

TINIBA® Tutorial: Version 2.0 Bernardo S. Mendoza and J. L. Cabellos INDAUTOR Certificate A.1

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Introduction

WARNING: First of all here we adopt the philosophy **TINIBA**[®] is not a black box and you might have some idea about what are you doing in order to make sense. and the other thing that you have to know GNULinux at basic level, understand something scripting under bash and perl, and enjoy tiniba.

1.1 Publications with tiniba

TINIBA has been used in (at least) the following articles:

- J Opt Soc Am B 28 1882 (2011)
- Mod Phys Lett B 24, 1507 (2010)
- Opt Laser Eng 49, 668 (2011)
- Opt Mater 29, 1 (2006)
- Phys Rev B 73, 195330 (2006)
- Phys Rev B 74, 075318 (2006)
- Phys Rev B 76, 205113 (2007)
- Phys Rev B 79, 245132 (2009)
- Phys Rev B 80, 155205 (2009)
- Phys Rev B 80, 201312 (2009)

- Phys Rev B 80, 245204 (2009)
- Phys Rev B 84, 165316 (2011)
- Phys Rev B 84, 195326 (2011)
- Phys Rev B 85, 165324 (2012)
- Phys Status Solidi B 242, 3022 (2005)
- Phys Status Solidi B 247, 1979 (2010)
- Phys Status Solidi C 8, 2604 (2008)
- Phys Status Solidi C 9, 1378 (2012)
- Surf Sci 605, 941 (2011)

1.2 At the begining

The propouse of this toutorials is teaching the use of TINIBA[®] on *Medusa*. Before you follow this tutorials you need to talk Dr. Bernardo. Maybe you can find him in the coffe break, around 12:00 A.M.

1.3 Installation on medusa

- Copy the latest version of TINIBA[®] from /home/bms/tiniba/tiniba/tiniba.tar.gz
- Install TINIBA® in \$\$TINIBA\$\$/
 - \$\$TINIBA\$\$/ > tar -xvf tiniba.tar.gz
- Make sure that the TINIBA® version you may want to use is set in utils/version-tiniba.txt.
- Make sure that the ABINIT[®] version you may want to use is set in utils/version-abinit.txt. This information is used in clustering: all_nodes.sh, and runSCF_19_Octubre_2009.sh, and in utils/check_abinit.sh.
- .bashrc

In order to run the shells without having to give all the route include in the file .bashrc:

```
export TINIBA=$$TINIBA$$
export PATH="$$TINIBA$$:$PATH"
```

Remember to read .bashrc into the shell, or exit and enter the shell anew.

• a .bash_profile is provided at \$TINIBA/utils. Put this in your /home/user/ and change at will, but DON'T remove the abinit environment variables: export I_MPI_FABRICS=shm:tcp
LD_LIBRARY_PATH=\$LD_LIBRARY_PATH:/usr/lib64

1.4 Administration on medusa

Here a list of usefull scripts:

- ./clustering/run_tiniba.sh
- ./utils/checkMountQuads.sh
- ./utils/createRemoteDir.sh
- ./utils/limpiaSetUpAbinit.pl
- ./utils/alive.sh
- \bullet ./utils/apagarMedusa_0.sh
- ./utils/MakeMakefile2010.PL
- ./utils/compiler.sh

Here are some useful commands to check the running jobs:

- cluster_exec -N QUADS ps -u usrname
- cluster_exec -N XEON ps -u usrname
- cluster_exec -N ITANIUM ps -u usrname

1.4.1 How to: restart InfiniBand communications link

Here you need the superuser password!

- 1. \$HOME > ssh quad01
- 2. \$HOME > su

- 3. \$HOME > /etc/init.d/openibd stop
- 4. \$HOME > /etc/init.d/openibd restart
- 5. To check if infiniband (only quads) is working you can run: infiniband.sh

1.4.2 How to: mount homeib

Here you need the superuser password!

For the quads proceed as follows:

- 1. \$HOME > ssh quad01
- 2. \$HOME > su
- 3. \$HOME > mount master:/home /home
- 4. \$HOME > mount quad01ib:/homeib /homeib
- 5. \$HOME > exit
- 6. \$HOME > exit

and so on for the other nodes ...

You can check if the mounting is correct with: checkMountQuads.sh

How to run a TINIBA test case

${\bf CODE:}$

"drakgreen" for the TINIBA® commands

"blue" for the input

"orange" for the Linux commands

verbatim for directories or files

"gray" for output

i.e. is for examples

General Considerations

- The same version of abinit is runed in all platforms. If a new version is needed, just compile it, and let everybody know. Include this in utils/version-abinit.txt (see 1.3).
- There are three switches, one for the Xeons, one for the Quads and one for the Hexas. Thus is convenient to chose only one platform for the whole run, at least for the SCF cycle. This would take advantage of doing the mpi and rcp over the myrinet or infiniband switches.
- ssh to any of the xeon (node01-32), itanium01-04, quad01-14 or hexa1-36 platforms. Then, cd to the corresponding /home, and work from there.

- The RAID system has the following storage HD's /homea/ /homeb/ /homee/ /homeib/ /homen/ /homeu/ where each user must store the work, once finished running in the cluster.
- It is very convenient to call the working directory with a name that relates to the case you are working with.
- Since the SCF uses the parallelized version of abinit is better to use only one platform for this cycle.
- If running in the quads work in /homeib/ and for the SCF cylce use at least one quad01 in .machines_scf.original.
- The matrix elements could be calculated in the three plataforms, although
 for copying the wave function is much faster if it is done through the
 switches.

The example is a slab of 6 layers mimicking $\mathrm{Si}(111)$:As with no spin-orbit coupling.

- 1. \$PWD > ssh [quad01,hexaN]
- 2. **If** quad01
 - \$PWD > cd /homeib/user
- 3. If hexaN
 - \$PWD > cd /home?/user/ with ?=a,b,e,n,u
- 4. $PWD > creatingTree.sh si_as_6 (optional)$ if so
 - \$PWD > cd si_as_6/abinit-si_as_6/si_as_6/else
 - $PWD > cd si_as_6$

The setUpAbinit_si_as_6.in, si_as_6.xyz and .machines_*.original files are found in \$TINIBA/examples/surface/nospin. Copy these files to your working directory and

- WARNING: The psudopotentials are in \$TINIBA/psp
 Be sure that in that the path to them is correctly set in setUpAbinit_case.in
- Check that the input parameters are consistently taken. i.e. with/without spin-orbit coupling, etc.
- Plot the coordinates to make sure they are correct.

- .machines_scf.original for the SCF (only chose one platform!)
- .machines_pmn.original for the matrix elements (could chose mixed platforms)
- .machines_latm.original for the integrands (only one CPU from any platform)
- .machines_res.original for the k-integration (chose as many CPU's, from any platform, as tensor components to be calculated)
- 5. \$PWD > createRemoteDir.sh (optional)
 - Check that the chosen nodes are working:
 - above removes all the nodes that don't work or exist
 - You may want to remove above nodes from the *.original files
- 6. \$PWD > cluster_exec -N ALL ps -u username
 - run in medusa.
 - So you can check that the nodes chosen are not being used by other user.
- 7. \$PWD > abinitCheck.sh 1
- 8. \$PWD > abinitCheck.sh 2
 - Surface Calculations: If the slab is centrosymmetric, responses like Surface SHG would be identically zero. To get the correct surface response use
 - •odd_rank.sh

This shell takes the original centrosymmetric case.xyz, adds a small part to the z-coordinate of the bottom surface atom(s), so the structure is non-centrosymmetric. Then, abinit_check.sh is run with both options, so the sym.d file does not has inversion symmetry. The coordinates are reset to the original centrosymmetric case.xyz.

• Check for the total memory needed and be sure that it fits in the RAM memory:

This job should need less than

? Mbytes of memory

- 9. \$PWD > rklist.sh $N_x N_y N_z$ [abinit or wine2k]
 - N_i must be odd.
 - If in real space $L_x = n \times L_y$ take $N_y = n \times N_x$.
 - For a surface take $N_z = 2$.
 - Do you want to add inversion? (1=yes, 0=no)
 This inversion is the time-reversal symmetry. If your case has it answer 1 otherwise 0
 - i.e. \$PWD > rklist.sh 19 19 2 abinit
 This generates 64 N_k-points in the IBZ.

10. \$PWD > rlayer.sh (Skip for Bulk a Calculation)

- Used to generate the layers of the slab
- Follow instructions
- Plot to confirm that the layers are ok: gnuplot> p 'case.xyz' u 1:3 w lp gnuplot> load 'front.layers.xy' gnuplot> load 'back.layers.xy'
- layers.d is the file with the layers to be calculated.
- To select any given set of layers\$PWD > chose_layers.sh
 - Follow instructions
 - This is convenient in order to speed up the calculation for slabs with many layers so one chooses only a few important layers.
 - The original layers are kept in layers.d.original

11. \$PWD > run_tiniba.sh -r setkp -k N_k -g w_I -G w_Q

- This distributes N_k points in the nodes given in .machines_pmn.original
- It chooses the nodes that are working and for the quads and hexas the ones that have infiniband as well
- where $w_{I,Q}$ are the weights for how fast are the Itanium and Quad processors with respect to the Xeon processors. Since it is better to run in only one platform, this is irrelevant, and we may delete it altogether in a future version of TINIBA.
- i.e. \$PWD > run_tiniba.sh -r setkp -k 64 -g 2 -G 4
- 1=Choose another weight or 2=Exit to run the full script answer accordingly

12. \$PWD > run_tiniba.sh -r run -k N_k -N N_{Laver} -x [s-1 or p-2] options:

- -w Wave function(k)
- -m rho(z) for a set of k-points in case.klist_rho
- -e Energies E_{m}(k)
- -p Momentum Matrix Elements p_{mn}(k), includes m=n
- -d Layered ndot Matrix Elements rho_{cc'}(k)
- -c Layered Momentum Matrix Elements calp_{mn}(k)
- -1 Layered Diagonal Momentum Matrix Elements calp_{mm}(k)
- -s Spin Matrix Elements S_{cc'}(k)
- -n Layered Spin Matrix Elements calS_{cc'}(k)
- -b bypass WF checkup (Never use on first run)

where

- -k Nk: is the number of k-points or rho for the -m option
- -N N_Layer: is the number of layers (≥ 0)
- -x [s-1,p-2] runs the SCF in serial-1 or parallel-2 (recommended)
- Besides -w any option *includes* the calculation of the wave function

WARNING don't run using options -c, -l or -n simultaneoulsy!

13. Tips

- Run in a separate sequence. i.e.: $-w \rightarrow -e -p \rightarrow$ any other one option.
- Use the option -b after second run, just to be sure that the WF file was correctly copied.
- The file rvarios.sh is a shell with all the steps to perform a *whole* enchilada calculation including the response functions. Get one from \$TINIBA/examples/rvarios.sh and modify it ad libitum.
- Other rvarios-shg.sh file for SHG to perform a whole enchilada calculation is at \$TINIBA/examples/rvarios-shg.sh. Modify it ad libitum.
- run with
 - > nohup rvarios.sh

Then kill the terminal so nohup works correctly.

• To run without coherences for the spin injection go to \$TINIBA/latm/SRC_1setinput/integrands.f90 comment/uncomment the corresponding lines (look for without), compile, rename the response for ζ and ξ in \$TINIBA/utils/responses.txt and run all_responses.sh. Then, undo the changes!

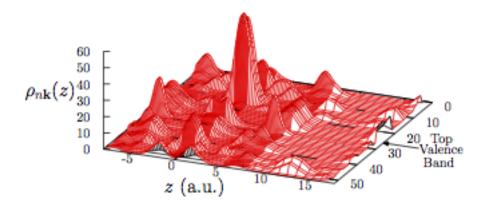


Figure 2.1: $\rho_{n\mathbf{k}}(z)$ for the Si(111)As surface of the example calcuated with spin-orbit interaction.

- 14. LDA Energy Gap and Scissors correction

 To calculate the LDA gap and the scissors correction run and follow instructions
 - gap_correction.sh
- 15. Monitors:
 - To monitor the status of the run
 - culster_exec -N ALL 'ps -u user'
 - To monitor the calculation time and status of the matrix elements use:
 - \bullet ontoi.sh
- 16. If the SCF doesn't run, before you tray again, do
 - \$PWD > run_tiniba.sh -r erasescf
- 17. Integrated density $\rho_{n\mathbf{k}}(z) = \int dx \int dy |\psi_{n\mathbf{k}}(\mathbf{r})|^2$ (see Fig. 2.1)
 - write or generate case.klist_rho with the k-points where it needs to be evaluated, typical the Γ point and some other few points of maximum symmetry. Modify.machines_pmn such that the number of k-points is the same as the number of CPU's.
 - run with option -m and follow instructions.
- 18. After you are done with the calculation erase as follows:
 - \$PWD > run_tiniba.sh -r erase to erase the files in all the nodes.

• \$PWD > run_tiniba.sh -r erasescf to erase the SCF calculation. Warning: this erases the wave-function and may be better to keep it for future calculations, perhaps in a back-up HD.

2.1 Benchmark Test

Above example is run automatically by using and following the instructions of $\bullet \$ PWD >\$TINIBA/utils/run-whole-enchilada-surface.sh where the output ought to be compared with benchmark results in order to check that TINIBA $^{\circledR}$ is working correctly.

However the calculation of $\chi^{xyz}(2\omega)$ for GaAs is a better benchmark, since it is more sensitive to all the ingredients of the calculation. It is run with

• \$PWD >\$TINIBA/utils/run-whole-enchilada-bulk.sh

Optics

The program to run all the optical responses is

- ${\tt •\$TINIBA/utils/all_responses.sh}$
- which in turn runs
- •\$TINIBA/utils/responses.sh

To run it just execute

• \$PWD > all_responses.sh

and follow instructions. In particular one can calculate from all valence bands to any number of conductions bands (-o 1), or from a given valence band to a given conduction band (-o 2).

- For SHG bulk/surface use response 21/44. Both are coded in the Length Gauge. Response 42 only works for bulk and is coded the Velocity Gauge. Since it has to calculate extra commutators is slower than response 21. Thus use 42 only if you doubt your results and would like to get some reasurance that they are correctly calculated by 21.
- The file for SHG has for columns

$Column \rightarrow$	1	2	3	4	5
$Quantity \rightarrow$	$\hbar\omega$	$\operatorname{Re}[\chi_{ijk}(1\omega)]$	$\operatorname{Im}[\chi_{ijk}(1\omega)]$	$\operatorname{Re}[\chi_{ijk}(2\omega)]$	$\operatorname{Im}[\chi_{ijk}(2\omega)]$

Units: pm/V

So far it only works for one component of χ_{ijk} .

- Degree of Spin Polarization (DSP), \mathcal{D}^a .
 - 1. WARNING: the factor of $(\hbar/2)$ is NOT included in ζ^{abc} . However it is included in the expression for \mathcal{D}^a , and thus the value of ζ^{abc} as it comes out of the code must be used to compute \mathcal{D}^a . To report the value of ζ^{abc} one must multiply by $\hbar/2$ and use the appropriate S.I. units $V^{-2}m^{-1}J$.

- 2. For a surface calculation use a symmetric slab, i.e. same top and bottom surfaces.
- 3. Use dsp.sh to gather the results for the DSP calculation. It does so for bulk (full) or layer-by-layer. The data is written as follows:

$\text{Column} \rightarrow$	1	2	3	4	5
$\mathtt{kk} {\rightarrow}$	$\hbar\omega$	ξ_{xx}	ξ_{yy}	ξ_{zz}	ζ_{ijk}

- 4. dsp.sh uses the kk response files and not the sm files. The onset of the DSP is very sharp and the sm files misscalculate it.
- 5. gnuplot> p 'dsp-file' u 1:(2*\$5/(\$j+\$k+eta)) w 1 where j and k are the corresponding columns (2,3 or 4) according to the jk Cartesian components of ζ_{ijk} . Also, eta->0, so gnuplot plots the DSP onset properly.
- 6. If you have calculated dsp.sh with the full option for a surface, i.e. the whole "bulk-like" structure, then you must get the same result as with the half-slab option, since both ξ^{ab} and ζ^{abc} are twice as much for the whole slab than for the half-slab, but the factor of two cancels out when taking the ratio in the expression for \mathcal{D}^a .

3.1 Formulas and Units

These are the formulas coded:

• Linear response (See Sipe and Shkrebtii PRB **61**, 5337 (2000) Eq. 34 where m = c and n = v for the resonant condition with $\omega > 0$),

$$\operatorname{Im}[\chi^{\mathrm{ab}}(\omega)] = \frac{\pi e^2}{\hbar} \int \frac{d\mathbf{k}}{8\pi^3} \sum_{vc} r_{vc}^{\mathrm{a}}(\mathbf{k}) r_{cv}^{\mathrm{b}}(\mathbf{k}) \delta(\omega_{cv}(\mathbf{k}) - \omega).$$

For the layer response we replace $r_{vc}^{\rm a}(\mathbf{k}) \to \mathcal{R}_{vc}^{(\ell) \rm a}(\mathbf{k})$ see Mendoza et al, Phys. Rev. B **74**, 075318 (2006).

• Carrier injection rate, $\dot{n}(\omega) = \xi^{ij}(\omega)E^i(-\omega)E^j(\omega)$, where is better to redefine as $\dot{\tilde{n}} = (\hbar/2)\dot{n} = \tilde{\xi}^{ab}E^a(-\omega)E^b(\omega)$, with $\tilde{\xi}^{ab} = (\hbar/2)\xi^{ab}$.

$$\tilde{\xi}^{ab}(\omega) = \frac{\pi e^2}{\hbar} \int \frac{d\mathbf{k}}{8\pi^3} \sum_{vc} r_{vc}^{a}(\mathbf{k}) r_{cv}^{b}(\mathbf{k}) \delta(\omega_{cv}(\mathbf{k}) - \omega).$$

For the layer response:

$$\tilde{\xi}^{ab}(\ell;\omega) = \frac{\pi e^2}{\hbar} \int \frac{d^3k}{8\pi^3} \sum_{vcc'} \frac{1}{2} \operatorname{Re} \left[\rho_{cc'}(\ell) r_{vc}^a r_{c'v}^b + \rho_{c'c}(\ell) r_{vc'}^a r_{cv}^b \right] \delta(\omega - \omega_{cv}).$$

We notice that $\tilde{\xi}^{ab}(\omega) = \operatorname{Im}[\chi^{ab}(\omega)]$, with $\epsilon^{ab}(\omega) = 1 + 4\pi\chi^{ab}(\omega)$, however $\tilde{\xi}^{ab}(\ell;\omega) \neq \operatorname{Im}[\chi^{ab}(\ell;\omega)]!!!$ Therefore, for a bulk calculation, one must calculate $\operatorname{Im}[\chi^{ab}(\omega)]$ for $\dot{n}(\omega)$.

- Second Harmonic Generation
 - Velocity-Gauge

The SHG $\chi_{\rm v}^{\rm abc}(2\omega)$ is programmed within the velocity-gauge according to Phys. Rev. B **80**, 155205-1-13 (2009).

$$\begin{split} & \operatorname{Im}[\chi_{\mathbf{v}}^{abc}(-2\omega;\omega,\omega)] = \frac{\pi|e|^{3}}{2\hbar^{2}} \int \frac{d^{3}k}{8\pi^{3}} \Big[\sum_{vc} \frac{16}{(\omega_{cv}^{S})^{3}} \Big(\sum_{c'} \frac{\operatorname{Im}[v_{vc}^{\Sigma,a} \{v_{cc'}^{\Sigma,b} v_{c'v}^{\Sigma,c} \}]}{\omega_{cv}^{S} - 2\omega_{c'v}^{S}} \Big] \\ & - \sum_{v'} \frac{\operatorname{Im}[v_{vc}^{\Sigma,a} \{v_{cv'}^{\Sigma,b} v_{v'v}^{\Sigma,c} \}]}{\omega_{cv}^{S} - 2\omega_{cv'}^{S}} \Big) \delta(\omega_{cv}^{S} - 2\omega) \\ & + \sum_{(vc) \neq \ell} \frac{1}{(\omega_{cv}^{S})^{3}} \Big(\frac{\operatorname{Im}[v_{\ell c}^{\Sigma,a} \{v_{cv}^{\Sigma,b} v_{v\ell}^{\Sigma,c} \}]}{\omega_{c\ell}^{S} - 2\omega_{cv}^{S}} - \frac{\operatorname{Im}[v_{v\ell}^{\Sigma,a} \{v_{\ell c}^{\Sigma,b} v_{cv}^{\Sigma,c} \}]}{\omega_{\ell v}^{S} - 2\omega_{cv}^{S}} \Big) \delta(\omega_{cv}^{S} - \omega) \\ & - \sum_{vc} \frac{1}{(\omega_{cv}^{S})^{3}} \Big(4\operatorname{Re}[\ v_{vc}^{\Sigma,a} \{\mathcal{F}_{cv}^{bc} \}] \delta(\omega_{cv}^{S} - 2\omega) + \operatorname{Re}[\{\mathcal{F}_{vc}^{ab} v_{cv}^{\Sigma,c} \}] \delta(\omega_{cv}^{S} - \omega) \Big) \Big]. \end{split}$$

Programs: shg1v and shg2v

- Length-Gauge: Layered response by bms-unpublished. See shg-layer.pdf

$$\begin{split} &\operatorname{Im}[\chi_{e,\mathrm{abc},\omega}^{s(\ell)}] = \frac{\pi|e|^3}{2\hbar^2} \sum_{vc\mathbf{k}} \sum_{l \neq (v,c)} \left[\frac{\omega_{lc}^S \operatorname{Re}[\mathcal{R}_{lc}^{a(\ell)} \{r_{cv}^b r_{vl}^c\}]}{\omega_{cv}^S (2\omega_{cv}^S - \omega_{cl}^S)} - \frac{\omega_{vl}^S \operatorname{Re}[\mathcal{R}_{vl}^{a(\ell)} \{r_{lc}^c r_{cv}^b\}]}{\omega_{cv}^S (2\omega_{cv}^S - \omega_{lv}^S)} \right] \delta(\omega_{cv}^S - \omega) \\ &\operatorname{Im}[\chi_{i,\mathrm{abc},\omega}^{s(\ell)}] = \frac{\pi|e|^3}{2\hbar^2} \sum_{cv\mathbf{k}} \frac{1}{\omega_{cv}^S} \left[\operatorname{Im}[\{r_{cv}^b \left(\mathcal{R}_{vc}^{a(\ell)}\right)_{;k^c}\}] + \frac{2\operatorname{Im}[\mathcal{R}_{vc}^{a(\ell)} \{r_{cv}^b \Delta_{cv}^c\}]}{\omega_{cv}^S} \right] \delta(\omega_{cv}^S - \omega) \\ &\operatorname{Im}[\chi_{e,\mathrm{abc},2\omega}^{s(\ell)}] = \frac{\pi|e|^3}{2\hbar^2} \sum_{vc\mathbf{k}} 4 \left[\sum_{v' \neq v} \frac{\operatorname{Re}[\mathcal{R}_{vc}^{a(\ell)} \{r_{cv'}^b r_{v'v}^c\}]}{2\omega_{cv'}^S - \omega_{cv}^S} - \sum_{c' \neq c} \frac{\operatorname{Re}[\mathcal{R}_{vc}^{a(\ell)} \{r_{cv}^b r_{c'v}^c\}]}{2\omega_{c'v}^S - \omega_{cv}^S} \right] \delta(\omega_{cv}^S - 2\omega) \\ &\operatorname{Im}[\chi_{i,\mathrm{abc},2\omega}^{s(\ell)}] = \frac{\pi|e|^3}{2\hbar^2} \sum_{vc\mathbf{k}} \frac{4}{\omega_{cv}^S} \left[\operatorname{Im}[\mathcal{R}_{vc}^{a(\ell)} \{(r_{cv}^b)_{;k^c}\}] - \frac{2\operatorname{Im}[\mathcal{R}_{vc}^{a(\ell)} \{r_{cv}^b \Delta_{cv}^c\}]}{\omega_{cv}^S} \right] \delta(\omega_{cv}^S - 2\omega) \end{aligned}$$

Programs: shg11 and shg21 for bulk, i.e. $\mathcal{R}_{vc}^{\mathrm{a}(\ell)} \to r_{vc}^{\mathrm{a}}$. shg1c and shg2c for layered.

Injection current

$$\eta^{\rm abc}(\ell|0;\omega,-\omega) = \frac{i\pi e^3}{\hbar^2} \int \frac{d^3k}{8\pi^3} \sum_{vc} \Delta^{\rm a}_{cv}(\ell;\mathbf{k}) \mathrm{Im} \big[r^{\rm b}_{cv}(\mathbf{k}) r^{\rm c}_{vc}(\mathbf{k}) \big] \delta(\omega_{cv}(\mathbf{k}) - \omega).$$

For the bulk response we replace $\Delta_{cv}^{a}(\ell;\mathbf{k}) \to \Delta_{cv}^{a}(\mathbf{k})$

• Spin injection

$$\zeta^{\text{abc}}(\omega) = \frac{i\pi e^2}{\hbar^2} \int \frac{d^3k}{8\pi^3} \sum_{vcc'} ' \text{Im} \Big[S_{c'c}^{\text{a}}(\mathbf{k}) r_{vc'}^{\text{b}}(\mathbf{k}) r_{cv}^{\text{c}}(\mathbf{k}) + S_{cc'}^{\text{a}}(\mathbf{k}) r_{vc}^{\text{b}}(\mathbf{k}) r_{c'v}^{\text{c}}(\mathbf{k}) \Big] \delta(\omega_{cv}(\mathbf{k}) - \omega).$$

Notice that the units of $\zeta^{\rm abc}(\omega)$ have a $\hbar/2$ factor coming from the spin matrix elements $S^{\rm a}_{cc'}$ (recall that $\hat{\bf S}=(\hbar/2)\hat{\boldsymbol \sigma}$), besides the other units. The degree of spin polarization is defined as

$$\mathcal{D} = \frac{2\zeta^{\mathrm{zxy}}}{\hbar(\xi^{\mathrm{xx}} + \xi^{\mathrm{yy}})/2} = \frac{2\zeta^{\mathrm{zxy}}}{(\tilde{\xi}^{\mathrm{xx}} + \tilde{\xi}^{\mathrm{yy}})},$$

and it is a dimensionless quantity, as it must.

For the layered response we replace $S_{cc'}^{\rm a}({\bf k}) \to \mathcal{S}_{cc'}^{\ell, \rm a}({\bf k})$.

- Units.
 - In general,

$$\epsilon_0 \chi_{\text{S.I.}}^j = \frac{4\pi\epsilon_0}{(3\times 10^4)^{j-1}} \chi_{\text{c.g.s}}^j \times \frac{m^{j-2}C}{V^j},$$

with j the order of the response.

- As an example we work the injection current units:

$$\gamma = \frac{\pi e^3}{\hbar^2} \times \frac{1}{\Omega} \times v \times r \times r \times \frac{1}{\omega},$$

the first term is the prefactor, the second is the volume of the **k**-integration, the third is the velocity of Δ the fourth and fifth are the matrix elements of the position operator and the last one comes from de Dirac delta function. Using $r=v/\omega$ unit-wise

$$\begin{split} \gamma &= \frac{\pi e^3}{\hbar^2} \times \frac{1}{a_0^3} \times v \times \frac{v^2}{\omega^2} \times \frac{1}{\omega} \\ &= \frac{\pi e^3}{\hbar^2 a_0^3} \times \frac{v^3}{\omega^3} \\ &= \frac{\pi e^3 \hbar}{a_0^3} \times \frac{p^3}{m^3 (\hbar \omega)^3} = \frac{\pi e^3 \hbar}{m^3 a_0^3} \times \frac{\hbar^3}{a_0^3} \times \frac{1}{[\text{eV}]^3} \\ &= \frac{\pi e^3 \hbar^4}{m^3 a_0^6} \times \frac{1}{[\text{eV}]^3} \times \frac{[27.21 \, \text{eV}]^3}{H^3} \\ &= \frac{\pi e^3 \hbar^4}{m^3 a_0^6} \times [27.21]^3 \times \frac{a_0^3}{e^6} = \frac{\pi \hbar^4}{e^3 (m a_0)^3} \times [27.21]^3 \\ &= \frac{\pi \hbar^4}{e^3 (\hbar^2 / e^2)^3} \times [27.21]^3 = \frac{\pi e^3}{\hbar^2} \times [27.21]^3, \end{split}$$

with $a_0=\hbar^2/me^2$ Bohr's radius, $\hbar\omega$ is measured in eV, v=p/m and $[p]=\hbar/a_0$, the Hartree $H=e^2/a_0=27.21$ eV, in c.g.s $e=-4.8066\times 10^{-10}$ stateoulomb and $\hbar=1.05457\times 10^{-27}$ erg·s, then

$$\gamma = -\pi \times [27.21]^3 \times [9.9853 \times 10^{25}].$$

For the injection current we have j = 2,

$$\eta_{\text{S.I.}} = \frac{4\pi\epsilon_0}{3\times10^4} \eta_{\text{c.g.s}} \times \frac{C}{V^2},$$

and

$$\frac{1}{4\pi\epsilon_0} = 9 \times 10^9,$$

since the units of ϵ_0 are already taken into account, then

$$\eta_{\rm S.I.} = \frac{1}{27 \times 10^{13}} \eta_{\rm c.g.s} \times \frac{C^3}{J^2},$$

where J = VC. However, η gives the injection current, i.e. $dJ/dt = \eta EE$, then there is a second coming from the J and another second coming from the time derivative, which finally give

$$\gamma = -\pi \times [27.21]^3 \times [9.9853 \times 10^{25}] \times \frac{1}{27 \times 10^{13}}$$
$$= -\pi \times [27.21]^3 \times [9.9853 \times 10^{25}] \times [3.7037 \times 10^{-15}],$$

as the prefactor of η in C^3/J^2s^2 . For the surface η_s there is a factor of meters since $\eta_s \sim L\eta$, then the units of η_s are mC^3/J^2s^2 . The L factor is set at the gnuplot file for the plot.

We remark that for the injection current the bulk prefactor $\gamma_{\text{bulk}} = \gamma/2$ since we use the commutator instead of the imaginary part of $r_{cv}^{\text{b}} r_{vc}^{\text{c}}$ and i Im[ab] = [a, b]/2.

- SHG

$$[\chi] = \frac{\pi}{2} \frac{[e]^3}{[\Omega][\hbar]^2} \frac{[r]^3}{[\omega]^2},$$

- Values: Are given in cgs and mks units in

~/tiniba/tiniba2010/SRC_response/SRC_set/PhysicalConstantsMod.f90

Examples

4.1 Bulk

For an example copy from \$TINIBA/examples/surface/nospin/gaas: setUpAbinit_gaas.in and gaas.xyz. This is a bulk GaAs crystal. See results in gaas/res and Fig. 4.1.

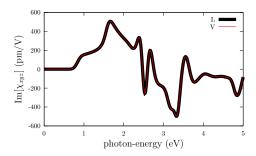


Figure 4.1: χ_{xyz} for GaAs, $E_{cut}=20$ Ha and $N_k=1661$. Both the length (L) and velocity (V) gauge results are shown. The scissors shift is 1.051 eV.

4.2 Surface

For an example copy from $TINIBA/examples/surface/nospin/si_as_6$: setUpAbinit_si_as_6.in and si_as_6.xyz. This is a $Si(111)1 \times 1$:As sur-

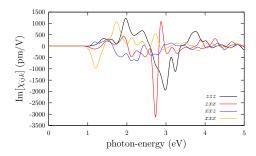


Figure 4.2: Surface χ_{ijk} for all the allowed components of the si_as_6 example, $E_{cut}=5$ Ha, $N_k=64$, and with a scissors shift of 0 eV.

face with 4 layers of Si, one top and one bottom layer of As. See results in si_as_6/res and Fig. 4.2.

For Developers: Including New Optical Responses

Optical responses are calculated in two steps:

- 1. the integrand,
- 2. and the integration over k.

Both steps are implemented in FORTRAN code (thanks to Fred Nastos) and both are included with TINIBA. Including new optical subroutines only requires modifying the *integrand*. For more information see [1].

5.1 Programs for Bulk and Layer-by-Layer response

Do all the compilation in the master node and in both SRC_1setinput and SRC_2latam.

There are two main steps in the calculation of the optical response:

- the first one sets up the integrand and the files are in \$TINIB/latm/SRC_1setinput
- 2. the second one does the k-integration and the files are in \$TINIBA/latm/SRC_2latam

• \$TINIBA/latm/SRC_1setinput

in integrands.f90
include a CASE and the name of the subroutine, i.e
CASE(21)
CALL SHG1L

then write the subroutine itself. You can follow the structure from any other subroutine that works, like SHG1L.

- 2. in inparams.f90 do the following
 - in the MODULE inparams add the response prefactor as a parameter, i.e.

```
REAL(DP), PARAMETER::shg1\_factor = \cdots
```

- in the MODULE inparams add the response prefactor in the array spectrum_factor(number_of_known_spectrum_types)=

```
! 21 22 23 shg1_factor, shg2_factor, leo_factor,...
```

where it is **very important** that the number chosen for the **CASE** of the response, i.e. 21, coincides with the position-entree in the array.

 in the SUBROUTINE readSpectrumFile add the CASE number in the appropriate response, where dims is the rank and length is the total number of Cartesian components of the tensor's response, i.e.

```
:
CASE(21,42,44)
WRITE(6,*) "Second-harmonic generation"
dims = 3
length = 27
:
since the rank is 3 and 3<sup>3</sup>=27
```

- in the SUBROUTINE deltaFactor add the correct deltaFunctionFactor=1 or 2

for 1- ω and 2- ω transitions, respectively. The default value is deltaFunctionFactor=1 for 1- ω response terms. Otherwise include the response CASE number, i.e.,

```
CASE(22,43,45)!shg 2-omega terms
deltaFunctionFactor=2
END SELECT
```

: since shg2 is a 2- ω response term.

- 3. in set_input_ascii.f90 the 'all' the 'standard' and the 'layer-by-layer' position and momentum matrix elements are set into arrays so they can be used by the intergands.f90 file. Most of the responses already have the required matrix elements so this file should not be changed unless new matrix elements are needed. Check that the momentum-matrix elements are properly renormalized due to the scissors shift.
- 4. in symmetry_operations.f90 include the CASE number of the response in the appropriate transformation (linear, secon-order, etc.), i.e.

:

CASE(21,22,42,43,44,45)
CALL transformationSecondOrderResponse(i_spectra)

:

The symmetries are obtained from the file generated by the LDA program and they obtain the following array

$$R_{ij\cdots} = \sum_{\text{ab}\cdots} M_{i\text{a}} M_{j\text{b}} \cdots, \qquad (5.1.1)$$

where the *italic* Cartesian subindices of R_{ij} ... are chosen by the tensor component to be calculated, -t option, and the roman Cartesian subindices of the rotation matrices M_{ia} are summed over.

The following four files basically do not need to be changed.

- 5. in arrays.f90 the arrays are allocated and de-allocated for things like the momentum matrix elements. So far it has all the arrays needed for many responses, so most likely there is no need to edit this file. The file also reads the LDA energies and scissored energies with the value of the provided scissor correction.
- 6. constants.f90 has only constants and there is no need to modify it.
- 7. file_control.f90 controls the flow of the calculation, there is no need to modify it.
- 8. functions.f90 calculates the standard and layer-by-layer position matrix elements, the generalized derivatives of the position matrix elements, and other goodies not required. There is no apparent need to modify it unless one wants to change the layer-by-layer response.
- 9. Compilation
 - run compila_all.sh to compile in the three plataforms

CHAPTER 5. FOR DEVELOPERS: INCLUDING NEW OPTICAL RESPONSES22

- the executable is one directory down, i.e.
 - ../set_input_32b for the Xeon
 - ../set_input_64b for the Itanium
 - ../set_input_quad for the quad
- you may want to change the compiler and compilation flags in: Makefile32b for the Xeon
 Makefile64b for the Itanium
 Makefilequad for the quad

• \$TINIBA/latm/SRC_2latam

- inparams.f90 is the same as that of \$TINIBA/latm/SRC_1setinput it is linked so if you change it in SRC_1setinput you must compile in SRC_2latam!
- 2. tetra_method.f90
 - does the integration using the Tetrahedral Method.
 - you may want to play with the SUBROUTINE Which_Transitions to chose particular transitions, i.e. look in tetra_method_vc.f90, but be sure that is implemented for $2-\omega$ terms.
- 3. constants.f90 has only constants and there is no need to modify it.
- 4. globals.f90 global statements and there is no need to modify it.
- 5. piksort.f90 there is no need to modify it.
- 6. Compilation
 - run compila_all.sh to compile in the three plataforms
 - the executable is one directory down, i.e.
 - ../tetra_method_32b for the Xeon
 - ../tetra_method_64b for the Itanium
 - ../tetra_method_quad for the quad
 - you may want to change the compiler and compilation flags in: Makefile32b for the Xeon
 Makefile64b for the Itanium
 Makefilequad for the quad

• Name for the Response

The name of the response (i.e. rhomm) must go in the following files complying with the particular context

- in \$TINIBA/utils
 - 1. all_responses.sh
 - 2. responses.sh
- in \$TINIBA/latm/SRC_1setinput
 - 1. arrays.f90

- 2. inparams.f90
- 3. set_input_ascii.f90
- To include a new response once is coded as explained in Sec. 5.1
 - * edit \$TINIBA/utils/responses.txt and add the number and name of the respnse, perhaps you may want to modify \$TINIBA/utils/print_responses.pl for fine tunning of the displayed text.
 - * NOTE: The names that appear in responses.txt are the ones used, verbatim, for the name of the calculated responses. Thus for a different name for the same response just modify this file!

5.2 Shell for Bulk and Layer-by-Layer response

• To run the optical responses execute and follow the instruction of the bash shell:

```
$TINIBA/utils/all_responses.sh
which uses
$TINIBA/utils/responses_bms.sh
```

- To include a new response once is coded as explained in Sec. 5.1
 - edit \$TINIBA/utils/responses.txt and add the number and name of the respnse, perhaps you may want to modify \$TINIBA/utils/print_responses.pl for fine tunning of the displayed text.
- The SHG is calculated with CASE=21 and does both 1- ω and 2- ω terms.

Miscellaneous

6.1 Wien2k

In general you can use a all electron (wien2k) or pseudopotential (abinit) codes in order to calculate the first and second order response, you can follow the next seteps to achive the result using wien2k code. Now from here the user is going to be: usrname but it could be anybody, then take care of this.

- /home/usrname/temporal/GAAS/wien2k-GAAS/GAAS ¿cd /temporal/
- /home/usrname/temporal ; /\$TINIBA/wien2k/creatingTree.sh GAAS
- /home/\$USER/\$TINIBA/wien2k/creatingTree.sh

- \$HOME/temporal >cd \$HOME/temporal/GAAS/wien2k-GAAS/GAAS \$HOME/temporal/GAAS/wien2k-GAAS/GAAS >
- /home/\$USER/\$TINIBA/wien2k/wien2k.sh

Usage:

```
$HOME/\$TINIBA/wien2k/wien2k.sh [option-0] [option-1]
[option-0] = scf -run ONLY scf
[option-0] = klist -generate rklist
[option-0] = help   -example files for si bulk
[option-0] = clean_lapw -remove unnecessary files
[option-0] = whatneed -what files I need
[option-1] = 0.001
                     -energy convercence LIMIT (0.0001 Ry)
============
$HOME/\$TINIBA/wien2k/wien2k.sh scf 0.001
$HOME/\$TINIBA/wien2k/wien2k.sh klist
$HOME/\$TINIBA/wien2k/wien2k.sh run
$HOME/\$TINIBA/wien2k/wien2k.sh clean_lapw
$HOME/\$TINIBA/wien2k/wien2k.sh help
Stoping right now... wien2k.sh
```

6.2 Refinement over k-points

If you want to refine the density of k-points over one window of energy you can follow this script

• /home/\$USER/\$TINIBA/refine.sh

```
Usage:

$HOME/\$TINIBA/refine.sh abinit first

$HOME/\$TINIBA/refine.sh abinit refine noscissors

$HOME/\$TINIBA/refine.sh abinit refine scissors

Stoping right now...

$HOME/\$TINIBA/refine.sh

I need input Args
```

6.3 The GW method and Bethe-Salpeter Equation

to be done

6.4 Surfaces

God made solids ... but surfaces were the work of the devil, W. Pauli

6.5 Contributors

This list of contributors is not complete, if there are others let us know

- Bernardo Mendoza
- JL Cabellos
- Tonatiuh Rangel
- Cuahutemoc Salzar
- Norberto Arzate
- Fred Nastos

Appendix A

Extras

1. Compiling IBZ: executable ibz.medusa or ibz.quad

- 2. Compiling matrix elements: executable rpmns.itanium or rpmns.quad or rpmns.xeon
 - \$TINIBA/matrix_elements/ver3.0> compilerRPMNS.sh Follow instructions to compile in the three plataforms.
- 3. Old way to calculate Second Order Response (SHG)

Here you must to run response SHG.sh with option number 21 and 22 for lenght gauge formalism and 64 and 65 for velocity gauge formalism and you must provide the LDA band gap in order to calcuate zero scissors correction and you must provide experimental band gap in order to calculate the SHG with scissors correction. The typical value of semar is 0.15 eV, in the case of GaAs the tensor componet different of zero is xzy. when you finish with the glue.sh script, if everething is ok, you get a file that contains in the first row energy in eV, the second one the real part of 1 ω contribution of lenght, the third one the imaginary part of 1 ω contribution of lenght, the 4 one the real part of 2 ω contribution of lenght, and the others four rows (6-9) contains the SHG for velocity formalism. (6=Re,1 ω), (7=Im,1 ω), (8=Re,2 ω) and (9=Im,2 ω)

If you want to plot the $|\chi_2^{xyz}|$ for length gauge formalism in the case of GaAs, the typical line text in gnuplot is

p 'shg11_shg21_shg1t_shg2t_xxz_sm_0-150_3876_10-

```
nospin_32_N_0-849_0-0d0_0-0d0L_0-0d0t_SRC_response' u 1:(sqrt(($2+$4)**2+($3+$5)**2)) smooth csplines title '$\chi^2_{xyz}$' w 1 lw 2
```

- \bullet \$HOME/\$TINIBA/SRC_response/responseSHG.sh
- $$HOME/$TINIBA/SRC_response/all/doNuevoSmearingt_juniot_14t_2010.sh$
- \bullet \$HOME/\$TINIBA/1response/glue.sh



Figure A.1: INDAUTOR Certificate of TINIBA®

Bibliography

[1] J. E. Sipe and A. I. Shkrebtii. Second-order optical response in semiconductors. *Physical Review B*, $61(8):5337,\,2000.$ 5