

Transfer function 'sys2' from input 'u1' to output ...

$$y1: \frac{s + 6}{s^4 + 8 s^3 + 24 s^2 + 33 s + 6}$$

Continuous-time model.

Gm = 18.642

Gml = 17.642

gc = (sym)

$$6*K + s^4 + 8*s^3 + 24*s^2 + s*(K + 32)$$

ts = (sym)

$$\frac{K*(s + 6)}{6*K + s^4 + 8*s^3 + 24*s^2 + s*(K + 32)}$$

RHf = (sym 5x3 matrix)

$$\begin{bmatrix} 1 & 24 & 6*K \\ 8 & K + 32 & 0 \\ K & 6*K & 0 \\ 20 - \frac{K}{8} & 6*K & 0 \\ K + 256*K - 5120 & 0 & 0 \\ \frac{K - 160}{6*K} & 0 & 0 \end{bmatrix}$$

RHf_1 = (sym 5x3 matrix)

RHf_1 = (sym 5x3 matrix)

$$\begin{bmatrix} 1 & 5*K + 17 & 6*K \\ 8 & 17*K + 10 & 0 \\ K & 6*K & 0 \\ 20 - \frac{K}{8} & 6*K & 0 \\ K + 256*K - 5120 & 0 & 0 \\ \frac{K - 160}{6*K} & 0 & 0 \end{bmatrix}$$

K_1 = (sym) 160.000000000000000000000000000000

K_2 = (sym) 18.642422238586880210817510199296

K_3 = (sym) 0

K_1 =

594.6515
5.0135

p =

-3.9320 + 0i
-1.9278 + 1.8626i
-1.9278 - 1.8626i
-0.2124 + 0i

p1 =

K = -4.0000 + 0i
 -2.0000 + 2.0000i
593.6515 -2.0000 - 2.0000i
4.0135 0 + 0i

Transfer function 'G' from input 'u1' to output ...

 s + 6
yl: -----
 s^4 + 8 s^3 + 24 s^2 + 32 s

Continuous-time model.

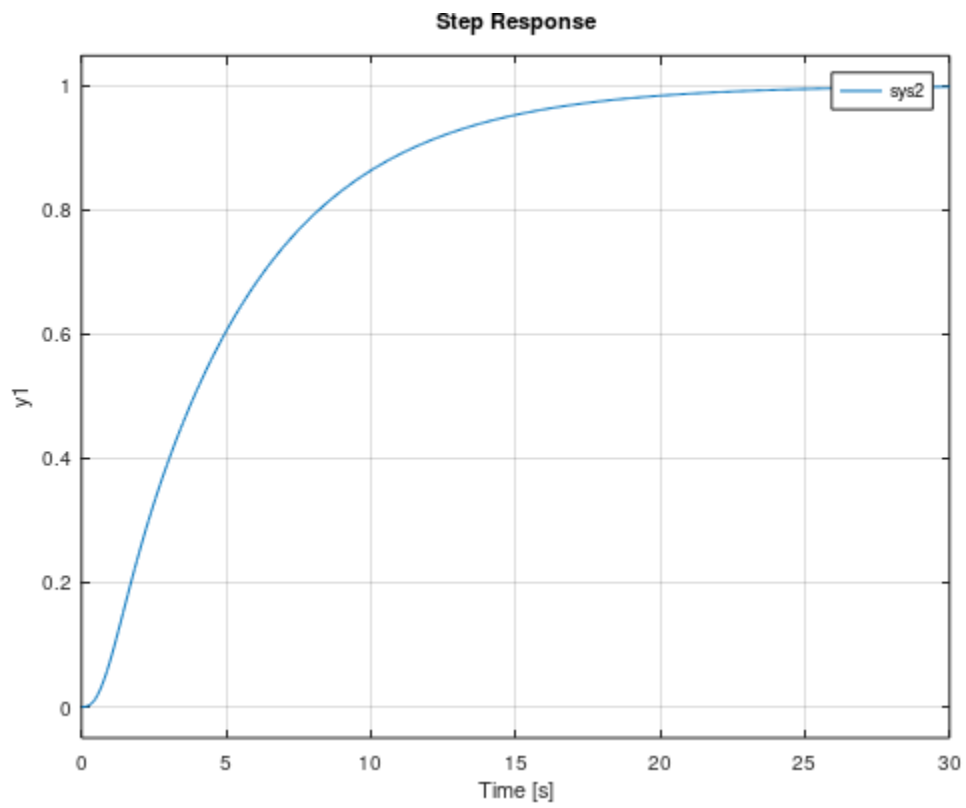
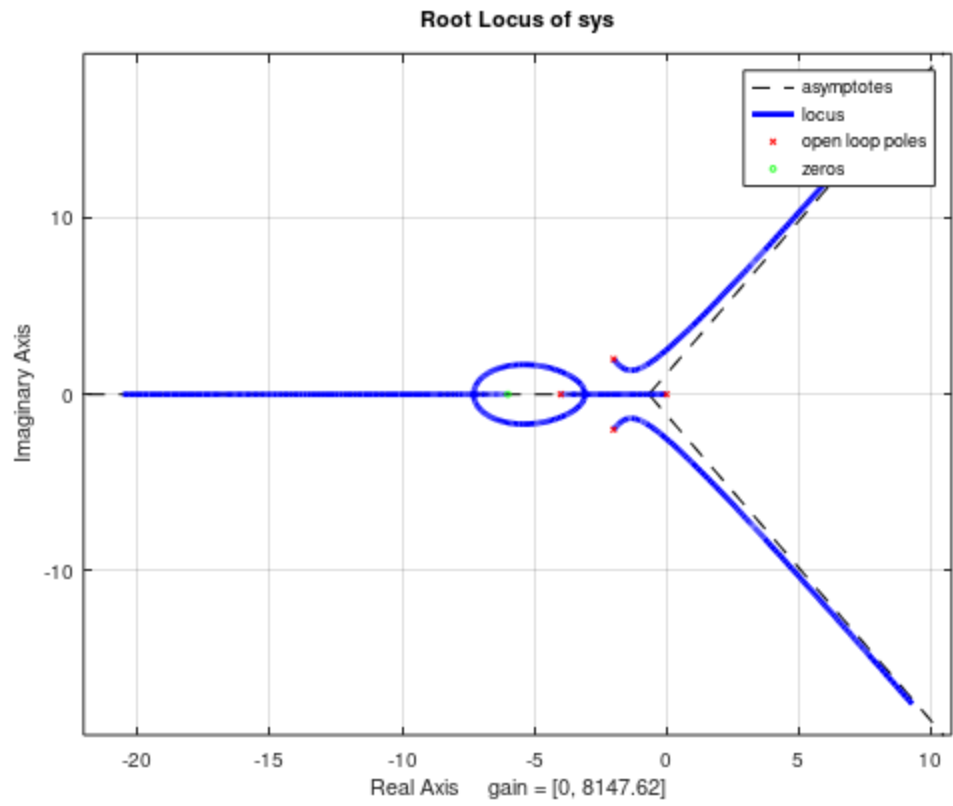
Ys1 = 0.8261

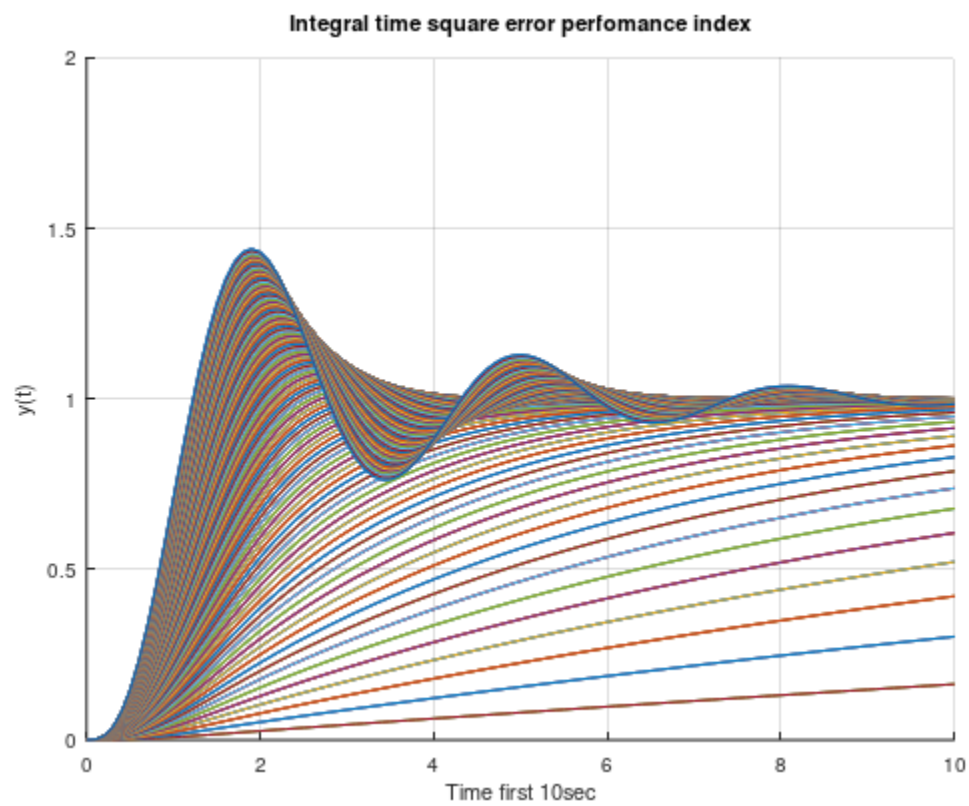
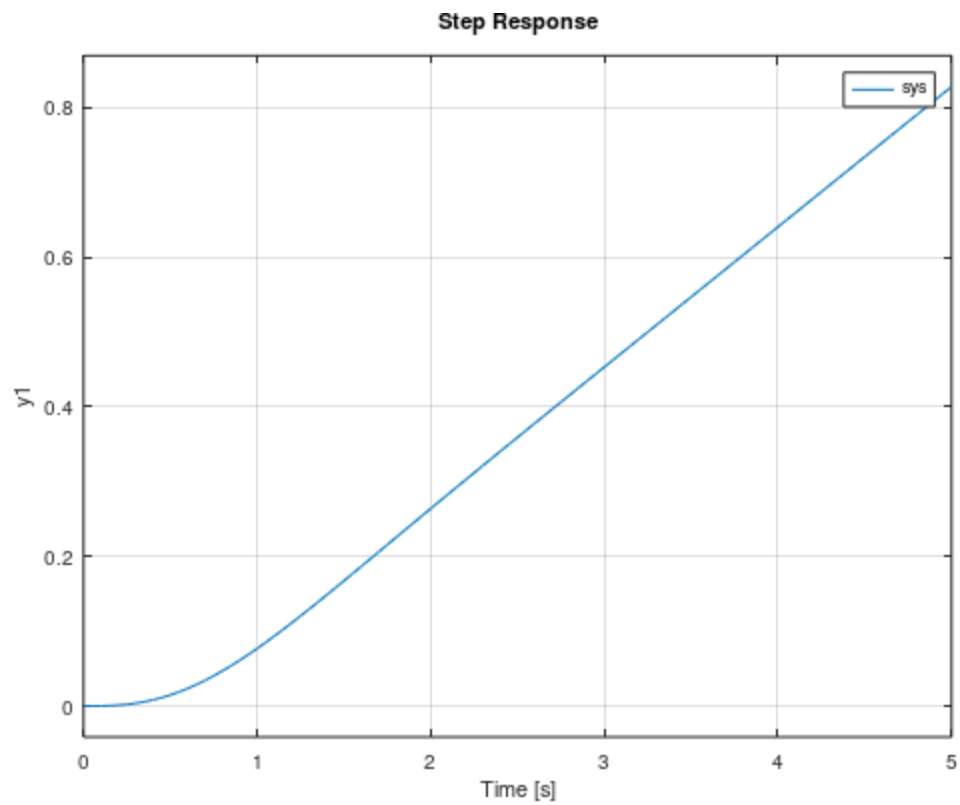
Ts1 = 79

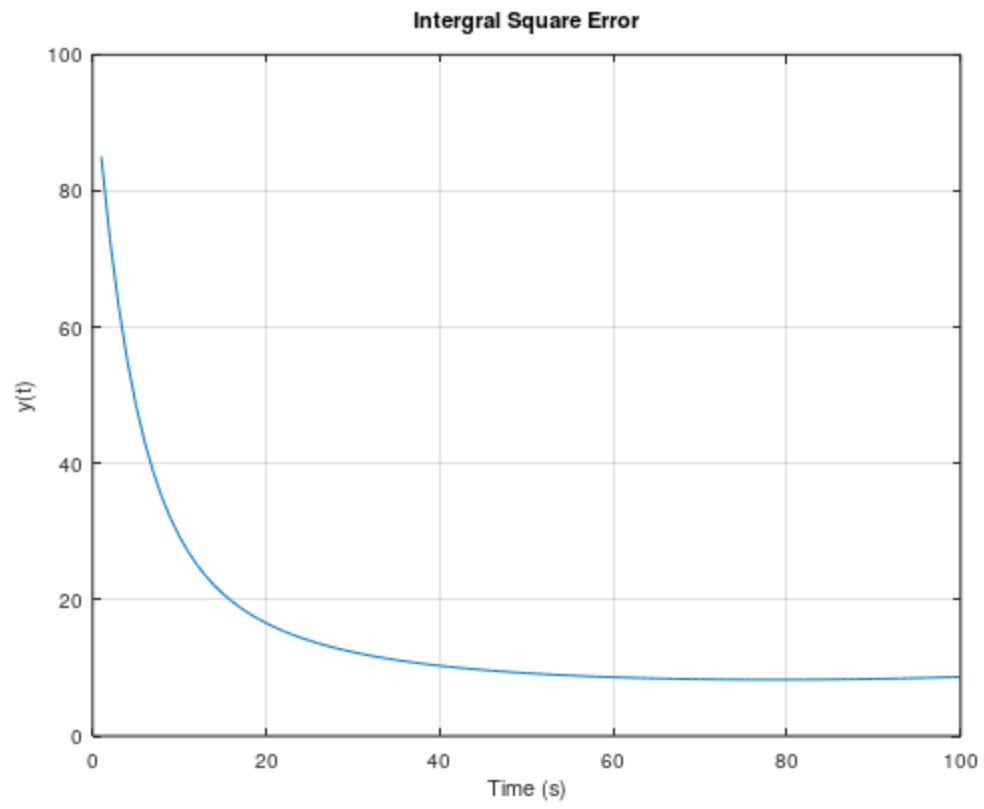
Transfer function 'opt' from input 'u1' to output ...

 7.9 s + 47.4
yl: -----
 s^4 + 8 s^3 + 24 s^2 + 39.9 s + 47.4

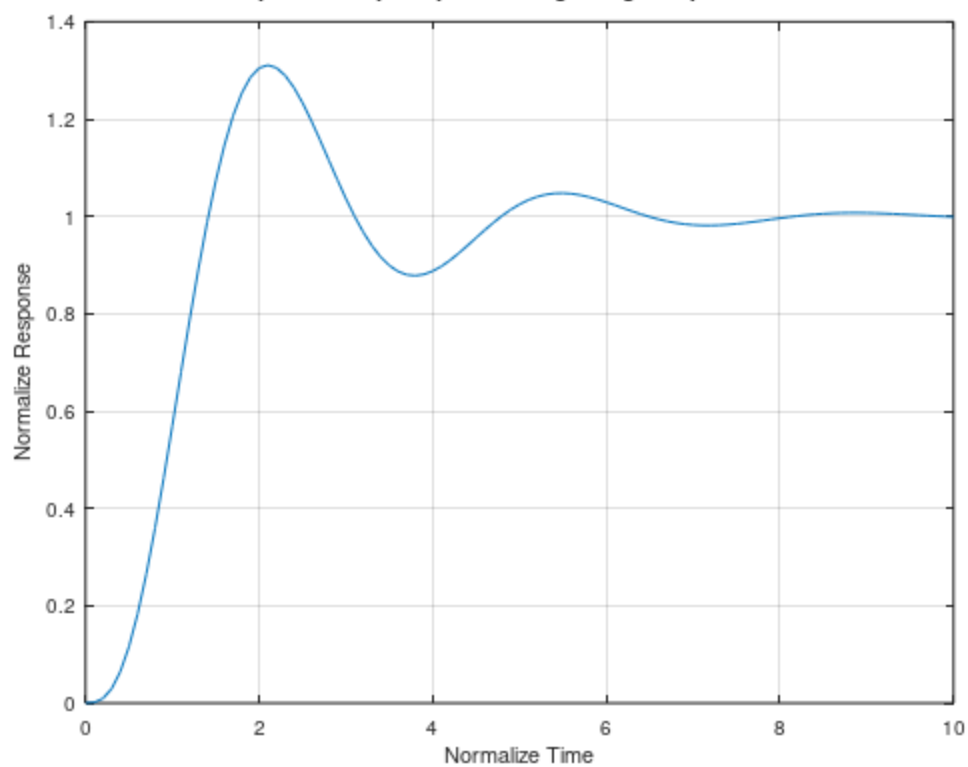
Continuous-time model.



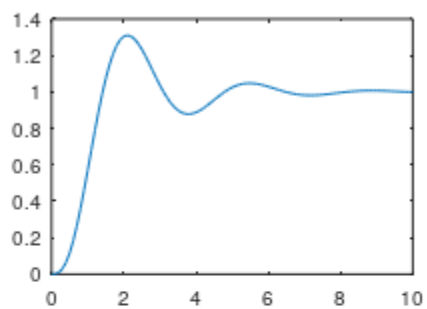




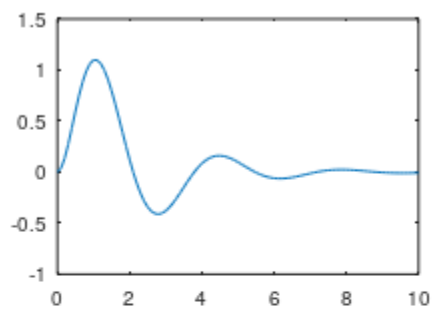
Optimize Step Response using Integral Square Error



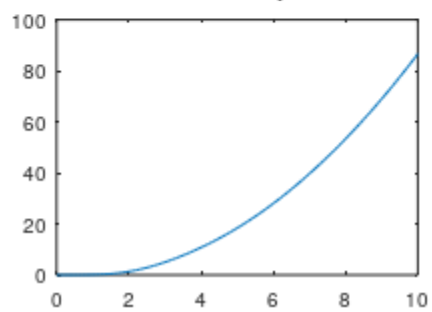
Step Response



Impluse



Parabolic Response



Ramp Response

