

Neural collaborative filtering

Xiangnan He et al.

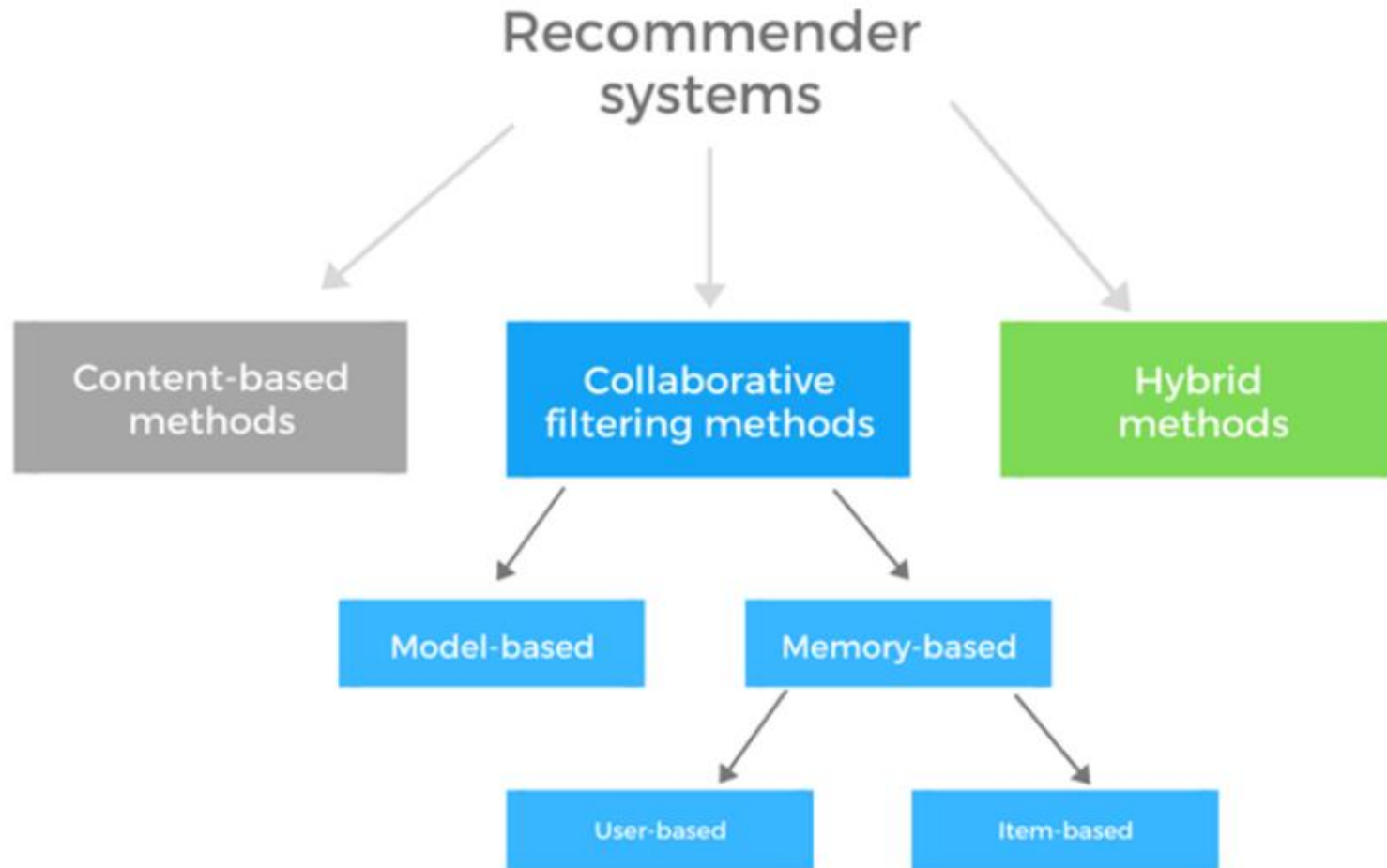
2017 International World Wide Web Conference Committee

연세대학교 응용통계학과 한솔지

contents

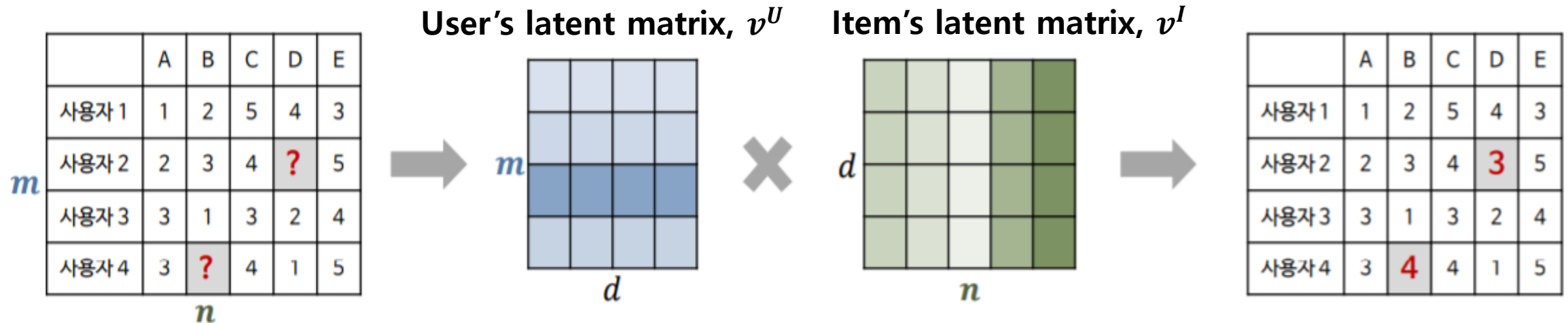
- Historical Overview
 - Introduction to recommender system
 - Matrix Factorization
- Proposed methods
 - Neural Collaborative Filtering(NCF)
 - Generalized Matrix Factorization (GMF)
 - Multi-Layer Perceptron (MLP)
- Experiment
- Conclusion

Introduction to Recommender System



Matrix Factorization (MF)

- MF is a **linear latent factor model**
 - Learn latent vector for each user, item : v_u^U, v_i^I
 - Affinity between user 'u' and item 'i' : $\hat{y}_{ui} = \langle v_u^U, v_i^I \rangle$



Limitation of Matrix Factorization

- Inner product function can **limit the expressiveness of MF model**

$$\hat{y}_{u,i} = f(u, i | \mathbf{p}_u, \mathbf{q}_i) = \mathbf{p}_u \mathbf{q}_i^T = \sum_{k=1}^K p_{uk} q_{ki}$$

- Example :

$$\text{sim}(u_1, u_2) = 0.5$$

$$\text{sim}(u_3, u_1) = 0.4$$

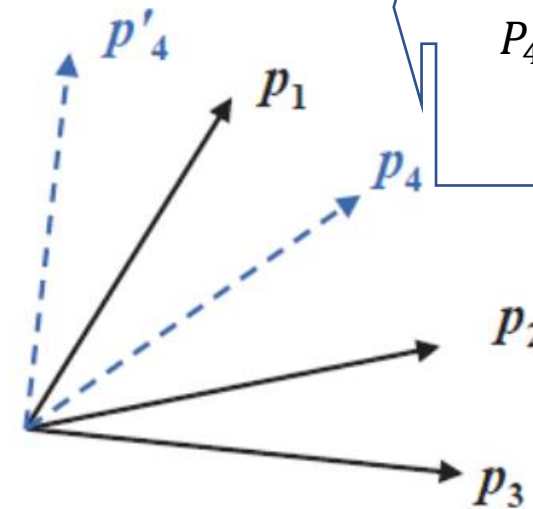
$$\text{sim}(u_3, u_2) = 0.66$$

	i_1	i_2	i_3	i_4	i_5
u_1	1	1	1	0	1
u_2	0	1	1	0	0
u_3	0	1	1	1	0
u_4	1	0	1	1	1

items

users

(a) User-item matrix



(b) User latent space

새로운 U_4 에 대해서
 U_1, U_3, U_2 순으로
 유사하지만,
 p_4 를 어디에 놓아도
 유사도 관계를
 만족 못함!

Limitation of Matrix Factorization

- Inner product function can limit the expressiveness of MF model

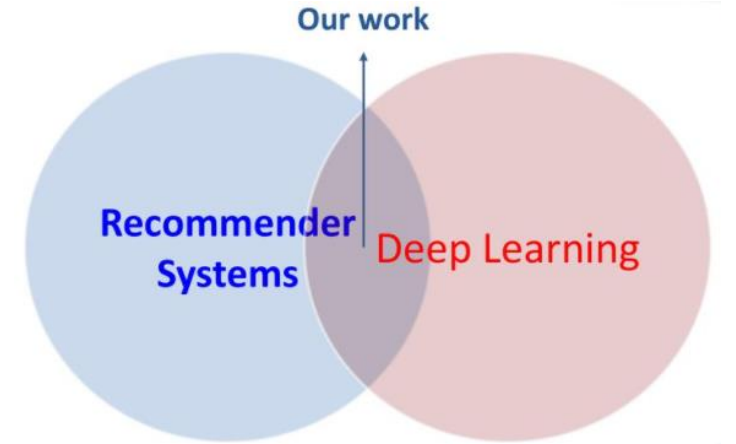
$$\hat{y}_{u,i} = f(u, i | \mathbf{p}_u, \mathbf{q}_i) = \mathbf{p}_u \mathbf{q}_i^T = \sum_{k=1}^K p_{uk} q_{ki}$$

→ can incur a large ranking loss for MF

- **Solution**

- 1) Using a large number of latent factors (overfitting)
- 2) **Learning the interaction function from data** (rather than the simple, fixed inner product)

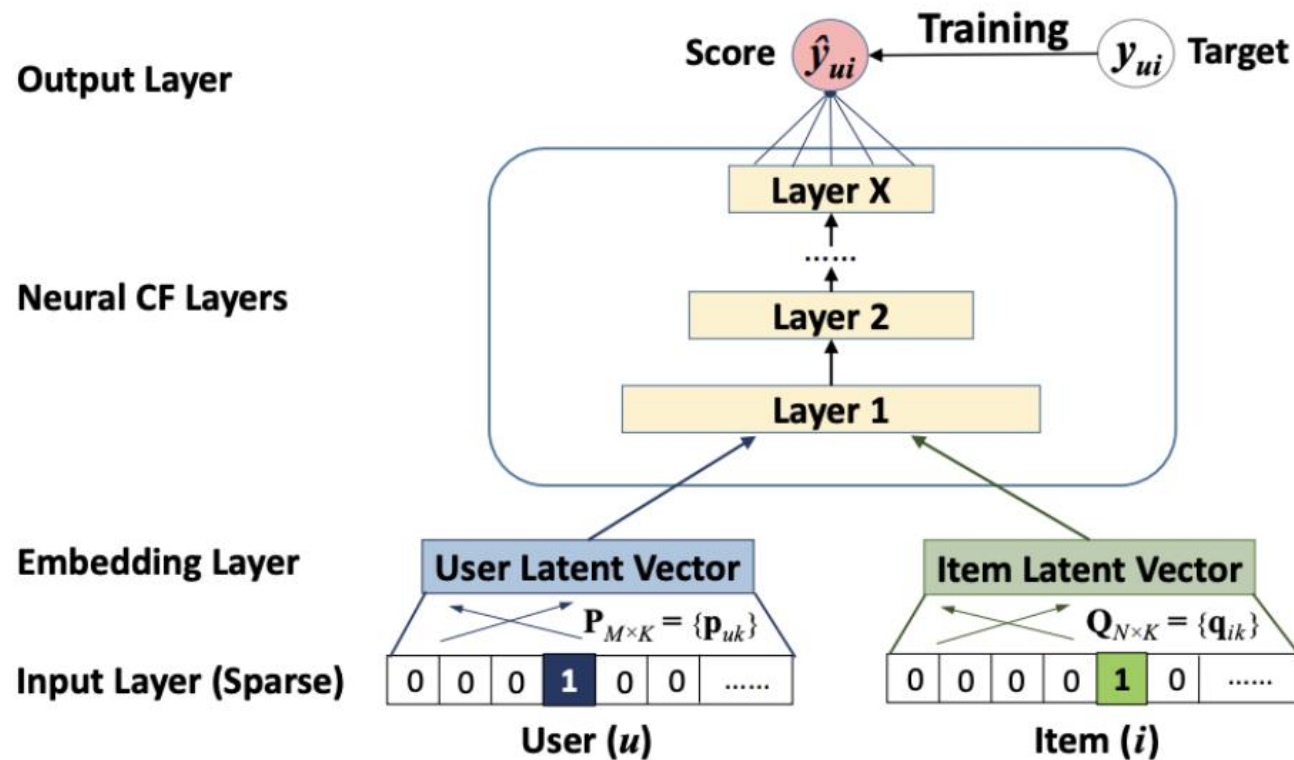
Proposed methods



- A Neural Collaborative Filtering(NCF)
 - learns the interaction function with a deep neural network.
- A NCF instance that generalizes the MF model (GMF).
- A NCF instance that models non-linearities with a multi-layer perceptron (MLP)
- A NCF instance NeuMF that fuses GMF and MLP.

Neural Collaborative Filtering(NCF)

- General Framework : $\hat{y}_{u,i} = f(p_u, q_i)$
 - NCF uses a multi-layer model to learn user-item interaction function



Generalized Matrix Factorization (GMF)

- NCF can express and generalize MF

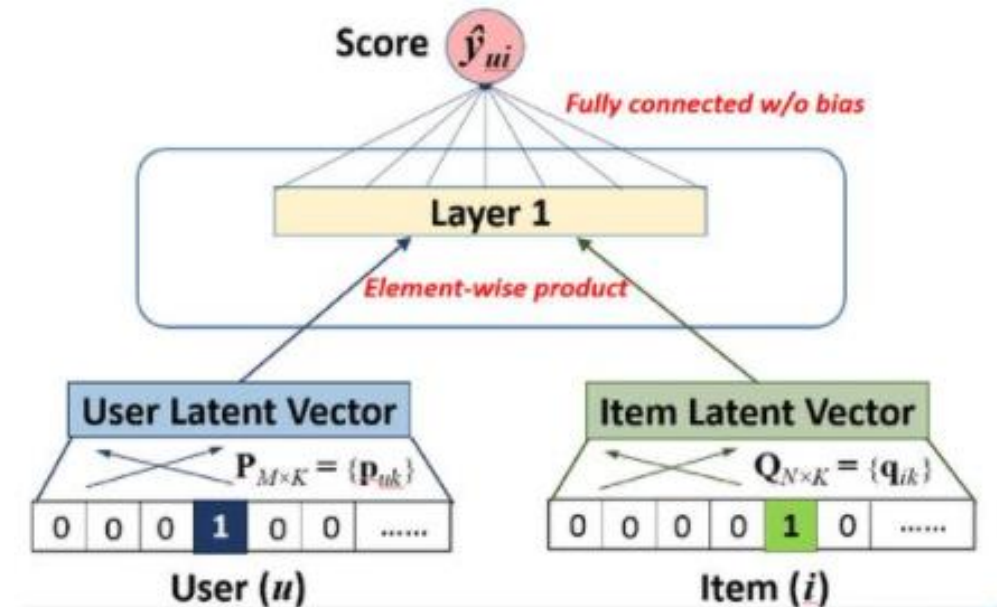
$$\hat{y}_{u,i} = f(p_u, q_i) = a_{out} (h^T \phi_1(p_u, q_i)) \text{ where } \phi_1(p_u, q_i) = p_u \odot q_i$$

1) MF: If $a_{out} = \text{identity function}$

and $h^T = [1, \dots, 1]_{1 \times k}$

2) GMF: if $a_{out} : \text{sigmoid function}$

and $h^T = [h_1, \dots, h_k]$



Multi-Layer Perceptron (MLP)

- More non-linearities to learn the interaction function! (concat + MLP)

- Layer 1 $\mathbf{z}_1 = \phi_1(\mathbf{p}_u, \mathbf{q}_i) = \begin{bmatrix} \mathbf{p}_u \\ \mathbf{q}_i \end{bmatrix},$

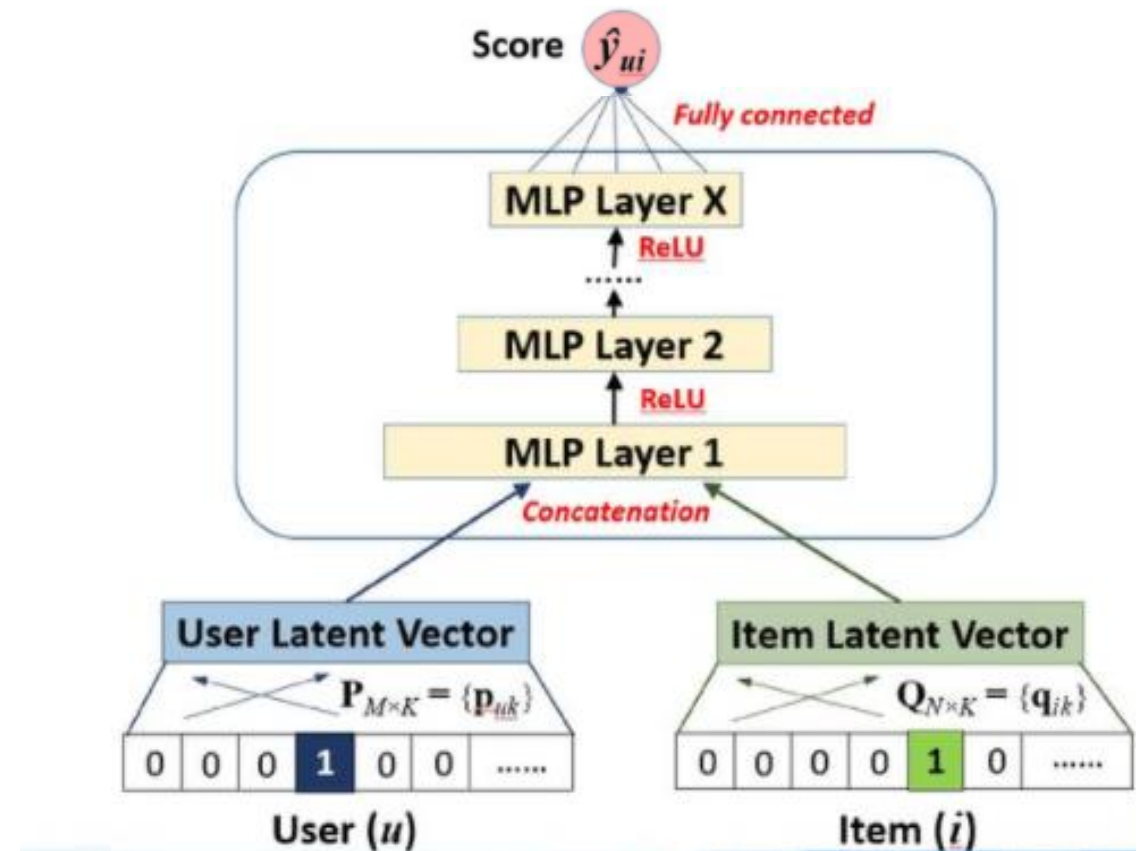
- Other Layer

$$\phi_2(\mathbf{z}_1) = a_2(\mathbf{W}_2^T \mathbf{z}_1 + \mathbf{b}_2),$$

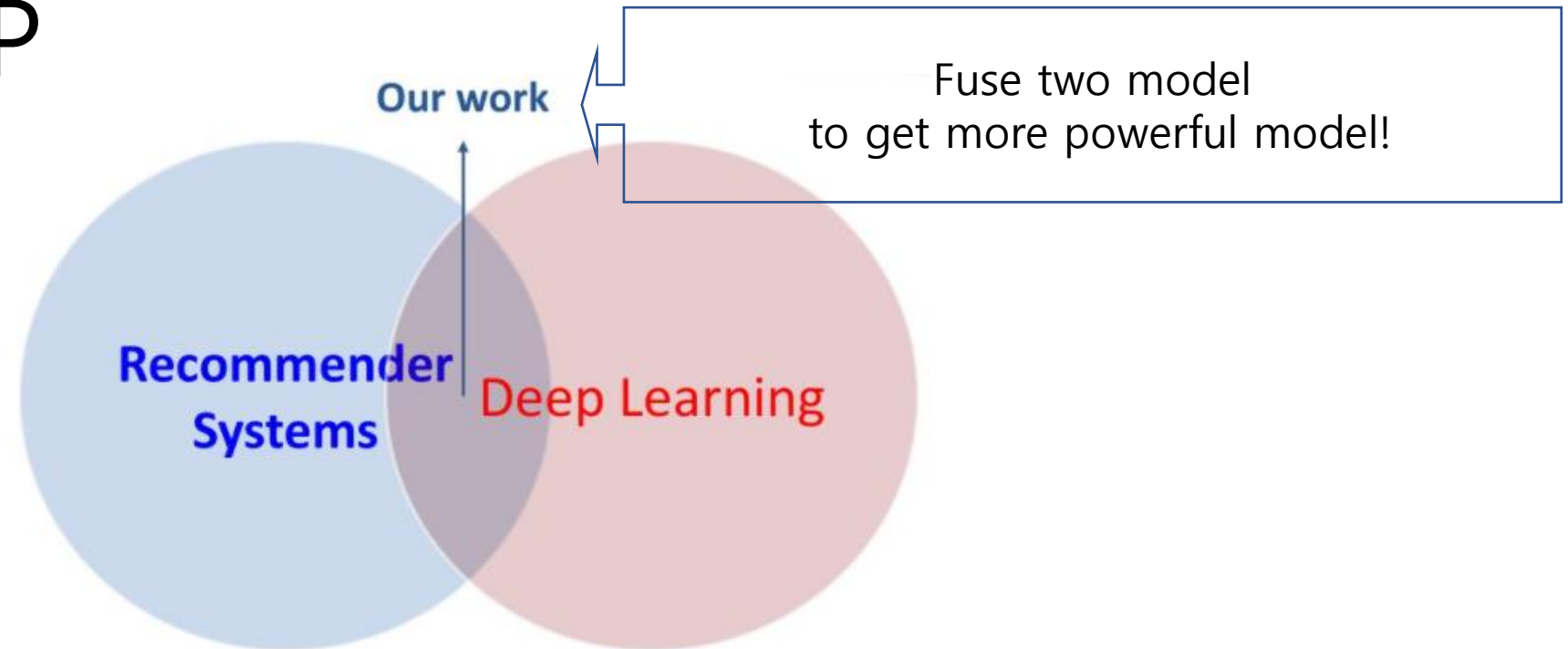
.....

$$\phi_L(\mathbf{z}_{L-1}) = a_L(\mathbf{W}_L^T \mathbf{z}_{L-1} + \mathbf{b}_L),$$

$$\hat{y}_{ui} = \sigma(\mathbf{h}^T \phi_L(\mathbf{z}_{L-1})),$$



MF vs MLP



$$\hat{y}_{u,i} = f(p_u, q_i)$$

MF : inner product

- Latent factors are independent with each other
- Good generalization ability for CF modelling

MLP : non-linear function

- better representation ability
- However, generalization ability is unknown!

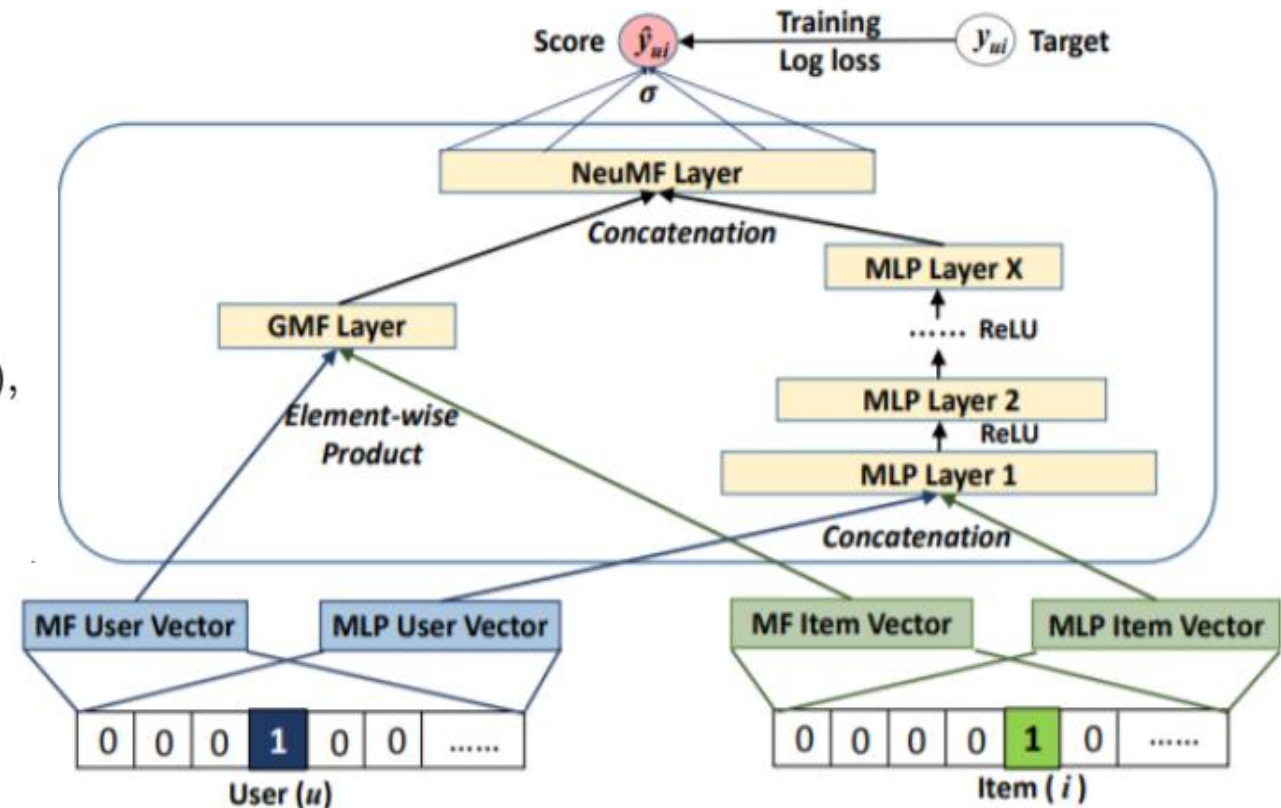
Fusion of GMF and MLP

- Neural Matrix Factorization (NeuMF)
 - GMF and MLP learn different sets of embeddings.

$$\phi^{GMF} = \mathbf{p}_u^G \odot \mathbf{q}_i^G,$$

$$\phi^{MLP} = a_L(\mathbf{W}_L^T(a_{L-1}(\dots a_2(\mathbf{W}_2^T \begin{bmatrix} \mathbf{p}_u^M \\ \mathbf{q}_i^M \end{bmatrix} + \mathbf{b}_2)\dots)) + \mathbf{b}_L),$$

$$\hat{y}_{ui} = \sigma(\mathbf{h}^T \begin{bmatrix} \phi^{GMF} \\ \phi^{MLP} \end{bmatrix}),$$



Experiment

- **Research questions**

- 1) NCF outperform SOTA ?
- 2) How does optimization framework work?
- 3) Are deeper layers of hidden units helpful?

- **Data sets**

- 1) Movielens
- 2) Pinterest

Dataset	Interaction#	Item#	User#	Sparsity
MovieLens	1,000,209	3,706	6,040	95.53%
Pinterest	1,500,809	9,916	55,187	99.73%

- **Evaluation protocols**

- 1) Randomly samples 100 items
- 2) Ranking Evaluation Metrics
 - Hit Ratio (HR) , Normalized Discounted Cumulative Gain (NDCG)

Experiment

Ranking Evaluation Metrics

1) Hit Ratio (HR)

$$HR = \frac{|U_{hit}^L|}{|U_{all}|}$$

where $|U_{hit}^L|$: # of users for which the correct answer is included in top L recommendation list,
 $|U_{all}|$: the total number of users in the test data set.

2) Normalized Discounted Cumulative Gain (NDCG)

$$NDCG(k) = \frac{DCG(k)}{IDCG(k)}$$

- $DCG = \sum_{i=1}^k \frac{G_i}{\log_2(i+1)}$, $IDCG = \sum_{i=1}^{|I(k)|} \frac{G_i}{\log_2(i+1)}$
- Where G_i : Gain for an item i (numerical ratings or binary in case of implicit data)
- k : a position k in the recommendation list, $I(k)$: the ideal list of items up to position k

RQ(1) Performance comparison

- Baseline 방법들에 비해 NeuMF가 성능 좋음
- NCF 방법 중에서는 NeuMF > GMF \sim MLP 순으로 성능 보여짐

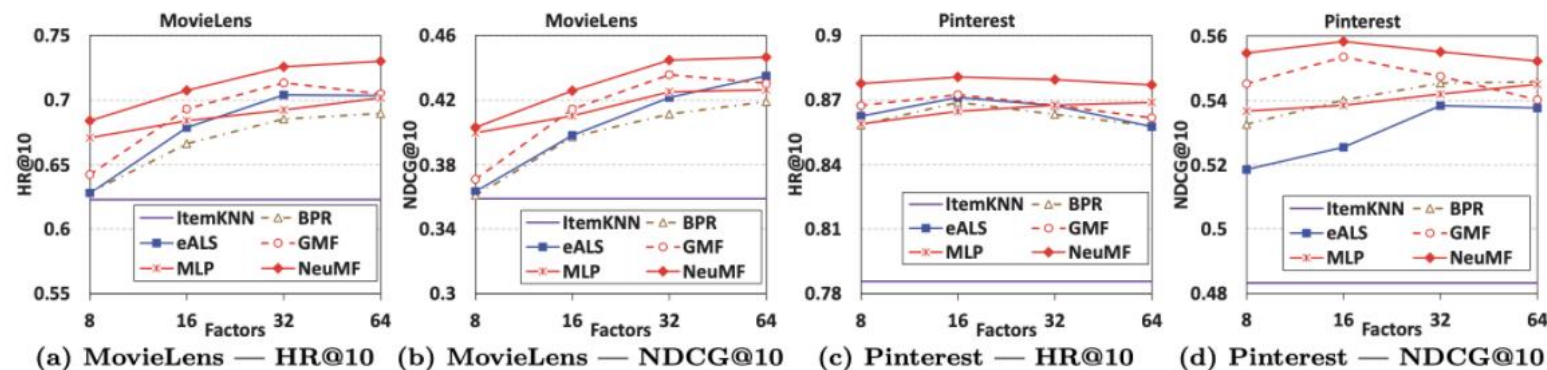


Figure 4: Performance of HR@10 and NDCG@10 *w.r.t.* the number of predictive factors on the two datasets.

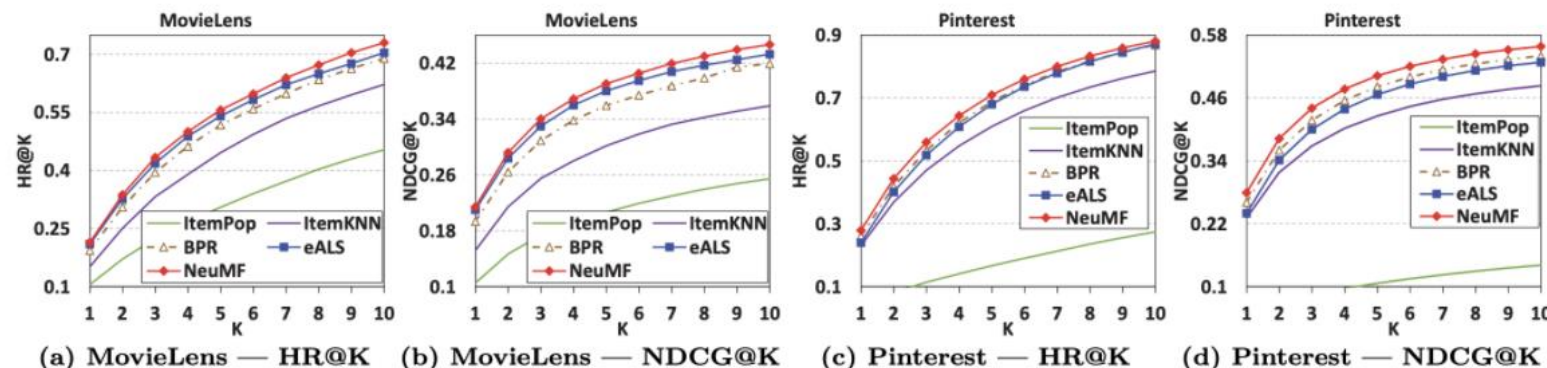


Figure 5: Evaluation of Top- K item recommendation where K ranges from 1 to 10 on the two datasets.

RQ(2) Convergence Behavior

- Trade-off between representation ability and generalization ability
- NeuMF : 처음 10번 정도의 iteration 까지가 가장 효율적이고, 이후의 iteration은 데이터에 overfit

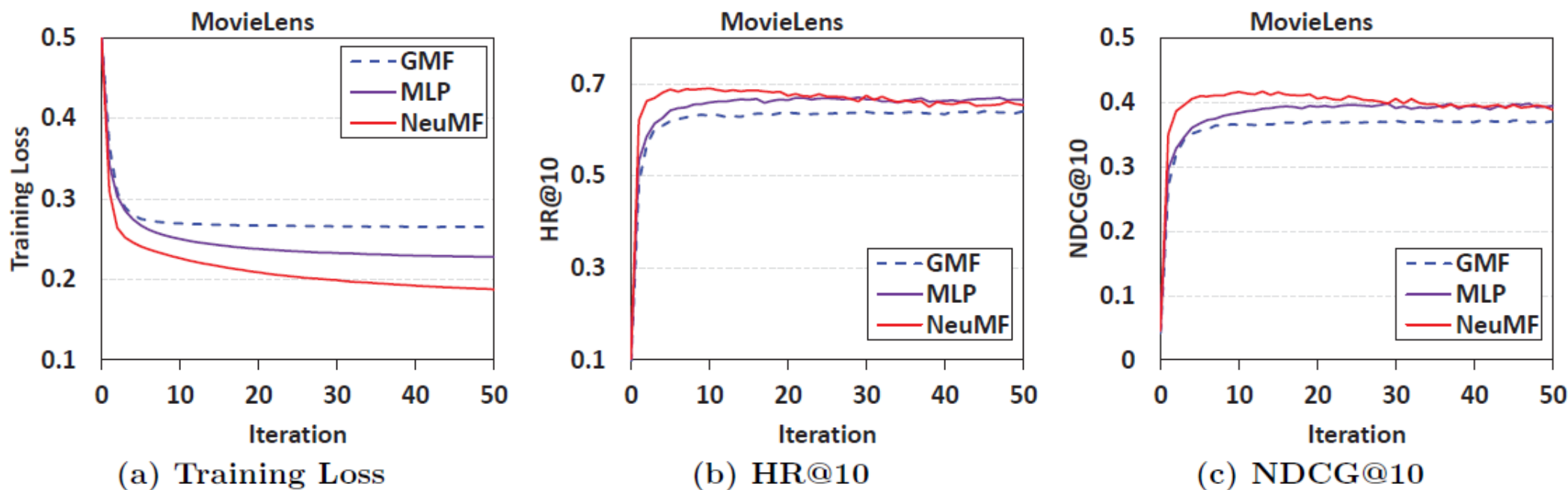


Figure 6: Training loss and recommendation performance of NCF methods *w.r.t.* the number of iterations on MovieLens (factors=8).

RQ(3) Is Deep Learning Helpful?

- non-linearity 필요성
 - (동일한 모델 capability에서) MLP에서 non-linear layer의 개수를 늘리면, 성능이 더 좋아짐
 - 참고로 linear layer를 쌓는 것은 ReLu로 non-linear layer 쌓은 것보다 성능 안 좋음!

Table 3: HR@10 of MLP with different layers.

Factors	MLP-0	MLP-1	MLP-2	MLP-3	MLP-4
MovieLens					
8	0.452	0.628	0.655	0.671	0.678
16	0.454	0.663	0.674	0.684	0.690
32	0.453	0.682	0.687	0.692	0.699
64	0.453	0.687	0.696	0.702	0.707
Pinterest					
8	0.275	0.848	0.855	0.859	0.862
16	0.274	0.855	0.861	0.865	0.867
32	0.273	0.861	0.863	0.868	0.867
64	0.274	0.864	0.867	0.869	0.873

Conclusion

- 기존 전통적인 collaborative filtering의 기본 구조 (user & item interaction 모델링)에 neural network 를 활용한 것
- Matrix factorization 의 한계를 지적하며, NN을 사용하여 user-item interaction의 구조를 linearity 에서 Non-linearity로 확장시킴
 - 기존 matrix factorization 의 generalized version
 - linear 커널 + non-linear 커널 → flexibility 증대
- 또한 collaborative filtering에서 Non-linearity의 필요성을 시사함