PROBLEM! THE FIGURE SHOWS THE FREE-BODY DIAGRAM OF A CONNECTING-LINK PORTION HAVING STRESS CONCENTRATION AT THREE SECTIONS. THE DIMENSIONS ARE F=0.25in, d=0.40in, h=0.50in, w1=3.50in, and w3=3.0in. THE FORCES F FLUCTUATE BETWEEN A TENSION OF S KIP AND A COMPRESSION OF 16 KIP. NEGELECT COLUMN ACTION AND FIND THE LEAST FACTOR OF SAPETY IF THE MATERIAL IS COLD-DRAWN ALSI-1018 STEEL.

GITEN!

- 1. CONNECTING LINK WITH DIMENSIONS SHOWN.
- 2. LCAD FLUCT CHTES BETWEEN 5 Kips Tension AND 16 KIPS COMP. 3. MATERIAL AISI 1018 STEEL (Su = 65.3 Asi, 450mpa; Su = 450 Asi, 310mpa)

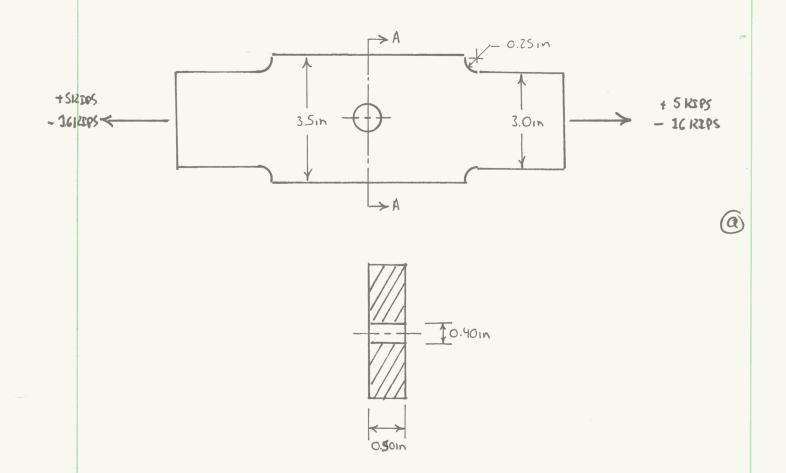
ASSCMPTIONS:

- 1. LINEAR ELASTIC MATERIAL
- 2. NO BECKLENG

FIND:

1. MINIMUM FACTOR OF SAPETY.

FIGURE.



SOLUTION:

THE NOMINAL STRESS IN THE SECTION WITH THE FOOR RADIO

$$\sqrt{\int_{\text{nom, r1}}} = \frac{5(10^3) \text{lb}}{(0.5 \text{in})(3.0 \text{in})} = 3.33 \text{ As};$$

$$\sqrt{16(10^3)} = \frac{-16(10^3)}{(0.5in)(3.0in)} = -10.67.4s;$$

THE NOMINAL STRESS IN THE SECTION WITH THE WHOLE

$$\sqrt{100m}, H_1 = \frac{500^3}{(3.510^{-6.410})(6.510)} = 3.23 \text{ ksi}$$

$$\sqrt{I_{ncm, HZ}} = \frac{-16.(10^3)1b}{(3.5_{1m} \cdot 0.9_{1m})(c.5_{1m})} = 10.32.ks;$$

1)-4) AME CAN BE WRITTEN INTERMS OF MEAN AND ALTERNATING NOMENAL STRESS. STARTING WITH 1) 4MD(2)

$$\int_{\text{mean, r}} = \frac{\int_{\text{nom, r}_1} + \int_{\text{nom, r}_2}}{Z} = \frac{3.33 \text{ As; } + (-10.67 \text{ As;})}{Z} = -3.67 \text{ As;}$$

FOR 3 AN (4)

(S)-(S) NOW HAVE TO BE CORRECTED TO ACCOUNT FOR THE STRESS CONCENTRATIONS AT THE GEOMETRIC ON DISCOUNTERNITY. FOR THE NOMINAL MEAN AND ALTERNATING STRESSES IN THE SECTION WITH THE FOUR PHOII (S) O(G), THE THEODETICAL STRESS CONCENTRATION IS

$$K_{T,r} = 1.8$$
 (Budthus App F.2)
• $\frac{D}{d} = \frac{3.5 \text{in}}{30 \text{in}} = 1.167$
• $\frac{\Gamma}{d} = \frac{0.25 \text{in}}{3.0 \text{in}} = 0.083$

(11)

(10)

(FF)

FAE MEAN AND AMOLITUDE STRESS CORRECTED FOR PATIGE IN THE SECTION WITH THE HCLE, (7) 18

$$K_{T,H} = 2.65 \text{ (Budyn4s 2ND, APP F.1)}$$

$$\frac{d}{\omega} = \frac{0.40 \text{ in}}{3.5 \text{ in}} = 0.114$$

2 = 0.8 (LECTURE 15 Pg 22)

$$K_{5,A} = 1 + 9(R_7 - 1) = 1 + 0.8(2.65 - 1) = 2.32$$

NOW THE GOODMAN CURVE FOR THIS PART MUST BE CONSTRUCTED. FIRST THE ENDCRANCE LIMIT MUST BE CHLCCLATED

Ra = 0.8 (Finish - Cold Drawn)
Rb = 0.75 (Size)
Rc = 1 (Reliability)
Rd = 1 (Temperature)

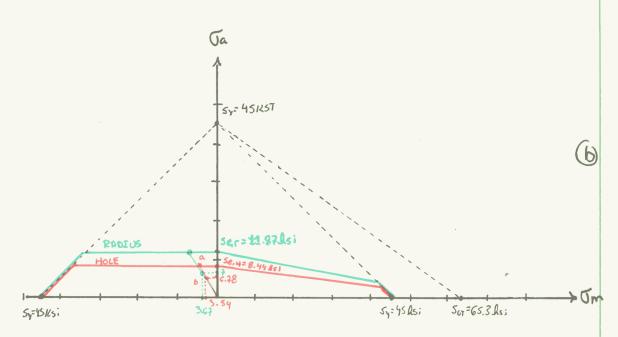
• Re,
$$r = \frac{1}{K_{S,r}} = \frac{1}{1.6S} = 0.606$$

Re, $H = \frac{1}{K_{S,H}} = \frac{1}{2.32} = 0.431$

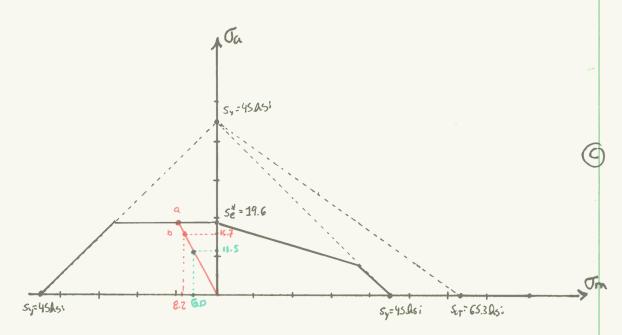
$$S_{e,r} = (0.8)(0.75)(1)(1)(0.606) \cdot 32.65 \text{ As};$$
 (13)

YALLES OF THE ENDORANCE LIMIT WITHOUT FATIGUE CORRECTION

$$S_{e,H}^{w} = (0.8)(0.25)32(5.45) - 19.59$$



GOODMAN DIAGRAM WHERE SE IS CORRECTED FOR THE STRESS @ CONCENTRATION, (15), (16) ARE USED FOR SE AND (3) & ARE USED FOR TA & TM



GOCOMAN DIAGRAM WHERE TO AND TOM ARE CORRECTED FOR THE STRESS LCNCONTRATION, DIB ARE USED FOR SE AND 10-13) ARE USED FOR TO TOM

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BOTH FIGURES INDICATE THAT THE HOLE IS THE LEAST SAFE COMPITION. THE FACTOR OF SAPETY AT THE HOLE WILL DE COMPUTED USING BOTH (b) AND (c). STARTING WITH (b)

FROM (b) THE LOCATION OF Point a most BE FOOMD, KNOWING THE EQUATION OF THE LINE

$$\int_{a}^{2} m \cdot U_{m}$$

$$m = \frac{6.76 \cdot 0.5^{1}}{3.34 \cdot 0.5^{1}} = -1.92$$

$$U_{a} = -1.92 \cdot U_{m}$$

THE VALUE OF JM WHEN Ja = 8.44 Asi

THE S.F. CON NOW BE CALCULATED

S.F.=
$$\frac{\left((2.442\text{s})^2 + (4.412\text{s})^2\right)^{1/2}}{\left[(4.722\text{s})^2 + (3.542\text{s})^2\right]^{1/2}} = 1.24$$

NOW THE SAFETY FACTOR IS CALCULATED FROM @. STARTING WITH THE EQUATION OF THE LINE.

THE HALLE OF JM WHEN Ja- 19.6 Asi

THE S.F. Can now BE CALLUATED

$$SF. = \frac{[(19.6 \text{ Asi})^2 + (-10.24 \text{ Asi})^2]''^2}{[(15.7 \text{ Asi})^2 + (-2.2 \text{ Asi})^2]''^2} = [1.24]$$

SOMMARY

THE KEY IS THAT YOU ONLY CORRECT FOR THE STRESS CONCENTRATION IN ONE PLACE.