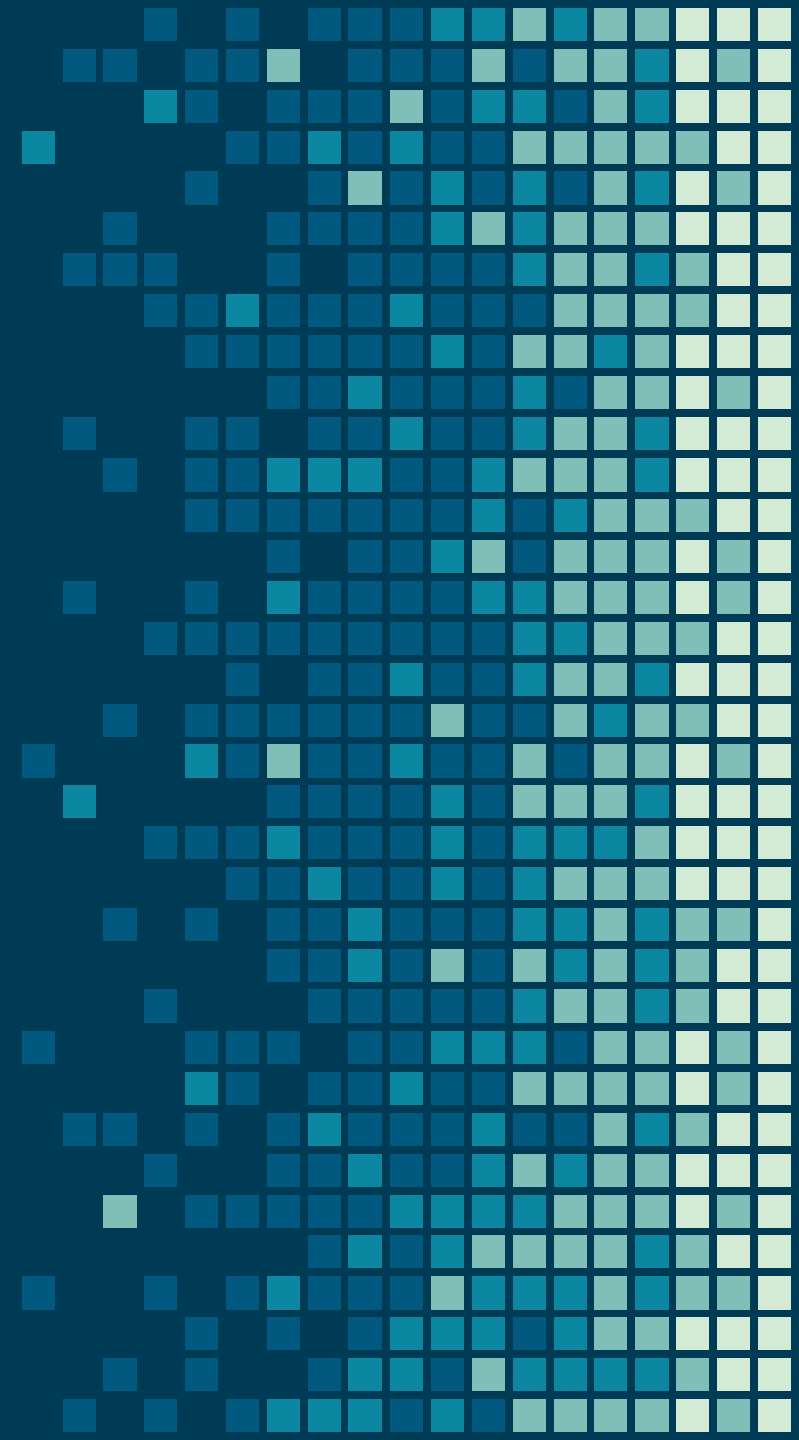


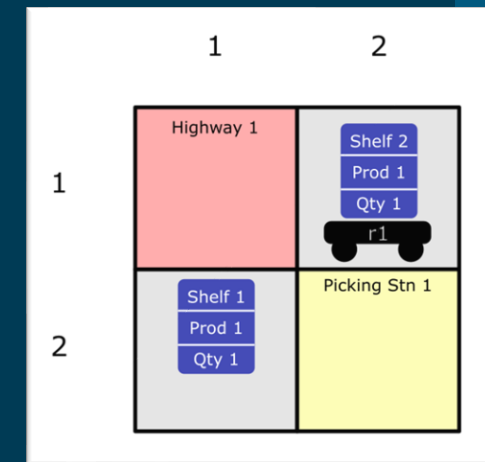
CSE 579 Group Project: Automated Warehouse Scenario

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12/8/2019



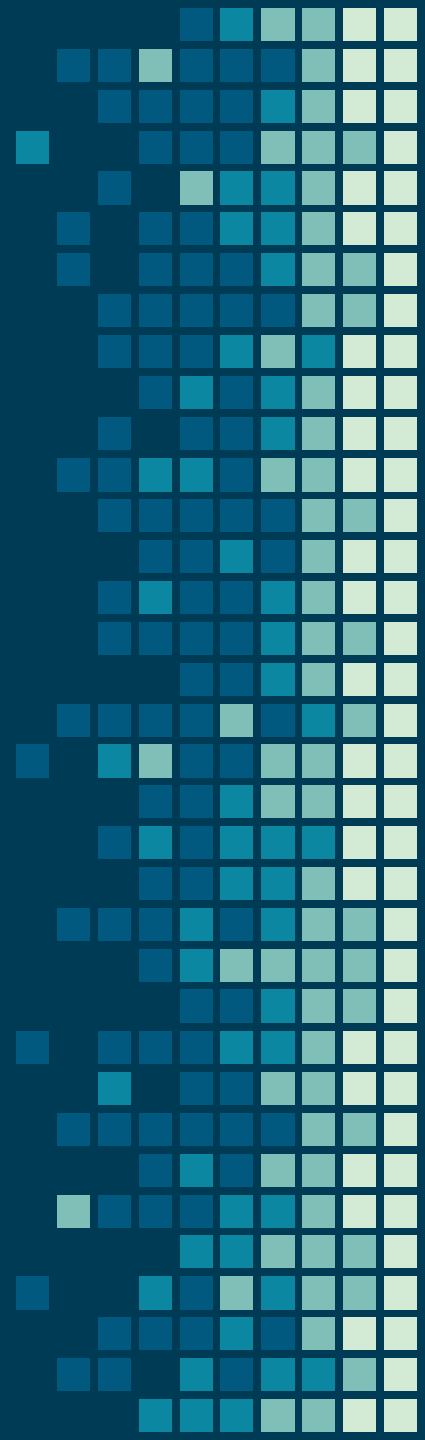
Introduction

- Automated warehouse - dynamic and more interesting
- The challenge: given a warehouse full of robots, shelves, products, highways, and picking stations, use ASP to fulfil customer orders in minimal time
- Output: robot moves and actions
- Ex. `occurs(object(robot,1),move(0,1),6)`
- Much more behind-the-scenes work with shelves, orders, highways, and deliveries



Approach

- warehouse.lp
 - Shelf, order, and product logic
 - End goal
 - Minimizing moves and time
- robotPhysics.lp
 - Robot movement
 - Moving shelves
 - Fulfilling orders



Robot Movement

Robots can move to adjacent spaces, or stand still

```
% we can "move" a robot to the same location, (commonsense law of inertia)
```

```
{object(robot,N,X,Y,T+1)} :- object(robot,N,X,Y,T), T = 0..t-1.
```

```
% effect of moving a robot. The first move is at time step 1, not 0.
```

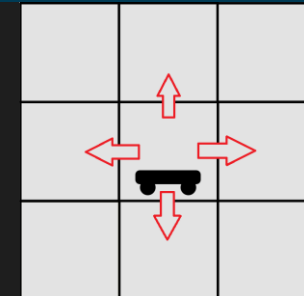
```
object(robot,N,X + DX,Y + DY, T) :- occurs(object(robot,N), move(DX,DY),T), object(robot,N,X,Y,T-1).
```

```
% these rules allow moves to be chosen. Can only move onto a valid node
```

```
actionSpace(-1;1).
```

```
{occurs(object(robot,N), move(DX, 0), T+1)}1 :- actionSpace(DX), object(robot,N,X,Y,T), object(node,NodeN,X+DX,Y), T = 0..t-1.
```

```
{occurs(object(robot,N), move(0, DY), T+1)}1 :- actionSpace(DY), object(robot,N,X,Y,T), object(node,NodeN,X,Y+DY), T = 0..t-1.
```



Robots can pick up shelves

```
% robots can pick up shelves if they are at the same location
```

```
{occurs(object(robot,RN),pickup,T)} :- object(shelf,SN,X,Y,onRobot(0),T-1), object(robot,RN,X,Y,T-1).
```

```
% effect of picking up a shelf
```

```
object(shelf,SN,X,Y,onRobot(1),T) :- occurs(object(robot,RN),pickup,T), object(robot,RN,X,Y,T-1), object(shelf,SN,X,Y,onRobot(0),T-1).
```

Robot Actions

Robots can deliver product from shelves

```
{occurs(object(robot,RobotN),deliver(OrderN,ProductN,UnitsToDeliver),T)} :- object(robot,RobotN,X,Y,T-1),
object(pickingStation,PickingStationN,X,Y), object(shelf,ShelfN,X,Y,onRobot(1),T-1),    % the robot must be at the pickingstation location carrying a shelf
object(order,OrderN,PickingStationN,fulfilled(0,T-1)),    % the order must be unfulfilled and we need the right pickingstation
object(order,OrderN,ProductN,UnitsNeeded,T-1),    % the needed number of units for this product on this order
object(product,ProductN,ShelfN,UnitsOnShelf,T-1),    % the product number must match,
UnitsNeeded > 0, UnitsOnShelf > 0,
(UnitsOnShelf - UnitsNeeded) >= 0,
UnitsToDeliver = UnitsNeeded.
```

Robots can put down shelves

```
% robots have the ability to put down shelves
{occurs(object(robot,RN),putdown,T)} :- object(shelf,SN,X,Y,onRobot(1),T-1), object(robot,RN,X,Y,T-1).
% effect of putting down a shelf
object(shelf,SN,X,Y,onRobot(0),T) :- occurs(object(robot,RN),putdown,T), object(robot,RN,X,Y,T-1),
object(shelf,SN,X,Y,onRobot(1),T-1).
```

End goal

At the final timestep, all orders must be fulfilled

```
% end goal: have all orders filled  
:- not object(order,OrderN,PickingStationN,fulfilled(1,t)), init(object(order,OrderN),value(pickingStation,PickingStationN)).
```

Minimize timeCount to get the optimal plan

```
timeCount(N) :- #count{T: occurs(object(robot,RN), Action, T)} = N.  
#minimize{T: timeCount(T)}.
```

Results

Satisfying all 5 instances! 🎉

1. Find minimal time

```
#const t=13.  
#minimize{T: timeCount(T)}.
```

```
(clingo) clingo warehouse.lp robotPhysics.lp inst5.lp  
clingo version 5.4.0  
Reading from warehouse.lp ...  
Solving...  
Answer: 1  
  
Optimization: 12  
Answer: 2  
  
Optimization: 11  
Answer: 3  
  
Optimization: 10  
Answer: 4  
  
Optimization: 9  
Answer: 5  
  
Optimization: 8  
Answer: 6  
  
Optimization: 7  
Answer: 7  
  
Optimization: 6  
OPTIMUM FOUND  
  
Models          : 7  
  Optimum       : yes  
Optimization    : 6  
Calls           : 1  
Time            : 16.549s (Solving: 14.62s 1st Model: 0.44s Unsat: 13.77s)  
CPU Time        : 15.453s
```

Results Cont.

Satisfying all 5 instances! 🎉

2. Find minimal actions for a specific time

```
#const t=6.  
#minimize{X: actionCount(X)}.
```

```
(clingo) clingo warehouse.lp robotPhysics.lp inst5.lp  
clingo version 5.4.0  
Reading from warehouse.lp ...  
Solving...  
Answer: 1  
occurs(object(robot,2),move(-1,0),1) occurs(object(robot,1),move(-1,0),1)  
  occurs(object(robot,1),move(-1,0),2) occurs(object(robot,2),move(0,1),3)  
  occurs(object(robot,2),move(0,-1),5) occurs(object(robot,1),move(-1,0),5)  
) occurs(object(robot,2),pickup,2) occurs(object(robot,1),pickup,4) occur  
s(object(robot,2),deliver(1,3,4),4) occurs(object(robot,1),deliver(1,1,1)  
,6)  
Optimization: 10  
OPTIMUM FOUND  
  
Models      : 1  
  Optimum   : yes  
Optimization: 10  
Calls       : 1  
Time        : 0.112s (Solving: 0.02s 1st Model: 0.01s Unsat: 0.00s)  
CPU Time    : 0.094s
```


Conclusion

- The team verified all results with Inkscape
- We are happy that all instances are satisfied
- Start earlier
- Become more confident with git
- git diff robotPhysics.lp

occurs(object(robot,2),move(0,-1),6)
occurs(object(robot,1),move(1,0),6)



Order 1, picking stn 1
product 2, 1 units

Order 2, picking stn 2
product 4, 0 units

occurs(object(robot,2),deliver(1,2,1),7)



Order 1, picking stn 1
product 2, 0 units

Order 2, picking stn 2
product 4, 0 units