

# ML in Economics and Finance: Where do We Go Now? - Part I

---

Raul Riva

FGV EPGE

December, 2025

INSPER - São Paulo

## Intro

---

## Who is this guy?

---

- I have just joined [FGV EPGE](#) as an Assistant Professor;
- I got my PhD in Finance at [Northwestern University](#);
- Asset Pricing + Macro-Finance + Econometrics;

# Who is this guy?

- I have just joined [FGV EPGE](#) as an Assistant Professor;
- I got my PhD in Finance at [Northwestern University](#);
- Asset Pricing + Macro-Finance + Econometrics;

I am **not** an ML developer, but maybe a mildly sophisticated economist consumer

## Where are we?

---

- Last 20-30 years: explosion of computation power and popularization of ML techniques;
- Last 15 years: we economists imported several techniques from CS and Stats;

## Where are we?

---

- Last 20-30 years: explosion of computation power and popularization of ML techniques;
- Last 15 years: we economists imported several techniques from CS and Stats;
- Many challenges in this translation:
  - Causality vs pattern recognition;
  - Interpretability;
  - Sophisticated notions of equilibrium;
  - Time series dynamics;

## Where are we?

---

- Last 20-30 years: explosion of computation power and popularization of ML techniques;
- Last 15 years: we economists imported several techniques from CS and Stats;
- Many challenges in this translation:
  - Causality vs pattern recognition;
  - Interpretability;
  - Sophisticated notions of equilibrium;
  - Time series dynamics;

### Right now:

- Better understanding of the limitations of "plug and play" ML;
- Great stuff: new hybrid methods designed by and for economists;
- Bad stuff: we are flooded with tutorials, books, videos, bootcamps...

## Where do we go now?

---

- The Econ/Finance forecasting crowd was really fast in adopting ML...
- But what else? What is worth knowing about ML in Econ and Finance?

## Where do we go now?

---

- The Econ/Finance forecasting crowd was really fast in adopting ML...
- But what else? What is worth knowing about ML in Econ and Finance?

### What I will do:

- My own economist-crafted definition of ML methods and how to think about them;
- Three very cool agendas where ML can help economists
- Causality in HD, seriously heterogeneous treatment effects, and solving large models;

## Where do we go now?

---

- The Econ/Finance forecasting crowd was really fast in adopting ML...
- But what else? What is worth knowing about ML in Econ and Finance?

### What I will do:

- My own economist-crafted definition of ML methods and how to think about them;
- Three very cool agendas where ML can help economists
- Causality in HD, seriously heterogeneous treatment effects, and solving large models;

### What I will not do:

- Teach you how to code;

## Where do we go now?

---

- The Econ/Finance forecasting crowd was really fast in adopting ML...
- But what else? What is worth knowing about ML in Econ and Finance?

### What I will do:

- My own economist-crafted definition of ML methods and how to think about them;
- Three very cool agendas where ML can help economists
- Causality in HD, seriously heterogeneous treatment effects, and solving large models;

### What I will not do:

- Teach you how to code;
- Pretend I know how to prove the complicated theorems and walk you through proofs;

## Where do we go now?

---

- The Econ/Finance forecasting crowd was really fast in adopting ML...
- But what else? What is worth knowing about ML in Econ and Finance?

### What I will do:

- My own economist-crafted definition of ML methods and how to think about them;
- Three very cool agendas where ML can help economists
- Causality in HD, seriously heterogeneous treatment effects, and solving large models;

### What I will not do:

- Teach you how to code;
- Pretend I know how to prove the complicated theorems and walk you through proofs;
- Lie to you and say you can easily perform any of this in Stata! 😊

## Who is this for?

---

- Students starting their empirical research agendas;
- Fellow empirical researchers trying to grasp what kind of ML tools might be useful;
- Someone coming from Stats or CS into Economics;

## Who is this for?

---

- Students starting their empirical research agendas;
- Fellow empirical researchers trying to grasp what kind of ML tools might be useful;
- Someone coming from Stats or CS into Economics;

## Who is this not for?

- Super sophisticated economists already deploying these techniques everywhere;
- Hardcore econometricians looking for open theoretical problems;

## Who is this for?

- Students starting their empirical research agendas;
- Fellow empirical researchers trying to grasp what kind of ML tools might be useful;
- Someone coming from Stats or CS into Economics;

## Who is this not for?

- Super sophisticated economists already deploying these techniques everywhere;
- Hardcore econometricians looking for open theoretical problems;

DISCLAIMER: These are **my** own views, based on **my** experience, and **my** own readings.  
Other people will disagree.



- 1. What is ML, anyway?
  - 2. Causality in High Dimensions
  - 3. (Seriously) Heterogeneous Treatment Effects
  - 4. Solving Large-Scale General Equilibrium Models
- }
- Today
- }
- Tomorrow



- 1. What is ML, anyway?
  - 2. Causality in High Dimensions
  - 3. (Seriously) Heterogeneous Treatment Effects
  - 4. Solving Large-Scale General Equilibrium Models
- }
- Today
- }
- Tomorrow

**Please bring questions at any time!**

**Questions?**

## A General Framework

---

## What is *Machine Learning*?

---

- Different fields = different definitions: CS, Stats, Operations Research, ...
- Many types: Supervised, Unsupervised, Reinforcement Learning, Deep Learning, ...
- More buzzwords = better consulting gigs! 😎

## What is *Machine Learning*?

---

- Different fields = different definitions: CS, Stats, Operations Research, ...
- Many types: Supervised, Unsupervised, Reinforcement Learning, Deep Learning, ...
- More buzzwords = better consulting gigs! 😎
- Today and tomorrow: **Supervised Learning**;

## What is *Machine Learning*?

---

- Different fields = different definitions: CS, Stats, Operations Research, ...
- Many types: Supervised, Unsupervised, Reinforcement Learning, Deep Learning, ...
- More buzzwords = better consulting gigs! 
- Today and tomorrow: **Supervised Learning**;
- I will be brave enough and provide the one I think is really useful for Economists:

## What is *Machine Learning*?

- Different fields = different definitions: CS, Stats, Operations Research, ...
- Many types: Supervised, Unsupervised, Reinforcement Learning, Deep Learning, ...
- More buzzwords = better consulting gigs! 😊
- Today and tomorrow: **Supervised Learning**;
- I will be brave enough and provide the one I think is really useful for Economists:

(Supervised) **Machine Learning** is a set of tools that enable computationally-feasible data-driven search over high-dimensional functional spaces.

## A General Framework

---

$$y = f(\mathbf{x}) + \varepsilon$$

- $y \in \mathbb{R}^k$  is some "target" or "outcome";
- $\mathbf{x} \in \mathbb{R}^p$  is a vector of "features", or "predictors", or "covariates";
- $f : \mathbb{R}^p \rightarrow \mathbb{R}^k$  is some unknown function;
- $\varepsilon$  is some unobserved noise because the world is messy;

## A General Framework

$$y = f(\mathbf{x}) + \varepsilon$$

- $y \in \mathbb{R}^k$  is some "target" or "outcome";
- $\mathbf{x} \in \mathbb{R}^p$  is a vector of "features", or "predictors", or "covariates";
- $f : \mathbb{R}^p \rightarrow \mathbb{R}^k$  is some unknown function;
- $\varepsilon$  is some unobserved noise because the world is messy;

**Question:** given a function space  $\mathcal{F}$ , how to find  $\hat{f} \in \mathcal{F}$  that approximates  $f$  well?

## A General Framework

$$y = f(\mathbf{x}) + \varepsilon$$

- $y \in \mathbb{R}^k$  is some "target" or "outcome";
- $\mathbf{x} \in \mathbb{R}^p$  is a vector of "features", or "predictors", or "covariates";
- $f : \mathbb{R}^p \rightarrow \mathbb{R}^k$  is some unknown function;
- $\varepsilon$  is some unobserved noise because the world is messy;

**Question:** given a function space  $\mathcal{F}$ , how to find  $\hat{f} \in \mathcal{F}$  that approximates  $f$  well?

- Collect data  $\{(y_1, \mathbf{x}_1), \dots, (y_n, \mathbf{x}_n)\}$ ;
- Define some notion of "approximates well"  $\implies$  (a loss function);
- Be explicit about  $\mathcal{F}$ ;
- Be explicit about your optimization mechanism;

## You are already doing ML!

---

Consider an outcome  $y_i$ , and a set of covariates  $\mathbf{x}_i$  for  $i = 1, \dots, n$ :

$$y_i = \alpha + \mathbf{x}'_i \boldsymbol{\beta} + \varepsilon_i$$

- This is a linear regression model;
- The function space  $\mathcal{F}$  is the set of all affine functions of the treatment and covariates;
- The loss function is the MSE:  $\mathcal{L}(y_i, \hat{y}_i) = (y_i - \hat{y}_i)^2$ ;
- OLS: minimize a convex loss function over the space of parameters;

## You are already doing ML!

Consider an outcome  $y_i$ , and a set of covariates  $\mathbf{x}_i$  for  $i = 1, \dots, n$ :

$$y_i = \alpha + \mathbf{x}'_i \boldsymbol{\beta} + \varepsilon_i$$

- This is a linear regression model;
- The function space  $\mathcal{F}$  is the set of all affine functions of the treatment and covariates;
- The loss function is the MSE:  $\mathcal{L}(y_i, \hat{y}_i) = (y_i - \hat{y}_i)^2$ ;
- OLS: minimize a convex loss function over the space of parameters;

**Conclusion:** Linear regression is a (very simple) ML method! But there is so much more...

## Hold on... Isn't Machine Learning just Non-Parametric Estimation?

---

- The general framework I used could be used in a non-parametric estimation class...
- Why do we need new tools? We already have the good and old kernel regression!

## Hold on... Isn't Machine Learning just Non-Parametric Estimation?

---

- The general framework I used could be used in a non-parametric estimation class...
- Why do we need new tools? We already have the good and old kernel regression!
- Well... there is the curse of dimensionality! If  $p \approx 6$ , you are already in trouble!

## Hold on... Isn't Machine Learning just Non-Parametric Estimation?

- The general framework I used could be used in a non-parametric estimation class...
- Why do we need new tools? We already have the good and old kernel regression!
- Well... there is the curse of dimensionality! If  $p \approx 6$ , you are already in trouble!

### OLS

- Leverages linearity (strong!);
- Easy to compute and interpret;

### Fully Non-Parametric Methods

- Extreme flexibility;
- Super data hungry!

Machine Learning = a *compromise*: richer parametrizations while still computationally feasible in high dimensions.

**Questions?**

# Causality in High Dimensions

---

- No estimator will lead to causality by itself – only careful design will;

- No estimator will lead to causality by itself – only careful design will;
- ML methods were *not* created to tackle causality problems;
- See Varian (2014), Mullainathan and Spiess (2017), Athey and Imbens (2019), and Masini, Medeiros, and Mendes (2023);

- No estimator will lead to causality by itself – only careful design will;
- ML methods were *not* created to tackle causality problems;
- See Varian (2014), Mullainathan and Spiess (2017), Athey and Imbens (2019), and Masini, Medeiros, and Mendes (2023);
- Kleinberg et al. (2015): many policy-relevant questions are prediction problems!

- No estimator will lead to causality by itself – only careful design will;
- ML methods were *not* created to tackle causality problems;
- See Varian (2014), Mullainathan and Spiess (2017), Athey and Imbens (2019), and Masini, Medeiros, and Mendes (2023);
- Kleinberg et al. (2015): many policy-relevant questions are prediction problems!
- Belloni , Chernozhukov, Hansen and co-authors took it even further:
  - Computing the propensity score *is* forecasting!
  - The first-stage regression in an IV context *is* forecasting!

## Treatment Effects in High Dimensions

---

Suppose you're interested in the treatment effect  $\theta_0 \in \mathbb{R}$ :

$$y_i = d_i\theta_0 + \mathbf{x}'_i\beta + \varepsilon_i$$

- $y_i \in \mathbb{R}$  is an outcome;
- $d_i \in \mathbb{R}$  is a treatment;
- $\mathbf{x}_i \in \mathbb{R}^p$  is a vector of available covariates;
- $\varepsilon_i$  is some unobserved noise with  $\mathbb{E}[\varepsilon_i \mid d_i, \mathbf{x}_i] = 0$ ;

## Treatment Effects in High Dimensions

---

Suppose you're interested in the treatment effect  $\theta_0 \in \mathbb{R}$ :

$$y_i = d_i\theta_0 + \mathbf{x}'_i \boldsymbol{\beta} + \varepsilon_i$$

- $y_i \in \mathbb{R}$  is an outcome;
- $d_i \in \mathbb{R}$  is a treatment;
- $\mathbf{x}_i \in \mathbb{R}^p$  is a vector of available covariates;
- $\varepsilon_i$  is some unobserved noise with  $\mathbb{E}[\varepsilon_i | d_i, \mathbf{x}_i] = 0$ ;
- You have an i.i.d. sample  $\{y_i, d_i, \mathbf{x}_i\}_{i=1}^n$  and we allow for  $p \gg n$ ;

# Treatment Effects in High Dimensions

---

Suppose you're interested in the treatment effect  $\theta_0 \in \mathbb{R}$ :

$$y_i = d_i\theta_0 + \mathbf{x}'_i \boldsymbol{\beta} + \varepsilon_i$$

- $y_i \in \mathbb{R}$  is an outcome;
- $d_i \in \mathbb{R}$  is a treatment;
- $\mathbf{x}_i \in \mathbb{R}^p$  is a vector of available covariates;
- $\varepsilon_i$  is some unobserved noise with  $\mathbb{E}[\varepsilon_i | d_i, \mathbf{x}_i] = 0$ ;
- You have an i.i.d. sample  $\{y_i, d_i, \mathbf{x}_i\}_{i=1}^n$  and we allow for  $p \gg n$ ;
- **Goal:** estimate  $\theta_0$  and get a confidence interval;

# Treatment Effects in High Dimensions

---

Suppose you're interested in the treatment effect  $\theta_0 \in \mathbb{R}$ :

$$y_i = d_i\theta_0 + \mathbf{x}'_i \boldsymbol{\beta} + \varepsilon_i$$

- $y_i \in \mathbb{R}$  is an outcome;
- $d_i \in \mathbb{R}$  is a treatment;
- $\mathbf{x}_i \in \mathbb{R}^p$  is a vector of available covariates;
- $\varepsilon_i$  is some unobserved noise with  $\mathbb{E}[\varepsilon_i | d_i, \mathbf{x}_i] = 0$ ;
- You have an i.i.d. sample  $\{y_i, d_i, \mathbf{x}_i\}_{i=1}^n$  and we allow for  $p \gg n$ ;
- **Goal:** estimate  $\theta_0$  and get a confidence interval;

**Question:** what will happen if you try OLS here?

## Treatment Effects in High Dimensions

---

- Let's say you believe only a few  $\beta_j$ 's are  $\neq 0 \implies$  "*sparsity*" in  $\beta$ ;
- But you do not know which ones!

## Treatment Effects in High Dimensions

---

- Let's say you believe only a few  $\beta_j$ 's are  $\neq 0 \implies$  "*sparsity*" in  $\beta$ ;
- But you do not know which ones!
- What about using your economic intuition to select a subset of controls?

# Treatment Effects in High Dimensions

---

- Let's say you believe only a few  $\beta_j$ 's are  $\neq 0 \implies$  "*sparsity*" in  $\beta$ ;
- But you do not know which ones!
- What about using your economic intuition to select a subset of controls?
- Applying Econ theory is always a good idea, but:
  - You might not get a meaningful reduction with theory alone;
  - Your referee might not agree with your choices;
  - You might get lost in a sea of robustness checks...

# Treatment Effects in High Dimensions

---

- Let's say you believe only a few  $\beta_j$ 's are  $\neq 0 \implies$  "*sparsity*" in  $\beta$ ;
- But you do not know which ones!
- What about using your economic intuition to select a subset of controls?
- Applying Econ theory is always a good idea, but:
  - You might not get a meaningful reduction with theory alone;
  - Your referee might not agree with your choices;
  - You might get lost in a sea of robustness checks...
- Good news: ML researchers devoted a lot of attention to *sparse regressions*!

## Welcome to SBE, Mr. LASSO

---

The Least Absolute Shrinkage and Selection Operator (LASSO) estimator solves:

$$\hat{\boldsymbol{\delta}} \equiv \arg \min_{\boldsymbol{\delta} \in \mathbb{R}^p} \left\{ \frac{1}{n} \sum_{i=1}^n (y_i - \mathbf{w}'_i \boldsymbol{\delta})^2 + \lambda \sum_{j=1}^p |\delta_j| \right\}$$

- $\lambda \geq 0$  is a tuning parameter that controls the amount of penalization (“*regularization*”);
- $\mathbf{w}_i$  is a general vector of regressors of size  $p$ ;

## Welcome to SBE, Mr. LASSO

The Least Absolute Shrinkage and Selection Operator (LASSO) estimator solves:

$$\hat{\boldsymbol{\delta}} \equiv \arg \min_{\boldsymbol{\delta} \in \mathbb{R}^p} \left\{ \frac{1}{n} \sum_{i=1}^n (y_i - \mathbf{w}'_i \boldsymbol{\delta})^2 + \lambda \sum_{j=1}^p |\delta_j| \right\}$$

- $\lambda \geq 0$  is a tuning parameter that controls the amount of penalization (“*regularization*”);
- $\mathbf{w}_i$  is a general vector of regressors of size  $p$ ;
- The  $\ell_1$  penalty  $\sum_{j=1}^p |\delta_j|$  induces sparsity in  $\hat{\boldsymbol{\delta}}$ ;

# Welcome to SBE, Mr. LASSO

The Least Absolute Shrinkage and Selection Operator (LASSO) estimator solves:

$$\hat{\boldsymbol{\delta}} \equiv \arg \min_{\boldsymbol{\delta} \in \mathbb{R}^p} \left\{ \frac{1}{n} \sum_{i=1}^n (y_i - \mathbf{w}'_i \boldsymbol{\delta})^2 + \lambda \sum_{j=1}^p |\delta_j| \right\}$$

- $\lambda \geq 0$  is a tuning parameter that controls the amount of penalization (“*regularization*”);
- $\mathbf{w}_i$  is a general vector of regressors of size  $p$ ;
- The  $\ell_1$  penalty  $\sum_{j=1}^p |\delta_j|$  induces sparsity in  $\hat{\boldsymbol{\delta}}$ ;
- If  $\lambda = 0$ , we get OLS; if  $\lambda \rightarrow \infty$ , we get  $\hat{\boldsymbol{\delta}} = \mathbf{0}$ ;

# Welcome to SBE, Mr. LASSO

The Least Absolute Shrinkage and Selection Operator (LASSO) estimator solves:

$$\hat{\boldsymbol{\delta}} \equiv \arg \min_{\boldsymbol{\delta} \in \mathbb{R}^p} \left\{ \frac{1}{n} \sum_{i=1}^n (y_i - \mathbf{w}'_i \boldsymbol{\delta})^2 + \lambda \sum_{j=1}^p |\delta_j| \right\}$$

- $\lambda \geq 0$  is a tuning parameter that controls the amount of penalization (“*regularization*”);
- $\mathbf{w}_i$  is a general vector of regressors of size  $p$ ;
- The  $\ell_1$  penalty  $\sum_{j=1}^p |\delta_j|$  induces sparsity in  $\hat{\boldsymbol{\delta}}$ ;
- If  $\lambda = 0$ , we get OLS; if  $\lambda \rightarrow \infty$ , we get  $\hat{\boldsymbol{\delta}} = \mathbf{0}$ ;
- For intermediate values of  $\lambda$ , some  $\hat{\delta}_j$ 's will be exactly zero!

# Welcome to SBE, Mr. LASSO

The Least Absolute Shrinkage and Selection Operator (LASSO) estimator solves:

$$\hat{\boldsymbol{\delta}} \equiv \arg \min_{\boldsymbol{\delta} \in \mathbb{R}^p} \left\{ \frac{1}{n} \sum_{i=1}^n (y_i - \mathbf{w}'_i \boldsymbol{\delta})^2 + \lambda \sum_{j=1}^p |\delta_j| \right\}$$

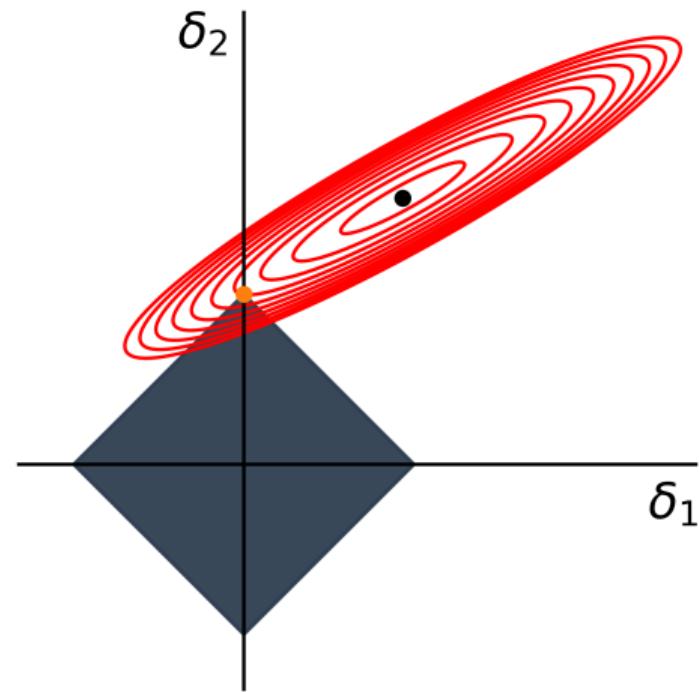
- $\lambda \geq 0$  is a tuning parameter that controls the amount of penalization (“*regularization*”);
- $\mathbf{w}_i$  is a general vector of regressors of size  $p$ ;
- The  $\ell_1$  penalty  $\sum_{j=1}^p |\delta_j|$  induces sparsity in  $\hat{\boldsymbol{\delta}}$ ;
- If  $\lambda = 0$ , we get OLS; if  $\lambda \rightarrow \infty$ , we get  $\hat{\boldsymbol{\delta}} = \mathbf{0}$ ;
- For intermediate values of  $\lambda$ , some  $\hat{\delta}_j$ 's will be exactly zero!
- $\hat{\boldsymbol{\delta}}$  gives up unbiasedness for much lower variance;
- This problem is still feasible if  $p \gg n$  and it is convex  $\implies$  fast computation;

# The Geometry of LASSO

For  $c > 0$ , consider the following:

$$\tilde{\boldsymbol{\delta}} \equiv \arg \min_{\boldsymbol{\delta} \in \mathbb{R}^p} \left\{ \frac{1}{n} \sum_{i=1}^n (y_i - \mathbf{w}'_i \boldsymbol{\delta})^2 \right\}$$

subject to  $\sum_{j=1}^p |\delta_j| \leq c$



- Think about the Lagrangian of this problem!
- For every  $\lambda$ , there is a  $c$  such that  $\hat{\boldsymbol{\delta}} = \tilde{\boldsymbol{\delta}}$ ;

## A Naive Approach

---

# Generalizations

# Appendix and References

# References i



Athey, Susan and Guido W. Imbens (Aug. 2019). "Machine Learning Methods That Economists Should Know About". en. In: *Annual Review of Economics* 11.1, pp. 685–725. ISSN: 1941-1383, 1941-1391. DOI: [10.1146/annurev-economics-080217-053433](https://doi.org/10.1146/annurev-economics-080217-053433). URL: <https://www.annualreviews.org/doi/10.1146/annurev-economics-080217-053433> (visited on 12/03/2025).



Kleinberg, Jon et al. (May 2015). "Prediction Policy Problems". en. In: *American Economic Review* 105.5, pp. 491–495. ISSN: 0002-8282. DOI: [10.1257/aer.p20151023](https://doi.org/10.1257/aer.p20151023). URL: <https://pubs.aeaweb.org/doi/10.1257/aer.p20151023> (visited on 12/02/2025).



Masini, Ricardo P., Marcelo C. Medeiros, and Eduardo F. Mendes (Feb. 2023). "Machine learning advances for time series forecasting". en. In: *Journal of Economic Surveys* 37.1, pp. 76–111. ISSN: 0950-0804, 1467-6419. DOI: [10.1111/joes.12429](https://doi.org/10.1111/joes.12429). URL: <https://onlinelibrary.wiley.com/doi/10.1111/joes.12429> (visited on 12/03/2025).



Mullainathan, Sendhil and Jann Spiess (May 2017). "Machine Learning: An Applied Econometric Approach". en. In: *Journal of Economic Perspectives* 31.2, pp. 87–106. ISSN: 0895-3309. DOI: [10.1257/jep.31.2.87](https://doi.org/10.1257/jep.31.2.87). URL: <https://pubs.aeaweb.org/doi/10.1257/jep.31.2.87> (visited on 12/02/2025).



Varian, Hal R. (May 2014). "Big Data: New Tricks for Econometrics". en. In: *Journal of Economic Perspectives* 28.2, pp. 3–28. ISSN: 0895-3309. DOI: [10.1257/jep.28.2.3](https://doi.org/10.1257/jep.28.2.3). URL: <https://pubs.aeaweb.org/doi/10.1257/jep.28.2.3> (visited on 12/02/2025).