### CSCI 466: Networks

Network Security (Message Confidentiality)

Reese Pearsall Fall 2023

\*All images are stolen from the internet

#### **Announcements**

PA4 and Wireshark Lab 4 are posted

6 Labs → 5 labs (The last lab will be *very* easy)

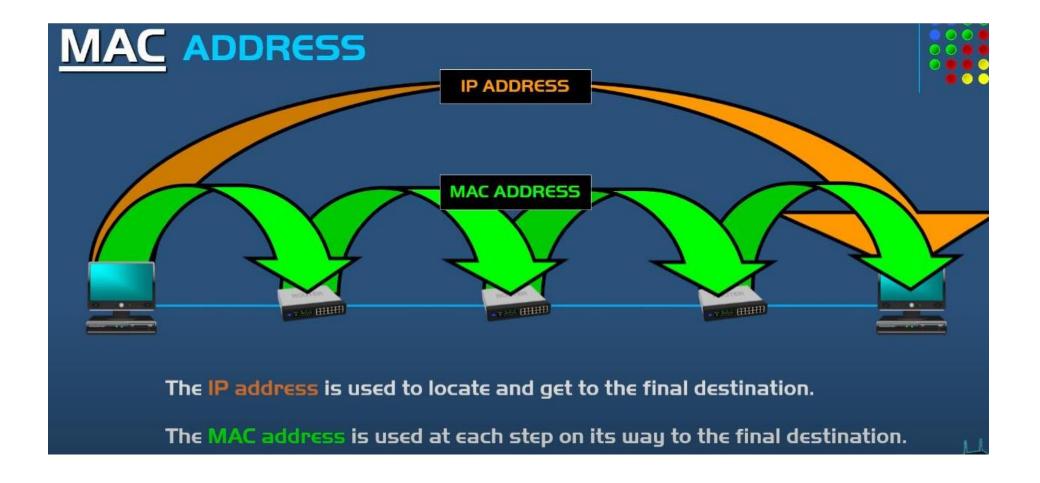
The final exam/quiz will take place the Friday before finals weeks (December 8<sup>th</sup>). In person exam

You need the MAC address for each host/node being visited as you are forwarding a packet.









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Programming Assignment 4

Wireshark Lab 4

#### Goal:

Two parties (Bob) and (Alice) want to communicate securely

#### Principles of secure communication

- 1. Confidentiality only the sender and receiver should be able to understand the contents of the transmitted message
- 2. Message Integrity the contents of the message have not been altered (maliciously or by accident)
- **3. Authentication** Both the sender and receiver should be able to confirm the identity of the other party involved in communication
- **4. Authorization-** Should a user be allowed to do such action?

**Operational Security-** Infrastructure to help prevent hosts/networks from getting compromised (Firewalls, VPNs, etc)





#### Confidentiality

Data is kept private, secret, and secure, only to be accessed by specific parties.



#### Integrity

Data and the security around it is consistent, accurate, and reliable.



#### **Availability**

Systems and applications remain available unless compromised in an attack.

#### Principles of Cryptography

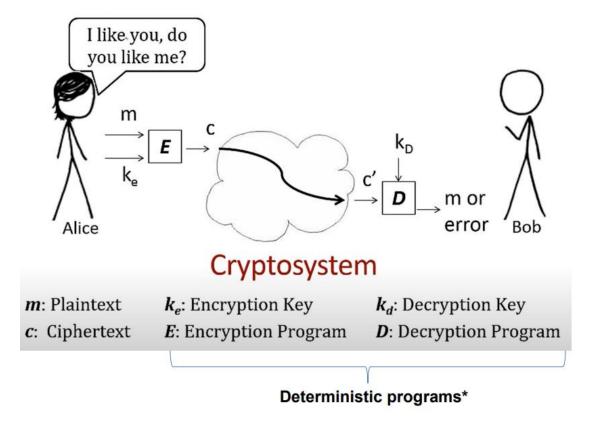
**Goal**: Only the sender and intended receiver should be able to understand the contents of a transmitted message (confidentiality), so sender must find a way to **encrypt** his message

# Secure sender Control, data messages Secure receiver Channel Trudy

(Trudy could steal information, modify information, or **spoof** her own message)

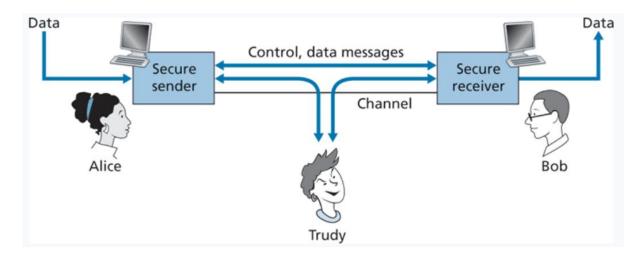
#### **Presentation Layer**

#### **Session Layer**



#### Principles of Cryptography

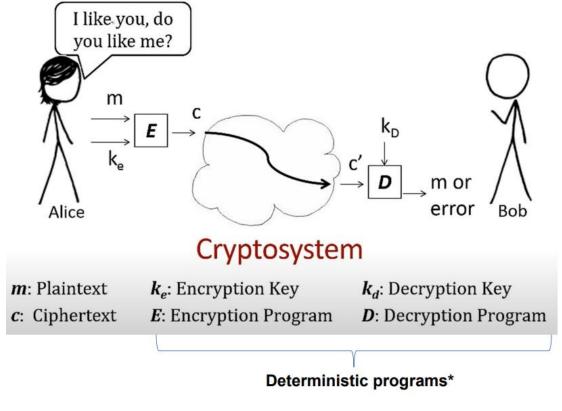
**Goal**: Only the sender and intended receiver should be able to understand the contents of a transmitted message (confidentiality), so sender must find a way to **encrypt** his message



\*We also need to make sure that the message is not tampered with before arrival (message integrity) and that both parties can identify each other (authentication)

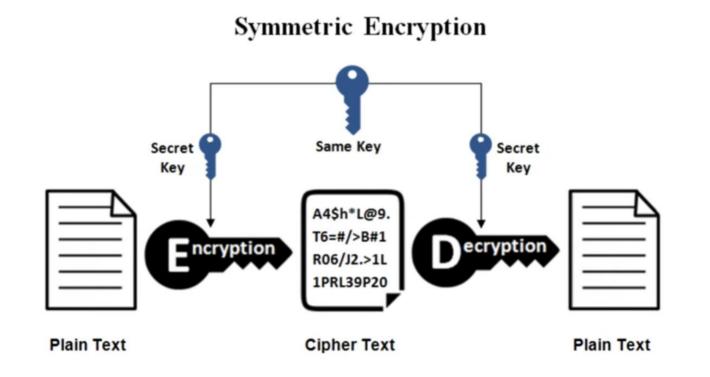
#### **Presentation Layer**

#### **Session Layer**



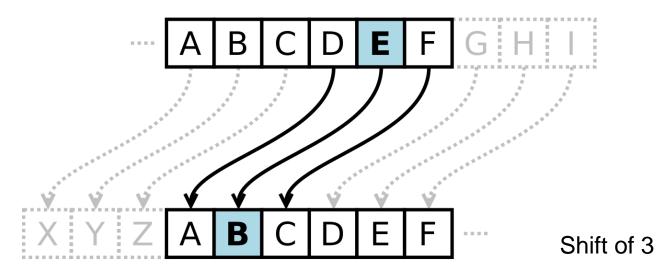
#### Symmetric Key Cryptography

**Symmetric Key Cryptography** is a type of encryption where only one key (a secret key) is used to both encrypt and decrypt electronic information



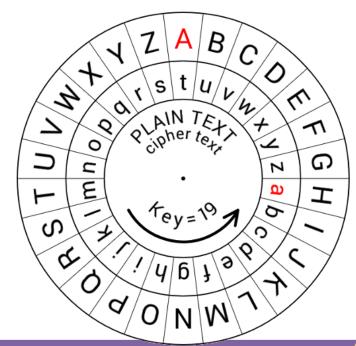
#### **Early Symmetric Key Cryptography**

Caesar Cipher- Each letter in plaintext is replaced by a letter some *fixed number* of positions down the alphabet



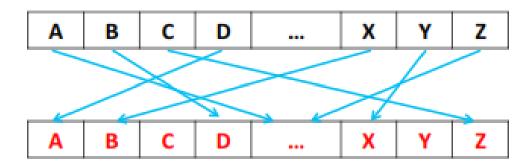
Brown Lazy Fox → Eurzq Odcb Ira

If you did not know the key, how difficult would it be to crack a Caesar cipher?



#### **Early Symmetric Key Cryptography**

Monolithic Substitution
Cipher- each letter of the plain
text is replaced with another
letter of the alphabet (no fixed
length position)



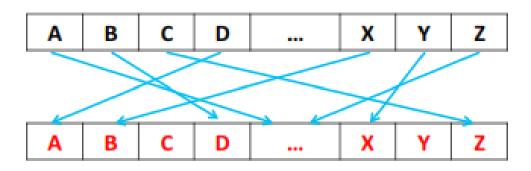
What does a key look like?

26-Characters "EABZTIVGSKXFJPYCDWONMHQLRU"

If we don't know the key, how difficult would it be to **brute force** this?

#### **Early Symmetric Key Cryptography**

Monolithic Substitution
Cipher- each letter of the plain
text is replaced with another
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What does a key look like?

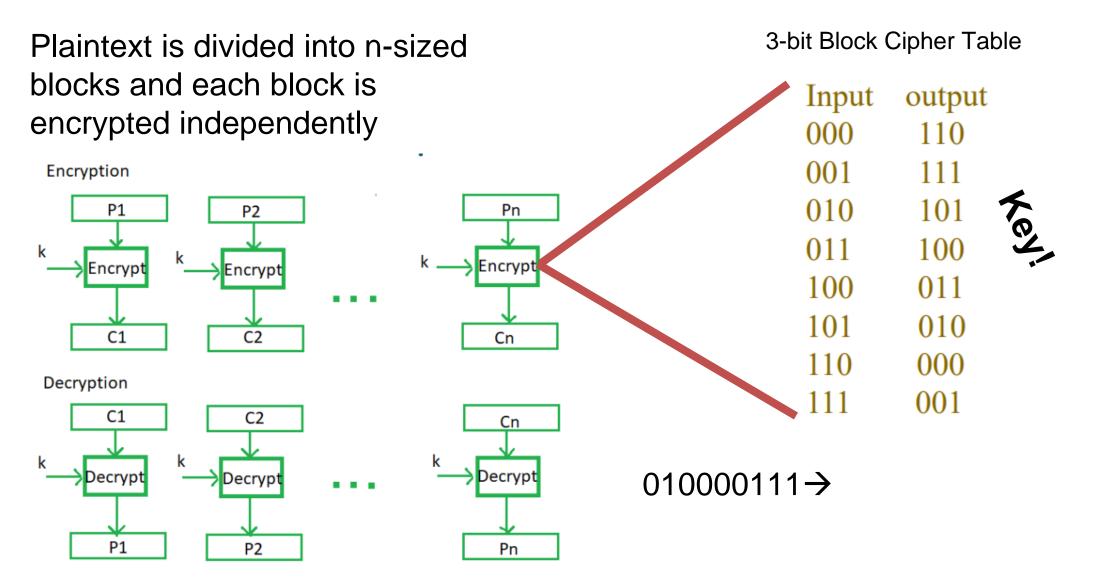
26-Characters "EABZTIVGSKXFJPYCDWONMHQLRU"

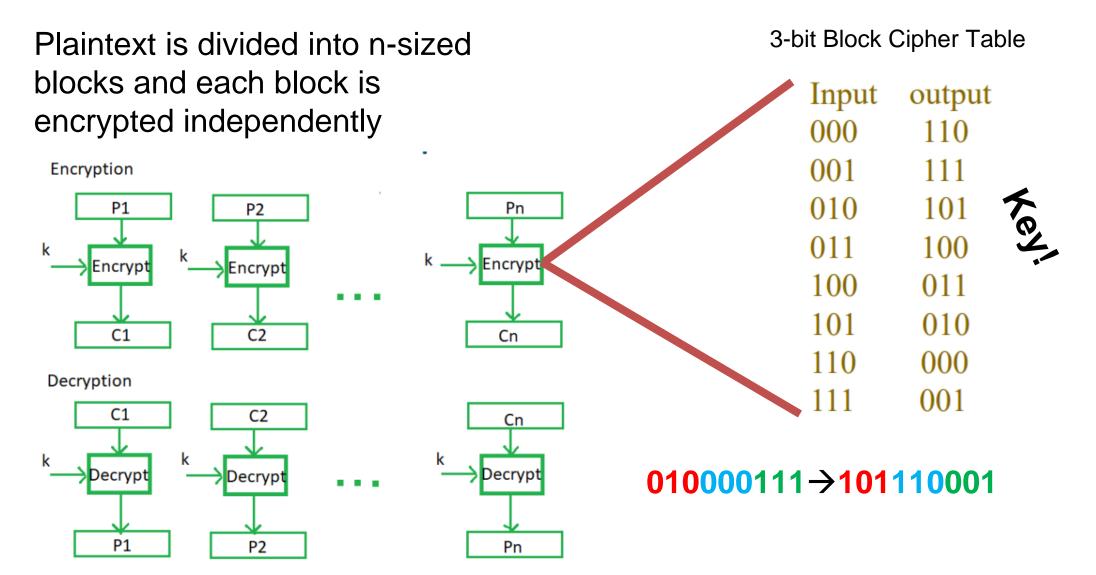
If we don't know the key, how difficult would it be to **brute force** this?

**26!** Possible permutations

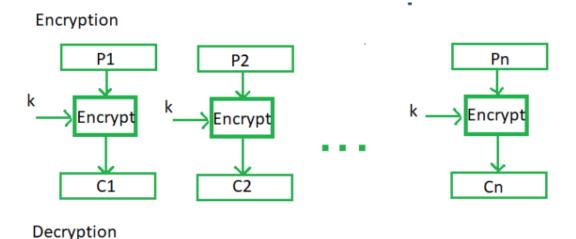
However, we can leverage the fact that certain characters appear more commonly in the English language (a, e, i, t, r) to make guessing *much* easier

(frequency analysis)





Plaintext is divided into n-sized blocks and each block is encrypted independently



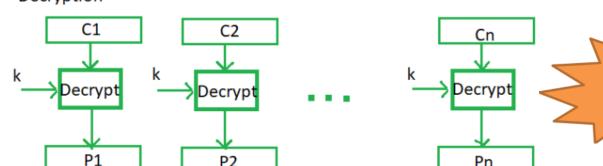
 $010000111 \rightarrow 101110001$ 

Typically, the block sizes are going to be 64 bits or even larger

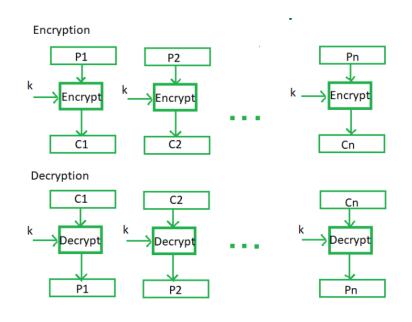
# of mappings general formula: 2<sup>k</sup>!

**Important** 

**Properties** 



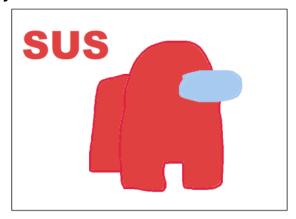
- Even small differences in plaintext result in different ciphertexts
- Blocks in plaintext that are the same will also have matching ciphertexts

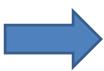


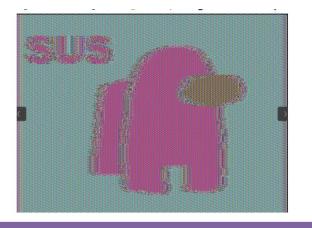


- Even small differences in plaintext result in different ciphertexts
- Blocks in plaintext that are the same will also have matching ciphertexts

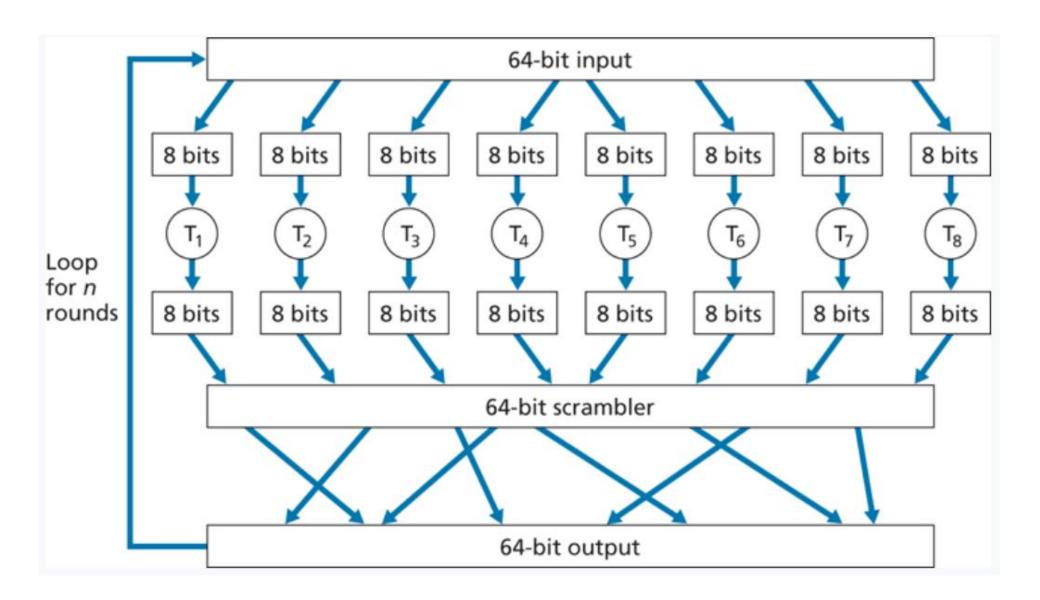
#### If identical keys are used:



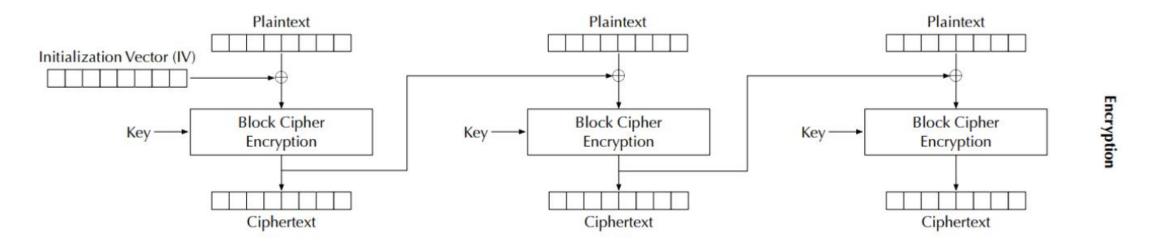




Think about storing table information for 64 block size 😊



#### **Cipher Block Chaining (CBC) Mode**



Introduces block dependency  $C_i = E_K(P_i \oplus C_{i-1})$ 

$$C_i = E_K(P_i \oplus C_{i-1})$$

Rather than using predetermined tables, block ciphers usually use some type of **function** that simulate randomly permutated tables

Introduces an initialization vector (IV) to ensure that even if two plaintexts are identical, their ciphertexts are still different because different IVs will be used

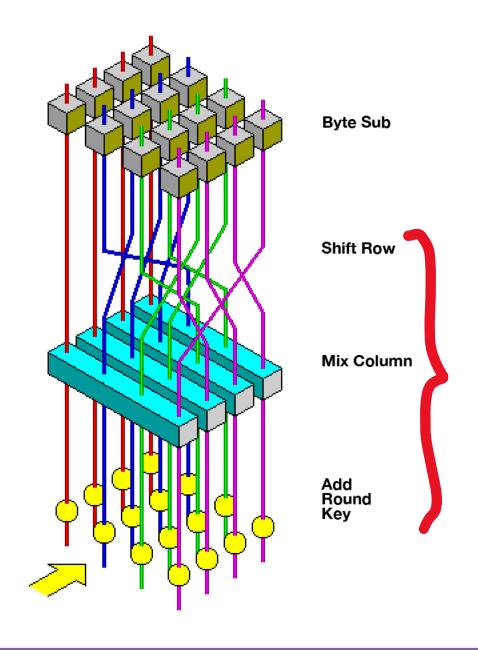
The two most common block ciphers are Advanced Encryption Standard (**AES**) and Data Encryption Standard (**DES**)

AES (2001)	DES (1977)
Keys can be of length 128, 192, and 256	Key length can only be 56
Number of rounds: 10, 12, or 14	Number of rounds: 16
Very secure (no known attacks)	Broken (can be cracked easily)
Can encrypt 128 bits of plaintext	Can encrypt 64 bits of plaintext
Faster that DES	Slower than AES

(AES is the most widely used symmetric block cipher algorithm nowadays, DES should never be used)

#### **AES**

AES is a rather complicated algorithm (for good reason), you can read more about it on your own



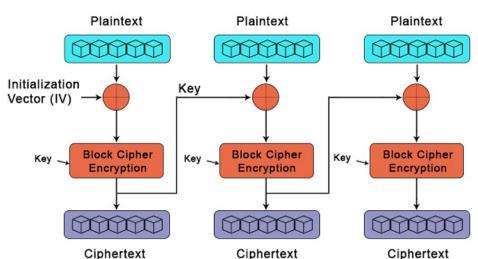
Several rounds of encrypting ("shifting"), using something like CBC

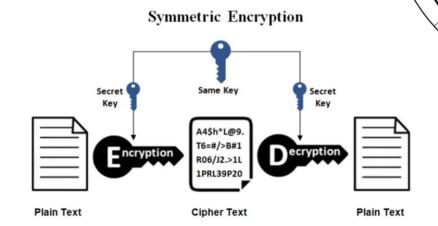
# Symmetric key encryption uses the same, **shared**, key for encrypting and decrypting

What is the one major hurdle we have not discussed yet?

How do the keys get sent without being intercepted? Do the keys get encrypted?

Plaintext Plaintext Plaintext





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#### **Asymmetric Cryptography**

#### **AKA Public key Cryptography**

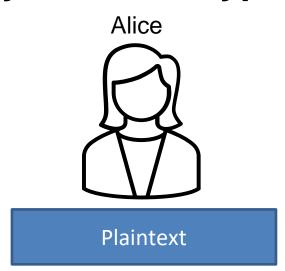
The keys used for encrypting and decrypting data are different

Additionally, each user now gets two-keys. A public key, and a private key

This involves some complicated math, and I won't go super deep into it. YouTube videos can explain it much better than I can

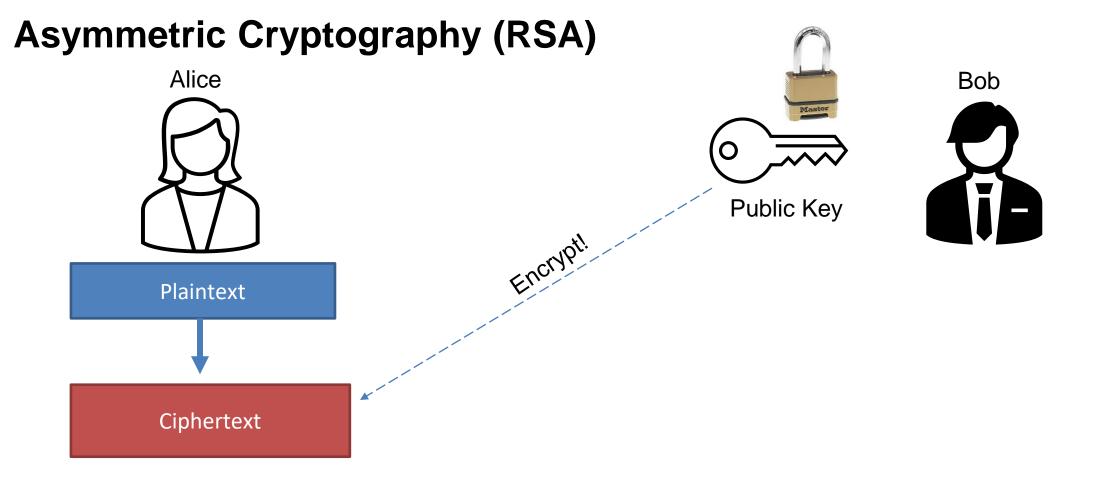
**RSA (Rivest–Shamir–Adleman)** is the most popular public key cryptosystem. We rely on it whenever we do communicate securely on the internet

#### **Asymmetric Cryptography (RSA)**



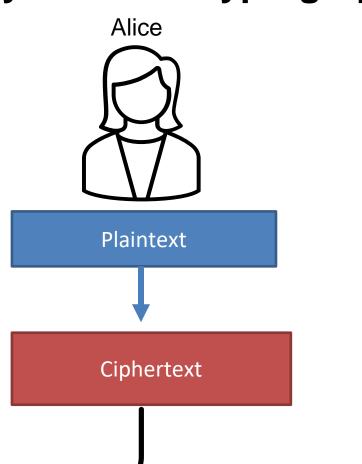


Alice has a plaintext that she wants to send to bob



She uses Bob's **public key** to encrypt her message

## **Asymmetric Cryptography (RSA)**Alice



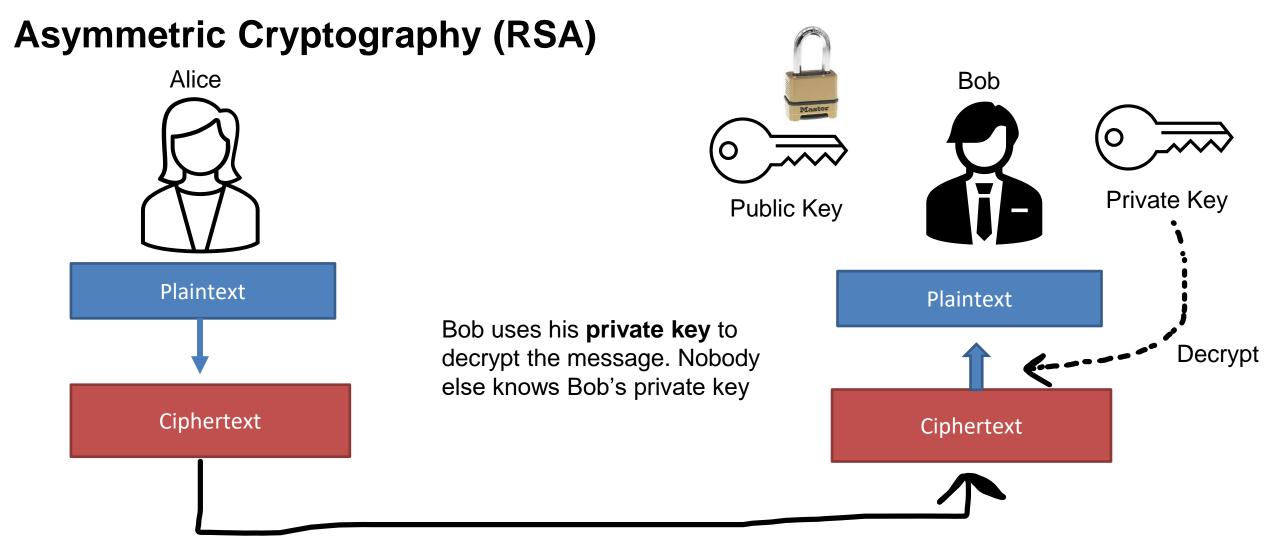




Ciphertext is sent over some medium



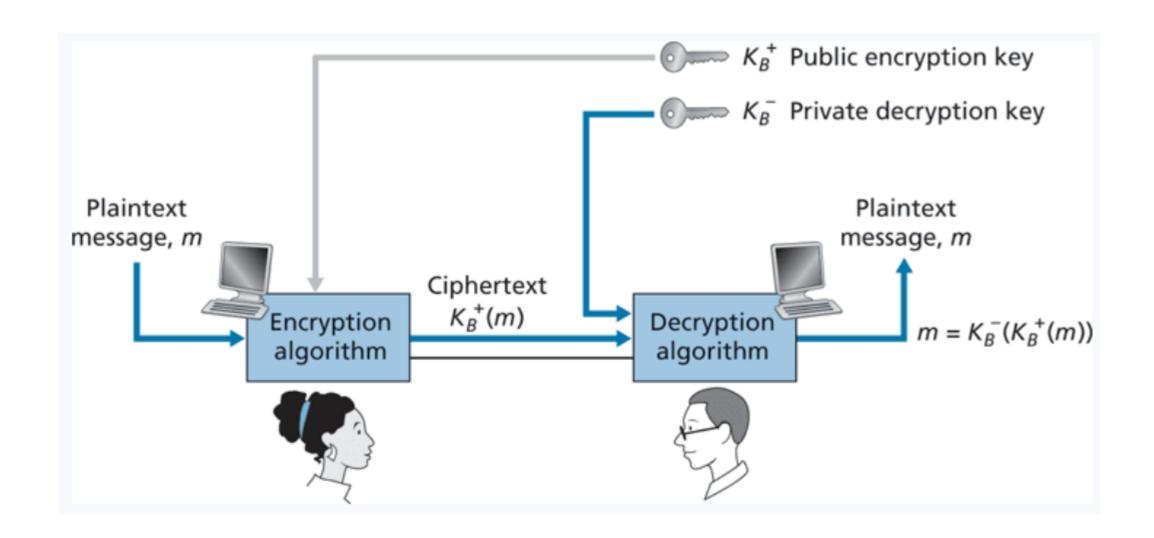
Eve can intercept this message,
But can't decrypt it (public key is not used for decrypting!)



Ciphertext is sent over some medium



Eve can intercept this message,
But can't decrypt it (public key is not used for decrypting!)



#### **Asymmetric Cryptography (RSA)**

If you multiply two prime numbers (**p** and **q**) together, the product can only be divisible by those two number

This is very difficult to figure out for the people that don't know p or q

In fact, there is not an efficient program that can calculate the factors of integers

Remember what these are called?

If you multiply two prime numbers (**p** and **q**) together, the product can only be divisible by those two number

5183

??? \* ??? = 5183

This is very difficult to figure out for the people that don't know p or q

In fact, there is not an efficient program that can calculate the factors of integers

This problem is in NP

If you multiply two prime numbers (**p** and **q**) together, the product can only be divisible by those two number

RSA is based on large numbers that are difficult to factorize The public and private keys are derived from these prime numbers

How long should RSA keys be? 1024 or 2048 bits long!

The longer the key = the more difficult to crack (exponentially)

Eve's stolen goods

Alice





$$p = 53$$
  
 $q = 59$ 

Step 1: Choose two large primer numbers, p and q

Eve's stolen goods

Alice







p = 53

q = 59

n = 3127

Step 1: Choose two large primer numbers, p and q

Step 2: Calculate the product n

Eve's stolen goods



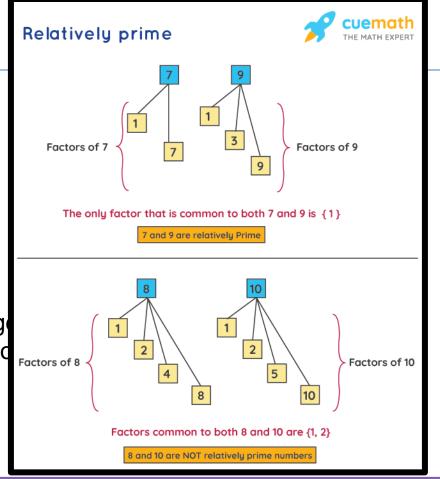
p = 53q = 59n = 3127

Step 1: Choose two large

Step 2: Calculate the pro

Step 3: Calculate Φ(n)







 $\Phi(n)$  = number of values less than n which are relatively prime to n

3126

How many of these numbers are relatively prime w/ 3127? 3125

Eve's stolen goods



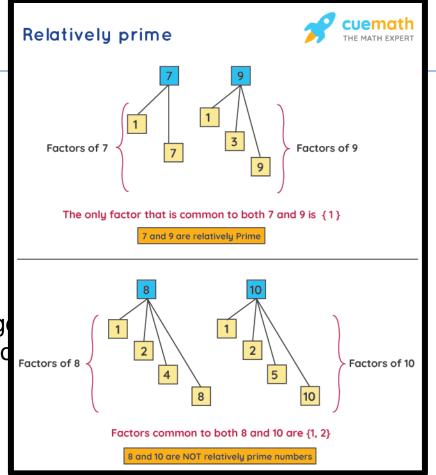
p = 53 q = 59 n = 3127

Step 1: Choose two large

Step 2: Calculate the pro

Step 3: Calculate  $\Phi(n)$ 







 $\Phi(n)$  = number of values less than n which are *relatively prime* to n

#s!

se
tively prime
easy for prime

Eve's stolen goods

Alice







p = 53

q = 59

n = 3127

Step 1: Choose two large primer numbers, p and q

Step 2: Calculate the product n

Step 3: Calculate Φ(n)

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n

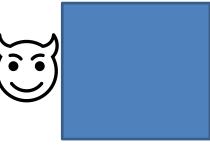
The  $\Phi(n)$  of a product of two prime numbers will always be (p-1)(q-1)

Eve's stolen goods

Alice









$$p = 53$$

$$q = 59$$

$$n = 3127$$

$$\Phi(n) = 52*28 = 3016$$

Step 1: Choose two large primer numbers, p and q

Step 2: Calculate the product n

Step 3: Calculate Φ(n)

 $\Phi(n)$  = number of values less than n which are relatively prime to n

The  $\Phi(n)$  of a product of two prime numbers will always be (p-1)(q-1)

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n

Bob







 $\Phi(n) = 3016$ 

$$e = 1 < e < \Phi(n)$$
  
Not be a factor of n, but an integer

Step 1: Choose two large primer numbers, p and q

Step 2: Calculate the product n

Step 3: Calculate Φ(n)

Step 4: Choose public exponent e

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are relatively prime to n

Bob









$$p = 53$$
  
 $q = 59$   
 $n = 3127$   
 $\Phi(n) = 3016$   
 $e = 3$ 

$$e = 1 < e < \Phi(n)$$
  
Not be a factor of n, but an integer

Step 1: Choose two large primer numbers, p and q

Step 2: Calculate the product n

Step 3: Calculate Φ(n)

Step 4: Choose public exponent e

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n

Alice







p = 53 q = 59 n = 3127  $\Phi(n) = 3016$ e = 3

$$J = \frac{K * \Phi(n) + 1}{e}$$

Step 1: Choose two large primer numbers, p and q

Step 2: Calculate the product n

Step 3: Calculate Φ(n)

Step 4: Choose public exponent e

Step 5: Select private exponent d

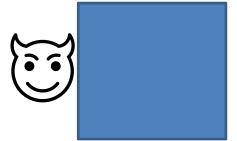
K = some integer that will make the quotient an integer

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n









$$p = 53$$
  
 $q = 59$   
 $n = 3127$   
 $\Phi(n) = 3016$   
 $e = 3$ 

$$J = \frac{2*3016+1}{3}$$

Step 1: Choose two large primer numbers, p and q

Step 2: Calculate the product n

Step 3: Calculate  $\Phi(n)$ 

Step 4: Choose public exponent e

Step 5: Select private exponent d

K = some integer that will make the quotient an integer

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n









$$p = 53$$
  
 $q = 59$   
 $n = 3127$   
 $\Phi(n) = 3016$ 

e = 3

d = 2011

$$J = \frac{2*3016+1}{3}$$

Step 1: Choose two large primer numbers, p and q

Step 2: Calculate the product n

Step 3: Calculate  $\Phi(n)$ 

Step 4: Choose public exponent e

Step 5: Select private exponent d

K = some integer that will make the quotient an integer

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n

Bob









Alice's Public Key

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n











Bob has a message to send to Alice

 $HI \rightarrow 89$ 

Message must be converted into a number

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n

Bob









Alice's Public Key

Bob has a message to send to Alice



Use Alice's Public Key to encrypt

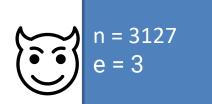
Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are relatively prime to n









Alice's Public Key

Bob has a message to send to Alice

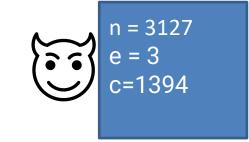


Use Alice's Public Key to encrypt

$$89^{3} \text{mod } 3127$$

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n





Alice's Public Key

Alice

p = 53

q = 59

d = 2011

 $\Phi(n) = 3016$ 

Bob has a message to send to Alice



Use Alice's Public Key to encrypt

$$89^{3}$$
 mod  $3127$ 



Alice decrypts message using her private key

Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are *relatively prime* to n

Bob





Alice's Public Key

d = 2011

Bob has a message to send to Alice

89

Use Alice's Public Key to encrypt

$$89^{3}$$
 mod  $3127$ 



Alice decrypts message using her private key

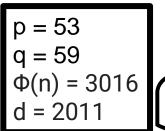
Eve's stolen goods

 $\Phi(n)$  = number of values less than n which are relatively prime to n











Alice's Public Key

Alice's Private Key

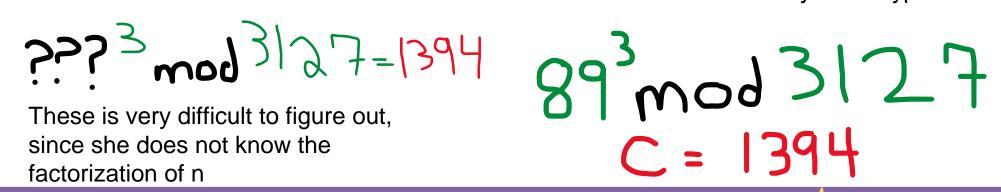
What does eve know??



Bob has a message to send to Alice

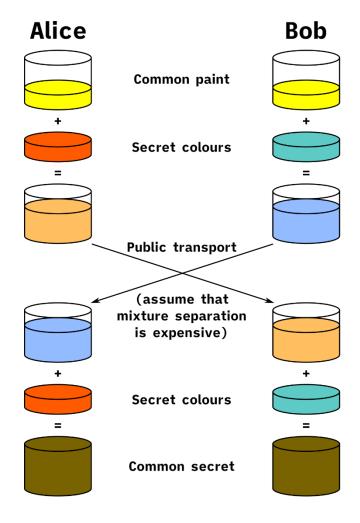


Use Alice's Public Key to encrypt



We now have a method for sending secure messages over a possibly unsecure channel!

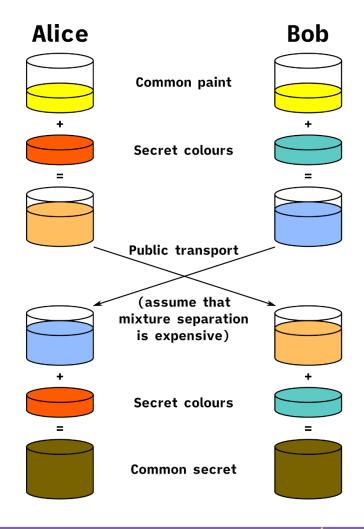
Limitation of RSA: Can only encrypted data that is smaller or equal to key length ( < 2048 bits )



We now have a method for sending secure messages over a possibly unsecure channel!

Limitation of RSA: Can only encrypted data that is smaller or equal to key length ( < 2048 bits )

What could we encrypt instead??



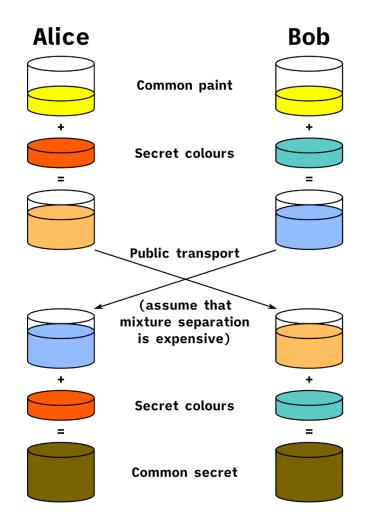
We now have a method for sending secure messages over a possibly unsecure channel!

Limitation of RSA: Can only encrypted data that is smaller or equal to key length ( < 2048 bits )

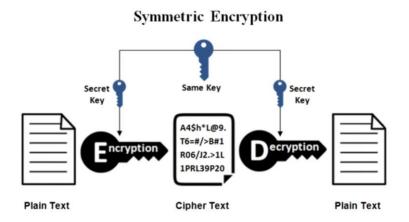
What could we encrypt instead??

The key for a symmetric cryptography algorithm! ( < 2048 bits)

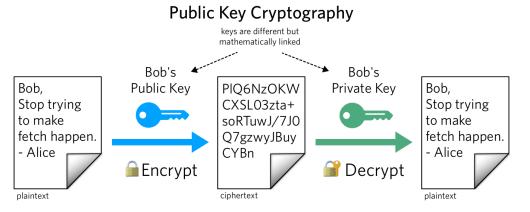
RSA can be used to generate **session key**, which can then be used to encrypt many chunks of data (also much faster then asymmetric crypto)



#### **Review**



- Same key used for encrypting and decrypting
- Using block ciphers (AES), we can encrypt an arbitrary size of data
- Issue: How to securely share secret keys with each other?



- Two keys: Public Key (a lock), and a price key (the key)
- Public key is used to encrypt. Private key used to decrypt message
- Using math, we can securely send messages over an unsecure channel without sharing any sensitive information
- Issue: We can not encrypt stuff bigger than our key (2048 bits)
- symmetric and asymmetric cryptography are used together

(use RSA to send the key for symmetric crypto!)