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| **NGUYEN, Réal** | **COMP 472 SEC F** |
| **ID#27566263** | **DUE 18/11/2018** |

**MINI-PROJECT 2 REPORT**

**1. INTRODUCTION**

The purpose of this report is to analyse the performance of three machine learning algorithms using Weka, to recognise characters from the English alphabet and a subset of the Greek alphabet, along with the impact on their performance when experimenting with different hyper-parameters. This report will include an introduction to the algorithms and the hyper-parameters that I experimented with, an analysis of the data collected while experimenting, and what I have learned from this mini-project.

**2. BASIC EXPERIMENTAL SETUP**

- Describe the algorithms that you chose to experiment with. Do not re-explain the theory of ML

models we have seen in class, just indicate the hyper-parameters you used; and why you chose them.

If you selected an ML model we have not covered in class, explain in a paragraph or two how it

works and why you chose it.

- If you experimented with various parameters, explain what you did and why you did it.

- Describe any additional code that you may have written.

In this section, assume that “better performance” implies better accuracy, better precision, better recall, and better F-measure. Given the nature of this mini-project, false positives and false negatives have equal weight, that is, precision and recall have the same importance. Assume that every hyper-parameter is tested in isolation, with all the other hyper-parameters set to their default values.

Run times are negligible, unless noted. The actual results of changing the hyper-parameters will be discussed in the next section.

**2.1 Naïve Bayes Classifier**

The simplest algorithm of the three, the Naïve Bayes classifier does not have any hyper-parameters that directly affect its performance, whether negatively or positively. Thus, the model used to train the algorithm is the default one as set by Weka; used for training, validation, and testing; and used for both data sets.

**2.2 J48 Decision Tree**

Before looking at the hyper-parameters used, let us look at the choice of algorithm for the decision tree (DT). Weka has a multitude of decision tree algorithms to choose from, and J48 proved to be the most reliable in terms of performance. Being based on the C4.5 DT algorithm, it is one of the most popular machine learning algorithms, being ranked #1 in popularity according to a paper by Wu et al. (2008). Some other DT algorithms, like REP Tree, did not perform as well, or had a 0% rate of correctly identifying some classes. Notably, the Random Tree and Random Forest algorithms were very obviously overfitting the training data sets, having either 99.9% or 100% accuracy every time.

For J48’s hyper-parameters, I have experimented with all of them that are not obviously only there for convenience or bookkeeping (e.g. debug, batch size). However, I will only give details about the ones that have positively impacted J48’s performance: confidence factor, minimum number of objects, and unpruned. Note also that for DT algorithms, having a shorter DT is favourable.

The confidence factor (CF) hyper-parameter incurs more pruning the lower it is. In other words, the lower the CF is, the shorter the DT is. This will also slightly increase performance, up to a certain threshold.

The minimum number of objects (labelled minNumObj in Weka) hyper-parameter is the minimum number of instances per leaf the higher it is. Like the CF, it will increase the performance of the algorithm up to a certain threshold and will consistently reduce the size of the tree the higher it is.

The unpruned hyper-parameter leaves the DT unpruned. This will remove the confidence factor, incur a larger DT, and affect the performance. For the first data set, the performance is slightly better, for the second one, slightly worse.

The hyper-parameters for the first data set are unpruned, set to true; and the minimum number of objects, changed from the default of 2 to 3. For the second data set, the confidence factor is changed to 0.01; and the minimum number of objects is set to 4.

**2.3 Multilayer Perceptron**

Multilayer perceptrons (MLP) are much more complex than the Naïve Bayes classifier and decision trees, but the reason why I picked this algorithm is because it is known to be quite good at handling more complex problems. Both data sets have 1024 features, the first data set has 50 classes, and the second one 10; I think this is decently complex. The trade-off is that it is noticeably slower than both the Naïve Bayes classifier and decision trees: while the latter two algorithms run in merely seconds, MLP takes several minutes, sometimes hours.

The main hyper-parameters I have experimented with are the learning rate, decay, the hidden layers, and training time.

As seen in class, the learning rate is the rate at which the weights of the network are increased or decreased. There is no absolute answer to how changing this hyper-parameter affects performance, as everything the neural network is highly dependent on this.

Decay is a hyper-parameter that allows the learning rate to decrease over time, to prevent weights from getting too large. Although there should theoretically be a decay rate that determines how much the learning rate decreases, in Weka, this hyper-parameter is reduced to a Boolean option. Turning on decay does improve performance; however, the actual decay rate is unknown and cannot be modified.

The hidden layers hyper-parameter determines both the number of hidden layers and the number of nodes per layer. This is most likely the most crucial hyper-parameter in this application. Having the parameter set to 0 makes the multilayer perceptron act identically to a single layer perceptron and will not perform very well. Similarly, having too few nodes on one or multiple hidden layers will also result in bad performance. In general, the more hidden nodes, the better, but complexity and run time are significantly increased.

Training rate is the number of epochs the MLP goes through. This decreases the error rate and increases performance up to a certain threshold. Once past that threshold, the network is said to be “over-trained” and performance decreases, meaning that the network would run for longer at a loss.

For both data sets, there is one hidden layer with a = [(number of input nodes + number of output nodes) / 2] nodes. This is one of the possible wildcard values defined by Weka. a = 537 and a = 517 for data set 1 and data set 2, respectively. Both data sets go through 10 epochs of training and the only adjusted hyper-parameter is decay, which is set to true.

**3. ANALYSIS OF RESULTS**

- State the results of all your experiments. A table would be a good format here. For each method and

for each data set, show the results.

- Analyse your results. For example, does the same algorithm perform the same way for different data

sets? Why? What if you change some hyper-parameters?

*[Insert data comparison table here]*

*Refer to the spreadsheet you made. Pay attention to the metrics, the effects of the hyper-parameters, and how performance changes on different data sets. Note that DS2 is unbalanced, and thus recall and precision may be more important.*

In this section, data set 1 and data set 2 are abbreviated DS1 and DS2, respectively. Before diving into the details of each algorithm and their performance, it is important to note that DS1 is balanced and DS2 is unbalanced. The distribution for each class in DS1 is roughly equal, but the distribution for DS2 is skewed towards classes 1 (alpha) and 9 (xi). During validation, some algorithms cannot correctly predict some classes (2, 3, 6, 7; beta, sigma, lambda, omega, respectively) because there are so few instances of them. In other words, all instances of these classes are false negatives, so precision and F-measure cannot be calculated.

**3.1 Naïve Bayes Classifier**

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| **Naïve Bayes Classifier - DS1** | | | | |
|  | **Accuracy** | **Avg. Precision** | **Avg. Recall** | **Avg. F-Measure** |
| **Training** | 0.719 | 0.731 | 0.719 | 0.719 |
| **Validation** | 0.599 | 0.621 | 0.599 | 0.598 |

Table 1

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| **Naïve Bayes Classifier - DS2** | | | | |
|  | **Accuracy** | **Avg. Precision** | **Avg. Recall** | **Avg. F-Measure** |
| **Training** | 0.810 | 0.816 | 0.81 | 0.812 |
| **Validation** | 0.801 | 0.809 | 0.801 | 0.803 |

Table 2

**3.2 J48 Decision Tree**

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| **J48 - DS1** | | | | | | |
|  | **Accuracy** | **Avg. Precision** | **Avg. Recall** | **Avg. F-Measure** | **Nb. of leaves** | **Size of tree** |
| **Training (default)** | 0.861 | 0.867 | 0.861 | 0.86 | 472 | 943 |
| **Training (adjusted)** | 0.783 | 0.789 | 0.783 | 0.781 | 389 | 777 |
| **Validation (default)** | 0.344 | 0.352 | 0.344 | 0.339 | 472 | 943 |
| **Validation (adjusted)** | 0.354 | 0.381 | 0.354 | 0.347 | 389 | 777 |
| Table 3  **J48 - DS2** | | | | | | |
|  | **Accuracy** | **Avg. Precision** | **Avg. Recall** | **Avg. F-Measure** | **Nb. of leaves** | **Size of tree** |
| **Training (default)** | 0.945 | 0.945 | 0.945 | 0.945 | 495 | 989 |
| **Training (adjusted)** | 0.886 | 0.884 | 0.886 | 0.884 | 240 | 479 |
| **Validation (default)** | 0.782 | 0.784 | 0.782 | 0.782 | 495 | 989 |
| **Validation (adjusted)** | 0.792 | 0.788 | 0.792 | 0.788 | 240 | 479 |

Table 4

**3.3 Multilayer Perceptron**

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| **Multilayer Perceptron - DS1** | | | | |
|  | **Accuracy** | **Avg. Precision** | **Avg. Recall** | **Avg. F-Measure** |
| **Training (default)** | 0.846 | 0.885 | 0.846 | 0.853 |
| **Training (adjusted)** | 0.884 | 0.893 | 0.884 | 0.885 |
| **Validation (default)** | 0.595 | 0.677 | 0.595 | 0.584 |
| **Validation (adjusted)** | 0.646 | 0.682 | 0.646 | 0.644 |

Table 5

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| **Multilayer Perceptron - DS2** | | | | |
|  | **Accuracy** | **Avg. Precision** | **Avg. Recall** | **Avg. F-Measure** |
| **Training (default)** | 0.857 | ? | 0.857 | ? |
| **Training (adjusted)** | 0.981 | 0.981 | 0.981 | 0.981 |
| **Validation (default)** | 0.827 | ? | 0.827 | ? |
| **Validation (adjusted)** | 0.921 | 0.921 | 0.921 | 0.921 |

Table 6

**4. CONCLUSION AND FUTURE WORK**

Draw final conclusions from your experiments. Do these results surprise you or are they expected?

If you were to continue working on this project, what do you feel would be interesting to investigate?

Are there questions that you would like to investigate more, if you had the time and the energy?

Overfitting

**5. REFERENCES**

<https://machinelearningmastery.com/how-to-configure-the-number-of-layers-and-nodes-in-a-neural-network/>

Official Weka PDF and YouTube MOOC tutorials

Weka JavaDocs documentation

Xindong Wu; Vipin Kumar; J. Ross Quinlan; Joydeep Ghosh; Qiang Yang; Hiroshi Motoda; Geoffrey J. McLachlan; Angus Ng; Bing Liu; Philip S. Yu; Zhi-Hua Zhou; Michael Steinbach; David J. Hand; Dan Steinberg (2008) “Top 10 algorithms in data mining.” Knowledge and Information Systems vol. 14, pp 1-37.

Sam Drazin; Matt Montag “Decision Tree Analysis Using Weka.” University of Miami.

<https://stats.stackexchange.com/questions/29130/difference-between-neural-net-weight-decay-and-learning-rate>

<https://metacademy.org/graphs/concepts/weight_decay_neural_networks>