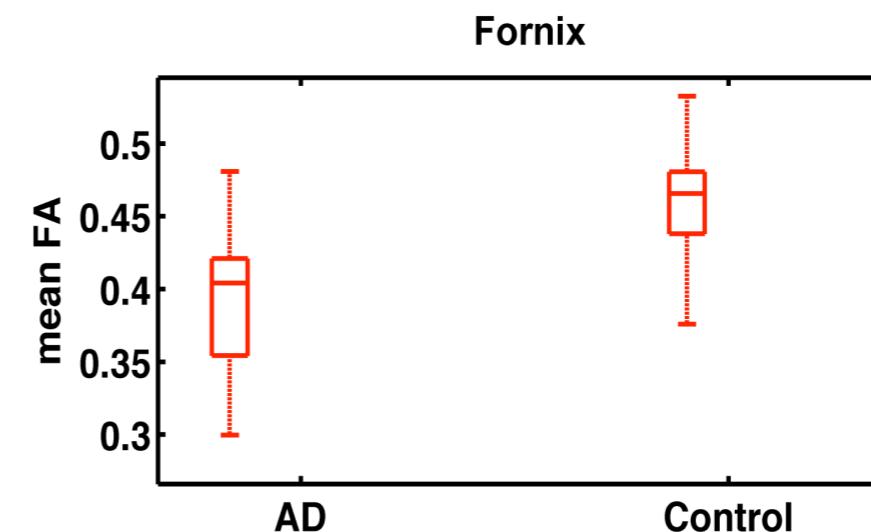
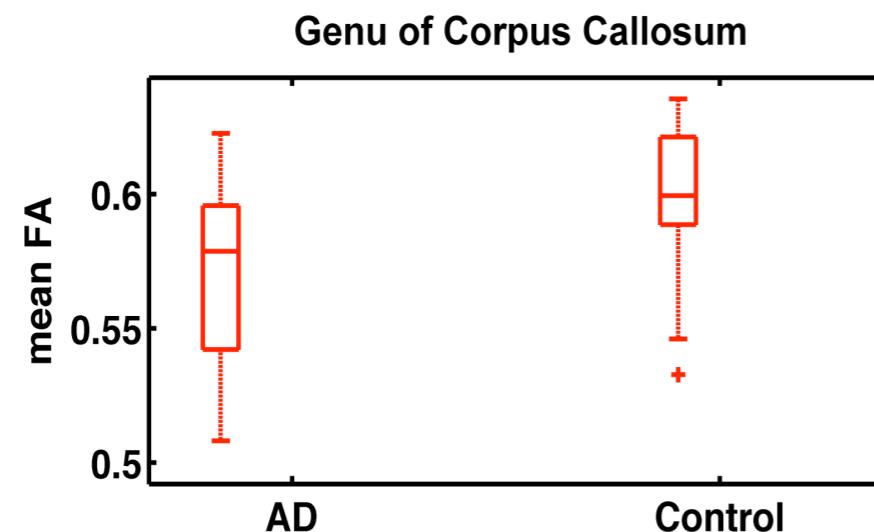


DTI analysis using FA



- Segment and parcelate T1w MRI
- ↓
- Register T1 and DTI of each patient
- ↓
- Resample the segmentation to the DTI
- ↓
- Obtain some metric of interest from the DTI (e.g. FA, MD)
- ↓
- Calculate average metric values per region

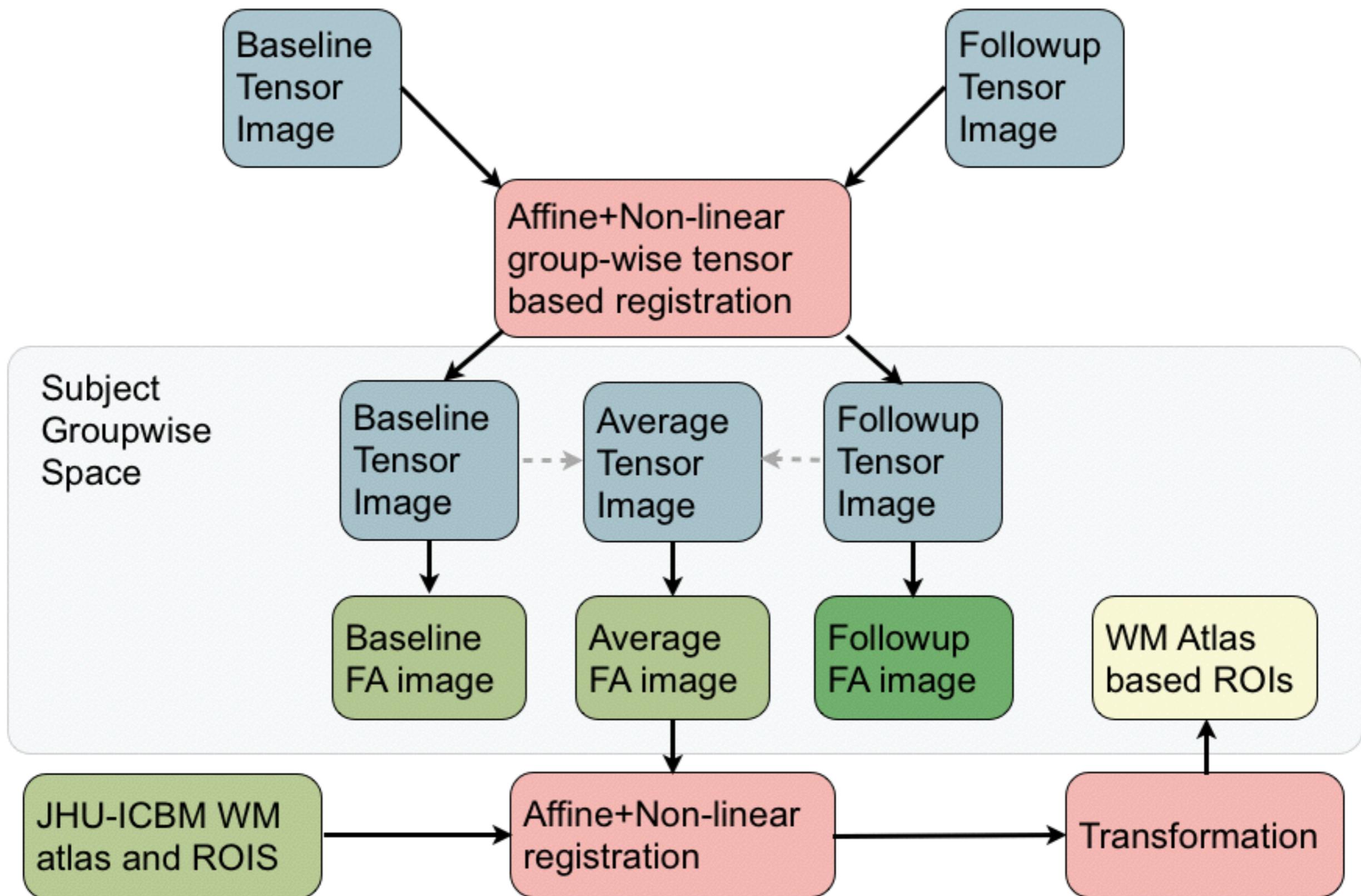
Results/advantages/disadvantages



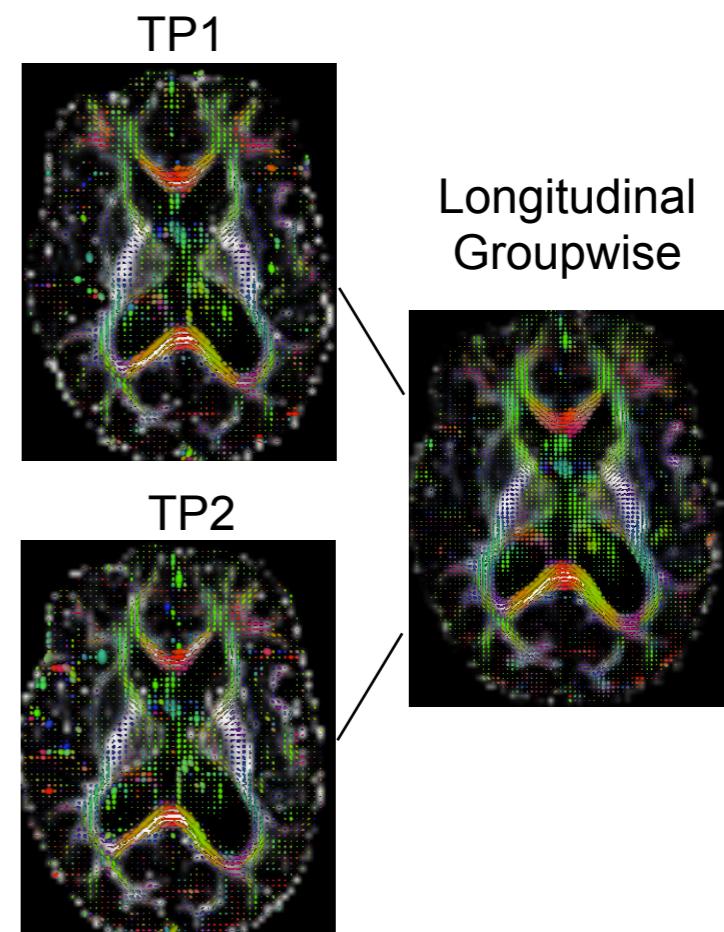
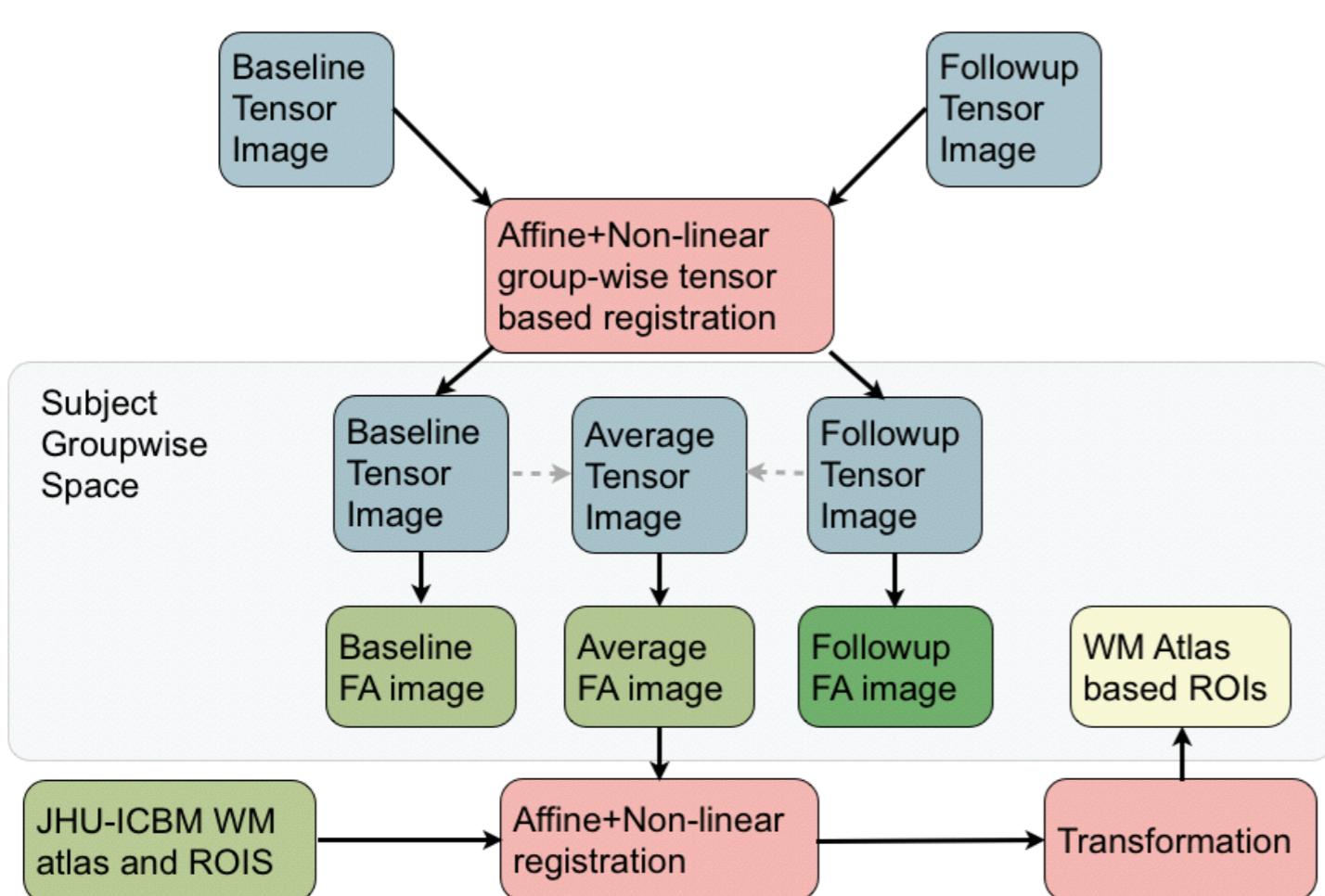
- Advantages:
 - Methodologically simple
 - Interpretable
 - Good for cross-sectional studies

- Disadvantages:
 - Registration dependent
 - Lacks robustness
 - Only for cross-sectional studies

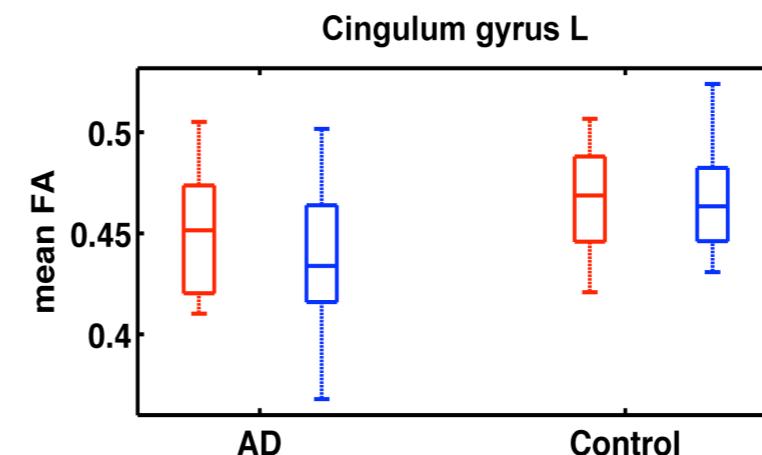
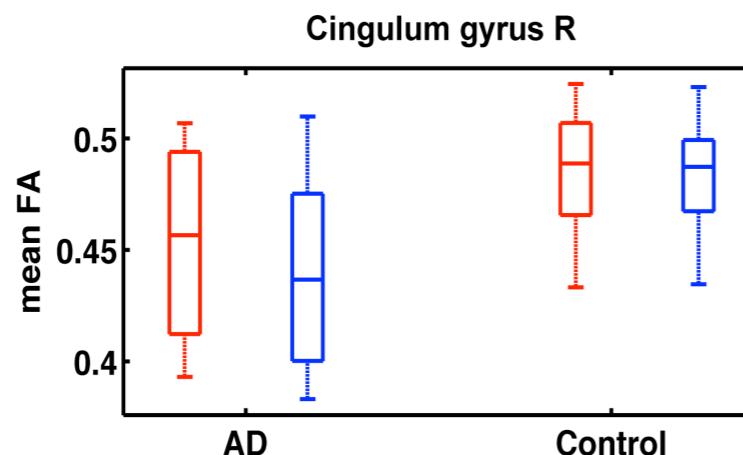
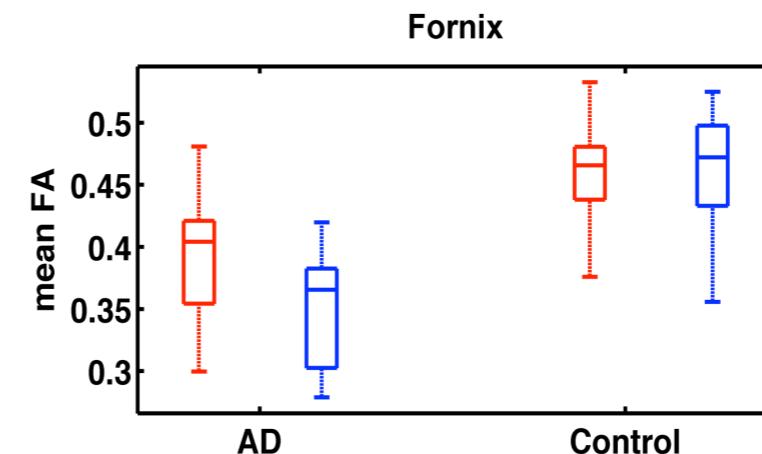
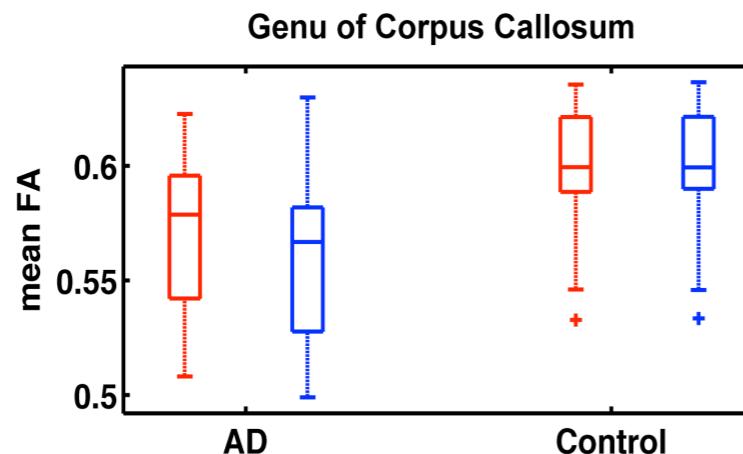
DTI ROI analysis: longitudinal extension



DTI ROI analysis: longitudinal extension



Results/advantages/disadvantages

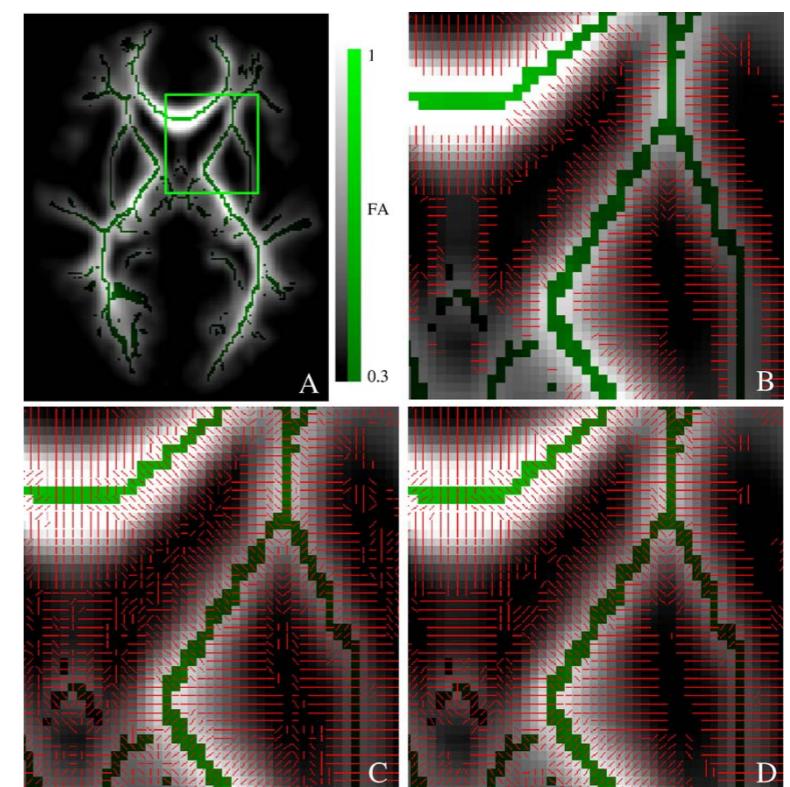


- Advantages:
 - Methodologically still simple
 - Interpretable
 - Good for longitudinal-sectional studies
- Disadvantages:
 - Registration dependent

“Voxel-based” DTI analysis: TBSS

- Groupwise registration of DTI is difficult
 - Tracts might not align
- TBSS approach avoids some of these problems by “searching” for the tracts in case of miss-alignment

- Steps for TBSS:
 - FA Groupwise
 - Skeletonisation
 - FA search
 - Statistics



QUESTIONS??