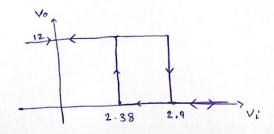


$$E_1 = \frac{V_{B2}}{R_2} = \frac{LTP}{R_2} = \frac{5}{62^k} = 80.6 \text{ J}^kA$$

KVL in A: -VCC+ RCI+(R+R2) I, = 0 => 15=(923.7 MA) RCI+(R1+62K) 80.6 MA => (923.7 "A) Ra + R. (80.6 "A) = 10 => R. + Rc. = 83.43 *5

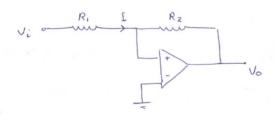
$$V_{in(+)} = \frac{9.1^{K}}{19.1^{K}} \times 5 + \frac{5^{K}}{105^{K}} V_{cc}$$

if [[] viscos : Vin(+) =
$$\frac{9.1^{N}}{19.1^{N}} \times 5 = 2.38$$
] = LTP



$$\frac{V_0=12^{V}}{V_0=12^{V}}$$
 RI+R2 = $\frac{V_{CC-1}}{I}$ = $\frac{11}{51.28 \, \text{J/A}}$ = 214.5

Nove inverting :



$$V_{c} = \frac{1}{2} \left(V_{cc-1} \right) = \pm 11 U = R_{2} = \frac{10}{L} = \frac{10}{50 \, \text{MA}} = 220 \, \text{M}$$