(RBB)

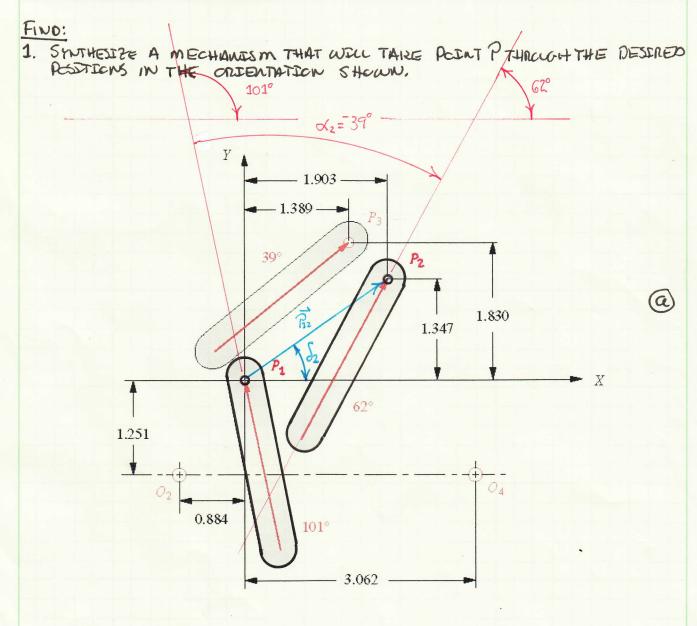
PROBLEM 5-12 DESIGN A LIWKAGE TO CHRRY THE BODY SHOWN IN THE FIGURE THROUGH THE TWO POSITIONS P1 AND P2 ATTHE ANGLES SHOWN IN THE FLOURE. USING AMALYTICAL SYNTHESES WITHOUT REDAMD FOR THE FOREN POYOTS SHOWN. (HENT: TRY THE FREE CHOICES HALLES Z=Z, \$=150. B,=30°, S=3, Y=-50°, 82=40°.

## GIVEN:

- 1. THE TWO POSITIONS OF A COUPLER LINIX, SEE BELOW 2. PL @ (Om, Oly) ORSENTATED AT 101° FROM +X AXIS
- P2@ (1.903in, 1.347in) CRIENTED AT 62° FROM TX MXIS

## ASSCMPTIONS:

- 1. PLANAR MOTION OF THE LINKS
- 2. ALL ELEMENTS ARE ROOFD



PROB 5-12 PG ZCF NORTOW 5TH

(RBB)

## SOCUTECN:

Two POSITION EYNTHESIS HAS TWO APPRICACHES. THE INFORMATION GIVEN IN THIS PROBLEM STATEMENT SUPPORTS WHAT HAS BEEN GIVEN AS APPROACH B IN WHICH PLL, OZ, AWD X2 ARE GIVEN. THESE PARAMETERS ARE ILLUSTRATED IN @. THE VALLES ARE CALCULATED AS POLICUS.

$$P_{21} = \sqrt{(1.903 \text{in} - 0 \text{in})^2 + (1.347 \text{in} - 0 \text{in})^2} = 2.331 \text{in}$$

$$S_2 = 74N^2 \frac{1.347in}{1.903in} = \frac{35.29^\circ}{}$$

$$d_2 = 67^\circ - 101^\circ = -39^\circ$$

THE BOOK SUGGESTS THE FOLLOWING FREE CHEICES

$$Z = Z_{1M}$$
 (9)  $S = Z_{1M}$  (9)  $\Phi = 150^{\circ}$  (6)  $\Psi = -50^{\circ}$  (8)  $Z = 30^{\circ}$  (6)  $Z = 40^{\circ}$  (9)

ZAD DEFINE ONE SIDE OF THE COCDLER LIMIX AND SAY DEFINE THE OTHER. BY AND YZ DEFINE THE TRAVEL OF LIMIXS ZA 3.

THE SOLUTION TO THIS SYNTHESES USING THE AMALYDIZED METHOD IS FOUND ON THE WEXT PAGES, THAT PAGES THAT FOLLOW THE AMATICAL SOLUTION CONTAIN THE SOLUTION TO ATPACHING A DRIVE DYAP TO THIS MECHANISM.

# ScmmAny:

FOR THE ANALYZICOU SOLITION IT IS IMPORTANT TO CORRECTLY TOENTOPY THE PARAMETERS THAT AME OF HEN. ALTHOUGH WOT NEEDED IN THIS PROBLEM, A GRAPHICAL SOLITION WOUL HELP THE DESIGNER ASSIGN HALLES TO THE FREE CHERCES THAT AME REQUIRED TO SOLVE THE PROBLEM AWALYZITCALIT.

APPROACH B		FIRST DYAD						APPROAG	CH B S	ECOND DYAD				
GIVEN:	CHOSEN:	FIND:				x-coord	y-coord	GIVEN:	CHOSEN:	FIND:			x-coord	y-coord
P12	2.331 <b>z</b>	2 w	1.948		O2	1.281	0.896	P12	2.331 <b>s</b>	3 <b>u</b>	6.283	04	-2.853	8.513
δ2 α.2	35.29 <b>φ</b>	150 <b>0</b>	-76.614		A1	1.732	-1.000	δ2 α2	35.29 <b>ψ</b>	-50 <b>σ</b>	-81.542	B1	-1.928	2.298
α.2	-39 <b>β2</b>	30 W1x	0.451		A2	2.619	-0.521	α2	-39 <b>γ2</b>	40 <b>U1</b> x	0.924	B2 P1	1.850	4.346
		W1y	-1.896		A2 P1 P2	0.000	0.000			U1y	-6.215		0.000	0.000
			x-coord	y-coord	P2	1.903	1.347					y-coord P2	1.903	1.347
		W1	0.451	-1.896						U1	0.9242	-6.2149		
		W2	1.338	-1.416						U2	4.7028	-4.1669		
		Z1 Z2	-1.732	1.000						S1	1.9284	-2.2981		
		Z2	-0.717	1.867						S2	0.0524	-2.9995		
	0.5 -0.1339745	l	} =		).887337 \ ).479493 \ ]	inver -0.5 -1.86603	se 1.866025 -0.5		-0.23396 -0.64279 0.642788 -0.23396	U1x U1y	<b>=</b>	3.778657 2.048064	-0.5 -1.37374	1.373739 -0.5
$\begin{bmatrix} \cos(\beta_2) - 1 \\ \sin(\beta_2) \end{bmatrix}$	$ \frac{-\sin(\beta_2)}{\cos(\beta_2) - 1} \begin{cases} W_{1x} \\ W_{1y} \end{cases} = \begin{cases} p_{21} \cdot \cos \\ p_{21} \cdot \sin \end{cases} $	$s(\delta_2) - z \cdot \left[\cos(\phi + \alpha_2)\right]$ $\sin(\delta_2) - z \cdot \left[\sin(\phi + \alpha_2)\right]$	$\left[-\cos(\phi)\right]$ $\left[-\sin(\phi)\right]$	}				$\begin{bmatrix} \cos(\gamma_2) - \\ \sin(\gamma_2) \end{bmatrix}$	$\cos(\gamma_2) - 1 \Big] \Big\{ U_{1y} \Big\} = \Big\{$	$p_{21} \cdot \cos(\delta_2) - s \cdot [\cos p_{21} \cdot \sin(\delta_2) - s \cdot [\sin \delta_2)]$				
$\begin{bmatrix} \cos(\beta_2) - 1 \\ \sin(\beta_2) \end{bmatrix}$	$ \begin{aligned} -\sin(\beta_2) \\ \cos(\beta_2) - 1 \end{aligned} \begin{cases} W_{1x} \\ W_{1y} \end{cases} =  \begin{cases} p_{21} \cdot \cos \\ p_{21} \cdot \sin \\ p_{22} \cdot \sin \\ p_{22} \cdot \sin \\ p_{22} \cdot \sin \\ p_{23} \cdot \sin \\ p_{24} \cdot \sin \\ p_{24} \cdot \sin \\ p_{24} \cdot \sin \\ p_{24} \cdot \sin \\ p_{25} \cdot \sin \\ p_{2$	$s(\delta_2) - z \cdot \left[\cos \phi \cdot \cos \phi \cdot \cos \phi\right]$ $n(\delta_2) - z \cdot \left[\sin \phi \cdot \cos \phi\right]$	$\alpha_2 - \sin \phi \cdot \sin \alpha_2 + \cos \phi \cdot \sin \alpha_2$	$n \alpha_2 - \cos(\alpha_2 - \sin(\alpha_2 - \sin(\alpha_2 - \sin(\alpha_2 - \sin(\alpha_2 - \sin(\alpha_2 - \sin(\alpha_2 - \cos(\alpha_2 - \cos(\alpha_$	$\phi)$ ] $\phi$ )] $\phi$ )]			$\begin{bmatrix} \cos(\gamma_2) - \\ \sin(\gamma_2) \end{bmatrix}$	$ \begin{vmatrix} 1 & -\sin(\gamma_2) \\ \cos(\gamma_2) - 1 \end{vmatrix} \begin{cases} U_{1x} \\ U_{1y} \end{cases} = \begin{cases} 1 \end{cases} $	$p_{21} \cdot \cos(\delta_2) - s \cdot [\cos p_{21} \cdot \sin(\delta_2) - s \cdot ]\sin(\delta_2)$	$\psi \cdot \cos \alpha_2 - \sin \psi \cdot \cos \alpha_2 + \cos \alpha_2$	$\{ \psi \cdot \sin \alpha_2 - \cos \psi \} $ $\{ \psi \cdot \sin \alpha_2 - \sin \psi \} $		

#### SYNTHESIZED LINKAGE KINEMATICS

	DL ω4-1 => ω2-1	10.000 1/s
~	DL $\omega 4-2 \Rightarrow \omega 2-2$	10.000 1/s^2
Sig	ω3-1	5.090 1/s
Angular Velocity	ω3-2	0.386 1/s
	ω4-1	-15.281 1/s
	ω4-2	2.783 1/s
_	DL $\alpha 4-1 \Rightarrow \alpha 2-1$	0.000
fi on	DL $\alpha 4-1 \Rightarrow \alpha 2-1$ DL $\alpha 4-2 \Rightarrow \alpha 2-2$	0.000 0.000
gular eration		
Angular celeration	DL α4–2 => α2–2	0.000
Angular Acceleration	DL α4-2 => α2-2 α3-1	0.000 -437.439 1/s^2

Kinemati	cs					Norm	al(r)	Perpend	icular (θ)
		x comp	y comp	mag	angle		j	i	j
	G = r1	-4.134	7.618	8.667	118.5	-0.4769	0.8789	-0.8789	-0.4769
	<b>U1</b> = r4-1	0.924	-6.215	6.283	-81.5	0.1471	-0.9891	0.9891	0.1471
	<b>U2</b> = r4-2	4.703	-4.167	6.283	-41.5	0.7485	-0.6632	0.6632	0.7485
ıts	<b>W1</b> = r2-1	0.451	-1.896	1.948	-76.6	0.2315	-0.9728	0.9728	0.2315
ле	<b>W2</b> = r2-2	1.338	-1.416	1.948	-46.6	0.6869	-0.7267	0.7267	0.6869
9	<b>V1</b> = r3-1	-3.660	3.298	4.927	138.0	-0.7429	0.6694	-0.6694	-0.7429
Displacements	<b>V2</b> = r3-2	-0.769	4.867	4.927	99.0	-0.1561	0.9877	-0.9877	-0.1561
뜶	Z1	-1.732	1.000	2.000	150.0	-0.8660	0.5000	-0.5000	-0.8660
	Z2	-0.717	1.867	2.000	111.0	-0.3584	0.9336	-0.9336	-0.3584
	S1	1.928	-2.298	3.000	-50.0	0.6428	-0.7660	0.7660	0.6428
	S2	0.052	-3.000	3.000	-89.0	0.0175	-0.9998	0.9998	0.0175
	vA-1	18.955	-177.365	178.375	-83.9	0.1063	-0.9943	0.9943	0.1063
≥	vA-2	14.160	-320.197	320.510	-87.5	0.0442	-0.9990	0.9990	0.0442
Velocity	vB-1	-94.971	-14.122	96.015	-171.5	-0.9891	-0.1471	0.1471	-0.9891
ě	vB-2	11.596	13.088	17.486	48.5	0.6632	0.7485	-0.7485	0.6632
_	vP-1	13.865	-4.306	14.518	-17.3	0.9550	-0.2966	0.2966	0.9550
	vP-2	13.440	13.108	18.774	44.3	0.7159	0.6982	-0.6982	0.7159
=	aA-1	-45.108	189.554	194.847	103.4	-0.2315	0.9728	-0.9728	-0.2315
atic	aA-2	-133.841	141.605	194.847	133.4	-0.6869	0.7267	-0.7267	-0.6869
Acceleration	aB-1	1492.476	1705.296	2266.169	48.8	0.6586	0.7525	-0.7525	0.6586
- Ce	aB-2	91.322	176.446	198.678	62.6	0.4596	0.8881	-0.8881	0.4596
Ä	aB-P	437.214	921.307	1019.786	64.6	0.4287	0.9034	-0.9034	0.4287
	aB-P	-47.392	174.471	180.793	105.2	-0.2621	0.9650	-0.9650	-0.2621

#### NON-QUICK-RETURN (From Two-Position Approach B Results)

	X-pos	Y-pos	mag	angle	i	j
2P-O2 => O4	1.28	0.90	1.56	35.0	0.8196	0.5730
2P-A1	1.73	-1.00	2.00	-30.0	0.8660	-0.5000
2P-A2	2.62	-0.52	2.67	-11.2	0.9808	-0.1949
Factors						
Р	0.5	% dist up L	ink 4			
K	2.5 <b>l</b>	Length of L	ink 3+Link	2 wrt B1B	2	
Link 1	1.38					
Link 2	0.25					
Link 3	1.01				195	
Link 4	0.97	Grashof	(b) Finished link	age	Lin	.,

$\dot{\theta}_2 =$	1.0470 1/s
$\ddot{\theta}_2 =$	0.0000 1/s^2
ω3-1	-0.2618 1/s
ω3-2	0.2618 1/s
ω4-1	0.0000 1/s
ω4-2	0.0000 1/s
α3-1	0.0918 1/s^2
α3-2	0.0551 1/s^2
α4-1	0.3672 1/s^2
α4-2	-0.2203 1/s^2

					Norma	l ( r )	Perpendio	cular (θ)
	x comp	y comp	mag	angle	i	j	i	j
rO4	1.28	0.90	1.56	35.0	0.8196	0.5730	-0.5730	0.8196
rP2O2-A1	0.45	-1.90	1.95	-76.6	0.2315	-0.9728	0.9728	0.2315
rP2O2-A2	1.34	-1.42	1.95	-46.6	0.6869	-0.7267	0.7267	0.6869
rB1	1.51	-0.05	1.51	-2.0	0.9994	-0.0346	0.0346	0.9994
rO4B1	0.23	-0.95	0.97	-76.6	0.2315	-0.9728	0.9728	0.2315
rB2	1.95	0.19	1.96	5.5	0.9954	0.0957	-0.0957	0.9954
rO4B2	0.67	-0.71	0.97	-46.6	0.6869	-0.7267	0.7267	0.6869
rB1B2	0.44	0.24	0.50	28.4	0.8798	0.4754	-0.4754	0.8798
rO2	2.62	0.55	2.67	11.8	0.9788	0.2047	-0.2047	0.9788
rB102	1.11	0.60	1.26	28.4	0.8798	0.4754	-0.4754	0.8798
rA1	2.39	0.43	2.43	10.1	0.9844	0.1757	-0.1757	0.9844
rO2A1	-0.22	-0.12	0.25	-151.6	-0.8798	-0.4754	0.4754	-0.8798
rA2	2.84	0.67	2.91	13.2	0.9735	0.2288	-0.2288	0.9735
rO2A2	0.22	0.12	0.25	28.4	0.8798	0.4754	-0.4754	0.8798
rB1A1	0.89	0.48	1.01	28.4	0.8798	0.4754	-0.4754	0.8798
rB2A2	0.89	0.48	1.01	28.4	0.8798	0.4754	-0.4754	0.8798
rO4O2	1.33	-0.35	1.38	-14.6	0.9676	-0.2526	0.2526	0.9676

Kinematics	i			Norm	al (r)	Perpendicular (θ)		
	x comp	y comp	mag	angle	i	j	i	j
r1	-1.33	0.35	1.38	165.4	-0.9676	0.2526	-0.2526	-0.9676
r4-1	0.23	-0.95	0.97	-76.6	0.2315	-0.9728	0.9728	0.2315
r4-2	0.67	-0.71	0.97	-46.6	0.6869	-0.7267	0.7267	0.6869
r2-1	-0.22	-0.12	0.25	-151.6	-0.8798	-0.4754	0.4754	-0.8798
r2-2	0.22	0.12	0.25	28.4	0.8798	0.4754	-0.4754	0.8798
r3-1	-0.89	-0.48	1.01	-151.6	-0.8798	-0.4754	0.4754	-0.8798
r3-2	-0.89	-0.48	1.01	-151.6	-0.8798	-0.4754	0.4754	-0.8798
vA-1	0.13	-0.23	0.26	-61.6	0.4754	-0.8798	0.8798	0.4754
vA-2	-0.13	0.23	0.26	118.4	-0.4754	0.8798	-0.8798	-0.4754
vB-1	0.00	0.00	0.00	undefined	undefind	undefind	undefind	undefind
vB-2	0.00	0.00	0.00	undefined	undefind	undefind	undefind	undefind
aA-1	0.24	0.13	0.28	28.4	0.8798	0.4754	-0.4754	0.8798
aA-2	-0.24	-0.13	0.28	-151.6	-0.8798	-0.4754	0.4754	-0.8798
aB-1	0.35	0.08	0.36	13.4	0.9728	0.2315	-0.2315	0.9728
aB-2	-0.16	-0.15	0.21	-136.6	-0.7267	-0.6869	0.6869	-0.7267

