

GRAU DE MATEMÀTIQUES

Treball final de grau

AQUI EL TÍTOL DEL TREBALL

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Abstract

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1. Introducción

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$$x^2 = y^2 + z^2 \tag{1.1}$$

Estructura de la Memoria

2. Capítulo 1

2.1. Subapartado 2.1

3. Conclusiones

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