## **Housing Regression from Kaggle**

- 1: Importing the pandas library for use.
- 2: Create a DataFrame object from the main\_file\_path string using the pandas.read\_csv() method.
- 3: Prints the columns of the dataset to show what variables are available for analysis.

4:Uses dot notation to print out the head (first five rows) of the "SalePrice" column of our DataFrame.

- 5: Creates a list of two "features" (x variables) that we will use for analysis from the list printed above in step 3.
- 6: Uses a list splicing method to select the values under the columns we will use for analysis.
- 7: Prints and gives a basic statistical analysis of the columns selected.

In [7]: listofcolumns = ['Neighborhood','YearBuilt'] #create a list using column names that are of interest
twodatacolumns = data[listofcolumns] # "splice" the data using the list of relevant combos
print(twodatacolumns)
twodatacolumns.describe() #describes the smaller data sheet created

	Neighborhood	YearBuilt
0	CollgCr	2003
1	Veenker	1976
2	CollgCr	2001
3	Crawfor	1915
4	NoRidge	2000
5	Mitchel	1993
6	Somerst	2004
7	NWAmes	1973
8	OldTown	1931
9	BrkSide	1939
10	Sawyer	1965
11	NridgHt	2005
12	Sawyer	1962
13	CollgCr	2006
14	NAmes	1960
15	BrkSide	1929
16	NAmes	1970
17	Sawyer	1967
18	SawyerW	2004
19	NAmes	1958
20	NridgHt	2005
21	IDOTRR	1930
22	CollgCr	2002
23	MeadowV	1976
24	Sawyer	1968
25	NridgHt	2007
26	NAmes	1951
27	NridgHt	2007
28	NAmes	1957
29	BrkSide	1927
1430	Gilbert	2005
1431	NPkVill	1976
1432	OldTown	1927
1433 1434	Gilbert	2000
	Mitchel	1977
1435 1436	NAmes	1962 1971
1437	NAmes	2008
1438	NridgHt OldTown	1957
1439	NWAmes	1979
1440	Crawfor	1922
1441	CollgCr	2004
1441	Somerst	2004
1443	BrkSide	1916
1444	CollgCr	2004
1445	Sawyer	1966
1446	Mitchel	1962
1447	CollgCr	1995
1448	Edwards	1910
1449	MeadowV	1970
1450	NAmes	1974
1451	Somerst	2008
1452	Edwards	2005
1453	Mitchel	2005
1454	Somerst	2004
1455	Gilbert	1999
1456	NWAmes	1978
1457	Crawfor	1941
1458	NAmes	1950
1459	Edwards	1965
±,),	Lawards	1000

[1460 rows x 2 columns]

## Out[7]:

	YearBuilt	
count	1460.000000	
mean	1971.267808	
std	30.202904	
min	1872.000000	
25%	1954.000000	
50%	1973.000000	
75%	2000.000000	
max	2010.000000	

- 9: Defines the v variable of what value will be predicted (and trained with) as the SalePrice column, which we defined above.
- 10: Defines the x variable dataset as the data[listofxvalues] columns, used to predict the y.
- 11: Imports and creates a Decision Tree Regressor object called iowamodel that can modified and trained to predict values. This prints the values that change how the tree works and optimizes it, although all of these values are set to default as of right now.
- 12: Fits the data defined as x and y to the model, training it to make predictions.

13: Prints the x values that will be used to make a prediction, the predictions, and the actual y values. Notice how the values are the same, as the model has been trained using this same testing dataset. This is called bias, as the model isn't actually predicting but "remembering".

```
In [36]: print('Making predictions for the following five houses:')
         print(x.head()) # top 5 lines of the column
         print('\nThe predictions are:')
         print(iowamodel.predict(x.head())) #using the trained model predict y values from those x value
         print('\nThe actual y values are:')
         print(y.head()) #actual first 5 price values
         Making predictions for the following five houses:
            LotArea YearBuilt 1stFlrSF 2ndFlrSF FullBath
                                                                BedroomAbvGr
         0
               8450
                           2003
                                      856
                                                 854
                                                             2
                                                                           3
         1
               9600
                           1976
                                     1262
                                                  a
                                                             2
                                                                           3
         2
              11250
                           2001
                                      920
                                                 866
                                                             2
                                                                           3
         3
               9550
                           1915
                                      961
                                                756
                                                             1
                                                                           3
         4
              14260
                           2000
                                     1145
                                                1053
                                                             2
                                                                           4
             TotRmsAbvGrd
         0
                        8
                        6
         1
         2
                        6
         3
                        7
                        9
         4
         The predictions are:
         [208500. 181500. 223500. 140000. 250000.]
         The actual y values are:
         0
              208500
         1
              181500
         2
              223500
              140000
         3
              250000
         4
         Name: SalePrice, dtype: int64
```

- 14: Imports a method that will calculate the average residual for every data point in the model.
- 15: Predicts all values possible from our set of x data.
- 16: Calculates and prints the mean residual for every point of our model, which is exceptionally low, once again due to bias.

```
In [10]: from sklearn.metrics import mean_absolute_error #import to find mean absolute error (simple residual)
    predictedvalues = iowamodel.predict(x) #predict A L L of the possibilities
    mean_absolute_error(y, predictedvalues) #calculate and print error

Out[10]: 62.35433789954339
```

- 17: Imports and uses a method that randomly splits the x and y data into a training set and a testing set that will help to prevent model bias, but increase the error because of it.
- 18: Creates a new model and trains it with the new testing and training data.
- 19: Prints the mean redisuals for every point of our model which is now much higher, but also less biased. This model is now extrapolating rather than interpolating.

```
In [37]: from sklearn.model_selection import train_test_split #okay so now we are going to split the data set between training a nd predicting to actually test the effectiveness of the model as well as to prevent biases from interpolation

train_x, val_x, train_y, val_y = train_test_split(x, y, random_state =0) #WHEW okay so we have a tuple of values setup that is equal to this method that uses a RNG to determine which values are in each category iowamodel2 = DecisionTreeRegressor() #creating a new model iowamodel2.fit(train_x, train_y) #training the model using the specified training data predictions = iowamodel2.predict(val_x) #predicts the values mean_absolute_error(val_y, predictions) #finds the total mean absolute error and prints
```

Out[37]: 33919.509589041096

- 20: Defines a function MAE (mean absolute error, or mean residuals) that takes a numleaves argument as well as the dataset.
- 21: Creates a model with the numleaves value passed to it, which changes the max\_leaf\_nodes value. This value changes how many final "nodes" there are for the tree to choose from. If there are too many nodes there are only a few examples for each node, meaning this model would be overfit and unreliably predict values, while too few nodes would not allow enough diversity for predictions, leading to an underfit model.
- 22: Returns the MAE of the model created with the given max leaf nodes value.
- 23: Uses a for loop to go through a list of values for the max\_leaf\_nodes values, and find the minimum value among them. At each stage it prints the MAE for the given value.
- 24: Prints the best value found for the max\_leaf\_nodes value (lowest MAE).

```
In [39]: def mae(max_leaf_nodes, trainx, trainy, valx, valy):#defining a neat function that calculates the average residual for
          us. used to prevent over or underfitting from the model
             model = DecisionTreeRegressor(max leaf nodes=max leaf nodes, random state=0) #some more fancy schmancy stuff, but b
         asically it creates a model with some specific attributes, notably the number of leaves and the random state agaiuun? d
         ont know what random state is for
             model.fit(trainx, trainy) #just training the model, though we could pass a model as an argument if necessary
             predicted = model.predict(valx) #once again predicts values
             return (mean_absolute_error(valy, predicted))#returns the average residual!
         train_x, val_x, train_y, val_y = train_test_split(x, y, random_state =0) #once again splitting the model into test sets
         min = 999999999 # arbitrarily setting up a very large value to detect a min
         num = 0 #declaring a variable that will print out the best leaf config
         for i in [75, 76, 77, 78, 79, 80, 81, 82, 83, 84, 85]: #for loop through a list of a bunch of possible values. rn i man
             result = mae(i, train_x, train_y, val_x, val_y)#calculates a result through the values
             if result < min: #testina to find min value
                 min = result
                 num = i
             print('The MAE for %s is %f:'%(i, result))
         print('The leaf configuration that best fits is: %s and the MAE calculated is %s' %(num, min))
```

```
The MAE for 75 is 27455.537405:
The MAE for 76 is 27407.400419:
The MAE for 77 is 27344.129436:
The MAE for 78 is 27258.932587:
The MAE for 79 is 27280.232090:
The MAE for 80 is 27280.232090:
The MAE for 81 is 27241.884768:
The MAE for 82 is 27203.783574:
The MAE for 83 is 27458.229984:
The MAE for 85 is 27648.298477:
The MAE for 85 is 27648.298477:
The leaf configuration that best fits is: 82 and the MAE calculated is 27203.783573767258
```

- 25: Imports pandas, time, and various sklearn libraries that will be used for building and analyzing the model.
- 26: Creates a directory string to refer the train.csv file and creates a DataFrame object from that csv file.
- 27: Creates a y value of the DataFrame that is the SalePrice column, and an x value from the given xlist columns.
- 28: Splits the x and y data into test and train data sets
- 29: Declares some variables(and a dictionary) that will be used to return the optimal model values.
- 30: Goes through a for loop of different n\_estimator values to optimize a RandomForest regressor rather than a decision tree. RandomForest essentially averages the results of multiple decision trees, allowing for a more accurate prediction.
- 31: In this for loop, the time spent to calculate the predictions for the model and the minimum value are recorded and printed. This is because as you increase n\_estimators the model becomes more accurate, but it also takes much longer to process and has diminishing returns. n\_estimators is essentially the number of decision trees in the random forest.
- 32: Creates a final model using the optimal n\_estimators value and trains it with the entire dataset.
- 33: Creates a new string for the test data directory, and then predicts the prices from the given x values.
- 34: The predicted values are put into a DataFrame with the ld and turned into a csv, which is output and turned into Kaggle for scoring
- 35: This model recieved a Root Mean Squared Logarithmic Error of 0.19069. which is the top 72%.

```
In [47]: #This is me using the techniques I've learned throughout this course in one block to show how to create these models
         import pandas as pd
         import time #going to be used for time spent calcs
         from sklearn.ensemble import RandomForestRegressor #importing a different regression method
         from sklearn.metrics import mean absolute error # import residual function
         from sklearn.model selection import train test split #splits data
         directory = 'train.csv' #once again declaring a directory variable as string
         data = pd.read csv(directory) #create a data frame using pandas from the csv file
         y = data.SalePrice # uses dot notation to identify what we are predicting
         xlist = ['LotArea', 'YearBuilt', '1stFlrSF', '2ndFlrSF', 'FullBath', 'BedroomAbvGr', 'TotRmsAbvGrd'] #defines an x list of co
         lumns/features to be used
         x = data[xlist] #creating our x data using slicing with our list
         train_x, val_x, train_y, val_y = train_test_split(x, y, random_state = 0) #splits the data into test and train sets
         g = 0
         t2 = {}
         for i in (5, 25, 50, 75, 100, 200, 500, 1000, 2000, 5000): #tests different values for n_estimators, explained in the c
         omments below
             start = time.time()
             model = RandomForestRegressor(n_estimators = i, random_state =0) #instantiate model using a different value, still
          unsure as to what random_state does
             model.fit(train_x, train_y) # fit the model with training data
             predicted = model.predict(val x) #define predicted value
             mae = mean_absolute_error(val_y, predicted)
             if(mae < min):</pre>
                 min = mae
                 g = i
             end = time.time()
             t = end-start
             t2[i] = t
             print('n estimators: %s \t MAE: %0.2f \t Time spent in seconds to calculate: %0.2f'%(i, mae, t)) # print the MAE (a
         verage residual)
         print('The best fit is an n_estimators value of %s with an MAE of %0.2f, and a time spent calculating of %0.2f'%(g, min
         , t2[g]))
          #http://scikit-learn.org/stable/modules/ensemble.html#forest
          #The main parameters to adjust when using these methods is n_estimators and max_features.
          #The former is the number of trees in the forest. The larger the better, but also the longer it will take to compute.
          #In addition, note that results will stop getting significantly better beyond a critical number of trees.
          #The latter is the size of the random subsets of features to consider when splitting a node.
          #The lower the greater the reduction of variance, but also the greater the increase in bias.
         model = RandomForestRegressor(n_estimators = 2000, random_state =0) #building a final model
         model.fit(x, y) #fitting the model with data, no splitting
         testdata = pd.read_csv('test.csv') #declaring the testdata as a separate csv
         testx = testdata[xlist]
         predictedprices = model.predict(testx)
         submission = pd.DataFrame({'Id':testdata.Id, 'SalePrice':predictedprices})
         submission.to_csv('submisson.csv', index=False)
         print(submission)
```

```
n estimators: 5
                       MAE: 25330.81 Time spent in seconds to calculate: 0.03
n_estimators: 25
                     MAE: 23591.65 Time spent in seconds to calculate: 0.08
                       MAE: 23242.59 Time spent in seconds to calculate: 0.17
n_estimators: 50
n estimators: 75
                        MAE: 22964.55
                                       Time spent in seconds to calculate: 0.25
n estimators: 100
                       MAE: 23093.06 Time spent in seconds to calculate: 0.34
n estimators: 200
                        MAE: 23007.88 Time spent in seconds to calculate: 0.65
                        MAE: 22907.49
n estimators: 500
                                       Time spent in seconds to calculate: 1.66
                       MAE: 22909.57
                                      Time spent in seconds to calculate: 3.26
n estimators: 1000
n_estimators: 2000
                        MAE: 22897.42 Time spent in seconds to calculate: 6.45
n estimators: 5000
                        MAE: 22946.20 Time spent in seconds to calculate: 16.47
The best fit is an n_estimators value of 2000 with an MAE of 22897.42, and a time spent calculating of 6.45
               SalePrice
0
     1461 121550.027500
1
     1462 155215.732000
2
     1463 183307.725500
     1464 178695.345000
3
4
     1465 187554.218500
     1466 182530.208500
5
6
     1467 172034.398500
     1468
           174431.388500
     1469 190225.981500
8
9
     1470 115569.656000
10
     1471 189907.909000
11
     1472
           93429.728571
12
     1473
            90885.108333
13
     1474 144861.007000
14
     1475 125732.668405
15
     1476 323603.639000
           245513.105500
16
     1477
17
     1478 276044.833000
18
     1479 333591.023000
     1480 453528.977500
19
20
     1481 314215.724000
     1482 203650.725500
21
22
     1483 202758.019500
           164398.395000
23
     1484
     1485 173339.290000
24
25
     1486 207448.420000
26
     1487
           282236.427000
27
     1488 250997.725500
28
     1489 199188.553500
29
     1490 238174.335500
1429 2890
            82913.205500
1430 2891
           141249.894000
1431
     2892
           103344.150000
1432 2893 120833.885357
1433 2894
            78923.921500
1434
     2895
           295954.008000
1435 2896 269585.545500
1436 2897
           197413.860000
     2898
1437
           136480.738350
1438 2899
           220304.128500
1439
     2900 160795.696167
1440
     2901
           234200.400000
1441
     2902
           191044.514500
1442 2903
           367104.007000
1443
     2904
           307746.492500
1444 2905 186885.162000
1445 2906 204407.345000
1446 2907
           120982.247000
1447 2908
           124082.240000
1448 2909 139163.404333
1449 2910
            81064.750000
1450
     2911
            93619.251786
1451 2912 149742.655000
1452 2913
            89285.183333
1453
     2914
            89145.483333
1454 2915
            83897,491667
1455 2916
           87476.200000
1456
     2917
           155757.312500
1457
     2918 124403.350000
1458 2919 227485.470000
[1459 rows x 2 columns]
```