

```

> #1. If Z is norm (mean = 0, sd = 1)
> #find P(Z > 2.64)
> pnorm(2.64)
[1] 0.9958547
> #P(Z > 2.64) = 0.9958547
> #find P(|Z| > 1.39)
> 2 *pnorm(-abs(2.64))
[1] 0.008290603
> #Suppose p = the proportion of students who are admitted to the graduate school
> #of the University of California at Berkeley, and suppose that a public relation
> #officer boasts that UCB has historically had a 40% acceptance rate for its graduate
> #school. Consider the data stored in the table UCBA admissions from 1973. Assuming
> #these observations constituted a simple random sample, are they consistent with the
> #officer's claim, or do they provide evidence that the acceptance
> #rate was significantly less than 40%?
> # Use an  $\hat{\alpha} = 0.01$  significance level.
> UCBA admissions
, , Dept = A

```

	Gender	
Admit	Male	Female
Admitted	512	89
Rejected	313	19

```
, , Dept = B
```

	Gender	
Admit	Male	Female
Admitted	353	17
Rejected	207	8

```
, , Dept = C
```

	Gender	
Admit	Male	Female
Admitted	120	202
Rejected	205	391

```
, , Dept = D
```

	Gender	
Admit	Male	Female
Admitted	138	131
Rejected	279	244

```
, , Dept = E
```

	Gender	
Admit	Male	Female
Admitted	53	94
Rejected	138	299

```
, , Dept = F
```

	Gender	
Admit	Male	Female
Admitted	22	24
Rejected	351	317

```

> rejected = 313+ 19 +207+8+205+391+279+244+138+299+351+317
> rejected
[1] 2771
> total = 512+89+313+19+353+17+207+8+120+202+205+391+138+131+279+244+53+94+1
38+299+22+24+351+317
> total
[1] 4526
> pbar = 1 - rejected/total
> pbar
[1] 0.3877596
> numerator = (pbar-0.4)
> denominator = sqrt((0.4*0.6)/4526)
> #As significance level is alpha = 0.01 critical value of z is -2.326
> #Calculated value of z in proportions is z= (pbar-p)/sqrt((p(1-p))/n)
> zcalc = numerator/denominator
> zcalc
[1] -1.680919
>
>
> #Hence as zcalc is -1.680919. Hence as value does not lie in the rejection
region

```