

Little's Law

$$N = X R$$

Load = Throughput  $\cdot$  ResponseTime

$$L = \left(\frac{X}{N}\right) R$$

Throughput  
per Load is inverse ResponseTime

$$X[N] = \frac{Nf}{1 + \alpha(N-1) + N(N-1)\beta}$$

$$R[N] = \frac{1 + \alpha(N-1) + N(N-1)\beta}{\gamma}$$

$$N^* = \sqrt{\frac{1-\alpha}{\beta}}$$

$X[N^*]$  is max throughput

$\frac{X[N]}{X[1]}$  is efficiency

## Little's Law

\* Load is the number of tasks

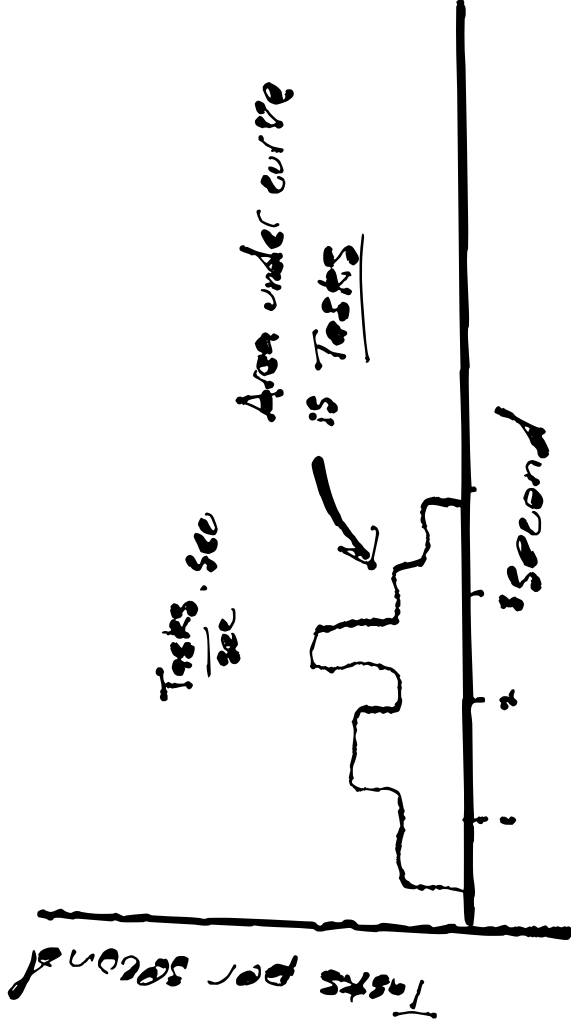
\* Throughput is tasks per time

Load = Throughput  $\cdot$  Response Time

$$N = X \cdot R$$

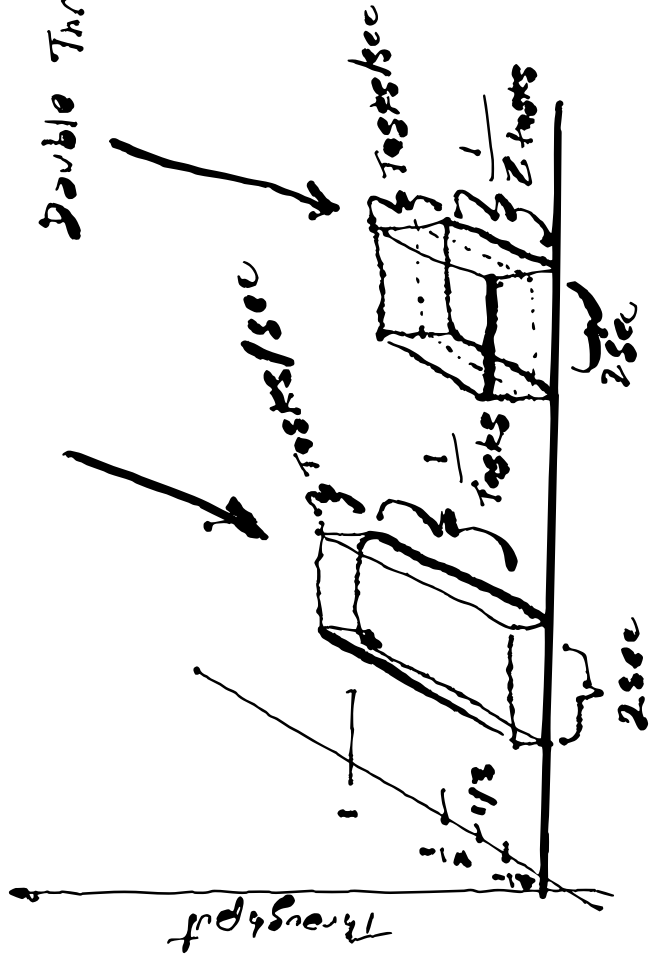
Throughput per task is inverse Response Time

$$1 = \left(\frac{X}{N}\right) \cdot R$$

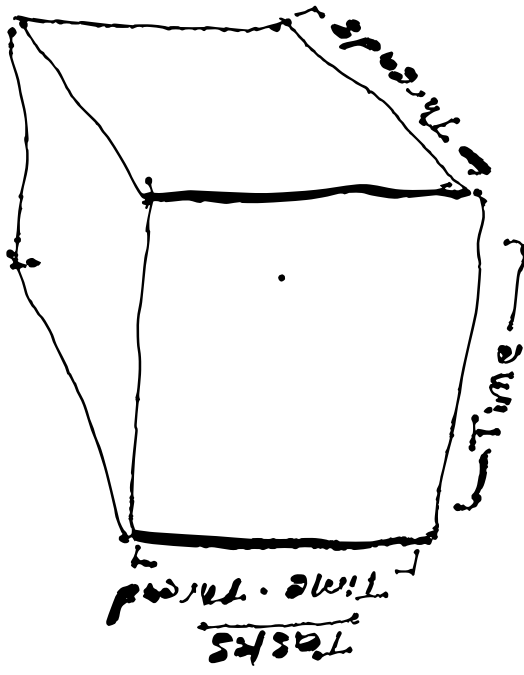


# Single Trough at

Double Thought



Volume is work performed - Tasks





# Reporting Performance

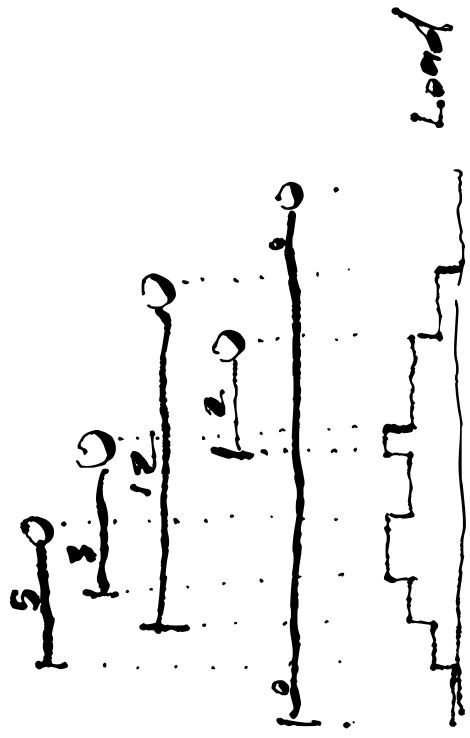
As one metric:

\* Throughput

\* Load

\* Response Time

\* Utilization



Time  $t$   
Work  $W$

Throughput  $\lambda = \frac{W}{t}$

processor speed  $\lambda = \frac{W}{t \cdot N} = \frac{1}{R}$

Response Time  $R$

