PROBLEM ? CONSTRUCT THE SHEAR FORCE, BENDENG MOMENT, CURVATURE AND DEFLECTION DIAGRAMS FOR THIS BEAM. USING THE SINGULARITY FUNCTIONS DISCUSSED IN CLASS, WRITE EXPRESSIONS FOR THE SHEAR FORCE, BENDING MOMENT, CURVATURE, AND DEFLECTION OF THE BEAM.

GIVEN:

CONSTRAINT:

1. ZOST BEAM THAT IS PINNED ON ON END AND SUPPORTED BY POLLERS ON THE OTHER

2. ZC103) 16/FT DISTRIBUTED WAD OUTER HACF THE BEAM

3. 4(10) ID WAD APPLIED AT A QUATER SPAN ON THE SIDE WITHOUT THE DISTRIBUTED WAD.

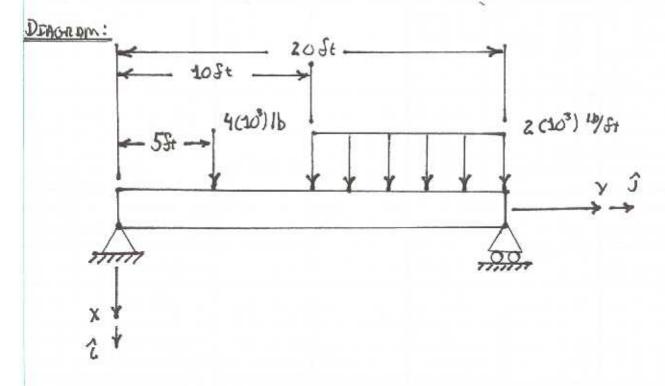
Assum ptions:

- 1. THE BEAM RESAUNDS IN A LINEAR ELASTIC MONNER
- 2. THE DEFORMATION IN THE BEAM IS CONSIDERED SMALL
- 3. STRAINS IN THE BEAM ARE SMALL 4. PINS IN JUINTS ARE PRICTICALESS
- 5. PallER JOINT IS PRICITONLESS

FIND:

1. DRAW SHEAR, BENDING MOMENT, CURVATURE, AND DAFFECTION DIAGRAMMS.

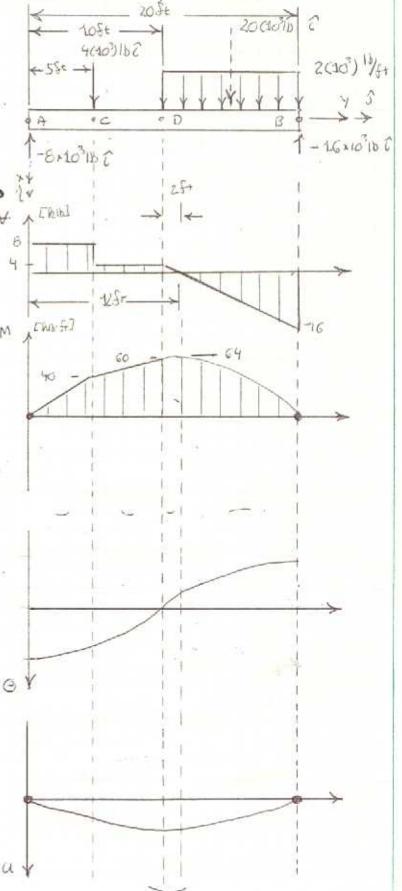
Z. WRITE EXPRESSIONS FOR THE SHEAR, BENDING MOMENT, CURVITURE OND DELUCTOR DELUCTORS.



22-141 50 SMEETS 22-142 100 SHEETS 22-144 200 SHEETS

## SOLUTION:

STARTING WITHTHE CONSTRUCTION OF THE DEAGRAMS.



22-141 50 SHEET 22-142 100 SHEET 74.D' 22-144 200 SHEET STARTING WITH THE CLOSED FORM SOLUTION

$$M(y) = \int V(y) dy = 8(10^3) |b \langle y - 0 \rangle^2 - 4(10^3) |b \langle y - 5f_1 \rangle^2 - 10(10^3) |b \langle y - 20f_1 \rangle^2 + 16(10^3) |b \langle y - 20f_1 \rangle^2$$

$$U(Y) = \int \Theta dy = \frac{1}{EI} \left[ \frac{4}{3} \cdot (10^3) |b < y - 0 > \frac{2}{3} \cdot (10^3) |b < y - 5 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 20 < f > \frac{2}{3} \cdot (10^3) |b < y - 2$$

FROM THE BOONDARY CONDITION U(O)=0

  $C_{1} = \frac{\frac{4}{3}(10^{3}) |b \cdot (2054)^{3} - \frac{2}{3}(10^{3}) |b \cdot (2054 - 554)^{3} - \frac{10}{12}(10^{3}) \frac{10}{54} \cdot (2054 - 1054)^{4} + \frac{3}{3}(10^{3}) |b \cdot (2054 - 2054)^{3}}{2054}$   $= 4.167(10^{3}) |b \cdot 54^{3}$ 

NOW THE COMPLETE EXPRESSION FOR THE CURVATURE AWD DEELECTION

(303) 1b·〈y·O)²+Z(103) 1b·〈y-Sf+)²+ \*\* (103) 片〈y-10f+)3 -8(103) 1b〈y-20f←)²+ 4.1 67(103) 1b·f+3·y]

以(y)= = (103)16くソージナーラ(103)16くソー55+>3+段(103)男くソー205+>4 - 量(103)16くソー205+>3+4.1 G7(203)16:5+3・ソ