



			height of a skewed tree may become $n$ and the time complexity of search and insert operation may become $O(n)$ .	
6.	Given an integer $N$ , how many structurally unique binary search trees are there that store values $1 \dots N$ ?	REVISIT		
7.	Lowest Common Ancestor in a Binary Search Tree.	Start from root. Compare $n1$ and $n2$ with root. If $n1$ or $n2$ is equal to root then return root. If $n1 < \text{root} < n2$ then root is LCA If $n1$ and $n2 < \text{root}$ search left subtree for LCA If $n1$ and $n2 > \text{root}$ search right subtree for LCA	$O(h)$ where $h$ is height of tree	
8.	Add all greater values to every node in a BST	do reverse Inorder traversal of BST, we get all nodes in decreasing order. We do reverse Inorder traversal and keep track of the sum of all nodes visited so far, we add this sum to every node.	$O(n)$	
9.	Binary Tree to BST	1) Create a temp array <code>arr[]</code> that stores inorder traversal of the tree. This step takes $O(n)$ time. 2) Sort the temp array <code>arr[]</code> . Time complexity of this step depends upon the sorting algorithm. $O(n \log n)$ time for Heap Sort or Merge Sort. 3) Again do inorder traversal of tree and copy array elements to tree nodes one by one. This step takes $O(n)$ time.		
1019/	Merge Two Balanced Binary Search Trees	Method 1: Insert the elements of one tree into other tree  Method 2:	$m \log(m+n-1)$ .	

1 2 / 1 9		<p>1) Do inorder traversal of first tree and store the traversal in one temp array arr1[]. This step takes <math>O(m)</math> time.</p> <p>2) Do inorder traversal of second tree and store the traversal in another temp array arr2[]. This step takes <math>O(n)</math> time.</p> <p>3) The arrays created in step 1 and 2 are sorted arrays. Merge the two sorted arrays into one array of size <math>m + n</math>. This step takes <math>O(m+n)</math> time.</p> <p>4) Construct a balanced tree from the merged array using the technique discussed pblm 2. This step takes <math>O(m+n)</math> time.</p> <p>Method 3 (In-Place Merge using DLL)</p> <p>We can use a Doubly Linked List to merge trees in place. Following are the steps.</p> <p>1) Convert the given two Binary Search Trees into doubly linked list in place</p> <p>2) Merge the two sorted Linked Lists</p> <p>3) Build a Balanced Binary Search Tree from the merged list created in step 2.</p>	<p><math>O(m+n)</math></p> <p><math>O(m+n)</math></p>	
1 1	Merge two BST 's	REVISIT. V.imp google,microsoft, amazon question.		
1 2	Two nodes of a BST are swapped, correct the BST	<p>Method 1:</p> <p>Do inorder traversal and store in a array.</p> <p>Sort the array and do inorder travesal and replace array elements in tree.</p> <p>Method 2:</p> <p>maintain three pointers, first, middle and last. When we find the first point where current node value is smaller than</p>	<p><math>O(n\log n)</math></p> <p><math>O(n)</math></p>	

		<p>previous node value, we update the first with the previous node &amp; middle with the current node. When we find the second point where current node value is smaller than previous node value, we update the last with the current node. If adjacent nodes are swapped, we will never find the second point. So, last pointer will not be updated. After processing, if the last node value is null, then two swapped nodes of BST are adjacent.</p>		
1 3	Find the Closest Element in BST	<p>Method 1: store Inorder traversal of given binary search tree in an auxiliary array and then by taking absolute difference of each element find the node having minimum absolute difference with given target value K in linear time</p> <p>Method 2: If target value K is present in given BST, then it's the node having minimum absolute difference. If target value K is less than the value of current node then move to the left child. If target value K is greater than the value of current node then move to the right child. At each step do node.data-k and compare it with min value. If less than min store other wise ignore.</p>	<p><math>O(h)</math></p> <p>Where h is the height if the tree</p>	
1 4	Print BST keys in the given range	<p>1) If value of root's key is greater than k1, then recursively call in left subtree. 2) If value of root's key is in range, then print the root's key.</p>	$O(n)$	



		<p>b) Enqueue temp_node's children (first left then right children) to q</p> <p>c) Dequeue a node from q and assign it's value to temp_node</p>		
2 0	Check if a BST is complete BST	<p>The approach is to do a level order traversal starting from the root. In the traversal, once a node is found which is NOT a Full Node, all the following nodes must be leaf nodes. Also, one more thing needs to be checked to handle the below case: If a node has an empty left child, then the right child must be empty.</p> <p>Method 2: A recursive solution exists check if possible</p>	O(n)	
2 1	Check if a given Binary Tree is Heap	<p>We need to divide this problem in to 2 parts. IsCompleteBST and isBSTHeap. IsCompleteBST see pblm 20. IsBSTHeap: Starting from non leaf nodes (leaves start at <math>n/2+1</math>) see if node.data is greater than left and right child data</p>	O(n)	
2 2 1 1 / 1 / 2 0	<p>Find a pair with given sum in a Balanced BST</p> <p>Expected : time complexity : O(n) Space complexity : O(Logn) Modification to Binary Search Tree is not allowed.</p>	<p>Method 1: Brute force method For each node in tree, traverse to see if a value exists where sum of values is zero</p> <p>Method 2: Do a inorder traversal and store values in array. (inorder traversal gives a sorted array). Next traverse array from both sides and check if a pair with zero sum exists.</p> <p>Method 3: Convert a BST to DLL inplace. Next traverse DLL from both sides and check if a pair with given sum exists.</p>	<p>Time complexity O(n<sup>2</sup>)</p> <p>Time complexity O(n) Space complexity O(n)</p> <p>Time complexity O(n) Doesn't use any extra space. But this modifies the BST</p>	

		<p>Method 4: Run inorder and reverse inorder traversal simultaneously. At each step see if sum of 2 node values is equal to given sum. If its greater only do reverse inorder, if its less do a inorder .</p>	<p>Time Complexity <math>O(n)</math> No extra space.</p>	
2 3	<p>You are given a Binary tree. You are required to find the number of pairs violating the BST property.</p>	<p>Store the in-order traversal of the binary tree in an array. Now, count the number of inversions (i.e. <math>a[i] &gt; a[j]</math> and <math>i &lt; j</math>) in this array using Mergesort algorithm.</p>	<p>Time Complexity <math>O(n \log n)</math>.</p>	
2 4	<p>Given a BST and a value x, the task is to delete the nodes having values greater than or equal to x.</p>	<p>do a post order traversal of the tree and delete all the nodes which are greater than or equal to the value of k.</p>	<p>Time Complexity <math>O(n \log n)</math>.</p>	
2 5	<p>Inorder predecessor and successor for a given key in BST</p>	<ol style="list-style-type: none"> <li>1. If root is NULL     then return</li> <li>2. if key is found then             <ol style="list-style-type: none"> <li>a. If its left subtree is not null                      Then predecessor will be the right most child of left subtree or left child itself.</li> <li>b. If its right subtree is not null                      The successor will be the left most child of right subtree or right child itself.</li> </ol>             return           </li> <li>3. If key is smaller then root node                  set the successor as root                  search recursively into left subtree                  else                  set the predecessor as root                  search recursively into right subtree           </li> </ol>		





		<p>Method 2: This method doesn't need a parent pointer.</p> <ol style="list-style-type: none"> <li>1. If right subtree is not null then go to right subtree and return the smallest element in right subtree. (traverse left until its not null. Last non null element is smallest)</li> <li>2. If right subtree of node is NULL, then start from root and use search like technique. Do following. Travel down the tree, if a node's data is greater than root's data then go right side, otherwise go to left side.</li> </ol>	$O(h)$ where $h$ is height of tree	
30	Iterative Inorder traversal	<ol style="list-style-type: none"> <li>1) Create an empty stack <math>S</math>.</li> <li>2) Initialize current node as root</li> <li>3) Push the current node to <math>S</math> and set <math>current = current \rightarrow left</math> until current is NULL</li> <li>4) If current is NULL and stack is not empty then <ol style="list-style-type: none"> <li>a) Pop the top item from stack.</li> <li>b) Print the popped item, set <math>current = popped\_item \rightarrow right</math></li> <li>c) Go to step 3.</li> </ol> </li> <li>5) If current is NULL and stack is empty then we are done.</li> </ol>	$O(n)$	
31	Print Common Nodes in Two Binary Search Trees	REVISIT (Easy)		
32	AVL Tree insertion	REVISIT (Complex)		
33	Delete a Node from BST	<ol style="list-style-type: none"> <li>1. If node to be deleted is a leaf node, delete it.</li> <li>2. If node to be deleted is non leaf and has only one child, delete node</li> </ol>	$O(h)$ where $h$ is the height of the BST	

		<p>and replace it with its child.</p> <p>3. If node to be deleted has both left and right children, find the inorder successor of the node. replace node with it inorder successor and delete the inorder successor node. (we can also use inorder predecessor in case right sub tree is null)</p>		
3 4	Leaf nodes from Preorder of a Binary Search Tree	<p>Method 1: How to traverse in preorder fashion using two arrays representing inorder and preorder traversals? We iterate the preorder array and for each element find that element in the inorder array. For searching, we can use binary search, since inorder traversal of binary search tree is always sorted. Now, for each element of preorder array, in binary search we set the range [L, R]. And when <math>L == R</math>, leaf node is found. So, initially, <math>L = 0</math> and <math>R = n - 1</math> for first element (i.e root) of preorder array. Now, to search for element on the left subtree of root, set <math>L = 0</math> and <math>R = \text{index of root} - 1</math>. Also, for all element of right subtree set <math>L = \text{index of root} + 1</math> and <math>R = n - 1</math>. Recursively, follow this, until <math>L == R</math>.</p> <p>Method 2: There is other method, that doesn't seem to work for specific cases. Jst check once <a href="https://www.geeksforgeeks.org/leaf-nodes-preorder-binary-search-tree/">https://www.geeksforgeeks.org/leaf-nodes-preorder-binary-search-tree/</a></p>	<p>Time Complexity: <math>O(n \log n)</math> Auxiliary Space: <math>O(n)</math></p>	



[illegible]