

# INFO251 – Applied Machine Learning

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Lab 11  
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# Announcements

- **PS6** due Monday April 18
  - **PS7** released, due Monday May 2
  - **Quiz 2** on Thursday, April 28
  - It's not too late to **participate!** 😊
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# Remaining Labs

- **Today:** Unsupervised learning
  - **Next week (April 20):** Quiz review
  - **April 27:** Applied machine learning start-to-finish (guest lab from Esther Rolf)
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# Topics: Unsupervised Learning

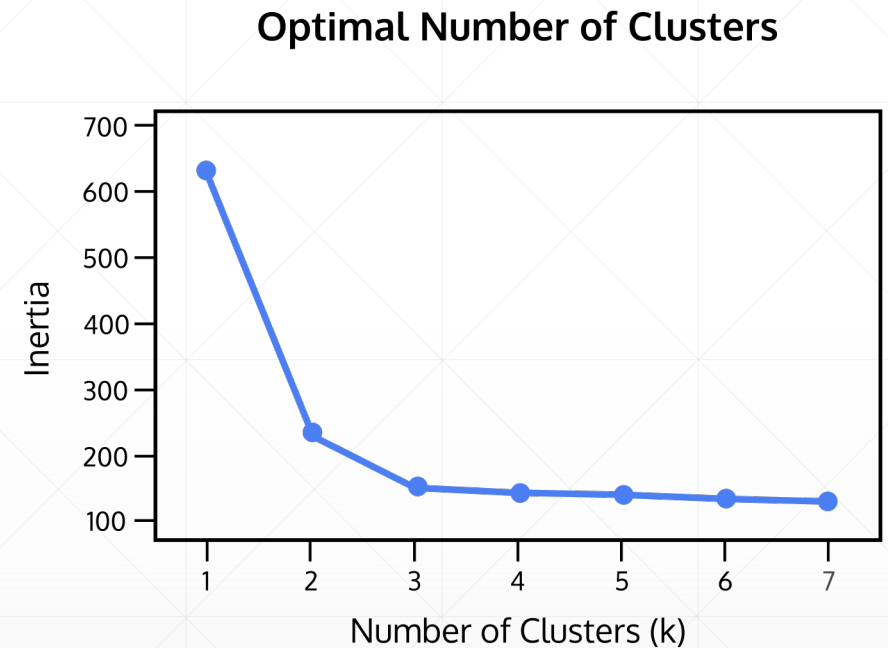
- K-Means clustering
  - Other types of clustering
  - Principal components analysis (PCA)
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# K-means clustering

- Fitting the k-means algorithm
    - Initialization: Guess some **cluster centers** at random
    - Repeat until converged:
      - All points are assigned to the closest cluster center
      - Cluster centers are redefined as the algorithmic mean of all points assigned to the cluster
  - Guarantee: Cluster centers are the mean of the observations in each cluster, and each point is closer to its own cluster center than any other
    - Sensitive to random initialization
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# What is the “right” number of clusters?

- **Option 1:** Set number of clusters based on expert knowledge
- **Option 2:** Use the “elbow method”
  - **Inertia:** The average squared distance between an observation and its cluster center
    - Decreases monotonically with the number of clusters
  - Plot inertia as a function of the number of clusters, and look for where the drop in inertia begins to slow



## Other clustering algorithms

- **Hierarchical agglomerative clustering (HAC):** Every observation starts in its own cluster, combine clusters recursively according to distance metric
  - **Hierarchical divisive clustering (HDC):** All the observations start in one cluster, split clusters until every observation is separated
  - **Density-based spatial clustering of applications with noise (DBSCAN):** Group together observations in high-density neighborhoods, mark low-density neighborhoods as outliers
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# Principal components analysis (PCA)

- **Goal:** Project data onto a lower  $n$ -dimensional subspace, such that each principal component explains the most variation possible and is perpendicular to all other principal components
  - **Algorithm:**
    1. Standardize the data
    2. Calculate the covariance matrix of the data ( $m \times m$  matrix, where  $m$  is the number of features in the dataset)
    3. Calculate the **eigenvectors** of the covariance matrix – these are the directions of the axes with the most variance
    4. The associated eigenvalues give the variance explained by each principal component
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# Uses for PCA

- Summarize high-dimensional data in a unidimensional vector for ranking or other unidimensional transformations
  - Project high-dimensional data into a low-dimensional subspace (e.g. two dimensions) for visualization
  - Dimensionality reduction for down-the-line supervised learning
    - Can help prevent overfitting
    - Reduces computational cost
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