

Matrice di avvitanento $A_v(z, \theta, d), A_v(x, \alpha, a)$

Maxima 5.44.0 <http://maxima.sourceforge.net>

using Lisp SBCL 2.0.0

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Dedicated to the memory of William Schelter.

The function bug_report() provides bug reporting information.

```
(%i1) inverseLaplace(SI,theta):=block([res],
    M:SI,
    MC:SI,
    for i:1 thru 3 do
        for j:1 thru 3 do
            (
                aC:M[i,j],
                b:ilt(aC,s,theta),
                MC[i,j]:b
            )
        ),
    res:MC
)

(%o1) inverseLaplace(SI,  $\vartheta$ ) := block ([res], M: SI, MC: SI, for i thru 3 do for j thru 3 do (aC:
 $M_{i,j}$ , b: ilt(aC, s,  $\vartheta$ ),  $MC_{i,j}$ : b), res: MC)

(%i2) rotLaplace(k,theta):=block([res],
    S:ident(3),
    I:ident(3),
    for i:1 thru 3 do
        (
            for j:1 thru 3 do
                (
                    if i=j
                        then S[i][j]:0
                    elseif j>i
                        then (
                            temp:(-1)^(j-i)*k[3-remainder(i+j,3)],
                            S[i][j]:temp,
                            S[j][i]:-temp
                        )
                )
            )
        ),
    res:inverseLaplace(invert(s*I-S),theta)
)

(%o2) rotLaplace( $k, \vartheta$ ) := block ([res], S: ident(3), I: ident(3),
for i thru 3 do for j thru 3 do if i = j then ( $S_{ij}$ : 0 elseif  $j > i$  then (temp:
 $(-1)^{j-i} k_{3-\text{remainder}(i+j,3)}$ , ( $S_{ij}$ : temp, ( $S_{ji}$ : -temp), res: inverseLaplace(invert( $sI - S$ ),  $\vartheta$ ))
```

```
(%i3) Av(v,theta,d):=block([res],
    Trot:rotLaplace(v,theta),
    row:matrix([0,0,0,1]),
    Atemp:addcol(Trot,d*transpose(v)),
    A:addrow(Atemp,row),
    res:trigsimp(trigrat(trigreduce(trigexpand(A))))
)
```

(%o3) $Av(v, \vartheta, d) := \mathbf{block}([res], \text{Trot: rotLaplace}(v, \vartheta), \text{row: } \begin{pmatrix} 0 & 0 & 0 & 1 \end{pmatrix}, \text{Atemp: addcol}(\text{Trot}, d \text{ transpose}(v)), \text{A: addrow}(\text{Atemp}, \text{row}), \text{res: trigsimp}(\text{trigrat}(\text{trigreduce}(\text{trigexpand}(A))))$

```
(%i4) A[z](theta,d):=Av([0,0,1],theta,d);
```

```
(%o4)  $A_z(\vartheta, d) := Av([0, 0, 1], \vartheta, d)$ 
```

Matrice di avvitamento $A_v(z, \theta, d)$:

```
(%i5) A[z](theta,d);
```

(%o5)
$$\begin{pmatrix} \cos(\vartheta) & -\sin(\vartheta) & 0 & 0 \\ \sin(\vartheta) & \cos(\vartheta) & 0 & 0 \\ 0 & 0 & 1 & d \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

Matrice di avvitamento $A_v(x, \theta, d)$

```
(%i6) A[x](alpha,a):=Av([1,0,0],alpha,a);
```

```
(%o6)  $A_x(\alpha, a) := Av([1, 0, 0], \alpha, a)$ 
```

```
(%i7) A[x](alpha,a);
```

(%o7)
$$\begin{pmatrix} 1 & 0 & 0 & a \\ 0 & \cos(\alpha) & -\sin(\alpha) & 0 \\ 0 & \sin(\alpha) & \cos(\alpha) & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

```
(%i8)
```