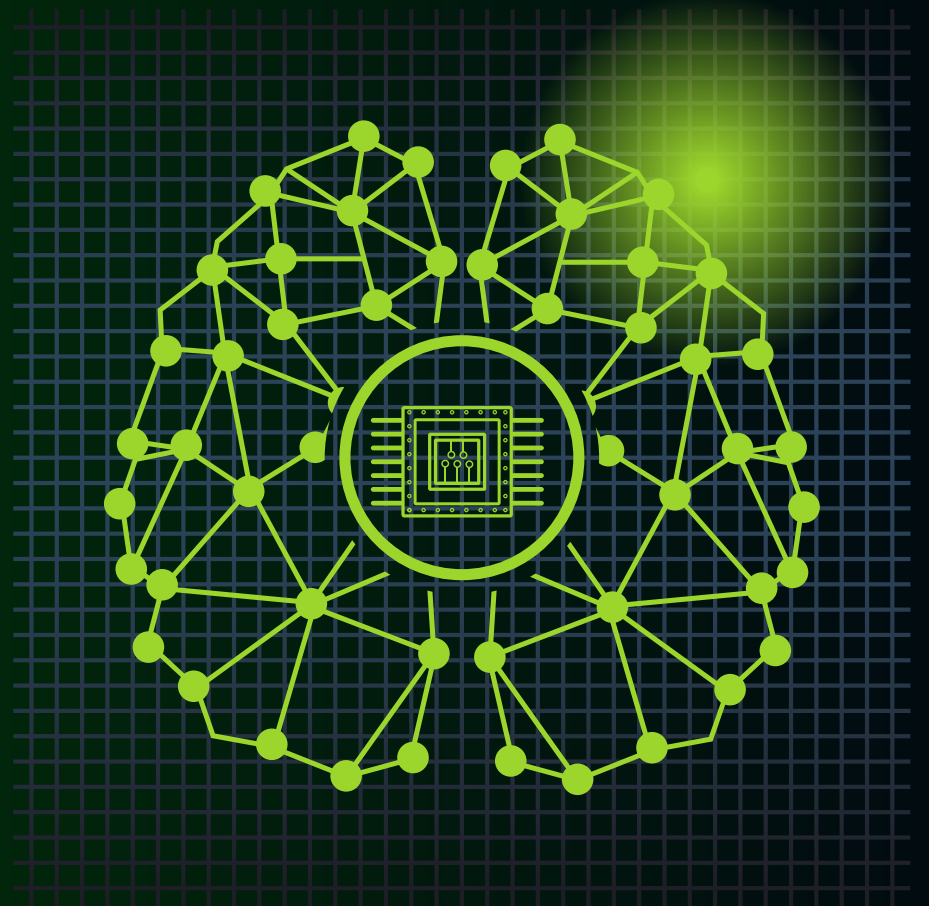


# MACHINE LEARNING

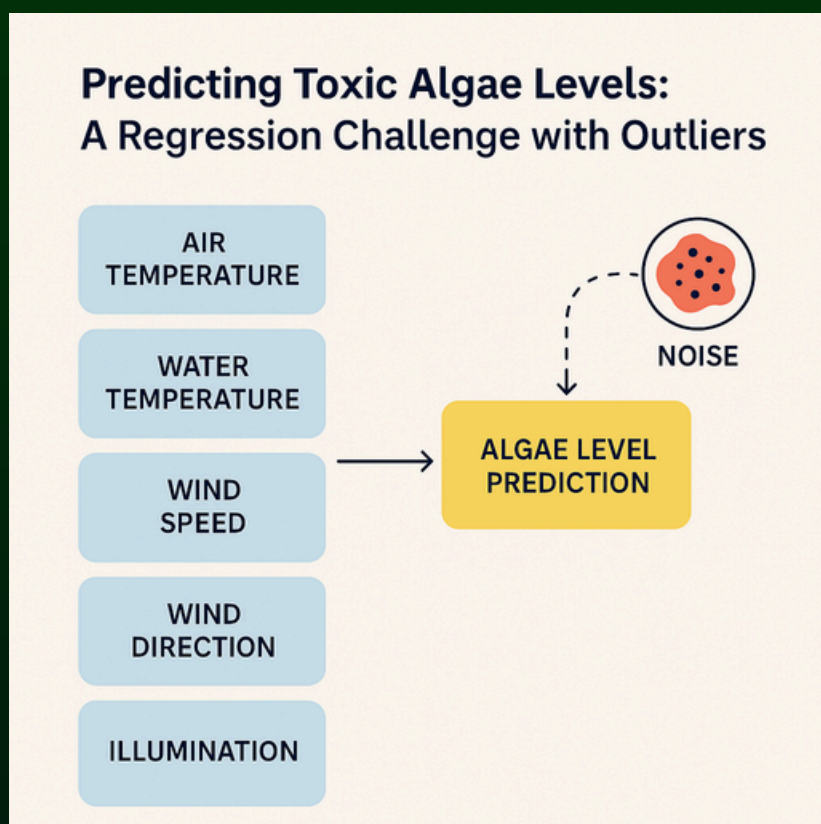
**PREDICTING  
TOXIC ALGAE  
LEVELS: A  
REGRESSION  
CHALLENGE  
WITH OUTLIERS**



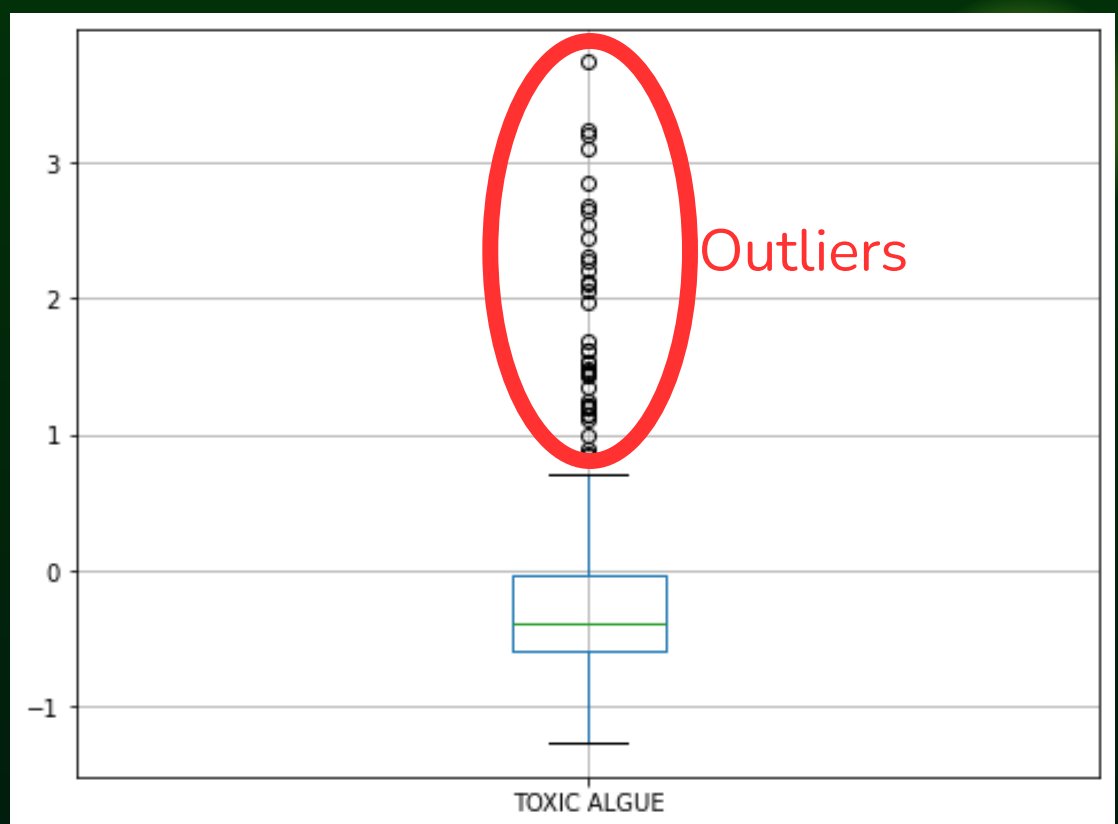
# PROBLEM INTRODUCTION

Given environmental data (air/water temperature, wind, illumination), predict toxic algae concentration using linear regression.

Data is contaminated with instrument noise (Gaussian) and human error (~25% of  $y$  values) causing outliers.



*Problem diagram.*



*Boxplot for dependent variable.*

**Objective:** Estimate algae level ( $y$ ) from sensor inputs ( $X$ ) despite noisy readings.

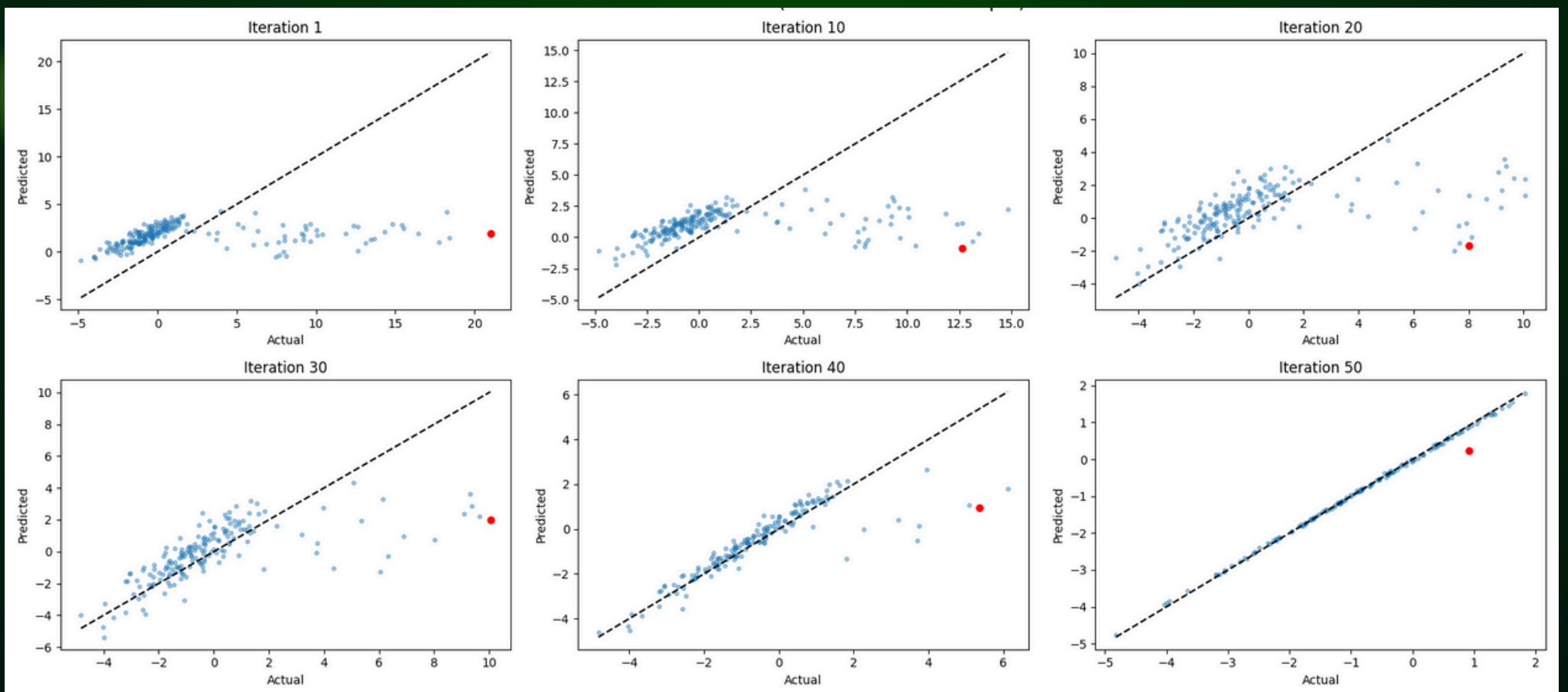
**To address the outlier challenge, we explored two iterative regression approaches: Iterative Outlier Removal (IOR) and RANSAC Regression.**

# APPROACH 1 – ITERATIVE LASSO + OUTLIER REMOVAL

We remove outliers step by step (Goal: Improve regression robustness by iteratively removing outliers):

- 01 Fit a Lasso regression model**
- 02 Identify the sample with the highest error**
- 03 Remove it**
- 04 Repeat for 50 iterations**

Final model is trained on cleaned data, improving robustness.

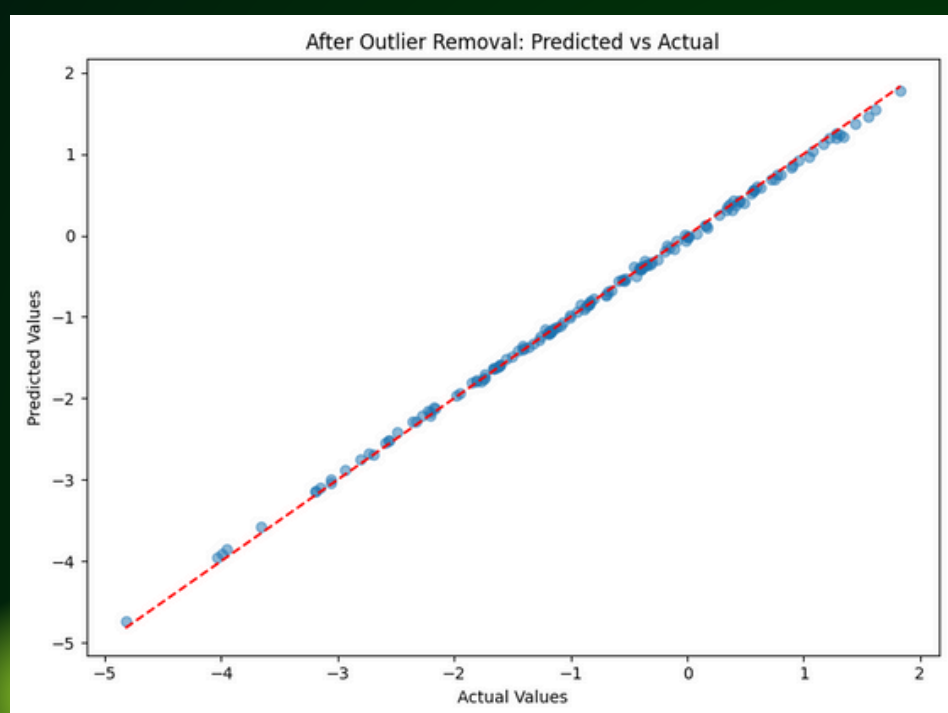


*Predicted vs. Actual Values - Iterations*

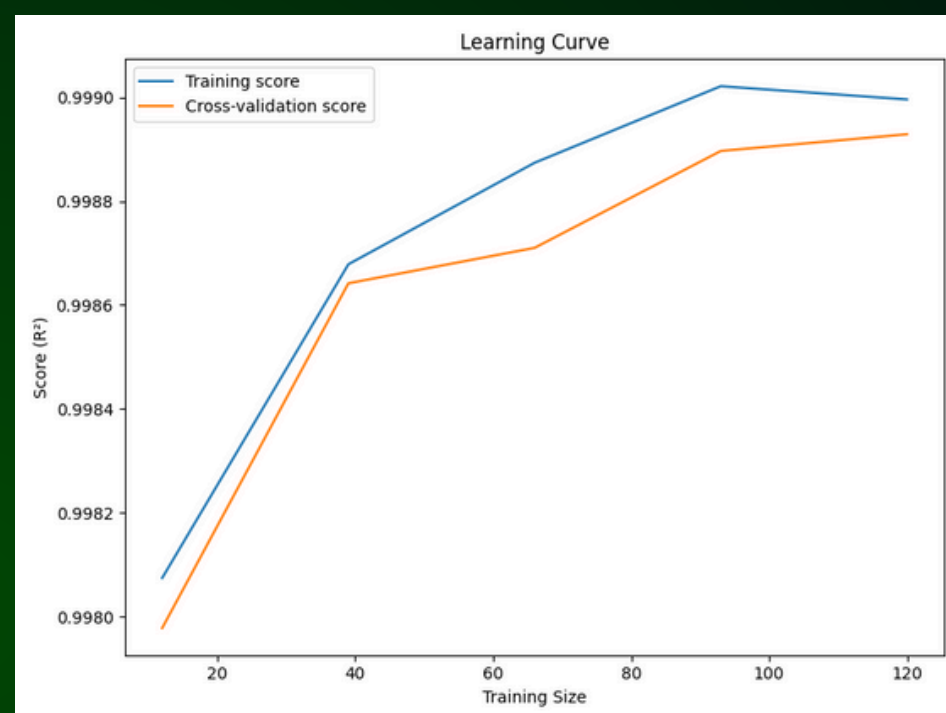
# APPROACH 1 – ITERATIVE LASSO + OUTLIER REMOVAL

## RESULTS

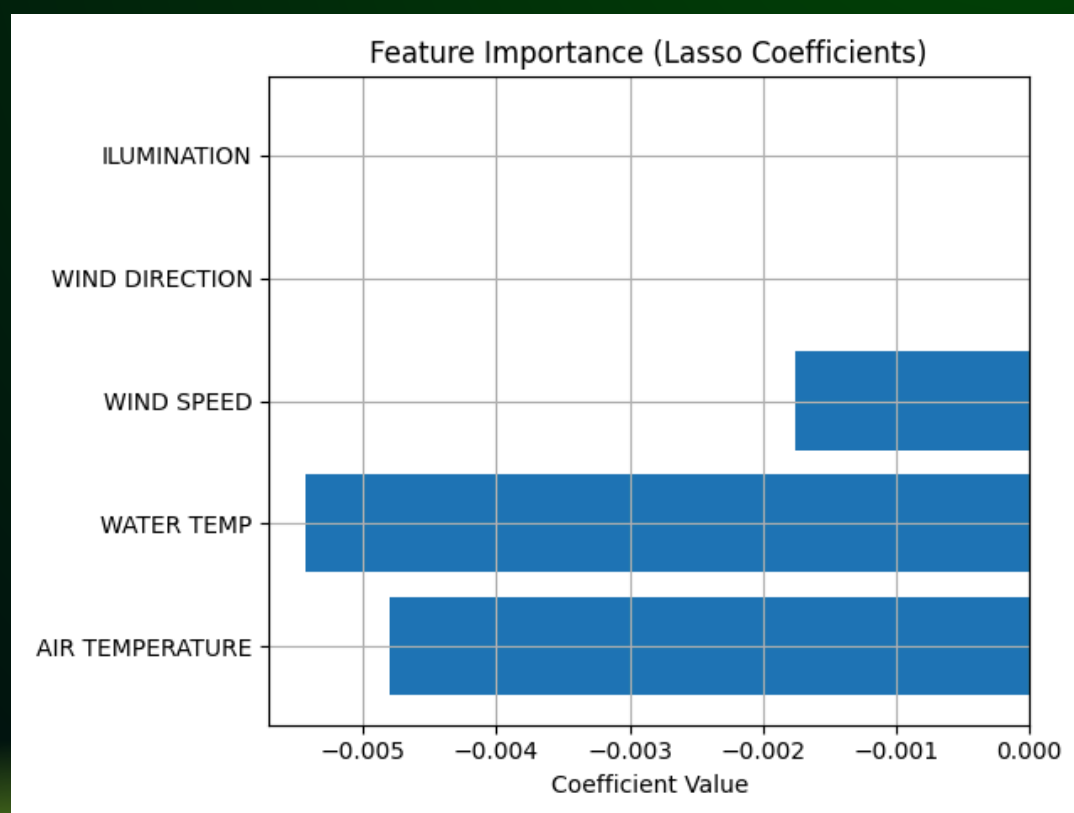
Better fit after eliminating high-error samples.  
Evaluated using cross-validation ( $R^2$  scores)  
and learning curves.



*Predicted vs. Actual Values - After IOR*



*Learning Curve*



*Feature Importance Graph*

“Water temperature and air temperature are the most influential predictors — matching domain expectations.”

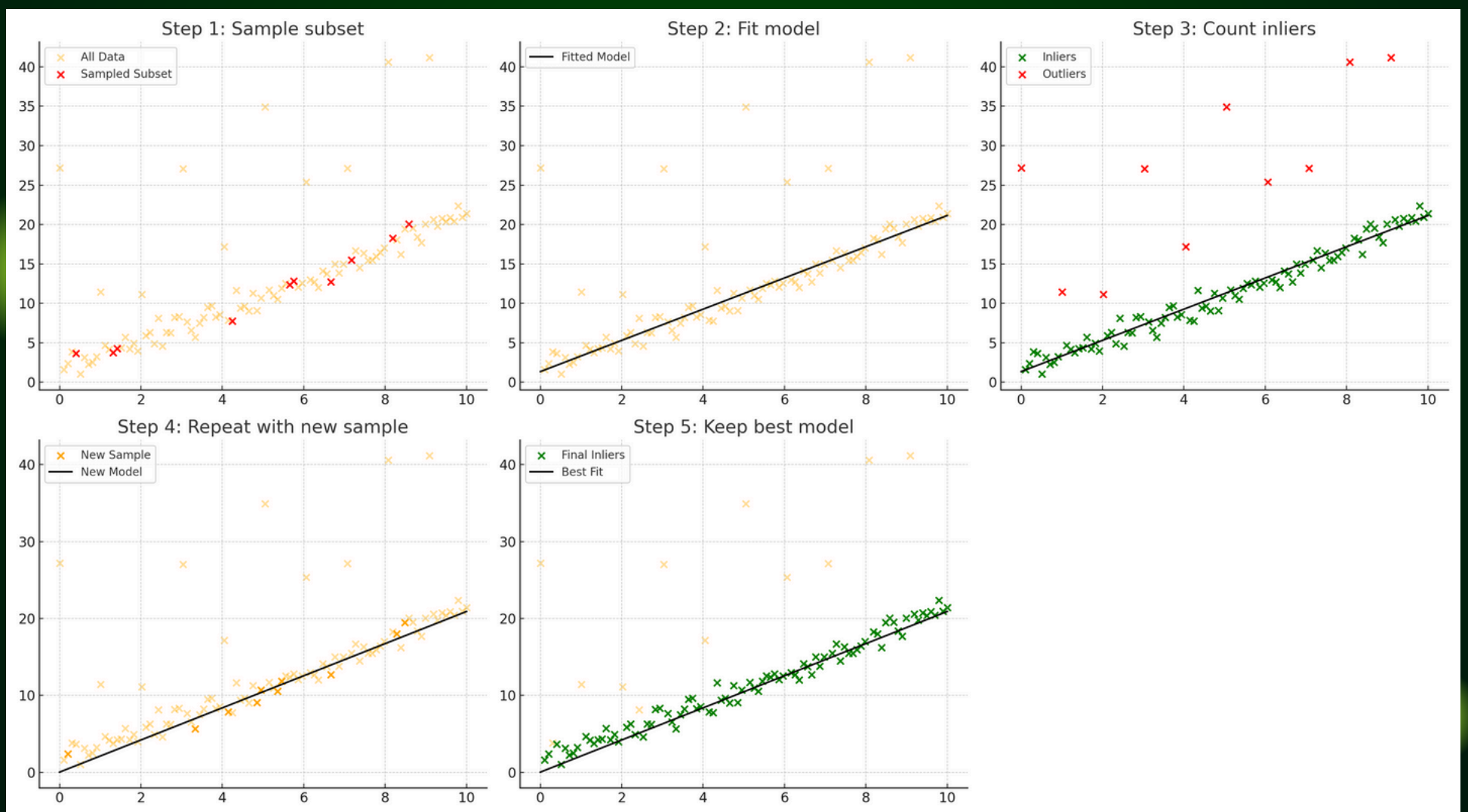
Coeficientes	
$\beta_0$ (intercept)	0.701985
$\beta_1$ (AIR TEMP)	-0.0048
$\beta_2$ (WATER TEMP)	-0.00543
$\beta_3$ (WIND SPEED)	-0.00175
$\beta_4$ (WIND DIR)	0
$\beta_5$ (ILUM)	0

Cross Validation R2	
Average	0.9988

# APPROACH 2 – RANSAC FOR ROBUST FITTING

The steps to follow are:

- 01** Select a random subset of data points.
- 02** Fit a Lasso regression model on this subset
- 03** Count how many full-data points are inliers (within residual threshold).
- 04** Repeat for 100 iterations and keep the model with the most inliers.



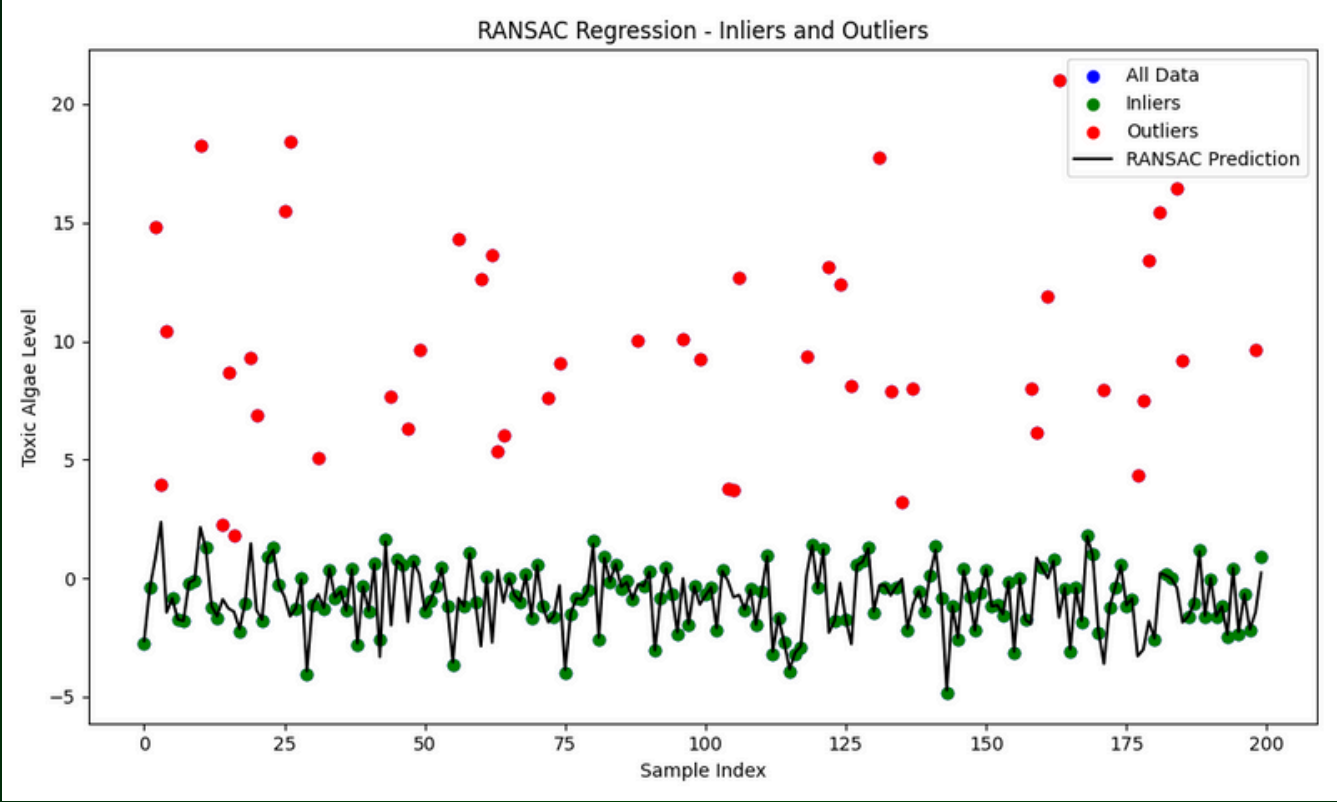
*Explanation Graph of RANSAC Iterative Process*



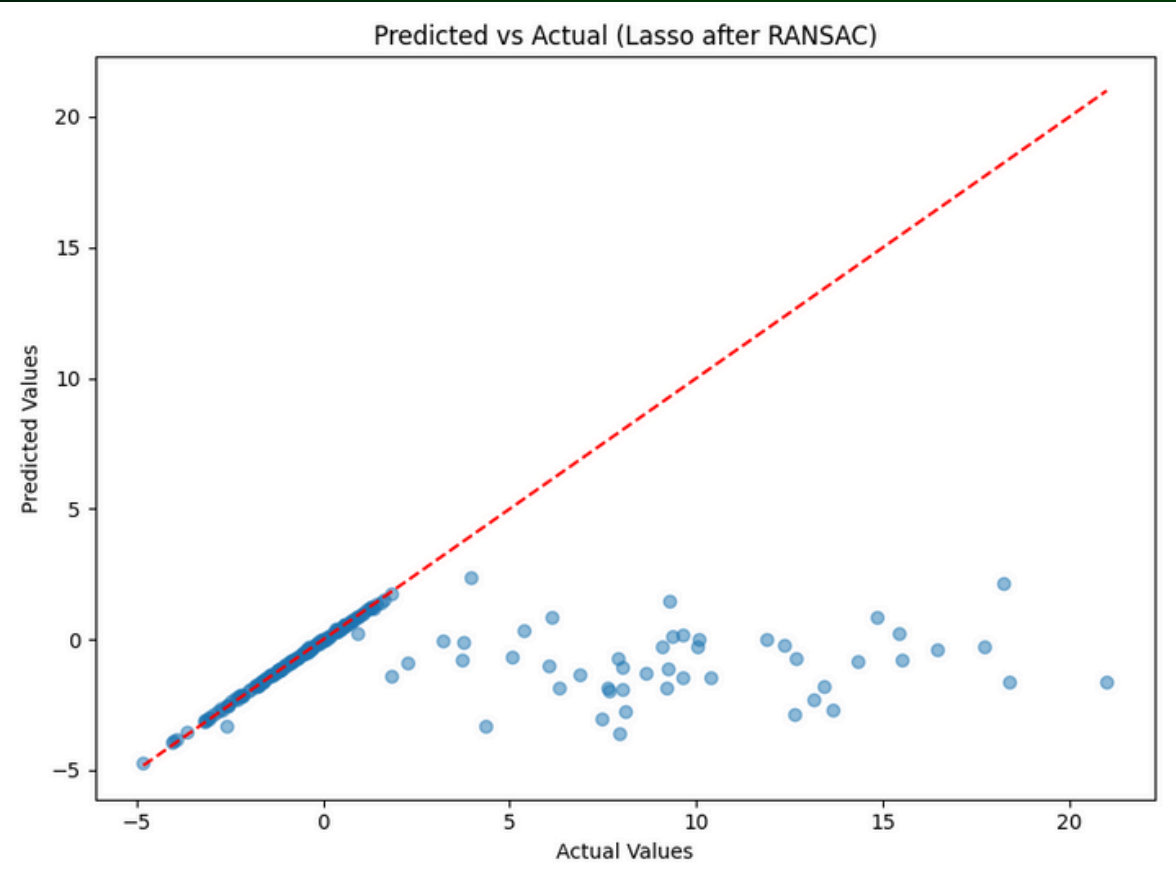
# APPROACH 2 – RANSAC FOR ROBUST FITTING

## RESULTS

Model performance evaluated with cross-validation  $R^2$  and MSE.  
Identified and visualized inliers/outliers effectively.  
RANSAC effectively isolates extreme values, training a clean model on inliers only. This improves generalization and stabilizes feature interpretation.



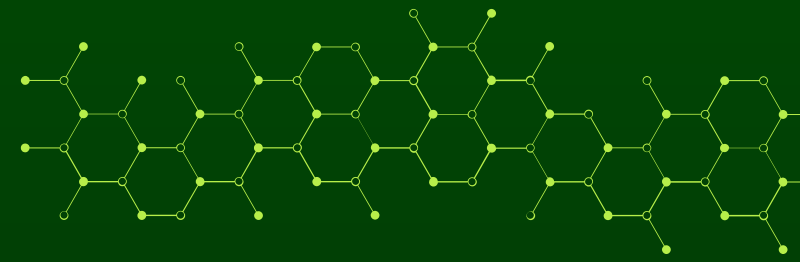
RANSAC Inliers and Outliers



Predicted vs Actual (After RANSAC)

Coeficientes	
$\beta_0$ (intercept)	0.70662
$\beta_1$ (AIR TEMP)	-0.00478
$\beta_2$ (WATER TEMP)	-0.00533
$\beta_3$ (WIND SPEED)	-0.00179
$\beta_4$ (WIND DIR)	0
$\beta_5$ (ILUM)	0

Cross Validation R2	
Average	'0.99403



## CONCLUSION – ROBUST REGRESSION FOR NOISY DATA

- Outliers significantly affect regression models, leading to poor generalization and biased coefficients.
- Two iterative techniques — IOR and RANSAC — were applied to handle outliers effectively, improving robustness and interpretability.
- Both approaches achieved excellent performance, with an average cross-validation  $R^2 \approx 0.99$  on a dataset of 200 samples.
- These results highlight the importance of outlier handling in small, real-world datasets commonly affected by noise or human error.
- Robust regression techniques like these are essential tools in applied machine learning pipelines where data quality is not guaranteed.



**Robust regression methods significantly improve model reliability when dealing with noisy or contaminated data.**