## regression\_rent

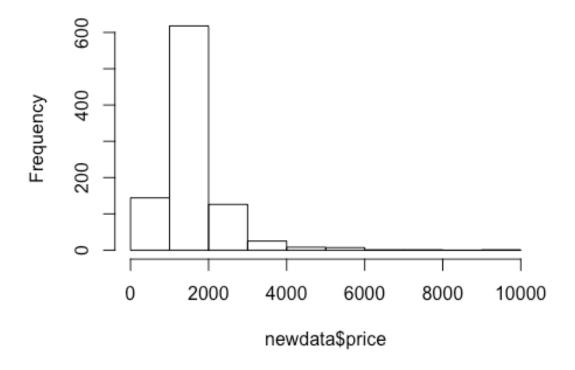
### **Preparing the regression**

Since the sales data doesnt have the unit type so in the final model we take it out.

Changing the numeric variables to log form, because there are not normaly distributed.

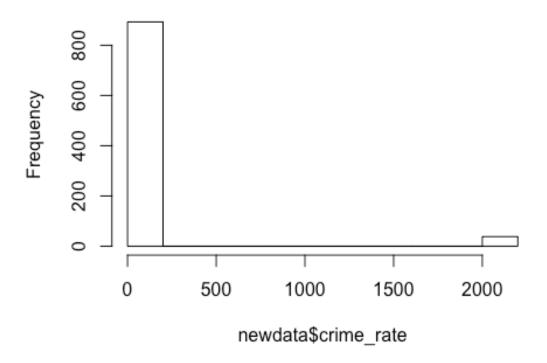
```
rent<-read.csv('rent.csv', header=TRUE)
rent$X <- NULL
rent$unittype<-NULL
newdata <- na.omit(rent)
hist(newdata$price)</pre>
```

## Histogram of newdata\$price



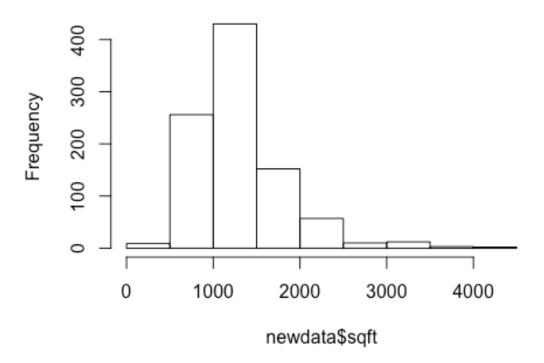
hist(newdata\$crime\_rate)

# Histogram of newdata\$crime\_rate



hist(newdata\$sqft)

## Histogram of newdata\$sqft



```
newdata$rent <- log(newdata$price)
newdata$crime_rate<-log(newdata$crime_rate)
newdata$sqft<-log(newdata$sqft)</pre>
```

### Right now, creating the train and test data set.

```
library(MASS)
ind<-sample(2,nrow(newdata),replace=TRUE,prob = c(0.8,0.2))</pre>
train<-newdata[ind==1,]
test<-newdata[ind==2,]</pre>
fit <- lm(rent~bedrooms+baths+distance+sqft+crime_rate,data=train)</pre>
step <- stepAIC(fit, direction="both")</pre>
## Start: AIC=-1964.37
## rent ~ bedrooms + baths + distance + sqft + crime_rate
##
                 Df Sum of Sq
##
                                  RSS
                                          AIC
## - bedrooms
                       0.0010 49.447 -1966.3
                              49.446 -1964.4
## <none>
## - crime rate 1
                       1.2561 50.702 -1948.0
## - distance
                 1
                       4.2024 53.648 -1906.6
## - sqft
                 1
                       7.0354 56.481 -1868.9
## - baths
                      10.9483 60.394 -1819.8
##
```

```
## Step: AIC=-1966.35
## rent ~ baths + distance + sqft + crime rate
##
##
                Df Sum of Sq
                                 RSS
                                         AIC
## <none>
                              49.447 -1966.3
## + bedrooms
                 1
                      0.0010 49.446 -1964.4
## - crime rate 1
                     1.3178 50.764 -1949.1
## - distance
                      4.6838 54.130 -1902.0
                 1
## - sqft
                 1
                      8.2823 57.729 -1854.8
## - baths
                 1 11.2737 60.720 -1817.8
step$anova
## Stepwise Model Path
## Analysis of Deviance Table
##
## Initial Model:
## rent ~ bedrooms + baths + distance + sqft + crime_rate
##
## Final Model:
## rent ~ baths + distance + sqft + crime_rate
##
##
##
                       Deviance Resid. Df Resid. Dev
           Step Df
                                                             AIC
## 1
                                       727
                                             49.44557 -1964.368
## 2 - bedrooms 1 0.0009695676
                                       728
                                             49.44654 -1966.354
fiit<-lm(rent~bedrooms+baths+distance+sqft+crime_rate,data=train)</pre>
prediction<-predict(fiit,test)</pre>
prediction<-as.data.frame(prediction)</pre>
names(prediction) = c("pre")
prediction$pre<-as.numeric(prediction$pre)</pre>
D<-cbind(prediction, test) #combine the predicted value into the test dataset
D$Difference <- abs(D$rent - D$pre)
summary(D$rent)
##
      Min. 1st Qu.
                    Median
                               Mean 3rd Qu.
                                               Max.
##
     6.515
             7.090
                     7.313
                              7.370
                                      7.576
                                               8.698
summary(D$Difference)
        Min.
                          Median
               1st Qu.
                                       Mean
                                               3rd Qu.
## 0.0002827 0.0722100 0.1758000 0.2212000 0.3204000 1.0690000
```

We can see from above result, the bias between training and test set is not quiet obvious and this is the best model we can get. So, we decided to take it as our final model.

Using stepwise first to set up the final model and then get the statistic parameters.

```
fit <- lm(rent~bedrooms+baths+distance+sqft+crime_rate,data=newdata)</pre>
step <- stepAIC(fit, direction="both")</pre>
## Start: AIC=-2447.46
## rent ~ bedrooms + baths + distance + sqft + crime rate
##
                Df Sum of Sq
##
                                        AIC
                                RSS
## <none>
                             66.322 -2447.5
## - bedrooms
                 1
                      0.1676 66.489 -2447.1
## - crime rate 1
                    1.7645 68.086 -2425.0
                 1
## - distance
                    6.0514 72.373 -2368.2
## - sqft
                 1 10.5387 76.860 -2312.2
## - baths
                 1 13.5107 79.832 -2276.8
step$anova
## Stepwise Model Path
## Analysis of Deviance Table
##
## Initial Model:
## rent ~ bedrooms + baths + distance + sqft + crime rate
##
## Final Model:
## rent ~ bedrooms + baths + distance + sqft + crime_rate
##
##
##
     Step Df Deviance Resid. Df Resid. Dev
                                                 AIC
                            925
                                  66.32177 -2447.461
```

#### Let's take a look of the statistic of our model

```
fitt<-lm(rent~baths+distance+sqft+crime_rate+bedrooms,data=newdata)
summary(fitt)

##
## Call:
## lm(formula = rent ~ baths + distance + sqft + crime_rate + bedrooms,
## data = newdata)
##
## Residuals:
## Min 1Q Median 3Q Max
## -1.1991 -0.1723 -0.0076 0.1494 1.0388
##</pre>
```

```
## Coefficients:

## Estimate Std. Error t value Pr(>|t|)

## (Intercept) 4.497745 0.213146 21.102 < 2e-16 ***

## baths 0.207699 0.015130 13.727 < 2e-16 ***

## distance -0.047339 0.005153 -9.187 < 2e-16 ***

## sqft 0.389812 0.032153 12.124 < 2e-16 ***

## crime_rate -0.036110 0.007279 -4.961 8.35e-07 ***

## bedrooms -0.018490 0.012096 -1.529 0.127

## ---

## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

##

## Residual standard error: 0.2678 on 925 degrees of freedom

## Multiple R-squared: 0.535, Adjusted R-squared: 0.5324

## F-statistic: 212.8 on 5 and 925 DF, p-value: < 2.2e-16
```