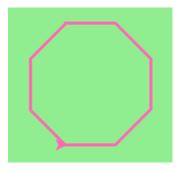
## Lista de Exercícios 1 (Slides: Python 1)

## Instruções:

- a) Os exercícios são individuais e devem ser entregues como projetos no GitHub.
- b) Enviar o link do site no GitHub através do Google Class.
- c) Data final para entrega: 7/04/2020
- 1 ) Write a program to draw this. Assume the innermost square is 20 units per side, and each successive square is 20 units bigger, per side, than the one inside it.



2) Write a void function draw\_poly(t, n, sz) which makes a turtle draw a regular polygon. When called with draw\_poly(tess, 8, 50), it will draw a shape like this:



3) Write a fruitful function  $sum_{to}(n)$  that returns the sum of all integer numbers up to and including n. So  $sum_{to}(10)$  would be 1+2+3...+10 which would return the value 55.

- 4) Sum all the elements in a list up to but not including the first even number. (Write your unit tests. What if there is no even number?)
- 5) Count how many words occur in a list up to and including the first occurrence of the word "sam". (Write your unit tests for this case too. What if "sam" does not occur?)
- 6) Write a function, is\_prime, which takes a single integer argument and returns True when the argument is a *prime number* and False otherwise. Add tests for cases like this:

```
test(is_prime(11))
test(not is_prime(35))
test(is_prime(19911121))
```

The last case could represent your birth date. Were you born on a prime day? In a class of 100 students, how many do you think would have prime birth dates?

7) Write a function  $sum_of_squares(xs)$  that computes the sum of the squares of the numbers in the list xs. For example,  $sum_of_squares([2, 3, 4])$  should return 4+9+16 which is 29:

```
test(sum_of_squares([2, 3, 4]) == 29)
test(sum_of_squares([]) == 0)
test(sum_of_squares([2, -3, 4]) == 29)
```

8) Print a neat looking multiplication table like this:

```
1
         2
             3
                4
                   5
                      6
                          7
                             8
                                9 10 11 12
1:
      1
         2
             3
               4
                   5
                      6
                         7
                            8
                                9
                                   10
                                         12
2:
      2
         4
            6
               8 10
                     12 14 16 18
                                   20
                                      22
                                         24
      3 6
           9 12 15
                     18
                         21
                            24 27 30
                                     33 36
3:
      4 8 12 16 20
                      24 28 32 36 40 44 48
4:
5:
     5 10 15 20 25 30 35 40 45 50 55 60
     6 12 18 24 30 36 42 48 54 60 66 72
6:
7:
     7 14 21 28 35 42 49 56 63 70
                                     77 84
      8 16 24 32 40 48 56 64 72 80
                                      88 96
8:
9:
      9 18 27
               36 45
                     54 63
                            72
                               81 90 99 108
10:
     10 20 30 40 50 60 70 80 90 100 110 120
     11 22 33 44 55 66 77 88 99 110 121 132
11:
12:
     12 24 36 48 60 72 84 96 108 120 132 144
```

9) Write a function that recognizes palindromes. (Hint: use your reverse function to make this easy!):

```
test(is_palindrome("abba"))
test(not is_palindrome("abab"))
test(is_palindrome("tenet"))
```

```
test(not is_palindrome("banana"))
test(is_palindrome("straw warts"))
test(is_palindrome("a"))
# test(is_palindrome("")) # Is an empty string a
palindrome?
```

10) A complex number is a number of the form a + bi, whereby a and b are constants, and i is a special value that is defined as the square root of -1. Of course, you never try to actually calculate what the square root of -1 is, as that gives a runtime error; in complex numbers, you always let the i remain. For instance, the complex number 3 + 2i cannot be simplified any further. Addition of two complex numbers a + bi and c + di is defined as (a + c) + (b + d)i. Represent a complex number as a tuple of two numeric values, and create a function that calculates the addition of two complex numbers.