### **Code – 347. Top K Frequent Elements**

**E** LeetCode

leetcode.com/problems/top-k-frequent-elements

#### Code (2) Time: O(n log k) Space: O(n)

```
vector<int> topKFrequent(vector<int>& nums, int k) {
    // 1. Create the number's frequency map
   // O(n)
    unordered map<int, int> freq;
    for (const auto& num : nums) {
        freq[num] += 1;
    // 2. Create the min heap with priority queue
   // O(n log k)
    priority queue<pair<int, int>, vector<pair<int,int>>, greater<>> minHeap;
    for (const auto& [num, count] : freq) {
        minHeap.push({count, num});
        if (minHeap.size() > k) minHeap.pop();
    // 3. build the result
    vector<int> result;
    while (!minHeap.empty()) {
        auto num = minHeap.top().second;
        minHeap.pop();
        result.push back(num);
    return result;
```





leetcode.com/problems/top-k-frequent-elements

### Solution (3) - hashmap + bucket sort

Go over the array, count the numbers and store them in an unordered\_map

### **Example:**

```
nums = [1,1,1,2,2,3], k = 2
freq[1] = 3
freq[2] = 2
...
```

Create buckets for each frequency and add the corresponding numbers:

```
bucket[1] = [3] \rightarrow 3 only appears once in nums
bucket[2] = [2] \rightarrow 2 appears twice
bucket[3] = [1] \rightarrow 1 appears three times
```

Go over each bucket, add to the result and return it

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LeetCode
```

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#### Code (3) Time: O(n) Space: O(n)

```
vector<int> topKFrequent(vector<int>& nums, int k) {
    // Create the number's frequency map
    unordered map<int, int> freq;
    for (const auto& num : nums) {
        freq[num]++;
    // create the buckets
    // e.g. [[1,2,3],[4,5,6]] ...
    vector<vector<int>> buckets(nums.size() + 1);
    for (const auto& [num, count] : freq) {
        buckets[count].push back(num);
    // go over each bucket to build the result
    vector<int> result;
    for (int i = buckets.size() - 1; i >= 0; --i) {
        for (const auto& num : buckets[i]) {
            result.push back(num);
            if (result.size() == k) return result;
    return result;
```

## Problem – 347. Top K Frequent Elements





leetcode.com/problems/top-k-frequent-elements

#### Some considerations

- Theoretically, bucket sort should be the fastest solution O(n) < O(n log k)</li>
- In practice, min heap end up being faster:
  - fewer allocations: priority\_queue stores flat pairs rather than inner vectors
  - better cache locality: heap is built over a single array (binary heap)
  - if **k** is small, heap touches fewer elements

# MATRIX





leetcode.com/problems/set-matrix-zeroes

### **Problem**

- You are given a matrix m x n
- When an element in the matrix is 0, set the whole column and row to zero
- You must do it in place

1	1	1	1	0	1
1	0	1	0	0	0
1	1	1	1	0	1

### Solution - 73. Set Matrix Zeroes





leetcode.com/problems/set-matrix-zeroes

#### **Solution**

- Iterate through the matrix top-down
- For each column (from col = 1 to n 1), when you find 0, set:
   matrix[row][0] = 0 → marks that the row should be zeroed
   matrix[0][col] = 0 → marks that the col should be zeroed
- If matrix[row][0] == 0, set a variable col0 = true to remember if column 0 must be zeroed later
- Iterate bottom-top, right-left
- For each cell, if matrix[row][0] == 0 or matrix[0][col] == 0 set matrix[row][col] = 0
- It must be bottom-top, right-left to not set the first row to zero first
- Also check if col0 is true. If true, set the first column to zero:
   matrix[row][0] = 0

### Code - 73. Set Matrix Zeroes

**LeetCode** 

leetcode.com/problems/set-matrix-zeroes

```
Time: O(m \times n) Space: O(1) where m is the number of rows and n the number of columns. As this is an in-place implementation, there is no additional space being
allocated, therefore space complexity is O(1)
void setZeroes(vector<vector<int>>& matrix) {
    int m = matrix.size();
    int n = matrix[0].size();
    bool col0 = false;
    for (int row = 0; row < m; ++row) {
        if (matrix[row][0] == 0) col0 = true;
        for (int col = 1; col < n; ++col) {
             if (matrix[row][col] == 0) {
                 matrix[row][0] = 0;
                 matrix[0][col] = 0;
    for (int row = m - 1; row >= 0; --row) {
         for (int col = n - 1; col >= 1; --col) {
             if (matrix[row][0] == 0 || matrix[0][col] == 0) {
                 matrix[row][col] = 0;
        if (col0) {
             matrix[row][0] = 0;
```

# Problem – 54. Spiral Matrix



**LeetCode** 

leetcode.com/problems/spiral-matrix

#### **Problem**

- You are given a matrix m x n
- Return the elements in a flat array, the same order as the image
- Example

Input: matrix = [[1,2,3],[4,5,6],[7,8,9]]

Output: matrix = [1,2,3,6,9,8,7,4,5]

1 -	<b>→ 2</b> –	<b>→ 3</b>
4 -	→ 5	6-
7 ←	– 8 ←	– <b>9</b>





leetcode.com/problems/spiral-matrix

#### **Solution**

- Traverse the matrix in spiral order following four directions: right across top row, down the right column, left across bottom row, and up the left column, then repeat inward
- Maintain four boundary variables that shrink after each direction: rowStart, rowEnd, colStart, and colEnd get updated after completing each side of the spiral to move the boundaries inward
- Boundary handling is the main challenge: It's easy to introduce bugs when determining when
  to stop traversal or when to skip certain directions, requiring careful condition checks
- Non-square matrices require special boundary checks: The conditional statements if
   (rowStart <= rowEnd) and if (colStart <= colEnd) prevent adding duplicate elements when
   dealing with rectangular matrices or edge cases like single rows/columns</li>

## Code – 54. Spiral Matrix

**E** LeetCode

leetcode.com/problems/spiral-matrix

#### Code Time: O(m x n) Space: O(1)

```
vector<int> spiralOrder(vector<vector<int>>& matrix) {
    vector<int> result;
    int rowStart = 0;
    int colStart = 0;
    int colEnd = matrix[0].size() - 1;
    int rowEnd = matrix.size() - 1;
    while(rowStart <= rowEnd && colStart <= colEnd) {</pre>
        for (int col = colStart; col <= colEnd; ++col) {</pre>
            result.push back(matrix[rowStart][col]);
        ++rowStart;
        for (int row = rowStart; row <= rowEnd; ++row) {</pre>
            result.push back(matrix[row][colEnd]);
        --colEnd;
        // if matrix is not square condition
        if (rowStart <= rowEnd) {</pre>
            for (int col = colEnd; col >= colStart; --col) {
                result.push_back(matrix[rowEnd][col]);
            --rowEnd;
        if (colStart <= colEnd) {</pre>
            for (int row = rowEnd; row >= rowStart; --row) {
                result.push back(matrix[row][colStart]);
            colStart++;
    return result;
```

# DYNAMIC PROGRAMMING

# **Dynamic Programming**

**Dynamic Programming (DP)** is an algorithm technique used to solve problems that can be broken down into **simpler, overlapping subproblems.** 

### **Key Concepts of Dynamic Programming**

- Overlapping subproblems: a problem has overlapping subproblems if it can be broken down into subproblems.
- **Memoization (Top-Down Approach)**: store the results in a cache (typically a dictionary or array) to avoid recalculation recursion and caching approach.
- **Tabulation (Bottom-Up Approach)**: first solve all possible subproblems iteratively, and store them in a table.

# **Common Patterns in Dynamic Programming**

- Toy example (Fibonacci): Climbing Stairs, N-th Tribonacci Number, Perfect Squares
- Constant Transition: Min Cost Climbing Stairs, House Robber, Decode Ways, Minimum Cost For Tickets, Solving Questions With Brainpower
- Grid: Unique Paths, Unique Paths II, Minimum Path Sum, Count Square Submatrices with All Ones, Maximal Square,
   Dungeon Game
- Dual-Sequence: Longest Common Subsequence, Uncrossed Lines, Minimum ASCII Delete Sum for Two Strings, Edit
   Distance, Distinct Subsequences, Shortest Common Supersequence
- Interval: Longest Palindromic Subsequence, Stone Game VII, Palindromic Substrings, Minimum Cost Tree From Leaf Values, Burst Balloons, Strange Printer
- Longest Increasing Subsequence: Count Number of Teams, Longest Increasing Subsequence, Partition Array for Maximum Sum, Largest Sum of Averages, Filling Bookcase Shelves
- Knapsack: Partition Equal Subset Sum, Number of Dice Rolls With Target Sum, Combination Sum IV, Ones and Zeroes,
   Coin Change, Coin Change II, Target Sum, Last Stone Weight II, Profitable Schemes
- Topological Sort on Graphs: Longest Increasing Path in a Matrix, Longest String Chain, Course Schedule III
- DP on Trees: House Robber III, Binary Tree Cameras
- Other problems: 2 Keys Keyboard, Word Break, Minimum Number of Removals to Make Mountain Array, Out of Boundary Paths

#### **Credits**

### Dynamic Programming – Example – Fibonacci Sequence

```
Naive Recursive Approach

int fib(int n) {
   if (n <= 1) {
      return n;
   }
   return fib(n - 1) + fib(n - 2);
}</pre>
```

```
Memoization (Top-Down DP)

std::unordered_map<int, int> memo;

int fib(int n) {
    if (n <= 1) {
        return n;
    }
    if (memo.find(n) != memo.end()) {
        return memo[n];
    }
    memo[n] = fib(n - 1) + fib(n - 2);
    return memo[n];
}</pre>
```

```
Tabulation (Bottom-up DP)

int fib(int n) {
    if (n <= 1) {
        return n;
    }
    int dp[n + 1];
    dp[0] = 0;
    dp[1] = 1;
    for (int i = 2; i <= n; i++) {
        dp[i] = dp[i - 1] + dp[i - 2];
    }
    return dp[n];
}</pre>
```