

# Task 1: The EUxPancreas Cohort Study

The EUxPancreas study investigates regional and demographic patterns in pancreatic cancer incidence across Europe. The dataset includes demographic, lifestyle, and regional predictors for new cancer cases, with the goal of identifying key risk factors.

*Explore the dataset:*

```
> head(data)
  X NewCases Npopulation Region AgeGroup Sex CListd SmokingPrevalence BMImedian
1 1         7      134167 Region1    20-39 Male  0.608           0.14618      23.7
2 2         6      133057 Region2    20-39 Male  0.961           0.15393      25.6
3 3         7      132978 Region3    20-39 Male -0.055           0.12506      25.2
4 4         5      133420 Region4    20-39 Male  0.637           0.12901      23.3
5 5        11      135585 Region5    20-39 Male  0.705           0.16821      26.2
6 6         8      134167 Region1    40-59 Male -0.182           0.10592      24.5
```

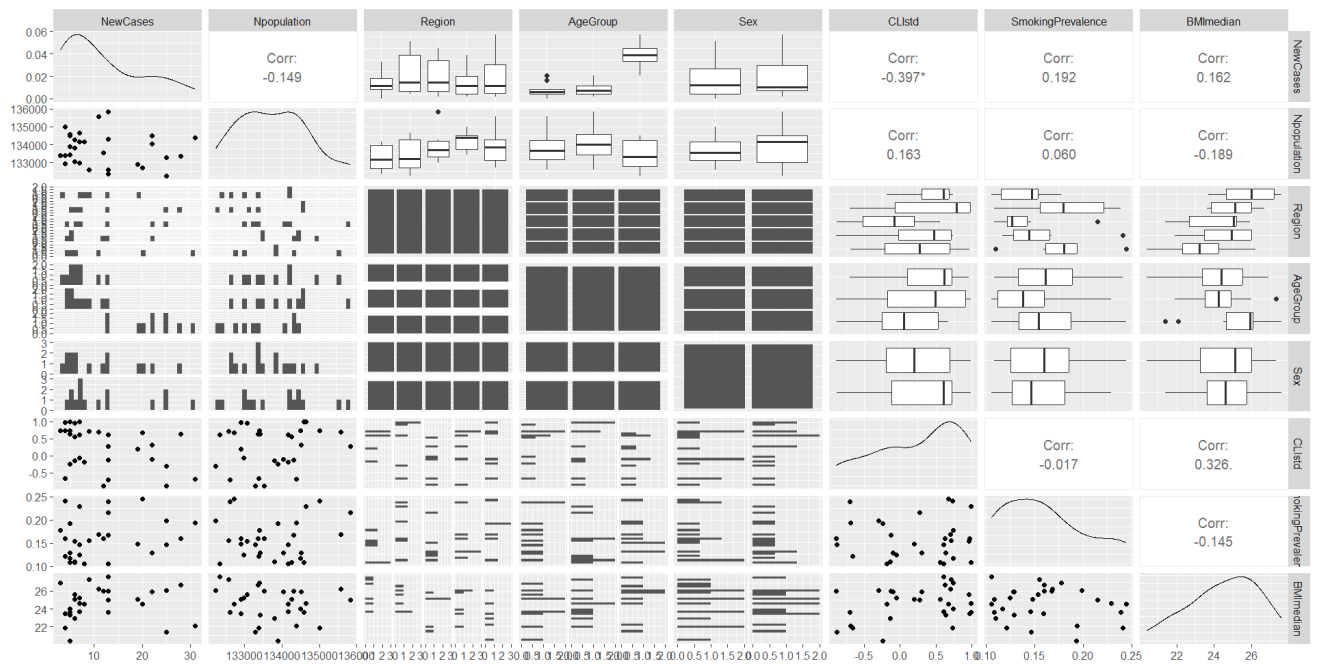
```
> summary(data)
      X          NewCases      Npopulation      Region
Min.   : 1.00   Min.   : 3.00   Min.   :132219   Length:30
1st Qu.: 8.25   1st Qu.: 5.25   1st Qu.:132998   Class :character
Median :15.50   Median : 8.50   Median :133660   Mode  :character
Mean   :15.50   Mean   :11.93   Mean   :133744
3rd Qu.:22.75   3rd Qu.:17.50   3rd Qu.:134366
Max.   :30.00   Max.   :31.00   Max.   :135836

      AgeGroup      Sex      CListd      SmokingPrevalence
Length:30      Length:30      Min.   :-0.8910      Min.   :0.1058
Class :character Class :character 1st Qu.: -0.1705      1st Qu.:0.1259
Mode  :character Mode  :character Median : 0.4350      Median :0.1545
                                   Mean  : 0.2368      Mean  :0.1596
                                   3rd Qu.: 0.7133      3rd Qu.:0.1891
                                   Max.   : 0.9970      Max.   :0.2447

      BMImedian
Min.   :20.40
1st Qu.:23.52
Median :24.80
Mean   :24.55
3rd Qu.:25.98
Max.   :27.60
```

```
> colSums(is.na(data)) #Check for missing data
      X          NewCases      Npopulation      Region
0         0         0         0         0
      AgeGroup      Sex      CListd      SmokingPrevalence
0         0         0         0         0
      BMImedian
0
```

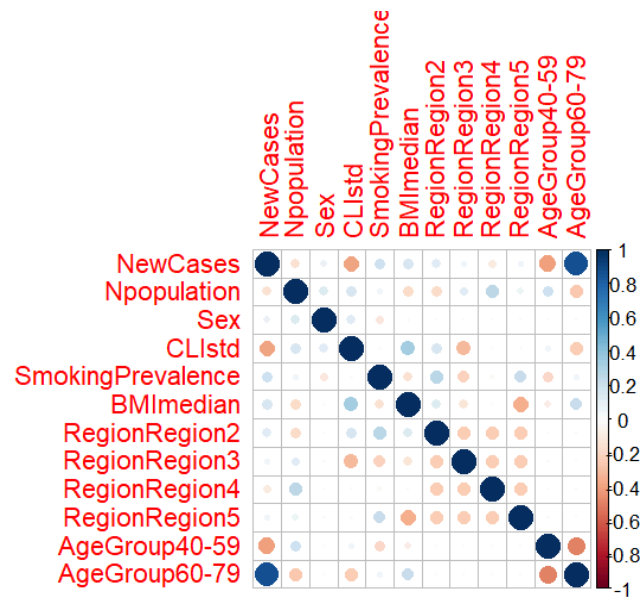
The dataset contained 30 observations across 8 variables with no missing data.



In the data set there are some nonnumerical values. We convert AgeGroup and Region to categorical values and sex to numerical (0 and 1) and plot them in a corplot for better visibility

```
#Ensure the columns are factors
data$Region <- as.factor(data$Region)
data$AgeGroup <- as.factor(data$AgeGroup)

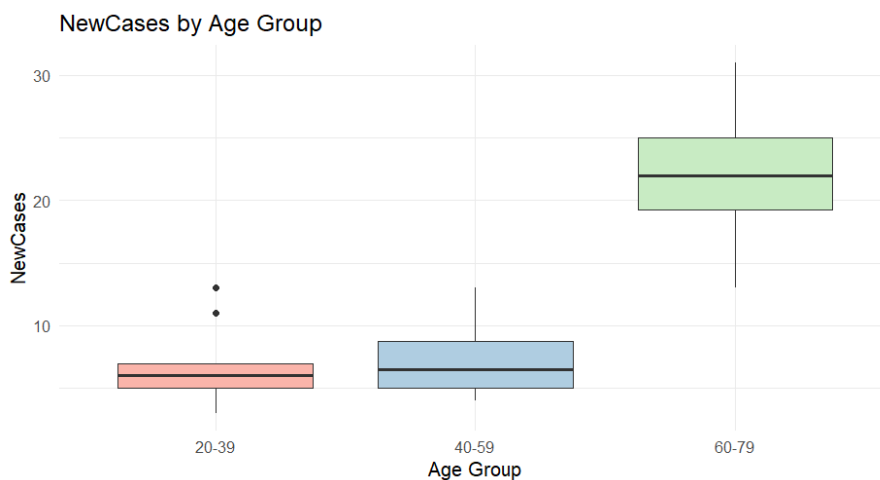
# Convert Sex to binary
data$Sex <- ifelse(data$Sex == "Male", 1, 0)
```



The correlation plot suggests that AgeGroup has a strong positive association with NewCases, while CLlstd (composite lifestyle index) is negatively correlated, suggesting protective effects of healthier lifestyles

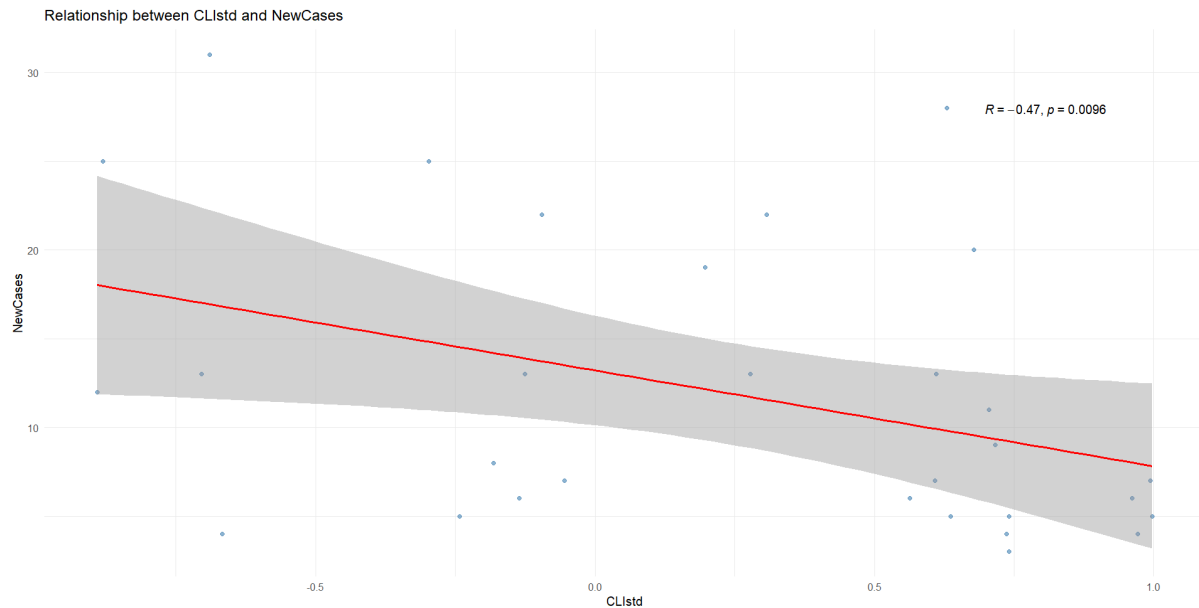
We can therefore plot NewCases by Age Group in a boxplot.

```
> ggplot(data, aes(x = AgeGroup, y = NewCases, fill = AgeGroup)) +
+   geom_boxplot() +
+   theme_minimal() +
+   labs(title = "NewCases by Age Group",
+        x = "Age Group",
+        y = "NewCases") +
+   scale_fill_brewer(palette = "Pastel1") +
+   theme(legend.position = "none")
```



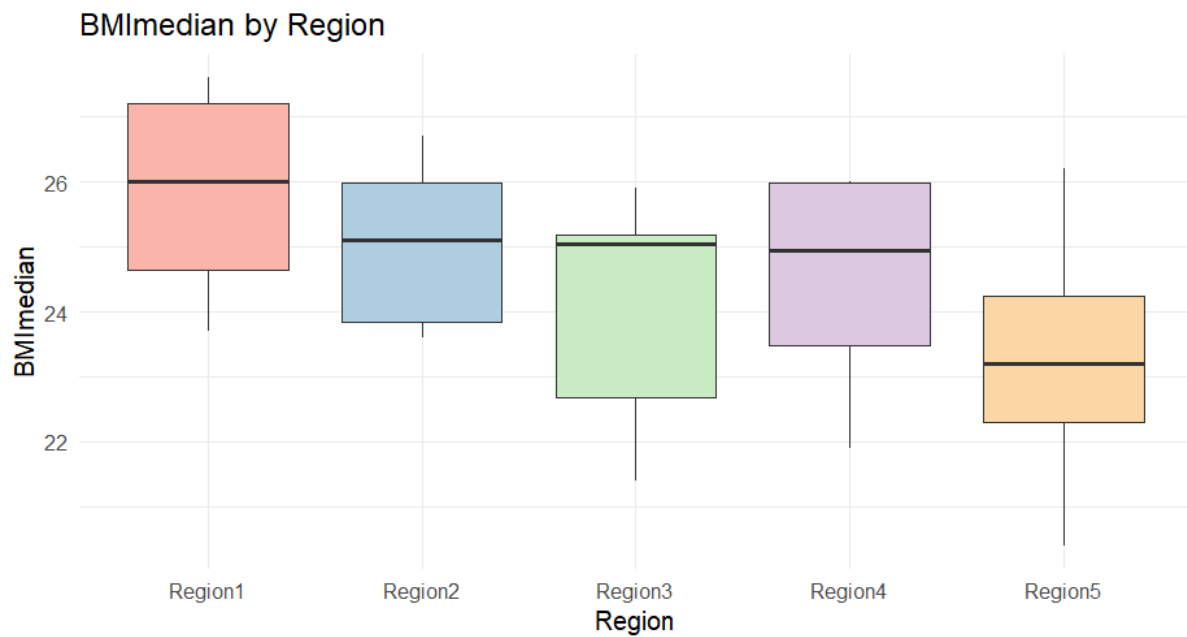
We can clearly see that older people have higher cancer prevalence.

We can also see that the continuous variable CLlstd seems to have a negative correlation with New Cases

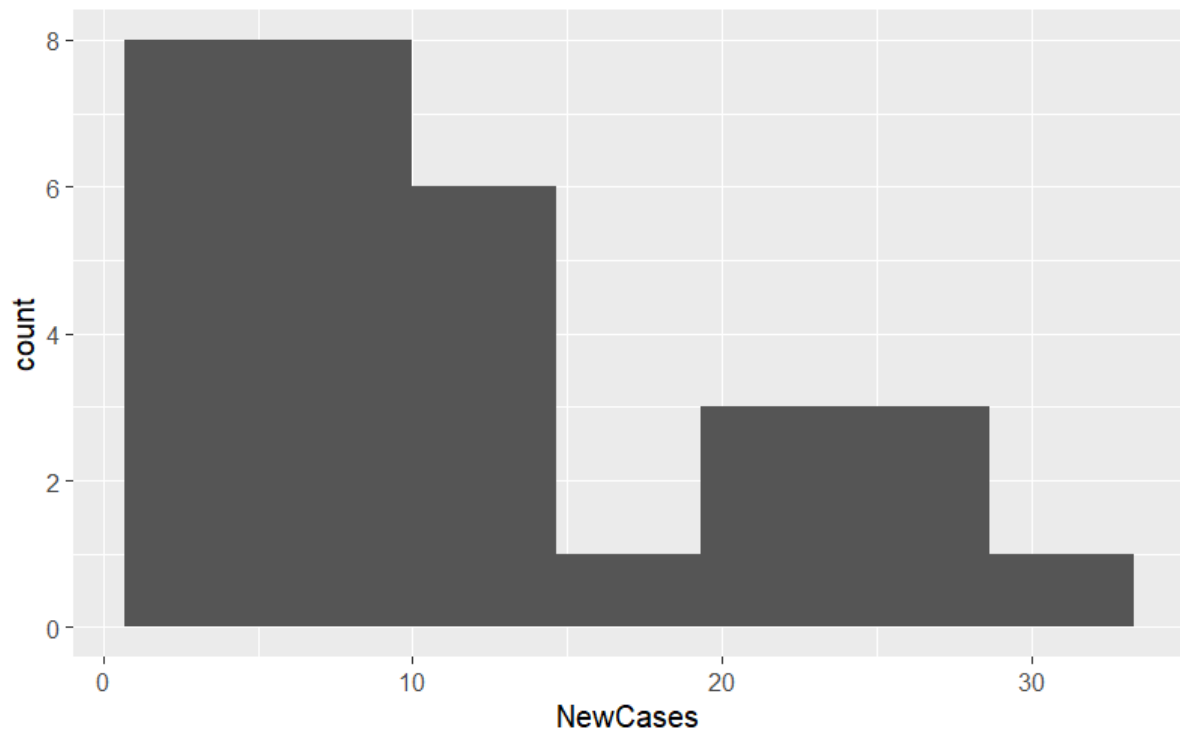


A better lifestyle indicates less cancer prevalence.

We also notice that there is not that strong of a relation between variables. However there is a significant negative intervariable correlation between Region and BMI



NewCases are right-skewed, supporting Poisson modeling.



Exploratory data analysis revealed that the number of new pancreatic cancer cases (NewCases) follows a count distribution, making the Poisson family a suitable modeling choice. Higher age groups showed significantly higher incidence rates, while healthier lifestyle scores (CL1std) were negatively associated with new cases. Regional differences were observed in median BMI. These findings guided the subsequent model development, focusing on Poisson regression with population offsets and selected interaction terms.

***Develop a model to examine the trends in new cases of pancreatic cancer across the recorded population variables and Analyse the model outputs and examine model performance:***

Since the outcome variable (NewCases) represents count data and is approximately Poisson-distributed, we used a Poisson GLM with a log link. The population size was included as an offset to account for varying subgroup sizes. For the first model we included all the predictors.

In Model 1 all predictors were included. AgeGroup and CLlstd were significant ( $p < 0.05$ ), while BMI, region and SmokingPrevalence were not

```
Call:
glm(formula = NewCases ~ Sex + AgeGroup + Region + CLlstd + BMImedian +
     SmokingPrevalence, family = poisson(link = "log"), data = data_glm,
     offset = log(Npopulation))
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )	
(Intercept)	-12.24995	1.10368	-11.099	< 2e-16	***
Sex	0.12479	0.10854	1.150	0.25028	
AgeGroup40-59	0.09439	0.17133	0.551	0.58168	
AgeGroup60-79	1.02073	0.15183	6.723	1.78e-11	***
RegionRegion2	0.21867	0.19230	1.137	0.25549	
RegionRegion3	0.18079	0.19382	0.933	0.35092	
RegionRegion4	-0.04542	0.18872	-0.241	0.80981	
RegionRegion5	0.23155	0.22066	1.049	0.29400	
CLlstd	-0.32063	0.11642	-2.754	0.00589	**
BMImedian	0.07719	0.04176	1.849	0.06453	.
SmokingPrevalence	2.33964	1.64550	1.422	0.15507	

```
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

(Dispersion parameter for poisson family taken to be 1)

```
Null deviance: 152.871 on 29 degrees of freedom
Residual deviance: 20.459 on 19 degrees of freedom
AIC: 165.89
```

Number of Fisher Scoring iterations: 4

```
> BIC(model1)
[1] 181.3069
> rsq(model1, adj=TRUE)
[1] 0.7722274
```

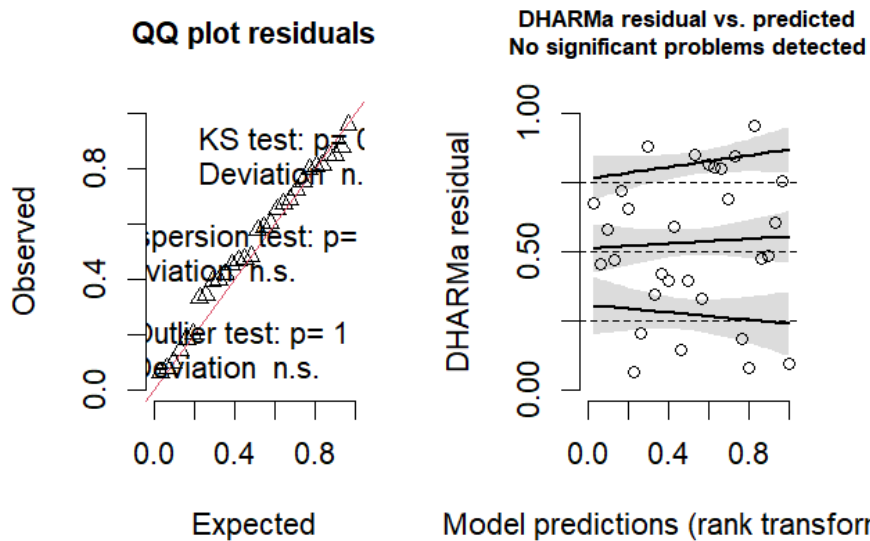
DHARMA residual diagnostics showed no overdispersion and a uniform distribution of simulated residuals, indicating a good model fit.

```
> testDispersion(model1)
```

DHARMA nonparametric dispersion test via sd of residuals fitted vs. simulated

```
data: simulationOutput
dispersion = 0.86085, p-value = 0.728
alternative hypothesis: two.sided
```

## DHARMA residual



We moved on by trying CL1std\*Region as an interaction term.

In Model 2, only AgeGroup were significant ( $p < 0.05$ ), while BMI, sex, region, CL1std, SmokingPrevalence and the interaction term were not significant. The performance was clearly worse than Model 1.

```
Call:
glm(formula = NewCases ~ Sex + AgeGroup + CL1std * Region + BMImedian +
     SmokingPrevalence, family = poisson(link = "log"), data = data_glm,
     offset = log(Npopulation))
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	-12.83625	1.94048	-6.615	3.72e-11 ***
Sex	0.12488	0.11798	1.058	0.290
AgeGroup40-59	0.04086	0.18625	0.219	0.826
AgeGroup60-79	0.96615	0.18734	5.157	2.51e-07 ***
CL1std	-0.78950	0.49850	-1.584	0.113
RegionRegion2	-0.02977	0.29447	-0.101	0.919
RegionRegion3	0.03496	0.25662	0.136	0.892
RegionRegion4	-0.23240	0.26257	-0.885	0.376
RegionRegion5	0.07642	0.28062	0.272	0.785
BMImedian	0.10476	0.07635	1.372	0.170
SmokingPrevalence	3.12162	1.91066	1.634	0.102
CL1std:RegionRegion2	0.59176	0.54062	1.095	0.274
CL1std:RegionRegion3	0.45336	0.49503	0.916	0.360
CL1std:RegionRegion4	0.49343	0.63513	0.777	0.437
CL1std:RegionRegion5	0.30808	0.46539	0.662	0.508

---  
Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for poisson family taken to be 1)

Null deviance: 152.871 on 29 degrees of freedom  
Residual deviance: 18.715 on 15 degrees of freedom  
AIC: 172.15

Number of Fisher Scoring iterations: 4

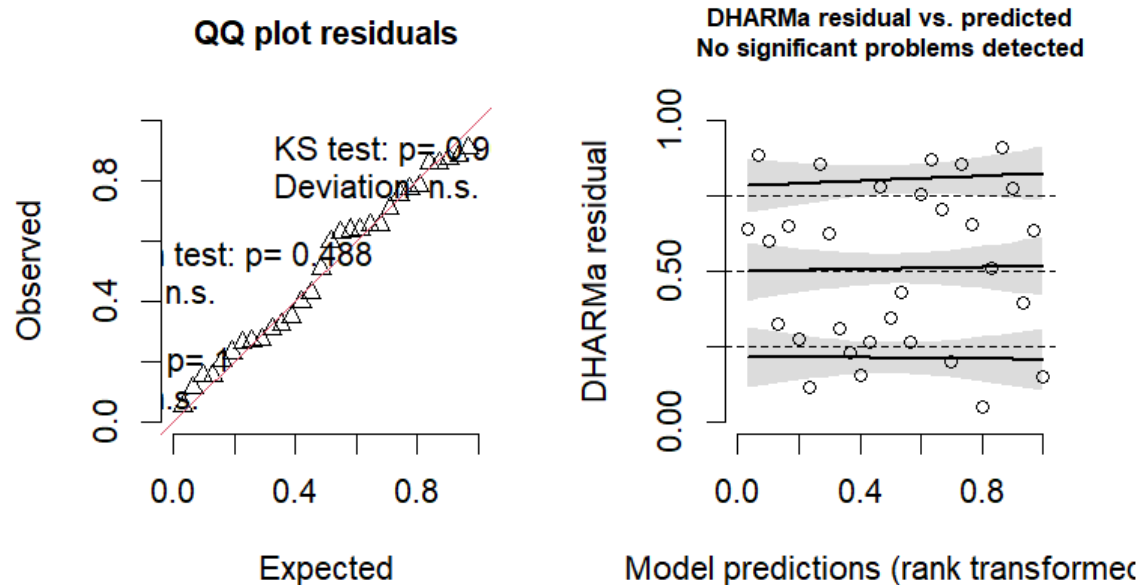
```
> testDispersion(model12)
```

DHARMA nonparametric dispersion test via sd of residuals fitted vs. simulated

```
data: simulationOutput  
dispersion = 0.72836, p-value = 0.488  
alternative hypothesis: two.sided
```

DHARMA residual diagnostics showed no overdispersion and a uniform distribution of simulated residuals, indicating a good model fit.

### DHARMA residual





We try using CLlstd\*Sex as an interaction term and we drop region as a predictor.  
 In Model 3, AgeGroup, BMI and SmokingPrevalence were significant ( $p < 0.05$ ), while, sex, CLlstd, and the interaction term were not significant.

```
Call:
glm(formula = NewCases ~ AgeGroup + CLlstd * Sex + BMImedian +
     SmokingPrevalence, family = poisson(link = "log"), data = data_glm,
     offset = log(Npopulation))
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	-12.22217	0.96727	-12.636	< 2e-16 ***
AgeGroup40-59	0.10061	0.17204	0.585	0.5587
AgeGroup60-79	0.95984	0.16431	5.842	5.16e-09 ***
CLlstd	-0.20450	0.14733	-1.388	0.1651
Sex	0.17298	0.11164	1.549	0.1213
BMImedian	0.07565	0.03726	2.030	0.0423 *
SmokingPrevalence	3.19854	1.35674	2.358	0.0184 *
CLlstd:Sex	-0.25151	0.22087	-1.139	0.2548

---  
 Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for poisson family taken to be 1)

Null deviance: 152.871 on 29 degrees of freedom  
 Residual deviance: 22.637 on 22 degrees of freedom  
 AIC: 162.07

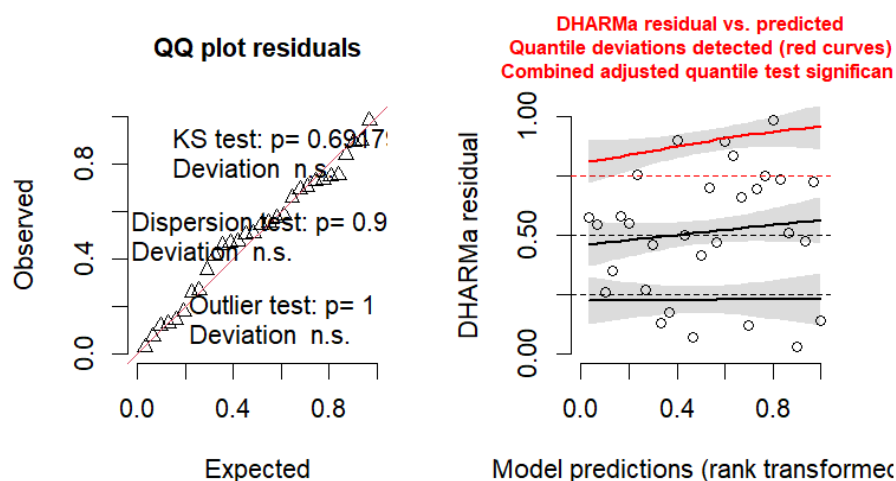
Number of Fisher Scoring iterations: 4

```
> testDispersion(model3)
```

DHARMA nonparametric dispersion test via sd of residuals fitted vs. simulated

data: simulationOutput  
 dispersion = 0.95334, p-value = 0.936  
 alternative hypothesis: two.sided

### DHARMA residual



There is no overdispersion and e residuals seem normally distributed but we get some quantile deviation indicating a worse fit.

We continue our model fitting with CLlstd\*BMI as an interaction term.

In Model 4, AgeGroup and SmokingPrevalence were significant ( $p < 0.05$ ), while sex, BMI, region, CLlstd, and the interaction term were not significant.

```
Call:
glm(formula = NewCases ~ AgeGroup + CLlstd * BMImedian + Sex +
    SmokingPrevalence, family = poisson(link = "log"), data = data_glm,
    offset = log(Npopulation))
```

```
Coefficients:
            Estimate Std. Error z value Pr(>|z|)
(Intercept)  -12.23217    0.97542  -12.540   < 2e-16 ***
AgeGroup40-59    0.12090    0.17311    0.698  0.48491
AgeGroup60-79    1.01068    0.15146    6.673 2.51e-11 ***
CLlstd         -1.91563    1.34035   -1.429  0.15295
BMImedian        0.07047    0.03605    1.955  0.05059 .
Sex             0.12376    0.10969    1.128  0.25921
SmokingPrevalence 3.80180    1.40104    2.714  0.00666 **
CLlstd:BMImedian 0.06538    0.05462    1.197  0.23128
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
(Dispersion parameter for poisson family taken to be 1)
```

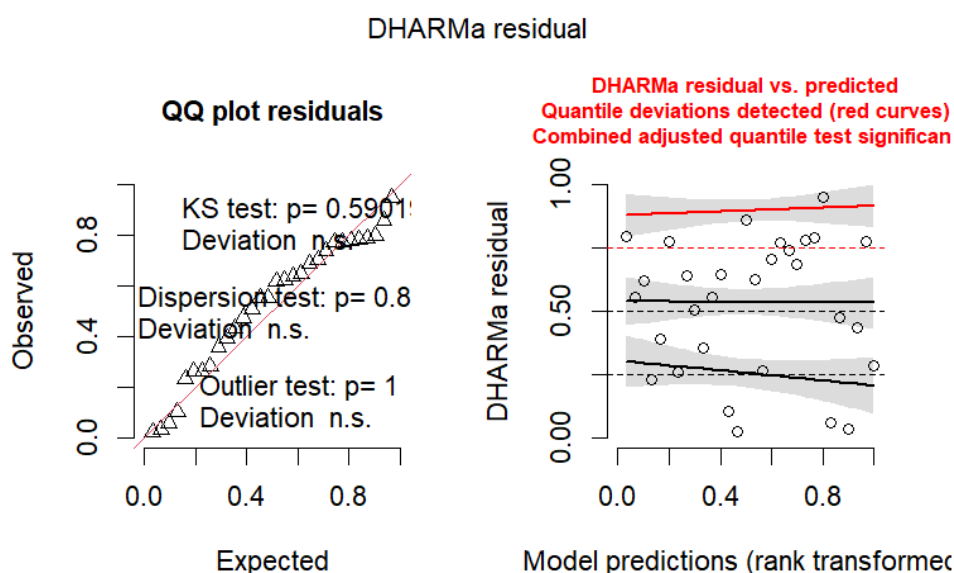
```
Null deviance: 152.871 on 29 degrees of freedom
Residual deviance: 22.497 on 22 degrees of freedom
AIC: 161.93
```

```
Number of Fisher Scoring iterations: 4
```

```
> testDispersion(model4)
```

```
DHARMa nonparametric dispersion test via sd of residuals fitted vs. simulated
```

```
data: simulationOutput
dispersion = 0.9045, p-value = 0.848
alternative hypothesis: two.sided
```



There is no overdispersion and the residuals seem less normally distributed and we get some quantile deviation indicating a worse fit.

Now we can plot the different model parameters in a matrix for better visibility.

	Model	AIC	BIC	Rsqr_adj
1	model1	165.8937	181.3069	0.7722274
2	model2	172.1497	193.1677	0.7580223
3	model3	162.0713	173.2809	0.7805745
4	model4	161.9316	173.1412	0.7893618

AIC evaluates how well your model fits the data while penalizing complexity (the number of parameters).

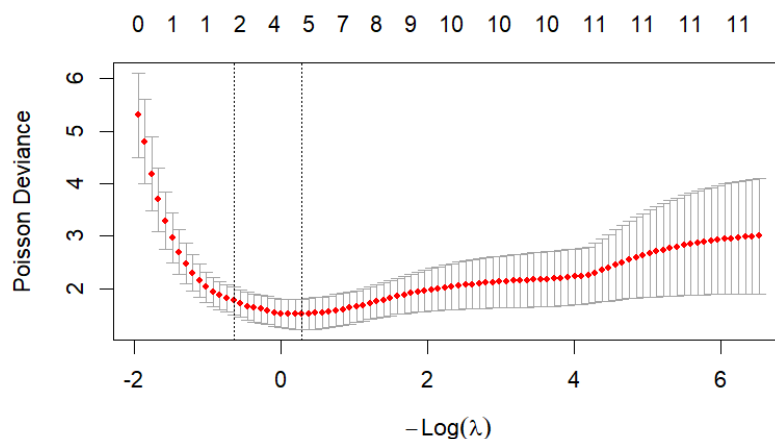
BIC - Similar to AIC but penalizes complexity more strongly,

R<sup>2</sup> - The proportion of variation in the response variable that your model explains.

We see that Model 3 and Model 4 have the best performance.

We applied LASSO regularization to identify the most relevant predictors and reduce potential multicollinearity between correlated variables

```
> cv_lasso <- cv.glmnet(X, y,
+                       family = "poisson",
+                       offset = offset_var,
+                       alpha = 1) # alpha = 1 -> LASSO
> plot(cv_lasso)
> cv_lasso$lambda.min # lambda that minimizes cross-validation error
[1] 0.7503966
> coef(cv_lasso, s = "lambda.min")
12 x 1 sparse Matrix of class "dgCMatrix"
              lambda.min
(Intercept)  -9.882868809
AgeGroup40-59 .
AgeGroup60-79 0.967443219
RegionRegion2 0.070845699
RegionRegion3 .
RegionRegion4 -0.004433446
RegionRegion5 .
CL1std        -0.153208338
BMImedian     .
Sex           .
SmokingPrevalence 0.824450956
CL1std:BMImedian .
```



Moving right -> stronger penalty (simpler model, fewer nonzero coefficients).  
y-axis -The cross-validated error. It shows how well the model performs on unseen data for each  $\lambda$ .

```
Call:
glm(formula = NewCases ~ AgeGroup + CLstd + SmokingPrevalence +
     Region, family = poisson(link = "log"), data = data_glm,
     offset = log(Npopulation))
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	-10.22060	0.29818	-34.277	< 2e-16 ***
AgeGroup40-59	0.11090	0.17258	0.643	0.5205
AgeGroup60-79	1.11941	0.14376	7.787	6.88e-15 ***
CLstd	-0.22617	0.10083	-2.243	0.0249 *
SmokingPrevalence	1.90042	1.61120	1.180	0.2382
RegionRegion2	0.22945	0.18856	1.217	0.2237
RegionRegion3	0.08436	0.18807	0.449	0.6538
RegionRegion4	-0.07578	0.18747	-0.404	0.6861
RegionRegion5	0.07318	0.19940	0.367	0.7136

---  
Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for poisson family taken to be 1)

Null deviance: 152.871 on 29 degrees of freedom  
Residual deviance: 24.758 on 21 degrees of freedom  
AIC: 166.19

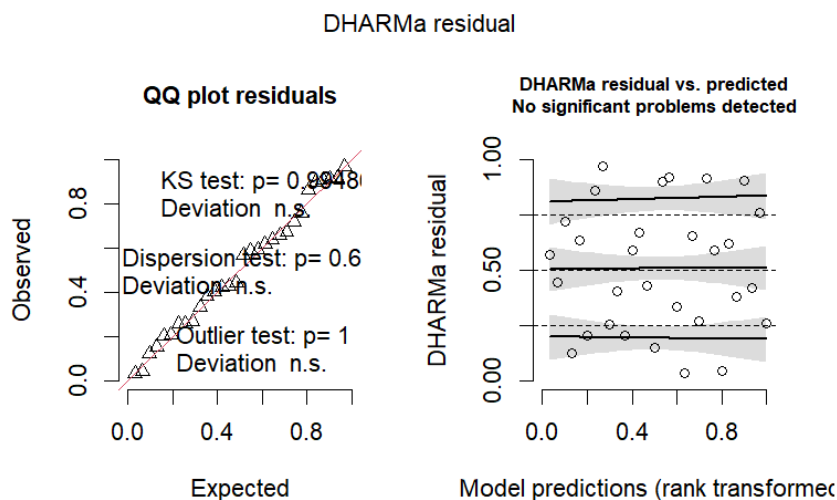
Number of Fisher Scoring iterations: 4

LASSO selected AgeGroup and CLstd as main predictors, supporting previous GLM findings

```
> BIC(model5)
[1] 178.8029
> rsq(model5, adj=TRUE)
[1] 0.8035233
> testDispersion(model5)
```

DHARMA nonparametric dispersion test via sd of residuals fitted vs. simulated

```
data: simulationOutput
dispersion = 0.82572, p-value = 0.616
alternative hypothesis: two.sided
```

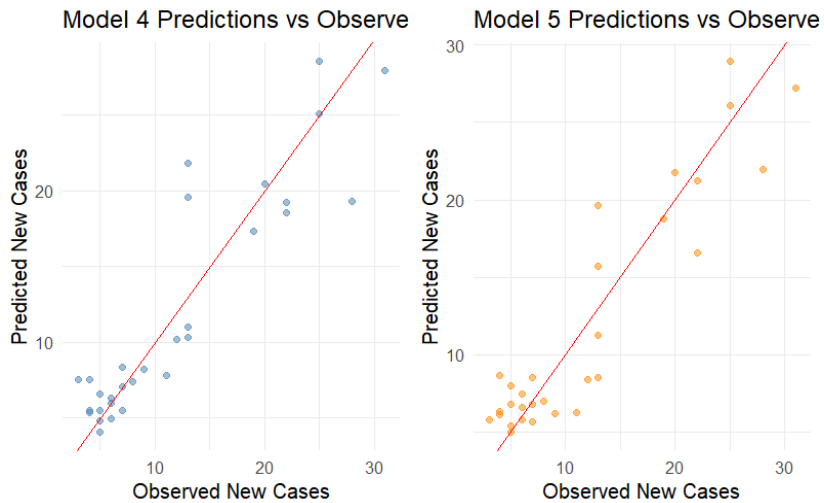


In the LASSO model, the interaction term (CL1std:BMImedian) was penalized to zero, meaning the algorithm considered it non-essential for improving predictive accuracy under cross-validation. However, in model 4, including this interaction improved model fit. This difference arises because LASSO prioritizes model simplicity and generalization, whereas standard regression prioritizes in-sample explanatory power.

If we try an elastic net we can see that the model actually keeps the interaction term, however it is practically zero.

```
> #We try using Elastic net
> set.seed(123)
> cv_elastic <- cv.glmnet(
+   X, y,
+   family = "poisson",
+   offset = offset_var,
+   alpha = 0.5, # Elastic Net
+   nfolds = 10
+ )
> # Coefficients
> coef(cv_elastic, s = "lambda.min")
12 x 1 sparse Matrix of class "dgCMatrix"
               lambda.min
(Intercept)    -9.868209685
AgeGroup40-59      .
AgeGroup60-79     0.927054773
RegionRegion2     0.076877188
RegionRegion3      .
RegionRegion4    -0.016654776
RegionRegion5      .
CL1std          -0.139097022
BMImedian         .
Sex               .
SmokingPrevalence 0.894556968
CL1std:BMImedian -0.001008695
```

Finally we use the two best models (4 and 5) to see how well they can predict new cases in pancreatic cancer.



Overall, this analysis highlights the strong influence of age and lifestyle on pancreatic cancer incidence and suggests that promoting healthier lifestyles could have a measurable impact on reducing cancer risk. However, given the cross-sectional design, causality cannot be established, and future research should extend these findings using longitudinal data and additional behavioral or genetic covariates.