

# Statistics with Spa OWS

## Lecture 4

Julia Schroeder

[Julia.schroeder@imperial.ac.uk](mailto:Julia.schroeder@imperial.ac.uk)

# Outline

- Precision of sampling
- Standard error of mean
- How to improve statistical precision
- Square-root law of sample size
- 95CI

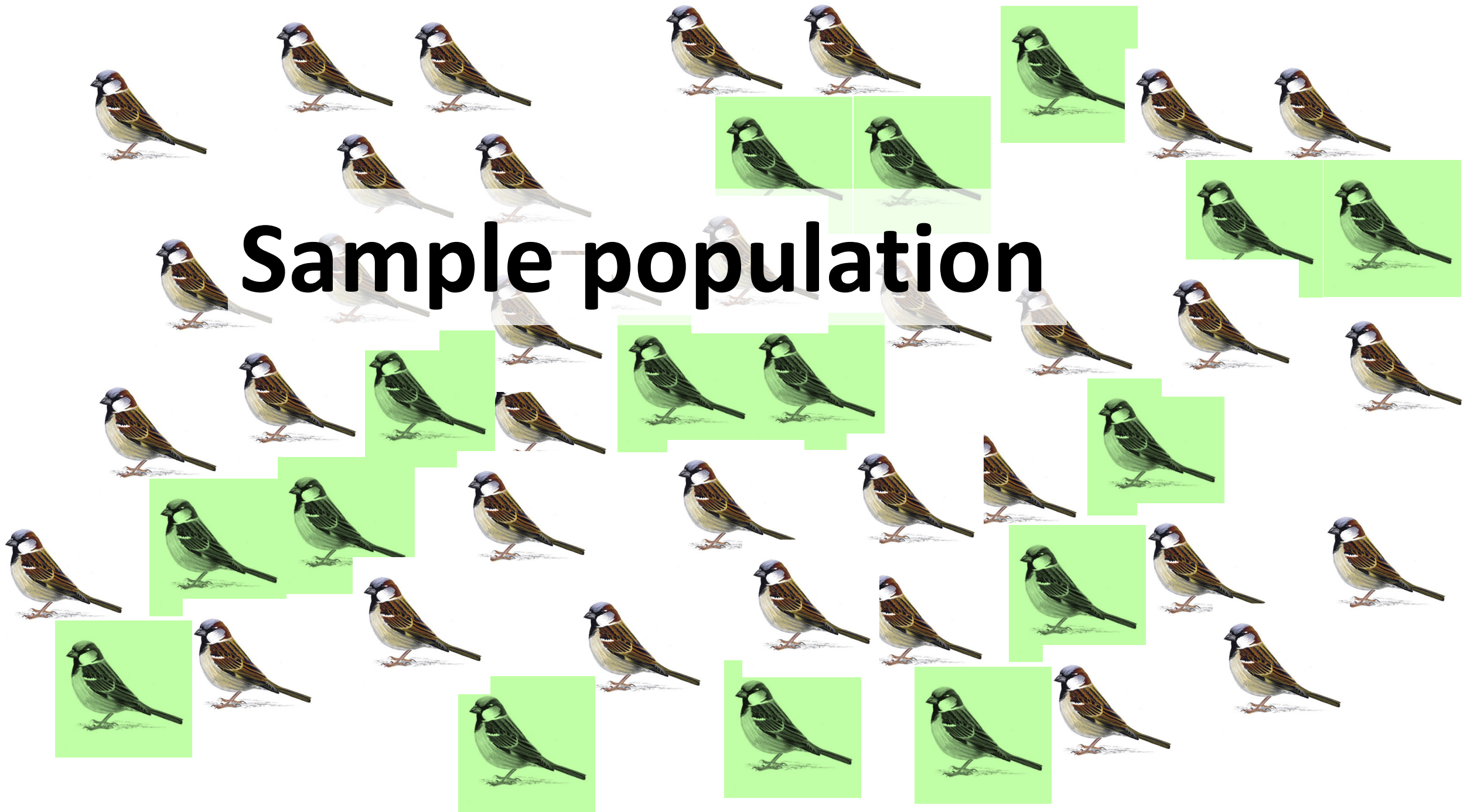
# So what's the standard error then?

- Standard deviation describes the spread and variability of a distribution
- Standard errors describe the precision of the data!
- It is really called: Standard error of the sampling distribution

The image features a large number of small, detailed illustrations of sparrows. They are arranged in a circular pattern around the central text, with some birds appearing in the foreground and others in the background, creating a sense of depth. The birds are shown in various poses, some facing left and some right. The central text is a large, bold, black sans-serif font that reads "Complete population".

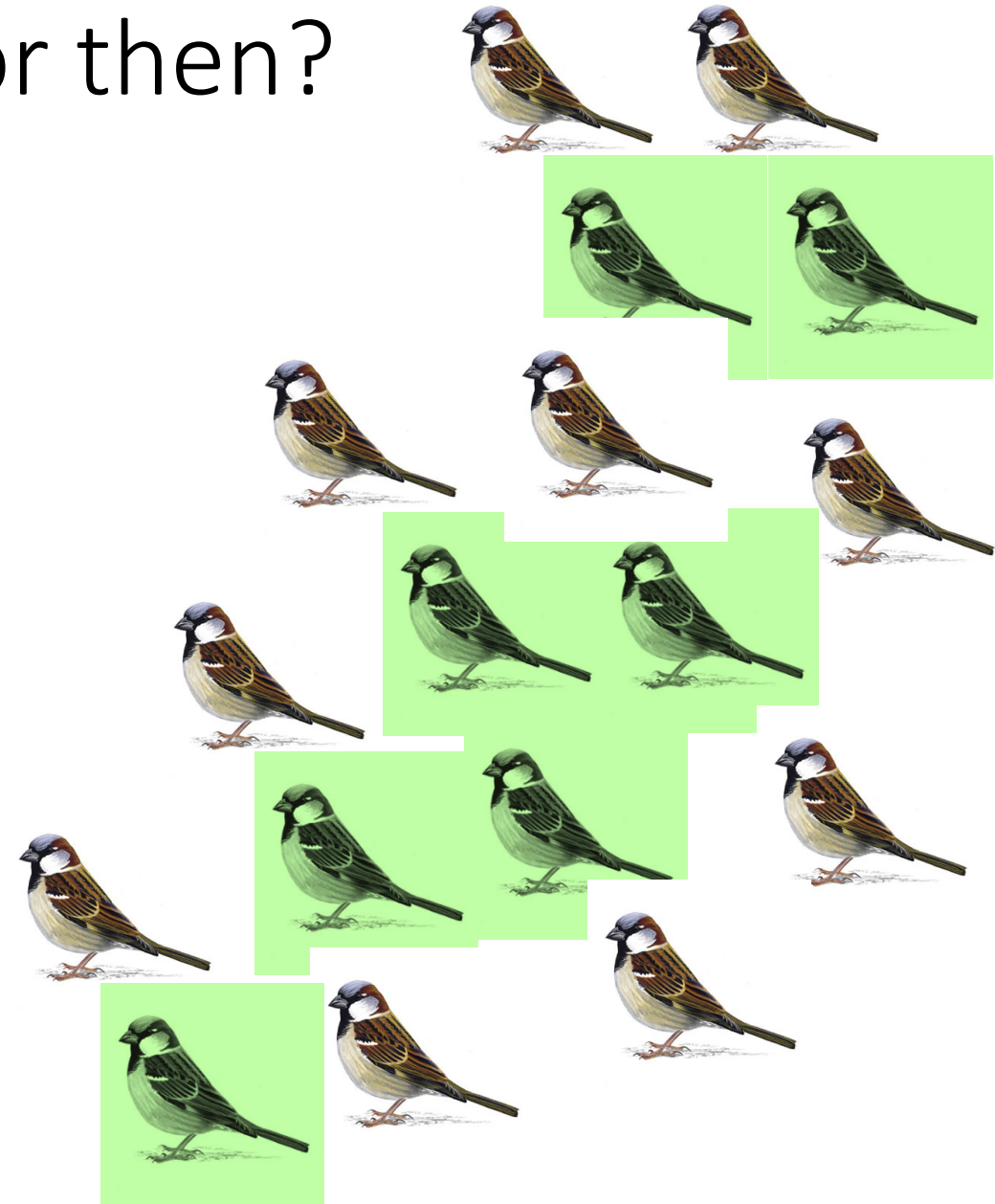
**Complete population**

**Sample population**



# So what's the standard error then?

- It describes:
- How precise is the mean we calculate from a sample
- in comparison to the REAL mean?

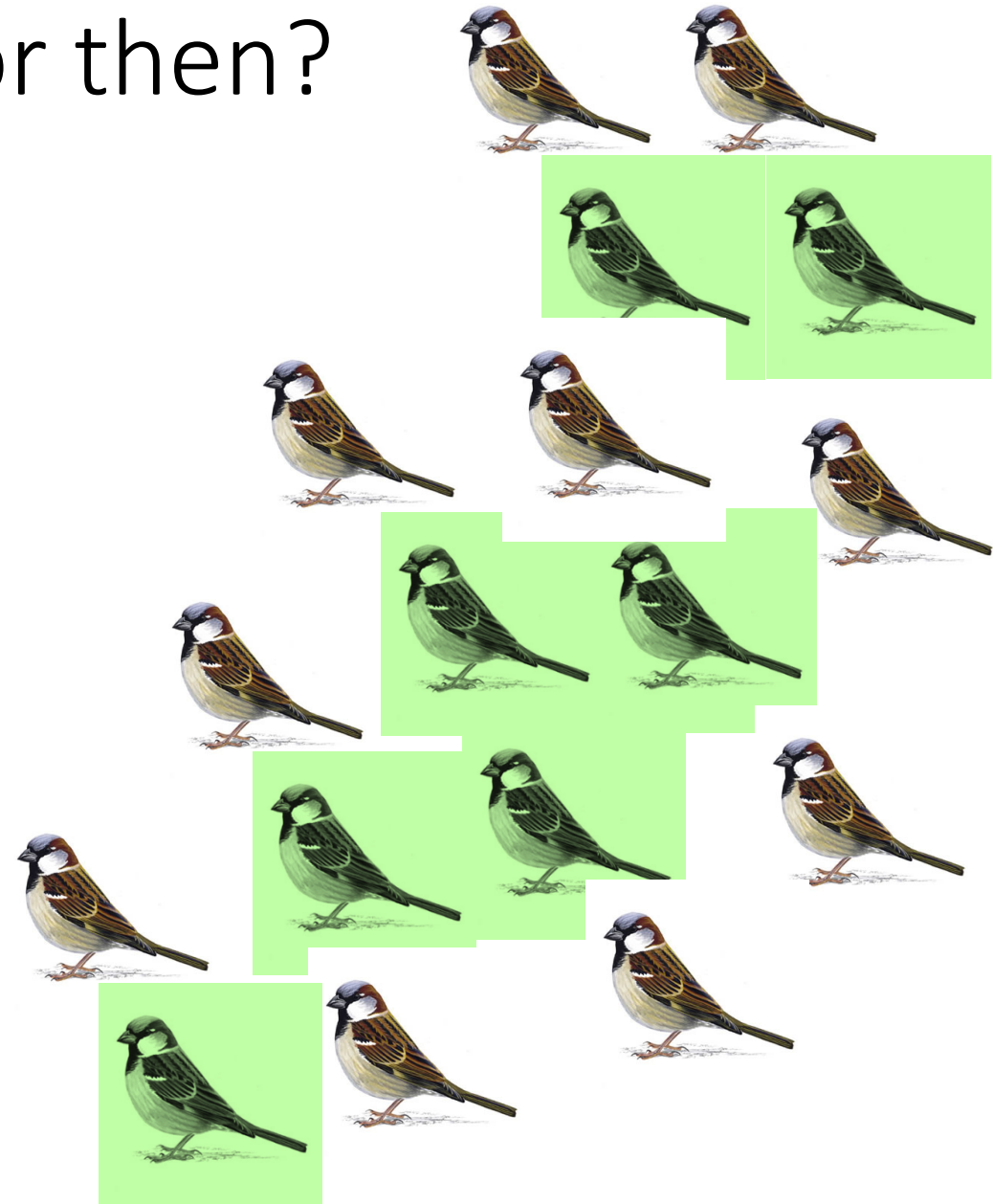




# So what's the standard error then?

- It describes:
- How precise is the mean we calculate from a sample
- in comparison to the REAL mean?

$$se = \sqrt{\frac{s^2}{n}}$$



# Exercise – DO IT NOW – HO 4

Exercise:

- Calculate the standard error of Tarsus, Mass, Wing and Bill length of the complete population sample (as opposed to all sparrows in this world)
- Note N of each.
- Then, subset the dataset to only 2001 data `d1<-subset(d, d$Year==2001)`
- Calculate SE for Tarsus, Tarsus, Mass, Wing and Bill length for the 2001 sample
- Present in a table on whiteboard!
- Extra points: can you find out the 95% (2.5 and 97.5 quantiles) of each variable?

`sqrt(var(variable)/length(variable))`

$$se = \sqrt{\frac{s^2}{n}}$$



Standard error is dependent on sample size!

$$se = \sqrt{\frac{s^2}{n}}$$

Standard error is dependent on sample size!

$$se = \sqrt{\frac{s^2}{n}}$$

$$se = \frac{s}{\sqrt{n}}$$

# Standard error is dependent on sample size!

$$se = \sqrt{\frac{s^2}{n}}$$

So, to increase our precision we need to increase sample size!

By what? To double precision, we need to increase sample size by what?

$$se = \frac{s}{\sqrt{n}}$$

# Standard error is dependent on sample size!

$$se = \sqrt{\frac{s^2}{n}}$$

So, to increase our precision we need to increase sample size!

By what? To double precision, we need to increase sample size by what?

$$se = \frac{s}{\sqrt{n}}$$

$$\frac{se}{2} = \frac{s}{2\sqrt{n}} = \frac{s}{\sqrt{4n}}$$

# Standard error is dependent on sample size!

$$se = \sqrt{\frac{s^2}{n}}$$

So, to increase our precision we need to increase sample size!

By what? To double precision, we need to increase sample size by what?

$$se = \frac{s}{\sqrt{n}}$$

$$\frac{se}{2} = \frac{s}{2\sqrt{n}} = \frac{s}{\sqrt{4n}}$$

By its squared term!

# Another measure of precision: 95CI

- The 95% confidence interval



# Another measure of precision: 95CI

- The 95% confidence interval
- Encompasses the population “true” value

# Another measure of precision: 95CI

- The 95% confidence interval
- Encompasses the population “true” value (that means average in statistic lingo)

# Another measure of precision: 95CI

- The 95% confidence interval
- Encompasses the population “true” value (that means average in statistic lingo)

$$95CI = \pm 1.96 se$$

# Another measure of precision: 95CI

- The 95% confidence interval
- Encompasses the population “true” value (that means average in statistic lingo)
- Guesstimate: 2 SE

$$95CI = \pm 1.96 se$$

# Learning aims:

- How to calculate SE
- SE is a measure of precision
- SE is dependent on sample size
- To improve precision, we have to improve sample size by the square value!
- 95CI and SE