

Advanced R programming: solutions 1

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1 Argument matching

R allows a variety of ways to match function arguments.¹ We didn't cover argument matching in the lecture, so let's try and figure out the rules from the examples below. First we'll create a little function to help

¹ For example, by position, by complete name, or by partial name.

```
arg_explore = function(arg1, rg2, rg3)
  paste("a1, a2, a3 = ", arg1, rg2, rg3)
```

Next we'll create a few examples. Try and predict what's going to happen before calling the functions

One of these examples will raise an error - why?

```
arg_explore(1, 2, 3)
arg_explore(2, 3, arg1 = 1)
arg_explore(2, 3, a = 1)
arg_explore(1, 3, rg = 1)
```

Can you write down a set of rules that R uses when matching arguments?

```
## SOLUTION
## See http://goo.gl/NKsved for the official document
## To summarise, matching happens in a three stage pass:
#1. Exact matching on tags
#2. Partial matching on tags.
#3. Positional matching
```

Following on from the above example, can you predict what will happen with

```
plot(type = "l", 1:10, 11:20)
```

and

```
rnorm(mean = 4, 4, n = 5)
```

```
## SOLUTION
#plot(type="l", 1:10, 11:20) is equivalent to
plot(x=1:10, y=11:20, type="l")
#rnorm(mean=4, 4, n=5) is equivalent to
rnorm(n=5, mean=4, sd=4)
```

2 The ... argument

A common argument² is We can explore what happens using the `print_dots` function in the `nclRadvanced` package

² Especially when dealing with S3 objects and functions.

```
library("nclRadvanced")
arg_explore2 = function(arg1 = 5, ...)
  print_dots(...)
```

- Repeat the examples used in `arg_explore`, but include the ... argument.

3 Functions as first class objects

Suppose we have a function that performs a statistical analysis

```
## Use regression as an example
stat_ana = function(x, y) {
  lm(y ~ x)
}
```

However, we want the object of normalising the data using different transformations. In particular, we want the ability to pass arbitrary transformation to the `stat_ana` function.

- Add an argument `trans` to the `stat_ana` function. This argument should have a default value of `NULL`.

```
## SOLUTION
stat_ana = function(x, y, trans=NULL) {
  lm(y ~ x)
}
```

- Using `is.function` to test whether a function has been passed to `trans`, transform the vectors `x` and `y` when appropriate. For example,

```
stat_ana(x, y, trans = log)
```

would take log's of `x` and `y`.

```
## SOLUTION
stat_ana = function(x, y, trans=NULL) {
  if(is.function(trans)) {
    x = trans(x)
    y = trans(y)
  }
  lm(y ~ x)
}
```

4 Variable scope

Scoping can get tricky. **Before** running the example code below, predict what is going to happen

1. A simple one to get started

```
f = function(x) return(x + 1)
f(10)
```

```
##Nothing strange here. We just get
f(10)

## [1] 11
```

2. A bit more tricky

```
f = function(x) {
  f = function(x) {
    x + 1
  }
  x = x + 1
  return(f(x))
}
f(10)
```

3. More complex

```
f = function(x) {
  f = function(x) {
    f = function(x) {
      x + 1
    }
    x = x + 1
    return(f(x))
  }
  x = x + 1
  return(f(x))
}
f(10)
```

```
## Solution: The easiest way to understand
## is to use print statements
f = function(x) {
  f = function(x) {
    f = function(x) {
      message("f1: ", x)
      x + 1
    }
  }
}
```

```

    }
    message("f2: = ", x)
    x = x + 1
    return(f(x))
  }
  message("f3: = ", x)
  x = x + 1
  return(f(x))
}
f(10)

## f3: = 10
## f2: = 11
## f1: = 12

## [1] 13

```

4. `f = function(x) {`
 `f = function(x) {`
 `x = 100`
 `f = function(x) {`
 `x + 1`
 `}`
 `x = x + 1`
 `return(f(x))`
 `}`
 `x = x + 1`
 `return(f(x))`
`}`
`f(10)`

```

## Solution: The easiest way to understand
## is to use print statements as above

```

5 Function closures

Following the examples in the notes, where we created a function closure for the normal and uniform distributions. Create a similar closure for

- the Poisson distribution,³

³ Hint: see `rpois` and `dpois`.

```

poisson = function(lambda) {
  r = function(n = 1) rpois(n, lambda)
  d = function(x, log = FALSE) dpois(x,
    lambda, log = log)
  return(list(r = r, d = d))
}

```

- and the Geometric distribution.⁴

⁴ Hint: see `rgeom` and `dgeom`.

```
geometric = function(prob) {
  r = function(n = 1) rgeom(n, prob)
  d = function(x, log = FALSE) dgeom(x,
    prob, log = log)
  return(list(r = r, d = d))
}
```

6 Mutable states

In chapter 2, we created a random number generator where the state, was stored between function calls.

- Reproduce the `randu` generator from the notes and make sure that it works as advertised.
- When we initialise the random number generator, the very first state is called the seed. Store this variable and create a new function called `get_seed` that will return the initial seed, i.e.

```
r = randu(10)
r$r()

## [1] 0.0003052

r$get_state()

## [1] 655390

r$get_seed()

## [1] 10
```

Solutions - see below

- Create a variable that stores the number of times the generator has been called. You should be able to access this variable with the function `get_num_calls`

```
r = randu(10)
r$get_num_calls()

## [1] 0

r$r()

## [1] 0.0003052
```

```
r$r()

## [1] 0.001831

r$get_num_calls()

## [1] 2
```

```
## Solutions
randu = function(seed) {
  state = seed
  calls = 0 #Store the number of calls
  r = function() {
    state <- (65539 * state)%2^31
    ## Update the variable outside of this
    ## enviroment
    calls <- calls + 1
    state/2^31
  }
  set_state = function(initial) state <- initial
  get_state = function() state
  get_seed = function() seed
  get_num_calls = function() calls
  list(r = r, set_state = set_state, get_state = get_state,
       get_seed = get_seed, get_num_calls = get_num_calls)
}
r = randu(10)
r$r()

## [1] 0.0003052

r$get_state()

## [1] 655390

r$get_seed()

## [1] 10
```

Solutions

Solutions are contained within the course package

```
library("nclRadvanced")
vignette("solutions1", package = "nclRadvanced")
```