

min moves

one point to note is that
if we maintain a sliding window
of n , the gaps in it would denote
no. of min moves
take following eg.

X O O O X X X O X O X O O O X

$$n = 7$$

X O O O X X X O X O X O O O X

you can see there are two gaps in this window of length 7
so we can move the side window values to fill these two gaps in 2 moves.

if there are three gaps it would take 3 min moves

X O O O X X X O O O X O O O X X

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$n = 7$

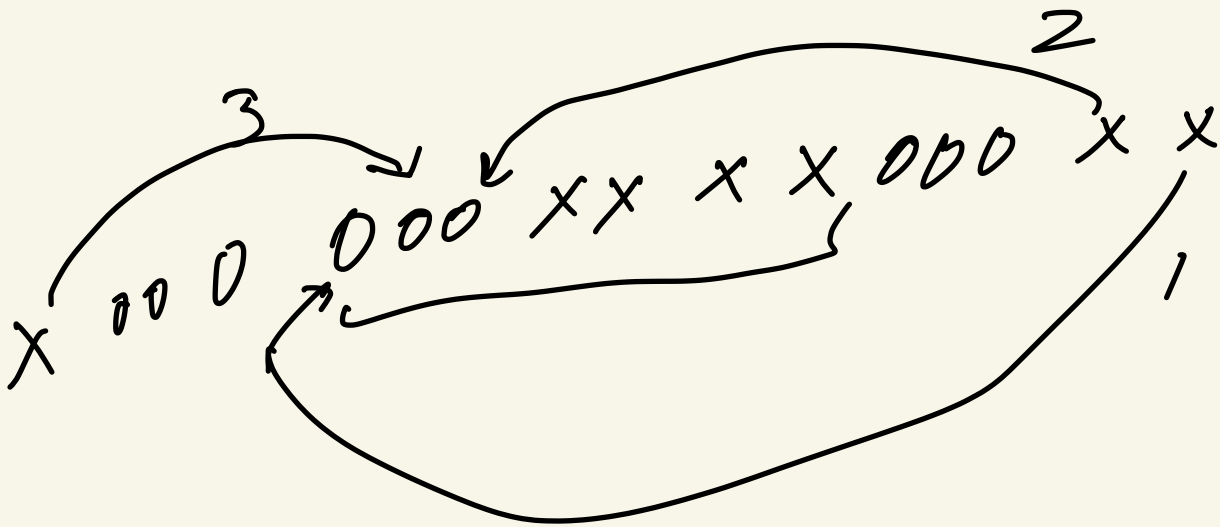
imp. pt to note here is that no matter the position of those 3 gaps they can always be filled with

3 moves

X O O O X X X O O O X O O O X X

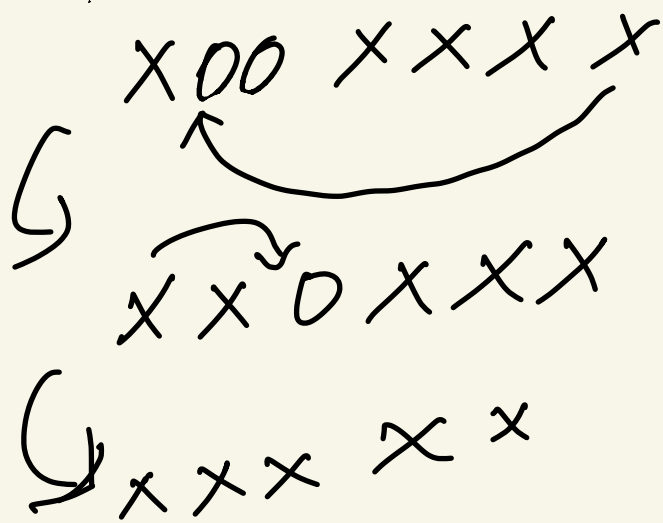
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$n = 7$



Special case: If $n-1$ consecutive stones are present we would take 2 moves (not 1 move)

X O O X X X X



2 moves

for considering the sliding window
it is sufficient to consider
sliding windows that are ending on
the stones

as considering sliding windows
ending at gaps would only increase
the gaps i.e. more moves

but we are calculating min-moves
so considering those windows won't
reduce the min moves.
