Unsupervised Training using a Temporal Auto-Encoder Framework

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Unsupervised Training using Video Data

- How can we train on the massive amounts of unlabeled video data available?
- Video is temporally coherent, thus it is reasonable to assume that neighboring frames are semantically similar
- Use temporal coherence to develop new unsupervised learning objectives and train architectures (CNNs) that are able to satisfy them
- Video data can be considered as a form of 'correct' data augmentation, i.e. the variations observed are the variations on which to learn invariance/equivariance

Slowness

- Extract features from individual frames that vary slowly with time, i.e. if $z_i = G_w(x_i)$ then $min \|z_{i+1} z_i\|_p$
- Slow feature analysis:

$$\begin{aligned} \text{Let } y_j(t) &:= g_j(x(t)) \\ \min \ \Delta(y_j) &:= \left\langle \dot{y}^2 \right\rangle_t \\ \text{s.t. } \left\langle y_j \right\rangle_t &= 1 \text{ and } \forall i < j : \left\langle y_i, y_j \right\rangle_t = 0 \end{aligned}$$

DrLIM:

Let
$$D_w(X_1, X_2) = \|G_w(X_{i+1}) - G_w(X_i)\|_2$$

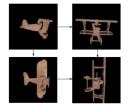
 $L = (1 - Y)\frac{1}{2}D_W^2 + Y\frac{1}{2}(max(0, m - D_W))^2$

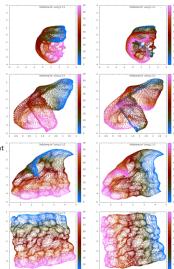




Slowness as Metric-Learning

- \bullet 2-dimensional manifold living in a $\approx 10,000\text{-dimensional}$ space (96x96 images)
- Similarity relationships can be naturally assigned via adjacent frames in a video

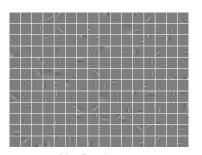




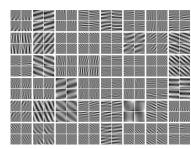
Fully Connected Slow-Feature Auto-Encoders

Replacing the contrastive term in DrLIM with reconstruction lead to the slow-feature auto-encoder:

$$L_{sample} = \sum_{i=1}^{2} \frac{1}{2} \|x_i - W_d z_i\|^2 + \alpha |z_2 - z_1|$$



No Pooling

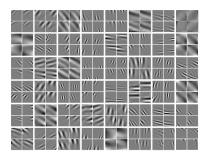


 L_2 -Pooling

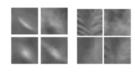
Fully Connected Slow-Feature Auto-Encoders

Introducing L_1 induces selective (localized, independent) features

$$\textit{L}_{\textit{sample}} = \textstyle \sum_{i=1}^{2} \frac{1}{2} \| \textit{x}_{i} - \textit{W}_{\textit{d}} \; \textit{z}_{i} \|^{2} + \alpha |\sqrt{\sum_{\textit{N}} (\textit{z}_{2})^{2}} - \sqrt{\sum_{\textit{N}} (\textit{z}_{1})^{2}} | + \beta (|\textit{z}_{1}| + |\textit{z}_{2}|)$$

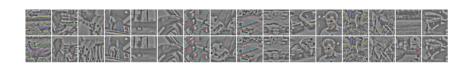


Decoding

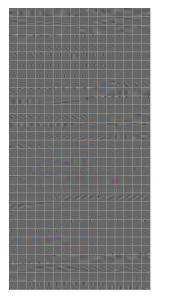


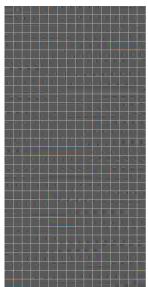
input pinv kNN kNN input code

YouTube Dataset



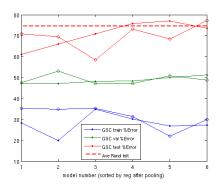
YouTube Features





(Horrible) CIFAR-10 Performance

 Pre-training helps, but fully connected features can't compete with convolutional networks



Convolutional Feature Learning

- Convolutional dictionaries are massively over-complete, which makes sparse inference potentially more difficult
- In the convolutional setting it may be necessary to have more sophisticated encoder (inference) to infer sparse codes



Figure: 1. Sparse Coding using FISTA Inference

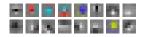
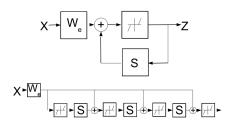


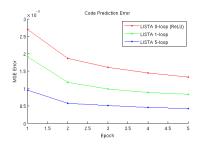
Figure: 2. Sparse Auto-Encoder using LISTA Encoder

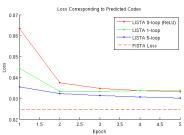
Convolutional LISTA

- Proposed Concern: weak encoder inference may prevent learning sparse features
- Proposed Solution: use a more powerful network specifically designed to perform sparse as the encoder

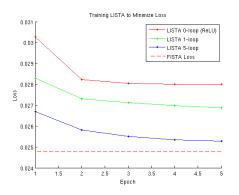


Code Prediction Performance





Inference Performance



However, in *my* experiments I did not find that adding more than one-loop helps minimize the loss in dictionary learning

Training a Single Stage CNN

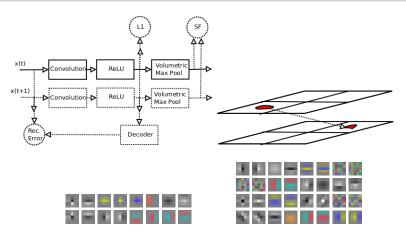


Figure: 16 and 32 filter convolutional dictionary learned with volumetric max pooling in space (4x4) and features (2)

Thank You

THE END

