

# Automatic Fence Segmentation in Videos of Dynamic Scenes

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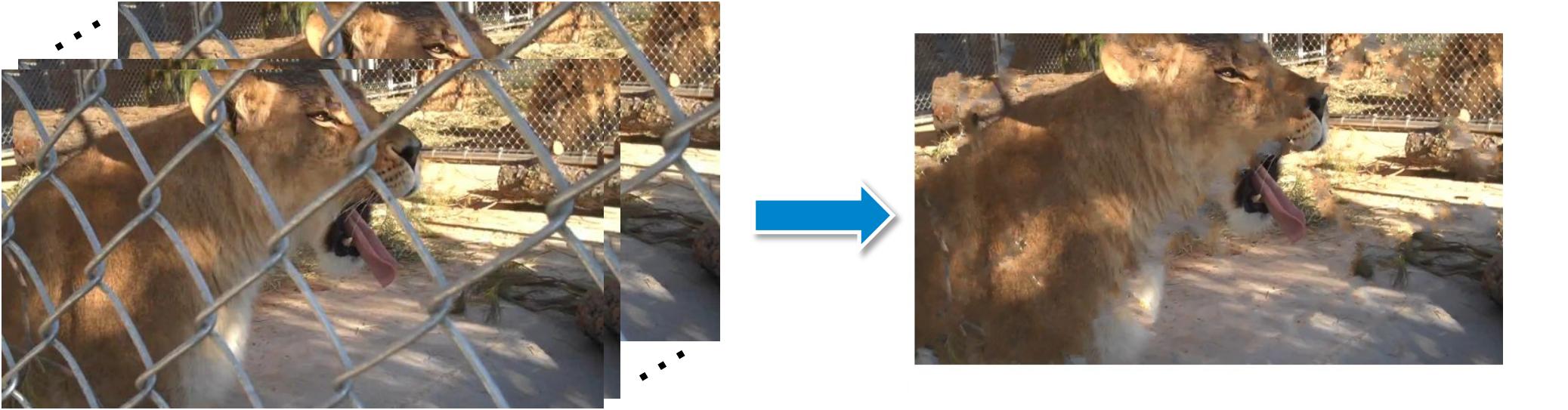
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## Motivations



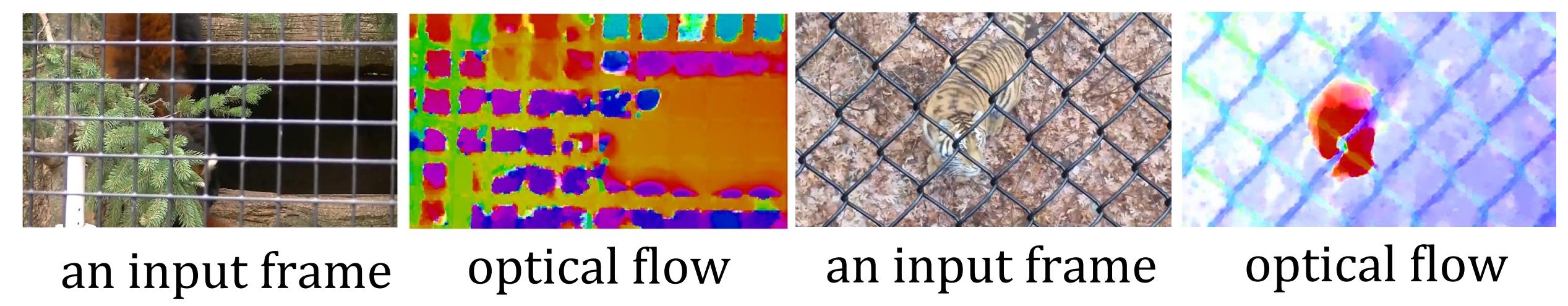
- Creating a fence-free image from a video clip

## Challenges

- Hard to detect & segment fence from the input video, due to (moving backgrounds, distorted or irregular fence, thin and repetitive fence structures, changing illumination, etc)
- Recent works [1, 2] only deal with static scenes

## Our observations

- Both background objects and the camera are often moving
- Motion contrast brings strong segmentation cues

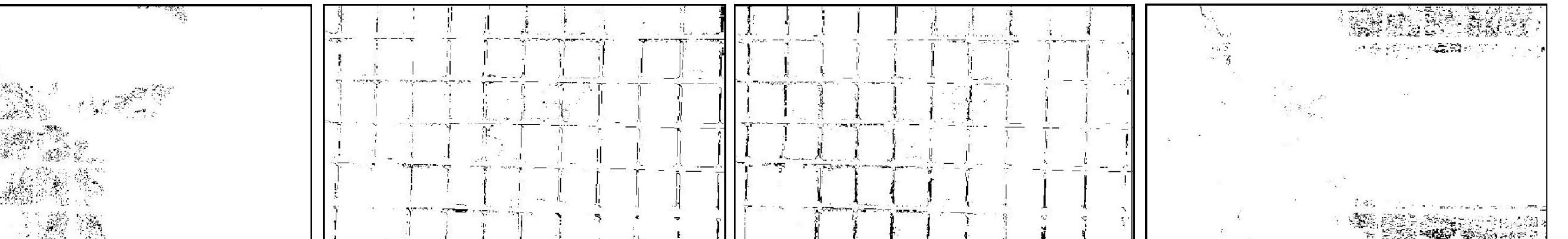


## Initial Segmentation



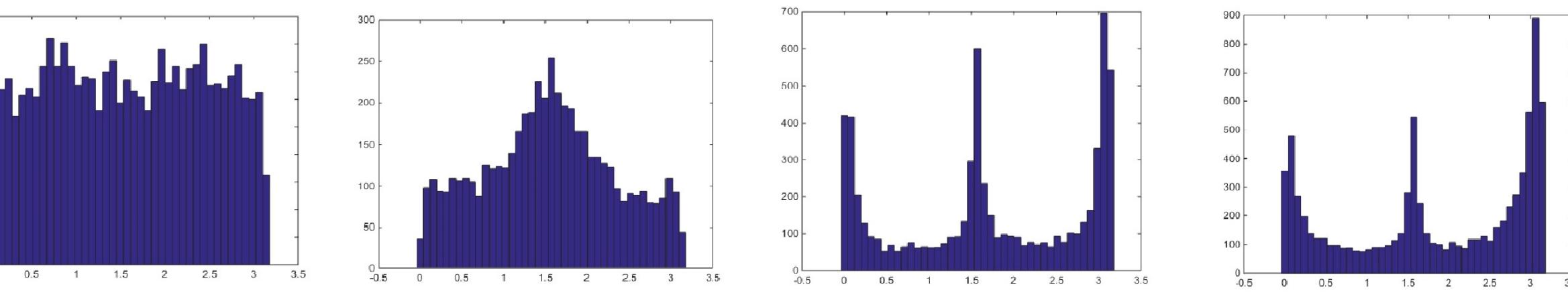
Selected frames from a input video

Group pixels according to color and motion

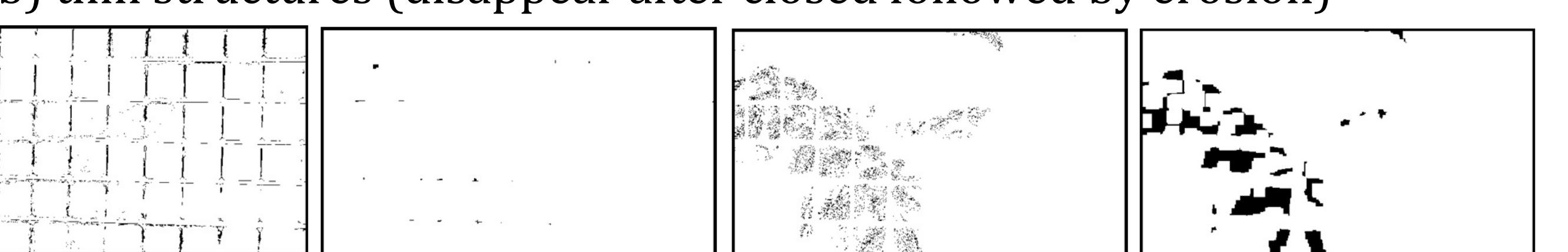


Fence groups have two distinctive features:

(a) bi-module gradient orientation histograms



(b) thin structures (disappear after closed followed by erosion)



Graph-cut based segmentation (frame by frame):

- A fully-connected graph, each vertex is a pixel group.
- The data cost  $D(c\downarrow i, l\downarrow i) = l\downarrow i(1 - P(c\downarrow i)) + (1 - l\downarrow i)P(c\downarrow i)$
- $P(c\downarrow i)$  is the probability of  $c\downarrow i$  being fence (according to the above two features).
- The smooth term  $S(c\downarrow i, c\downarrow j, l\downarrow i, l\downarrow j) = \delta(l\downarrow i, l\downarrow j)(1 - S\downarrow 1(c\downarrow i, c\downarrow j))(1 - S\downarrow 2(c\downarrow i, c\downarrow j))(1 - S\downarrow 3(c\downarrow i, c\downarrow j))$
- $S\downarrow 1, S\downarrow 2, S\downarrow 3$  measures the similarity of  $c\downarrow i, c\downarrow j$  in color and gradient orientation distributions.



## Segmentation Refinement

Dense CRF based segmentation (with all video frames):

- A fully-connected graph, each vertex is a pixel.
- The data term  $\mathbb{D}(x, l_x) = l_x \cdot (1 - \mathbb{P}(x)) + (1 - l_x) \cdot \mathbb{P}(x)$
- $\mathbb{P}(x) = \mathbb{P}_1(x) \cdot \mathbb{P}_2(x)$  encodes the consistency with initialization, and the probability of a pixel being fence.
- The smooth term  $\mathbb{S}(x, l_x; y, l_y) = \delta(l\downarrow x, l\downarrow y)k(x, y)$
- $k(x, y)$  measures the similarity of  $x, y$  in both color and position

Segmentation results:



## Results (fence removal results in the paper):



## Reference

- [1] T. Xue, M. Rubinstein, C. Liu, W. Freeman. A computational approach for obstruction-free photography. ACM Transactions on Graphics (TOG), 2015, 34(4): 79.
- [2] Y. Mu, W. Liu, S. Yan, Video de-fencing. arXiv preprint, arXiv:1210.2388, 2012
- [3] P. Krähenbühl, V. Koltun. Efficient inference in fully connected CRFs with Gaussian edge potentials. NIPS 2011.