

chapter 2. measures of central tendency

- how to summarize and describe data? (descriptive statistics)
 - one goal: measure of central tendency
 - = a single number that reports the centre of a distribution
- mean (average)
 - population mean: parameter, μ
 - sample mean: statistic, \bar{x}
 - add up scores and divide by number of scores
 - write formulas using sigma notation
- median (50th percentile, P_{50})
 - if odd number of data points, use middle data point
 - if even, use average of middle two data points
 - useful when data is skewed, or when there are outliers
 - to find middle data points
 - if n is odd, $n/2$ rounded up
 - if n is even, $(n/2)$ and $(n/2)+1$
- mode (most common value)
- mean, median, and mode are all measures of central tendency
- choice between measures depends on purpose, e.g., mean income (tax collector) vs. median income (sociologist)
- skewed distributions
 - population or sample with many data points at one end of distribution and few at the other (opposite of: symmetric)
 - positively skewed (= right-skewed): tail longer at higher end
 - negatively skewed (= left-skewed): tail longer at lower end
 - for a skewed distribution the mean, median, and mode are usually different
 - mean is pulled up or down, in direction of skew

chapter 3: measures of variability

- mean, median, and mode give information about central tendency
 - but no information about how widely the scores are distributed
- measures of variability, or dispersion
 - = differences between scores in a distribution
 - range = maximum - minimum
 - not robust; i.e., it is sensitive to outliers
 - interquartile range (IQR): 75th percentile - 25th percentile
 - percentile position: $i = (P/100)n$ ("index method")
 - if integer, use average of data points in position i and $i+1$
 - if not integer, round up
 - first quartile = 25th percentile
 - second quartile = 50th percentile = median
 - third quartile = 75th percentile
 - variance: see formulas.pdf
 - population variance (σ^2) and sample variance (s^2)
 - definitional formula and computational formula
 - standard deviation: square root of variance