Efficient Black-box Checking of Snapshot Isolation in Databases

(Conference VLDB'2024)

Hengfeng Wei

hfwei@nju.edu.cn

August 8, 2023





Database Transactions

A database transaction is a *group* of operations





that should be executed atomically.

Isolation Levels

Transactions may be executed concurrently.

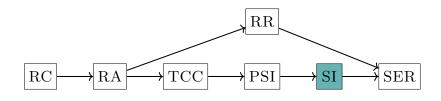
The isolation levels specify how they are isolated from each other.

Serializability (SER)

All transactions appear to execute serially, one after another.

too expensive, especially for distributed transactions

Snapshot Isolation (SI)



Snapshot Isolation (SI)

example

Snapshot Read: Each transaction reads data from a snapshot of committed data valid as of the (logical) time the transaction started.

Snapshot Write: Concurrent transactions cannot write to the same key. One of them must be aborted.

 T_0 $W({\color{red} acct},0)$

 $egin{array}{c} T_A \ \hline \mathsf{R}({\it acct},0) \ \mathsf{W}({\it acct},50) \ \end{array}$

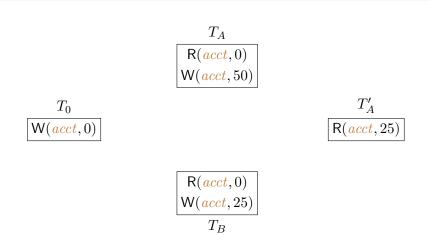
 T_0 $W({\it acct},0)$

$$T_A$$
 $R(acct, 0)$
 $W(acct, 50)$

$$oxed{T_0}{oxed{\mathsf{W}(\mathit{acct},0)}}$$

$$\begin{array}{|c|c|} \hline \mathsf{R}(\textit{acct},0) \\ \mathsf{W}(\textit{acct},25) \\ \hline T_B \end{array}$$

 T_A and T_B are executed concurrently.



 T_A and T_B are executed concurrently.

SI Prevents the "Causality Violation" Anomaly

$$T_A\left[\mathsf{W}(\pmb{x},post)\right]$$

SI Prevents the "Causality Violation" Anomaly

$$T_A \left[\mathsf{W}(x, post) \right]$$

$$T_B \begin{bmatrix} \mathsf{R}(\pmb{x},post) \\ \mathsf{W}(\pmb{y},comment) \end{bmatrix}$$

SI Prevents the "Causality Violation" Anomaly

$$T_A\left[\mathsf{W}(\pmb{x},post)
ight]$$

$$T_B \begin{bmatrix} \mathsf{R}(x,post) \\ \mathsf{W}(y,comment) \end{bmatrix}$$

$$T_C \begin{bmatrix} \mathsf{R}(x,empty) \\ \mathsf{R}({\color{red} {\color{blue} {v}}},comment) \end{bmatrix}$$

SI Allows the "Write Skew" Anomaly

Databases that Claim to Support SI

 ${\it database logos}$

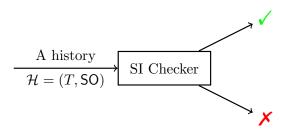
Snapshot Isolation (SI)

Database systems may fail to provide SI as they claim. +papers

The SI Checking Problem

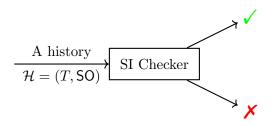
Definition (The SI Checking Problem)

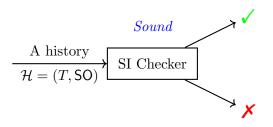
The SI checking problem is the decision problem of determing whether a given history $\mathcal{H} = (T, SO)$ satisfies SI?



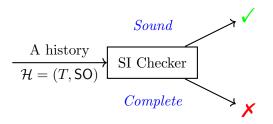
Since the internals of database systems are often unavailable or are hard to understand,

a *black-box* SI checker is highly desirable.

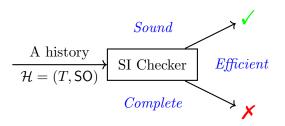




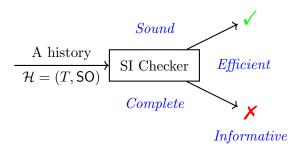
Sound: If the checker says \times , then the history is not SI.



Complete: If the checker says \checkmark , then the history is SI.



Efficient: The checker should scale up to large workloads.



Informative: The checker should provide understandable counterexamples if it says \times .



related-work



Contributions: PolySI

Sound & Complete: characterization of SI in terms of generalized

polygraphs

Efficient: encoding into MonoSAT queries;

domain-specific pruning before solving

Informative: extract understandable counterexamples from

MonoSAT unsatisifiable core

Contributions: PolySI

PolySI found SI violations in production database systems.

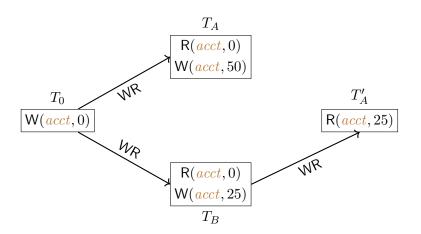
PolySI outperformed state-of-the-art black-box SI checkers and scales up to large workloads.



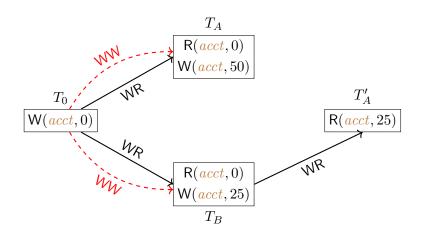
 $\frac{T_0}{\mathsf{W}({\color{red}acct},0)}$

 $\frac{T_A'}{\mathsf{R}({\color{red}acct},25)}$

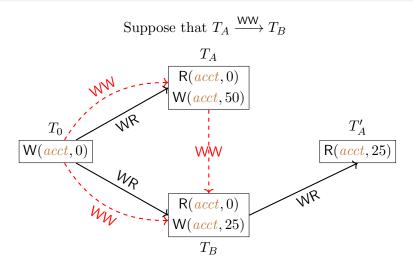
$$R(acct, 0)$$
 $W(acct, 25)$
 T_B



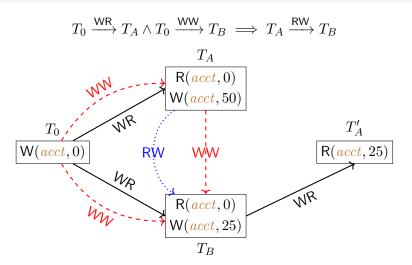
WR: "write-read" dependency capturing the "read-from" relation



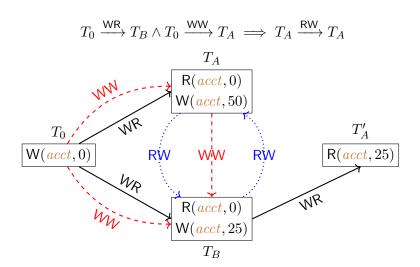
WW: "write-write" dependency capturing the version order

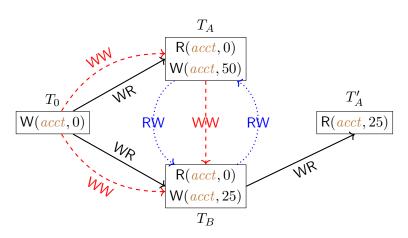


WW: "write-write" dependency capturing the version order



RW: "read-write" dependency capturing the overwritten relation





undesiable cycle: $T_A \xrightarrow{\mathsf{WW}} T_B \xrightarrow{\mathsf{RW}} T_A$

SI is characterised by dependency graphs that contain only cycles with at least two adjacent anti-dependency edges.

```
Theorem (Theorem 4.1 of [Cerone and Gotsman, 2018])

For a history \mathcal{H} = (T, SO),

\mathcal{H} \models SI \iff \mathcal{H} \models Int \land

\exists WR, WW, RW. \mathcal{G} = (\mathcal{H}, WR, WW, RW) \land

(((SO_{\mathcal{G}} \cup WR_{\mathcal{G}} \cup WW_{\mathcal{G}}); RW_{\mathcal{G}}?) \text{ is acyclic}).
```



Hengfeng Wei (hfwei@nju.edu.cn)



Cerone, Andrea and Alexey Gotsman (Jan. 2018). "Analysing Snapshot Isolation". In: *J. ACM* 65.2. ISSN: 0004-5411. DOI: 10.1145/3152396. URL: https://doi.org/10.1145/3152396.