

Sum using postions

Algorithim sumHelper(L,p)

```
If L.isLast(p) then      1
    return p.element();  1
    s:=sumHelper(L,L.after(p)).  n
return s+p.element();    n
O(n)
```

Algorithim sum(L)

```
If(L.isEmpty()) then return 0.    1
return sumHelper(L,L.first());    1
```

This is Big O of O(n)

```
/** sum using postion traversal Js code*/
function sum(L){
    return sumHelper(L,L.first())
}
function sumHelper(L,p){
    if(L.isLast(p)) return p.element()
    return
    p.element()+sumHelper(L,L.after(p))
}
```

Sum Using Rank

	Sequance	List
Algorithim sumHelper(L,i).		
If L.size()==i then return 0.	1	1
return L.elemAtRank(i)+ sumHelper(L,i=i+1)	n	$n(n+1)/2$

Algorithim sum(L).		
If(L.size()===0) return 0;	1	1
Return sumHelper(L,0)	1	1

Big O of this using Sequance is $O(n)$

Big O of this using List is $O(n^2)$

```
/** sum using rank traversal Js code*/
function sum(L){
  if(L.size()===0) return 0;
  return sumHelper(L,0)
}
function sumHelper(L,i){
  if(i==L.size()) return 0
  return
L.elemAtRank(i)+sumHelper(L,i=i+1)
}
```

Find maximum using postion

Algorithim findMaxHelper(L,p,max)

if L.isLast(p) then return max.	1
else if (p.element())>max).	1
max=p.element().	1
return findMaxHelper(L,L.after(p),max).	n

Algorithim findMax(L).

p:=L.first()	1
return findMaxHelper(L,L.after(p),p.element())	1

```
/** Find maximum using postion */
function findMax(L){
    let p=L.first()
    return findMaxHelper(L,L.after(p),p.element())
}
function findMaxHelper(L,p,max){
    if(L.isLast(p)) return max
    else if(p.element()>max)
        max=p.element();
    return findMaxHelper(L,L.after(p),max)
}
```

Find maximum using rank

Algorithm	Sequence	List
Algorithm findMaxHelper(L,i,max).		
if(i===L.size()) return max.	1.	1
else if max<L.elemAtRank(i)	1	1
max:=L.elemAtRank(i)	n	$n(n+1)/2$
return findMaxHelper(L,i=i+1,max)	n	n

Algorithm findMax(L)

If L.size()===0 throw Error("empty list")	1	1
Return findMaxHelper(L,1,L.elemAtRank(0)).	1	1

Big O of findMAX using sequence $O(n)$

Big O of findMAX using List $O(n^2)$

```

/** Find maximum using Rank Js code*/
function findMax(L){
  if(L.size()===0) throw Error("empty list")
  return findMaxHelper(L,1,L.elemAtRank(0))
}
function findMaxHelper(L,i,max){
  if(i===L.size())
    return max
  else if(max<L.elemAtRank(i))
    max=L.elemAtRank(i)
  return findMaxHelper(L,i=i+1,max)
}

```

```

Algorithm sub subSetHelper(n,set,subset,start)
    Set.push(subset)                                n
For(let i=start;i<=n;i++)                          n
    subset.push(i)
    subSetHelper(n,set,subset,start=start+1)        n*2^n
    subset.pop()                                    n

```

```

Algorithm subOfSubSet(L)
    set:=[];                                         1
    subset:=[]                                       1
    subSetHelper(n,set,subset,1)                   1
    return set                                       1

```

over all Big o of this is $O(n*2^n)$

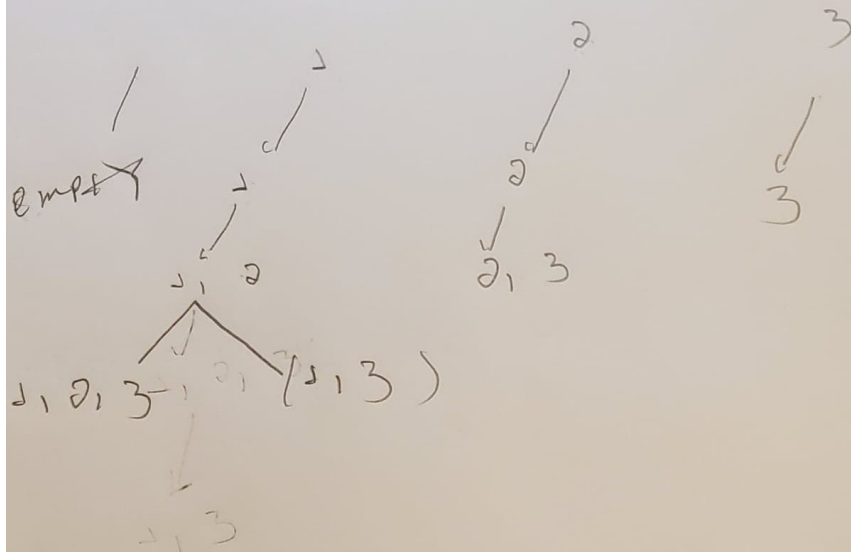
```

function setOfSubsets(n) {
    let set = [];
    let subSet = [];
    subSetHelper(n, set, subSet, 1);
    return set;
}
function subSetHelper(n, set, subSet, start) {
    set.push(subSet);
    for (let i = start; i <= n; i++) {
        subSet.push(i);
        subSetHelper(n, set, subSet, start+=1);
        subSet.pop();
    }
}

```

for example

subset (3)



empty, {1}, {1, 2}, {1, 2, 3}, {1, 3}, {2},
{2, 3}, {3}

Total - 8 - subsets for $n = 3$

so that for n we have 2^n subsets