```
(A)(1)(\Z.Z (\x.x)(\x.\x,\x,\x,\z.Z(x y)x) (\x.\x,x) (\xz.\s.s(sz))
             = = [\(\lambda \times \lambda \lambda \times \lambda \lambda \lambda \times \lambda \lambda \times \lambda \lambda \times \lambda \lambda \times \lambda \ti
            -> (1x.1y.x) (1x.x) (1x.1y.12.2(xy)x) (12.15.5(52))
            > (Ay.x)[x:= 1x.x] (1x. Ay. 12. z(xy)x) (12.15. 5(5 z))
           -> (//Y. /x. x) (/x. /y. /z. z(x y) x) (/ 3. /s. s (5 =))
           -> (Xx.x) (X Z. Xs. 5 (5Z))
            -> × [x:= 17. 15. 5(57))
            -> 12.1s. 5 (52)
   (2)
                  1 x.x ((12. 15. 5 (5 2)) (2 y. y) (2y.y)
          = 1 ((As. 5 (S Z)) (2:= 1,y) (Axy))
         -> 1x. x ( (1xs. s (5 (1/4))) (1/4.4))
         Tr.xx ( ( $ (5 (1/4)) [5 = (1/4)])
        -> Xx x ( (Xx,y) ((Xx,y) (Xx,y)))
       3 / x.x (//y)
(AZ)
     61. G= Nfx. f(f(f(f(f x))))
    (2)
                   A+C2 G=(Xxypq·xp(ypq)) (Xfx.f(fx)) (Xfx.f(f(fx)))
                                   ->(Xypq. xp(ypa)) [x:=(Xfx.f(fx)) (Xfx. f(f(fx)))
                                    = (\lambda \gamma \rho q. (\lambda f \times f(f \times f)) \rho (\gamma \rho q)) (\lambda f \times f(f(f \times f)))
                                   -> (Apa (Afx.f(fx)) p (ypq)) [Y:= (Afx.f(f(fx)))
                                    = (\lambda \rho q. (\lambda f \times f(f \times)) \rho ((\lambda f \times f(f(f \times))) \rho q)))
                                  => Apq. (Ax. F(fx)) [f:=p] ( (Afx. f(f(fx))) p q)))
                                   = \lambda_{pq}. (\lambda_{\times} \cdot p(p_{\times})) (\lambda_{f} \times -f(f(f_{\times}))) p_{q})
                                 ->>pq. (p(px)) [x:> ((\lambda f x. f (f (f x)) pa))
                                 = /pq. p(p((\lambdafx f(f(fx)))pq)
                                 -> Apg. p(p((/x. flf(fx))) [f:=p]q)
                                  = \lambda \rho q. p(\rho((\lambda \times p(\rho(\rho \times))) q)
                                   = \lambda eq. \rho (\rho (\rho (\rho (\rho q)))) => c_{5}
```

Ax G (5= (1) x y z. x(y z)) (1 fx. fx) (1 fx. fx) = (\(\gamma\) (\(\lambda\) (\(\lambda\) (\(\lambda\)) (\(\lambda\) (\(\lambda\)) = (/z. (/x.fx) ((/fx.f5x)2)) = (ys. (yx. (ytx.fxx)s)x)) = (12. (1x. ((1x. z x) x))) = (12. (1x. (25x)) = (12x. 25 x)