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Assignment 4 Part 3

In this part of the assignment, noise was added to the circuit, and the response to this noise was observed

In part a), a current source In was added to the circuit, in parallel with R3. This causes thermal noise to be generated in resistor R3.

In part b), a capacitor Cn = 0.00001 added in parallel with resistor to BW limit the noise. This causes changes to C matrix

Definition of variables based on the components present in the circuit

```
R1 = 1;
G1 = 1/R1;
c = 0.25;
R2 = 2;
G2 = 1/R2;
L = 0.2;
R3 = 10;
G3 = 1/R3;
alpha = 100;
R4 = 0.1;
G4 = 1/R4;
RO = 1000;
GO = 1/RO;
Vin = 1;
                                   % Capacitance value given in part b)
Cn 1 = 0.00001;
Cn_2 = 10^-8;
                                   % Cn_2 and Cn_3 are for part d) vi.
where
Cn_3 = 2.6*2e-5;
                                     % we change Cn to observe the change
 in BW
% part a) Updating the C matrices
C \text{ Matrix1} = [0 \ 0 \ 0 \ 0 \ 0 \ 0;
             -c c 0 0 0 0 0;
              0 0 -L 0 0 0 0;
              0 0 0 -Cn 1 0 0 0;
              0 0 0 0 0 0 0;
              0 0 0 -Cn 1 0 0 0;
              0 0 0 0 0 0 0;];
C_{Matrix2} = [0 \ 0 \ 0 \ 0 \ 0 \ 0;
             -c c 0 0 0 0 0;
              0 0 -L 0 0 0 0;
              0 0 0 -Cn_2 0 0 0;
```

```
0 0 0 0 0 0 0;
             0 0 0 -Cn 2 0 0 0;
             0 0 0 0 0 0 0;];
C_{Matrix3} = [0 \ 0 \ 0 \ 0 \ 0 \ 0;
            -c c 0 0 0 0 0;
             0 0 -L 0 0 0 0;
             0 0 0 -Cn 3 0 0 0;
             0 0 0 0 0 0 0;
             0 0 0 -Cn_3 0 0 0;
             0 0 0 0 0 0 0;];
GO = [1 0 0 0 0 0 0;
    -G2 G1+G2 -1 0 0 0;
      0 1 0 -1 0 0 0;
      0 0 -1 G3 0 0 0;
      0 0 0 0 -alpha 1 0;
      0 0 0 G3 -1 0 0;
      0 0 0 0 0 -G4 G4+G0];
F_Matrix = [Vin;
             0;
             0;
             0;
             0;
             0;
             0;];
F0_Matrix = [Vin-Vin;
                0;
                0;
                0;
                0;
                0;
                0;];
step 1 = 1000;
step_2 = 1.9898e4;
                            % time step 1 was the numer of time steps
given
                                 in part 2, step 2 is used
                             % to observe the effects of varying this
value
                             % on the simulation
vol_1 = zeros(7, step_1);
vol_start = zeros(7, 1);
dt_1 = 10^-3;
dt_2 = 1.9898*10^-4; %varying the timestep to observe the effects on
the sim
% Circuit with Noise simulation with default time step
% Time domain simulation
```

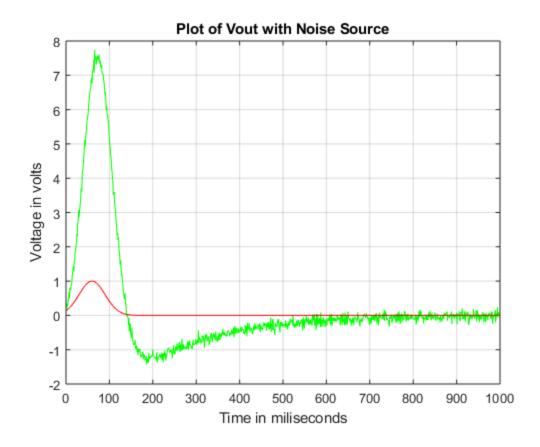
```
vol_1 = zeros(7, step_1);
Guassian F = zeros(7,1);
for i = 1:step_1
    Guassian_F(1,1) = \exp(-1/2*((i/step_1-0.06)/(0.03))^2);
    Guassian_F(4,1) = 0.001*randn();
    Guassian_F(7,1) = 0.001*randn();
    if i == 1
        vol_1(:,i) = (C_Matrix1./dt_1+GO) \setminus (Guassian_F)
+C_Matrix1*vol_start/dt_1);
    else
        vol_1(:,i) = (C_Matrix1./dt_1+GO) \setminus (Guassian_F)
+C_Matrix1*vol_old/dt_1);
    end
    vol_old = vol_1(:, i);
end
% Part b)i. modelling Vo signal with noise using the Guassian
excitation
figure(1)
plot(1:step_1, vol_1(7,:), 'g')
hold on
plot(1:step_1, vol_1(1,:), 'r')
title('Plot of Vout with Noise Source')
xlabel('Time in miliseconds')
ylabel('Voltage in volts')
grid on
freq = (-step_1/2:step_1/2-1);
fft_vol1 = fft(vol_1.');
ffts_vol1 = fftshift(fft_vol1);
%Part c) Fourier Transform plot
figure(2)
plot(freq, abs(ffts_vol1(:, 1)), 'g')
hold on
plot(freq, abs(ffts vol1(:, 7)), 'r')
title('Fourier-Transform Plot of Vout')
xlabel('frequency in 1/ms')
ylabel('Voltage in volts')
grid on
vol_2 = zeros(7, step_1);
Guassian_F = zeros(7,1);
```

```
for i 2 = 1:step 1
    Guassian F(1,1) = \exp(-1/2*((i 2/\text{step } 1-0.06)/(0.03))^2);
    Guassian_F(4,1) = 0.001*randn();
    Guassian_F(7,1) = 0.001*randn();
    if i 2 == 1
        vol_2(:,i_2) = (C_Matrix2./dt_1+GO) \setminus (Guassian_F)
+C_Matrix2*vol_start/dt_1);
    else
        vol_2(:,i_2) = (C_Matrix2./dt_1+GO) \setminus (Guassian_F)
+C_Matrix2*vol_old/dt_1);
    end
    vol_old = vol_2(:, i_2);
end
  e) in part e), 3 plots of vout will be made, with each plot made
using
  a different value of Cout. A discussion on my findings is placed
at the
   end of this document.
% plotting Vout using smaller value of Cout
figure(3)
plot(1:step_1, vol_2(7,:), 'g')
hold on
plot(1:step 1, vol 2(1,:), 'r')
title('Vout plot using smaller value of Cout')
xlabel('Time im milliseconds)')
ylabel('Voltage in volts')
grid on
vol 3 = zeros(7, step 1);
Guassian_F = zeros(7,1);
for i_3 = 1:step_1
    Guassian F(1,1) = \exp(-1/2*((i 3/step 1-0.06)/(0.03))^2);
    Guassian_F(4,1) = 0.001*randn();
    Guassian_F(7,1) = 0.001*randn();
    if i 3 == 1
        vol_3(:,i_3) = (C_Matrix3./dt_1+GO) \setminus (Guassian_F)
+C_Matrix3*vol_start/dt_1);
```

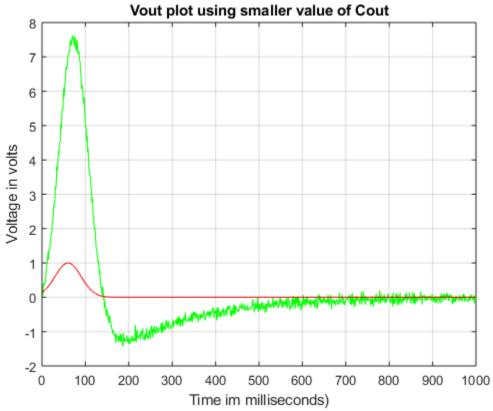
```
vol_3(:,i_3) = (C_Matrix3./dt_1+GO) \setminus (Guassian_F)
+C Matrix3*vol old/dt 1);
    end
    vol_old = vol_3(:, i_3);
end
figure(4)
plot(1:step_1, vol_3(7,:), 'g')
hold on
plot(1:step_1, vol_3(1,:), 'r')
title('Vout plot using bigger value of Cout')
xlabel('Time in millseconds')
ylabel('Voltage in volts')
grid on
%Now we will plot Vout using the value of Cout given
for i_4 = 1:step_1
    Guassian_F(1,1) = \exp(-1/2*((i_4/step_1-0.06)/(0.03))^2);
    Guassian F(4,1) = 0.001*randn();
    Guassian_F(7,1) = 0.001*randn();
    if i_4 == 1
        vol_3(:,i_4) = (C_Matrix1./dt_1+GO) \setminus (Guassian_F)
+C_Matrix1*vol_start/dt_1);
    else
        vol_3(:,i_4) = (C_Matrix1./dt_1+GO) \setminus (Guassian_F)
+C Matrix1*vol old/dt 1);
    end
    vol_old = vol_3(:, i_4);
end
figure(5)
plot(1:step_1, vol_3(7,:), 'g')
hold on
plot(1:step_1, vol_3(1,:), 'r')
title('Vout plot using original of Cout of 0.00001')
xlabel('Time in millseconds')
ylabel('Voltage in volts')
grid on
```

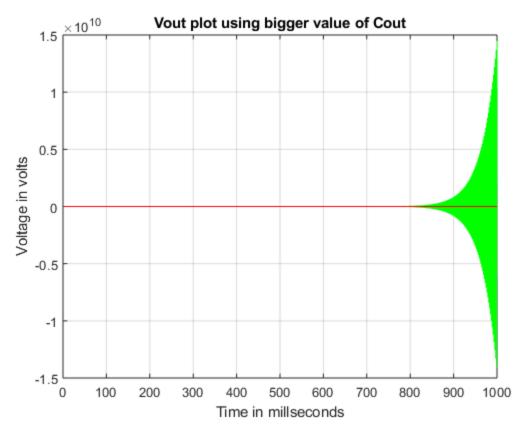
else

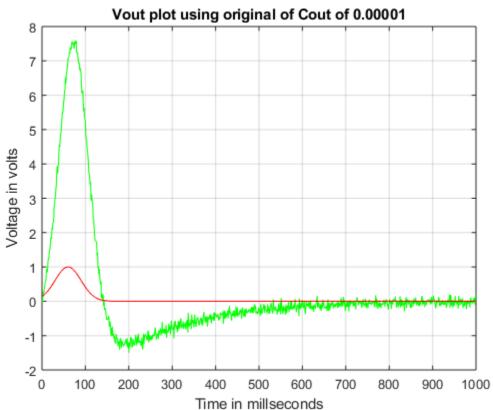
```
vol_7 = zeros(7, step_1);
Guassian F = zeros(7,1);
%In part f), we are observing the effects of plotting Vout with
%time steps. A discussion on my findings will take place at the end of
 this
%document.
%Note that the original timestep was used in part b), and will not be
%replotted to avoid redundancy.
%using the timestep given
for i_5 = 1:step_1
    Guassian_F(1,1) = \exp(-1/2*((i_5/step_1-0.06)/(0.03))^2);
    Guassian_F(4,1) = 0.001*randn();
    Guassian F(7,1) = 0.001*randn();
    if i 5 == 1
        vol_7(:,i_5) = (C_Matrix1./dt_1+GO) \setminus (Guassian_F)
+C_Matrix1*vol_start/dt_1);
    else
        vol_7(:,i_5) = (C_Matrix1./dt_1+GO) \setminus (Guassian_F)
+C_Matrix1*vol_old/dt_1);
    end
    vol_old = vol_7(:, i_5);
end
figure(6)
plot(1:step_1, vol_7(7,:), 'g')
hold on
plot(1:step_1, vol_7(1,:), 'r')
title('Vout plot using original timestep of 10^-3')
xlabel('Time in picoseconds')
ylabel('Voltage in volts')
grid on
%using a smaller timestep
for i 6 = 1:step 2
    Guassian_F(1,1) = \exp(-1/2*((i_6/step_2-0.06)/(0.03))^2);
    Guassian_F(4,1) = 0.001*randn();
    Guassian_F(7,1) = 0.001*randn();
    if i 6 == 1
        vol_4(:,i_6) = (C_Matrix1./dt_2+GO) \setminus (Guassian_F)
+C_Matrix1*vol_start/dt_2);
```

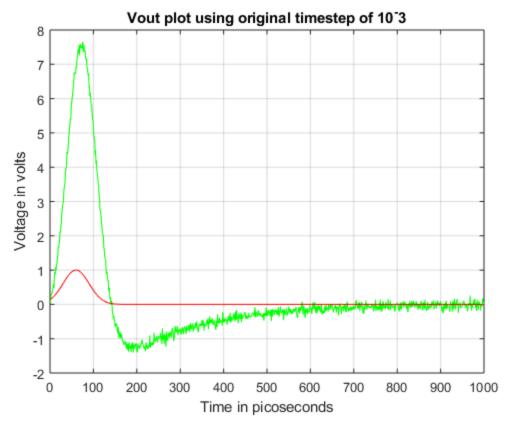


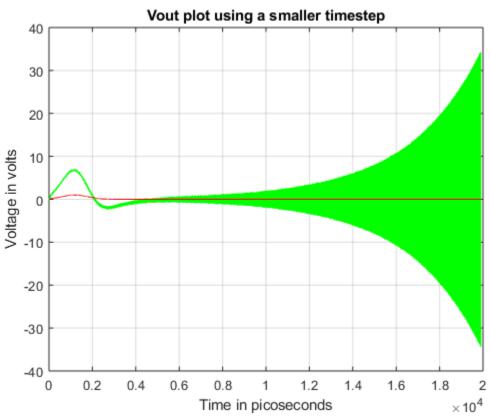












Discussion

In part e), 3 plots of Vout were made using 3 values of Cout. It is noticed that using a smaller value of Cout does not change the plot. However, a larger value of Cout causes the simulation to break down. This is because the circuit becomes trapped in a feedback loop.

In part f), 2 plots of Vout were made using different timesteps. Using a smaller timestep than the original timestep of 10^-3 causes the simulation to break down because the circuit becomes trapped in a feedback loop.

PART 4

If the e voltage source on the output stage described by the transconductance equation V = alpha*I3 was instead modeled by $V = alpha*I3 + beta*I2^2 + gamma*I3^3$, the changes required in my simulator are more than just simply changing the matrices we used in the simulation for part 3. This new equation would need to be fitted, And new matrices would have to be created for the Jacobian method for the simulation of the new equation in the circuit. Note that the inclusion of this equation would in turn increase the size of the matrix and the iterations required to traverse through it. The values of alpha and beta that we define will have to be considerably large, as if i3 is smaller than 1 this will be too small to have a noticeable effect on the simulation.

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