

EXPERIMENT 07

CLASS: TE CMPN A
NAME: REBECCA DIAS

ROLL NO. : 19
PID: 182027

Aim: To find the first and follow sets of a given grammar.

Theory:

What are first and follow sets?

The construction of a predictive parser is aided by two functions associated with a grammar G . These functions, FIRST and FOLLOW, allow us to fill in the entries of a predictive parsing table for G .

Rules to compute FIRST set:

1. If x is a terminal, then $\text{FIRST}(x) = \{ 'x' \}$
2. If $x \rightarrow \epsilon$, is a production rule, then add ϵ to $\text{FIRST}(x)$.
3. If $X \rightarrow Y_1 Y_2 Y_3 \dots Y_n$ is a production,
 1. $\text{FIRST}(X) = \text{FIRST}(Y_1)$
 2. If $\text{FIRST}(Y_1)$ contains ϵ then $\text{FIRST}(X) = \{ \text{FIRST}(Y_1) - \epsilon \} \cup \{ \text{FIRST}(Y_2) \}$
 3. If $\text{FIRST}(Y_i)$ contains ϵ for all $i = 1$ to n , then add ϵ to $\text{FIRST}(X)$.

Rules to compute FOLLOW set:

1. $\text{FOLLOW}(S) = \{ \$ \}$, where S is the starting Non-Terminal
2. If $A \rightarrow pBq$ is a production, where p , B and q are any grammar symbols, then everything in $\text{FIRST}(q)$ except ϵ is in $\text{FOLLOW}(B)$.
3. If $A \rightarrow pB$ is a production, then everything in $\text{FOLLOW}(A)$ is in $\text{FOLLOW}(B)$.
4. If $A \rightarrow pBq$ is a production and $\text{FIRST}(q)$ contains ϵ , then $\text{FOLLOW}(B)$ contains $\{ \text{FIRST}(q) - \epsilon \} \cup \text{FOLLOW}(A)$

How are these sets used by the parser?

To check if given grammar is LL(1) or not, we need to construct a parse table.

This table can be constructed using FIRST and FOLLOW sets. Given below are the rules on how to construct the parse table using FIRST and FOLLOW sets –

For each production $X \rightarrow \alpha$

- for each terminal t in $\text{First}(\alpha)$: put α in $\text{table}[X, t]$
- if ϵ is in $\text{First}(\alpha)$ then:
 - for each terminal t in $\text{Follow}(X)$: put α in $\text{table}[X, t]$

The grammar is not LL(1) if and only if there is more than one entry for any cell in the table.

Find the FIRST and FOLLOW of a grammar –

g

$S \rightarrow aBDh$

$B \rightarrow cC$

$C \rightarrow bc \mid \epsilon$

$D \rightarrow \epsilon F$

$E \rightarrow g \mid \epsilon$

First

Follow

S

a

\$

B

c

g, b, h

C

b, ϵ

g, b, h

D

g, b, ϵ

h

E

g, ϵ

b, h

F

b, F

h

no \$, b, h
not produce
by S

Rule 2a

Implementation:

Pseudo code

Rebecca Dias 19

FIRST

For a production $A \rightarrow \alpha$

i) If x is a terminal

$$\text{First}(A) = x$$

ii) If x is a non-terminal

a) If x is the last symbol in the production

$$\text{FIRST}(A) = \text{First}(x)$$

b) Else,

$$\text{First}(A) = [\text{First}(x) - \epsilon] \cup \text{First}$$

Note: $\text{First}(\text{terminal}) = \{\text{terminal}\}$

Follow

For a production $A \rightarrow BX$

i) Place ϕ in the follow(s)

(assume s is the start symbol)

ii) If x is a terminal

$$\text{Follow}(B) = x$$

iii) If $\text{First}(x)$ contains ϵ and x is a NT

$$\text{Follow}(B) = \{\text{First}(x) \cup \text{Follow}(A)\}$$

iv) If x is a non-terminal,

$$\text{Follow}(B) = \text{First}(x)$$

CODE:

```
print("If\n\tA->abc|epsilon\n\tB->pqr\nthen,\n\tNumber of unique non-  
terminals on LHS=2\n\tnon-terminal number 1: A\n\tnon-  
terminal number 2: B\n\tRHS for non-terminal 1: abc|epsilon\n\tRHS for non-  
terminal 2: pqr")  
print("-"*55)  
num=int(input("Enter the number of unique non-terminals on LHS: "))  
nt_list=[]  
production_list=[]  
first_list=[]  
follow_list=[]  
for i in range(num):  
    nt=input(f"Enter non-terminal number {i+1}: ")  
    production=input(f"Enter RHS for non-terminal number {i+1}: ")  
    nt_list.append(nt)  
    production_list.append(production)  
    first_list.append([])  
    follow_list.append([])  
follow_list[0].append('$')  
  
def nt_present(f_list,production,index,j):  
    for first_value in first_list[index]:  
        if (first_value=="epsilon"):  
            if (j==len(production)-1):  
                f_list.append("epsilon")  
            elif (production[j+1] in nt_list):  
                nt_present(f_list,production,nt_list.index(production[j+1]),j+1)  
            elif (production[j+1] not in nt_list):  
                f_list.append(production[j+1])  
        else:  
            f_list.append(first_value)  
    return  
  
for i in reversed(range(num)):  
    nt=nt_list[i]  
    productions=production_list[i]  
    t_productions=productions.split("|")  
    j=0  
    for production in t_productions:  
        if (production=="epsilon"):  
            first_list[i].append(production)  
            continue  
        elif (production[j] not in nt_list):  
            first_list[i].append(production[j])  
        else:  
            index=nt_list.index(production[j])  
            nt_present(first_list[i],production,index,j)  
  
def follow_nt_present(p_idx,f_list,production,j):  
    nt_index=nt_list.index(production[j])  
    for first in first_list[nt_index]:
```

```

        if (first=="epsilon"):
            if (j==len(production)-1):
                for follow in follow_list[p_idx]:
                    f_list.append(follow)
            elif (production[j+1] not in nt_list):
                f_list.append(production[j+1])
            else:
                follow_nt_present(p_idx,f_list,production,j+1)
        else:
            f_list.append(first)
    return

for prod_idx,productions in enumerate(production_list):
    for production in productions.split("|"):
        if (production=="epsilon"):
            continue
        else:
            for j in range(len(production)):
                if (production[j] in nt_list):
                    nt_index=nt_list.index(production[j])
                    if (j==len(production)-1):
                        if (nt_index==prod_idx):
                            continue
                        for follow_value in follow_list[prod_idx]:
                            follow_list[nt_index].append(follow_value)
                    elif (production[j+1] not in nt_list):
                        follow_list[nt_index].append(production[j+1])
                    else:
                        follow_nt_present(prod_idx,follow_list[nt_index],production,j+1)

print("-"*55)
for i in range(num):
    print(f"{nt_list[i]}\tFIRST: {first_list[i]}\tFOLLOW: {follow_list[i]}")

```


OUTPUT:

```
PS E:\SEM6\SPCC> cd 'e:\SEM6\SPCC'; & 'C:\Users\Rebecca\AppData\Local\Microsoft\Windows\apps\python\python-2020.9.114305\pythonFiles\lib\python\debug\python.exe' If
    A->abc|epsilon
    B->pqr
then,
    Number of unique non-terminals on LHS=2
    non-terminal number 1: A
    non-terminal number 2: B
    RHS for non-terminal 1: abc|epsilon
    RHS for non-terminal 2: pqr
-----
Enter the number of unique non-terminals on LHS: 6
Enter non-terminal number 1: S
Enter RHS for non-terminal number 1: aBDh
Enter non-terminal number 2: B
Enter RHS for non-terminal number 2: cC
Enter non-terminal number 3: C
Enter RHS for non-terminal number 3: bC|epsilon
Enter non-terminal number 4: D
Enter RHS for non-terminal number 4: EF
Enter non-terminal number 5: E
Enter RHS for non-terminal number 5: g|epsilon
Enter non-terminal number 6: F
Enter RHS for non-terminal number 6: f|epsilon
-----
S      FIRST: ['a']      FOLLOW: ['$']
B      FIRST: ['c']      FOLLOW: ['g', 'f', 'h']
C      FIRST: ['b', 'epsilon'] FOLLOW: ['g', 'f', 'h']
D      FIRST: ['g', 'f', 'epsilon'] FOLLOW: ['h']
E      FIRST: ['g', 'epsilon'] FOLLOW: ['f', 'h']
F      FIRST: ['f', 'epsilon'] FOLLOW: ['h']
```

CONCLUSION:

The first and follow sets can be found for any given grammar.