# **Riley Payung**

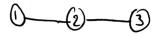
# CDS 292

<pre>import matplotlib.pyplot as plt</pre>	2,4; 2 <-> 4
In [71]:	2,3: 2 <-> 3
Imports	1,4t 1 k-2 2 k-2 4
Assignment 10	
	€ <-> ⊊ <-> £ ;€;;
04/30/2020	$\mathcal{L}_{\mathcal{L}}$ is the second constant $\mathcal{L}_{\mathcal{L}}$
ODO 232	

## Question 2

b=3 | b2=6 | 0=3 | b4=3

Everything increases by 1 exceptifor by, which doubles in size



# Paths:

import networkx as netx

import numpy as np

Question 3

$$b_2 = 5 - 1 + (2 - 1)(5 - 2) = 4 + 13 = 4 + 3 = 7$$

cont or next page.

Question 4

$$b_5 = -1 + (5 * 10) - 6^2 = -1 + 50 - 25 = -1 + 25 = 24$$

Question 5

Let us say that the no are the follwing:

gnuy67 volis

## Paths:

b<sub>1</sub>=3 | b<sub>2</sub>=6 | b<sub>3</sub>=3 | b<sub>4</sub>=3

Everything increases by 1 except for b<sub>2</sub>, which doubles in size.

#### Paths:

### **Question 3**

$$b_2 = 5 - 1 + (2 - 1)(5 - 2) = 4 + 13 = 4 + 3 = 7$$

## **Question 4**

$$b_5 = -1 + (5 * 10) - 5^2 = -1 + 50 - 25 = -1 + 25 = 24$$

#### **Question 5**

Let us say that the ns are the follwing:

```
n_1 = 4
n_2 = 4
n_3 = 4
n_4 = 4
Therefore n = 16 + 1 = 17.
In [53]:
n = 17;
b = [];
for i in range(1,n):
    b.append(-1 + (i * n) - (i**2))
In [60]:
                                                                             1,2: 1 <-> 2
print(b)
[15, 29, 41, 51, 59, 65, 69, 71, 71, 69, 65, 59, 51, 41, 29, 15]
In [74]:
plt.plot(b, marker='o')
plt.show()
                                                       2,4: 2 <-> 3 <-> 4, 2 <-> 4 <-> 4
 70
 60
 50
 40
 30
 20
           ż
                                10
                                           14
```

**Question 6** 

$$b_1 = -1 + 5 - 1 = 3$$

$$b_2 = -1 + 2 * 5 - 4 = -1 + 10 - 4 = 5$$

$$b_3 = -1 + 3 * 5 - 9 = -1 + 15 - 9 = 5$$

$$b_4 = -1 + 4 * 5 - 16 = -1 + 20 - 16 = 3$$

$$b_5 = -1 + 5 * 5 - 25 = -1 + 25 - 25 = -1$$

# **Question 9**



Paths:

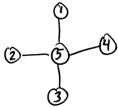
$$b_1=5 | b_2=5 | b_3=5 | b_4=5$$

### **Question 10**

$$b_i = n + 1$$

## **Question 11**

Lets assume a star network of n = 5 for the following:



Paths: 1,2: 1 <-> 2 1,3: 1 <-> 2 <-> 3, 1 <-> 4 <-> 3 1,4: 1 <-> 4 2,3: 2 <-> 3 2,4: 2 <-> 3 <-> 4, 2 <-> 1 <-> 4 3,4: 3 <-> 4

b<sub>1</sub>=4 | b<sub>2</sub>=4 | b<sub>3</sub>=4 | b<sub>4</sub>=4 | b<sub>5(HUB)</sub>=10

Considering 5 is our b<sub>hub</sub>, if we do the calculation with the equation:

\$5 \choose 2\$ \$= \frac{5!}{2!(3!)} = \frac{120}{12} = 10\$ 
$$\left(\frac{5}{2}\right) = \frac{5!}{2!(3!)} = \frac{120}{12} = 10$$

We prove that the equation is the model for the hub centrality.

which is the same as:

$$5 - 1 + (\frac{4}{2}) = 4 + 6 = 10 \Longrightarrow 10 = (\frac{5}{2})$$

### **Question 12**

$$A = \begin{pmatrix} 0 & 1 & 1 & 1 \\ 1 & 0 & 1 & 0 \\ 10 & 0 & 0 \end{pmatrix} det \begin{pmatrix} -\lambda & 1 & 1 & 1 \\ 1 & -\lambda & 1 & 0 \\ 1 & 1 & 0 & 0 \end{pmatrix} = 0$$

$$-\lambda^{4} - (-\lambda - \lambda) = 0 \qquad -\lambda^{3} - 2 = 0$$

$$-\lambda^{4} + 2\lambda = 0 \qquad -\lambda(\lambda^{2}) = 22$$

$$-\lambda(\lambda^{3} - 2) = 0 \qquad \text{Therefore}$$

$$\lambda^{2} = 1$$

$$\lambda^{2} = 1$$

$$\lambda^{3} = 0 \qquad \lambda^{3} = -\sqrt{2}$$

$$\lambda^{4} = 0 \qquad \lambda^{3} = -\sqrt{2}$$

$$\lambda^{4} = 0 \qquad \lambda^{3} = -\sqrt{2}$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} = 0 \qquad \lambda^{4} = 0$$

$$\lambda^{4} = 0 \qquad \lambda^{4} =$$

## **Question 14**

```
In [5]:
```

```
# Load watergate network:
WG = netx.Graph();
watergateFile = open('watergate-testimony-links.dat','r');
for line in watergateFile:
    cLine = line.strip();
    items = cLine.split();
    WG.add_edge(items[0],items[1]);
```

## In [16]:

Considering 6 is our book if we go the calculation with the equations

Porter Halders Matine Barker Chapinsen

Strachan Macruder eat Kalmbach

O†Brien Huntur Cord LaRue

Kroom Baldwin Colson kinson

Sturgis

We prove that the equation is the model for the hub centre

\$5 - 1 + \$34\chouse 2\$ \$= 4 + 6 = 10 <=> 10 = \$ \$5\chouse 5 =  $\frac{6}{2}$  \choose 4 + 6 =  $\frac{6}{2}$  \choose 6 =  $\frac{6}{2}$ 

Ouesiles 12

- (2, 2, 2, 0) - 0 - 2, 2, 2 0

- 2, 2, 2 0 - 2, 2, 2 0

- 2, (3, 2) = 0

- 2, (3, 2) = 0

- 2, (3, 2) = 0

- 2, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 3, (3, 2) = 0

- 4, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

- 5, (3, 2) = 0

et nodered

```
In [46]:
```

```
def BC1 (G , o ) :
    A = [o]
    V =[]
    1 = 0
    p = \{\}
    m = \{\}
    z = \{\}
    p [ o ]=[]
   m [ o ]=1
    z [ l ]=[ o ]
   while len( A ) >0:
        # print Len(A)
        1 = 1 + 1
        nA = []
        for i in A:
            for j in G . neighbors ( i ) :
                if ( j not in V ) and ( j not in A ) :
                    if j not in nA :
                        nA . append ( j )
                        z [ 1 ]= z . get (1 ,[])
                                                                              5.60 - build
                        z [ l ]. append ( j )
                    p [ j ]= p . get (j ,[])
                    p [ j ]. append ( i )
                    m [ j ]= m . get (j ,0)
                    m [ j ] = m [ j ] + m [ i ]
            V . append ( i )
        A = nA
                                                                          ,6.0mi k'saburgani
   lf = l - 1
   b = \{\}
   for i in G . nodes ():
        b [ i ]=0
   for l in range ( lf ,0 , -1) :
       for i in z [ l ]:
            b [ i ] = b [ i ] + m [ i ]
                                                           - 0,505 to shipping that in and and this
            for j in p [ i ]:
                b[j]=b[j]+m[j]*b[i]/m[i]
   return (b)
```

## In [47]:

```
def BC ( G ) :
    B ={}
    for i in G . nodes () :
        B [ i ]=0
    for o in G . nodes () :
        b = BC1 (G , o )
        for i in b . keys () :
            B [ i ]= B [ i ]+ b [ i ]
    for i in G . nodes () :
        B [ i ]= B [ i ]/2
    return ( B )
```

```
In [48]:
G = BC(WG);
In [51]:
G
Out[51]:
{'Baldwin': 93.0,
 'Hunt(H)': 110.0,
 'Liddy': 79.0,
 'McCord': 117.0,
 'Sturgis': 47.0,
 'Dean': 208.0,
 'Barker': 29.0,
 'Ehrlichman': 29.0,
 'Gray': 29.0,
 'Haldeman': 38.0,
 'Kalmbach': 29.0,
 'LaRue': 30.0,
 'Martinez': 29.0,
 'Nixon': 38.0,
 'Colson': 35.0,
 'O'Brien': 28.0,
 'Parkinson': 35.0,
 'Krogh': 39.0,
 'Magruder': 110.0,
 'Mitchell': 30.0,
 'Porter': 28.0,
 'Strachan': 28.0,
 'Segretti': 1.0,
 'Chapin': 1.0}
Dean has the highest centrality, at 208.0
In [ ]:
```