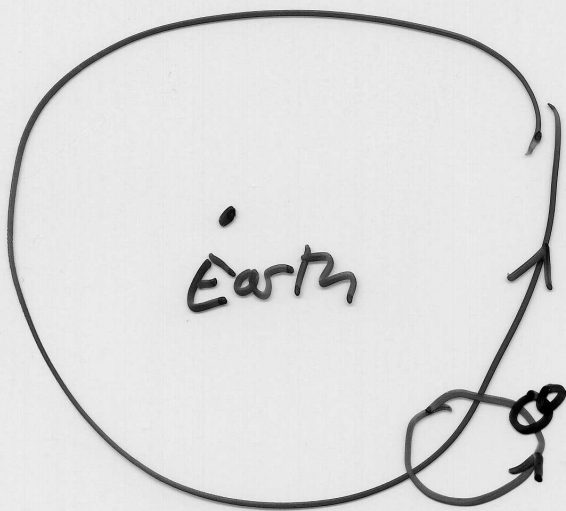


welcome to

ASTR 160b

- For NON-SCIENCE MAJORS
(scientists: check out ASTR 210)
- NOT a survey course - 3 topics
in-depth
 - extra-solar planets
 - black holes
 - Dark Energy
- math level: high-school algebra/geometry
(ASTR 120 has similar level, but
better for math/science phobic)
- preference for fresh/soph
- grading:
 - 10% sections
 - 30% problem sets
 - 30% 2 midterms
 - 30% final
 - (15% optional paper)
- see classes V2 for more details!

PLANETARY ORBITS



circles around Earth

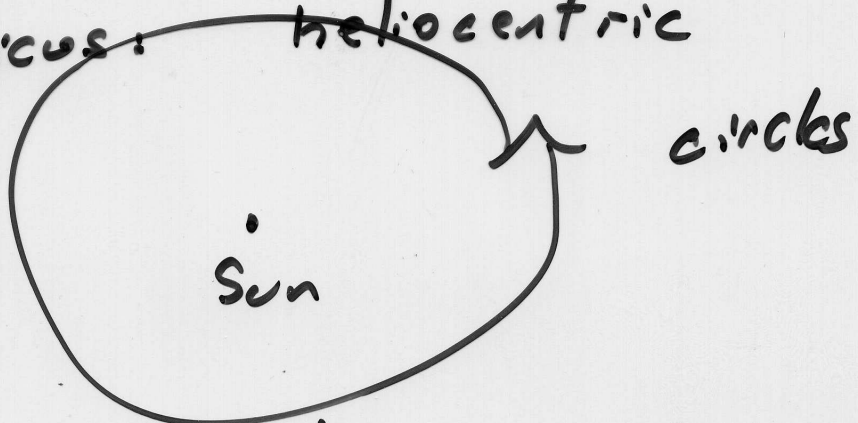
geocentric
Ptolemy

doesn't fit observation
add "epicycles"

FABLE: Ptolemaic Epicycles

MORAL: simple theories are better

Copernicus: heliocentric



still needed epicycle

Kepler:

3 Laws of Planetary Motion
ellipses around Sun

excellent descriptive power
NOT an explanation

Newton: 3 Laws of Motion

$$F = ma$$

↑ ↑ ↖ acceleration
force mass

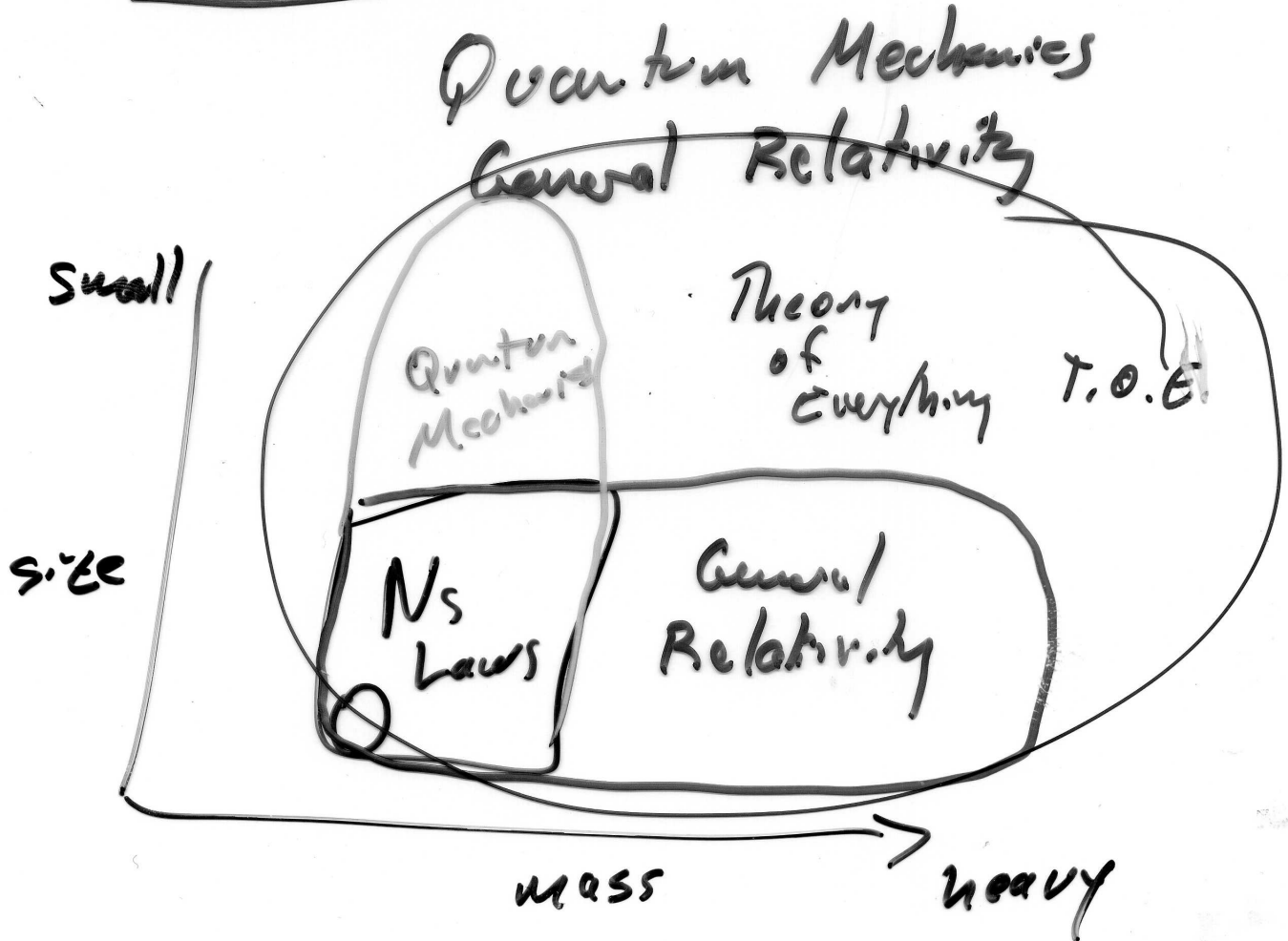
Law of gravity: F_{grav}
derives Kepler's Law

START OF SCIENCE:

- universe is governed by universal Laws
- these are mathematical

end of 19th century
problems w/ Newtonian Physics

early 20th :



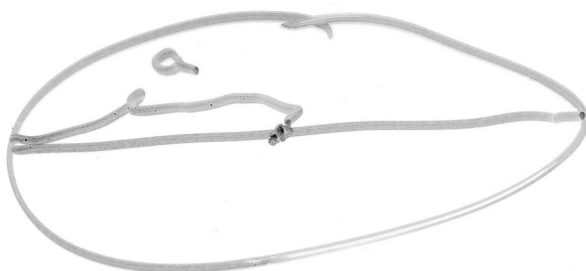
Newtonian modification of
~~Kepler's~~ Kepler's 3rd Law

$$a^3 = \frac{GM_P^2}{4\pi^2}$$

constant of
 nature
 orbital
 period

total mass
 of orb.ing
 bodies

a is semi-major axis
 of elliptical orbit



Earth around Sun

semi-major of Earth's orbit
 "astronomical unit" AU

mass of Sun: M_\odot

period of Earth: 1 yr

$$(1 \text{ A.U.})^3 = \frac{G M_{\odot} (1 \text{ yr})^2}{4 \pi^2}$$

take general eqⁿ divide by
specific eq

$$a^3 = P^2 \cancel{M} / \cancel{4 \pi^2}$$

$$(1 \text{ AU})^3 = (1 \text{ yr})^2 \cancel{M_{\odot}} / \cancel{4 \pi^2}$$

$$\left(\frac{a}{1 \text{ AU}}\right)^3 = \left(\frac{P}{1 \text{ yr}}\right)^2 \left(\frac{M}{M_{\odot}}\right)$$

$$a^3 = P^2 M$$

unit of AU \nearrow a^3
 \searrow unit: 1 yr
 \nearrow unit: mass of S_{\odot}

orbit of Jupiter

$$a_{\text{jupiter}} \approx 5 \cdot a_{\text{Earth}} = 5 \text{ AU}$$

$$5^3 = P^2$$

1 solar mass

$$125 = P^2$$

$$P = \sqrt{125}$$

11

$$121 = P^2$$

$$P = 11 \text{ years}$$