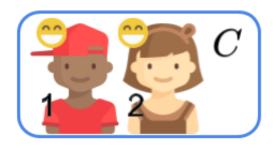
Modelo Matemático

min
$$(\sum_{B} g_{i}x_{i1} - \sum_{B} g_{i}x_{i2})^{2}$$

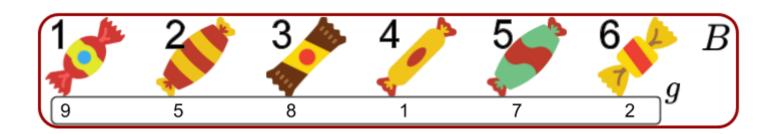
s. t. $x_{i1} + x_{i2} = 1, \forall i \in B$
 $x_{ij} = \{0, 1\}, \forall i \in B \land \forall j \in C$

```
In [1]: import pyomo.environ as poe
modelo = poe.AbstractModel()
```



Conjunto representando as crianças:

In [2]: modelo.criancas = poe.RangeSet(1,2)



Conjunto representando os bombons:

Nivel de gostosura dos bombons:

```
In [4]: modelo.gostosura = poe.Param(modelo.bombons, within=poe.NonNegativeReals)
```

Variáveis de decisão:

$$x_{11}$$
 x_{21} x_{31} x_{41} x_{51} x_{61} x_{12} x_{22} x_{32} x_{42} x_{52} x_{62}

- 1, se o bombom i for para a criança j
- 0, caso contrário

```
In [5]: modelo.x = poe.Var(modelo.bombons, modelo.criancas, within=poe.Binary)
```

Função objetivo:

min
$$(\sum_{B} g_i x_{i1} - \sum_{B} g_i x_{i2})^2$$

Restrições:

$$s. t. \quad x_{i1} + x_{i2} = 1, \forall i \in B$$

```
In [7]: def funcao_restricao_de_cobertura(modelo, i):
    return modelo.x[i, 1] + modelo.x[i, 2] == 1

modelo.restricao_de_cobertura = \
    poe.Constraint(modelo.bombons, rule=funcao_restricao_de_cobertura)
```

```
In [8]: ! cat candy_box_problem_instance.dat

# AMPL format

set bombons := 1 2 3 4 5 6;

param gostosura := 1 9
2 5
3 8
4 1
5 7
6 2;
;
```

```
In [10]:
         !grep -B 1 -A 99 "# Solution Information" results.yml
             Solution Information
         Solution:
         - number of solutions: 1
           number of solutions displayed: 1
         - Gap: None
           Status: optimal
           Message: bonmin\x3a Optimal
           Objective:
             0BJ:
               Value: 0
           Variable:
             x[1,2]:
               Value: 1
             x[2,2]:
               Value: 1
             x[3,1]:
               Value: 1
             x[4,1]:
               Value: 1
             x[5,1]:
               Value: 1
             x[6,2]:
               Value: 1
           Constraint: No values
```