

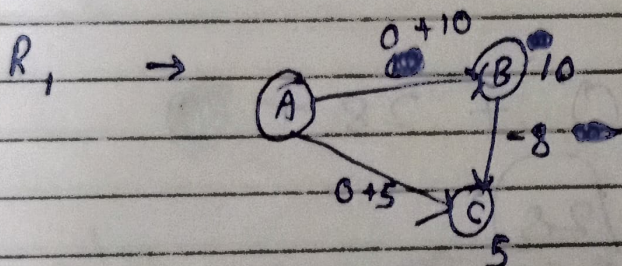
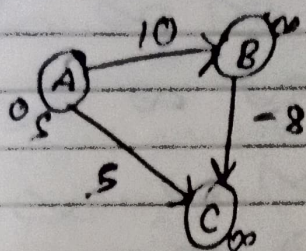
$(V-1) + 1 \rightarrow$  Just check edge cycle

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## \* Bellman Ford Algorithm :-

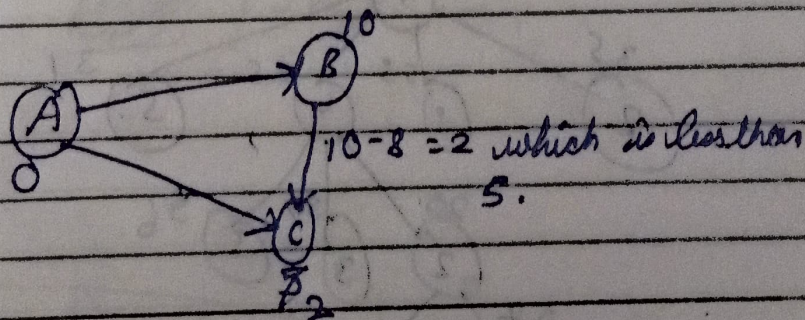
→ Reference with Dijkstra's :-

• Relax every edge unlike Dijkstra's,  $V-1$  times

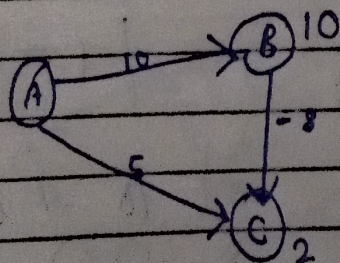


$\infty - 8$  is nothing  
thus cannot

$R_2 \rightarrow$

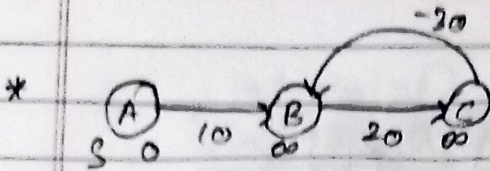


$R_3 \rightarrow$



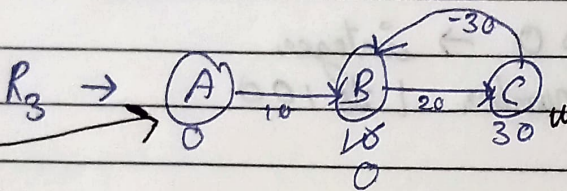
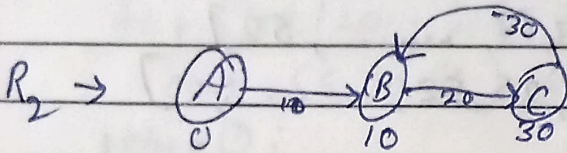
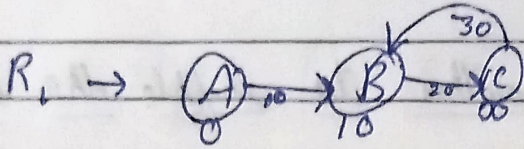
$\therefore$  No negative edge cycle





V-1 times

3-1 = 2 times



original  
 $u=30, w(u,v) \neq 30$   
 $0 \leq 10$

[negative edge cycle,  
 as value of B will  
 decline to  $-\infty$ ]

\* Pseudo Code :-

Bellman Ford ( $G, V, E, S$ )  
 graph  $\leftarrow G$   
 Edges  $\leftarrow E$   
 Vertices  $\leftarrow V$   
 Sources  $\leftarrow S$

Step 1

for each vertex  $v \in G$  do }  $O(V)$   
 $dist[v] = \infty$   
 $dist[source] = 0$

Step 2

for  $i=1$  to  $|V|-1$   
 for each edge  $(u,v) \in G$   
 Relax  $(u,v,w)$

$O(V \cdot E)$

Step 3

for each edge  $(u,v) \in G$   
 if  $(dist[u] + w(u,v) < dist[v])$   
 return "Graph contains negative weight cycle."  
 return distance