

حسب نظام -  $\frac{1}{r}$  - ترشح بر حسب  $\frac{1}{r}$  -  $\frac{1}{r}$

$$h[n] = r^n u[-n+r] \quad x[n] = \left(\frac{1}{r}\right)^{n-1} (u[n] - u[n-1]) \quad (2)$$

$$\begin{aligned} y[n] &= \sum_{m=-\infty}^{\infty} \left(\frac{1}{r}\right)^{n-m-1} (u[n-m] - u[n-m-1]) r^m u[-m+r] \\ &= \left(\frac{1}{r}\right)^{n-1} \sum_{m=-\infty}^{\infty} r^m (u[n-m] - u[n-m-1]) r^m u[-m+r] = \left(\frac{1}{r}\right)^{n-1} \sum_{m=-\infty}^{\infty} r^m (u[n-m] - u[n-m-1]) \end{aligned}$$

$$h(t) = e^{t+1} (u(t) - u(t-\infty)) \quad x(t) = r e^{t+1} u(t) \quad (3)$$

$$y(t) = \int_{-\infty}^{\infty} e^{\lambda+1} (u(\lambda) - u(\lambda-\infty)) r e^{-1-\lambda-t} u(-t+\lambda) d\lambda$$

$$= r e^t \underbrace{\int_{-\infty}^{\infty} u(\lambda+t) d\lambda}_{\textcircled{1}} - \underbrace{\int_{-\infty}^{\infty} u(\lambda-\infty) u(\lambda-t) d\lambda}_{\textcircled{2}}$$

$$\textcircled{1} = \int_t^{\infty} d\lambda = \infty - t = \infty, \quad \textcircled{2} = \text{if } t \leq \infty: \int_{\infty}^{\infty} d\lambda = \infty - \infty, \text{ if } t > \infty: \int_t^{\infty} d\lambda = \infty - t$$

$$h[n] = r \delta[n+1] - \delta[n-r] \quad x[n] = \delta[n] + r \delta[n+1] \quad (1)$$

$$x[n+1] \times h[n-1] = (\delta[n+1] + r \delta[n+r]) * (r \delta[n] - \delta[n-r])$$