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CDS 292

Assignment 3

Imports

In [1]:

```
import networkx as netx
import matplotlib.pyplot as plt
import numpy as np
```

Question 3.10

$\rho = 0.5$. $n = 8$.

$$0.5 = 2m / 8 \cdot 7$$

$$\rightarrow 0.5 = 2m/56$$

$$\rightarrow 0.5 = m / 28$$

$$\rightarrow 14 = m$$

The number of links this network has is 14.

Question 3.13

In [2]:

```

W = netx.Graph()
n = ["Sagretti", "Chapin", "Obrien", "Parkinson", "Krogh", "Mitchell",
     "Porter", "Strachan", "Hunt(H)", "Liddy", "Magruder", "Nixon",
     "Sturgis", "Baldwin", "McCord", "Dean", "Haldeman", "Martinez",
     "LaRue", "Colson", "Kalmbach", "Gray", "Ehrlichman", "Barker"]
for i in n:
    W.add_node(i);

e = [("Sagretti", "Chapin"), ("Krogh", "Hunt(H)"), ("Krogh", "Liddy"), ("McCord", "Mitchell"), ("M
agruder", "Mitchell"),
     ("Magruder", "Porter"), ("Magruder", "Strachan"), ("McCord", "Parkinson"), ("Hunt(H)", "Park
inson"),
     ("Hunt(H)", "Liddy"), ("Baldwin", "Hunt(H)"), ("McCord", "Hunt(H)"), ("Hunt(H)", "Dean"), ("D
ean", "Hunt(H)"),
     ("Baldwin", "Liddy"), ("McCord", "Liddy"), ("Dean", "Liddy"), ("Magruder", "Liddy"), ("McCor
d", "Magruder"),
     ("Magruder", "Nixon"), ("Magruder", "Haldeman"), ("Magruder", "Dean"), ("Baldwin", "Sturgis"
), ("Baldwin", "McCord"),
     ("McCord", "Dean"), ("McCord", "LaRue"), ("Dean", "Nixon"), ("Dean", "Haldeman"), ("Dean", "La
Rue"), ("Dean", "Martinez"),
     ("Dean", "Barker"), ("Dean", "Ehrlichman"), ("Dean", "Gray"), ("Dean", "Kalmbach"), ("McCord"
, "Colson"), ("Hunt(H)", "Colson"),
     ("Gray", "Dean")]
for i in e:
    W.add_edge(i[0], i[1])

```

Question 3.14

In [3]:

```

NumNodes = len(n);
NumEdges = len(e);
density = (2 * NumEdges) / (NumNodes * (NumNodes - 1))

```

In [4]:

```
print (NumNodes, NumEdges, density)
```

```
24 37 0.13405797101449277
```

Question 3.17

In [5]:

```
N = netx.Graph()
for i in range(6):
    N.add_node(str(i))
for i in N.nodes():
    for j in N.nodes():
        if (i != j):
            N.add_edge(i,j);

rho = (2 * len(N.edges())) / (len(N.nodes()) * (len(N.nodes()) - 1))
```

In [6]:

```
print(N.nodes())
```

```
['0', '1', '2', '3', '4', '5']
```

In [7]:

```
print(N.edges())
```

```
[('0', '1'), ('0', '2'), ('0', '3'), ('0', '4'), ('0', '5'), ('1', '2'),
('1', '3'), ('1', '4'), ('1', '5'), ('2', '3'), ('2', '4'), ('2', '5'), ('3',
'4'), ('3', '5'), ('4', '5')]
```

In [8]:

```
print(rho)
```

```
1.0
```

Question 3.18

In [9]:

```
Net18 = netx.Graph()
for i in range(100):
    if (i != 99):
        Net18.add_edge(i,i+1)
    else:
        Net18.add_edge(0,i);

Nodes = len(Net18.nodes())
Edges = len(Net18.edges())
rho = (2 * Edges) / (Nodes * (Nodes - 1))
```

In [10]:

```
print(Net18.nodes())
```

```
[0, 1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13, 14, 15, 16, 17, 18, 19, 20, 21, 22, 23, 24, 25, 26, 27, 28, 29, 30, 31, 32, 33, 34, 35, 36, 37, 38, 39, 40, 41, 42, 43, 44, 45, 46, 47, 48, 49, 50, 51, 52, 53, 54, 55, 56, 57, 58, 59, 60, 61, 62, 63, 64, 65, 66, 67, 68, 69, 70, 71, 72, 73, 74, 75, 76, 77, 78, 79, 80, 81, 82, 83, 84, 85, 86, 87, 88, 89, 90, 91, 92, 93, 94, 95, 96, 97, 98, 99]
```

In [11]:

```
print(Net18.edges())
```

```
[(0, 1), (0, 99), (1, 2), (2, 3), (3, 4), (4, 5), (5, 6), (6, 7), (7, 8), (8, 9), (9, 10), (10, 11), (11, 12), (12, 13), (13, 14), (14, 15), (15, 16), (16, 17), (17, 18), (18, 19), (19, 20), (20, 21), (21, 22), (22, 23), (23, 24), (24, 25), (25, 26), (26, 27), (27, 28), (28, 29), (29, 30), (30, 31), (31, 32), (32, 33), (33, 34), (34, 35), (35, 36), (36, 37), (37, 38), (38, 39), (39, 40), (40, 41), (41, 42), (42, 43), (43, 44), (44, 45), (45, 46), (46, 47), (47, 48), (48, 49), (49, 50), (50, 51), (51, 52), (52, 53), (53, 54), (54, 55), (55, 56), (56, 57), (57, 58), (58, 59), (59, 60), (60, 61), (61, 62), (62, 63), (63, 64), (64, 65), (65, 66), (66, 67), (67, 68), (68, 69), (69, 70), (70, 71), (71, 72), (72, 73), (73, 74), (74, 75), (75, 76), (76, 77), (77, 78), (78, 79), (79, 80), (80, 81), (81, 82), (82, 83), (83, 84), (84, 85), (85, 86), (86, 87), (87, 88), (88, 89), (89, 90), (90, 91), (91, 92), (92, 93), (93, 94), (94, 95), (95, 96), (96, 97), (97, 98), (98, 99)]
```

In [12]:

```
print(rho)
```

```
0.020202020202020204
```

Question 3.20

In [13]:

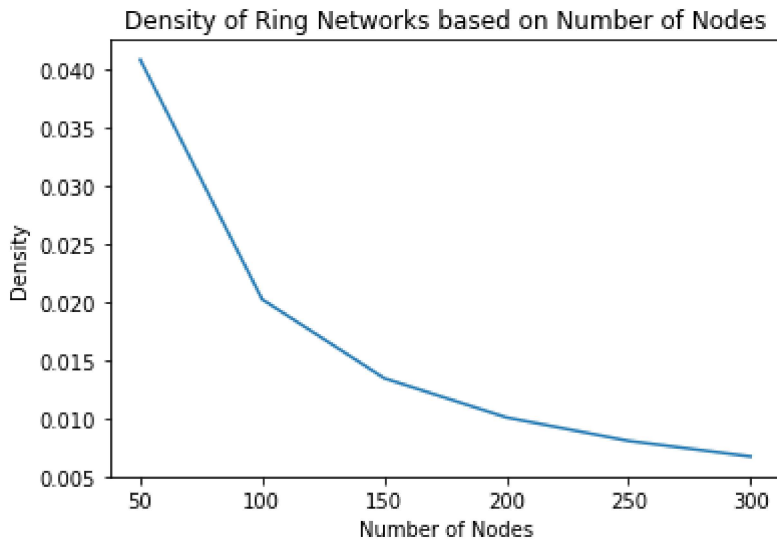
```
densityN = [50,100,150,200,250,300]
```

```
def densityRing(n):
    return (2 * n) / (n * (n-1));
```

```
densities = [];
for i in densityN:
    densities.append(densityRing(i))
```

In [14]:

```
plt.plot(densities)
plt.title("Density of Ring Networks based on Number of Nodes");
plt.xlabel("Number of Nodes");
plt.ylabel("Density")
plt.xticks(np.arange(0,6,1),densityN[:])
plt.show()
```



Question 4.1

Are the following networks valid based on each node's degree?

- A) Yes
- B) No, since $k_2 = 3$.
- C) Yes, Each node has 1 connection, following a Z-pattern.
- D) Yes, Nodes 1 and 3 are isolated.
- E) Technically yes, but all nodes are isolated.
- F) No, since $K_2 = 4$.
- G) Yes, since this is a complete network.

Question 4.2

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Question 4.3

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- .
- .

Question 4.4

The degree can be determined by summing the elements in the row i of the adjacency matrix. $\text{SUM}(a_{ij})$. We can also do $\text{SUM}(a_{ji})$ which uses the columns instead of the rows, in which we use the symmetry property of the adjacency matrix.

Question 4.5

- You can write the adjacency matrix with all zeroes
- you can write a degree network: $k_1 = 0, k_2 = 0, \dots, k_{n-1} = 0, k_n = 0$.
- you can write a link list file with just one column. (this is not a good way to do it, since the minimal list is of two columns, but it can be done)

Question 4.6

A 3x3 Adjacency matrix since we only have 10 numbers, and the $\text{sqrt}(10)$ is not whole (it is in fact just above 3). We are left with a remainder of 1, therefore we need to drop it.