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CS350

HW 4

1. Let M_α be an NFA that accepts the language that contains word α only. We do the same thing for M_β as an NFA that accepts β . We then construct M_1 and M_2 as $\text{Subseq}(M_\alpha)$ and $\text{Subseq}(M_\beta)$. That is, M_1 accepts the set of all subsequences in α while M_2 accepts β . Let M_{12} be an NFA that accepts "all strings that do not contain abb ". Now let's create NFA M that accept the language from $M_1 \cap M_{12} \cap M_2$. Thus since M_1 , M_2 , and M_{12} are longest word, the intersection of all 3 is the longest word that satisfy all the conditions.
2. We do the same thing as the question from number 1 without the " abb " condition. Thus we have M that accepts α and β . Now we can eliminate the Λ -transitions in M with 2 cases to consider
 - a. Where M accepts an infinite language, thus making $D = \text{infinite}$
 - b. Where M accepts a finite language, thus making D exactly the length of the longest word accepted by M , or longest path by DAG
3. Yes, the idea is to take several strings, vectorize those strings, then pass a sliding window over the resulting vectors. If two vectors have the same value in the same window position, mark them as candidates for more fine-grained similarity analysis.