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# Quantum Generative Adversarial Network with Noise

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**Project Name:** Quantum Generative Adversarial Network with Noise

**Project member:**

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*Submitted by:*

YIXUAN ZHU

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# 1 Experiment

Run the code then draw the picture

maxcut gradient

maxcut adam

maxcut adagrad

maxcut COBYLA

maxcut momentum

# 2 Next Plan

P: run the next code

GAN

# 3 Appendix

## A Source Code

```
1
2 import pennylane as qml
3 from pennylane import numpy as np
4 geometry = 'h2.xyz'
5
6 import pickle
7
8
9 def load_model(file_path):
10     with open(file_path, 'rb') as qc:
11         model = pickle.load(qc)
12     return model
13
14
15 h = load_model('./hamiltonian/h_test.xyz')
16 nr_qubits = 4
17
18 print('Number of qubits = ', nr_qubits)
19 print('Hamiltonian is ', h)
20
21 #####
22 # That's it! From here on, we can use PennyLane as usual, employing its entire stack
23   of
24 # algorithms and optimizers.
25 #
26 # Implementing the VQE algorithm
27 # -----
28 #
29 # PennyLane contains the :class:`~.VQECost` class, specifically
30 # built to implement the VQE algorithm. We begin by defining the device, in this case
31   a simple
```

```

30 # qubit simulator:
31
32 dev = qml.device('default.qubit', wires=nr_qubits)
33
34
35 #####
36 # In VQE, the goal is to train a quantum circuit to prepare the ground state of the
    input
37 # Hamiltonian. This requires a clever choice of circuit, which should be complex
    enough to
38 # prepare the ground state, but also sufficiently easy to optimize. In this example,
    we employ a
39 # variational circuit that is capable of preparing the normalized states of the form
40 # :math: '\alpha|110\rangle + \beta|0011\rangle' which encode the ground state wave
    function of
41 # the hydrogen molecule described with a minimal basis set. The circuit consists of
    single-qubit
42 # rotations on all wires, followed by three entangling CNOT gates, as shown in the
    figure below:
43 #
44 # |
45 #
46 # .. figure:: /demonstrations/variational_quantum_eigensolver/sketch_circuit.png
47 #     :width: 50%
48 #     :align: center
49 #
50 # |
51 #
52
53 #####
54 # In the circuit, we apply single-qubit rotations, followed by CNOT gates:
55
56 '''
57 def circuit(params, wires):
58     qml.BasisState(np.array([1, 1, 0, 0]), wires=wires)
59     for i in wires:
60         qml.Rot(*params[i], wires=i)
61     qml.CNOT(wires=[2, 3])
62     qml.CNOT(wires=[2, 0])
63     qml.CNOT(wires=[3, 1])
64 '''
65
66 def circuit(params, wires, n_layers=1):
67     qml.BasisState(np.array([1, 1, 0, 0]), wires=wires)
68
69     for i in range(n_layers):
70         for j in wires:
71             qml.Rot(params[i,j,0], params[i,j,1],params[i,j,2],wires=j)
72             qml.CNOT(wires=[2, 3])
73             qml.CNOT(wires=[2, 0])
74             qml.CNOT(wires=[3, 1])
75
76

```

```

77 #####
78 # .. note::
79 #
80 #     The qubit register has been initialized to  $|1100\rangle$  which encodes
      the
81 #     Hartree-Fock state of the hydrogen molecule described with a 'minimal basis
82 #     <https://en.wikipedia.org/wiki/Basis\_set\_\(chemistry\)#Minimal\_basis\_sets>'_.
83 #
84 # The cost function for optimizing the circuit can be created using the :class:`.
      VQECost`
85 # class, which is tailored for VQE optimization. It requires specifying the
86 # circuit, target Hamiltonian, and the device, and returns a cost function that can
87 # be evaluated with the circuit parameters:
88
89
90 cost_fn = qml.VQECost(circuit, h, dev)
91
92 #####
93 # Wrapping up, we fix an optimizer and randomly initialize circuit parameters. For
      reliable
94 # results, we fix the seed of the random number generator, since in practice it may be
      necessary
95 # to re-initialize the circuit several times before convergence occurs.
96
97 opt = qml.AdamOptimizer(stepsize=0.4)
98 np.random.seed()
99 num_layers = 1
100 params = np.random.normal(0, np.pi, (num_layers, nr_qubits, 3))
101
102 print(params)
103
104 #####
105 # We carry out the optimization over a maximum of 200 steps, aiming to reach a
      convergence
106 # tolerance (difference in cost function for subsequent optimization steps) of  $\sim 10^{-6}$ 
      :  $\sim 10^{\{$ 
107 #  $-6\}$ '.
108
109 import xlrd
110
111 from xlutils.copy import copy as xl_copy
112
113 #V
114 '''
115 rb = xlrd.open_workbook("./DATA/vqe_Adam_DATA.xls",formatting_info=True)
116 workbook=xl_copy(rb)
117 print(workbook)
118 sheet = rb.sheets()[0]
119 col =sheet.ncols
120 sheet = workbook.get_sheet(0)
121 '''
122
123 max_iterations = 300

```

```

124 conv_tol = 1e-06
125
126 prev_energy = cost_fn(params,n_layers=num_layers)
127 for n in range(max_iterations):
128     params = opt.step(cost_fn, params)
129     energy = cost_fn(params)
130     conv = np.abs(energy - prev_energy)
131
132     print('Iteration = {:}, Ground-state energy = {:.8f} Ha, Convergence parameter =
133           {:.8f} Ha'.format(n, energy, conv))
134
135     #sheet.write(n, col, "{:0.7f}".format(energy))
136     '''
137     if conv <= conv_tol:
138         break
139     '''
140     prev_energy = energy
141
142 '''
143 workbook.save('./DATA/vqe_Adam_DATA.xls')
144 '''
145
146 print()
147 print('Final convergence parameter = {:.8f} Ha'.format(conv))
148 print('Final value of the ground-state energy = {:.8f} Ha'.format(energy))
149 print('Accuracy with respect to the FCI energy: {:.8f} Ha ({:.8f} kcal/mol)'.
150       format(np.abs(energy - (-1.136189454088)), np.abs(energy - (-1.136189454088)) *
151             627.503))
152
153 print()
154 print('Final circuit parameters = \n', params)
155
156 #####
157 # Success! ??? The ground-state energy of the hydrogen molecule has been estimated
158 # with chemical
159 # accuracy (< 1 kcal/mol) with respect to the exact value of -1.136189454088 Hartree (
160 # Ha) obtained
161 # from a full configuration-interaction (FCI) calculation. This is because, for the
162 # optimized
163 # values of the single-qubit rotation angles, the state prepared by the VQE ansatz is
164 # precisely
165 # the FCI ground-state of the :math:'H_2' molecule :math:'|H_2\rangle_{gs} = 0.99
166 # |1100\rangle - 0.10
167 # |0011\rangle'.
168 #
169 # What other molecules would you like to study using PennyLane?
170 #
171 # .. _vqe_references:
172 #
173 # References
174 # -----
175 #

```

```
169 # 1. Alberto Peruzzo, Jarrod McClean *et al.*, "A variational eigenvalue solver on a
    # photonic
170 # quantum processor". `Nature Communications 5, 4213 (2014).
171 # <https://www.nature.com/articles/ncomms5213?origin=ppub>`__
172 #
173 # 2. Yudong Cao, Jonathan Romero, *et al.*, "Quantum Chemistry in the Age of Quantum
    # Computing".
174 # `Chem. Rev. 2019, 119, 19, 10856-10915.
175 # <https://pubs.acs.org/doi/10.1021/acs.chemrev.8b00803>`__
```

