

# Cryptography 4/29

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## Sample Final

- We need to know the good/bad of each type of cipher
  - i.e. caesar cipher can be broken by brute force
- We need to know different methods of encryption and attack as well
  - i.e. symmetric key encryption, signature, key exchange, man in the middle, cipher text only, known plain text, etc
- We can use our book, notes, and sage. We're just not allowed to communicate with other people
- Multiple choice
  - integer factorization is believed to be hard for classical computers but it's not proved
  - integer multiplication is easy
  - gauss reduction with vectors  $(1, 4)$  and  $(2, 5)$  is  $(1, 1)$
  - To find the center lift of  $2/3$  in the ring  $\mathbb{Z}/101\mathbb{Z}$ , you need to find a number that when multiplied by 3 and mod 101 gives you 2. It is  $-33$
- We'll have 10 multiple choice questions
- Describe NTRU key generation, encryption, and decryption algorithm. We can use Sage code in the description
  - We have our book so we can look this up and just type it
  - You can copy/paste your homework if it has been a homework question
- What is a permutation cipher and why is it not safe?
  - It's a linear cipher and easy to break with linear analysis
- How can a no message attack be done on a signature after finding the inverse hash function?

$$S = H(m)^d \bmod n, S^e = H(m)m = H^{-1}(S^e)$$

- In a diffie hellman key exchange, we first need to find a large finite field  $F_p$  and its multiplicative generator  $g$ 
  - Describe the rest of the procedure
  - If  $g$  is an element with a small order, what is the risk?
    - \* Easy problem that can be found in the book
- Let  $I$  be your OU ID number as a decimal number. Let  $p =$  gigantic number. Calculate  $I^{I^I} \bmod p$

$$x = I^I \bmod p - 1, y = I^x \bmod p$$