

sufficiently small \$>0 since the devicting player then has note share I and payoff 1-8 > 12 for 5 4 1/2 the payoff (1,1) at (are if each player "at least 1" profile is an ME since a pray if some player material player =, not payoff is 1-2-1, so there some bonus atility from spending 0, is no profitable deviation. These payoffs to not "Moral highgrand" mate sense since they imply that each player reasonable to accept the constraint $V_{c+}V_{c}=1$.

2 UA (YA, YB) = (X-YA & YA>YB H feets uncomfortable to chork with de X/2-YA & YA=YB probability distributions where no action is EP>AP & AP-J played with positive probability because when a player does play some action, his doing so is entirely improbable, it had Suppose JB = X, then probability zero. So it seems we cannot say such though as "action right above the UA (YA=0, YB)=0, 4 (yA ∈ (0, yB), yB) = - yA < 0 gap in the support is according domin strictly dominated. What sort of lawquage UA (GA=GB, GB) = X/2-GA = -X/5 <0 CA (GA>GB, GB)=X-GA<0 So BA (YB=X)= 0 should we use? Suppose JB>X, HIRN UA (GA=0, GB)=0 UA (YA < (0, YB), YB) = - YA <0 UA (GA>GB, GB) = 0 X-GA<0 50 BA(9B>X) 20 suppose goxx then XBEE ONLY IT PA(YB) * X YB SINCE #PER YA(YAYB, YB) =- YA XX. discrete U4 (Y4 € (Y8 X) YB) = X-Y4>0 BA(GB) & 49B 51100 4 (GA=GB, GB) = X2-YA + =X5-YBX UA (YA= YB+E, YB)=X-YB-E for sufficiently small E(EXX) BA (YB) & YB Since (A(YA) YB, YB) = X-YA <
(YA) YA = YA - YA XBY (YB) = X-YA, i.e. ## 10 YA > YB maximises up since there is always some problems deutch YA = (YA, YB) that yields a higher 'YA. So BA(GB) = \$ BA(GB)= Of GB >X Suppose that I some # pure HE y= (yh, yh), then by definition of HE and BR, 97 = BA(98) - (0 & 98 >X 为牙 you x By Symmetry, \$8 (34) = 10 & 34 >X 0 & 4x >X then y's = BB(GX) Øf 9* < X 0= 就一就 00 美 就 就 19 3 配, No nous Than ye < x , so y = 0 = 0. By reductio, \$ pure ME 9x=(yx, yx) Assume players play symmetric strates Suppose that each player plays some common y with positive probability p. Then, too both plan par brander bad only bropapitif b, par bachers. Dique that play y. Then either player can profitable devicted by reallocating probability mass from y to ye & for sufficiently small & >0. Then, by so reallocating, By reallocating all probability mass from 9 to YEE, this player ticus lose's & with probability p and (when this action is played) but gains * x/2 with probability p2 (when the devicating

player plays gree and the other player plays g. 50 the asset to awarded to the devicative player with probability I rather than with probability 12. 50 this devication is profitable if pe X/2. At e X/2.

Suppose that y is a moved the whore each

probability distribution F(y).

Suppose that there is a gop [4,42] in the support of F(4), i.e. heither player plays any action in this interval.

informatly, then each player can profitebul delicate by reallocating probability mass from the actions at just above the interval to actions at the within and at the bottom of the interval. Informally, the former actions are more coarly than the latter, but both house the same probability of winning the contested asset since the other player never makes an intermediate bid. So it is not a Mash equilibrium of there is a gap in the support of F(4).

The equilibrium strategy of each player is the mixed strategy given by a uniform distribution over the actions $J_X \in I_0, \times J$.

TIME is the anknown by

remove yo from the support

action in gap has higher payout them Is which is in support, so has equal payoff to any other stratery in support so ye (9,42) is a profitable deviation

consider who y = x for completeness

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8P(#1=7(4)= 1/2 x8=4 Citarise & Pl. 2 is instructed to play R 8P(T/R)=8> 6P(T/R)+2P(B/R)=6 ther & vertices above that each player finds it weakly optimal to play as instructed. If x, ta, the playes play (T,R), (u, u2)=(2,8) If y, playes play (7,L), (u, (2)=(6,6) (f 2, players play (B,C), (u, u2) = (8,2) (E(u,), E(u2)) = (13x2+13x6+1/3x8, 1/3x8+1/3x6 3x8+ 13x6+13x2) = (16/3,16/3) Expected pourplis increase compared to the ecriter correlated equilibrium smac (T,C) which has higher everinge payoff to to each player than the coverage of (T,2) and (B, L) is mixed in the "mixed in" in this latter carelated equilibrium. This month toma Prograge Econ player's playing his part of (T,C) when so instructed is incentive compatible because each player, it he does not, maks receiving zero payoff due to miscookinction, In other words, because each player does not know cured the other has been instructed to play, ecoch player finds it aboutly optimal to play his part in (T,L) when so instructed, even though this would not be optimal if each player them that the other was a similarly instructed. this sort of "third penty" seems carecated moving of strategies seems incorporative germe "external" to the gaine theory. Corrected equilibrium can be interpreted So natural only while there is a natural signal, otherwise the extension feels "artifocial". as describing an equilibrium where players have access to some coordinating whice like a traffic light or a statistical computer. 50 of

By Bayers' rule" 4 P(Cj=L |C|=L) = P(Cj=L nCi=L)/P(Ci=L)=0/1/2=201 P(C;=H(C;=L):1-P(C;=L/C;=L)=1-20 of shumbery. P(C;=H|C;=H)= 20, P(C;=#L|C;=H)=1-20 Firm i believes, a posteriori, wat from i was the scame cost with probability 20 and a willer The strategy of each player is the pair (5; ", 5;") where Jix is the quantity player; chasses, or some probability distributions over quantities it tim i finds that it is a lives cost cx. The (ex past) payoff of each firm is a function of its quantity, its opponents quantity, its and its Ti= (1-9;-9;-0:)9; The interim payof of each from is a function of its quality and its type its opposits o. THE = 201 (1its quantity, its opponents quantity, and its type Tim = 20 [(1-9in-9in-CH)9in] unte qt qt etc instead + (1-20)[1-9iH-9iL-CH)9iH] = \$ (1-97H-CH)97H] (1-9iH - CH)9iH 7 209iH9iH 7 (1-20)9iL9iH Tic=20[(1-911-911-4)911] + (1-20) [(1-9:L-9:H-CL)9:L] = (1-9iL-CL)9iL - 229iC9iL-(1-2a) 9i49iL Taking FOCS 3 Tith /39iH= (1-9iH-CH)-9iH-{209iH-(1-20)9jk=0, 29iH = 1/2 [1-CH-2091H-(1-20)95L] STIL / SqiL = (1-9iL-CL)-9iL-229iL-(1-20)9iH=0, 9ic = 1/2 [1-cc - 209ic - (1-20) 9iH] write BR explicitly of Shunder of the Strates This solution seems too convoluted, but DH , THE 12[1-CH 20914 (1-20) 916 would it have gotten the right answer? 911 = 1/2[1-C= 20911- (1-20)911-1 (substituting BR into BR) 9~=[1+49-2(1+8)c+(1-28)c+] (3+8128) By substitution, 9111 /5(1-CH) 20/2[1-CH-20914-(1-20)91/L] If an soup "find a egm" can suppose symetry then statementy its of the - 2-20/4[1-CL-2091L-(1-20)91HJ = 15(1-CH) - 20/4 (1-CH) - (-20/4 (1-CH) + 20/4 (20/14 + (1-20)9/12] -X-1/2: Symetric camplete into Count + (-20/2 | 239/2 + (1-23)9/H) d=0: asymetric camplete info Count = 4(1-CH)+1/4 22(20914) \$ 23(1-23) 911 + 58 (1-50) LICH (1-50) X1-501 LIH } Careful to relision only with final = 1/4 (1-CH)+1/4) result to account for Gradegic effects Think alt extremes and small charges to & Expose that the equilibrium is symetric, then 649) dit = 1/2 [1-CH] = 1-50/3 dit] (140) dir= 1/2[1-cr]-1-70/5 ditt = 1/2 [1-c]- (1-20/2)(1/42)[1/2(1-cH)-1-20/9/4] why would a mother of interim BNE is equivalent to ex ante BNE?