

Mining and Predictions on Australian Stock Prices

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1. Introduction

One of the features of stock market prices is its unpredictability and volatility. Burton Malkiel, argues in his 1973 book, “A Random Walk Down Wall Street”, that if the market is genuinely efficient and a share price reflects all factors immediately as soon as they’re made public, a blindfolded monkey throwing darts at a newspaper stock listing should do as well as any investment professional [1]. However, things are not always extreme. If we treat the stock prices as a non-stochastic process then at least we can model the data. Even though our potential model wouldn’t be exact, it still makes capturing the trend of rise and fall, and forecasting the short-term price accordingly possible.

In the matter of “learning something interesting about the data”, one could start in two opposite ways: *retrospective* and *prospective*. On the one hand, we could investigate the patterns within; on the other hand, we could use learned outcome to predict the future. Therefore, we list the following questions as our goal of this data mining project:

1. Are there any frequent patterns among different stocks?
2. Are there any methods to predict future stock price changes? If the answer is yes, can we find other ways based on different prior knowledge?

2. Data Description

- Source: The data is collected from the Wall Street Journal [2].
- Attributes: Stored in a CSV file as column names (in R, we also call them variables). The attributes of each entry consist of:
 - **Code**: the stock code of a company.
 - **Sector** and **SubSector**: the particular field of a company. We have 5 main categories and 10 subcategories.
 - **Date**, **Weekday**, **DayofMonth**, **Month**, **Year**, **WeekofYear** and **DayofYear**: time-related attributes of a data entry.
 - **Open**, **High**, **Low**, **Close**: four basic prices information within one day.
 - **Volume**: the trading volume on the same day.
 - **Close.Open**, **Change**, **High.Low**, **HMLOL**: four advanced price information which reflect the relationship among the basics. **Close.Open** and **High.Low** are the differences, **HMLOL** is the ratio between **High.Low** and **Low**. **Change** indicates whether **Close.Open** is positive or not.
 - **PriorClose**: the close price on the previous day.
- Components: The data set includes 61 selected Australian stocks and their daily prices ranging from 1 January 2017 to 12 April 2018. These companies involve some big names like *Woolworths*, *Commonwealth Bank*, *ANZ*, etc.
- Data quality: the data is tidy already with no missing data inside.
- Summary: the basic summary statistics of numeric attributes is shown below. Two results stand out:
 - Four basic price attributes are highly right-skewed, that means the majority of data has rather low values less than 1. Specifically, the first quartile of these four attributes stay low, but after exceeding median (50% quantile), the values of these increase fast.
 - “Up” are almost twice of “down”s. So the general trend of stock prices in our period of interest is increasing. In some ways, we can consider it as the sign of booming economy.

```

##      Open      High      Low      Close
## Min.   : 0.001   Min.   : 0.001   Min.   : 0.001   Min.   : 0.001
## 1st Qu.: 0.115   1st Qu.: 0.115   1st Qu.: 0.110   1st Qu.: 0.115
## Median : 0.900   Median : 0.910   Median : 0.890   Median : 0.900
## Mean   : 5.921   Mean   : 5.965   Mean   : 5.875   Mean   : 5.921
## 3rd Qu.: 4.890   3rd Qu.: 4.940   3rd Qu.: 4.850   3rd Qu.: 4.890
## Max.   :87.660   Max.   :87.720   Max.   :87.020   Max.   :87.660
##      Volume      Close.Open      Change      High.Low
## Min.   :      0   Min.   : -1.9800000   down: 6338   Min.   :0.00000
## 1st Qu.: 16300   1st Qu.: -0.0100000   up  :12498   1st Qu.:0.00000
## Median : 185000   Median : 0.0000000                   Median :0.01950
## Mean   : 1177051   Mean   : 0.0003684                   Mean   :0.09076
## 3rd Qu.: 1280000   3rd Qu.: 0.0050000                   3rd Qu.:0.10000
## Max.   :117230000   Max.   : 1.8400000                   Max.   :3.03000
##      HMLOL      PriorClose
## Min.   :0.00000   Min.   : 0.001
## 1st Qu.:0.00000   1st Qu.: 0.115
## Median :0.01538   Median : 0.900
## Mean   :0.02780   Mean   : 5.921
## 3rd Qu.:0.03448   3rd Qu.: 4.890
## Max.   :1.00000   Max.   :87.660

```

3. Mining Methods

3.1 Associate Mining

As we mentioned before, we would like to discover some pattern in stock prices. In details, what factors are responsible for the increase or decrease in stock prices? To achieve this goal, we are going to make some changes to the original data set and use **Rattle** [3] to unearth the hidden gems inside.

Because we are only interested in the qualitative change, instead of the quantitative difference in this part, we select the following variables as inputs: **Change**, **Sector**, **SubSector**, **Weekday**, **Month**, **Year**. Naturally, we ignore the rest. Then we set the minimum support threshold to be 0.1 and minimum confidence threshold to be 0.5. In other words, a rule will only be selected under the circumstance that it quite “frequent”, taking about 10% occurrences. Additionally, it has to be “truth”, that the proportion of the transaction that contains LHS also contain RHS.

After that, we need to hand-pick some rules, because the results from **Rattle** are flawed, thus not as interesting as we expected, and they should be filtered out.

- Some rules have **Sector/Subsector** on the left hand side and **SubSector/Sector** on the right hand side. These are not very informative. A stock under **Software** subsector is automatically under **Technology** sector as the data source has already pre-defined the classification.
- Some rules exceed minimum confidence threshold but have lift values smaller than 1, which indicate negative correlations.

Meanwhile, we use $\chi^2 > 1$ as a rule-of-thumb critical value to ensure that the correlation is interesting. [4]

3.2 General Stock Price Predictions

After answering the question about what patterns we could see from the data, the next one followed is if we could use some known information to predict the stock price quantitatively.

In the following paragraphs, we are going to use two numeric methods, neural network (non-deterministic) and logistic regression (deterministic) to formulate a mathematical expression of stock prices. Moreover, we will use daily `Close` prices as a target. This is more like a personal preference, but indeed it is the best conclusion of a stock price after one day. We could also use the average price of `Close` and `Open` as the target.

3.2.1 Neural Network

One highlighted advantage of a neural network is its tolerance of noise so that it is handy to deal with untrained real-world data. In our case, we aim to randomly separate the data into one training set and one testing set with a ratio 3 : 1. The input layer will include some basic numeric attributes `High`, `Low`, `Open`, two other numeric attributes `Volume` and `PriorClose` and some categorical attributes `Sector`, `Weekday`, `Month` and `Year`.

The reason why we exclude relational attributes like `HMLOL` and `Close.Open` is because we believe they provide no more additional information than its corresponding basic attributes. Especially in the later method we are going to use, linear regression is pretty good at capturing linear relation between quantities. What is more, we turn `Sector`, `Weekday` and `Month` into factors so that they could be handled by neural networks.

Note that we have known that the price data are highly skewed, which means they concentrate on small values. Hence the step of normalisation is necessary before we proceed to train the neural network.

Regarding the selections of the numbers of hidden layers and neurons on each layer, we referenced some empirical choices [5]. That is, to choose 1 or 2 hidden layers with the number of neurons fewer than that of input neurons. After several trials, we decide to use a 2-hidden-layer neural network with 8 neurons on the first layer and 4 on the second. The whole process is implemented by the `neuralnet` package in R [6].

3.2.2 Linear Regression

To use the linear regression model for prediction is straightforward. The core step is to assume a linear relation between the target `Close` and inputs. At the same time, we should also suppose the error terms are independent and identically normally distributed [7]. In this case:

$$\begin{aligned} \text{Close} &\sim \text{Open} + \text{High} + \text{Low} + \text{Volume} \\ &\quad + \text{PriorClose} + \text{factor}(\text{Sector}) + \text{factor}(\text{Weekday}) \\ &\quad + \text{factor}(\text{Month}) + \text{Year} + \epsilon \\ \text{where } \epsilon &\sim N(\mu, \sigma^2) \text{ for some } \mu, \sigma \end{aligned}$$

3.2.3 Remark

Now, let us review what we have done so far. We have utilised two different methods to construct models and train them with some data. Then we have used trained model to predict testing data. These are accomplished based on unbalanced “general knowledge”, that is to say, we are ignoring the fact that in our data, more stocks tend to have comparatively low prices. Now consider an extreme case that a well-trained model for stock prices between 0.01 and 1.00, it might not handle high price stock well, because it has never studied any background knowledge about high price stock so far. So here comes an alternative approach, which is to do time series analysis on just one stock, then predict its future trend.

3.3 Time Series Analysis

Time series analysis is the most common and fundamental method used to forecast stock prices [8]. It only requires historical information on the subject of interest itself; then the model won’t be distracted by noise

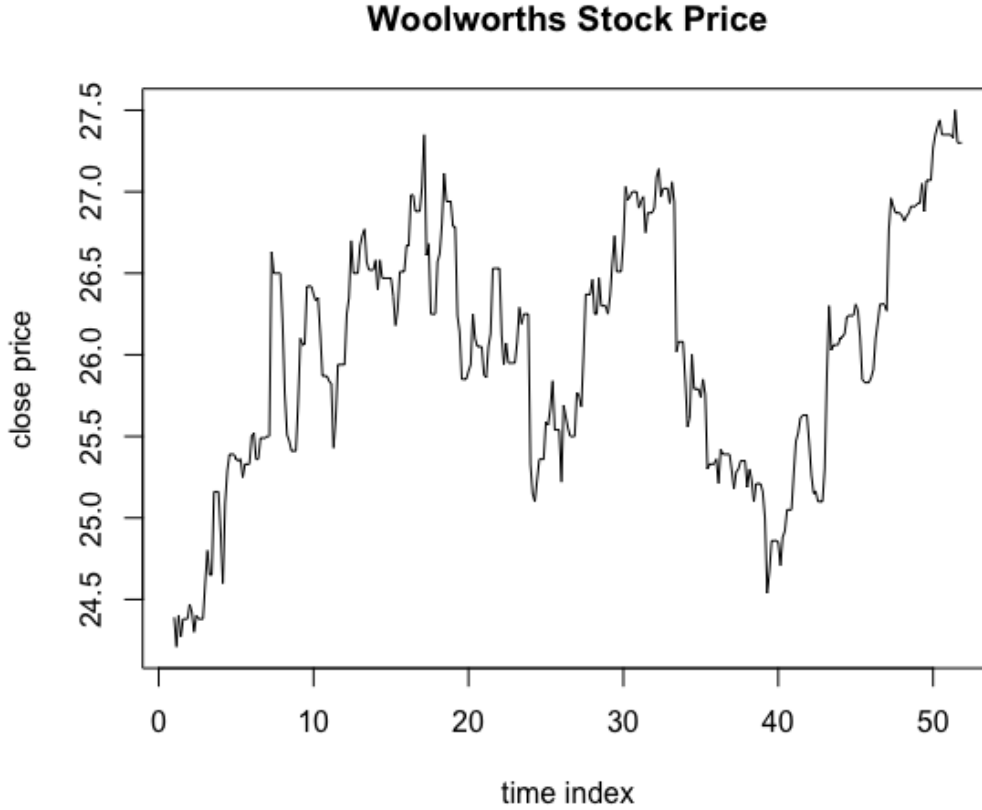


Figure 1: Woolworths stock price

from other unrelated stocks.

Note that one precondition of performing time series analysis is that values should be measured at equal time intervals. After that, during the data cleaning procedure, we need to extract one stock from the whole dataset and do imputations by adding “fake” closing price on non-trading days such as holidays and weekends. Brutally setting the closing prices as zero is problematic, it will add unnecessary fluctuations and messes up the data. What we choose to perform here is to set the close prices on non-trading days as the last close price on trading days. For example, let the close prices on Saturday and Sunday be that of the previous Friday’s.

Another change we have made towards the data is, we take data in the year 2017 as training data. When the model is fixed, we would like to check how our model predicts the stock prices change in the year 2018.

In this experiment, we choose the stock prices of Woolworths Ltd (Code: `WOW`) and apply a basic ARIMA model on the daily close price. In this way, we could model close price as:

$$\text{Close}_t = S_t + T_t + E_t,$$

where S_t is the seasonal component, T_t is the trend component and E_t is the random noise. A seasonal ARIMA model can be expressed as $ARIMA(p, d, q)(P, D, Q)_m$ where (p, d, q) is the non-seasonal part of the model and $(P, D, Q)_m$ is the seasonal part. m is the number of periods per season.

From the stock price line plot, we cannot directly confirm the size of a cycle. But recall that we have found some frequent patterns that stock prices tend to be increasing on Thursdays and Fridays, so we would like to give 7-day-cycle a try, letting $m = 7$. Then we use the built-in `auto.arima()` function in `forecast`

package [9] to automatically determine the model parameter by finding the model with the least AIC (Akaike information criterion) [10]. Note that `auto.arima()` speeds up by taking shortcuts in the algorithm, but we can set `stepwise=F` and `approximation=F` to avoid it. In such a way, we have the following model.

```
Series: wow.train
ARIMA(0,1,0)(2,0,2)[7]

Coefficients:
      sar1      sar2      sma1      sma2
-0.5589  -0.8341   0.3741   0.8643
s.e.      0.0592   0.0797   0.0646   0.0894

sigma^2 estimated as 0.03044:  log likelihood=115.83
AIC=-221.67  AICc=-221.49  BIC=-202.29
```

Then our candidate model is $ARIMA(0, 1, 0)(2, 0, 2)_7$. Detailed scripts are in found in Appendix.

4. Presentation

4.1 Frequent Patterns

For this experiment, `Rattle` [3] is used, and a total of 26 rules are generated. Based on some manual criteria we mentioned above, not all strong rules are selected because some of them are meaningless. The hand-picked rules are listed below:

```
[8] {SubSector=Mining_&_Metals}      => {Change=up}
[11] {SubSector=Software}            => {Change=up}
[14] {Weekday=Friday}                => {Change=up}
[15] {Sector=Basic_Materials/Resources} => {Change=up}
[17] {Weekday=Thursday}              => {Change=up}
[20] {Sector=Technology}              => {Change=up}
[21] {Sector=Basic_Materials/Resources, SubSector=Mining_&_Metals} => {Change=up}
[24] {Sector=Technology, SubSector=Software} => {Change=up}
```

The barplot in Figure 2 indicates the support count and confidence of rules of our selection.

An interpretation of these interesting rules can be: during the whole year of 2017 and the first quarter of 2018, the Australian stock prices (according to the selection of 61 stocks) tend to be increasing on Thursday and Friday. Among all industries, the technology industry and basic materials industry are prosperous. Two types of sub-industries, the mining and metals (under resources) and software (under technology) are typical examples.

The Appendix includes a copy of the complete output.

4.2 General Stock Price Predictions

The neural network in Figure 3 is hard to interpret at this moment. However, we understand the goal of this method is to roughly predict the numeric value of closing price given some inputs, hence we could still evaluate how it works by calculating its mean absolute difference (MAE) between true and predicted values on preprocessed testing data. The MAE we use here is defined as followed:

$$MAE = \frac{\sum_{i=1}^N |x_i^* - x_i|}{N},$$

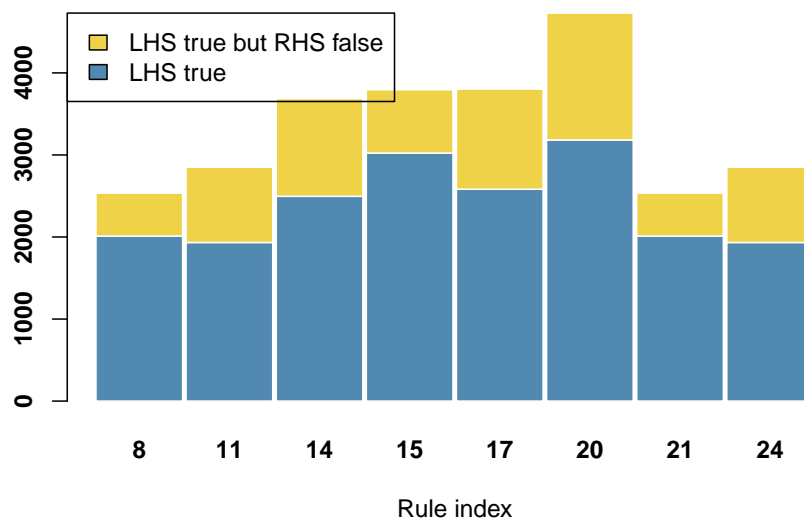


Figure 2: Barplot of frequent rules

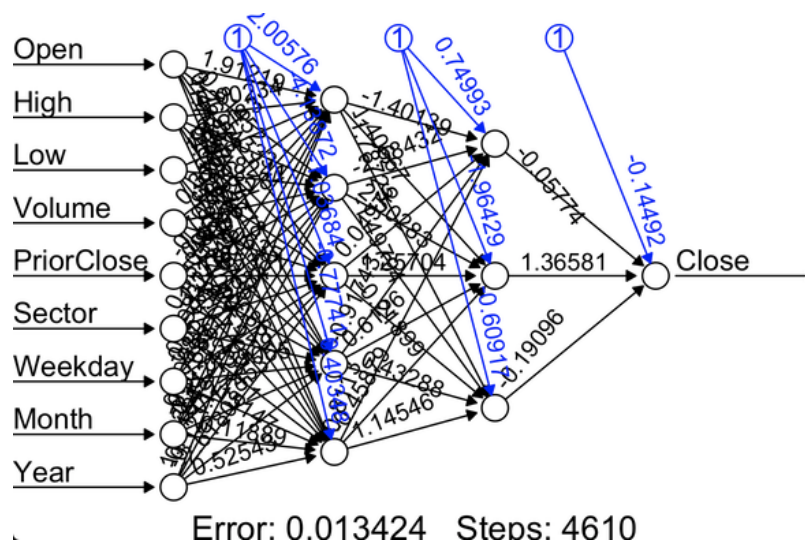


Figure 3: Trained neural network

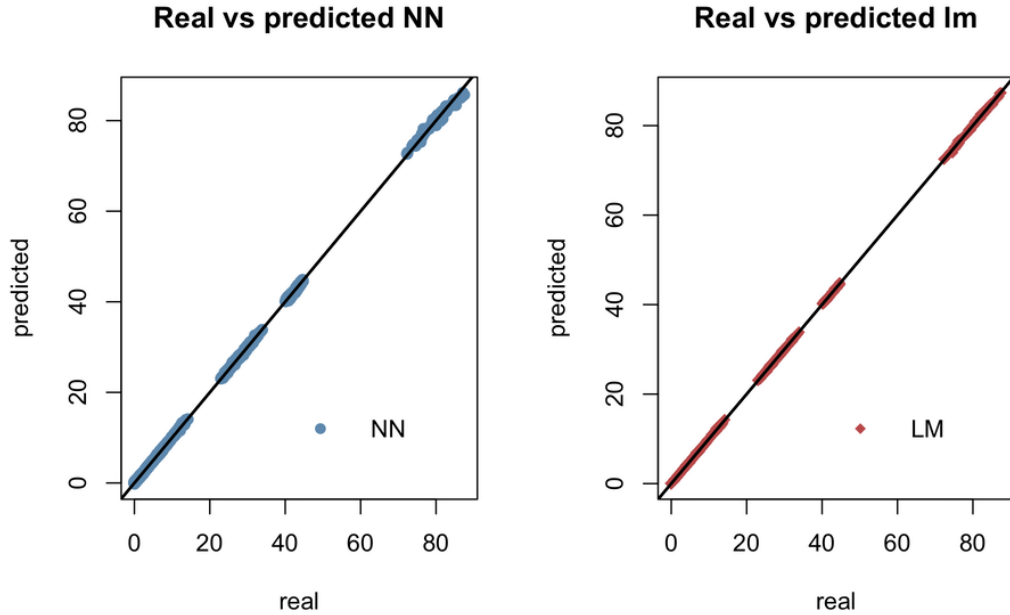


Figure 4: Real value vs predicted values

where x_i^* is the predicted value of i th observation and x_i is the true value, and N is the total number of observations.

And we repeat the evaluation process on linear regression result, and then we could have a general idea about how precise these predictions are by comparing them side by side.

We use R to calculate the corresponding $MAEs$, and we have:

$$MAE_{NN} = 0.0725, MAE_{LM} = 0.0223$$

This means, on average, the neural network's prediction deviates about ± 0.0725 around the actual values, and linear regression's prediction deviates about ± 0.0223 . It seems that linear regression performs better in predicting Close prices. We look back into the basic summary statistics of numeric inputs in part 1.

```
##      Min. 1st Qu.  Median    Mean 3rd Qu.    Max.
##  0.001  0.115   0.900   5.921   4.890  87.660
```

The data is skewed, though the $MAEs$ are not very ideal for the first quantile data, it still provides consistent estimation in general. The real value vs prediction plot (Figure 4) has shown us the predictions are better on a large scale. Though due to the cardinality of observations, thousands of observations might stack together, we still can see when real close price is high, its predicted value by neural network oscillates more than linear model's prediction.

Another procedure we would like to conduct is to check the summary information of the linear model.

Call:

```
glm(formula = f, data = train)
```

Deviance Residuals:

```
      Min       1Q   Median       3Q      Max
-0.63529 -0.15119 -0.00271  0.16717  0.62842
```

```

Coefficients:
              Estimate Std. Error t value Pr(>|t|)
(Intercept)  1.571e+02  8.275e+01   1.898   0.0589 .
Open        -6.347e-01  5.661e-02 -11.210  <2e-16 ***
High         7.182e-01  6.046e-02  11.880  <2e-16 ***
Low          8.821e-01  5.266e-02  16.750  <2e-16 ***
Volume       1.128e-08  1.368e-08   0.824   0.4105
PriorClose   3.533e-02  3.133e-02   1.128   0.2607
Year        -7.786e-02  4.092e-02  -1.903   0.0583 .
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for gaussian family taken to be 0.05444812)

Null deviance: 3068.540  on 237  degrees of freedom
Residual deviance:  12.578  on 231  degrees of freedom
AIC: -8.3909

```

Number of Fisher Scoring iterations: 2

The summary statistics reflect the insignificance of input variables **Sector**, **Weekday** and **Month**. They do not provide very information in prediction. Consequently, a potential operation is to simplify the model by removing them. Additionally, by looking at Figure 4, we notice the existence of 4 “clusters”. Then we can stratify the data, repeat training separate neural networks and linear regression models.

Afterwards, we have this table of *MAEs* from different models.

	NN	LM	num of observations
original	0.0725	0.0223	18836
reduced ($Close \leq 20$)	0.0190	0.0133	16934
reduced ($20 < Close \leq 40$)	0.0972	0.0674	1268
reduced ($40 < Close \leq 60$)	0.1090	0.1106	317
reduced ($Close > 60$)	0.3403	0.1977	317

It is not hard to find out that, the more observations we have, the more accurate our neural network and linear regression model are. The models are the most accurate when predicting small value stock prices. Besides, linear models are generally more reliable than neural networks. The neural network only outperforms linear model in the (40, 60] price range. And this could cause overfitting since no cross-validation is applied.

Another thing we need to notice is that we should always be careful with the temptation of overfitting. In this part, we simplify the problem by taking only one pair of training and testing data for each model.

4.3 Time Series Analysis

After finding the seasonal ARIMA model, we are interested in its predicting power.

As we can see, the red curve indicates the real stock price of Woolworths in the year 2018, while the blue curve is the original prediction by ARIMA. Meanwhile, the outer shaded area stands for 80% confidence interval, and the inner is 95%. In other words, there is 80% or 95% chance the future stock prices fall in these areas. In fact, the real stock prices in 2018 are inside the 95% confidence interval region. However, the real fluctuation is larger, and the prediction does not capture a downward trend on a large scale. But if we zoom in, consider different segments of data, it is clear that the prediction is correct about up and down in most of the cases, only the magnitudes are underestimated to some extent. For this reason, but generally we have a solid prediction.

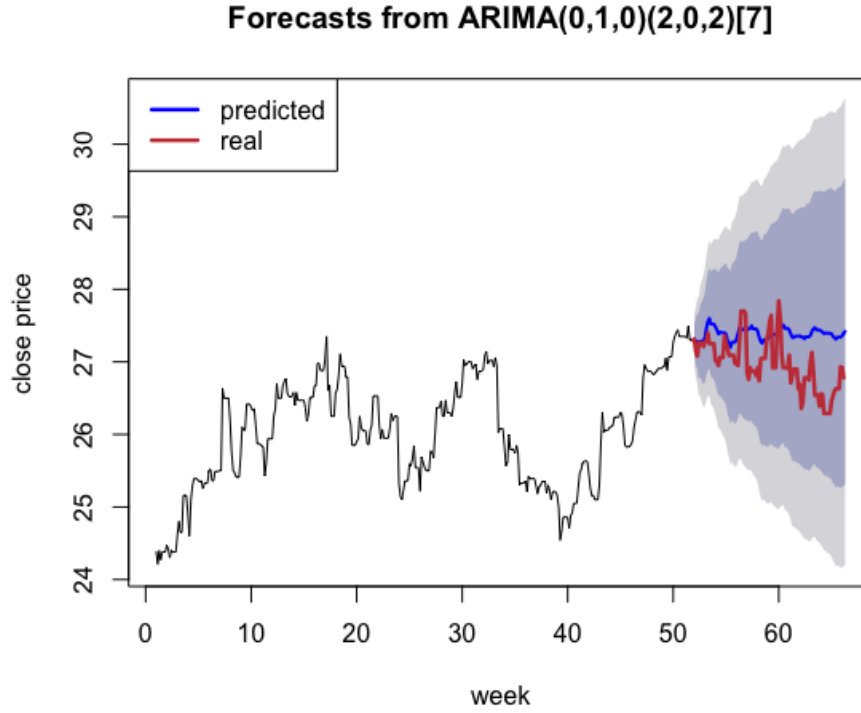


Figure 5: Predicted Woolworths stock price

Therefore, we have confirmed the possibility of picking out one stock and predict its future price by solely studying its historical prices. The third goal of our experiment is fulfilled.

5. Conclusions and Extensions

From our previous three mining method experiments, we can draw some direct conclusions, which can answer the questions we had at the very beginning.

Conclusions:

1. Are there any frequent patterns among different stocks? Yes. We notice that stock prices tend to be increasing on Thursday and Friday. Besides, the resource industry and the technology industry are thriving during this period.
2. Are there any methods to predict future stock price changes? Yes, we can build mathematical models, either as explicit as linear regressions or implicit as neural networks, to predict the future stock price with some given input. An extra approach is to use data of a single stock, to build a time series model. And in this way, the same goal can be achieved as well. For the former method, once we finish training, we are bold enough to use it to predict any other stock prices in the data set. However, the latter needs to be carried out toward the target stock we would like to predict.

But before celebrating the discovery of these conclusions, we would also like to state some limitations and possible improvements we can make.

Limitations:

1. Since our data only covers 61 manually selected Australian stocks, the data might be biased, thus cannot serve as a good sample of the Australian economy. That is to say, even if we have a well-developed model, it is still a toy to play with these 61 stocks, and will not be as powerful as expected to predict any other stocks.
2. The limitation of data not only appears as the number of stocks but also as not enough observed history. Traditionally in time series analysis, we need to have at least two cycles (periods) of data [9]. Some stock prices, in fact, have yearly seasonality. For example, the sales amount of an agriculture company might be at its peak in a certain season. However, our data only contains around 16 months of data which restricts our choices.
3. Due to the restriction of computing power, we cannot conduct more complex neural network training. Although we believe any further improvement in mean absolute difference is questionable, we still would like to mention this.

Improvements:

1. Expanding the dimensions of our data is our top priority. It is possible for us to crawl more stocks data and more past price changes. The more information our algorithm learns, more accurate they could be in predicting future prices. For example, 500 stocks with daily prices from the past 5 years would improve our results in general.
2. In time series analysis, we used a seasonal ARIMA model. We can try some other models like Box-Cox forecast and exponential smoothing forecast [9].
3. High-dimensional time series analysis is worth trying as well. It is suitable for comparing different stocks prices at the same time.

At last, we would like to emphasise that the ultimate goal of data mining is to find the patterns in the history and use them properly, to serve us better in the future. Put it into this context, finding and studying the patterns from a large chunk of data is never the end of data mining, applying it to prediction is. Although the prediction of stock prices is troublesome and uninterpretable sometimes, it is still the right track we should stay on and keep on trying.

6. References

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- [11]

7. Appendix

7.1 Raw Data Summary

Below we summarise the dataset.

```
Data frame:crs$dataset[, c(crs$input, crs$risk, crs$target)]
18836 observations and 11 variables    Maximum # NAs:0
```

```

Levels Storage
Code          61 integer
Sector         5 integer
SubSector     10 integer
Date           integer
Weekday        5 integer
Open           double
High           double
Low            double
Volume         integer
PriorClose     double
Close          double
```

```

+-----+-----+
|Variable |Levels                                     |
+-----+-----+
|Code     |3DP,8EC,8IH,AAC,ABT,ACB,ADH,AEG,AEI,AIV,AJC,AJX,AMP,ANO,ANZ,API,ATR|
|         |AUB,BEN,BHP,BIG,BIQ,BOQ,BUD,CBA,CBL,CCA,CDC,CGC,CHK,CLS,CNW,CRL,CSS|
|         |CYB,DSX,ELD,FCT,FRM,GBT,GNC,GTK,HOT,HUO,IRI,LOV,LVH,MTM,MYO,MYQ,NAB|
|         |NNW,SFG,SMG,SOP,TOT,VII,WES,WOW,ZEL,ZIP                               |
+-----+-----+
|Sector   |Agriculture,Basic_Materials/Resources,Financial_Services           |
|         |Retail/Wholesale,Technology                                         |
+-----+-----+
|SubSector|Banking/Credit_Companies,Chemicals,Farming,Fishing                 |
|         |Insurance_Companies,Internet/Online,Investing/Securities_Companies |
|         |Mining_&Metals,Retail,Software                                       |
+-----+-----+
|Weekday  |Friday,Monday,Thursday,Tuesday,Wednesday                         |
+-----+-----+
```

For the simple distribution tables below the 1st and 3rd Qu. refer to the first and third quartiles, indicating that 25% of the observations have values of that variable which are less than or greater than (respectively) the value listed.

```

Code          Sector
3DP   :   317   Agriculture           :3404
8EC   :   317   Basic_Materials/Resources:3794
8IH   :   317   Financial_Services     :4710
AAC   :   317   Retail/Wholesale       :2199
ABT   :   317   Technology              :4729
```

ACB : 317
 (Other):16934

	SubSector	Date	Weekday
Software	:2850	Min. :20170109	Friday :3686
Mining_&_Metals	:2535	1st Qu.:20170503	Monday :3625
Banking/Credit_Companies	:2219	Median :20170823	Thursday :3803
Retail	:2199	Mean :20172712	Tuesday :3801
Farming	:2137	3rd Qu.:20171212	Wednesday:3921
Internet/Online	:1879	Max. :20180411	
(Other)	:5017		
Open	High	Low	Volume
Min. : 0.001	Min. : 0.001	Min. : 0.001	Min. : 0
1st Qu.: 0.115	1st Qu.: 0.115	1st Qu.: 0.110	1st Qu.: 16300
Median : 0.900	Median : 0.910	Median : 0.890	Median : 185000
Mean : 5.921	Mean : 5.965	Mean : 5.875	Mean : 1177051
3rd Qu.: 4.890	3rd Qu.: 4.940	3rd Qu.: 4.850	3rd Qu.: 1280000
Max. :87.660	Max. :87.720	Max. :87.020	Max. :117230000
PriorClose	Close		
Min. : 0.001	Min. : 0.001		
1st Qu.: 0.115	1st Qu.: 0.115		
Median : 0.900	Median : 0.900		
Mean : 5.921	Mean : 5.921		
3rd Qu.: 4.890	3rd Qu.: 4.890		
Max. :87.660	Max. :87.660		

Rattle timestamp: 2018-05-11 09:19:26 rqui

=====

7.2 Frequent Patterns

Summary of the Transactions:

Length	Class	Mode
18836 transactions		S4

Summary of the Apriori Association Rules:

Number of Rules: 26

Summary of the Measures of Interestingness:

support	confidence	lift	count
Min. :0.1026	Min. :0.5987	Min. :0.9023	Min. :1933
1st Qu.:0.1068	1st Qu.:0.6540	1st Qu.:1.0210	1st Qu.:2011
Median :0.1173	Median :0.6782	Median :2.5920	Median :2209
Mean :0.1249	Mean :0.7746	Mean :3.1351	Mean :2353
3rd Qu.:0.1365	3rd Qu.:1.0000	3rd Qu.:4.9592	3rd Qu.:2570
Max. :0.1690	Max. :1.0000	Max. :8.5657	Max. :3183

Summary of the Execution of the Apriori Command:

Apriori

Parameter specification:

confidence	minval	smax	arem	aval	originalSupport	maxtime	support	minlen	maxlen
0.5	0.1	1	none	FALSE	TRUE	5	0.1	2	10
target	ext								
rules	FALSE								

Algorithmic control:

filter	tree	heap	memopt	load	sort	verbose
0.1	TRUE	TRUE	FALSE	TRUE	2	TRUE

Absolute minimum support count: 1883

```
set item appearances ...[0 item(s)] done [0.00s].
set transactions ...[34 item(s), 18836 transaction(s)] done [0.01s].
sorting and recoding items ... [20 item(s)] done [0.00s].
creating transaction tree ... done [0.01s].
checking subsets of size 1 2 3 done [0.00s].
writing ... [26 rule(s)] done [0.00s].
creating S4 object ... done [0.00s].
```

Time taken: 0.02 secs

Rattle timestamp: 2018-05-13 11:45:15 rqui

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All Rules

lhs	rhs
support confidence lift count	
[1] {SubSector=Farming}	=> {Sector=Agriculture}
0.1134530 1.0000000 5.5334900 2137	

[2] {Sector=Agriculture} => {SubSector=Farming}
 0.1134530 0.6277908 5.5334900 2137
 [3] {SubSector=Retail} => {Sector=Retail/Wholesale}
 0.1167445 1.0000000 8.5657117 2199
 [4] {Sector=Retail/Wholesale} => {SubSector=Retail}
 0.1167445 1.0000000 8.5657117 2199
 [5] {SubSector=Banking/Credit_Companies} => {Sector=Financial_Services}
 0.1178063 1.0000000 3.9991507 2219
 [6] {SubSector=Mining_&_Metals} => {Sector=Basic_Materials/Resources}
 0.1345827 1.0000000 4.9646811 2535
 [7] {Sector=Basic_Materials/Resources} => {SubSector=Mining_&_Metals}
 0.1345827 0.6681603 4.9646811 2535
 [8] {SubSector=Mining_&_Metals} => {Change=up}
 0.1067636 0.7932939 1.1955900 2011
 [9] {SubSector=Software} => {Sector=Technology}
 0.1513060 1.0000000 3.9830831 2850
 [10] {Sector=Technology} => {SubSector=Software}
 0.1513060 0.6026644 3.9830831 2850
 [11] {SubSector=Software} => {Change=up}
 0.1026226 0.6782456 1.0221983 1933
 [12] {Sector=Agriculture} => {Change=up}
 0.1081971 0.5987074 0.9023246 2038
 [13] {Weekday=Monday} => {Change=up}
 0.1255574 0.6524138 0.9832666 2365
 [14] {Weekday=Friday} => {Change=up}
 0.1325122 0.6771568 1.0205573 2496
 [15] {Sector=Basic_Materials/Resources} => {Change=up}
 0.1604906 0.7967844 1.2008506 3023
 [16] {Weekday=Tuesday} => {Change=up}
 0.1312381 0.6503552 0.9801640 2472
 [17] {Weekday=Thursday} => {Change=up}
 0.1370779 0.6789377 1.0232413 2582
 [18] {Weekday=Wednesday} => {Change=up}
 0.1371310 0.6587605 0.9928319 2583
 [19] {Sector=Financial_Services} => {Change=up}
 0.1595349 0.6380042 0.9615497 3005
 [20] {Sector=Technology} => {Change=up}
 0.1689849 0.6730810 1.0144146 3183
 [21] {Sector=Basic_Materials/Resources,
 SubSector=Mining_&_Metals} => {Change=up}
 0.1067636 0.7932939 1.1955900 2011
 [22] {SubSector=Mining_&_Metals,
 Change=up} => {Sector=Basic_Materials/Resources}
 0.1067636 1.0000000 4.9646811 2011
 [23] {Sector=Basic_Materials/Resources,
 Change=up} => {SubSector=Mining_&_Metals}
 0.1067636 0.6652332 4.9429321 2011
 [24] {Sector=Technology,
 SubSector=Software} => {Change=up}
 0.1026226 0.6782456 1.0221983 1933
 [25] {SubSector=Software,
 Change=up} => {Sector=Technology}
 0.1026226 1.0000000 3.9830831 1933
 [26] {Sector=Technology,

Change=up} => {SubSector=Software}
0.1026226 0.6072887 4.0136457 1933

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Interestng Measures

	chiSquared	hyperLift	hyperConfidence	leverage	oddsRatio
1	10927.867044	5.0164319	1.000000e+00	0.092949996	NA
2	10927.867044	5.0164319	1.000000e+00	0.092949996	-5.723741e+16
3	18836.000000	7.5827586	1.000000e+00	0.103115246	NA
4	18836.000000	7.5827586	1.000000e+00	0.103115246	NA
5	7543.825934	3.6983333	1.000000e+00	0.088348492	NA
6	11613.433991	4.5675676	1.000000e+00	0.107474686	NA
7	11613.433991	4.5675676	1.000000e+00	0.107474686	-6.660206e+16
8	220.970302	1.1604155	1.000000e+00	0.017465770	2.127671e+00
9	10017.493873	3.7254902	1.000000e+00	0.113318851	NA
10	10017.493873	3.7254902	1.000000e+00	0.113318851	NA
11	3.263034	0.9938303	9.631582e-01	0.002228578	1.081614e+00
12	78.165453	0.8795857	9.090354e-19	-0.011712187	7.091742e-01
13	2.478532	0.9594320	5.570025e-02	-0.002136756	9.406223e-01
14	3.819035	0.9964072	9.737163e-01	0.002669227	1.079566e+00
15	377.933168	1.1726144	1.000000e+00	0.026843160	2.303699e+00
16	3.694695	0.9573974	2.631021e-02	-0.002655918	9.292805e-01
17	5.075509	0.9992260	9.874172e-01	0.003113512	1.091238e+00
18	0.501716	0.9699587	2.333452e-01	-0.000990065	9.735216e-01
19	18.309582	0.9420063	9.306426e-06	-0.006379460	8.601593e-01
20	2.587117	0.9937559	9.443285e-01	0.002401235	1.059159e+00
21	220.970302	1.1604155	1.000000e+00	0.017465770	2.127671e+00
22	8925.939467	4.5191011	1.000000e+00	0.085259011	NA
23	8705.923826	4.4988814	1.000000e+00	0.085164390	5.798015e+01
24	3.263034	0.9938303	9.631582e-01	0.002228578	1.081614e+00
25	6425.724429	3.6609848	1.000000e+00	0.076858014	NA
26	6201.791818	3.6819048	1.000000e+00	0.077054203	2.485033e+01

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1	0.761681417
2	0.761681417
3	1.000000000
4	1.000000000
5	0.632851026
6	0.785210299
7	0.785210299
8	0.108311012
9	0.729264716
10	0.729264716
11	0.013161835
12	-0.064418867
13	-0.011471044
14	0.014239097
15	0.141648886
16	-0.014005381
17	0.016415173
18	-0.005161009
19	-0.031177758

20 0.011719625
21 0.108311012
22 0.688386949
23 0.679849982
24 0.013161835
25 0.584072431
26 0.573804898

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7.3 Rule Barplots

```
changeup <- nrow(dat[which(dat$Change=="up"),])
lhs.8 <- nrow(dat[which(dat$SubSector=="Mining_&_Metals"),])
rhs.8 <- nrow(dat[which(dat$SubSector=="Mining_&_Metals" &
                        dat$Change=="up"),])
lhs.11 <- nrow(dat[which(dat$SubSector=="Software"),])
rhs.11 <- nrow(dat[which(dat$SubSector=="Software" &
                        dat$Change=="up"),])
lhs.14 <- nrow(dat[which(dat$Weekday=="Friday"),])
rhs.14 <- nrow(dat[which(dat$Weekday=="Friday" &
                        dat$Change=="up"),])
lhs.15 <- nrow(dat[which(dat$Sector=="Basic_Materials/Resources"),])
rhs.15 <- nrow(dat[which(dat$Sector=="Basic_Materials/Resources" &
                        dat$Change=="up"),])
lhs.17 <- nrow(dat[which(dat$Weekday=="Thursday"),])
rhs.17 <- nrow(dat[which(dat$Weekday=="Thursday" &
                        dat$Change=="up"),])
lhs.20 <- nrow(dat[which(dat$Sector=="Technology"),])
rhs.20 <- nrow(dat[which(dat$Sector=="Technology" &
                        dat$Change=="up"),])
lhs.21 <- nrow(dat[which(dat$Sector=="Basic_Materials/Resources" &
                        dat$SubSector=="Mining_&_Metals"),])
rhs.21 <- nrow(dat[which(dat$Sector=="Basic_Materials/Resources" &
                        dat$SubSector=="Mining_&_Metals" &
                        dat$Change=="up"),])
lhs.24 <- nrow(dat[which(dat$Sector=="Technology" &
                        dat$SubSector=="Software"),])
rhs.24 <- nrow(dat[which(dat$Sector=="Technology" &
                        dat$SubSector=="Software" &
                        dat$Change=="up"),])
rules <- matrix(data=c(lhs.8,rhs.8,lhs.11,rhs.11,lhs.14,rhs.14,
                      lhs.15,rhs.15,lhs.17,rhs.17,lhs.20,rhs.20,
                      lhs.21,rhs.21,lhs.24,rhs.24),nrow=2)
colnames(rules) <- c(8,11,14,15,17,20,21,24)
rownames(rules) <- c("LHS true but RHS false", "LHS true")
rules[1,] <- rules[1,]-rules[2,]

barplot(rules[2:1,],col=c("#5289B1","#EFD247"),
        border="white",space=0.04,font.axis=2,xlab="Rule index",
        legend=rownames(rules[2:1,]),args.legend = list(x="topleft"))
```

7.4 Neural Network and Linear Regression

```
library(neuralnet)
set.seed(8410)
dat <- read.csv('dat/ALL-lite.csv')

dat$Sector <- as.numeric(as.factor(dat$Sector))
dat$Weekday <- as.numeric(as.factor(dat$Weekday))
dat$Month <- as.numeric(as.factor(dat$Month))

# divide dat by different price levels.
dat.1 <- dat[dat$Close<=20,]
dat.2 <- dat[dat$Close<=40 & dat$Close>20,]
dat.3 <- dat[dat$Close>40 & dat$Close<=60,]
dat.4 <- dat[dat$Close>60,]

# ===== neural network =====
nndat <- subset(dat, select = c("Close", "Open", "High", "Low", "Volume", "PriorClose",
                              "Sector", "Weekday", "Month", "Year"))
# nndat <- subset(dat, select = c("Close", "Open", "High", "Low", "Volume", "PriorClose",
#                               "Year"))
index <- sample(1:nrow(nndat),round(0.75*nrow(nndat)))
train <- nndat[index,]
test <- nndat[-index,]

# normalization
maxs <- apply(nndat, 2, max)
mins <- apply(nndat, 2, min)
scaled <- as.data.frame(scale(nndat, center = mins, scale = maxs - mins))
train_ <- scaled[index,]
test_ <- scaled[-index,]
f <- "Close ~ Open + High + Low + Volume + PriorClose + Sector + Weekday + Month + Year"
# f <- "Close ~ Open + High + Low + Volume + PriorClose + Year"
nn <- neuralnet(f, data=train_, hidden=c(5,3), act.fct = "logistic", linear.output = T)
# nn <- neuralnet(f, data=train_, hidden=c(4,2), act.fct = "logistic", linear.output = T)

plot(nn)
pr.nn <- compute(nn, test_[,2:ncol(nndat)])
pr.nn_ <- pr.nn$net.result*(max(nndat$Close)-min(nndat$Close))+min(nndat$Close)
test.r <- (test_$Close)*(max(nndat$Close)-min(nndat$Close))+min(nndat$Close)
MAE.nn <- sum(abs(test.r-pr.nn_))/nrow(test)

# ===== regression =====
lm.fit <- glm(f, data=train)
pr.lm <- predict(lm.fit, test)
MAE.lm <- sum(abs(pr.lm-test$Close))/nrow(test)

par(mfrow=c(1,2))
plot(test$Close,pr.nn_,col='#5289B1',main='Real vs predicted NN',
     pch=16,cex=1.1,xlab="real",ylab="predicted")
abline(0,1,lwd=2)
legend('bottomright',legend='NN',pch=16,col='#5289B1', bty='n')
plot(test$Close,pr.lm,col='#C83E45',main='Real vs predicted lm',
```

```
    pch=18, cex=1.1,xlab="real",ylab="predicted")
abline(0,1,lwd=2)
legend('bottomright',legend='LM',pch=18,col='#C83E45', bty='n')

print(MAE.nn)
print(MAE.lm)

summary(lm.fit)
```

7.5 Time Series Analysis

```
library(tseries)
library(forecast)
par(mfrow=c(1,1))
wowdata <- read.csv("dat/WOW.csv")
wowdata <- subset(wowdata, select=c("Date","Close"))
wowdata$Date <- as.Date(wowdata$Date, "%Y-%m-%d")

# imputation
start <- as.Date("2017-01-09",format="%Y-%m-%d")
end <- as.Date("2018-04-11",format="%Y-%m-%d")
theDate <- start
index <- 1
while (theDate <= end){
  if (wowdata$Date[index] != theDate) {
    wowdata <- rbind(wowdata[1:index-1,], c(NA, NA),
                     wowdata[-(1:index-1),])
    wowdata[index,1] <- theDate
    wowdata[index,2] <- as.numeric(wowdata$Close[index-1])
  }
  index <- index + 1
  theDate <- theDate + 1
}

train <- wowdata[which(wowdata$Date<"2018-01-01"),]
rownames(train) <- NULL
wow.train <- ts(train$Close, frequency=7)
test <- wowdata[which(wowdata$Date>="2018-01-01"),]
rownames(test) <- NULL
wow.test <- ts(test$Close, frequency=7)

plot(wow.train, ylab="close price", xlab="time index",
     main="Woolworths Stock Price")

auto.arima(wow.train,stepwise=FALSE,approximation=FALSE)

# fit <- Arima(wow.train, order=c(2,1,1), seasonal=c(1,0,0))
fit <- Arima(wow.train, order=c(0,1,0), seasonal=c(2,0,2))

plot(forecast(fit, h=101),xlab="week",ylab="close price")
indices <- (363:463)/7
lines(indices, wow.test, col="#C83E45",lwd=2.5)
legend("topleft", c("predicted","real"), lty=c(1,1), lwd=2.5,
     col=c("blue", "#C83E45"))
```