
%In Part 2d) of the assignment, we are observing the effect of varying
%sigma on the current density. Like in parts c) and d), we are
iterating
%through a loop using different sigma values and plotting sigma vs
current
%density, and then drawing a conclusion from the plot.

```
for sigma = 1e-2:1e-2:0.9
```

```
    %setting up variable matrices like in part 1
```

```
    nx = 50;
```

```
    ny = nx*3/2;
```

```
    G = sparse(nx*ny);
```

```
    Op = zeros(1, nx*ny);
```

```
    Sigmatrix = zeros(ny, nx);
```

```
    % a sigma matrix is
```

```
    required for this part
```

```
    Sig1 = 1;
```

```
    % sigma value given outside
```

```
    the box
```

```
    Sig2 = sigma;
```

```
    % sigma inside box will be
```

```
    modified
```

```
    %bottleneck remains the same this time.
```

```
    box = [nx*2/5 nx*3/5 ny*2/5 ny*3/5];
```

```
    for x = 1:nx
```

```
        for y = 1:ny
```

```
            n = y + (x-1)*ny;
```

```
            if x == 1
```

```
                G(n, :) = 0;
```

```
                G(n, n) = 1;
```

```
                Op(n) = 1;
```

```
            elseif x == nx
```

```
                G(n, :) = 0;
```

```
                G(n, n) = 1;
```

```
                Op(n) = 0;
```

```
            elseif y == 1
```

```
                if x > box(1) && x < box(2)
```

```
                    G(n, n) = -3;
```

```
                    G(n, n+1) = Sig2;
```

```

        G(n, n+ny) = Sig2;
        G(n, n-ny) = Sig2;

    else

        G(n, n) = -3;
        G(n, n+1) = Sig1;
        G(n, n+ny) = Sig1;
        G(n, n-ny) = Sig1;

    end

elseif y == ny

    if x > box(1) && x < box(2)
        G(n, n) = -3;
        G(n, n+1) = Sig2;
        G(n, n+ny) = Sig2;
        G(n, n-ny) = Sig2;

    else

        G(n, n) = -3;
        G(n, n+1) = Sig1;
        G(n, n+ny) = Sig1;
        G(n, n-ny) = Sig1;

    end

else

    if x > box(1) && x < box(2) && (y < box(3) || y >
box(4))

        G(n, n) = -4;
        G(n, n+1) = Sig2;
        G(n, n-1) = Sig2;
        G(n, n+ny) = Sig2;
        G(n, n-ny) = Sig2;

    else

        G(n, n) = -4;
        G(n, n+1) = Sig1;
        G(n, n-1) = Sig1;
        G(n, n+ny) = Sig1;
        G(n, n-ny) = Sig1;

    end

end

end

end

```

```

for Length = 1 : nx

    for Width = 1 : ny

        if Length >= box(1) && Length <= box(2)
            Sigmatrix(Width, Length) = Sig2;

        else

            Sigmatrix(Width, Length) = Sig1;

        end

        if Length >= box(1) && Length <= box(2) && Width >= box(3)
            && Width <= box(4)

                Sigmatrix(Width, Length) = Sig1;

            end

        end

    end

    end

Voltage = G\Op';

sol = zeros(ny, nx, 1);

for x = 1:nx

    for y = 1:ny

        n = y + (x-1)*ny;

        sol(y,x) = Voltage(n);

    end

end

[elec_x, elec_y] = gradient(sol);

J_x = Sigmatrix.*elec_x;
J_y = Sigmatrix.*elec_y;
J = sqrt(J_x.^2 + J_y.^2);

figure(1)
hold on
if sigma == 0.01
    Curr = sum(J, 2);
    Curr_tot = sum(Curr);
    Curr_old = Curr_tot;

```

```

        plot([sigma, sigma], [Currold, Currtot])
    end
    if sigma > 0.01
        Currold = Currtot;
        Curr = sum(J, 2);
        Currtot = sum(Curr);
        plot([sigma-0.01, sigma], [Currold, Currtot])
        xlabel("Sigma")
        ylabel("Current Density")
    end
    title("The Effect of varying the sigma value on Current Density")

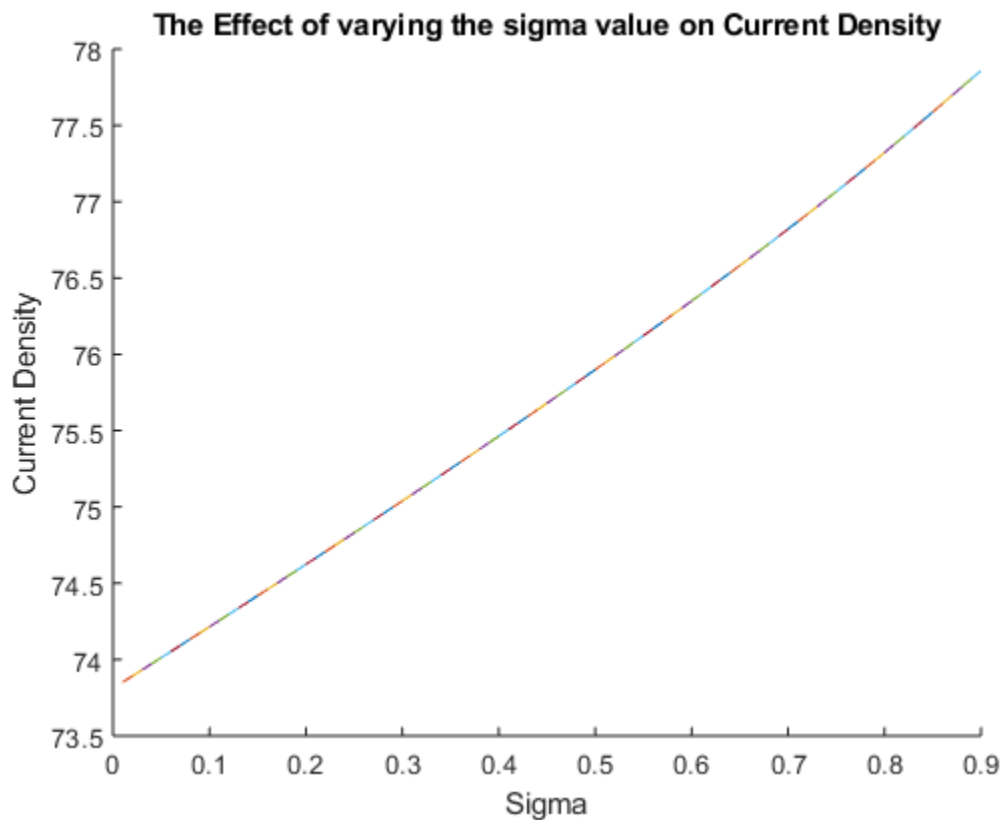
end

%the end%

%DISCUSSION%

%From the plot it is noticed that sigma and current density are
%proportional; an increase in sigma leads to an increase in current
%density. This relationship is linear, which is to be expected from
the
%formula  $J = \sigma \times \text{electric field}$ .

```



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